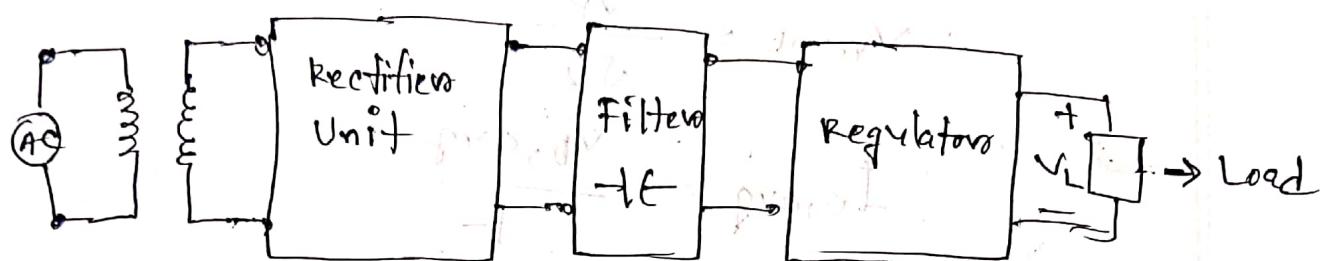


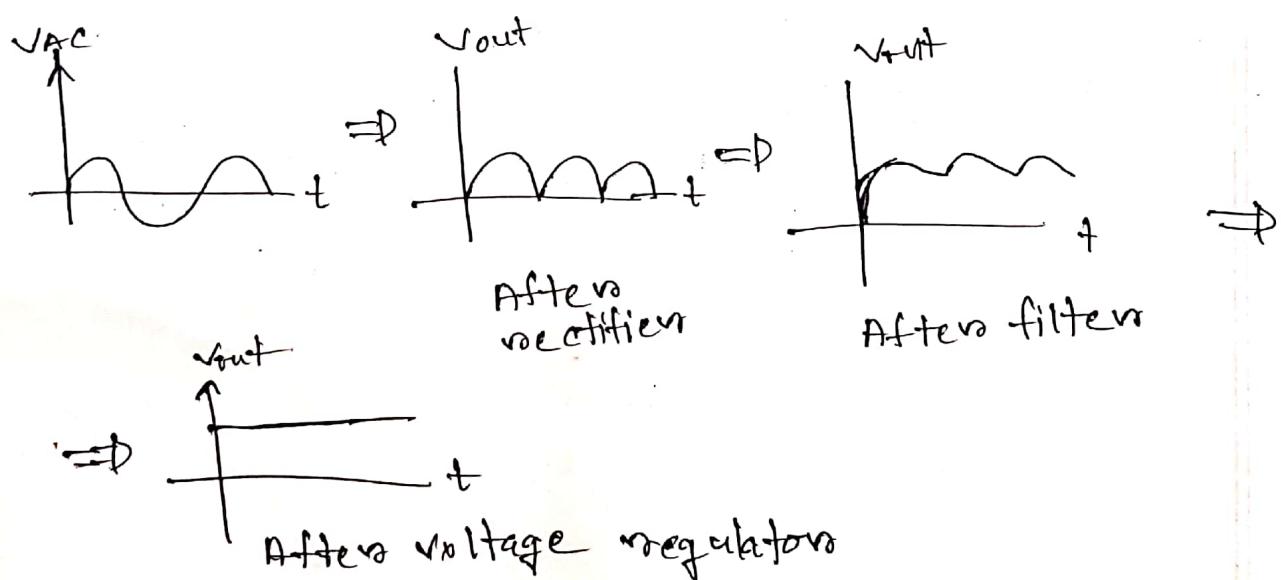
Voltage regulation: ~~part of power plant~~

why do we need a regulators?

- ↳ To make a ripple kind of voltage to straight dc voltage output.

Therefore,

- 1) After filter → Ripples are reduced by regulators.
- 2) we might want different voltage levels.



Example of regulation: If I want to limit the

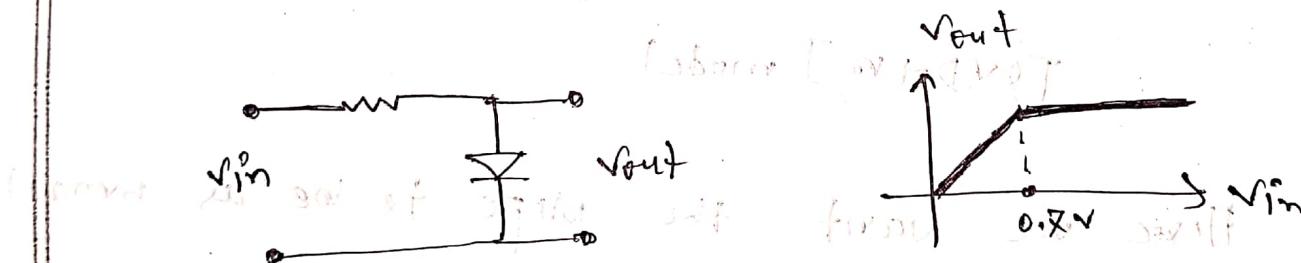
amplitude of my signal or block some part of it.

