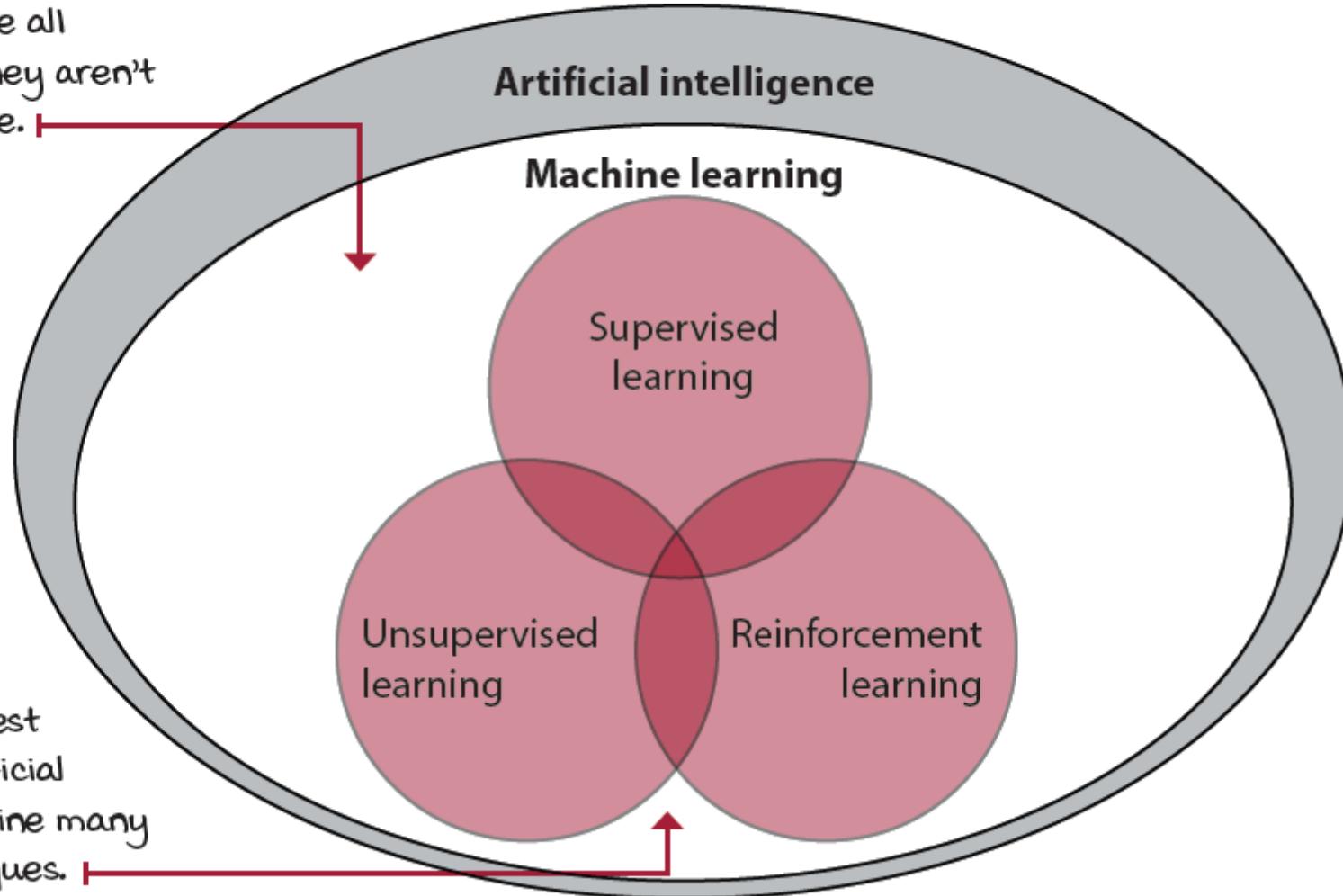


# **Reinforcement Learning Framework**

## Main branches of machine learning

(1) These types of machine learning tasks are all important, and they aren't mutually exclusive.



(2) In fact, the best examples of artificial intelligence combine many different techniques.

# MAIN BRANCHES OF MACHINE LEARNING

Supervised learning (SL) is the task of learning from labeled data. In SL, a human decides which data to collect and how to label it. The goal in SL is to generalize.

Unsupervised learning (UL) is the task of learning from unlabeled data. Even though data no longer needs labeling, the methods used by the computer to gather data still need to be designed by a human. The goal in UL is to compress.

Reinforcement learning (RL) is the task of learning through trial and error. In this type of task, no human labels data, and no human collects or explicitly designs the collection of data. The goal in RL is to act.

## Standard (supervised) machine learning:

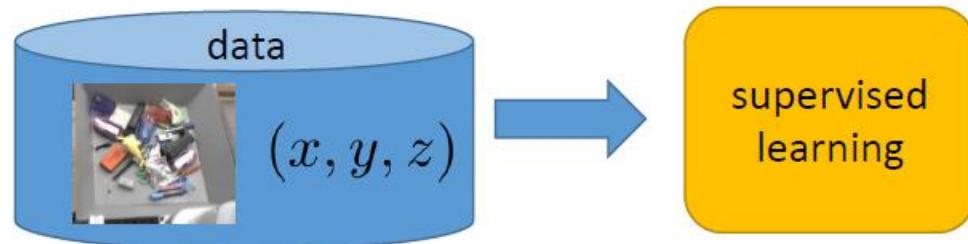
given  $\mathcal{D} = \{(\mathbf{x}_i, y_i)\}$

learn to predict  $y$  from  $\mathbf{x}$

$$f(\mathbf{x}) \approx y$$

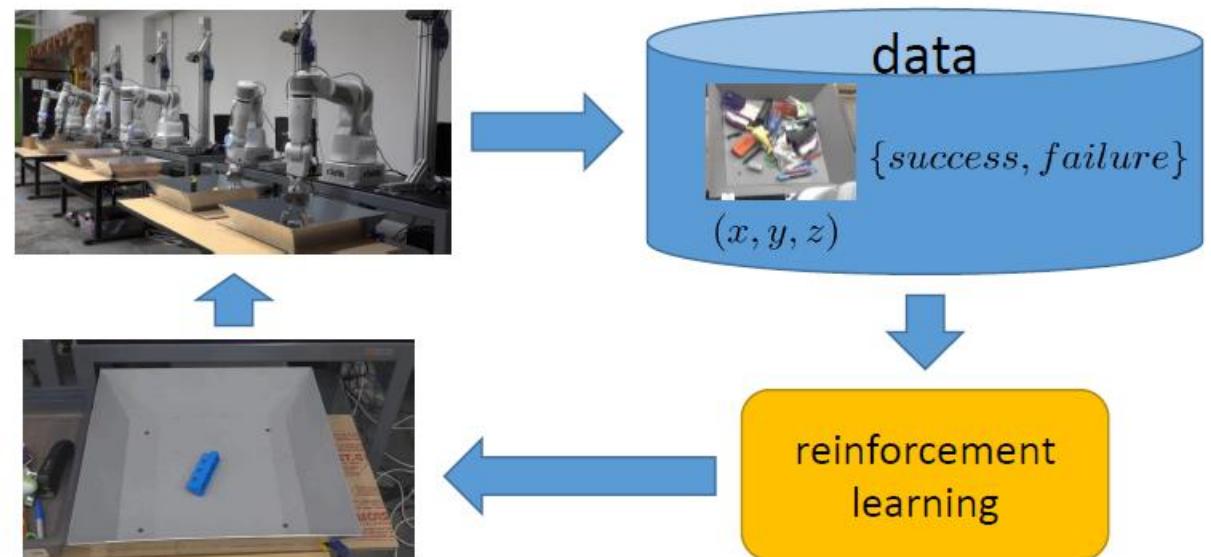
Usually assumes:

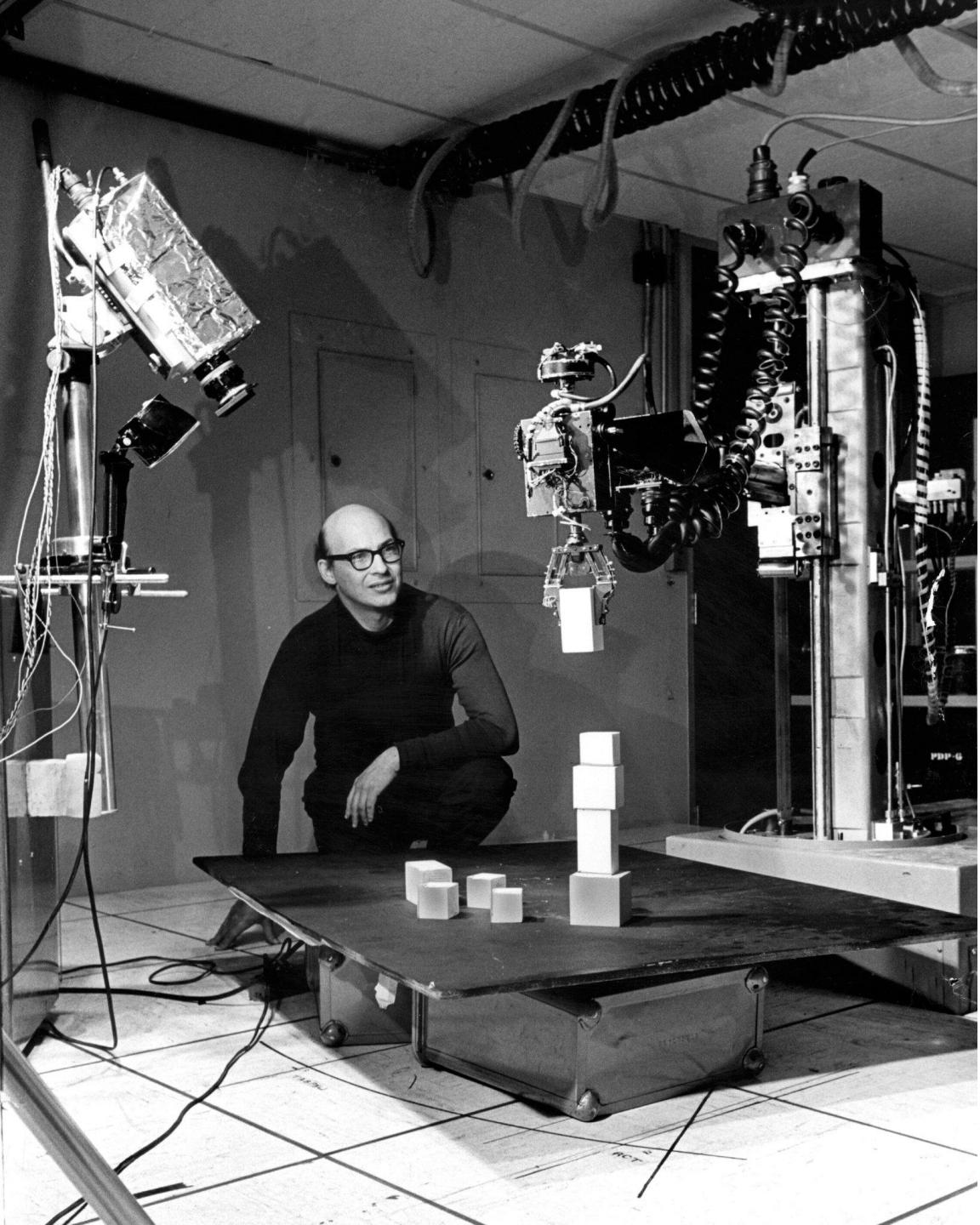
- i.i.d. data
- known ground truth outputs in training



## Reinforcement learning:

- Data is **not** i.i.d.: previous outputs influence future inputs!
- Ground truth answer is not known, only know if we succeeded or failed
  - more generally, we know the reward





*“Almost all young people working on Artificial Intelligence look around and say - What's popular? Statistical learning. So, I'll do that. That's exactly the way to kill yourself scientifically!”*

