## Simulation of a P2P Cryptocurrency Network

CS 765 - Introduction of Blockchains, Cryptocurrencies, and Smart Contracts

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#### 1. Introduction

We've developed a discrete-event simulator tailored for a peer-to-peer cryptocurrency network. This type of simulator operates by managing an event queue alongside a global clock. It selects and processes the earliest event from this queue and may generate additional events based on the execution outcome. In our report, we detail various design decisions and conduct analyses on diverse simulations utilizing different system parameters outlined in the configuration file.

## 2. What are the theoretical reasons of choosing the exponential distribution?

The exponential distribution is chosen because it assumes transaction arrivals are random and independent, consistent with real-world behavior. It's mathematically simple and aligns with the Poisson process, making analysis easier. Empirical data also supports its use.

Let  $\Delta$  be the small time interval and probability of mining a block in time  $\Delta$  be  $\beta\Delta$ , where  $\beta$  depends on the hashing power. Let  $I(I=n\Delta)$  be the time interval. The probability of mining a block is time interval I can be drawn from an exponential distribution with mean  $\frac{1}{\beta}$  show in below equations.

$$P[I = n\Delta] = (1 - \beta\Delta)^{n-1}\beta\Delta$$

$$P[I > n\Delta] = (1 - \beta\Delta)^{n}$$
let  $n\Delta = x$ 

$$P[I > x] = (1 - \frac{\beta\Delta}{n})^{n}$$

when  $n \to \infty$  the geometric distribution behaves like exponential distribution.

$$P[I > x] = e^{-\beta x}$$

# 3. Why is the mean of $d_{ij}$ inversely related to $c_{ij}$ ? Give justification for this choice.

When the link speed of a node, denoted as  $c_{ij}$ , is high, the time needed to buffer packets in the queue decreases. Consequently, packets spend less time waiting in the queue, resulting in a reduction in the average queuing delay,  $d_{ij}$ .

# 4. Reason for choosing a particular mean $T_k$ to get the random block generation time from exponential distribution?

A small  $T_k$  leads to a high frequency of block generation, increasing the likelihood of forks and decreasing the number of transactions per block. Conversely, a very large  $T_k$  reduces fork occurrences but may result in fewer blocks generated, leading to transaction backlog in the pending transaction pool. Therefore, finding a balanced  $T_k$  is crucial, considering its impact on forks and transaction volume per block.

### 5. Flowchart

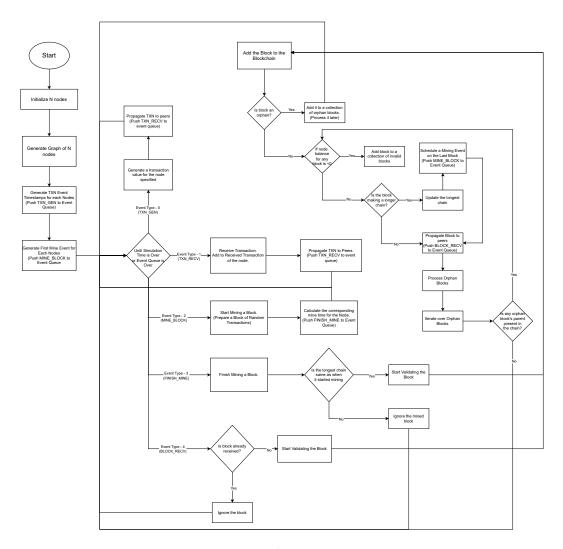


Figure 1: Event Flow Diagram

### 6. Observation

Data for the two experiments performed is given below:

Simulation Time (60000 sec), interarrival time for Block (500 sec) and Transaction (10 sec) is kept constant.

