Handling Deadlock for Distributed Systems - II

Different Approaches

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Outline

- Introduction to Distributed Deadlock Detection

- Global DDD algorithm

- Centralized DDD algorithm

- Diffusion Computation-based DDD algorithm

- Mitchell-Merritt Edge Chasing DDD algorithm

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Mitchell – Merritt DDD Algorithm

- It is an *edge chasing* algorithm where Control messages are sent over WFG edges to detect cycles
- Each process is represented as u/v where u and v are the public and private labels, respectively.
- Labels are initially identical and unique for each node

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Mitchell – Merritt DDD Algorithm

- Labels of a process change when it gets blocked on a resource request
- Labels also change when it waits for a process having a larger public label
- A wait-for edge with a specific relation between public and private labels of its source and destination processes indicates presence of a deadlock

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State Transitions

- Initiate: Set same random value for u, v. Value for each node need to be unique.
- Block: This will be in effect every time a process is blocked.
  - Add a new block edge in the WFG
  - Set both u, v of the blocked process with k:
    - k = f(u1, u2) yields a unique label greater than both u1 and u2 – the two public labels for the blocking and blocked processes
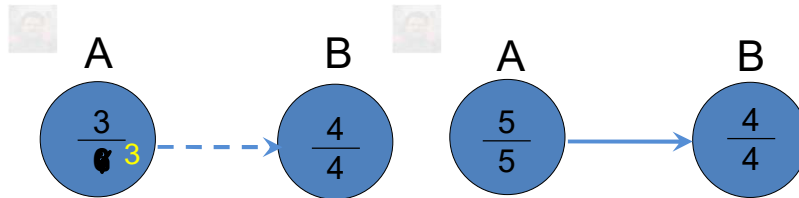
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State Transitions

- Transmit: If public label of a blocking process is greater than that of the blocked process in the WFG, then this higher public label propagates in the opposite direction of the edges.
- Detect: If the public and private labels of a blocked process are same, and the value is again same as the public label of the blocking process, a deadlock is detected
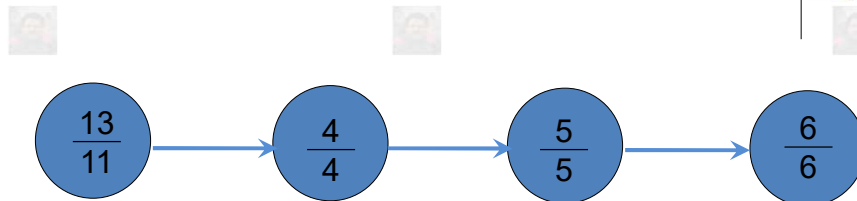
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Mitchell – Merritt DDD Algorithm

A   B   A   B

$$\frac{3}{3}\ \ 3 \dashrightarrow \frac{4}{4} \qquad \frac{5}{5} \longrightarrow \frac{4}{4}$$

- Block rule
- Assume, $f(u1, u2)=\text{Maximum}(u1, u2)+1$

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \longrightarrow \frac{4}{4} \longrightarrow \frac{5}{5} \longrightarrow \frac{6}{6}$$

- Transmit rule

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \rightarrow \frac{4}{4} \rightarrow \frac{6}{5} \rightarrow \frac{6}{6}$$
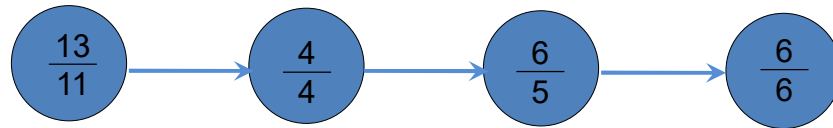
- Transmit rule

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \rightarrow \frac{6}{4} \rightarrow \frac{6}{5} \rightarrow \frac{6}{6}$$
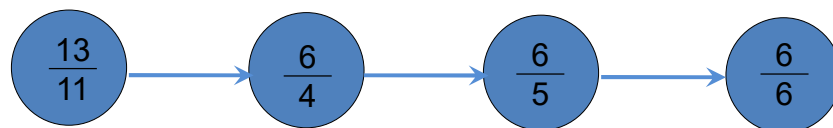
- Transmit rule