*Marvin Minsky during his course called Society of Mind at MIT in 2011*

Nathaniel Rochester



Oliver Selfridge



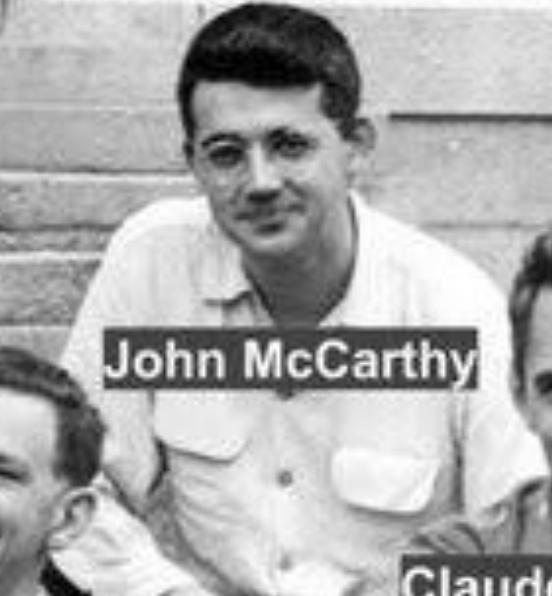
Ray Solomonoff



Marvin Minsky



Trenchard More



John McCarthy

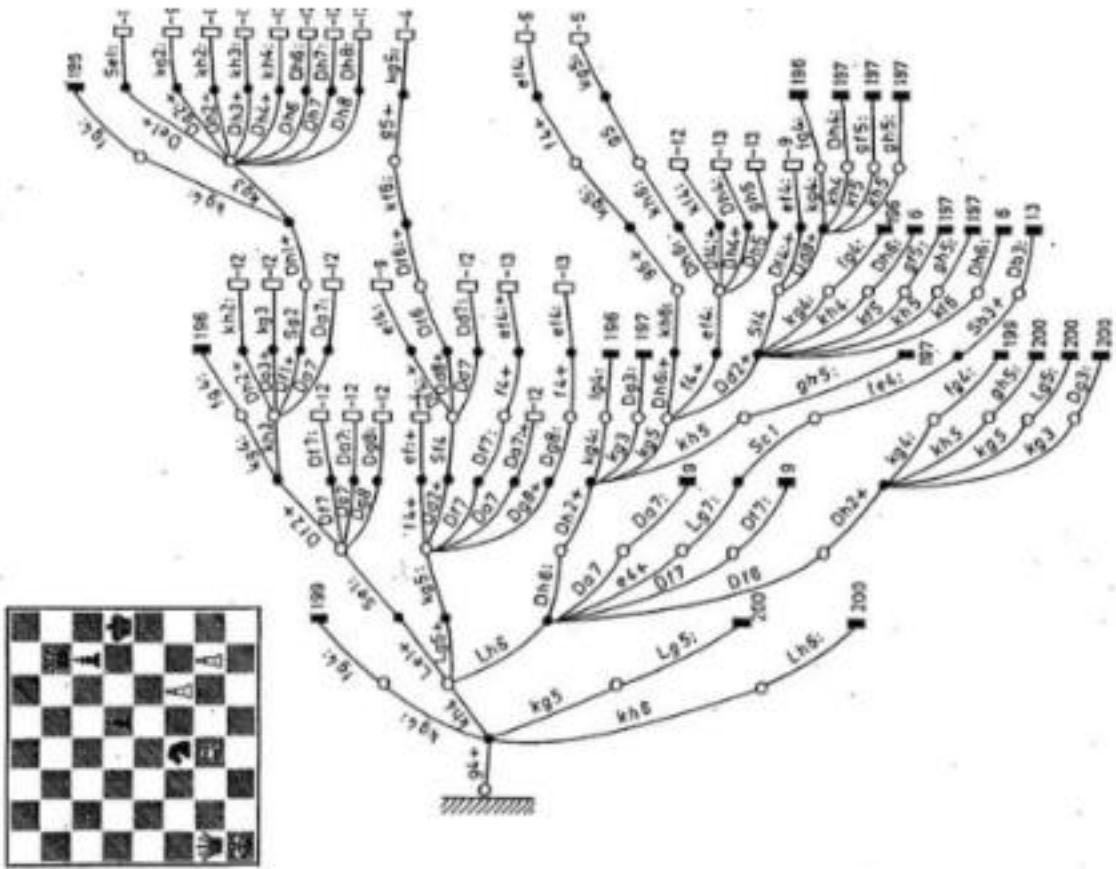


Claude Shannon

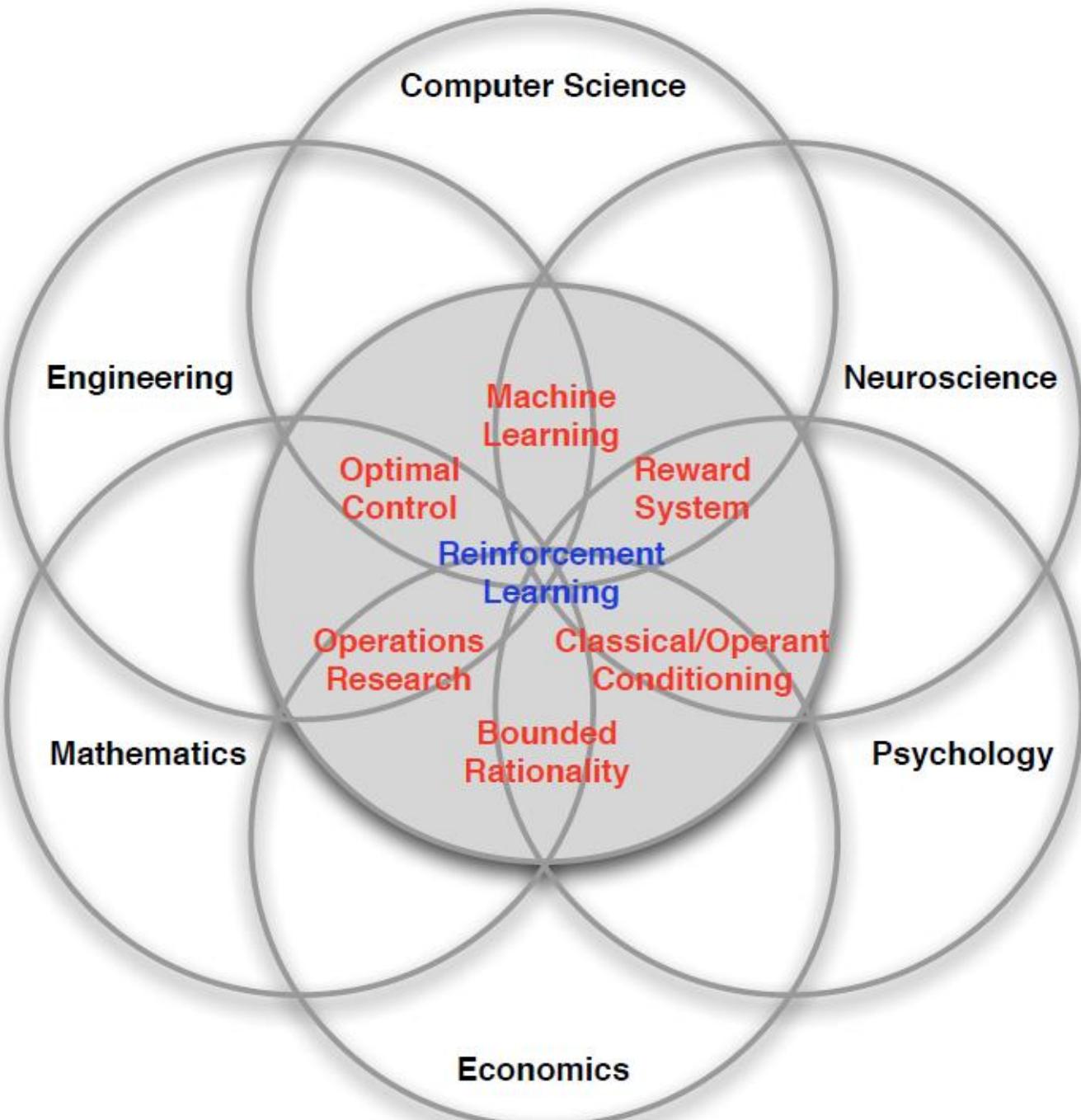
Dartmouth Summer Research Project on Artificial Intelligence, 1956



| <https://www.technologyreview.com/2018/12/19/138508/mighty-mouse>

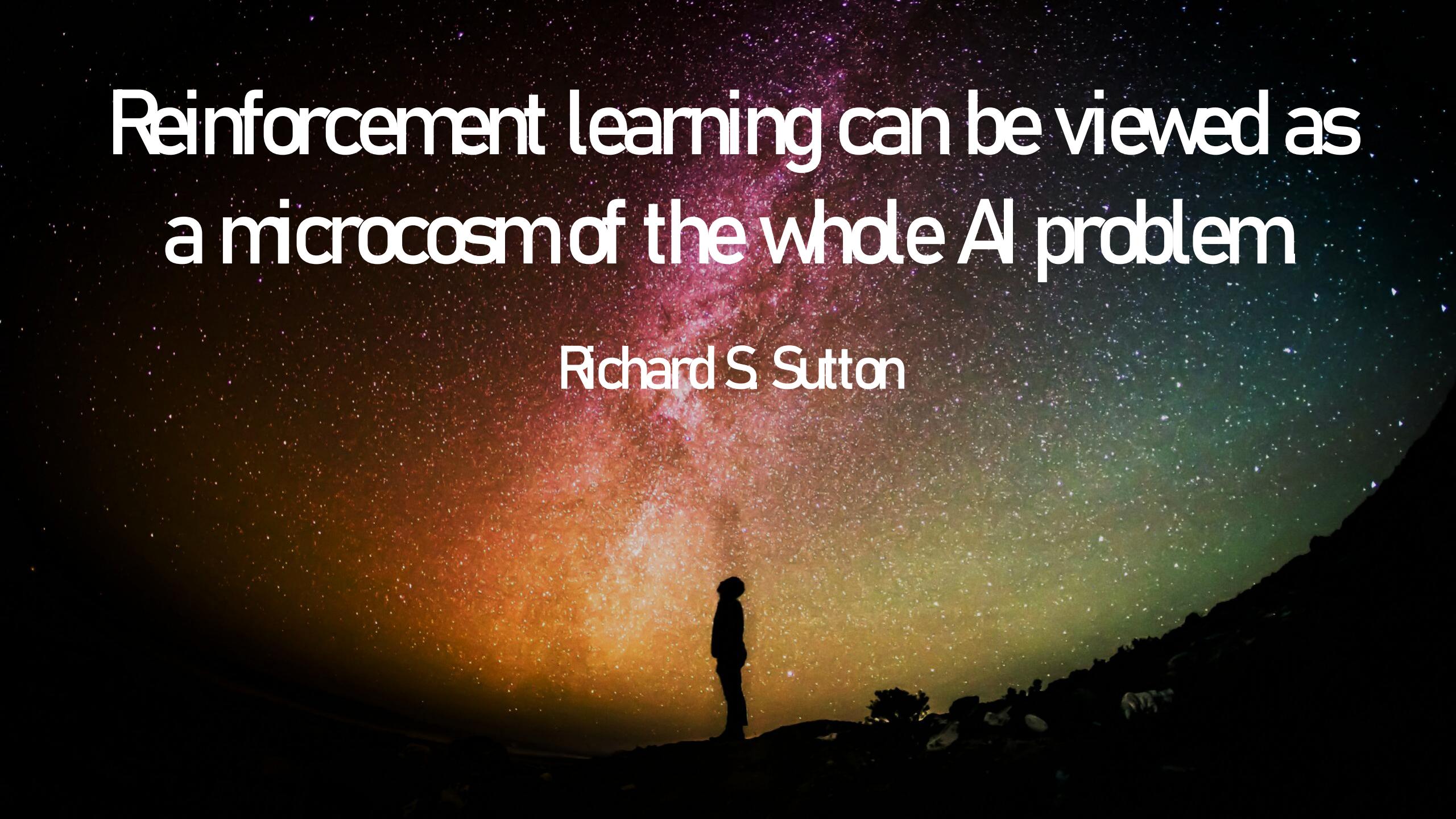


[https://www.chessprogramming.org/Claude Shannon](https://www.chessprogramming.org/Claude_Shannon)

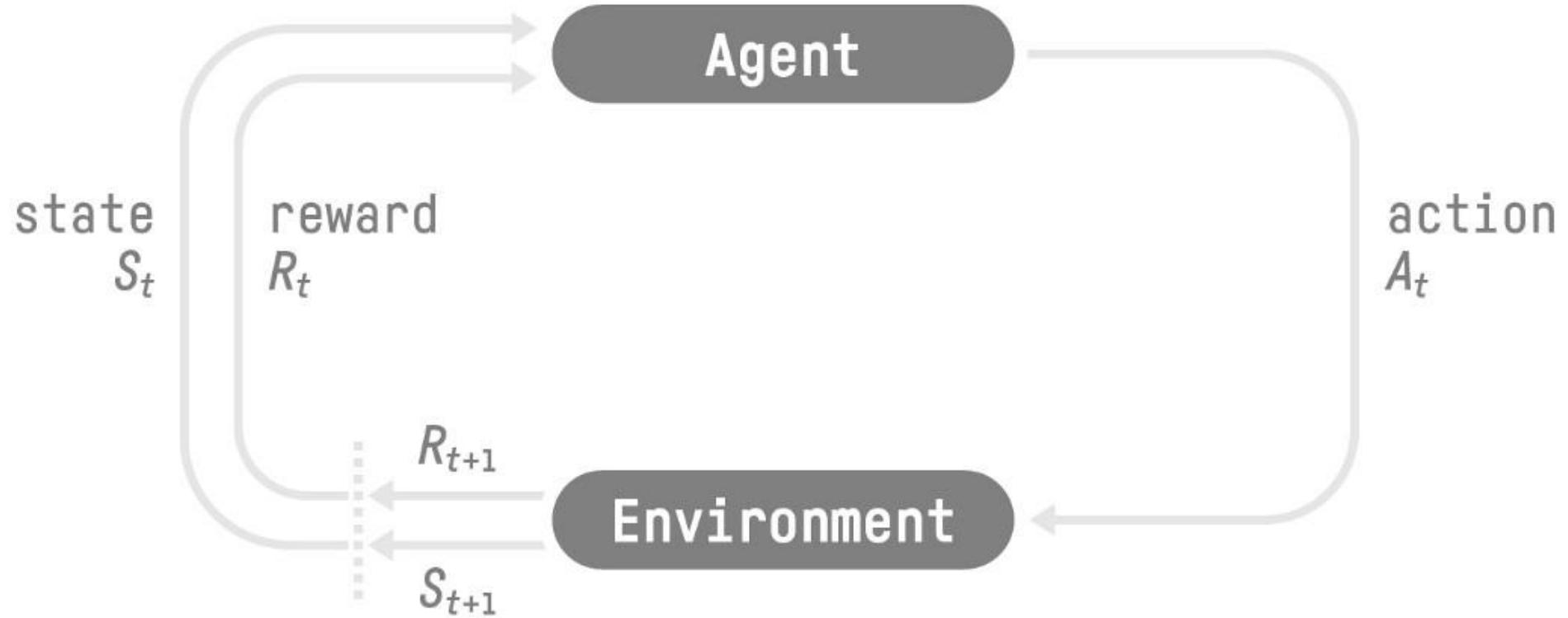


Reinforcement learning can be viewed as  
a microcosm of the whole AI problem

Richard S Sutton

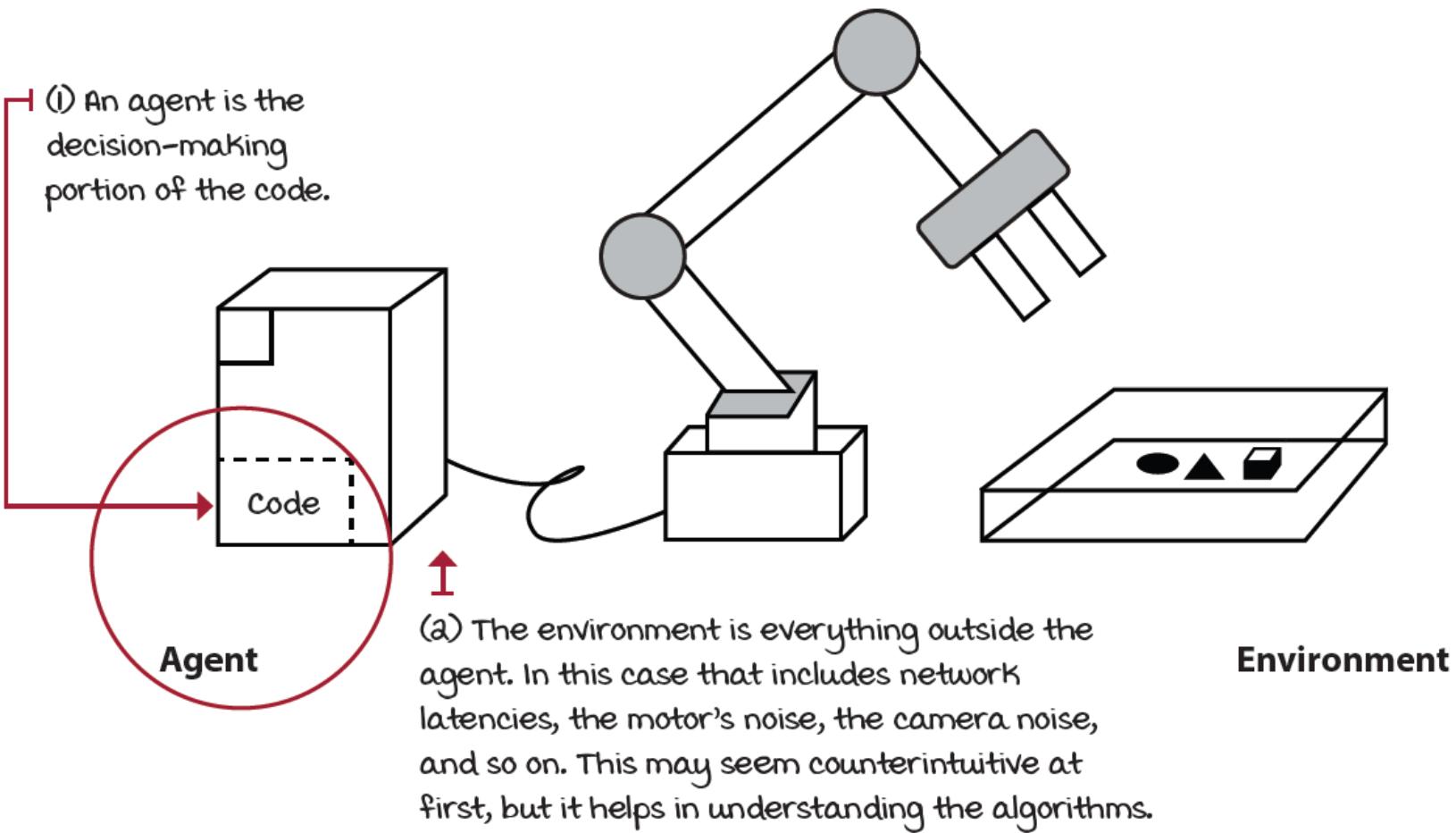


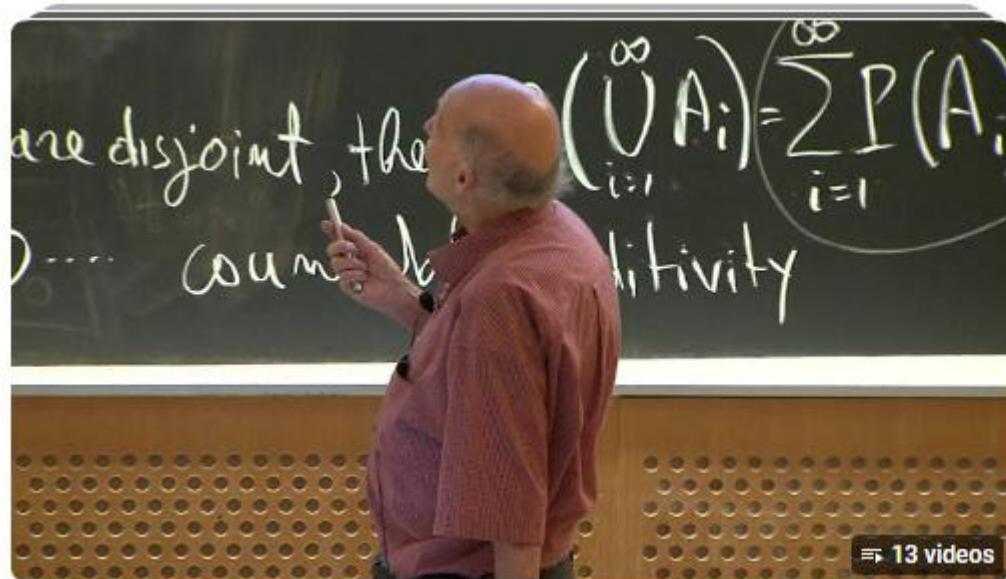
	AI Planning	SL	UL	RL	IL
Optimization	X			X	X
Learns from experience		X	X	X	X
Generalization	X	X	X	X	X
Delayed Consequences	X			X	X
Exploration				X	