A clipper circuit:

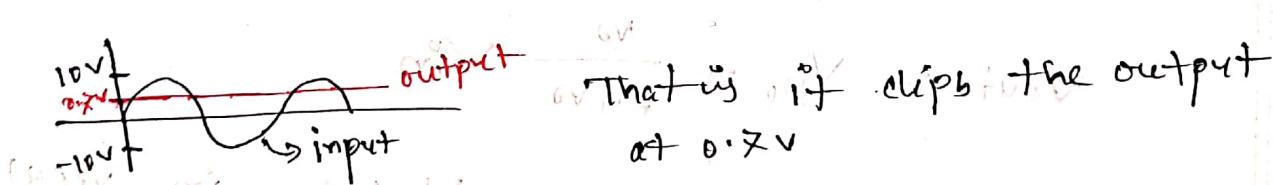
↳ A circuit that cuts off the signal at a certain level.

That is whatever the input signal is going to be, the output is just going to be a single valued valued line.

or we can say it clips anything above or below a certain level.



if V_{D0} of diode = $0.7V$ [CVD model]



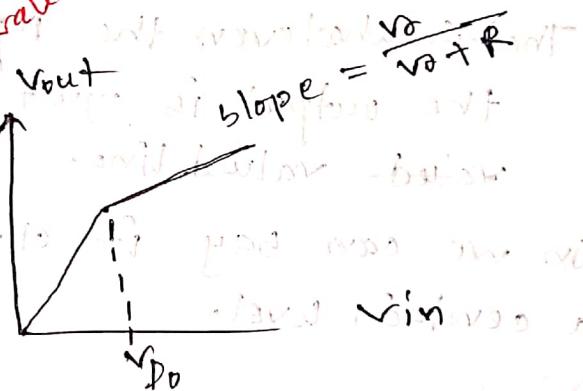
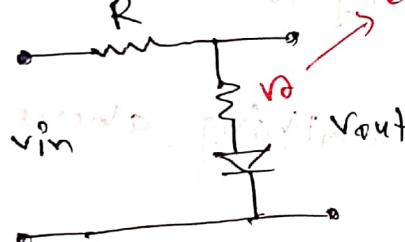
This clipper is also called hard limiters.

This clipping effect can lead to distortion if the input signal is too large or if the output is not properly filtered after the clipper stage.

But in real world things are not ideal.

In real world we do not get hard limiter, we get soft limiter.

soft limiter:



$[CVD + R_o]$ model

Here we want the slope to be as small as possible.

$$\text{Hence } V_{out} = V_{D0} + \frac{R_o}{R+R_o} V_{in}$$

So soft limiters are there in real world with $CVD + R_o$ model.

These are hard and soft limiters are kind of voltage regulators. because through these we can regulate the output voltage.

Comparing voltage regulators:

There are 2 ways:

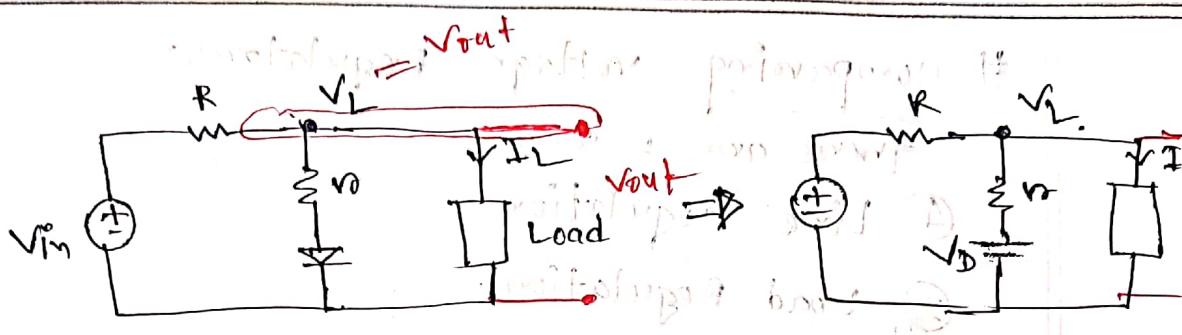
- ① Line Regulation
- ② Load Regulation.

Say we want to have a comparison between two regulators — How to do it?

The regulator that does not change the output much is a good regulator.

It is possible to compare two regulators based on their load regulation.

Load regulation = $\frac{V_L - V_{NOLOAD}}{V_{NOLOAD}} \times 100\%$



Nodal analysis at V_L :

$$\frac{V_L - V_i}{R} + \frac{V_L - V_D}{r_o} + I_L = 0$$

Line regulation actually works with the change in line that means if there is any change in line voltage/supply voltage, then how does the output voltage act, does it remain same or does it change with respect to input voltage.

