

# Reinforcement Learning-Based Energy Management of Smart Home with Rooftop Solar Photovoltaic System, Energy Storage System, and Home Appliances

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Article

### Reinforcement Learning-Based Energy Management of Smart Home with Rooftop Solar Photovoltaic System, Energy Storage System, and Home Appliances

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**Abstract:** This paper presents a data-driven approach that leverages reinforcement learning to manage the optimal energy consumption of a smart home with a rooftop solar photovoltaic system, energy storage system, and smart home appliances. Compared to existing model-based optimization methods for home energy management systems, the novelty of the proposed approach is as follows: (1) a model-free Q-learning method is applied to energy consumption scheduling for an individual controllable home appliance (air conditioner or washing machine), as well as the energy storage system charging and discharging, and (2) the prediction of the indoor temperature using an artificial neural network assists the proposed Q-learning algorithm in learning the relationship between the indoor temperature and energy consumption of the air conditioner accurately. The proposed Q-learning home energy management algorithm, integrated with the artificial neural network model, reduces the consumer electricity bill within the preferred comfort level (such as the indoor temperature) and the appliance operation characteristics. The simulations illustrate a single home with a solar photovoltaic system, an air conditioner, a washing machine, and an energy storage system with the time-of-use pricing. The results show that the relative electricity bill reduction of the proposed algorithm over the existing optimization approach is 14%.

**Keywords:** home energy management system; reinforcement learning; artificial neural network; smart home; consumer comfort; smart grid

# Reinforcement Learning-Based Energy Management of Smart Home with Rooftop Solar Photovoltaic System, Energy Storage System, and Home Appliances

## □ Background

- TOU price : time-of-use price (Utility Company)
- Appliance Energy Consumption
- Outdoor Temperature (Weather Station)
- PV systems (solar photovoltaic)
- Comfort setting
- Appliance Parameters

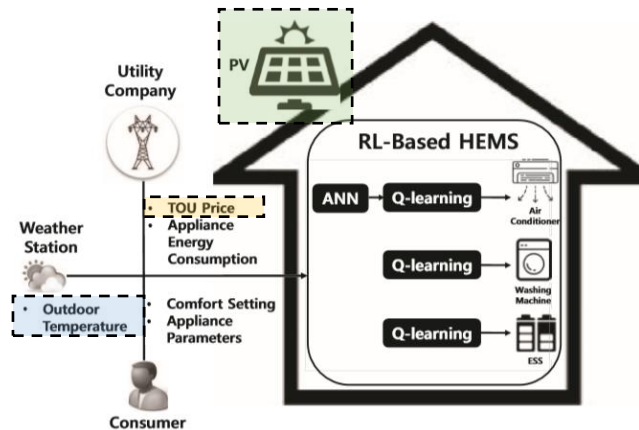
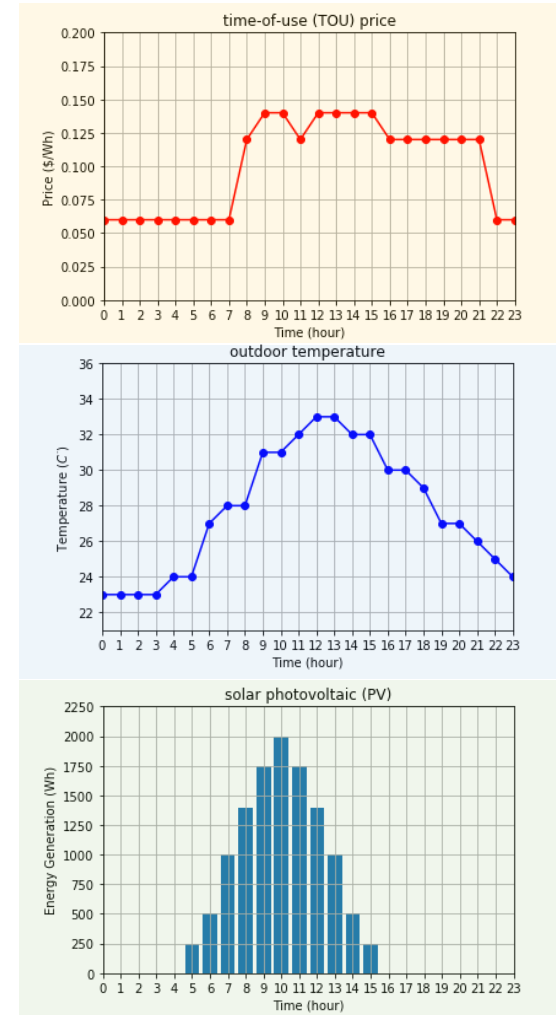


Figure 1. Illustration of the proposed home energy management system (HEMS) framework.



# Introduction

- Compared to the existing **model-based HEMS optimization** approaches, we propose a HEMS algorithm using a **model-free reinforcement learning (RL)**.
- The Q-learning method is applied to the energy consumption scheduling of different home appliances (**air conditioner**, **washing machine**, and **ESS**), whereby the agent of each appliance determines the optimal policy independently to **reduce its own electric cost within the consumer comfort level** and the appliance operation characteristics.
- An **ANN model** to learn the relationship between the indoor temperature and energy consumption of the air conditioner more accurately, which is integrated into the **Q-learning module to achieve improved performance of the air conditioner agent**.

Simulation showed two results.

1. Using reinforcement learning and ANN prediction techniques, power consumption and user dissatisfaction were reduced.
2. It can save more energy than the existing mixed-integer linear programming algorithm.

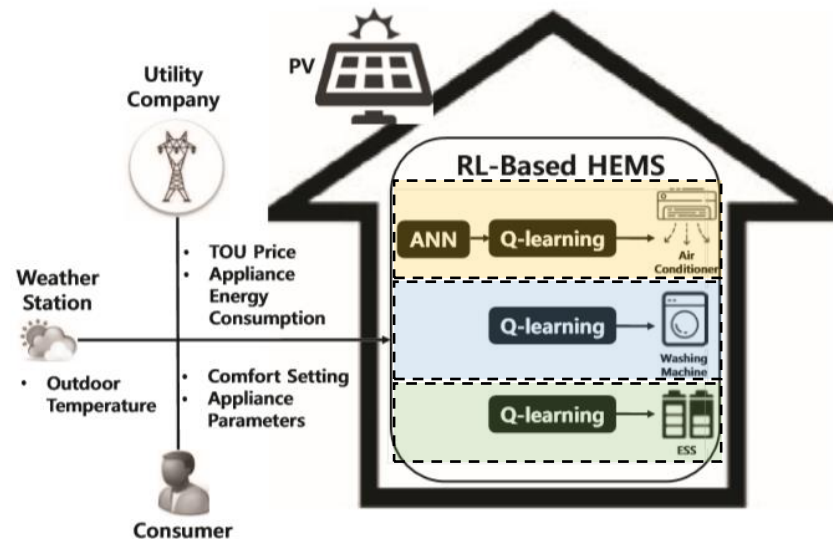


Figure 1. Illustration of the proposed home energy management system (HEMS) framework.

