

# Semantic Analysis

# Role of Semantic Analysis in Compilation

- Semantic Analysis go hand-in-hand with syntax analysis.
- It checks for logical errors that the grammar cannot detect.
- Ensures type correctness, scope resolution, and semantic consistency.
- Uses Attribute Grammars to propagate and verify information.

# Type Checking in Expressions

- Type Checking ensures that operations in an expression are performed on compatible data types.
- It helps catch type mismatches before code generation.
- There are two types of type checking:
  - Static Type Checking: Performed at compile time.
  - Dynamic Type Checking: Performed at runtime.

# Attribute Grammar for Type Checking

- Attribute Grammar defines rules for assigning and checking types during parsing.
- Uses Synthesized Attributes to propagate type information in the parse tree.
- Ensures type consistency for expressions.

$$E \rightarrow E1 + T \quad \{ E.type = \text{typeCheck}(E1.type, T.type) \}$$
$$T \rightarrow \text{int} \quad \{ T.type = \text{int} \}$$
$$T \rightarrow \text{float} \quad \{ T.type = \text{float} \}$$

# Syntax-Directed Definitions

- Syntax-Directed Definitions (SDD) associate semantic rules with grammar production rules.
- These rules define how attributes (e.g., types, values, scope) are computed.
- Attributes can be:
  - Synthesized Attributes (computed from children).
  - Inherited Attributes (passed from parents or siblings).

# Attribute Grammars for Semantic Analysis

- Attribute Grammars define how attributes are propagated in the parse tree.
- There are two types:
- S-attributed grammars (only synthesized attributes, works with bottom-up parsing).
- L-attributed grammars (uses both inherited and synthesized attributes, works with top-down parsing).

# Example

Consider the following grammar of signed binary numerals. We wish to translate it to decimal number

$$0 : S' \rightarrow N\$$$

$$1 : N \rightarrow S L$$

$$2 : S \rightarrow +$$

$$3 : S \rightarrow -$$

$$4 : L \rightarrow L B$$

$$5 : L \rightarrow B$$

$$6 : B \rightarrow 0$$

$$7 : B \rightarrow 1$$

# Syntax-Directed Definition (SDD)

<b>0 : <math>S' \rightarrow N</math></b>	<b>print N.val</b>
<b>1 : <math>N \rightarrow S L</math></b>	<b>if (S.sign == '-') N.val = - L.val;</b> <b>else N.val = L.val;</b>
<b>2 : <math>S \rightarrow +</math></b>	<b>S.sign = '+';</b>
<b>3 : <math>S \rightarrow -</math></b>	<b>S.sign = '-';</b>
<b>4 : <math>L \rightarrow L1 B</math></b>	<b>L.val = 2 * L1.val + B.val;</b>
<b>5 : <math>L \rightarrow B</math></b>	<b>L.val = B.val;</b>
<b>6 : <math>B \rightarrow 0</math></b>	<b>B.val = 0;</b>
<b>7 : <math>B \rightarrow 1</math></b>	<b>B.val = 1;</b>



# Synthesized Attribute

- In this example the value of an attribute of a non-terminal is either coming from the attributes of its children.
- This type of attribute is known as a synthesized attribute.
- An attributed grammar is called S-attributed if every attribute is synthesized.

0 :  $S' \rightarrow N$

print N.val

1 :  $N \rightarrow S L$

L.pos = 0

if (S.sign == '-') N.val = -L.val;

else N.val = L.val;

2 :  $S \rightarrow +$

S.sign = '+';

3 :  $S \rightarrow -$

S.sign = '-';

4 :  $L \rightarrow L1 B$

L1.pos = L.pos + 1;

B.pos = L.pos;

L.val = L1.val + B.val;

5 :  $L \rightarrow B$

B.pos = L.pos;

L.val = B.val;

6 :  $B \rightarrow 0$

B.val = 0;

7 :  $B \rightarrow 1$

B.val =  $2^{B.pos}$ ;

# Inherited Attribute

- Let  $B$  be a non-terminal of a parse tree node.
- An inherited attribute  $B.i$  is defined in terms of the attributes of the parent and sibling nodes of  $B$ .
- In the previous example the non-terminal  $L$  gets the attribute from  $T$  as an inherited attribute.

# L-Attributed Definitions

An SDD is called L-attributed ('L' for left) if each attribute is either synthesized, or inherited with the following restrictions

# S-Attributed Expression Grammar

$S \rightarrow E\$ \{ \text{print } E.\text{val} \}$

$E \rightarrow E1 + T \{ E.\text{val} = E1.\text{val} + T.\text{val} \}$

$E \rightarrow T \{ E.\text{val} = T.\text{val} \}$

$T \rightarrow T1 * F \{ T.\text{val} = T1.\text{val} * F.\text{val} \}$

$T \rightarrow F \{ T.\text{val} = F.\text{val} \}$

$F \rightarrow (E) \{ F.\text{val} = E.\text{val} \}$

$F \rightarrow \text{id} \{ F.\text{val} = \text{id}.\text{val} \}$