Load regulation we will be considering the load, how this load current affect the output voltage.

$$(V_L - V_i)r_o + (V_L - V_D)R = -I_L R r_o$$

AA [Here $V_L = V_{out}$]

Topic Name : _____ Day : _____
Time : _____ Date : / /

$$V_L = \left(\frac{r_o}{R+r_o} \right) V_P - \left(\frac{R r_o}{R+r_o} \right) I_L - \left(\frac{r}{R+r_o} \right) V_D$$

From this equation,
Simplifying to

(i) Line Regulation and (ii) Load regulation

Change in output voltage with respect to input voltage

$$\frac{\Delta V_L}{\Delta V_P} = \frac{r_o}{R+r_o}$$

Change in output voltage with respect to load current.

$$\frac{\Delta V_L}{\Delta I_L} = \frac{R r_o}{R+r_o}$$

Here the $\frac{r_o}{R+r_o}$ means

If changes in load current increases, then change in output voltage decreases, and vice versa.

unit:

$$\frac{mV}{A}$$

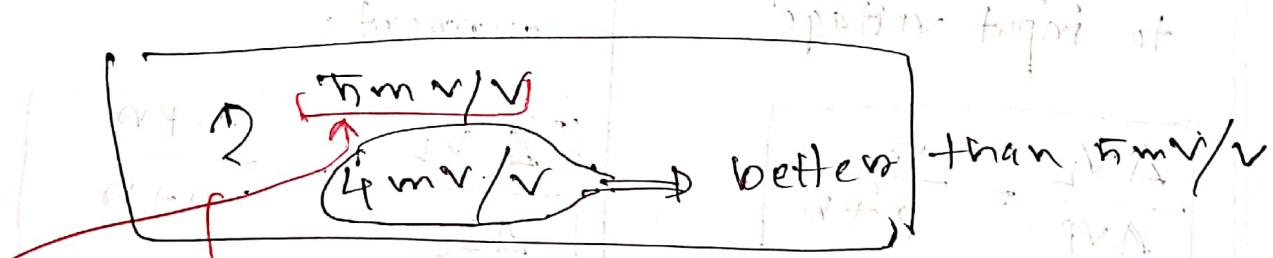
unit:

$$\frac{mV}{mA}$$

Now the question:

which regulator is better in terms of values of Regulation?

\Rightarrow The one that has the lower value of error means it does not change the value of output too much.

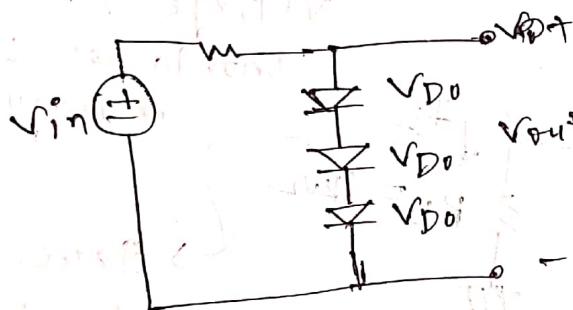


Interpretation: $5mV/V$?

if output is previously at 6 volt & if the input is changed by 1 volt, then the output will be 6 volt + 5mV

How can we get different kind of value at output rather than 0.7V. Let's we want 2.1V at output.

→ We can do this by connecting 3 diodes in series. $V_{D0} = 0.7V$ (CVD model)



A hard limiter

But CVD + R model is used for practical purpose.

draws back of regulators using diodes.

As we saw before as a soft limiter, its regulation depends on the resistance of diode, and 3 diodes provide equivalent resistance of $3R_0$ which increases the slope $\frac{3R_0}{3R_0 + R}$.

Hence give poor regulation.

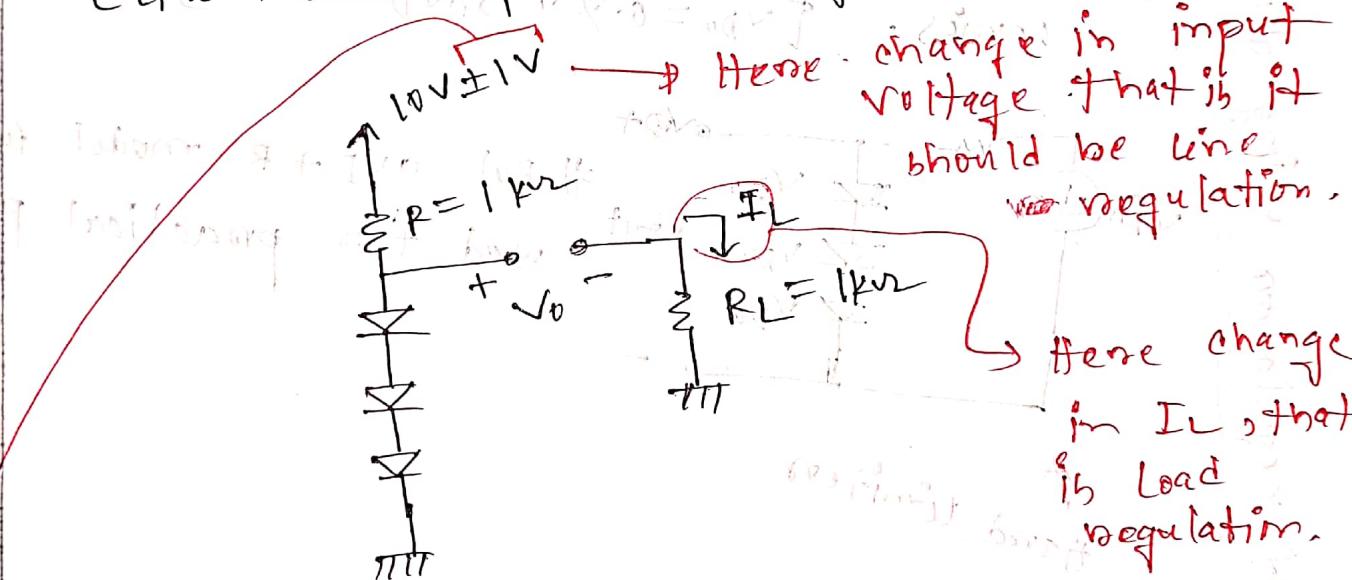
Therefore we need to have alternative so that this increasing resistance do not create problems.