# Related Research

## ☐ **model-based HEMS optimization**

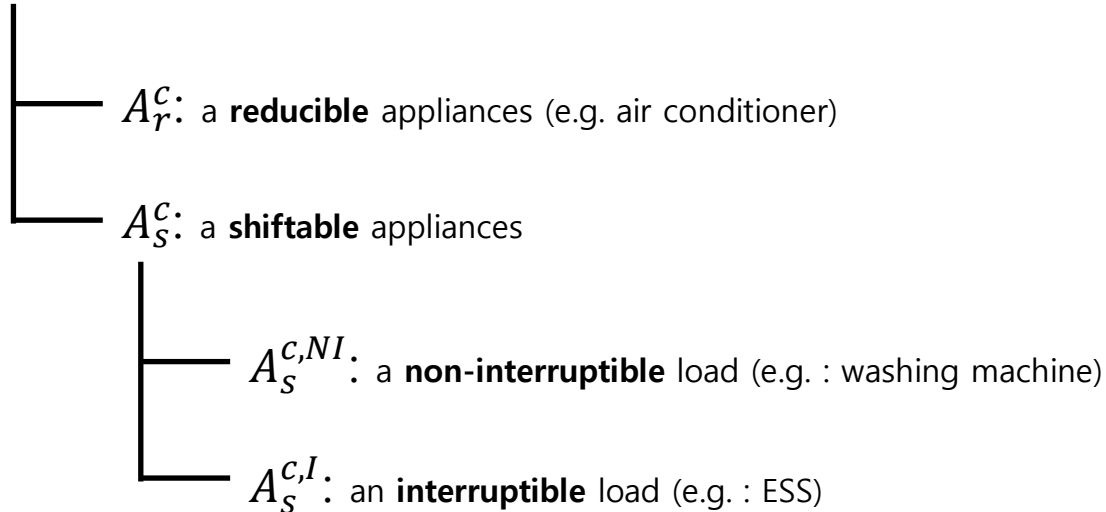
- the scheduling of different types of home appliances along with electric vehicles using linear programming (LP)
- load scheduling considering the consumer comfort level using mixed integer nonlinear programming (MINLP)
- convex programming based on relaxed MINLP using an L1 regularization technique
- load scheduling for a single consumer or multiple consumers using MILP
- LP-based joint optimization of energy supplies and electric loads through three-stage scheduling (prediction, supply control, and demand control)
- the natural aggregation algorithm (NAA)-based HEMS method consisting of forecasting, day-ahead scheduling, and actual operation
- robust optimization for the scheduling of home appliances to resolve the uncertainty of consumer behavior the outdoor temperature and consumer comfort levels and distributed HEMS architectures consisting of a local and global HEMS.
- using real-time pricing, a HEMS optimization method that considers the operational dependency of various types of home appliances and consumer life style requirements was proposed in

## ☐ **model-free reinforcement learning (RL)**

# System Model for HEMS

## □ Preliminary

$A^c$  : A controllable appliance is an appliance of which the operation is scheduled and controlled by the HEMS.



$A^{uc}$  : An uncontrollable appliance cannot be scheduled and operated by the HEMS. (e.g. : TV, PC or lighting)

Therefore,  $A^{uc}$  maintains the fixed energy consumption scheduling.

# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

### Object Function

$$\min_{E_t^{net}, T_t^{in}} \underbrace{\sum_{t \in T} \pi_t E_t^{net}}_{J_1(E_t^{net})} + \underbrace{\epsilon \sum_{t \in T} |T_t^{in} - T_t^{set}|}_{J_2(T_t^{in})}$$

Total electricity cost                      Total penalty  
(consumer discomfort cost)

- $\pi_t$  : the TOU price
- $E_t^{net}$  : net energy consumption

- $T_t^{set}$  : the preferred consumer temperature
- $T_t^{in}$  : the indoor temperature
- $\epsilon$  : Penalty for consumer thermal discomfort cost.

# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

### Constraint 1 (Net Power Consumption)

$$E_t^{\text{net}} = \sum_{a \in \mathcal{A}} E_{a,t} - \hat{E}_t^{\text{PV}}, \quad \text{the predicted PV generation output} \quad (2)$$

$$\sum_{a \in \mathcal{A}} E_{a,t} = \sum_{a \in \mathcal{A}_r^c} E_{a,t} + \sum_{a \in \mathcal{A}_s^{c,NI}} E_{a,t} + \sum_{a \in \mathcal{A}_s^{c,I}} (E_{a,t}^{\text{ch}} - E_{a,t}^{\text{dch}}) + \sum_{a \in \mathcal{A}^{uc}} E_{a,t}. \quad (3)$$

- $\mathcal{A}_r^c$ : a **reducible** appliances (e.g. AC)
- $\mathcal{A}_s^c$ : a **shiftable** appliances
- $\mathcal{A}_s^{c,NI}$ : a **non-interruptible** load (e.g. : WM)
- $\mathcal{A}_s^{c,I}$ : an **interruptible** load (e.g. : ESS)
- $\mathcal{A}^{uc}$  : An **uncontrollable appliance** cannot be scheduled and operated by the HEMS.
- $E_t^{\text{net}}$ : Net energy consumption at time slot  $t$
- $E_{a,t}^{\text{ch}}$ : Charging energy of ESS  $a$  at time slot  $t$
- $E_{a,t}^{\text{dch}}$ : Discharging energy of ESS  $a$  at time slot  $t$



# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

### Constraint 2 (Operating Characteristics for Controllable Appliances)

*e.g. air conditioner*

*Constraint for the temperature dynamics of the reducible appliance*

$$T_t^{\text{in}} = T_{t-1}^{\text{in}} + \alpha(\hat{T}_{t-1}^{\text{out}} - T_{t-1}^{\text{in}}) + \beta E_{a,t}, \quad (4)$$

$$T^{\text{min}} \leq T_t^{\text{in}} \leq T^{\text{max}}, \quad \text{Consumer preferred indoor temperatures range} \quad (5)$$

$$E_a^{\text{min}} \leq E_{a,t} \leq E_a^{\text{max}}. \quad \text{Capacity range} \quad (6)$$

- 
- $T_t^{\text{in}}$ : in-door temperature at time  $t$
  - $T_{t-1}^{\text{in}}$ : in-door temperature at time  $t - 1$
  - $\hat{T}_{t-1}^{\text{out}}$ : the predicted outdoor temperature at time  $t - 1$
  - $E_{a,t}$ : the energy consumption of the reducible appliances
  - $\alpha, \beta$ : the environmental parameters

# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

**Constraint 3** (the desired operation of shiftable appliances with a non-interruptible load)  
*e.g. washing machine*

$$b_{a,t}^{c,NI} = 0, \quad t \in [1, \omega_s^{\text{pref}}) \cup (\omega_f^{\text{pref}}, T], \quad (7)$$

$$\sum_{t=\omega_s^{\text{pref}}}^{\omega_f^{\text{pref}}} b_{a,t}^{c,NI} = L_a, \quad (8)$$

$$\sum_{t=p}^{p+L_a-1} b_{a,t}^{c,NI} \geq (b_p^{c,NI} - b_{p-1}^{c,NI})L_a, \quad \forall p \in (\omega_s^{\text{pref}}, \omega_f^{\text{pref}} - L_a + 1) \quad (9)$$

$$E_{a,t} = b_{a,t}^{c,NI} E_a^{\text{max}}. \quad (10)$$

- 
- $b_{a,t}^{c,NI}$ : the binary decision variable, "1" for consumption, "0" otherwise
  - $L_a$ : the operation period of  $L_a$  hours during a day
  - $E_a^{\text{max}}$ : Maximum consumption of appliance  $a$

# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

**Constraint 4 (the operational dynamics of the state of energy (SOE) for the ESS)**  
*e.g. ESS*

$$SOE_{a,t} = SOE_{a,t-1} + \eta_a^{ch} E_{a,t}^{ch} - \frac{E_{a,t}^{dch}}{\eta_a^{dch}}, \quad (11)$$

$$SOE_a^{min} \leq SOE_{a,t} \leq SOE_a^{max}, \quad (12)$$

$$E_a^{ch,min} b_{a,t}^{c,I} \leq E_{a,t}^{ch} \leq E_a^{ch,max} b_{a,t}^{c,I}, \quad (13)$$

$$E_a^{dch,min} (1 - b_{a,t}^{c,I}) \leq E_{a,t}^{dch} \leq E_a^{dch,max} (1 - b_{a,t}^{c,I}). \quad (14)$$

- 
- $\eta_a^{ch}, \eta_a^{dch}$ : the charging and discharging efficiency
  - $E_{a,t}^{ch}, E_{a,t}^{dch}$ : the charging and discharging energy
  - $SOE_a^{min}, SOE_a^{max}$ : the SOE capacity constraint with  $SOE_a^{min}$  and  $SOE_a^{max}$
  - $b_{a,t}^{c,I}$ : the binary decision variable that determines the ESS on/off status "1" for charging, "0" otherwise
  - $E_a^{dch,max}, E_a^{dch,min}$ : Maximum (Minimum) discharging energy of ESS  $a$