**How should we define  
the boundary between  
agent and environment?**

# ENVIRONMENT AND AGENT





## MIT 6.868J The Society of Mind, Fall 2011

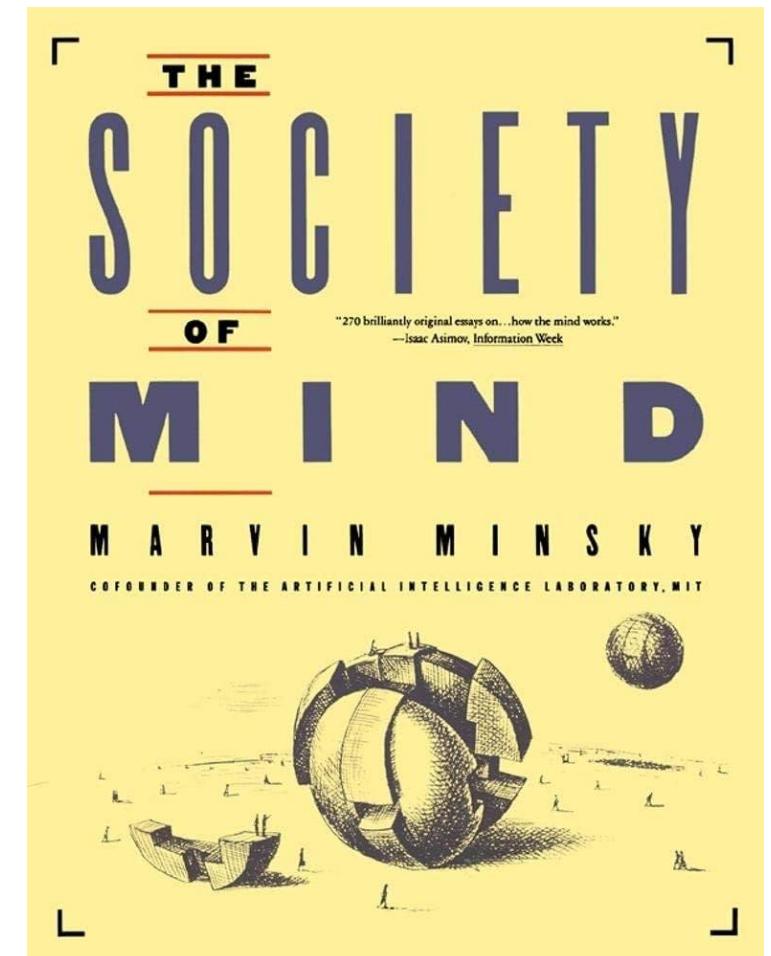
MIT OpenCourseWare · Playlist

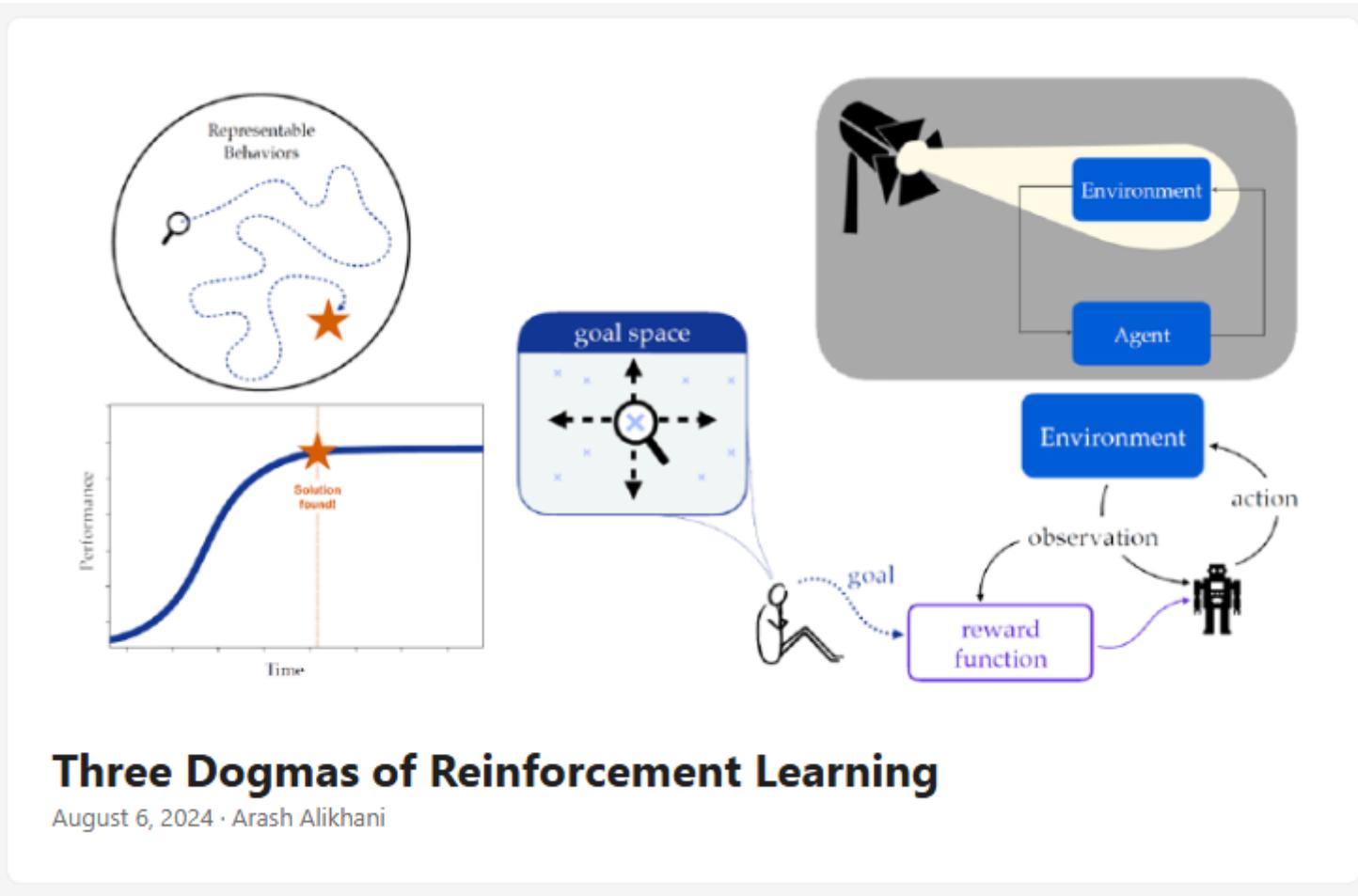
1. Introduction to 'The Society of Mind' · 2:05:54

2. Falling In Love · 1:45:55

[View full playlist](#)

<https://www.youtube.com/playlist?list=PLUI4u3cNGP61EvNcDV0w5xpsIBYNJDkU>





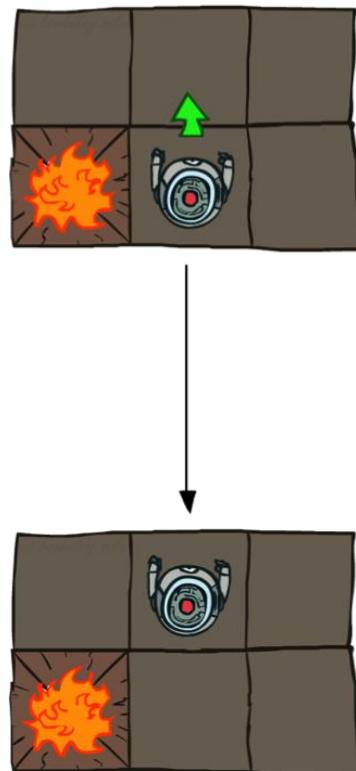
## Three Dogmas of Reinforcement Learning

August 6, 2024 · Arash Alikhani

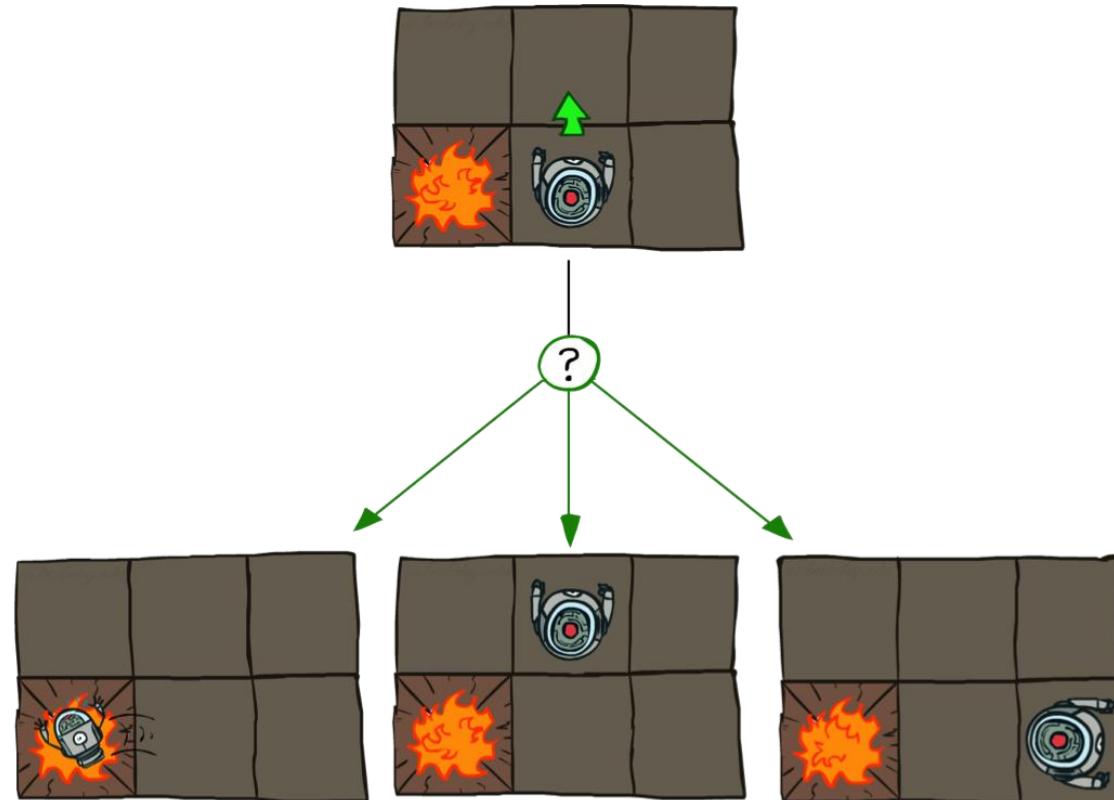
<https://rljclub.github.io/posts/three-dogmas-of-reinforcement-learning>

