

01 _ Given the head of a linked list, remove the nth node from the end of the list.

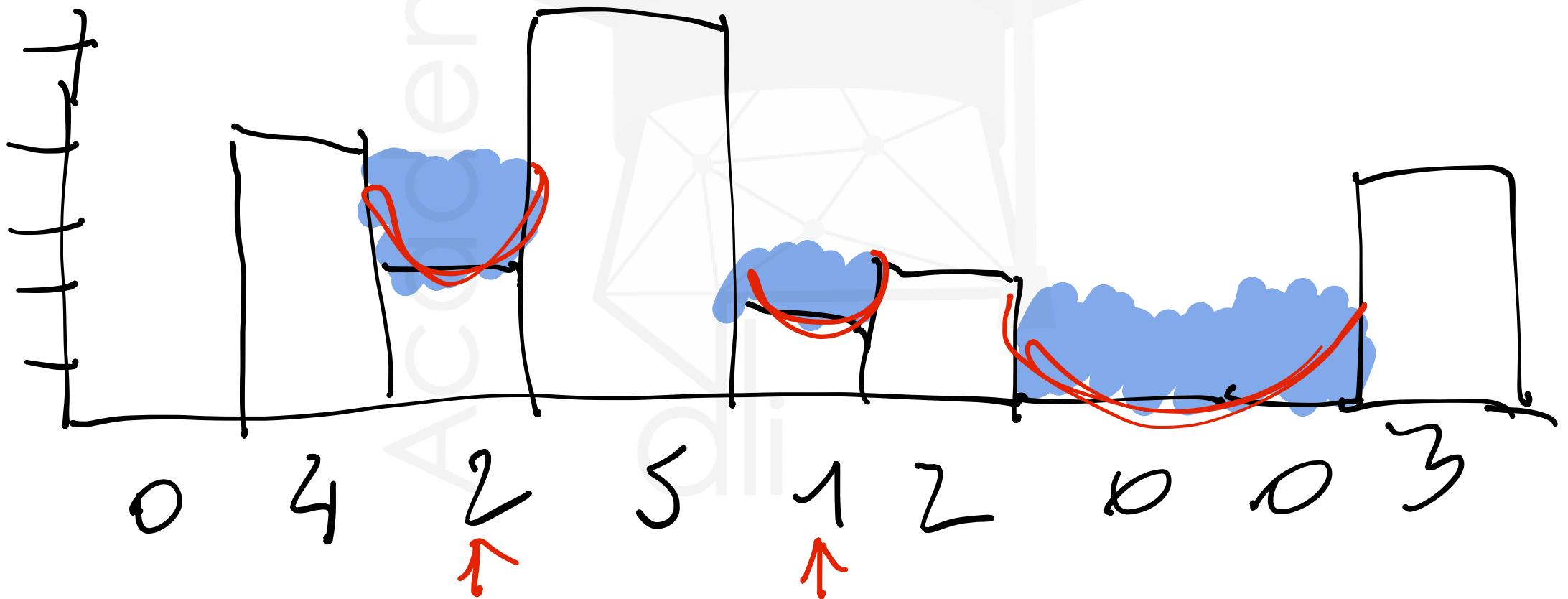


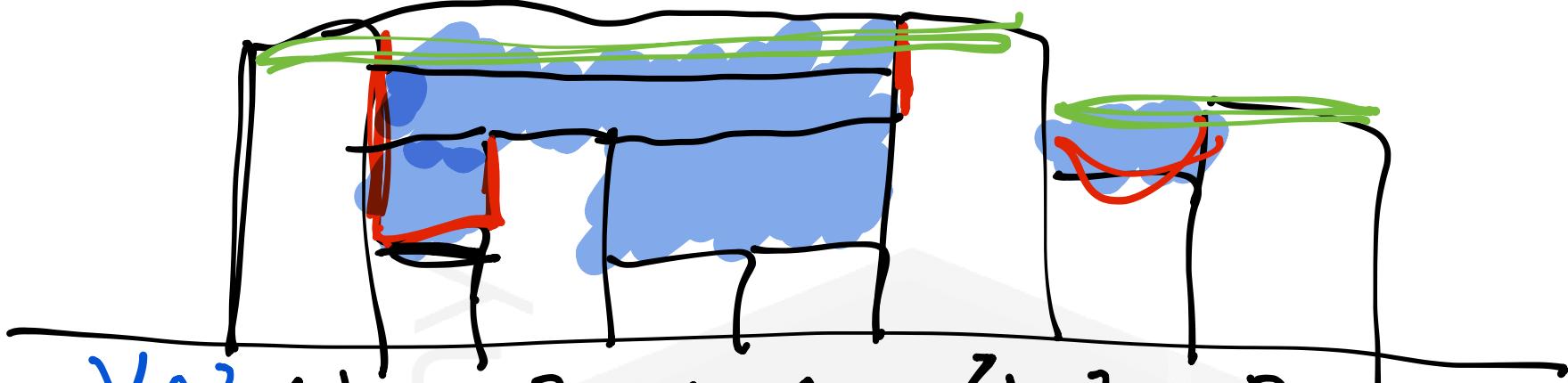
- ① FAST, SLOW ON HEAD
- ② FAST JUMPS OF $N+1$
- ③ BOTH JUMP UNTIL FAST HITS THE END

(1) Slow. n fast \rightarrow
Slow. n fast. n fast

t $O(n)$ //Worst Length
S $O(1)$

02 _ Given n non-negative integers representing an elevation map where the width of each bar is 1, compute how much water it can trap after raining.