# System Model for HEMS

## □ Conventional HEMS Optimization Formulation

MINLP -> MILP by means of the linearization of the nonlinear o.f.

$$\min_{E_t^{net}, T_t^{in}} \sum_{t \in T} \pi_t E_t^{net} + \epsilon \sum_{t \in T} |T_t^{in} - T_t^{set}|. \quad \text{Non-linear} \quad (15)$$

$$\Delta T_t = |T_t^{in} - T_t^{set}|, \quad (16)$$

$$\Delta T_t \geq T_t^{in} - T_t^{set}, \quad (17)$$

$$\Delta T_t \geq T_t^{set} - T_t^{in}. \quad \text{Linear}$$

- MINLP (mixed-integer non-linear programming)
- MILP (mixed-integer linear programming)

# Formulation of RL- and ANN-Based Home Energy Management

## □ Home Energy Management via Q-Learning

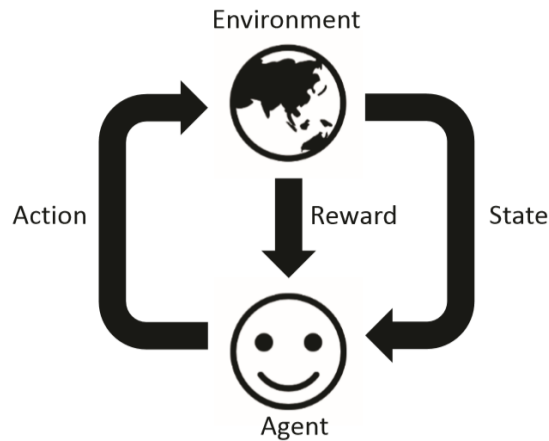


Figure 2. Conceptual architecture of reinforcement learning (RL).

$s_t$  : State at time slot  $t$

$a_t$  : Action at time slot  $t$

$r(s_t, a_t)$  : Reward at time slot  $t$

$Q(s_t, a_t)$  : Function that tells how good an action is in which  $s_t$

## Bellman equation

$$Q_v^*(s_t, a_t) = r(s_t, a_t) + \gamma \max Q(s_{t+1}, a_{t+1}).$$

$$\gamma \in [0, 1]$$

discount rate = 0.9

$$Q(s_t, a_t) \leftarrow (1 - \theta)Q(s_t, a_t) + \theta[r(s_t, a_t) + \gamma \max Q(s_{t+1}, a_{t+1})].$$

*update*

$$\theta \in [0, 1]$$

learning rate = 0.1

$$v^* = \arg \max Q(s_t, a_t).$$

# Formulation of RL- and ANN-Based Home Energy Management

## □ Home Energy Management via Q-Learning

### State Space

$$\underbrace{\mathcal{S}^{\text{WM}}}_{\text{set}} = \{E_t^{\text{WM}}\}, \quad \mathcal{S}^{\text{AC}} = \{E_t^{\text{AC}}\}, \quad \mathcal{S}^{\text{ESS}} = \{\text{SOE}_t^{\text{ESS}}\}, \quad \forall t = 1, \dots, 24,$$

### Action

$$\begin{aligned} \mathcal{A}^{\text{WM}} &= \{\text{On}, \text{Off}\}, \\ \mathcal{A}^{\text{AC}} &= \{0, \Delta E^{\text{AC}}, 2\Delta E^{\text{AC}}, \dots, 8\Delta E^{\text{AC}}, 9\Delta E^{\text{AC}}\}, \\ \mathcal{A}^{\text{ESS}} &= \{-4\Delta E^{\text{ESS}}, -3\Delta E^{\text{ESS}}, -2\Delta E^{\text{ESS}}, -1\Delta E^{\text{ESS}}, 0, 1\Delta E^{\text{ESS}}, 2\Delta E^{\text{ESS}}, 3\Delta E^{\text{ESS}}, 4\Delta E^{\text{ESS}}\}. \end{aligned}$$

### Reward

$$r^{\text{Total}} = r_t^{\text{WM}} + r_t^{\text{AC}} + r_t^{\text{ESS}}.$$

- $\Delta E^{\text{AC}} = 40\text{Wh}$ ,  $\Delta E^{\text{ESS}} = 150\text{Wh}$

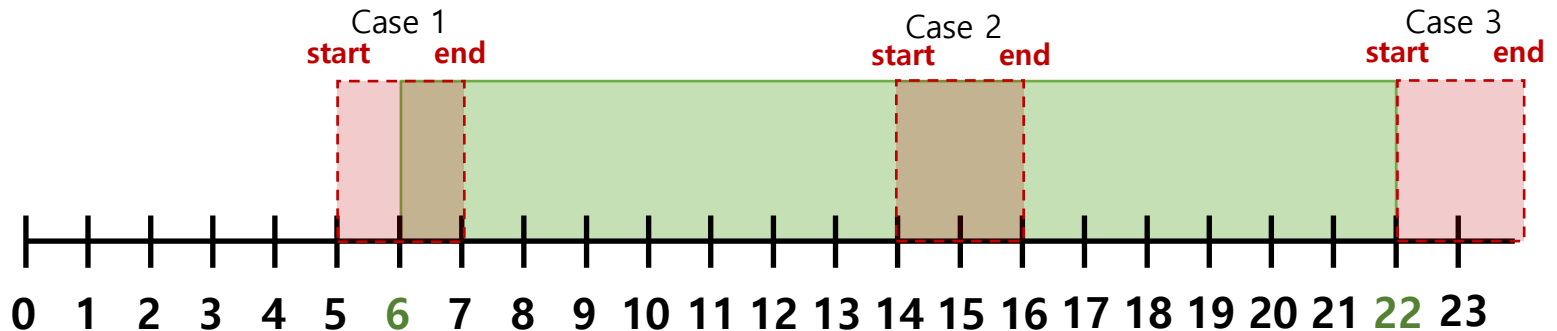
# Formulation of RL- and ANN-Based Home Energy Management

## □ Home Energy Management via Q-Learning

- (i) the reward function for the **WM** agent is expressed as the electric cost and consumer undesired operation of the **WM**

$$r_t^{\text{WM}} = \begin{cases} -[\pi_t E_t^{\text{WM}} + \bar{\delta}(\omega_s^{\text{pref}} - t)], & \text{if } t < \omega_s^{\text{pref}}, \\ -[\pi_t E_t^{\text{WM}} + \underline{\delta}(t - \omega_f^{\text{pref}})], & \text{if } t > \omega_f^{\text{pref}}, \\ -\pi_t E_t^{\text{WM}}, & \text{otherwise,} \end{cases}$$

Case 1  
Case 2  
Case 3



- $\omega_s^{\text{pref}}, \omega_f^{\text{pref}}$  : the consumer **preferred starting** and **finishing** times of the WM
- $\bar{\delta}, \underline{\delta}$  : the **penalties** for **early** and **late** operation, respectively, compared to the consumer preferred operation interval

# Formulation of RL- and ANN-Based Home Energy Management

## □ Home Energy Management via Q-Learning

(ii) the reward function for the **AC** agent is expressed as the electric cost and consumer thermal discomfort of the **AC**

Prediction of Indoor Temperature via ANN

$$r_t^{\text{AC}} = \begin{cases} -[\pi_t E_t^{\text{AC}} + \kappa(T^{\text{min}} - T_t^{\text{in}})] , & \text{if } T_t^{\text{in}} < T^{\text{min}}, \\ -[\pi_t E_t^{\text{AC}} + \kappa(T_t^{\text{in}} - T^{\text{max}})] , & \text{if } T_t^{\text{in}} > T^{\text{max}}, \\ -\pi_t E_t^{\text{AC}}, & \text{otherwise,} \end{cases}$$

- $T_t^{\text{in}}$  : **Prediction of Indoor** Temperature via ANN
- $T^{\text{min}}, T^{\text{max}}$  : the consumer **preferred temperature**
- $\kappa$  : the **penalty** for the consumer thermal discomfort