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Mitchell – Merritt DDD Algorithm

$$\frac{4}{4} \longrightarrow \frac{4}{3}$$
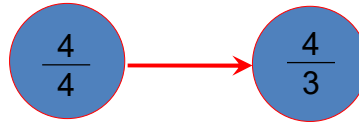
- Detection rule

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \longrightarrow \frac{7}{4} \longrightarrow \frac{6}{5} \longrightarrow \frac{3}{6}$$
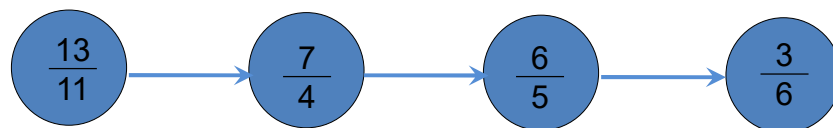
- Scenario 1

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \rightarrow \frac{7}{4} \rightarrow \frac{6}{5} \rightarrow \frac{3}{6}$$

$$\frac{6}{5} \rightarrow \frac{19}{6}$$
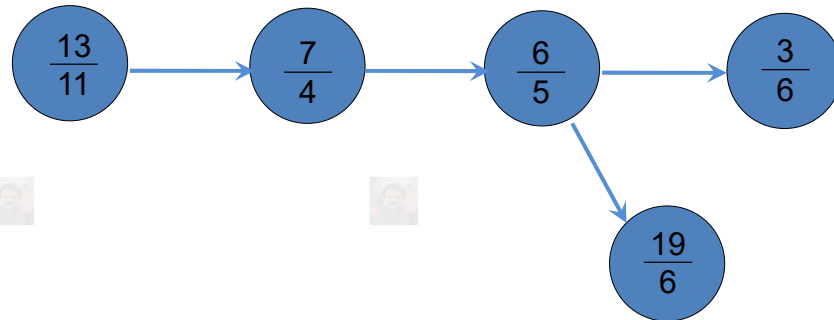
- Scenario 1

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \rightarrow \frac{7}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{20}{20} \rightarrow \frac{19}{6}$$
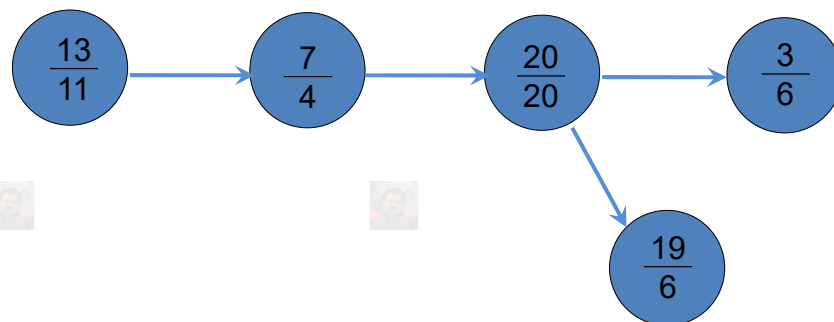
- Scenario 1

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Mitchell – Merritt DDD Algorithm

$$\frac{13}{11} \rightarrow \frac{20}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{20}{20} \rightarrow \frac{19}{6}$$
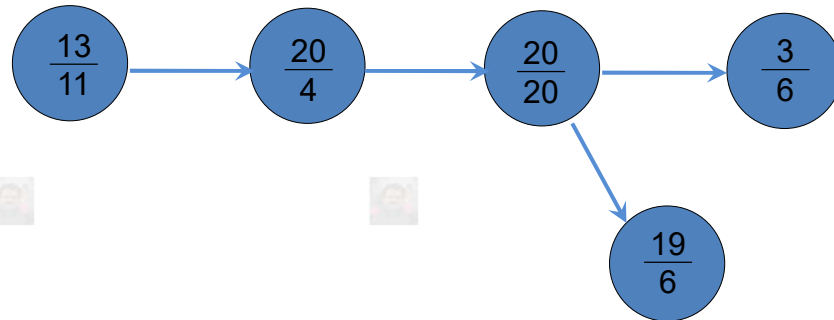
- Scenario 1