The alternative topic is Zener diode

• V_D is used as reference for output
• Zener diodes for voltage regulation

Example

[Line & Load regulation using diode]



- * Position of Zener diode is standard.
- # A string of 3 diodes is used to provide constant voltage drop of $2.1V$. $V_{AD} = 3.2V$
- * calculate ΔV_o which are as

- ① ~~at 10%~~ a change in power supply voltage.
- ② sufficient small change of $1k\Omega$ load resistor.
- ③ a connecting load of $1k\Omega$.

Topic Name :

at $10\% \text{ of } a$
at $1\% \text{ of } a$

Day : _____

Time : _____

Date : / /

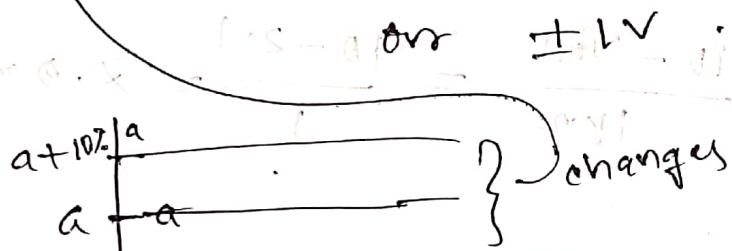
$$a \pm 10\%$$

; $a = 10V$ output over the

$$(a + 0.1 \times a) - (a - 0.1 \times a) = 0.2a$$

$$\text{so, } A_{\text{Vout}} = 0.2 \times 10V$$

$$= 2V \text{ (peak to peak)}$$



$$a - 10\%$$

or simply $A_{\text{Vout}} = 1 - (-1) = 2V$ Now 3 diodes in series $\text{so } r = 3R_{\text{diode}} = 0.6 \Omega$ From AC regulation we know,
here $A_{\text{Vout}} = 2V$

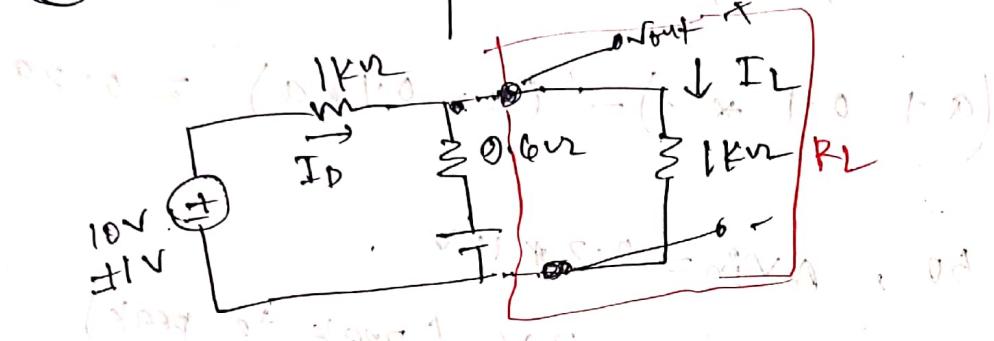
$$\frac{A_{\text{Vout}}}{A_{\text{Vin}}} = \frac{r}{R+r} \quad \left| \begin{array}{l} r = 0.6 \Omega \\ R = 1k\Omega \end{array} \right.$$

$$2 = \frac{0.6}{1000 + 0.6} \quad \left| \begin{array}{l} \text{so } 2 = 0.6 \Omega \\ \text{so } 1000 = 594 \Omega \end{array} \right.$$

$$1000 = 594 \quad \left| \begin{array}{l} \text{so } 1000 = 594 \Omega \\ \text{so } 1000 = 594 \Omega \end{array} \right.$$

$V_{\text{max}} = V_{\text{min}} = 10V$

(b) We can represent the above circuit like.



Before the load was connected.

$$I_D = \frac{10 - V_{out}}{1k\Omega} = \frac{10 - 2.1}{1} = 7.9 \text{ mA}$$

$$V_S = (1 + 1) \cdot 2.1 = 4.2 \text{ V}$$

- Now after adding Load, V_S remains same

$$I_S = I_L = \frac{2.1 \text{ V}}{1k\Omega} = 2.1 \text{ mA}$$

$$\therefore I_{D2} = 2.1 \text{ mA} - 0 = 2.1 \text{ mA}$$

$V_S = 4.2 \text{ V}$ (cause previously load was not connected)

$\Delta I_S = 2.1 \text{ mA} - 0 \Rightarrow \Delta I_L = 2.1 \text{ mA}$ (cause change is 2.1 mA)

Now from Load regulation:

$$\frac{\Delta V_o}{\Delta I_L} = -\frac{R_o}{R + R_o}$$

$$\therefore \Delta V_o = -20 \text{ mV} - 20 \text{ mV}$$

$$R = 1k\Omega$$

$$R_o = 0.6 \text{ V}$$

$$\Delta I_L = 2.1 \text{ mA}$$

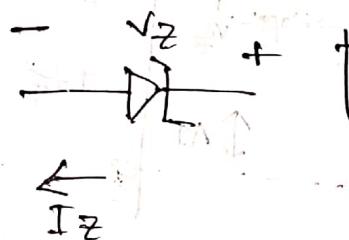
Topic Name : _____

Day : _____

Time : Date : / / .