# Formulation of RL- and ANN-Based Home Energy Management

## □ Home Energy Management via Q-Learning

(iii) the reward function for the ESS agent consists of a negative electric cost and negative energy underutilization cost

$$r_t^{\text{ESS}} = \begin{cases} -[\pi_t E_t^{\text{ESS}} + \bar{\tau}(SOE_t - SOE^{\text{max}})], & \text{if } SOE_t > SOE^{\text{max}}, \text{ overcharging} \\ -[\pi_t E_t^{\text{ESS}} + \underline{\tau}(SOE^{\text{min}} - SOE_t)], & \text{if } SOE_t < SOE^{\text{min}}, \text{ undercharging} \\ -\pi_t E_t^{\text{ESS}}, & \text{otherwise,} \end{cases}$$

- $SOE_t$  : State of energy of ESS
- $SOE^{\text{max}}, SOE^{\text{min}}$  : Maximum (Minimum) state of energy of ESS
- $\bar{\tau}, \underline{\tau}$  : the **penalties** for the ESS **overcharging** and **undercharging**

# Formulation of RL- and ANN-Based Home Energy Management

## □ Prediction of Indoor Temperature via ANN

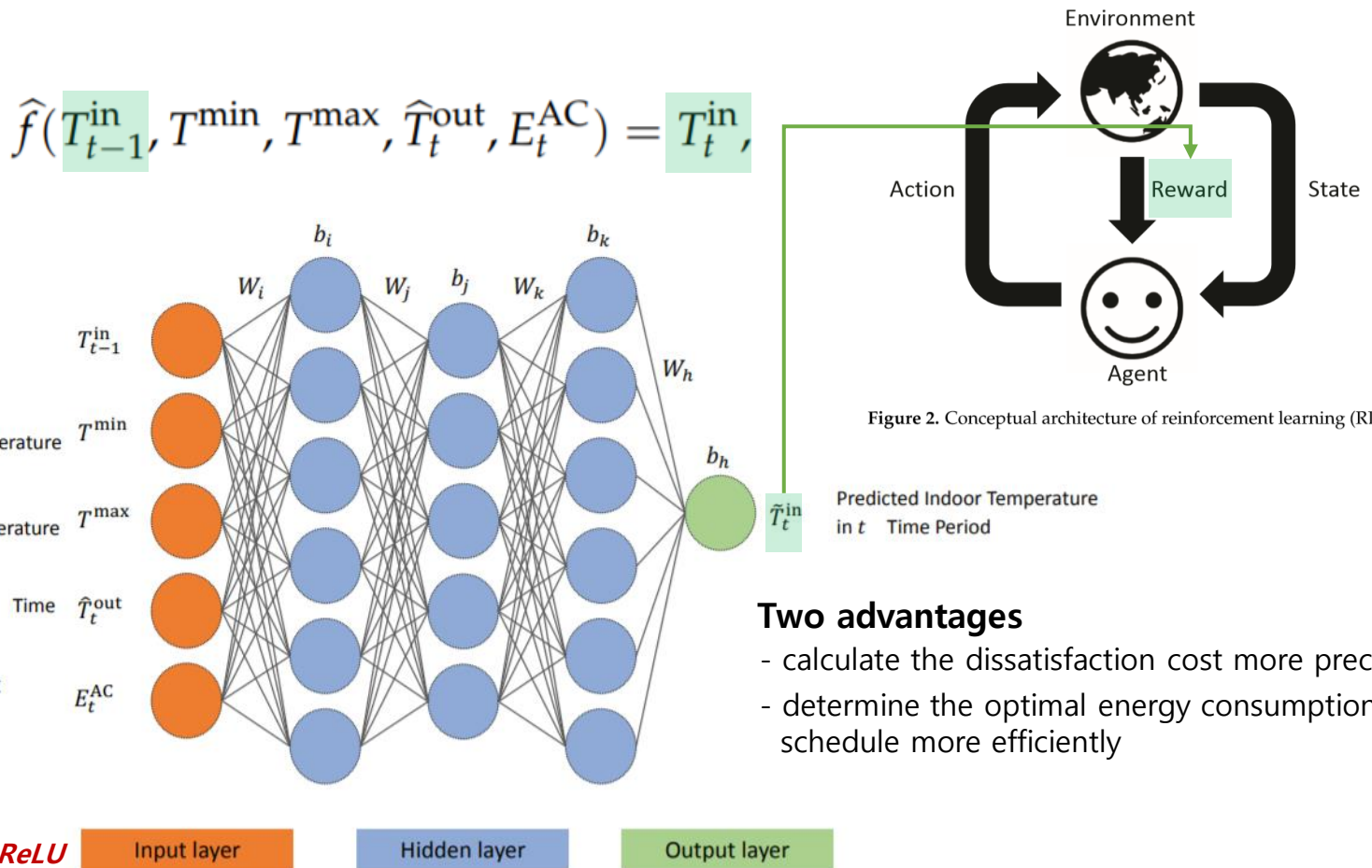


Figure 3. Architecture of the proposed artificial neural network (ANN) model.

# Formulation of RL- and ANN-Based Home Energy Management

## □ Algorithm

**Algorithm 1:** Q-learning-based energy management of smart home with PV system, ESS, and home appliances.

- 1 Initialize each appliance's energy demand, dissatisfaction parameters, and Q-learning parameters
- 2 %%Learning with ANN for temperature prediction of AC agent
- 3 Indoor temperature at time period  $t - 1 \rightarrow T_{t-1}^{\text{in}}$
- 4 Minimum and maximum value of consumer's comfort temperature range  $\rightarrow T^{\text{min}}, T^{\text{max}}$
- 5 Predicted outdoor temperature at time  $t \rightarrow \hat{T}_t^{\text{out}}$
- 6 Energy consumption of AC agent at time  $t \rightarrow E_t^{\text{AC}}$
- 7 Predicted indoor temperature at time  $t \rightarrow T_t^{\text{in}}$
- 8 Learning process with ANN and approximate the temperature prediction model  $\hat{f}$
- 9  $T_t^{\text{in}} = \hat{f}(T_{t-1}^{\text{in}}, T^{\text{max}}, T^{\text{min}}, \hat{T}_t^{\text{out}}, E_t^{\text{AC}})$
- 10 Initialize Q-value of each agent
- 11 **for**  $\text{episode} = 1, \text{MaxEpisode}$  **do**
- 12     ▷ Initialize state, action and time period
- 13     **for**  $\text{time step} = 1, 24$  **do**
- 14         ▷ Select  $a_t$  from present  $s_t$  using  $\epsilon$ -greedy policy
- 15         ▷ Take action  $a_t$ ; observe  $r(s_t, a_t)$  and  $s_{t+1}$
- 16          $Q(s_t, a_t) \leftarrow (1 - \theta)Q(s_t, a_t) + \theta [r(s_t, a_t) + \gamma \max_{a'} Q(s_{t+1}, a')]$
- 17     **end**
- 18 **end**
- 19 Find optimal policy with largest Q-value

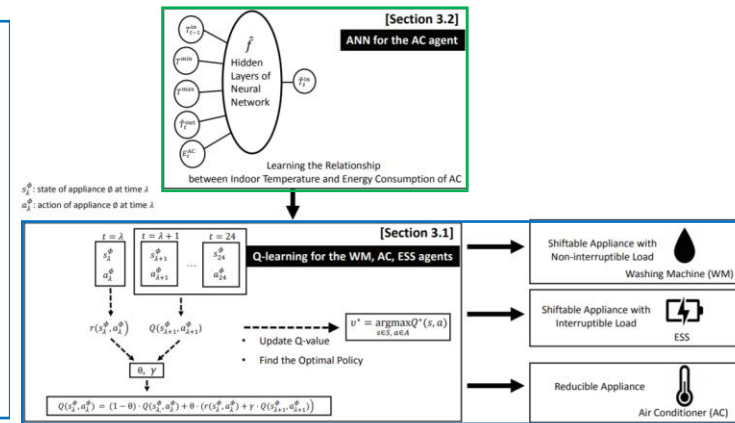
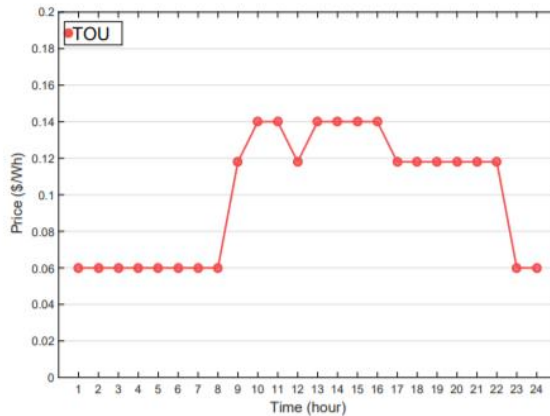