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{20}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{20}{20} \rightarrow \frac{19}{6}$$
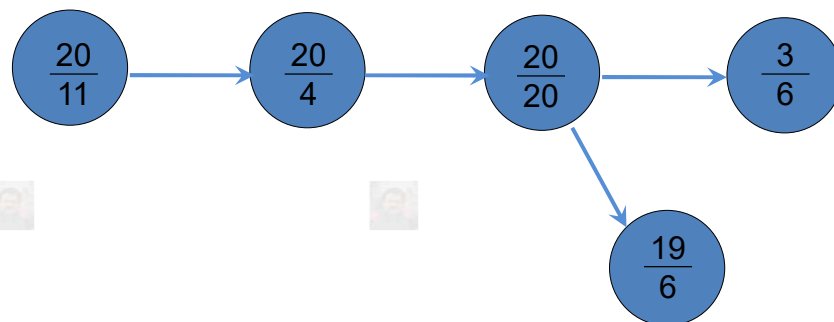
- Scenario 1

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{20}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{19}{6}$$
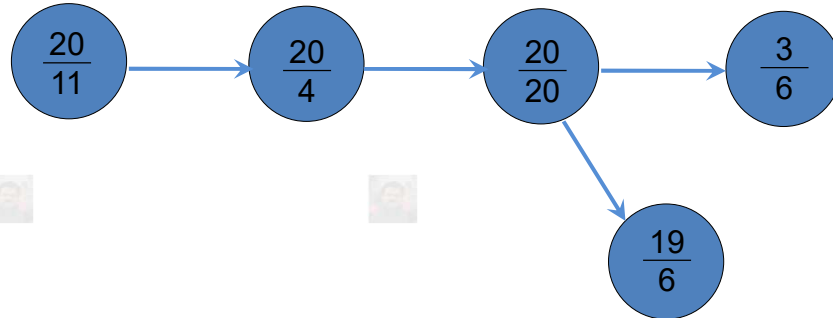
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{20}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{19}{6}$$
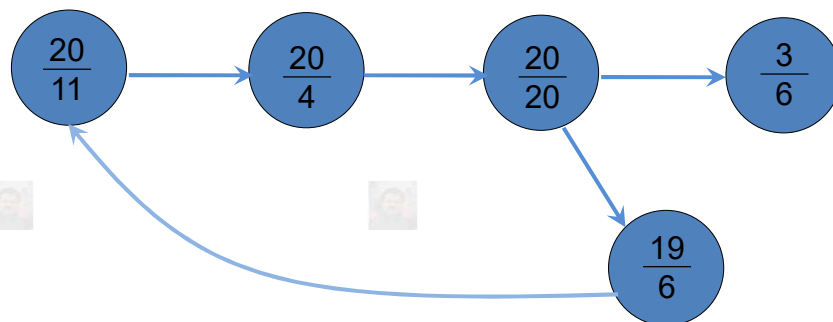
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{20}{4} \rightarrow \frac{20}{20} \rightarrow \frac{3}{6}$$

$$\frac{20}{20} \rightarrow \frac{21}{21}$$
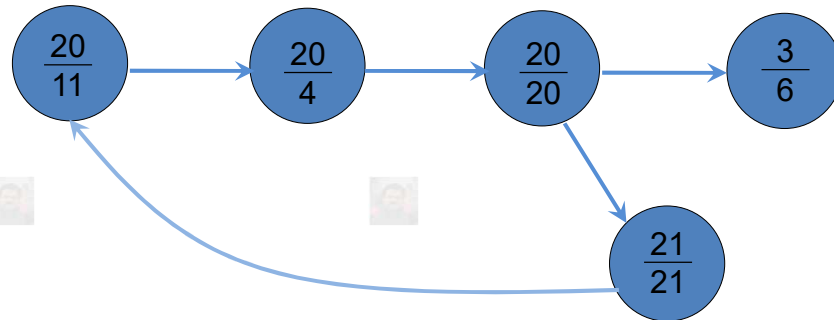
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{20}{4} \rightarrow \frac{21}{20} \rightarrow \frac{3}{6}$$