# ENVIRONMENT AND AGENT

Deterministic Grid World



Stochastic Grid World



# Observation Space

---

**State:** complete description of the state of the world (no hidden information).



**Observation:** partial description of the state of the world.



# Action Space

---

*Discrete: finite number of possible actions*



*Continuous: infinite number of possible actions*

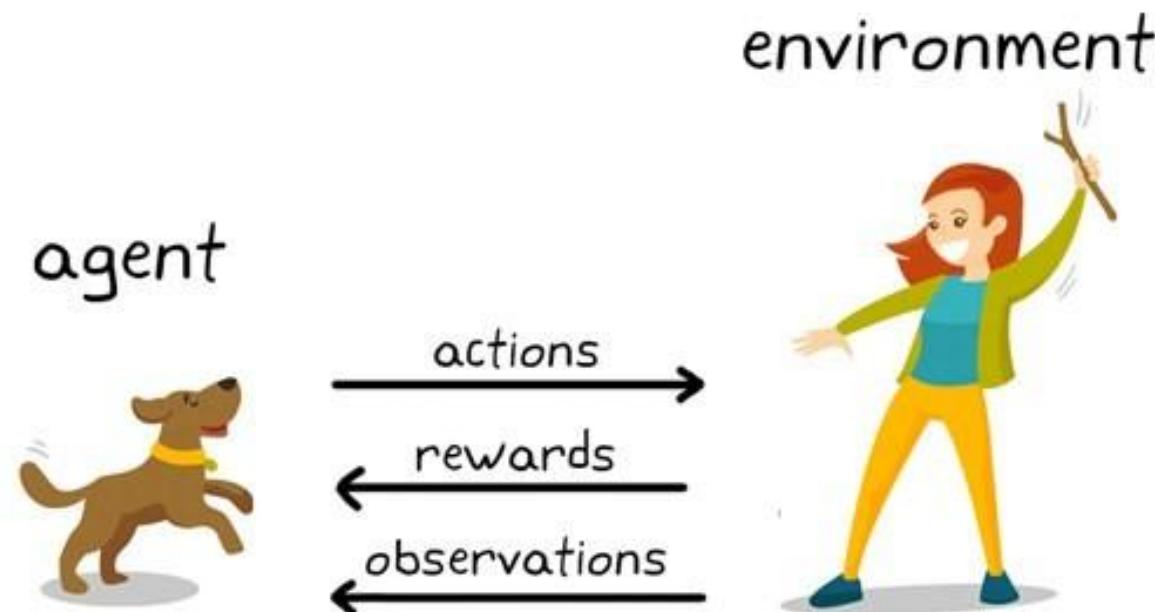


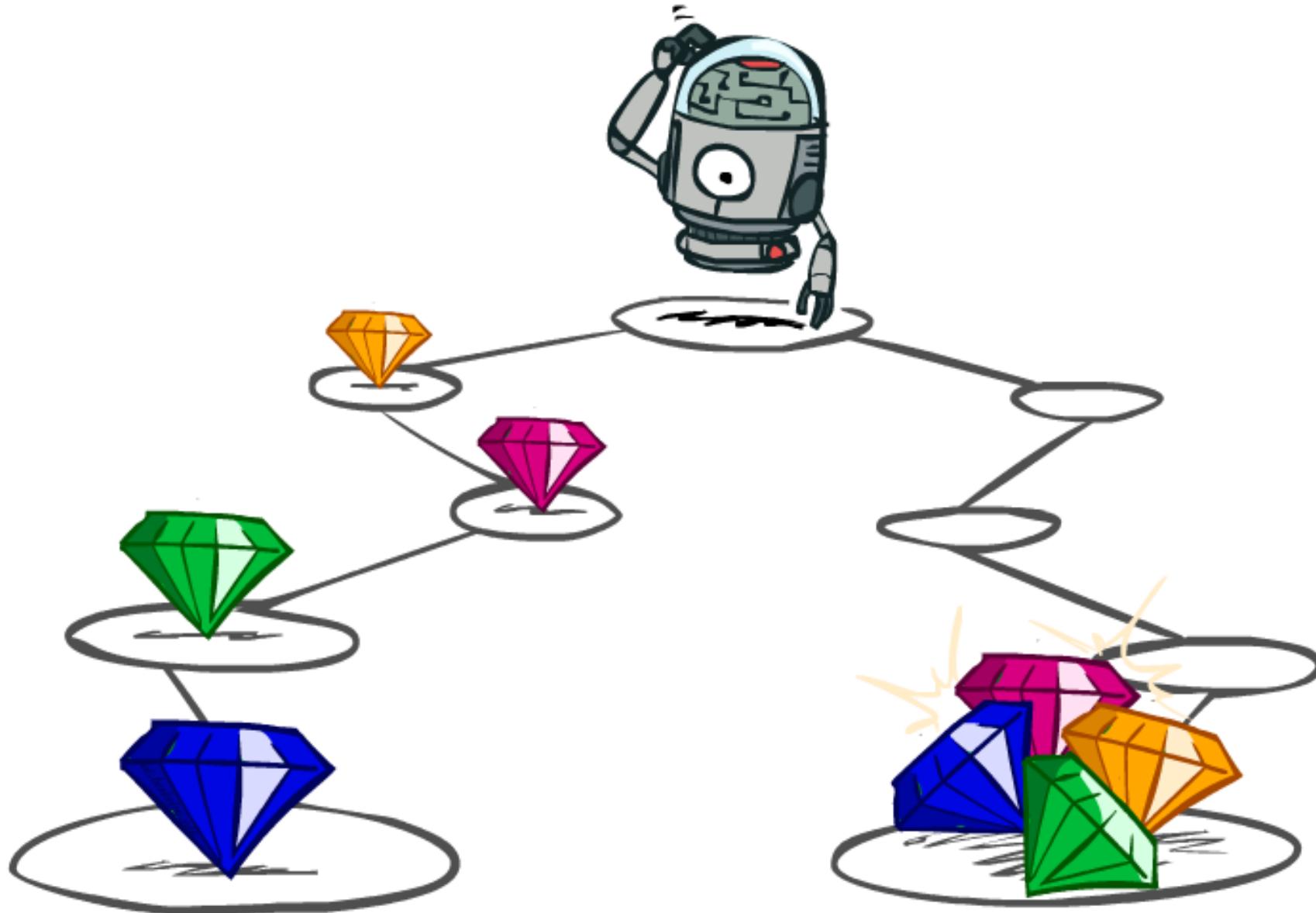
# REWARD HYPOTHESIS

## The Reward Hypothesis

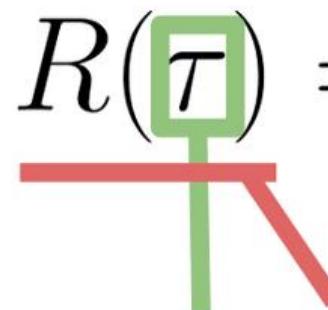
“...all of what we mean by goals and purposes can be well thought of as maximization of the expected value of the cumulative sum of a received scalar signal (reward)”

-- Sutton (2004)





$$R(\tau) = \sum_{k=0}^{\infty} r_{t+k+1}$$

$$R(\tau) = r_{t+1} + r_{t+2} + r_{t+3} + r_{t+4} + \dots$$


Return: cumulative reward

Trajectory (read Tau)

Sequence of states and actions



1

Worth Now



$\gamma$

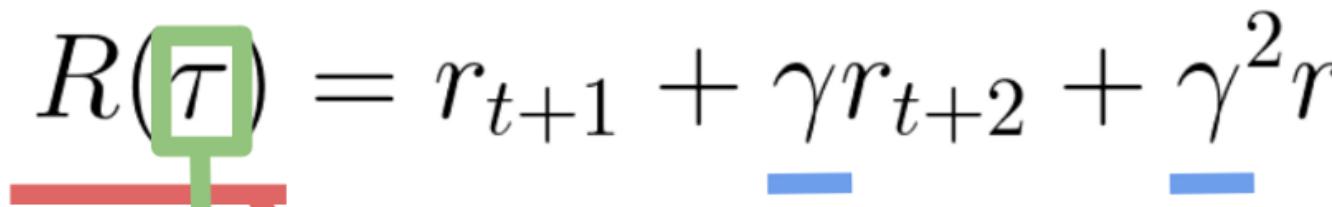
Worth Next Step



$\gamma^2$

Worth In Two Steps

$$R(\tau) = r_{t+1} + \gamma r_{t+2} + \gamma^2 r_{t+3} + \gamma^3 r_{t+4} + \dots$$



Return: cumulative reward

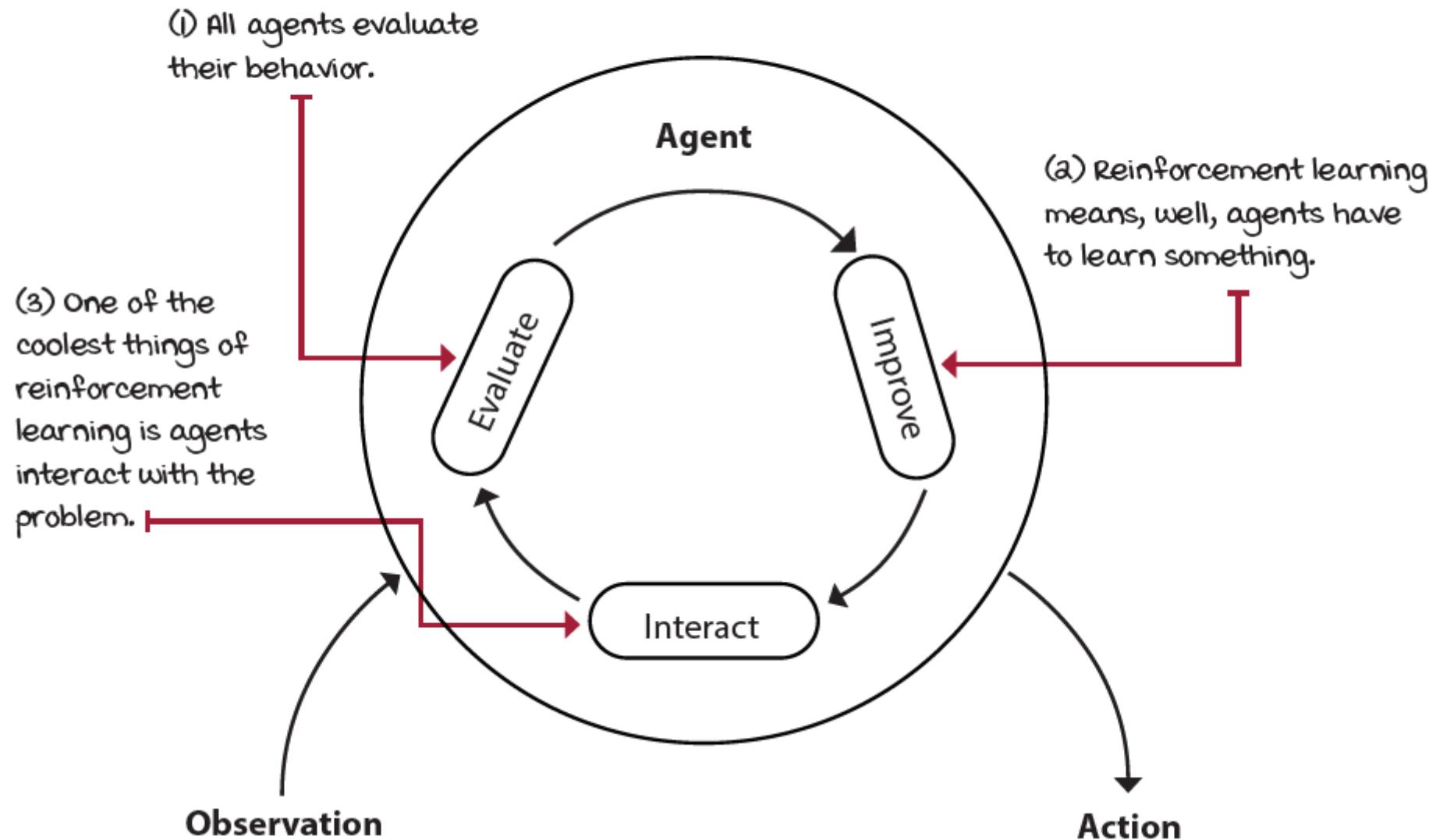
Gamma: discount rate

Trajectory (read Tau)

Sequence of states and actions

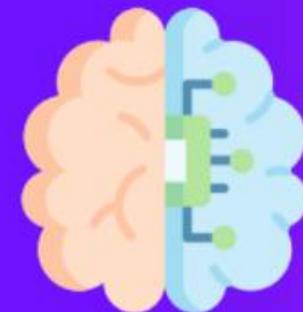
$$R(\tau) = \sum_{k=0}^{\infty} \gamma^k r_{t+k+1}$$

## The three internal steps that every reinforcement learning agent goes through



# The Policy $\pi$ : the agent's brain

Policy  $\pi$ : is the **brain of our Agent**, it's the function that tell us what **action to take given the state we are**.  
→ So it **defines the agent behavior at a given time**.