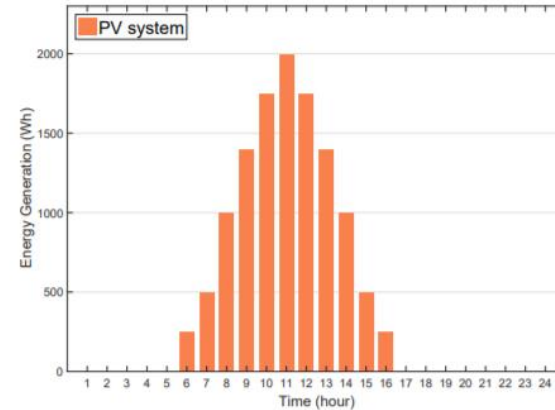
Figure 4. Overall architecture of the proposed HEMS algorithm using Q-learning and ANN.

# Numerical Examples

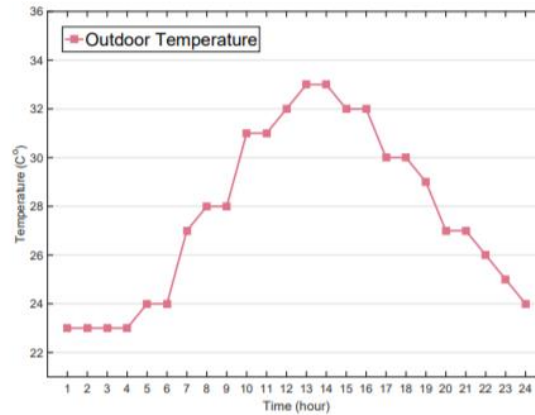
## □ Simulation Setup



(a)



(b)

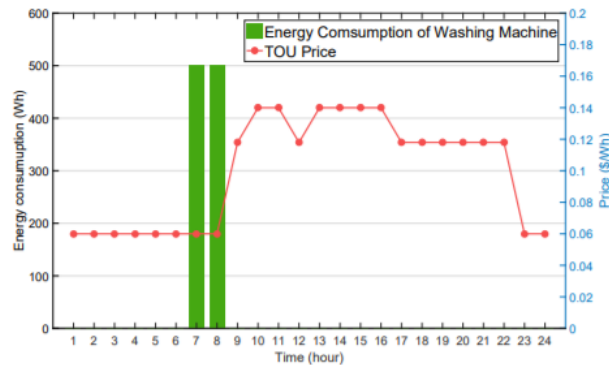


(c)

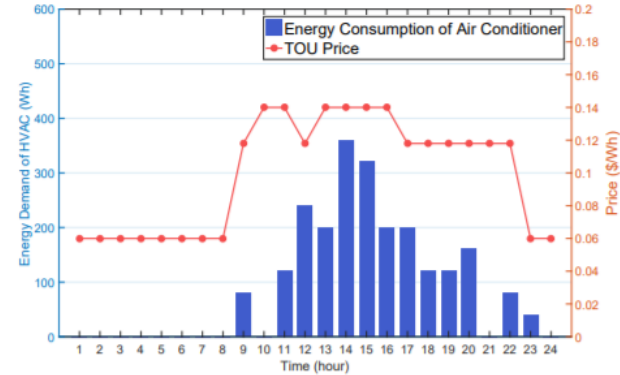
**Figure 5.** Profiles of electricity price and weather. (a) time-of-use (TOU) price; (b) solar photovoltaic (PV) generation; (c) outdoor temperature.

# Numerical Examples

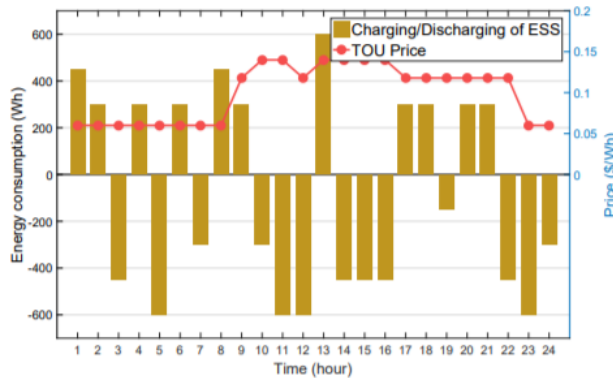
## □ Performance of the Proposed RL-Based HEMS Algorithm



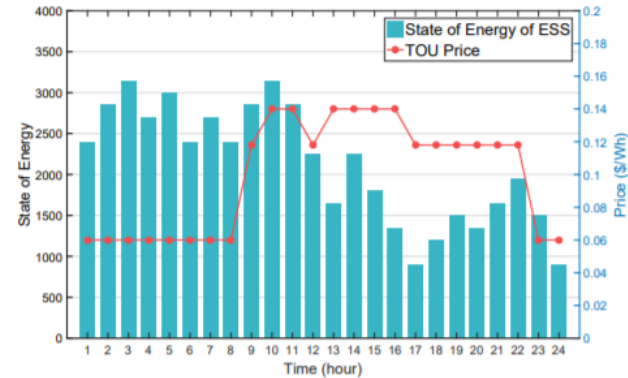
(a)



(b)



(c)



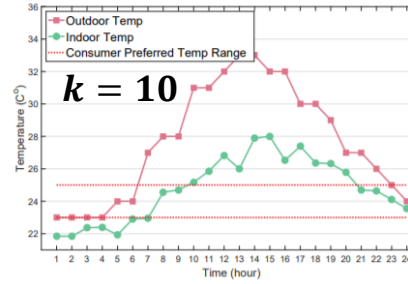
(d)

**Figure 6.** RL-based day-ahead operating schedule of appliance under TOU pricing tariff. (a) energy consumption of washing machine (WM); (b) energy consumption of air conditioner (AC); (c) charging and discharging of energy storage system (ESS); (d) state of energy (SOE) of ESS.

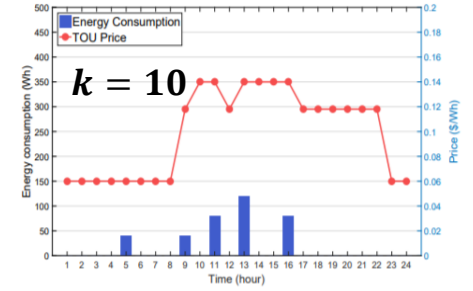
# Numerical Examples

## □ Impact of Different Parameters in Reward Function on the Proposed Algorithm

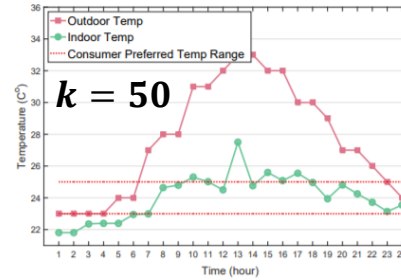
$$r_t^{\text{AC}} = \begin{cases} -[\pi_t E_t^{\text{AC}} + \kappa(T^{\text{min}} - T_t^{\text{in}})] , & \text{if } T_t^{\text{in}} < T^{\text{min}}, \\ -[\pi_t E_t^{\text{AC}} + \kappa(T_t^{\text{in}} - T^{\text{max}})] , & \text{if } T_t^{\text{in}} > T^{\text{max}}, \\ -\pi_t E_t^{\text{AC}}, & \text{otherwise,} \end{cases}$$