$$\frac{21}{20} \rightarrow \frac{21}{21}$$
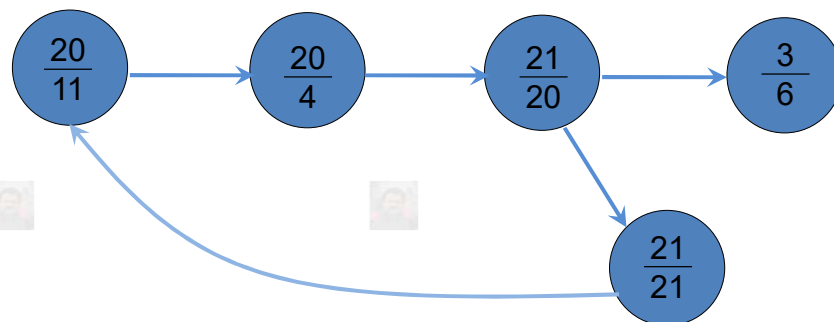
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{20}{11} \rightarrow \frac{21}{4} \rightarrow \frac{21}{20} \rightarrow \frac{3}{6}$$

$$\frac{21}{21}$$
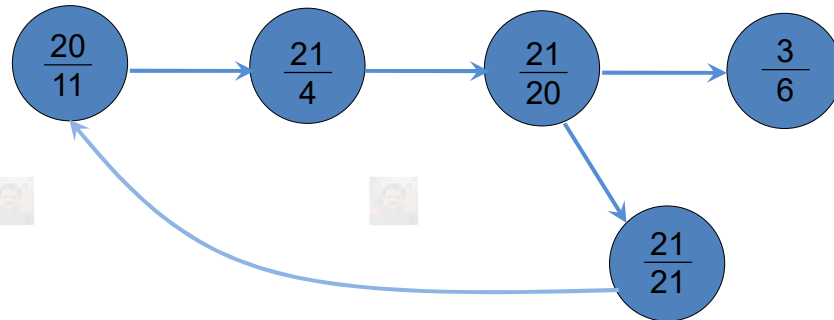
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{21}{11} \rightarrow \frac{21}{4} \rightarrow \frac{21}{20} \rightarrow \frac{3}{6}$$

$$\frac{21}{21}$$
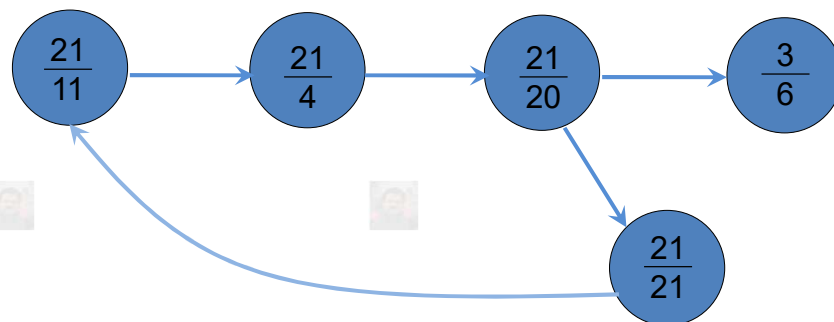
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{21}{11} \rightarrow \frac{21}{4} \rightarrow \frac{21}{20} \rightarrow \frac{3}{6}$$