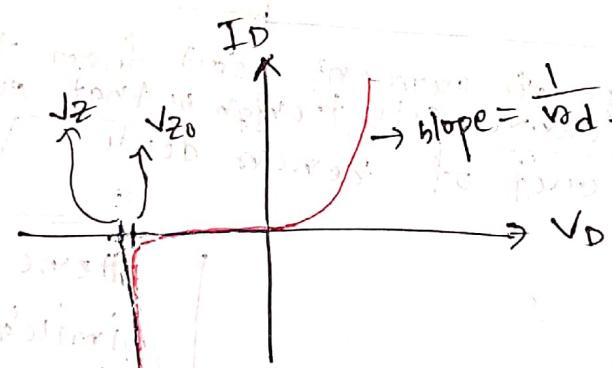
Zener diode

- i) we can use it in reverse region
 - ii) we use it in its breakdown



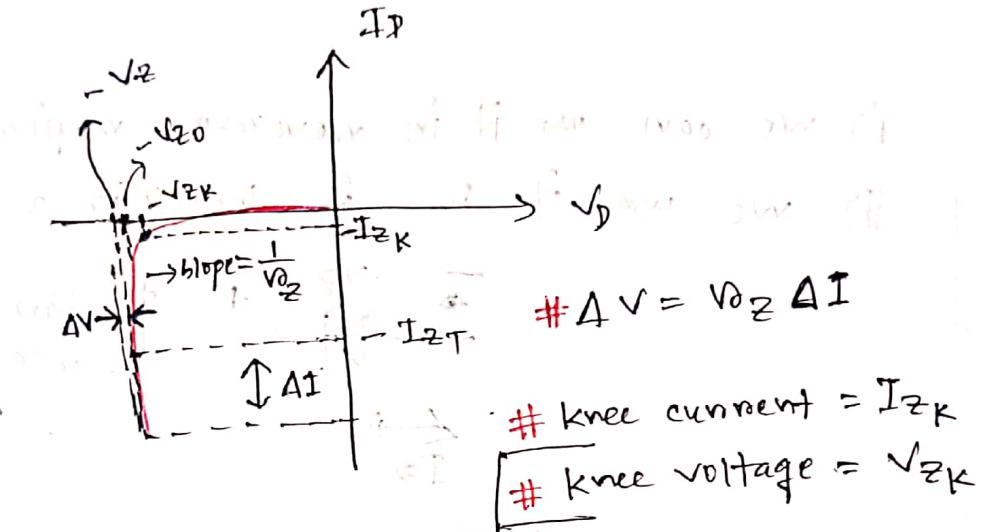
For voltage regulation we use it in its breakdown regime that is why

$$\sqrt{Z} = \sqrt{C} - \sqrt{A}$$



slope = $\frac{1}{R_2}$ \rightarrow equivalent resistance in ~~region~~ breakdown region.

~~Characteristics in Breakdown region :~~

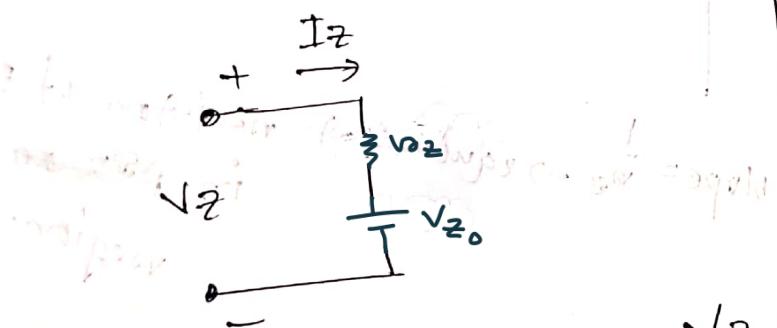


$$\# \text{knee current} = I_{ZK}$$

$$\# \text{knee voltage} = V_{ZK}$$

The voltage or current point from that the slope of curve gets too high so that curve get almost parallel to X-axis.

equivalent circuit of zener diode.