V A Z, 4 1 2 = 1 1 4 2 3

Olm

4 4 4 4 4 4 3 3

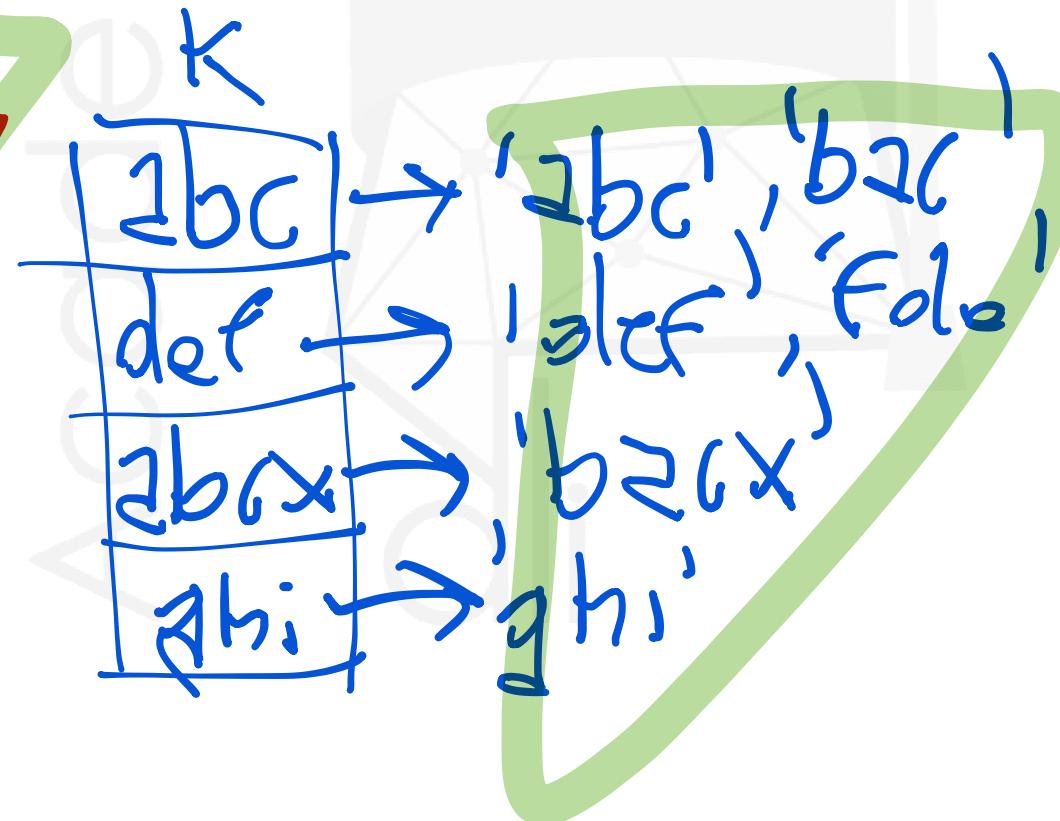
max -val 0 3 2 3 3 0 1 0

$E \Theta(n)$
 $S \Theta(1)$

03 _ Given an array of strings, group the anagrams together. You can return the answer in any order.