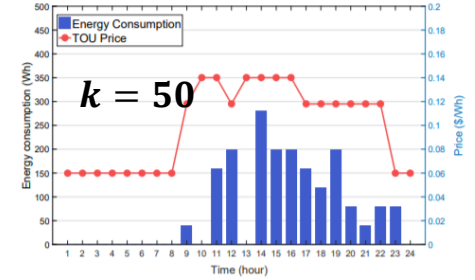
(a)



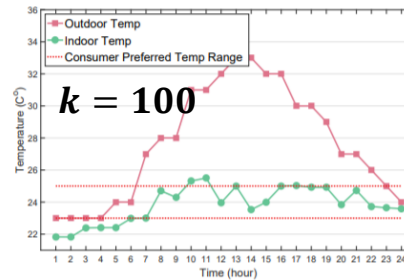
(d)



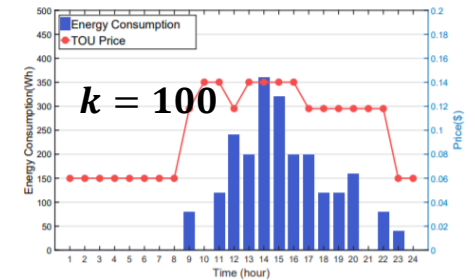
(b)



(e)



(c)



(f)

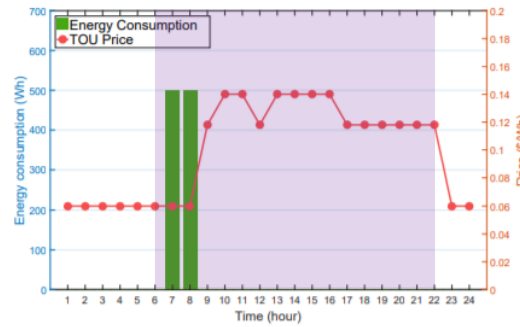
**Figure 7.** Impact of different penalties ( $\kappa$ ) for AC scheduling on indoor temperature ( $T_t^{\text{in}}$ ) and energy consumption ( $E_{a,t}$ ). (a)  $T_t^{\text{in}}$  with  $\kappa = 10$ ; (b)  $T_t^{\text{in}}$  with  $\kappa = 50$ ; (c)  $T_t^{\text{in}}$  with  $\kappa = 100$ ; (d)  $E_{a,t}$  with  $\kappa = 10$ ; (e)  $E_{a,t}$  with  $\kappa = 50$ ; (f)  $E_{a,t}$  with  $\kappa = 100$ .



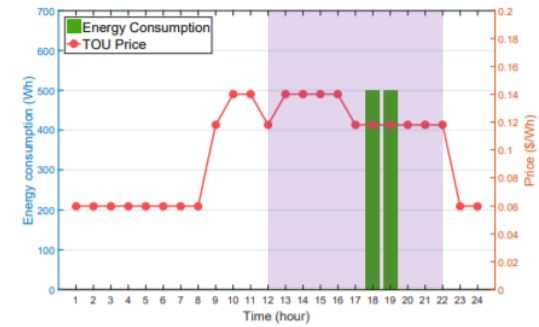
# Numerical Examples

## □ Impact of Different Parameters in Reward Function on the Proposed Algorithm

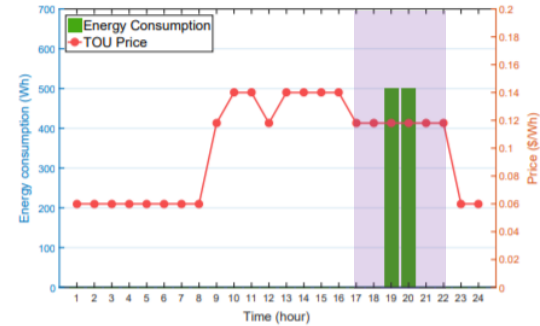
$$r_t^{\text{WM}} = \begin{cases} -[\pi_t E_t^{\text{WM}} + \bar{\delta}(\omega_s^{\text{pref}} - t)], & \text{if } t < \omega_s^{\text{pref}}, \\ -[\pi_t E_t^{\text{WM}} + \underline{\delta}(t - \omega_f^{\text{pref}})], & \text{if } t > \omega_f^{\text{pref}}, \\ -\pi_t E_t^{\text{WM}}, & \text{otherwise,} \end{cases}$$



(a)



(b)

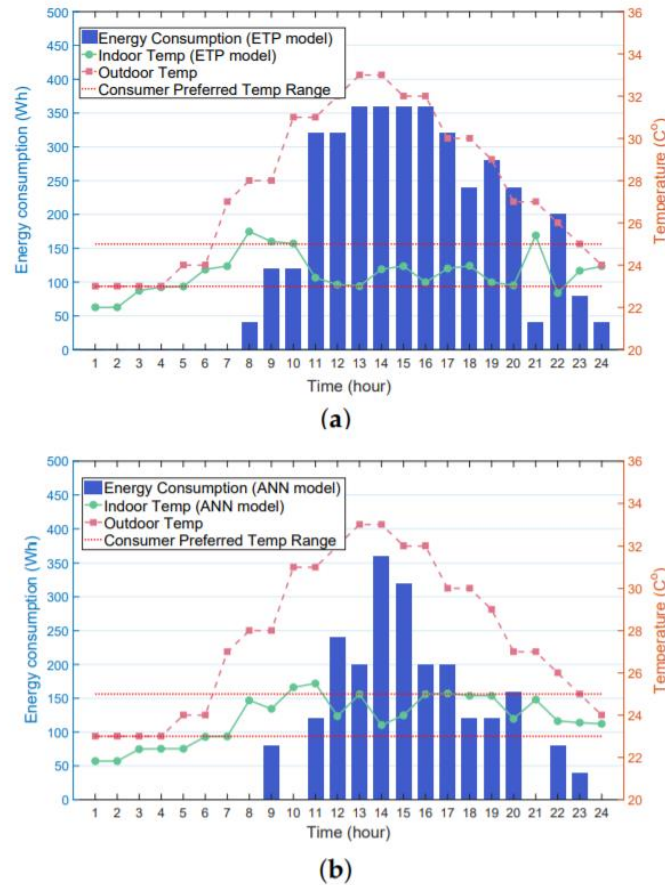


(c)

**Figure 8.** Impact of different preferred operating time interval  $[\omega_s^{\text{pref}}, \omega_f^{\text{pref}}]$  for WM scheduling on energy consumption ( $E_{a,t}$ ). (a) (6:00 a.m., 10:00 p.m.); (b) (12:00 p.m., 10:00 p.m.); (c) (5:00 p.m., 10:00 p.m.).