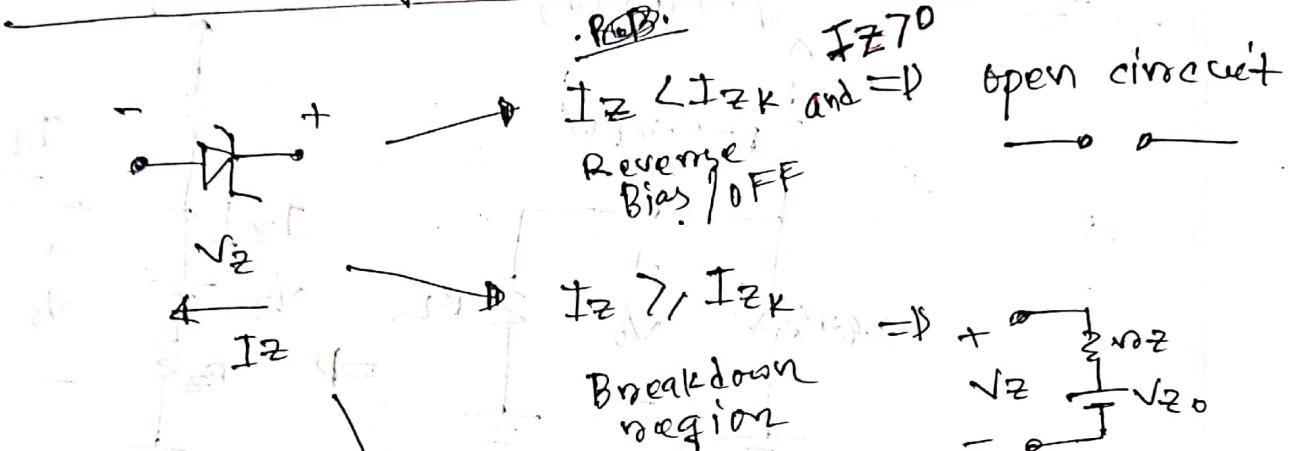
Here V_{Z0} is almost similar to V_{ZK} (very close) almost same

$$V_Z = V_{Z0} + V_{Z0} I_Z$$

$$I_Z > I_{ZK}; V_Z > V_{Z0}$$

condition where the zener diode works in breakdown region.

Different working region of zener diode:

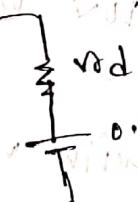


Q1) To forward bias zener diode V_Z must be $> V_Z$ & I_Z must be $> I_{ZK}$

Q2) If V_Z is less than V_Z then I_Z will be zero.

Q3) If V_Z is greater than V_Z then I_Z will be $> I_{ZK}$ (like normal diode).

Q4) V_Z can pass over but not breakdown.

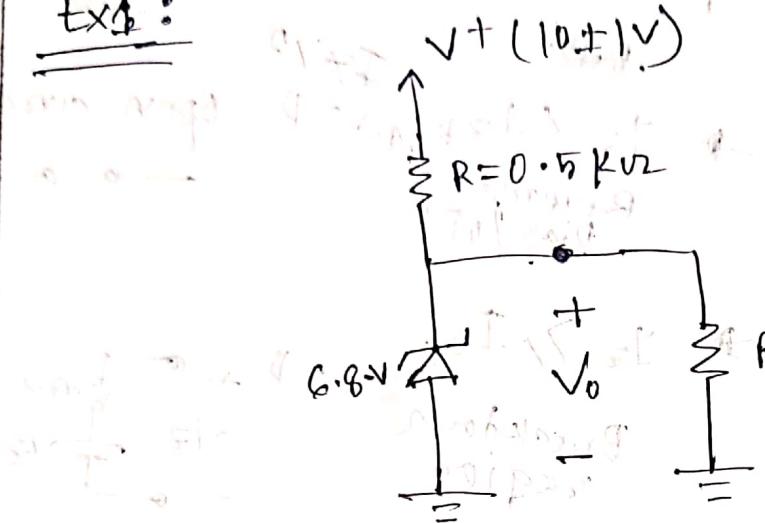


If V_Z is less than V_L then current I_Z will be zero.

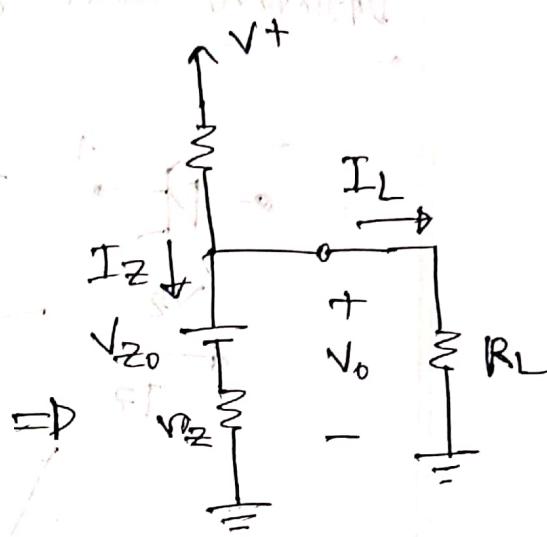
If V_Z is greater than V_L then current I_Z will be $> I_{ZK}$.

If V_Z is greater than V_L then current I_Z will be $> I_{ZK}$.

If V_Z is greater than V_L then current I_Z will be $> I_{ZK}$.

Ex 1:

(a)



(b)

The 6.8-V zener diode in the circuit of (a) is specified to have $V_Z = 6.8V$ at $I_Z = 5mA$, $r_{Z0} = 20\Omega$ and $I_{ZK} = 0.2mA$. The supply voltage $V+$ is nominally 10V but can vary by $\pm 1V$.

- Find V_0 with no load ~~with~~ and with $V+$ at its nominal value.
- Find the change in V_0 resulting from the $\pm 1V$ change in $V+$. Note that $(\Delta V_0 / \Delta V_+)$, usually expressed in mV/V, is known as line regulation.

(c) Find the change in V_o resulting from connecting a load resistance R_L that draws a current ~~I_{Lm}~~ $I_L = 1\text{mA}$, and hence find the load regulation ($\Delta V_o / \Delta I_L$) in mV/mA .