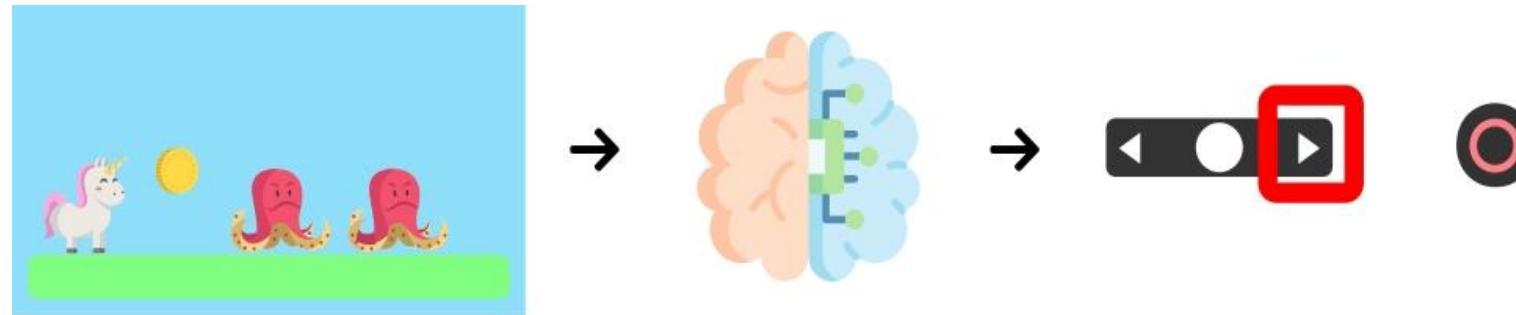


State



$\pi(\text{State}) \rightarrow \text{Action}$

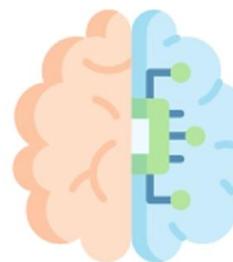
$$a = \pi(s)$$



State  $s_0$  →  $\pi(s_0)$  →  $a_0 = \text{Right}$

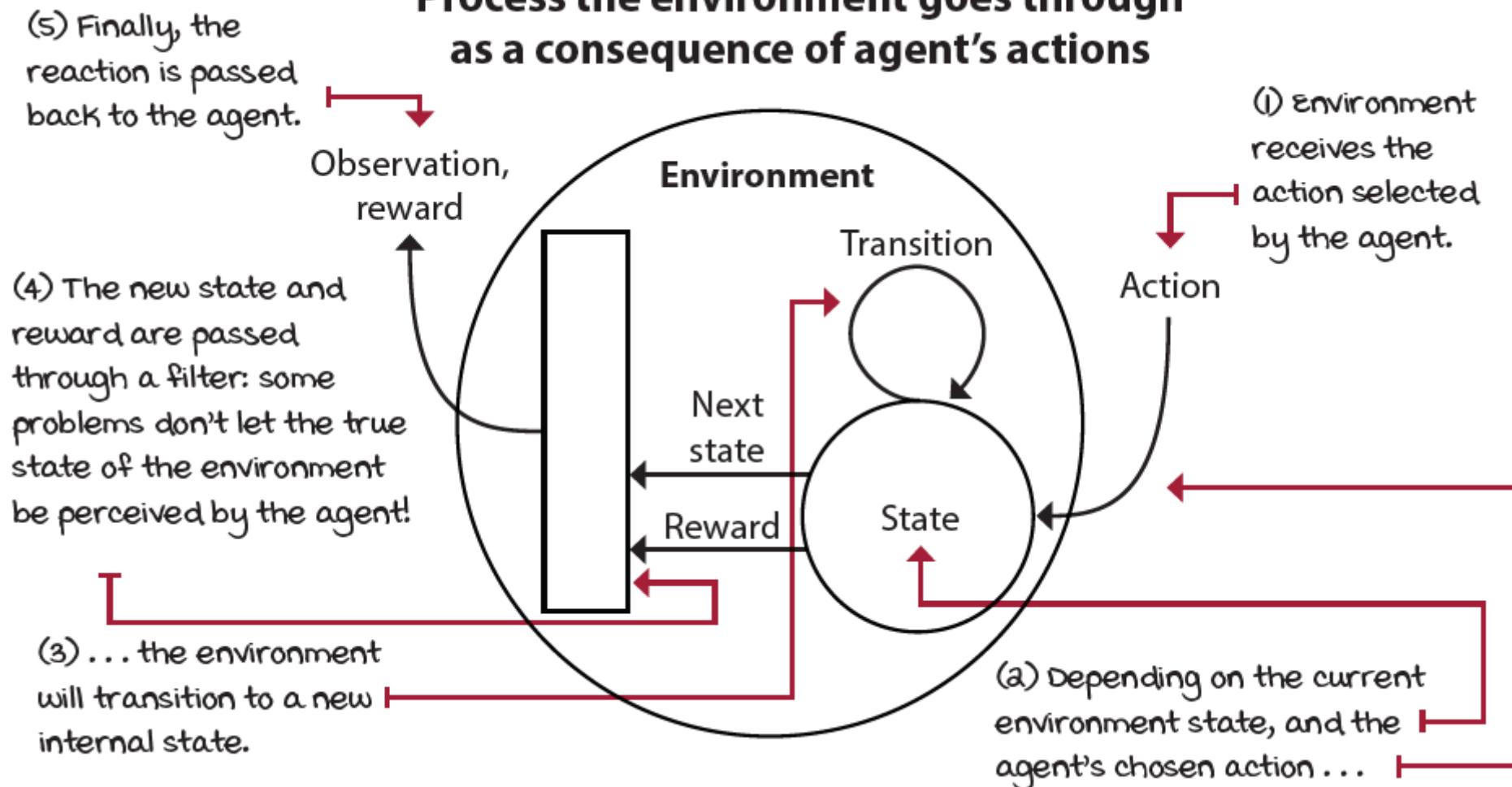
$$\pi(a|s) = P[A|s]$$

Probability Distribution over the set of actions given the state

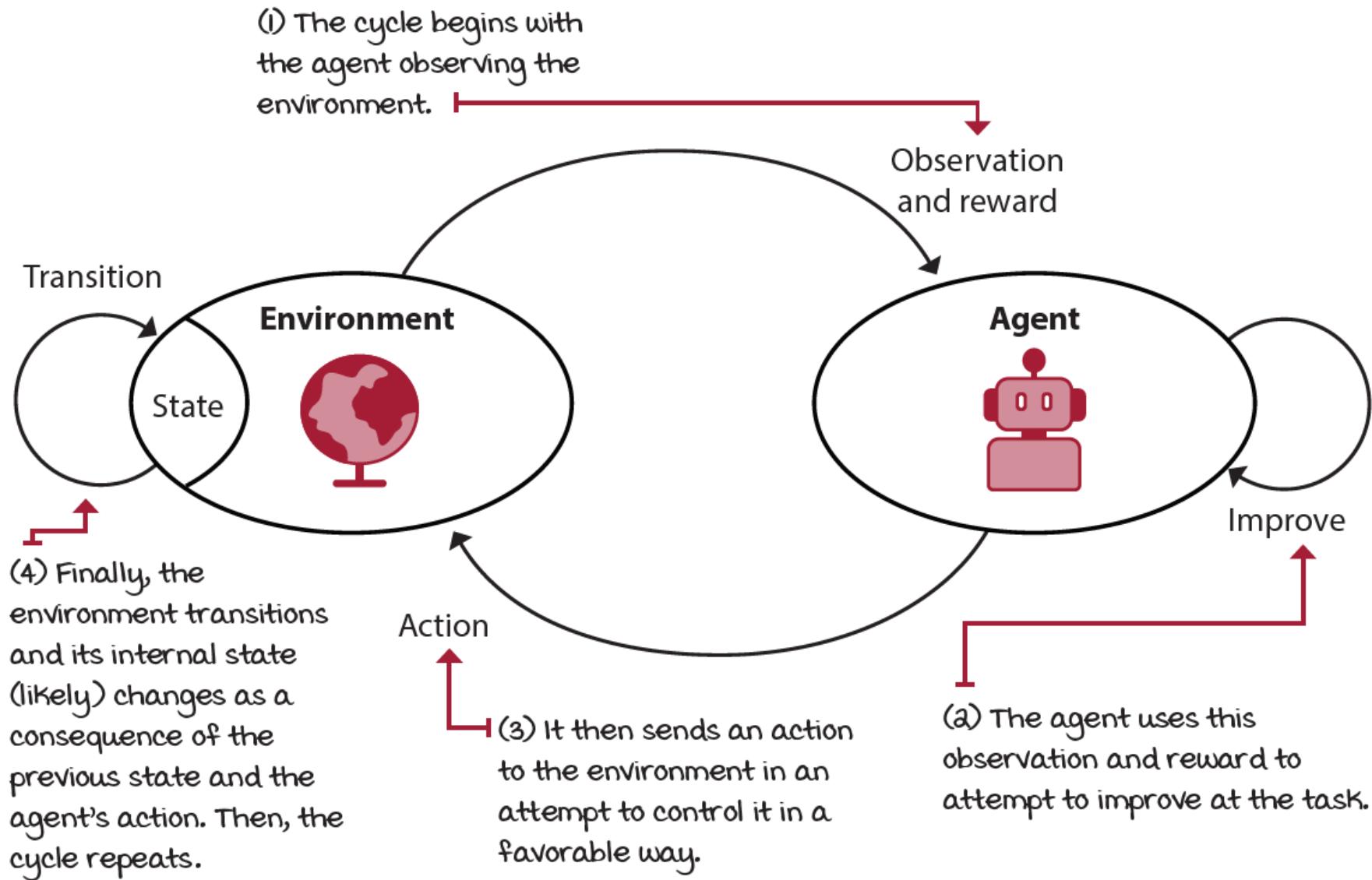


State  $s_0 \rightarrow \pi(A|s_0) \rightarrow [\text{Left: 0.1, Right: 0.7, Jump: 0.2}]$

## Process the environment goes through as a consequence of agent's actions



## The reinforcement learning cycle





Actions: muscle contractions  
Observations: sight, smell  
Rewards: food

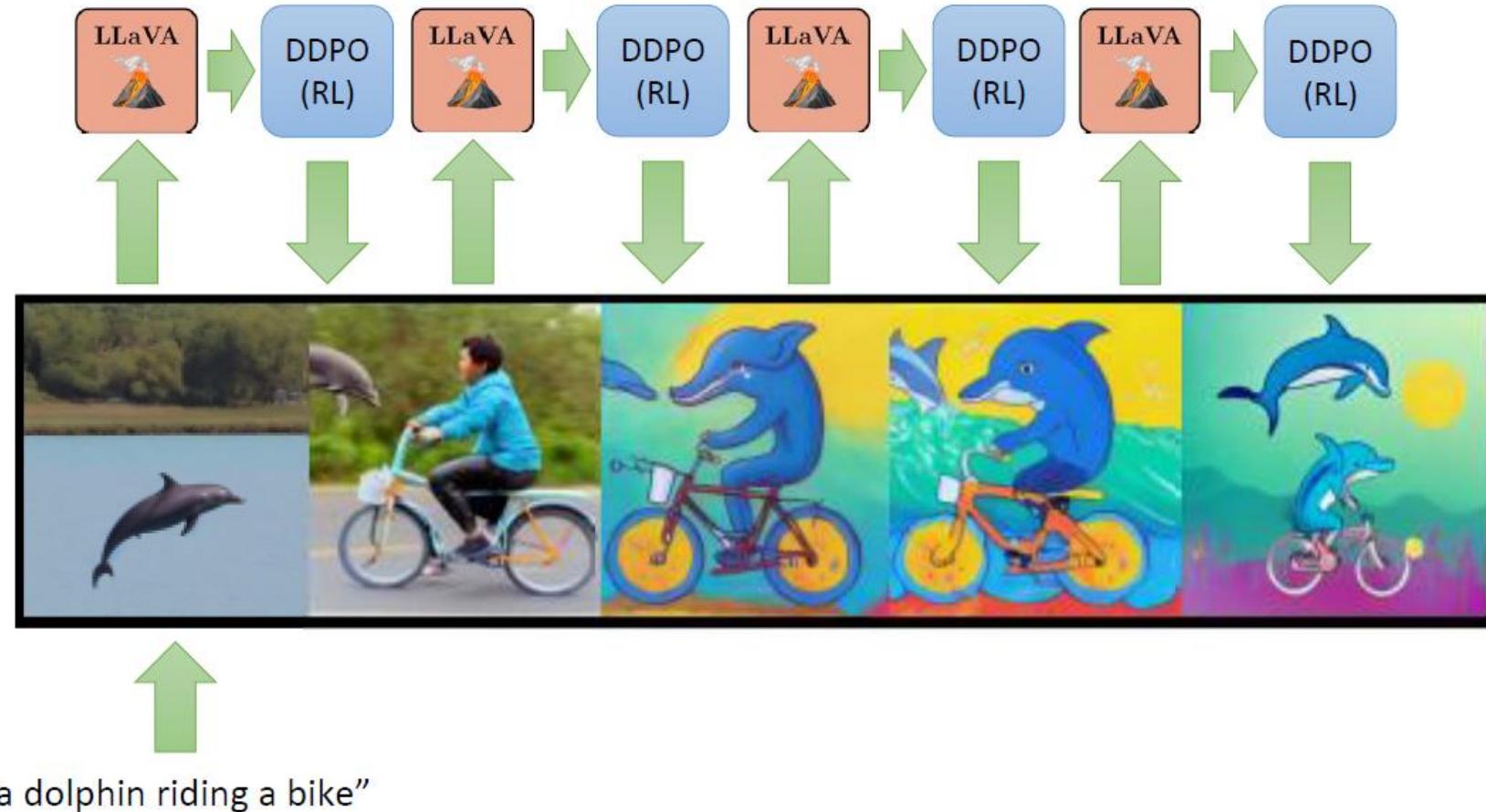


Actions: motor current or torque  
Observations: camera images  
Rewards: task success measure (e.g., running speed)



Actions: what to purchase  
Observations: inventory levels  
Rewards: profit

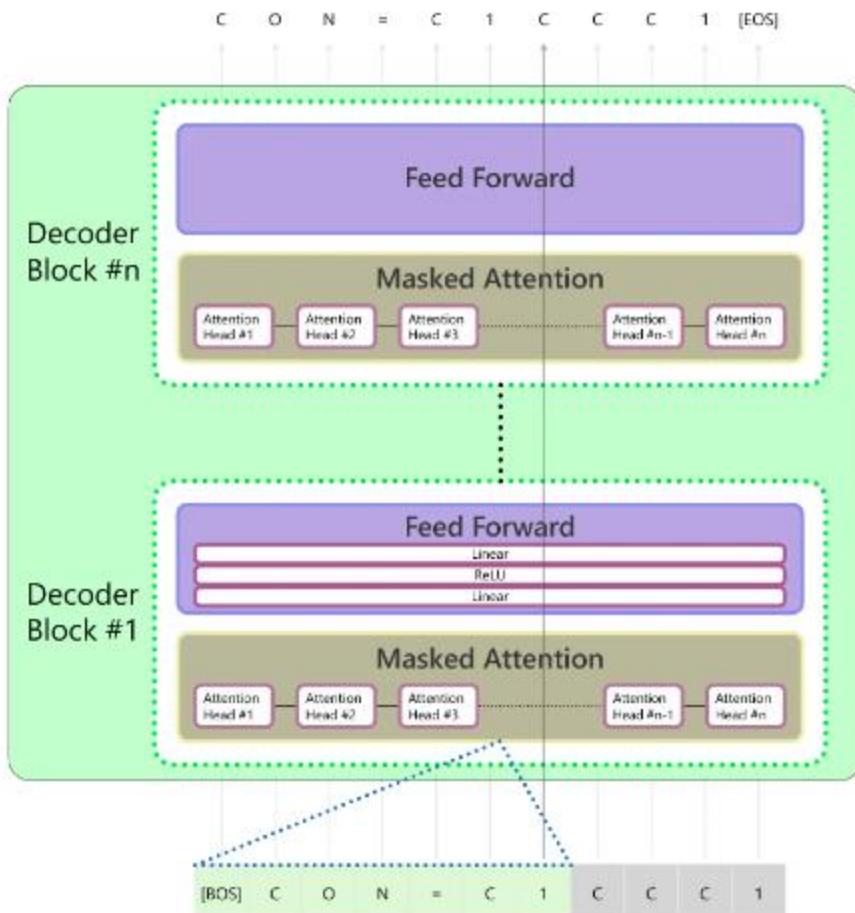
# Reinforcement learning with image generation



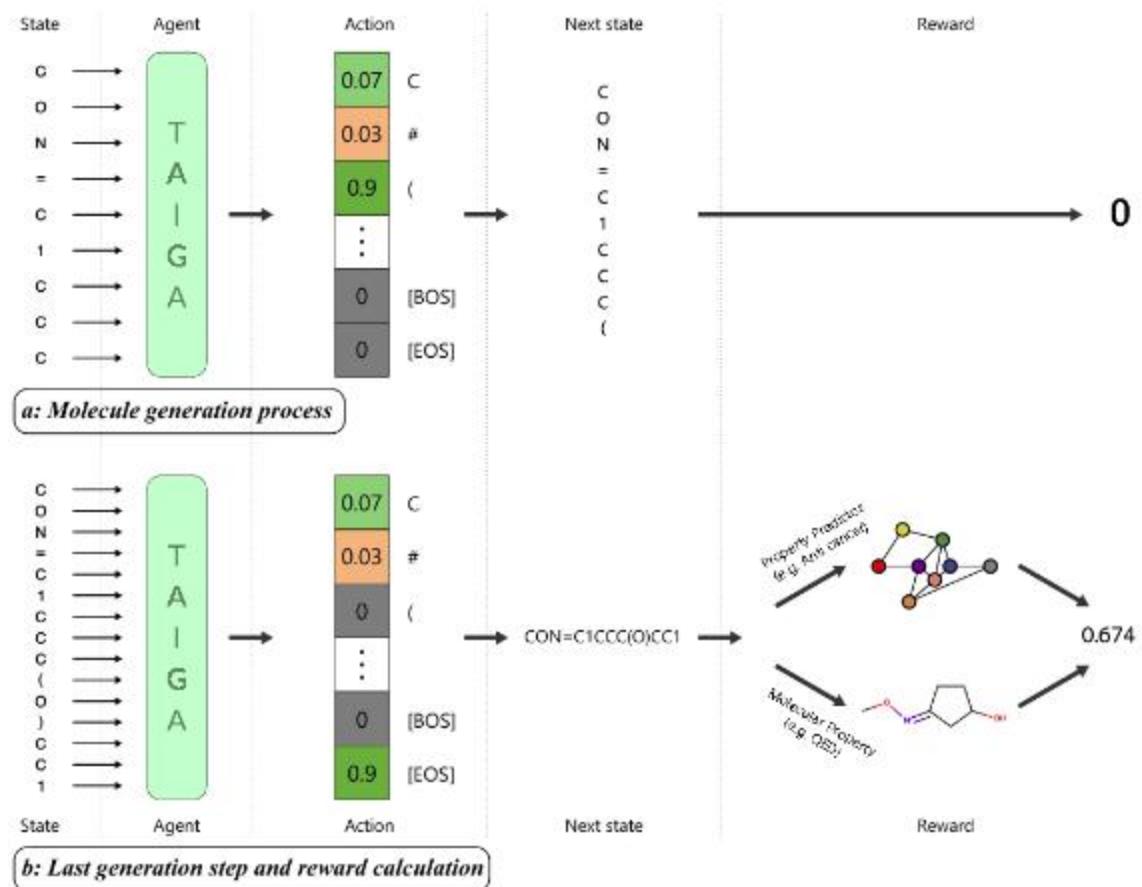
Kevin Black\*, Michael Janner\*, Yilun Du, Ilya Kostrikov, Sergey Levine. **Training Diffusion Models with Reinforcement Learning**. 2023.