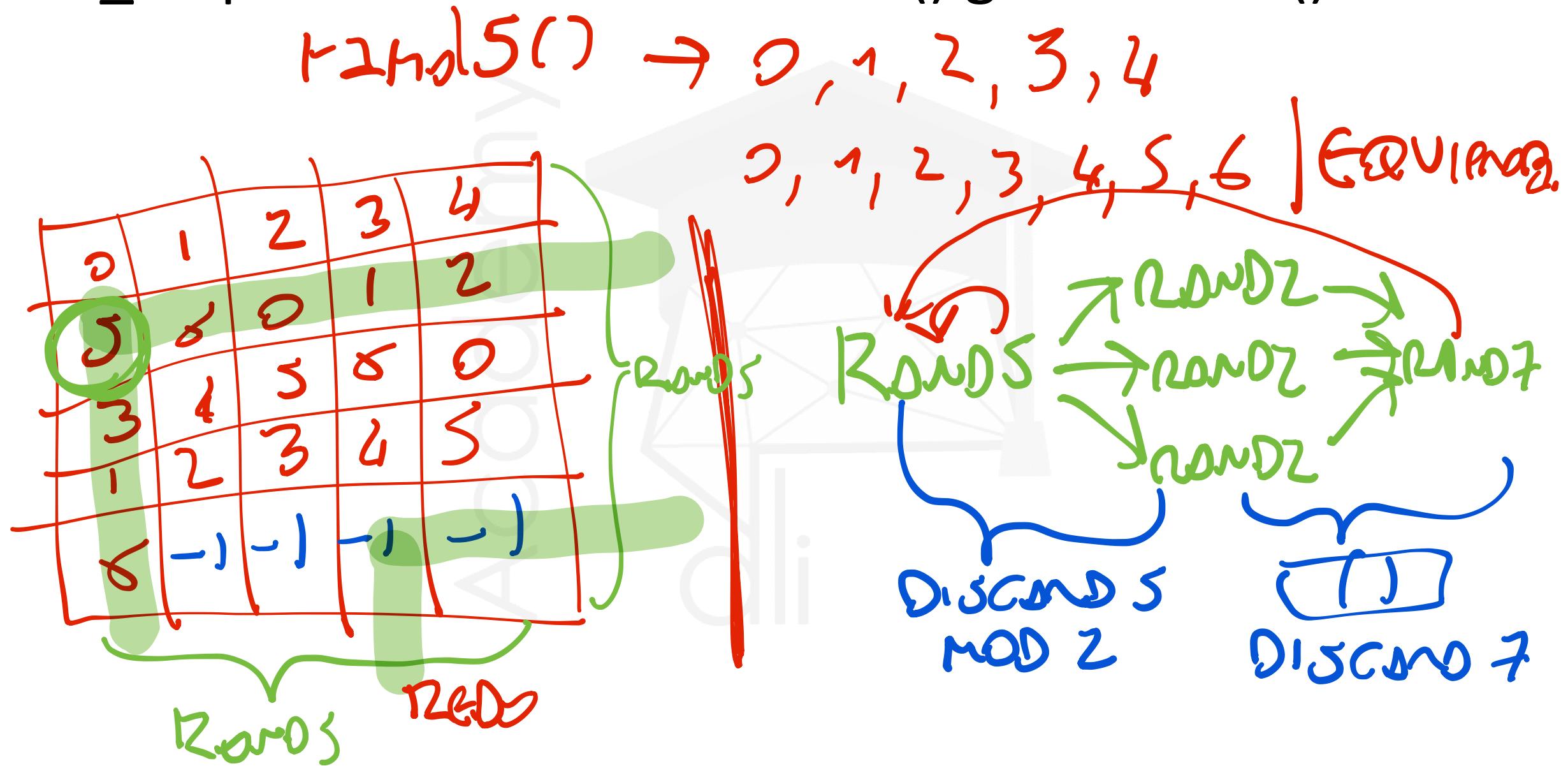
abc def bac bzcx Fde ghi

[abc, bzcx],
[def, Fde],
[bac],
[ghi]]



S O(n)
t O(n)

04 _ Implement a method rand7() given rand5()



05 _ Given an integer array, return all the triplets of different elements (index,value) that sum to 0

```
results = []
for ei in ELEMS:
    for ej in ELEMS:
        if -(ei+ej) in ACT:
            if ei != ej, ej != ek, ei != ek:
                Store SORTED((ei, ej, ek)) in results
return results
```

Diagram illustrating the algorithm:

- An array $ELEMS$ is shown with values: -1, -8, 2, 3, 0, 5.
- A variable ACT is shown with values: -11, 3, 8.
- A variable $results$ is shown with value: [-1, 3, 8].
- The final output is $return results$.

Time complexity analysis:

- Initial loop: $O(n)$
- Inner loop: $O(n^2)$

Handwritten notes:

- $\Sigma O(n)$
- $\Sigma O(n^2)$
- // Inputs Exist
- // Triplet exists
- Only once or diff

06 _ Given a source string and a target string, find the minimum edit distance between the two strings. Assume you can either insert, remove, or edit a character with costs of 1,1 and 2.