(d) Find the change in V_o where $R_L = 2\text{k}\Omega$

(e) Find the value of V_o when $R_L = 0.5\text{k}\Omega$

(f) what is the minimum value of R_L for which the diode still operates in the breakdown region? $V_{BD} = -0.3\text{V}$

Voltage across load $= V_o$ (d)

$$\text{load voltage} = R_o + V_o \\ \Rightarrow V_o = 0.03\text{V}$$

$$0.03\text{V} = 0.8\text{V} - 0.77\text{V}$$



$$[100(V_8 - 0.77) = 0.8]$$

Solution :

Hence, Given,

$$V_Z = 6.8 \text{ V} \quad \text{nominal value}$$

$$I_Z = 5 \text{ mA} \quad \text{nominal value}$$

$$n_{Z0} = 20 \text{ or } 100 \text{ (approx.)} \quad \text{notch points}$$

$$I_{ZK} = 0.2 \text{ mA}$$

and now V_Z varies with respect of I_Z (b)

$$V_Z = 6.8 + I_Z \cdot 20 \text{ mV} \quad \text{or} \quad V_Z = 6.8 + 20I_Z$$

Now I_Z can vary $\pm 1\text{V}$ $\therefore \Delta V_{in} = 1 + (-1) = 1 + 1 = 2\text{V}$ with respect of V_Z variation will go for V_Z Again since $I_Z > I_{ZK}$ is not possible

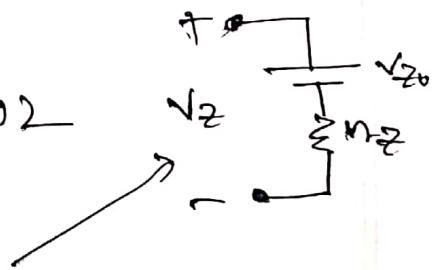
$$\begin{aligned} \therefore V_Z &= V_{Z0} + I_Z n_{Z0} \\ \Rightarrow 6.8 \text{ V} &= V_{Z0} + 5 \times \frac{20}{1000} \\ \Rightarrow V_{Z0} &= 6.8 \text{ V} \end{aligned}$$

(a) V_Z nominal value : 10V

$$I_Z = \frac{10 - 6.8}{500 + 20} = 6.35 \text{ mA}$$

$$\begin{aligned} \cancel{V_Z} = V_0 &= V_{Z0} + I_Z n_{Z0} \\ &= 6.8 + 6.35 + 0.02 \\ &= 6.83 \text{ V} \end{aligned}$$

$$\boxed{V_Z = V_0 \approx 6.83 \text{ V} \text{ at } 50^\circ\text{C}}$$



Topic Name : _____

Day : _____

Time : _____ Date : / /

(b) $\pm 1\text{V}$ change, $\Delta V_{\text{in}} = \pm 1\text{V} \Rightarrow 2\text{V}$

$$\Delta V_o = \Delta V_{\text{in}} + \frac{R_Z}{R + R_Z} \Delta V_{\text{in}}$$

$$= 2 \times \frac{20}{20 + 500} = 7.2 \text{ mV}$$

From line regulation.

$$\frac{\Delta V_o}{\Delta V_{\text{in}}} = \frac{R_Z}{R + R_Z}$$

$$\text{Line regulation} = \frac{\Delta V_o}{\Delta V_{\text{in}}} = \frac{7.2 \text{ mV}}{2 \text{ V}} = 3.6 \times 10^{-3} = 3.6 \cdot 10^{-3} \text{ mV/V}$$

$$(c) AIL = 1 - 0 = 1 \text{ mA}$$

As, I_Z will be decreased by 1mA.

$$\Delta V_o = \frac{-R_Z}{R + R_Z} AIL$$

$$= \frac{-500}{500 + 20} \times 1 \text{ mA} = -9.2 \text{ mV}$$

$$= -9.2 \text{ mV}$$

From load regulation.

$$\frac{\Delta V_o}{AIL} = \frac{R_Z}{R + R_Z}$$

$$\therefore \text{Load regulation; } -9.2 \text{ mV/mA}$$

$$\text{Load regulation; } \frac{\Delta V_o}{AIL}$$

(d)

$$R_L = 2k\Omega \rightarrow \frac{V_0}{R_L} \text{ A } \text{ agrees with (c)}$$

$$I_L = \frac{6.83}{2k\Omega} = 3.42 \text{ mA}$$

$$\Delta I_L = 3.42 \text{ mA} - 0 = 3.42 \text{ mA}$$

$$AV_b = \frac{-500 * 20}{500 + 20} \rightarrow 3.42 \text{ mA}$$

$$= 65.3 \text{ mV}$$

(e)

$$R_L = 0.5k\Omega$$

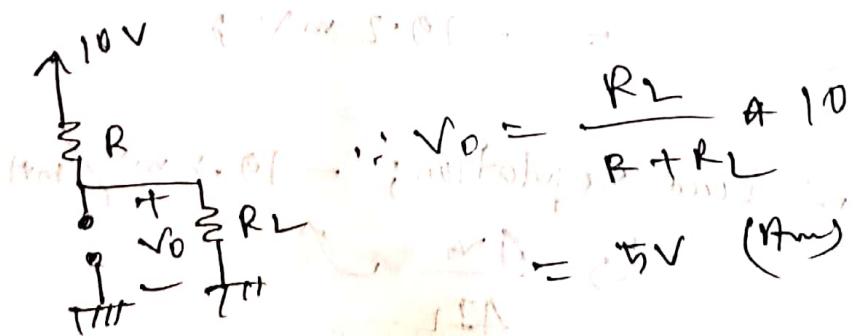
$$I_L = \frac{6.83}{0.5k\Omega} = 13.6 \text{ mA}$$

If load is $0.5k\Omega$ then $I_L = 13.6 \text{ mA}$

But initially $I_L = 6.35 \text{ mA}$ without load.