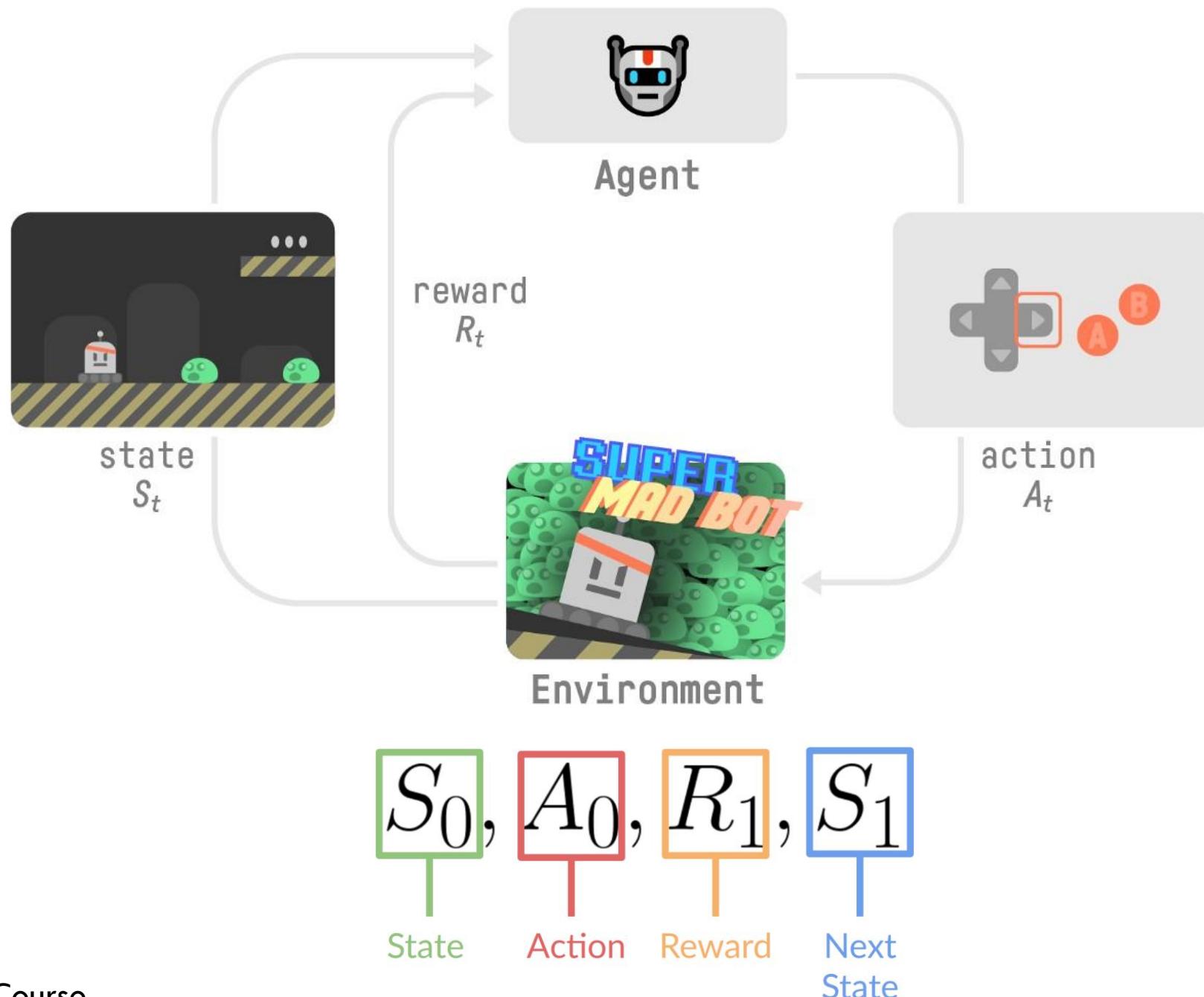
Taiga



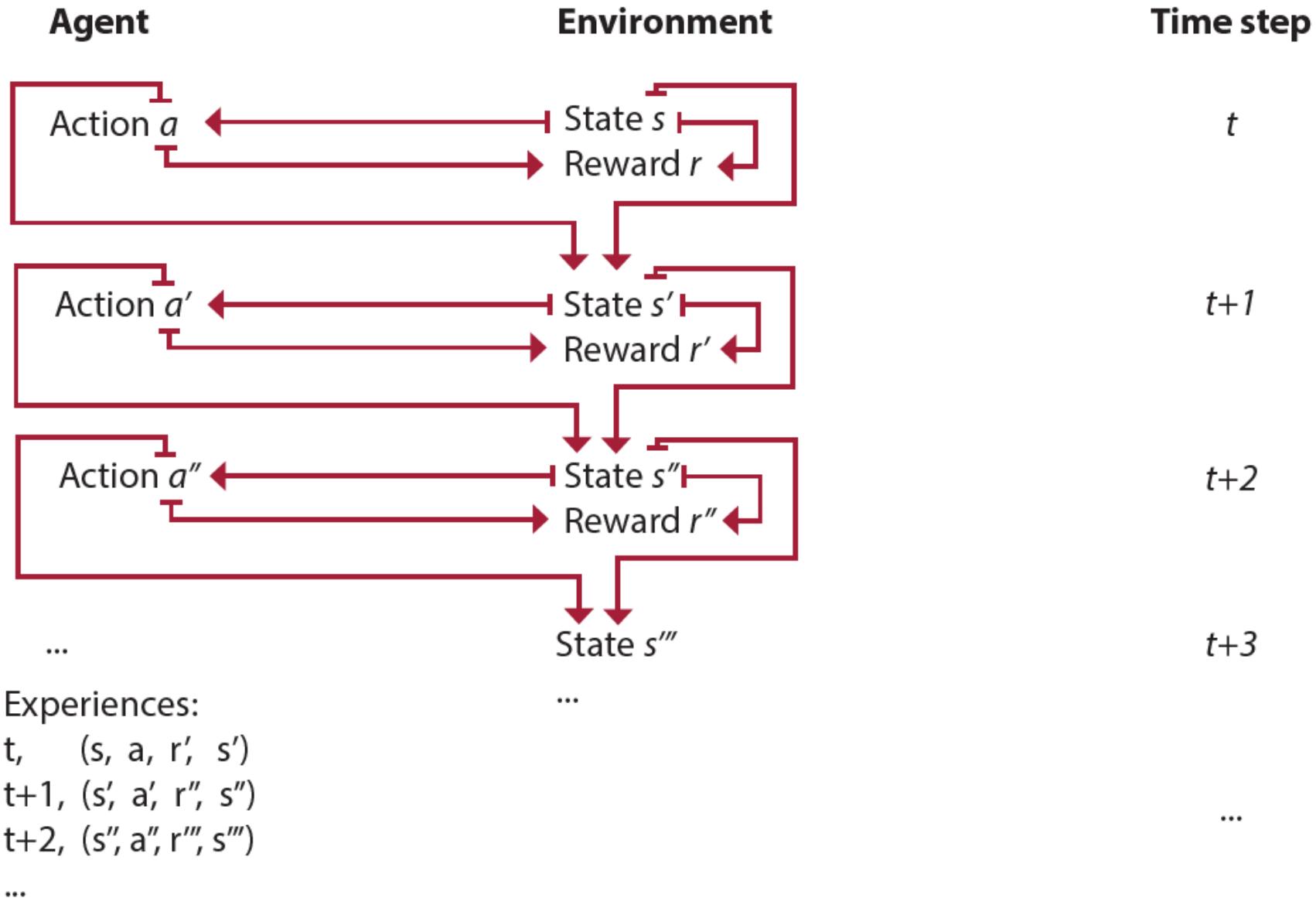
Stage 1



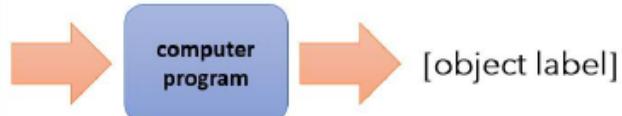
Stage 2



## Experience tuples



## supervised learning



input:  $\mathbf{x}$

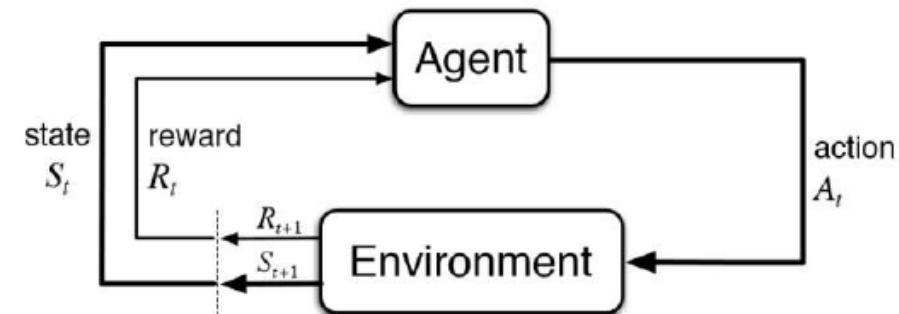
output:  $\mathbf{y}$

data:  $\mathcal{D} = \{(\mathbf{x}_i, \mathbf{y}_i)\}$

goal:  $f_\theta(\mathbf{x}_i) \approx \mathbf{y}_i$

someone gives  
this to you

## reinforcement learning



pick your  
own actions

input:  $\mathbf{s}_t$  at each time step

output:  $\mathbf{a}_t$  at each time step

data:  $(\mathbf{s}_1, \mathbf{a}_1, r_1, \dots, \mathbf{s}_T, \mathbf{a}_T, r_T)$

goal: learn  $\pi_\theta : \mathbf{s}_t \rightarrow \mathbf{a}_t$

to maximize  $\sum_t r_t$

# The State Value Function

---

*State Value Function:* calculate the **value of a state**.



-7	-6	-5	-4	
	-7		-3	
	-8		-2	-1



$$\underline{V}_\pi(s) = \mathbf{E}_{\pi}[G_t | S_t = s]$$

Value of state s

Expected return

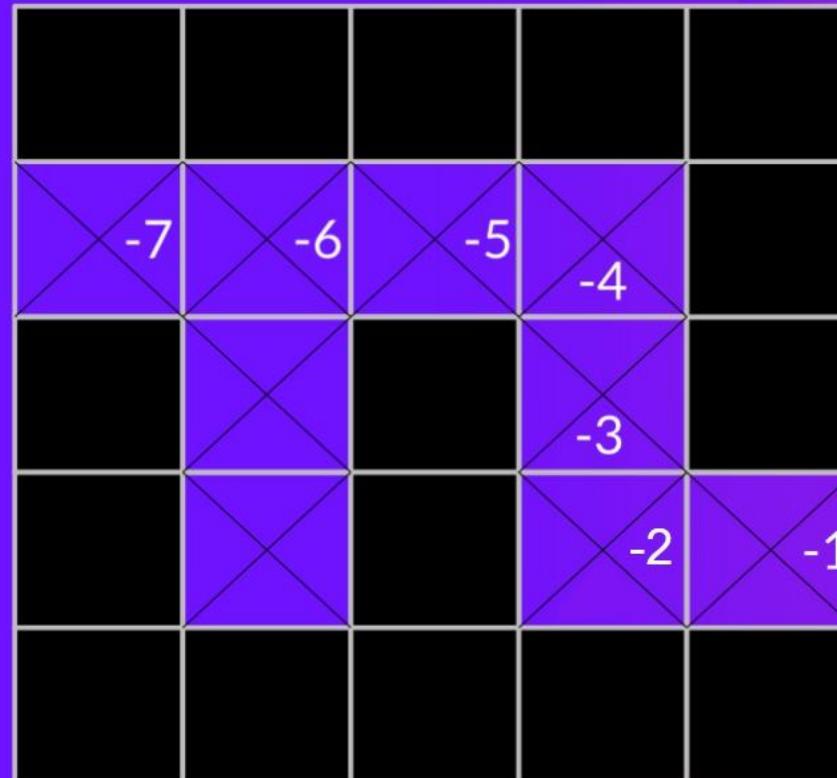
If the agent starts  
at state s

And uses the policy to  
choose its actions for  
all time steps

For each state,  
the state-value function outputs  
the expected return  
if the agent starts in that state  
and then follows the policy forever after.

# The Action Value Function

*Action Value Function:* calculate the **value of state-action pair**.



\*We didn't fill  
all the state-actions  
pair for the example  
of Action-value function