# Numerical Examples

## □ Impact of ANN on AC Agent Performance

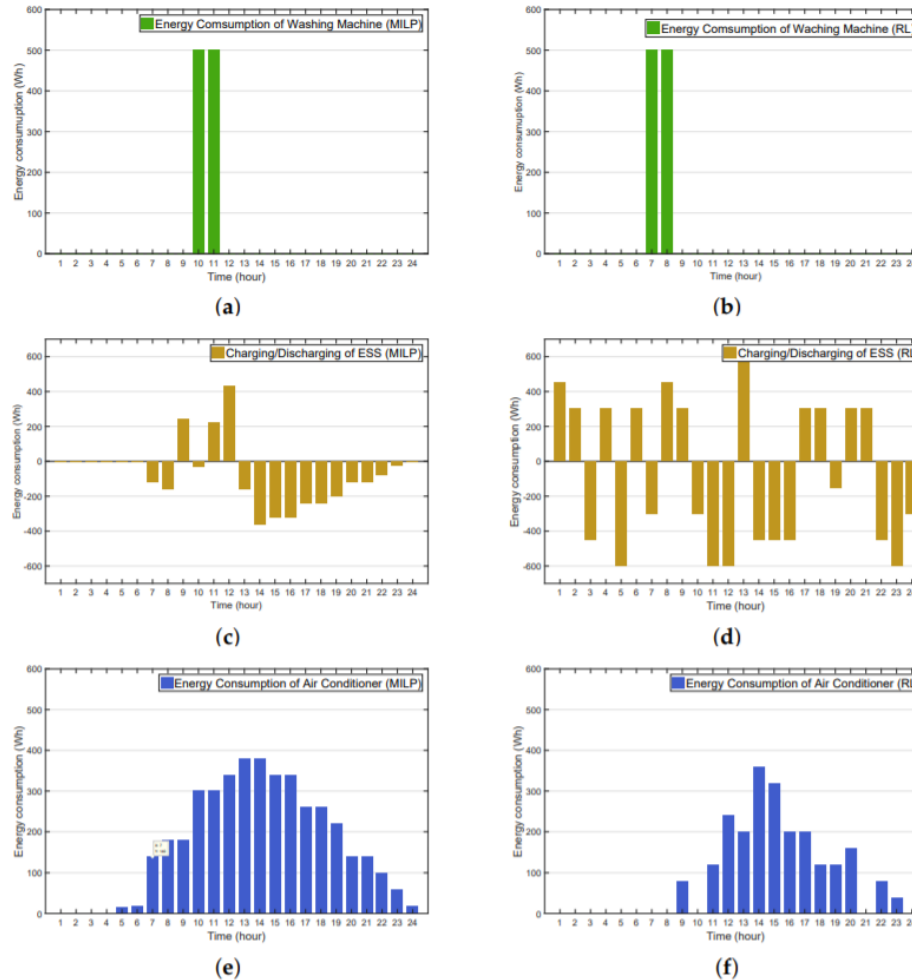


**Figure 9.** RL-based day-ahead energy consumption schedule of air conditioner through indoor temperature prediction using: (a) equivalent thermal parameters (ETP) model; (b) ANN model.



# Numerical Examples

## □ Performance Comparison between MILP- and RL-Based HEMS

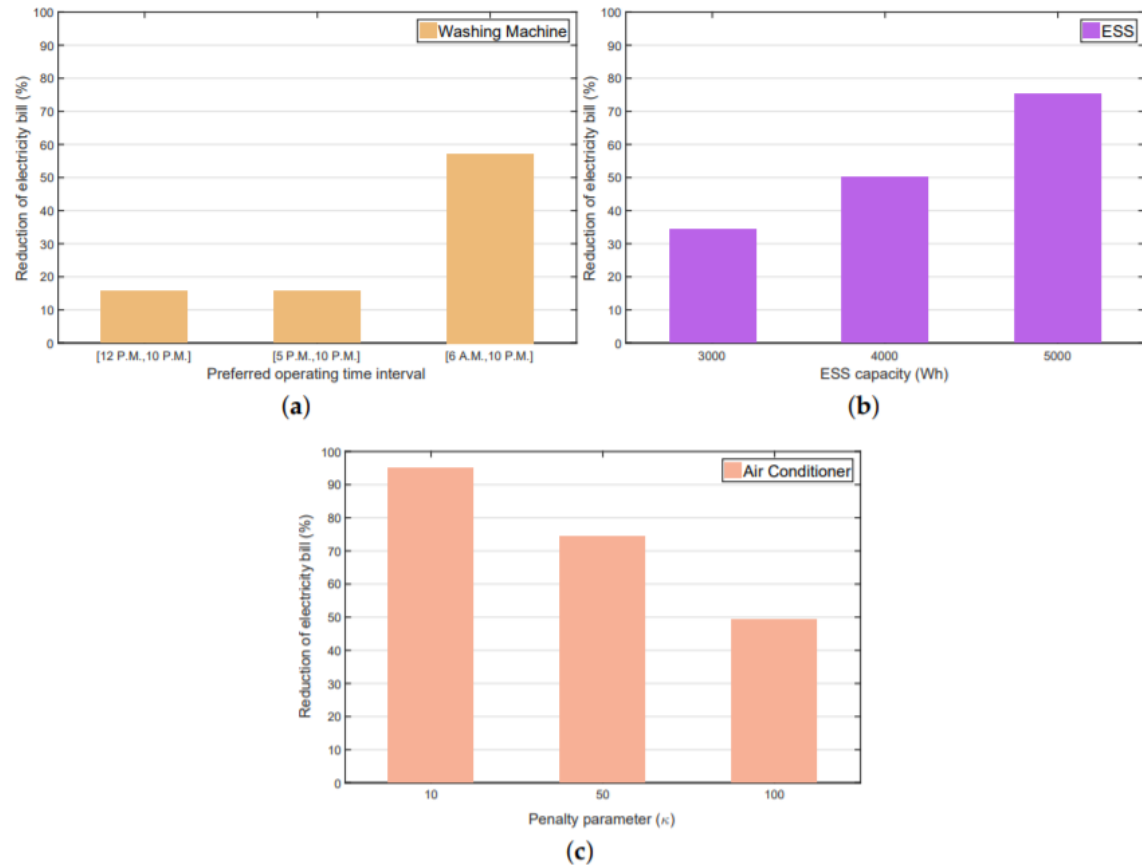


**Figure 10.** Comparison of energy consumption and charging/discharging energy between mixed-integer linear programming (MILP) and RL methods. (a) WM with MILP; (b) WM with RL; (c) ESS with MILP; (d) ESS with RL; (e) air conditioner (AC) with MILP; (f) AC with RL.

# Numerical Examples

## □ Performance Comparison between MILP- and RL-Based HEMS

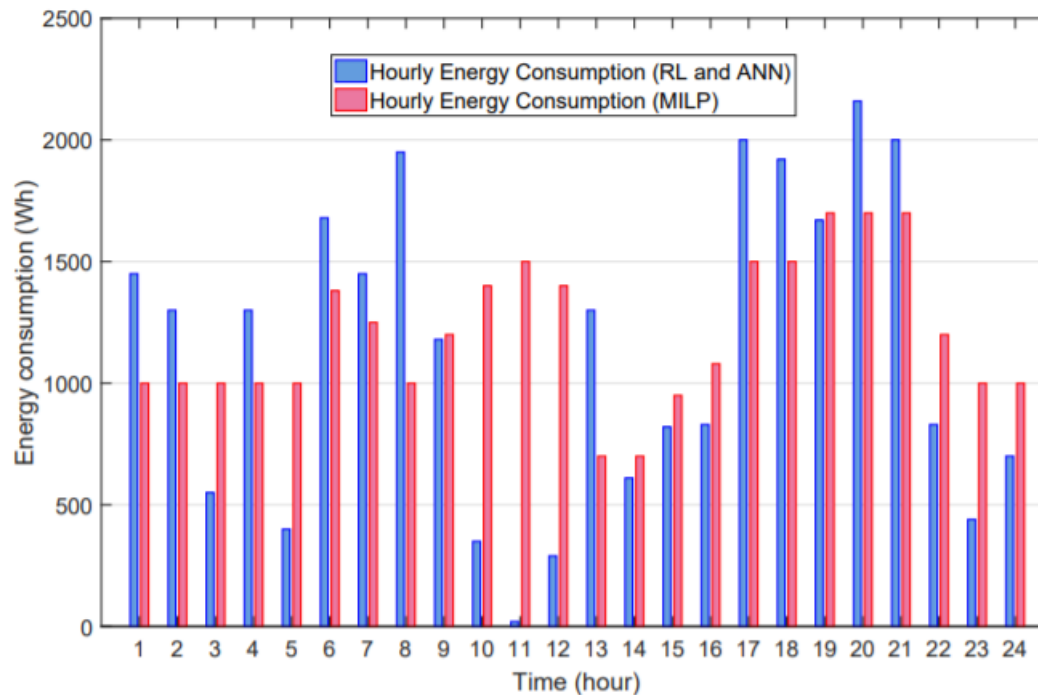
$$\frac{X^{\text{bill,MILP}} - X_p^{\text{bill,RL}}}{X^{\text{bill,MILP}}} \times 100(\%),$$



**Figure 11.** Reduction in electricity bill with different operating conditions of appliances. (a) WM under varying preferred operating time intervals; (b) ESS under varying capacity; (c) AC under varying penalty parameters.