So this is not possible.

Means the Zener diode is in cut-off.



(f) Worst case: $V_{IN} = 10V$ for saturation if

cause $V_{IN} = 10 \pm 1V$

And for zener diode to operate at

breakdown region, $I_Z > I_{ZK}$

$$I_{ZK} = 0.2 \text{ mA} \quad | \quad V_Z \approx 6.2 \text{ V cause} \\ \text{at breakdown } V_{ZD} = 6.2 \text{ V}$$

So lowest current through R is,

$$\frac{9 - 6.2}{500} = 4.6 \text{ mA} = I_i$$

$$\text{so, } I_i = I_Z + I_L \\ \Rightarrow I_L = I_i - I_Z = 4.4 \text{ mA}$$

$$\therefore R_L = \frac{V_L}{I_L} = \frac{6.2}{4.4} = 1.5 \text{ k}\Omega$$

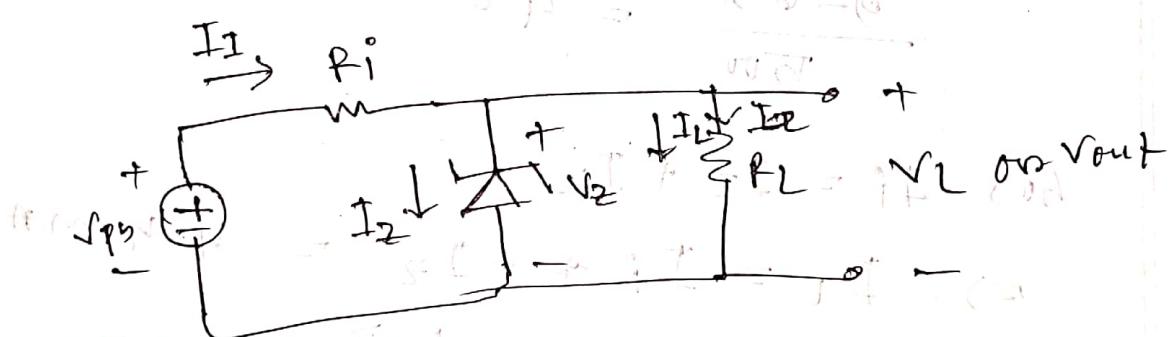
$$R_L = \frac{3V - 6.2V}{14} = 1.4 \text{ k}\Omega$$

Selection of R_i for the correct value of R in R_i

for Zener diode:

It is necessary because depending upon this the current through the zener diode will change.

For maintaining $I_Z \geq I_{ZK}$ so that the zener diode operate in breakdown region.



KCL:

$$I_I = I_L + I_Z$$

$$\therefore R_i = \frac{V_{p5} - V_Z}{I_I} = \frac{V_{p5} - V_Z}{I_Z + I_L}$$

again $I_Z = \frac{V_{p5} - V_Z}{R_i} - I_L$

$I_L = \frac{V_S}{R_L}$, so V_S and I_L are variables.

Hence if R_i is too small, I_Z will be ~~too~~ too high on that case power dissipation will be too high that we don't want as in this case it works on breakdown region.

Again if R_i is ~~too~~ too high then I_Z will be too low. that on that case the I_Z can't be I_Z . So in this case the diode won't operate in breakdown region.

Therefore, we need a limit. so that ^{for} the proper operation of the circuit, the diode must remain at breakdown regions, and power dissipation in the diode, should not be exceed its ~~rated~~ rated value.

so To choose R_i ,

i) $I_Z(\min) \Rightarrow V_i(\min), I_L(\max)$

$$\text{for } R_i = \frac{\sqrt{P_S(\min)} - \sqrt{Z}}{I_L(\max) + I_Z(\min)}$$

ii) $I_Z(\max) \Rightarrow V_i(\max), I_L(\min)$

$$\text{for } R_i = \frac{\sqrt{P_S(\max)} - \sqrt{Z}}{I_L(\min) + I_Z(\max)}$$

iii) equating these two:

$$[\sqrt{P_S(\min)} - \sqrt{Z}] [I_Z(\max) + I_L(\min)] \\ = [\sqrt{P_S(\max)} - \sqrt{Z}] [I_Z(\min) + I_L(\max)]$$

Rule of thumb, $I_Z(\min) = 0.1 I_Z(\max)$

$$I_Z(\max) = \frac{I_L(\max) [\sqrt{P_S(\max)} - \sqrt{Z}] - I_L(\min) [\sqrt{P_S(\min)} - \sqrt{Z}]}{\sqrt{P_S(\min)} - 0.1 \sqrt{Z} - 0.1 \sqrt{P_S(\max)}}$$