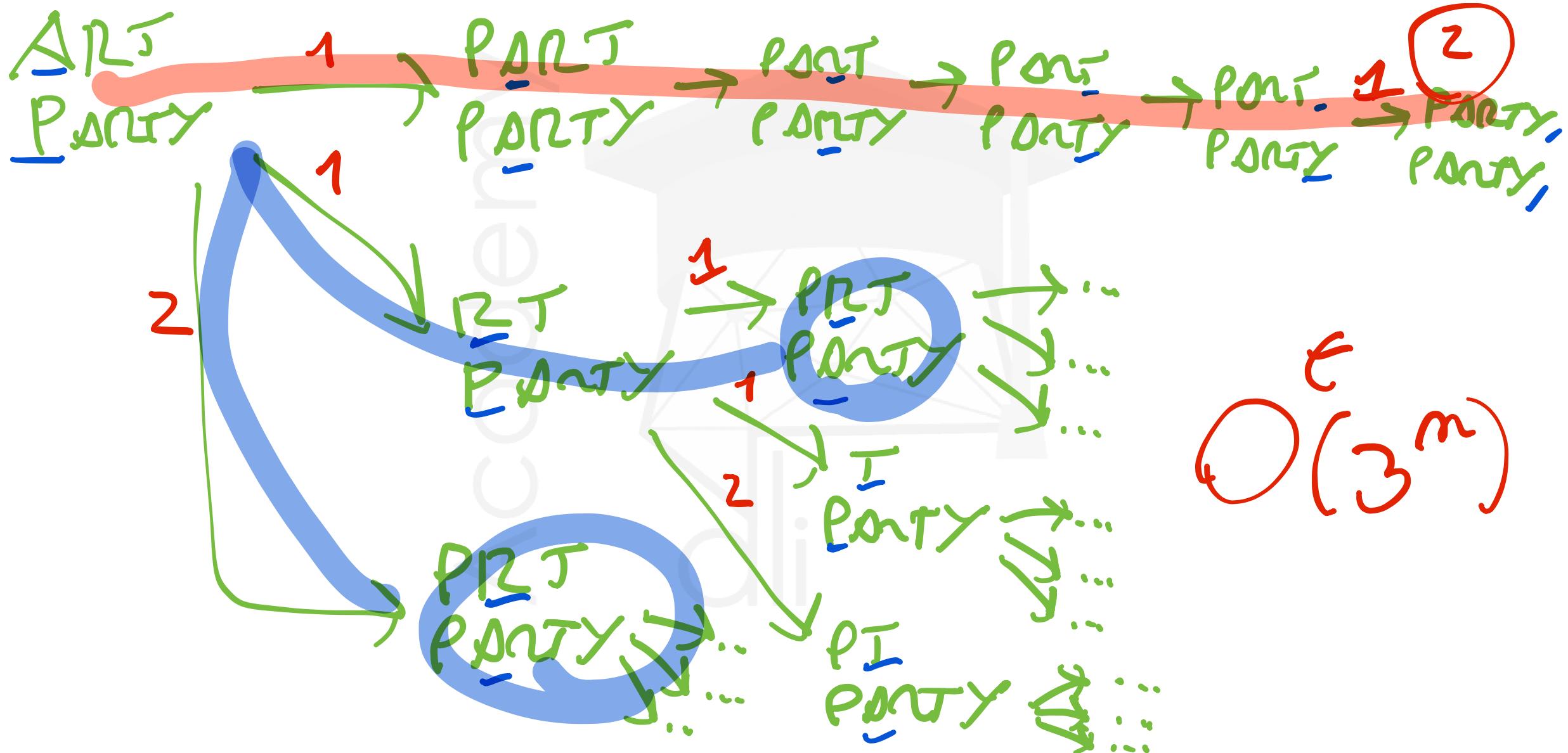
CAR

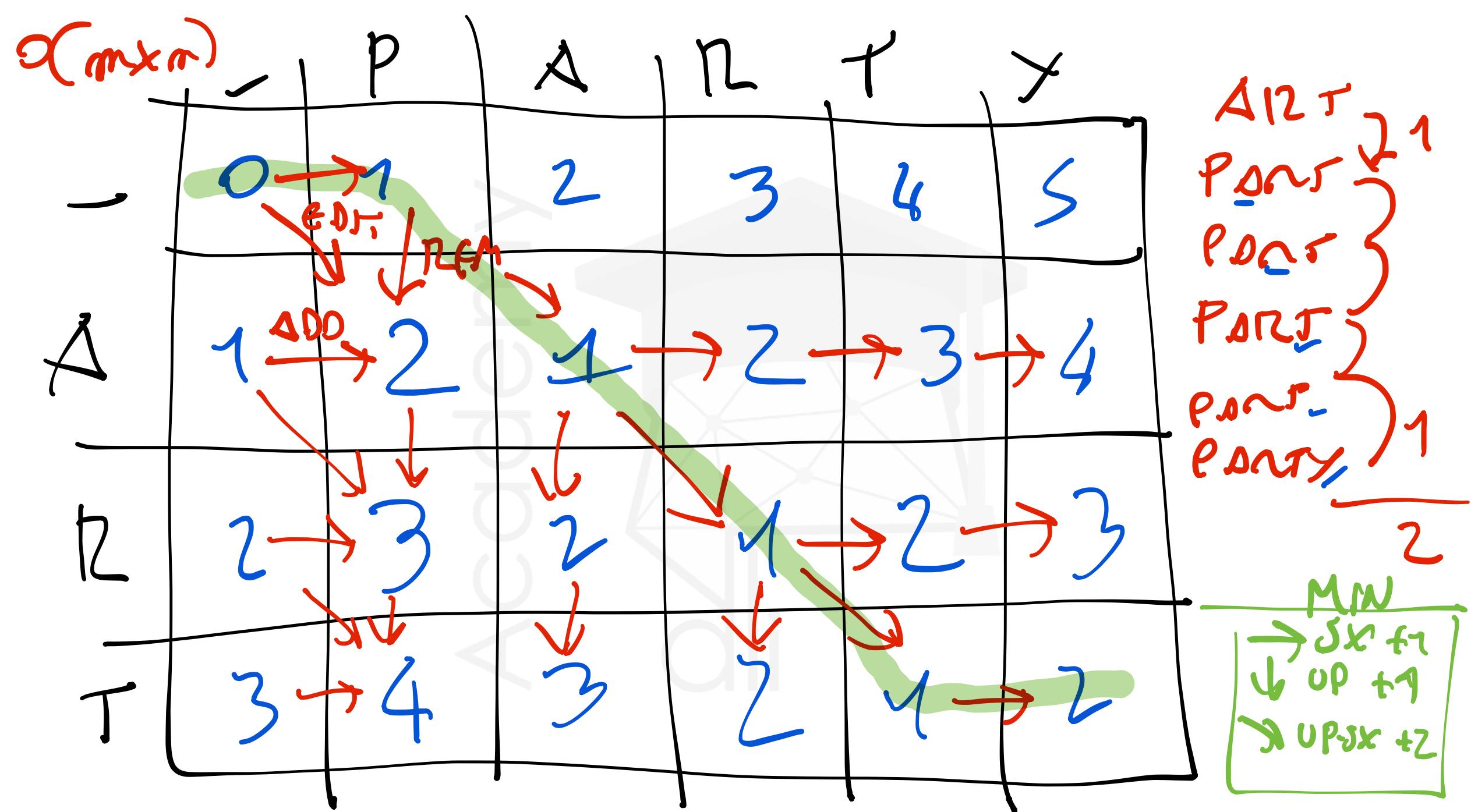
- $\xrightarrow{1}$ SCAN, COST, CHOR, ... CAR
- $\xrightarrow{1}$ DR, CR, AR
- $\xrightarrow{2}$ BAR, GAT, ...