$$Q_{\pi}(s, a) = \mathbf{E}_{\pi}[G_t | S_t = s, A_t = a]$$

Value of state-action pair s,a

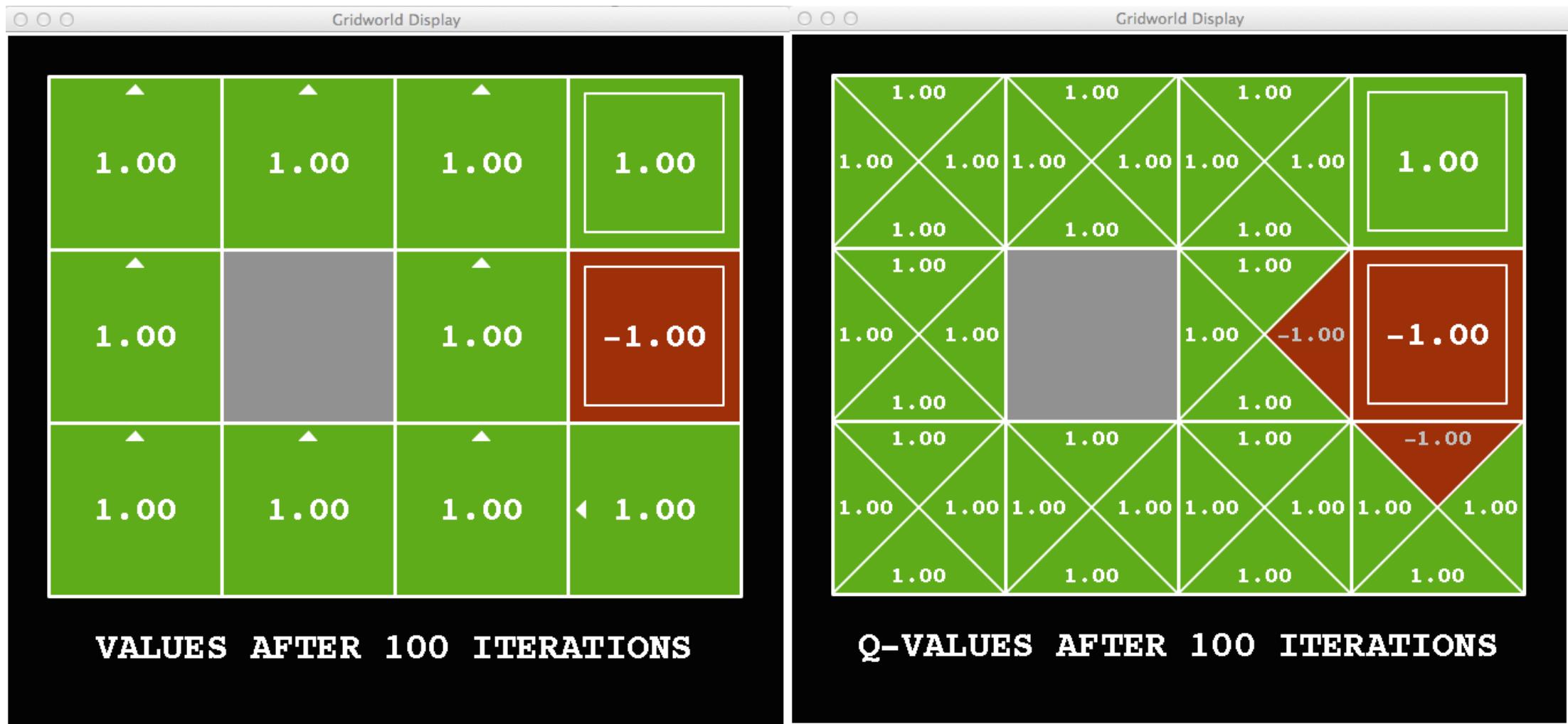
Expected return

If the agent starts at state s

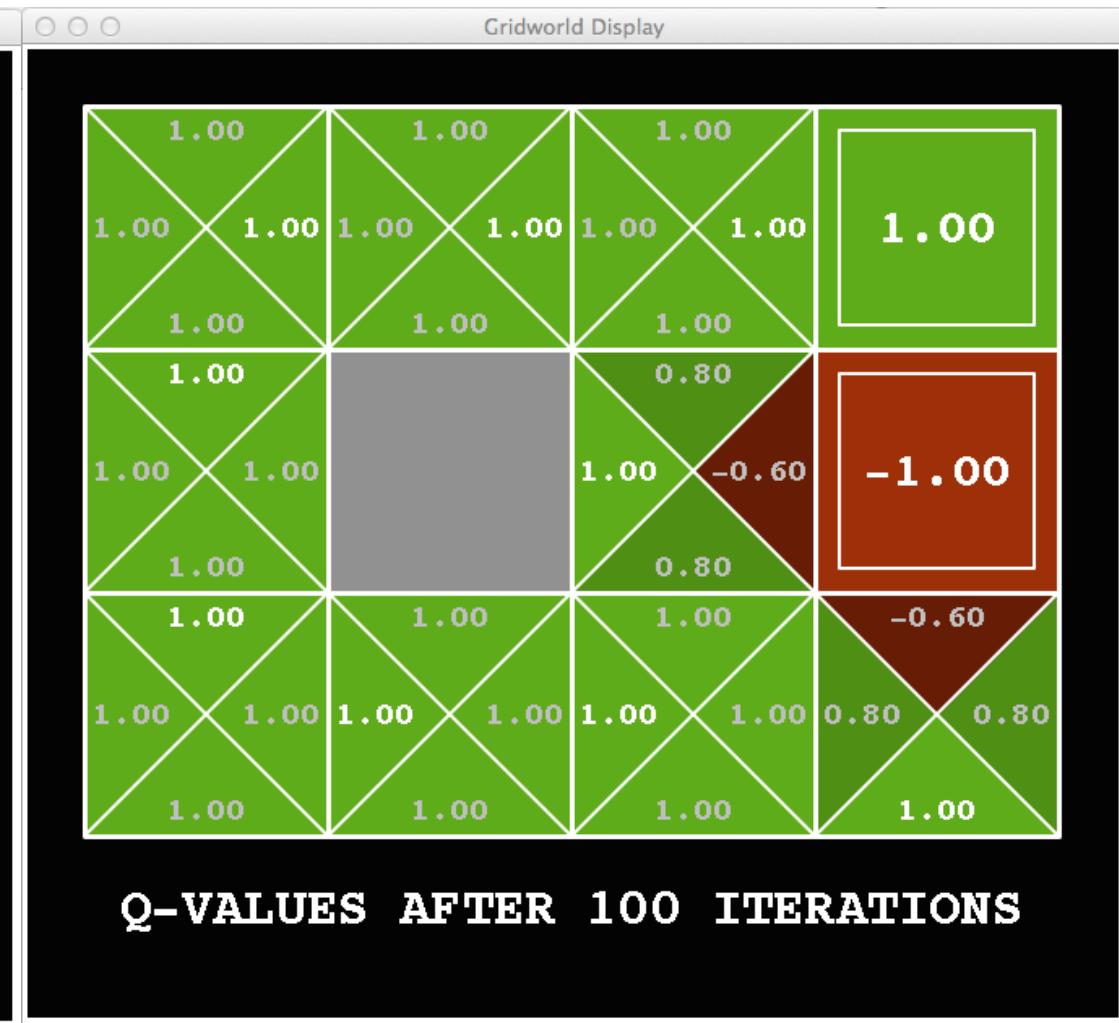
and chooses action a

And then uses the policy to choose its actions for all time steps

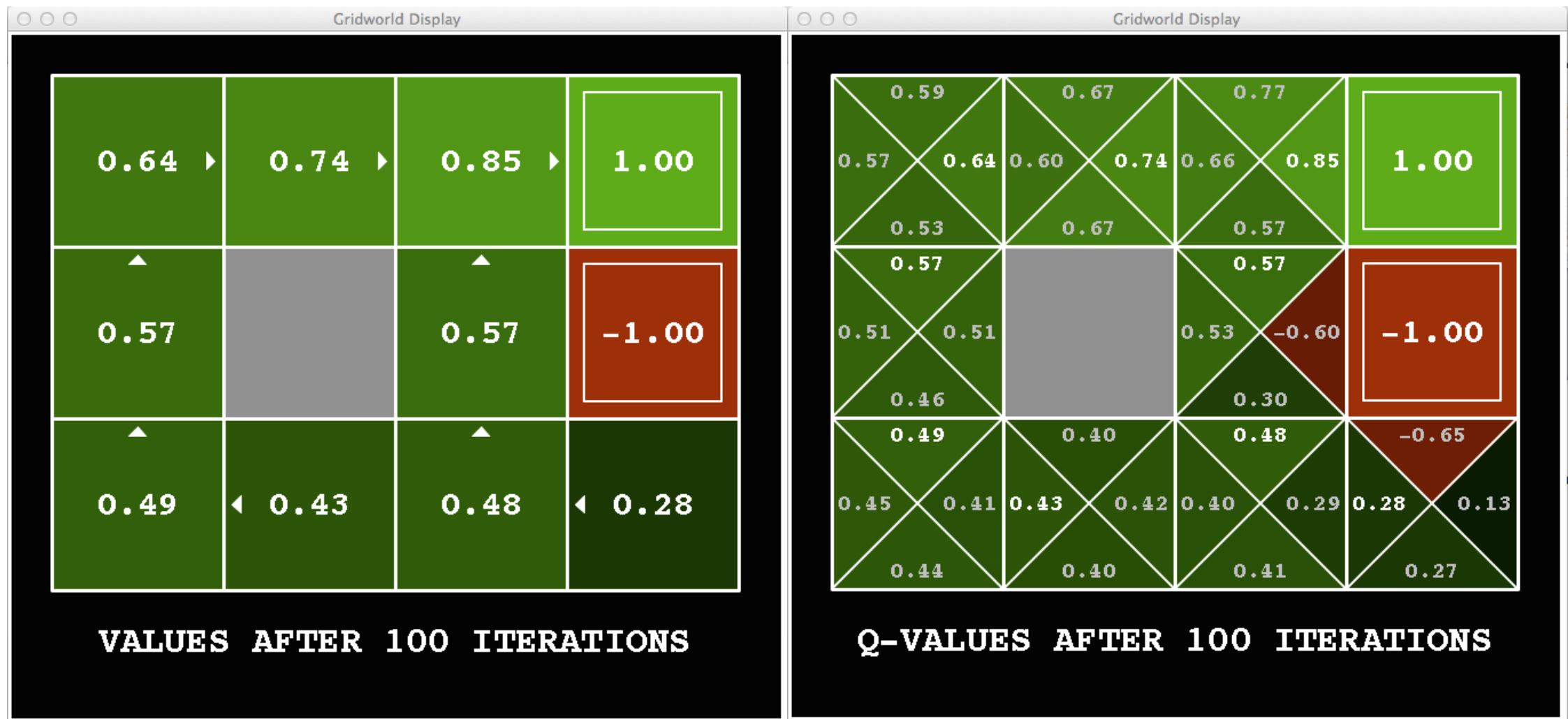
For each state and action,  
the action-value function outputs  
the expected return  
if the agent starts in that state  
and takes the action  
and then follows the policy forever after.



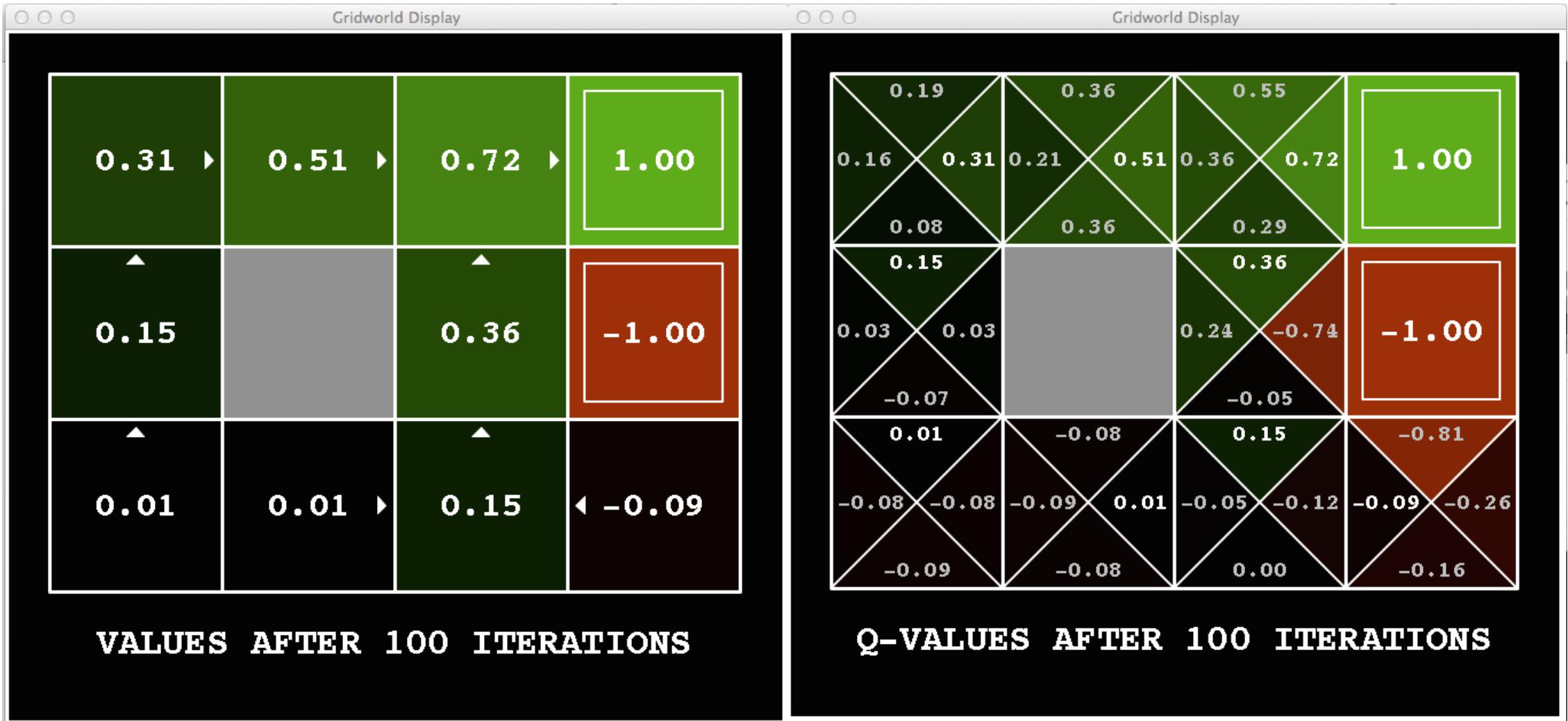
Noise = 0  
Discount = 1  
Living reward = 0



Noise = 0.2  
Discount = 1  
Living reward = 0



Noise = 0.2  
Discount = 0.9  
Living reward = 0



Noise = 0.2  
Discount = 0.9  
Living reward = -0.1

# WHAT WE HAVE LEARNED SO FAR?

- what is reinforcement learning and its actual place & significance
- reinforcement learning framework & basic concepts
  - agent
  - environment
  - state/observation
  - action
  - reward
  - policy
  - model
  - experience/trajectory/horizon
  - discount factor
  - state value function
  - action value function

# **Challenges of Reinforcement Learning**

# Type of tasks

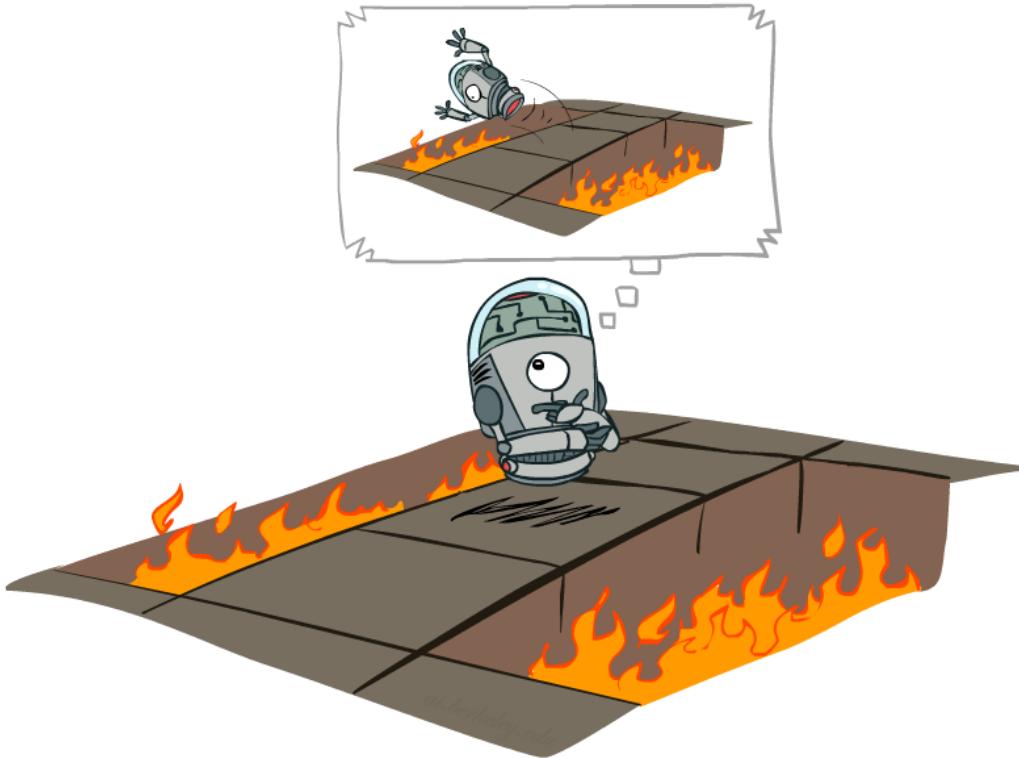
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**Episodic:** starting point and an ending point (a terminal state)