$$\frac{21}{21}$$
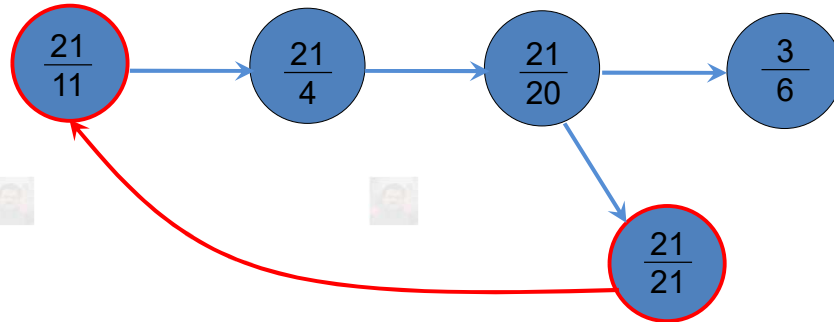
- Scenario 2

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Mitchell – Merritt DDD Algorithm

$$\frac{4}{4} \rightarrow \frac{4}{3}$$
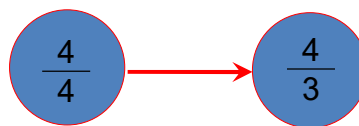
- Detection rule

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Few more thoughts….
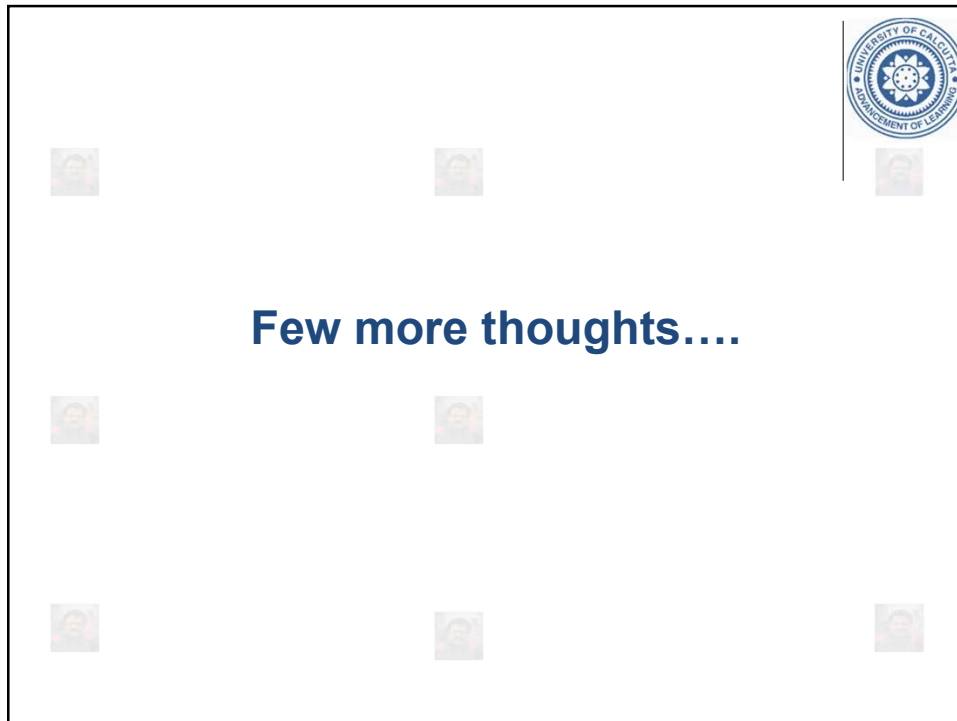
DD Prevention Algorithm

- The basic idea is to ensure that Circular wait does not occur
- Time-stamp creation of a process
  - When process P_k requests a resource allocated to P_m, time-stamps of P_k and P_m are used to decide whether P_k can wait for P_m

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DD Prevention Algorithm

- Two approaches
  - Wait-or-die
    - P_i is allowed to wait if older than P_j; otherwise, it is killed
  - Wound-or-wait
    - P_i is allowed to wait if younger than P_j; otherwise P_j is killed
- A killed process retains original timestamp if restarted

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Path-pushing vs. Edge Chasing

- Path-pushing:
  - Path information is sent to blocking node
    - e.g., partial WFGs sent to blocking nodes for deadlock detection
    - Obermarck's algorithm
- Edge-chasing:
  - Probe messages sent without path information
    - e.g. Mitchell-Merritt Algorithm

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Thanks for your kind attention

Questions??

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