CAN $\xrightarrow{2}$ GAT $\textcircled{2}$

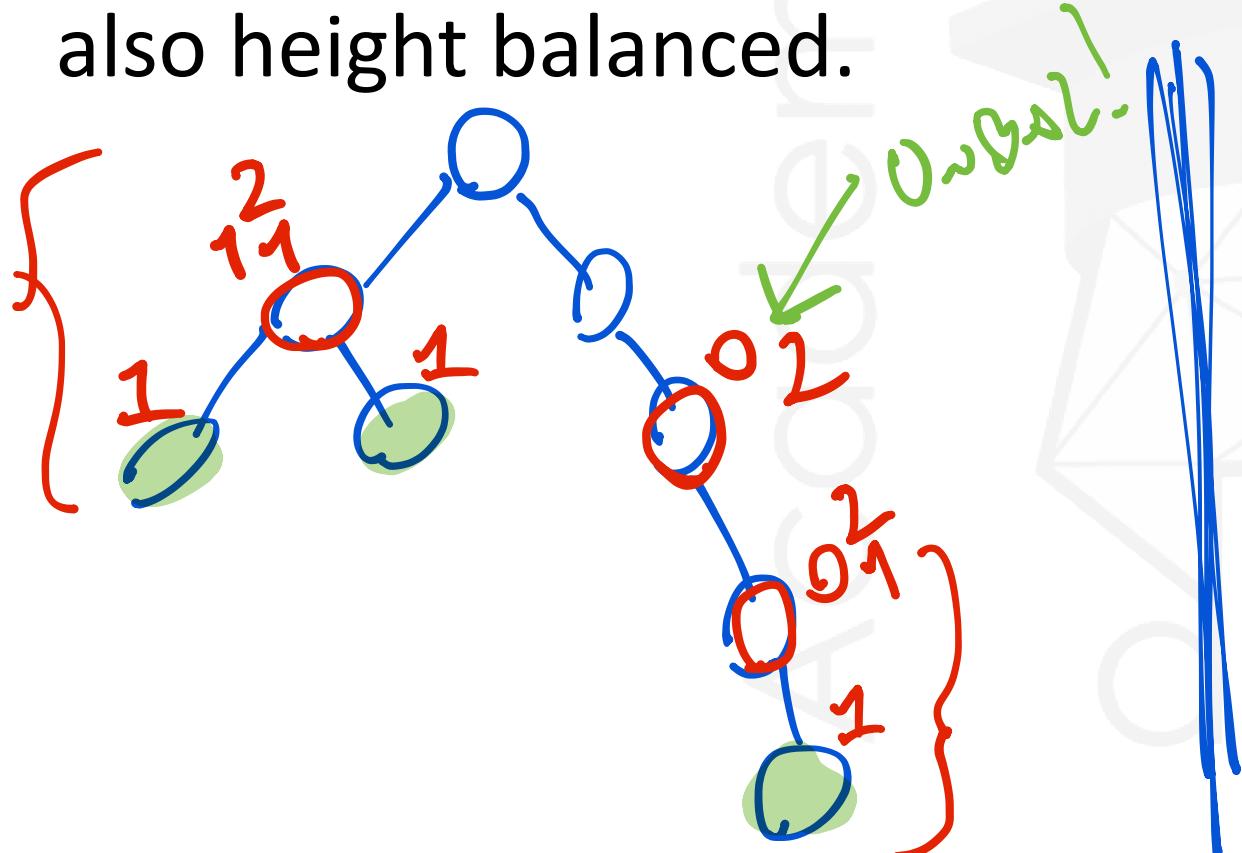
CAN $\xrightarrow{1}$ CA $\xrightarrow{1}$ C $\xrightarrow{1}$ CH $\xrightarrow{1}$ CHS $\xrightarrow{1}$ CAN $\textcircled{5}$