### 6.1~ z0 (Low Speed) - 20% and z1 (Low CPU) - 80%

Node Number	Hashing Power	Speed	#Block	Block		
			in	in	Mined	in
			Chain	Longest	-	Chain
				Chain		
0	Low	High	136	136	1	1
1	High	High	136	136	39	39
2	Low	Low	136	136	7	7
3	Low	High	136	136	8	8
4	Low	High	136	136	3	3
5	High	High	136	136	58	58
6	Low	High	136	136	4	4
7	Low	High	136	136	5	5
8	Low	Low	136	136	5	5
9	Low	High	136	136	5	5

Blockchain tree for the above experiment is attached below:

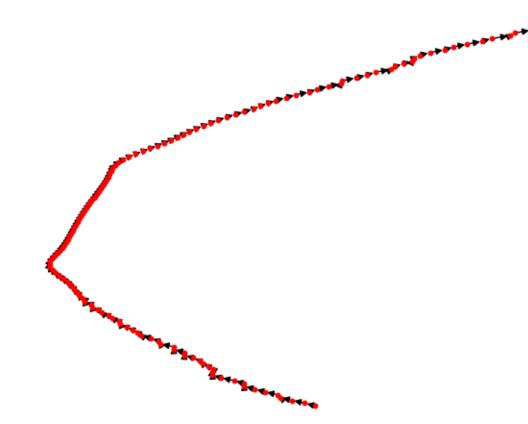


Figure 2: Blockchain Tree1

Obs1 - "With less high powered CPU Nodes and more high speed Nodes, blocks will be propagated more faster than it's generation. Hence almost no chance of fork given the interarrival time of blocks 600s. There could be forks if interarrival time for block is set lower in the given condition of z0 and z1."

6.2~ z0 (Low Speed) - 80% and z1 (Low CPU) - 20%

Node Number	Hashing Power	Speed	#Block	Block		
			in	in	Mined	in
			Chain	Longest	-	Chain
				Chain		
0	High	Low	128	125	15	14
1	High	Low	128	125	21	20
2	High	Low	128	125	6	6
3	High	Low	128	125	21	20
4	High	Low	128	125	20	20
5	High	Low	128	125	17	17
6	High	Low	128	125	12	12
7	High	High	128	125	12	12
8	Low	Low	128	125	2	2
9	Low	High	128	125	2	2

Blockchain tree for the above experiment is attached below:

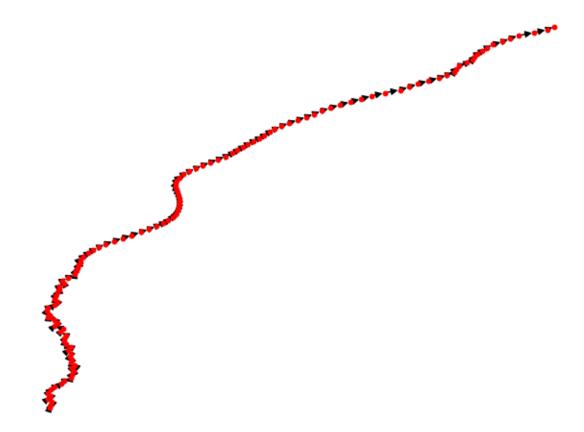


Figure 3: Blockchain Tree2

Obs2 - "With more high powered CPU Nodes and less high speed Nodes, blocks will be propagated slower than it's generation. Hence more chance of fork." Obs2 - "With more high powered CPU Nodes and less high speed Nodes, blocks will be propagated slower than it's generation. Hence more chances of fork given the interarrival time of blocks 600s. There could be more forks if interarrival time for block is set lower in the given condition of z0 and z1."

### 7. Conclusion

- The high powered nodes mined more blocks (almost 10 times) than the low powered nodes. So, the contribution of high powered nodes is more than the low powered nodes in the longest chain.
- Higher the value of  $z_0$  (number of nodes with low speed), the slower the blocks will propagate, hence creating more chances for forks.
- Higher the value of  $z_1$  (number of nodes with low CPU), the slower the block generation, hence creating fewer chances for forks.
- Lower the interarrival time of blocks, higher is the chance of forking as blocks will be generated faster than the propagation. Hence creating more number of blocks.