# Numerical Examples

## □ Performance Comparison between MILP- and RL-Based HEMS



**Figure 12.** Comparison of hourly energy consumption schedule between MILP method and RL methods.

# Discussion / Future work

## □ Discussion

- Wholesale and Retail Electricity Markets under Real-Time Pricing (RTP)
- Electric Vehicle (EV) Integration
- Constraint of the Lifetime for ESS
- *Since the data used in the simulation is a deterministic value, it is different from reality.*

## □ Future work

- Develop A **multi-agent reinforcement learning algorithm**
- The practical implementation of the developed algorithm should be **tested in large-scale realistic electric power networks.**
- Plan to integrate advanced neural network models such as **recurrent neural networks and long short-term memory** in the proposed framework to **improve the prediction accuracy of the indoor temperature.**

# Code implementation

## Visualization

- “AC\_agent” 에 넘기는 reward에 따라 결과가 다름

$$T_t^{\text{in}} = \hat{f}(T_{t-1}^{\text{in}}, T^{\text{max}}, T^{\text{min}}, \hat{T}_t^{\text{out}}, E_t^{\text{AC}}) \quad \times$$



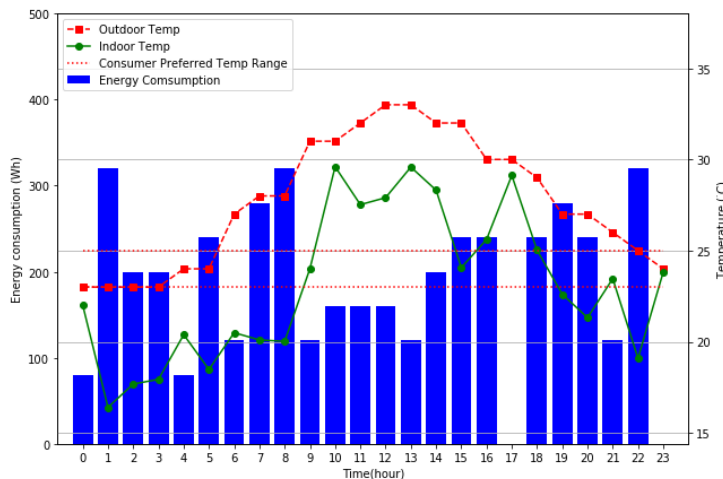
$$T_t^{\text{in}} = T_{t-1}^{\text{in}} + \alpha(\hat{T}_{t-1}^{\text{out}} - T_{t-1}^{\text{in}}) + \beta E_{a,t}, \quad \circ$$

수집된 data 가 없는 관계로  
ETP 식으로 대체



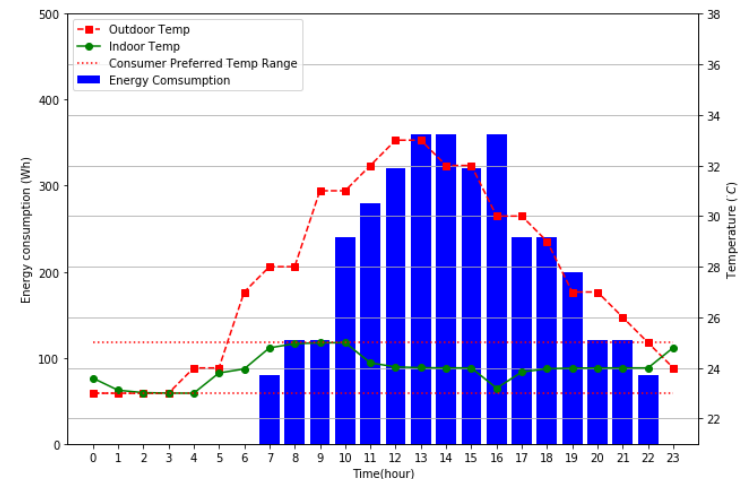
paper

$$\text{reward} = r_t^{\text{WM}} + r_t^{\text{AC}} + r_t^{\text{ESS}}$$



our code

$$\text{reward} = r_t^{\text{AC}}$$

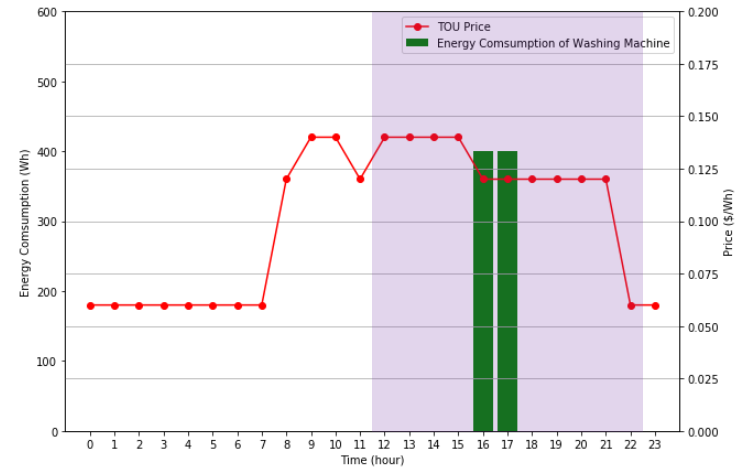
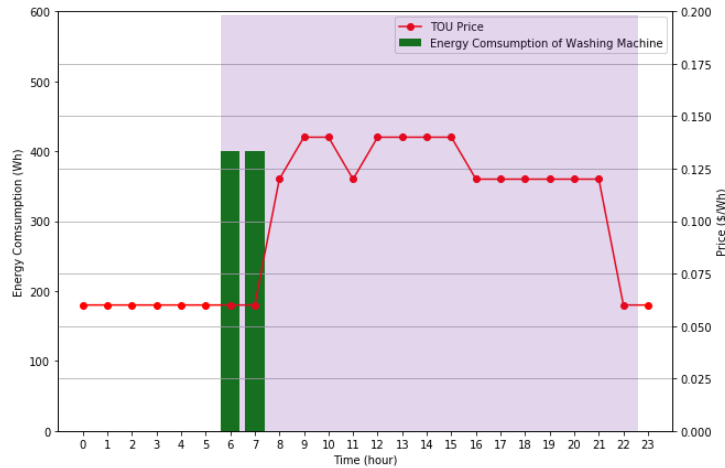


- ETP : the equivalent thermal parameters (ETP) model Equation

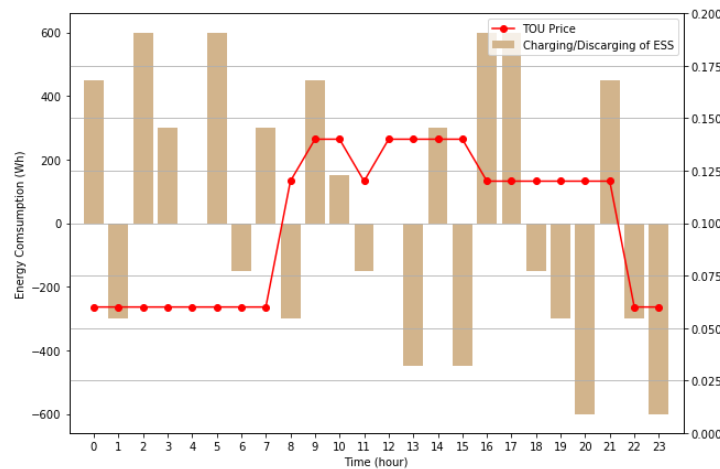
# Code implementation

## Visualization

- $[\omega_s^{pref}, \omega_f^{pref}]$  를 [6, 22] 및 [12, 22] 로 설정한 결과 TOU에 따라 스케줄이 다름을 확인



- 최종 "ESS\_agent"로 부터 도출된 시간 및 TOU에 따른 ESS 스케줄 시각화



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Intelligence  
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Energy  
Envisioning



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