ALT → PARTY



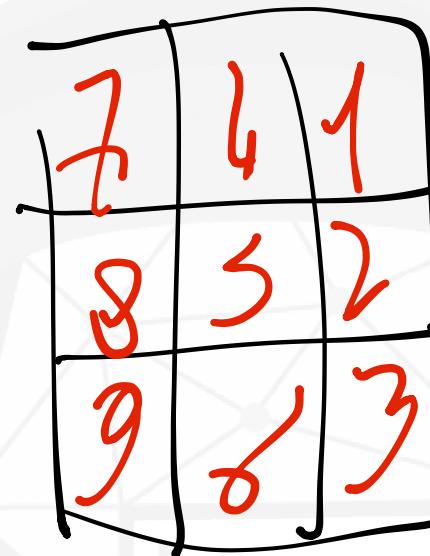
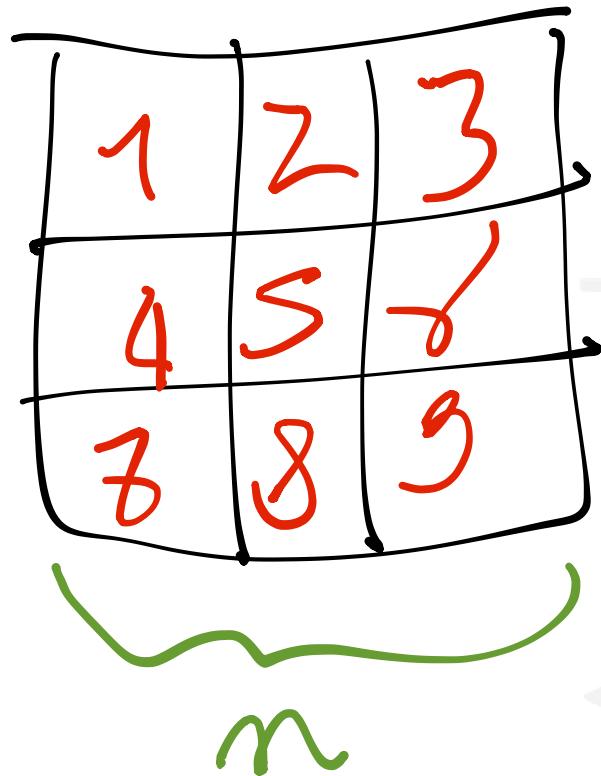


07 _ Check if a binary tree is height-balanced; that is, if the height of the left subtree and right subtree of any node does not differ by more than 1 and both the left and right subtrees are also height balanced.



IF LBDF:
RETURN 1
ELSE
LB, LD < RECURSION-LEFT
RB, RD < RECURSION-RIGHT
D = MAX(LD, RD) + 1
IF LD-RD IN [-1, 0, 1]: //ge
ELSE
RETURN true, D
RETURN FALSE, D

08 _ Given a matrix representing an image, rotate the image by 90 degrees (clockwise).



$O(n^2)$ t
 $O(1)$ s

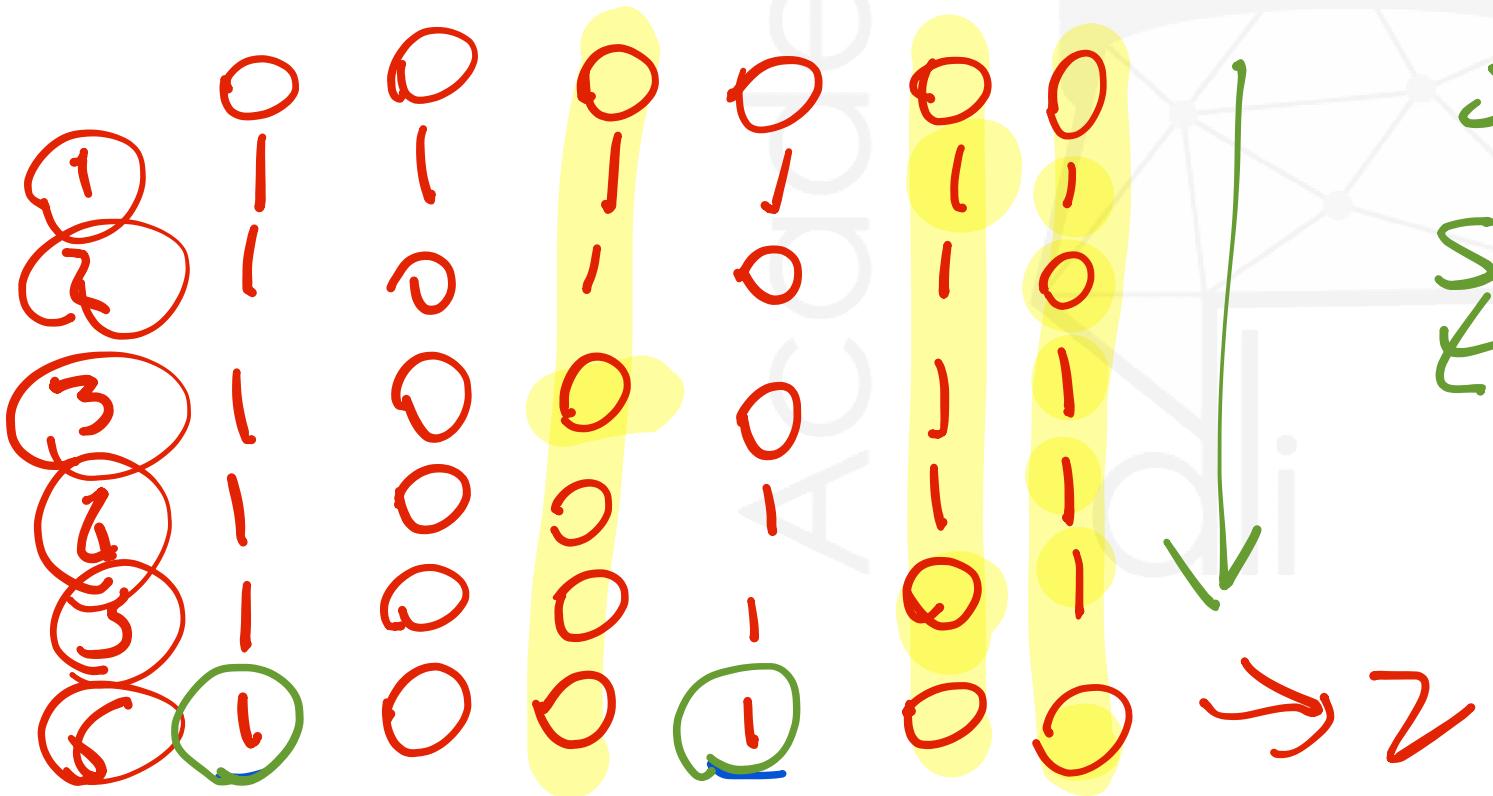
1	2	3	4	5	6
7	8	9	10	11	12
13					18
19					24
25					30
31	32	33	34	35	36

```

for i in range (n//2):
    for j in range(i,n-1-i):
        tmp = M[i,j]
        M[i,j] = M[n-1-j,i]
        M[n-1-j,i] = M[n-1-i,n-1-j]
        M[n-1-i,n-1-j] = M[j,n-i-1]
        M[j,n-i-1] = tmp
    
```

$$\begin{array}{c}
 n-1=5 \\
 i=1 \\
 j=2
 \end{array}
 \quad
 \begin{array}{c|c|c|c|c}
 & 1,2 & 3,4 & 4,3 & 2,4 \\
 \hline
 9 & | & 20 & | 28 & | 17
 \end{array}$$

09 _ There are n bulbs that are initially off. You first turn on all the bulbs, then you turn off every second bulb. On the third round, you toggle every third bulb (turning on if it's off or turning off if it's on). For the i th round, you toggle every i bulb. For the n th round, you only toggle the last bulb. Return the number of bulbs that are on after n rounds.



SIMULATION

$$O(n^2)$$

SQUADS!
 $O(1)$ $O(i)$

0 0 0 0
 1 1 1 1
 1 0 1 0
 1 0 0 0
 1 0 0 0

$4 \rightarrow 2$

$\text{BULP} \delta \rightarrow [1, 3, 3, 6]$
 $\text{BULBS} \rightarrow [1, 5]$

$\text{NUM_OF_SWITCHES} \rightarrow \text{NUM DIVS!}$

$\text{ON-ST-END} = \text{ODD TOGGLES!}$

$\text{ON-ST-END} = \text{ODD NUM DIVS!}$

SQUARES!

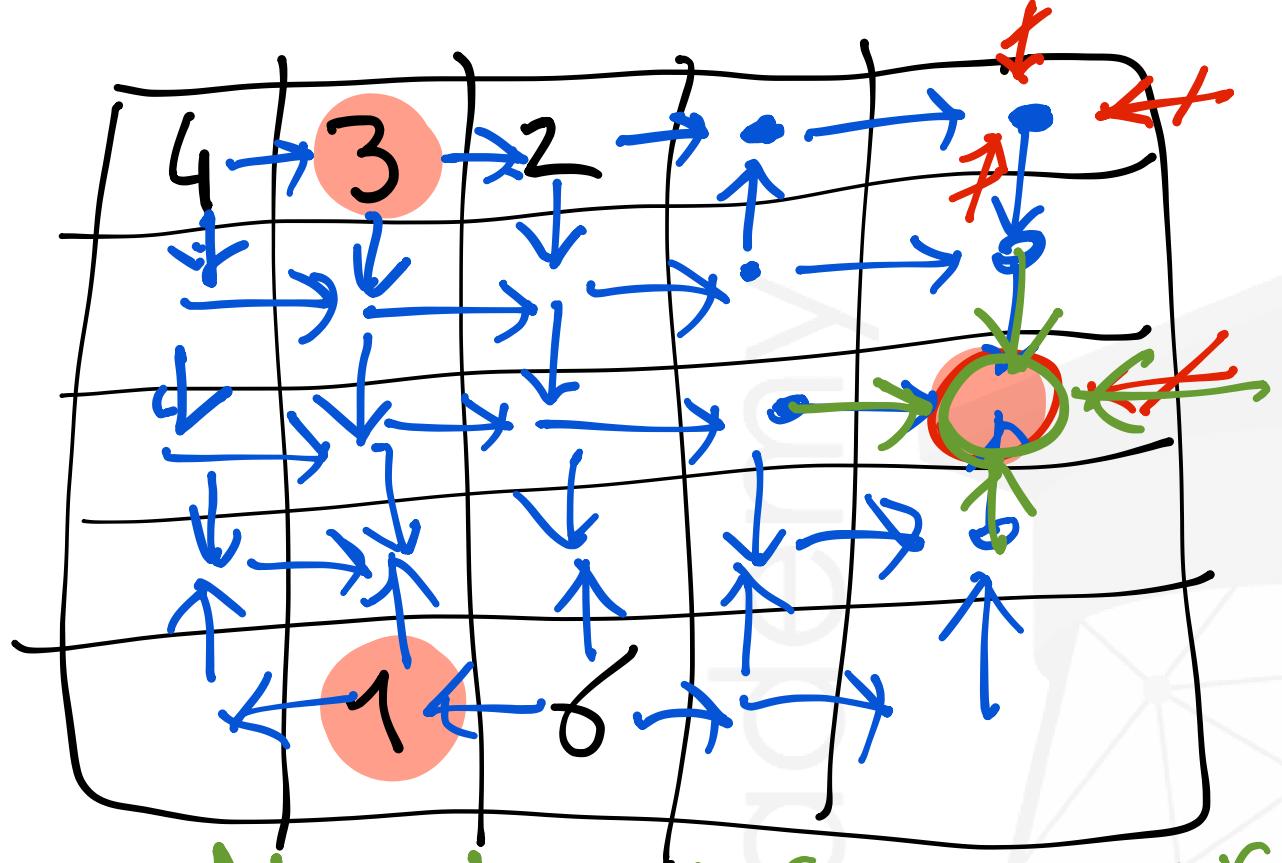
$6 \rightarrow 1, 2, 3, 6$
 $5 \rightarrow 1, 5$
 $4 \rightarrow 1, 2, 4$
 $1 \rightarrow 1$

$\text{NUM_ON_ST_END} = \text{SQUARES} \leq N$
 $\lfloor \sqrt{N} \rfloor$

10 _ Given a $m \times n$ matrix of positive ints, the value of each point in the matrix is the height of that point. Assume that there are K given villages in the matrix that need water. Assume a water tower can be built anywhere, but the water can only flow from high to low or equal to equal. Find a point to build a single water supply tower so that the maximum number of villages can be reached.

0	2	3
0	0	0
0	5	0





$O(k \cdot m \cdot n)$
 $O(m \cdot n)$
 t

COMPUTE_BASIN
 \sim FILL_POTS

MARK IS CANDIDATE
 FOR SGD IN UP, DOWN, LEFT, RIGHT:
 IF IN_MATRIX AND UNEXPLORED:
 RECURSIVE_CALL(SGD)