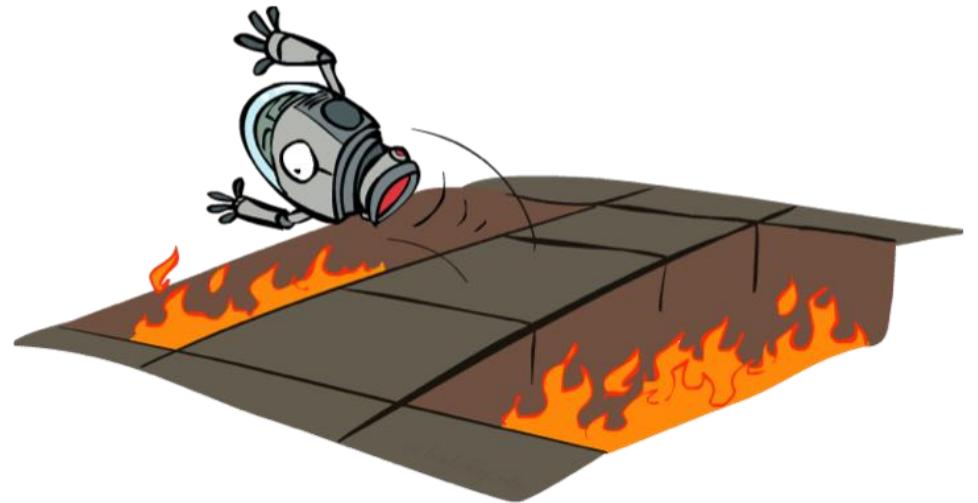


**Continuing:** task that continue forever (no terminal state)



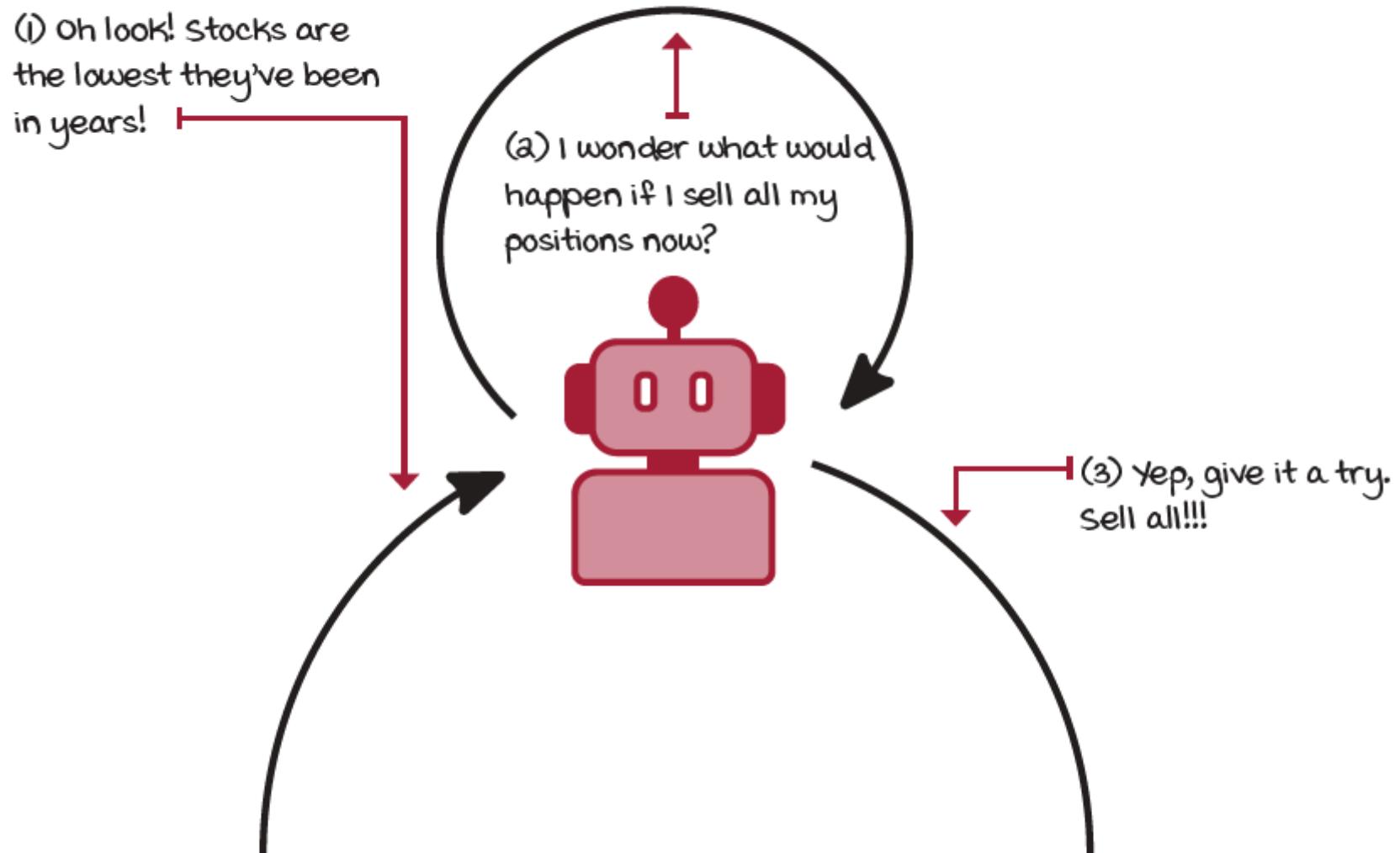


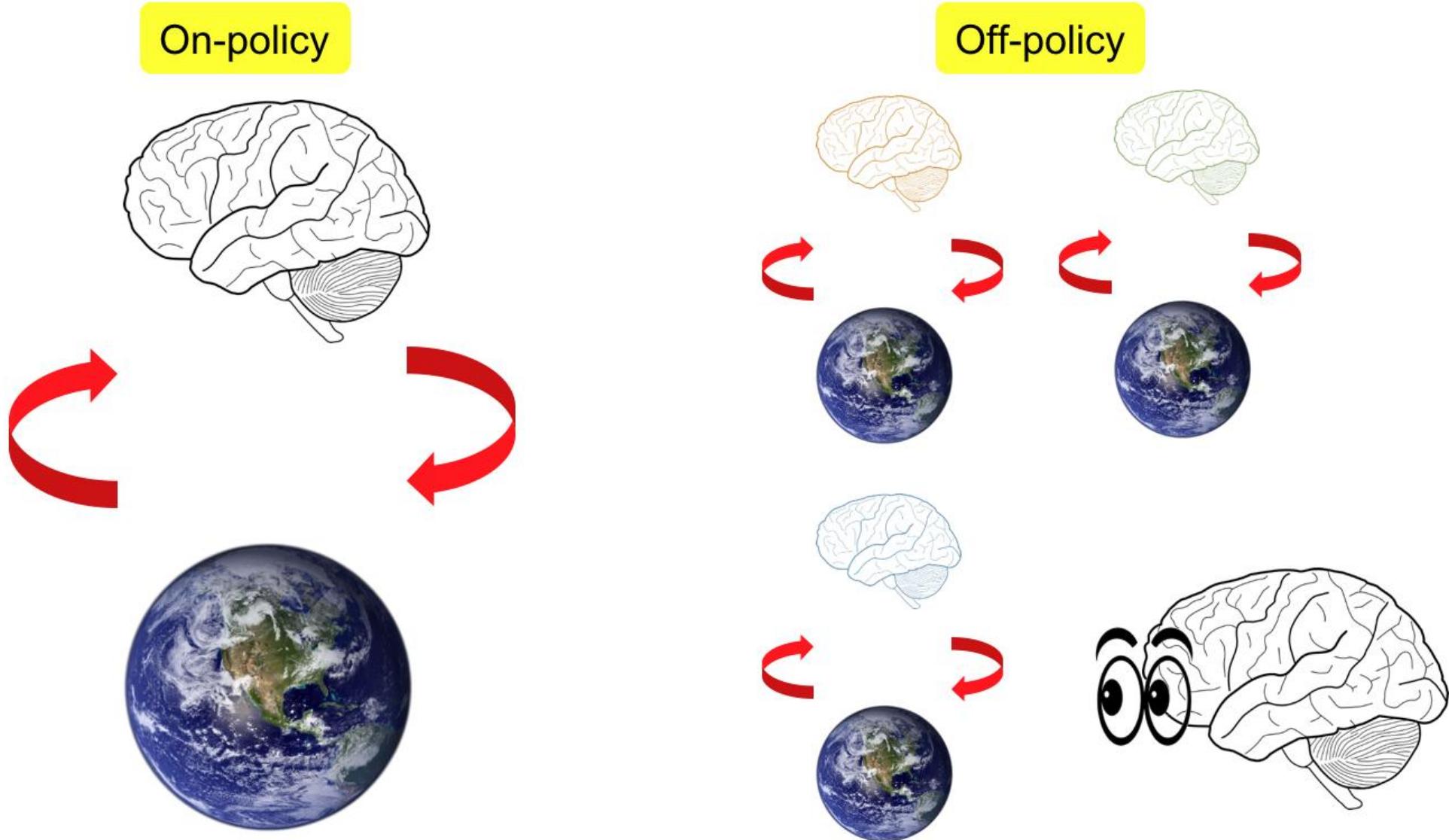
Offline Solution



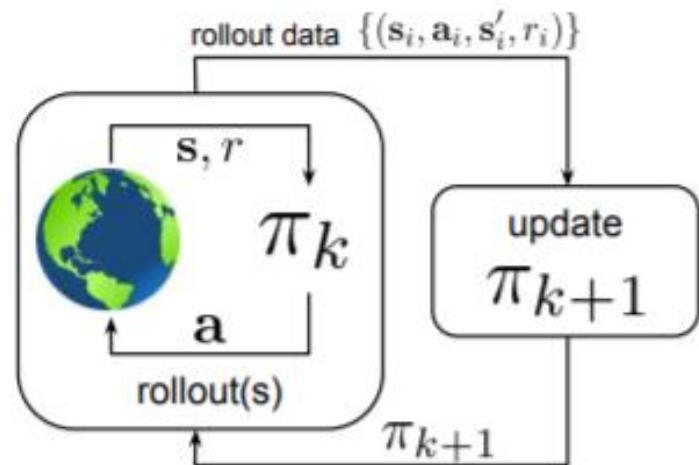
Online Learning

## Deep reinforcement learning agents will explore! Can you afford mistakes?

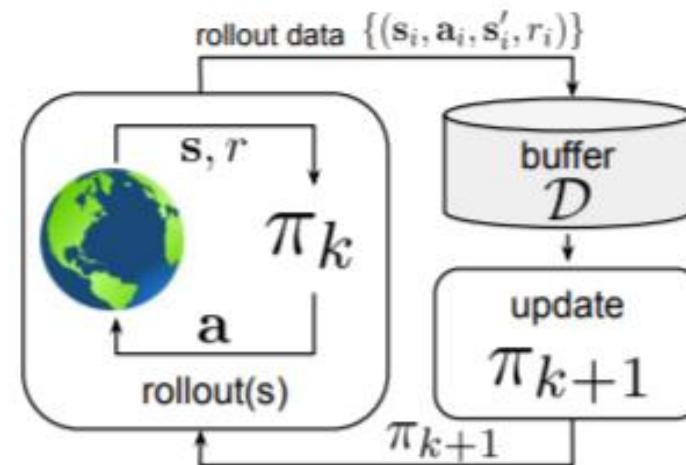




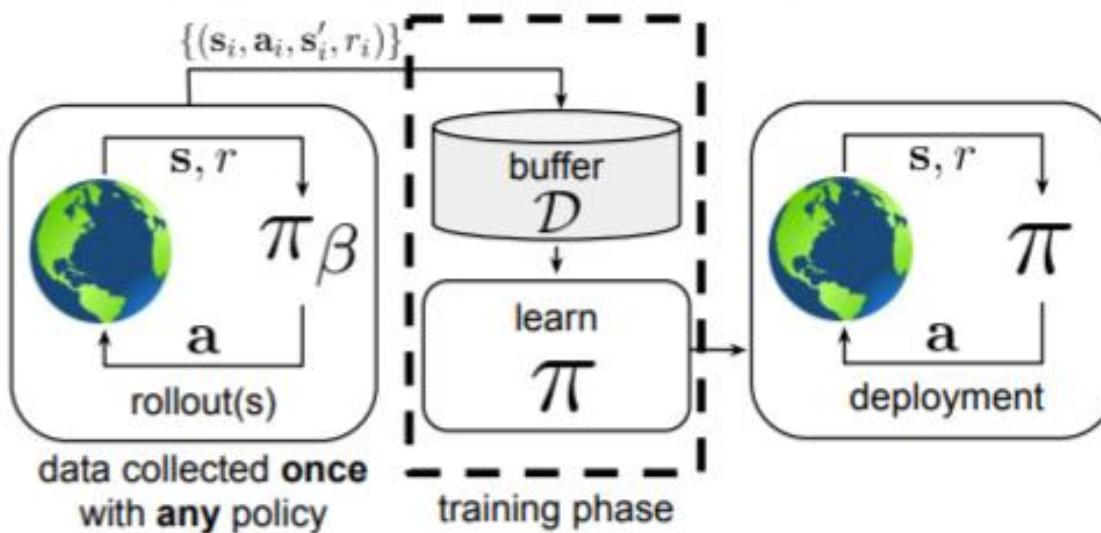
(a) online reinforcement learning



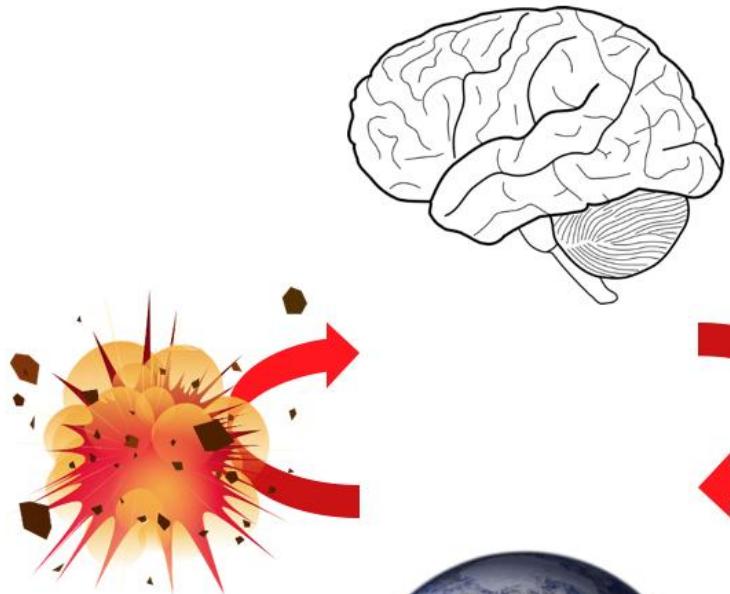
(b) off-policy reinforcement learning



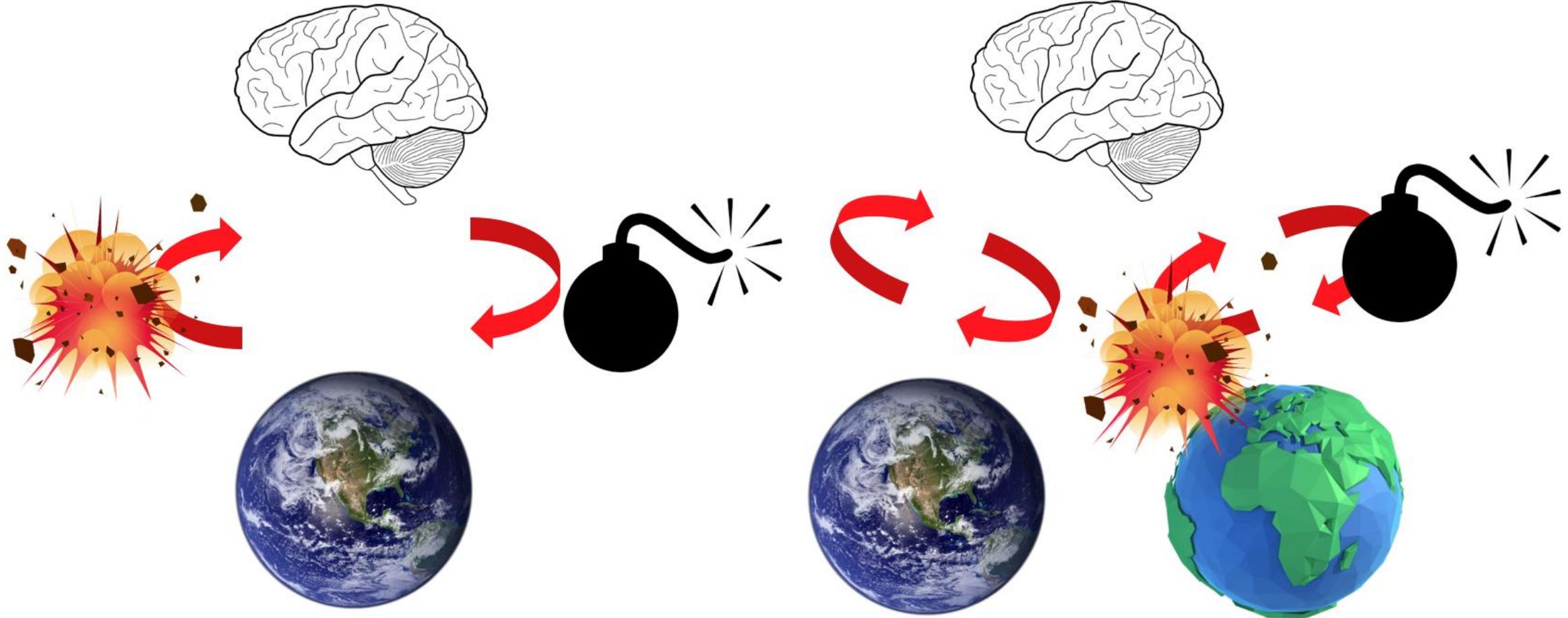
(c) offline reinforcement learning



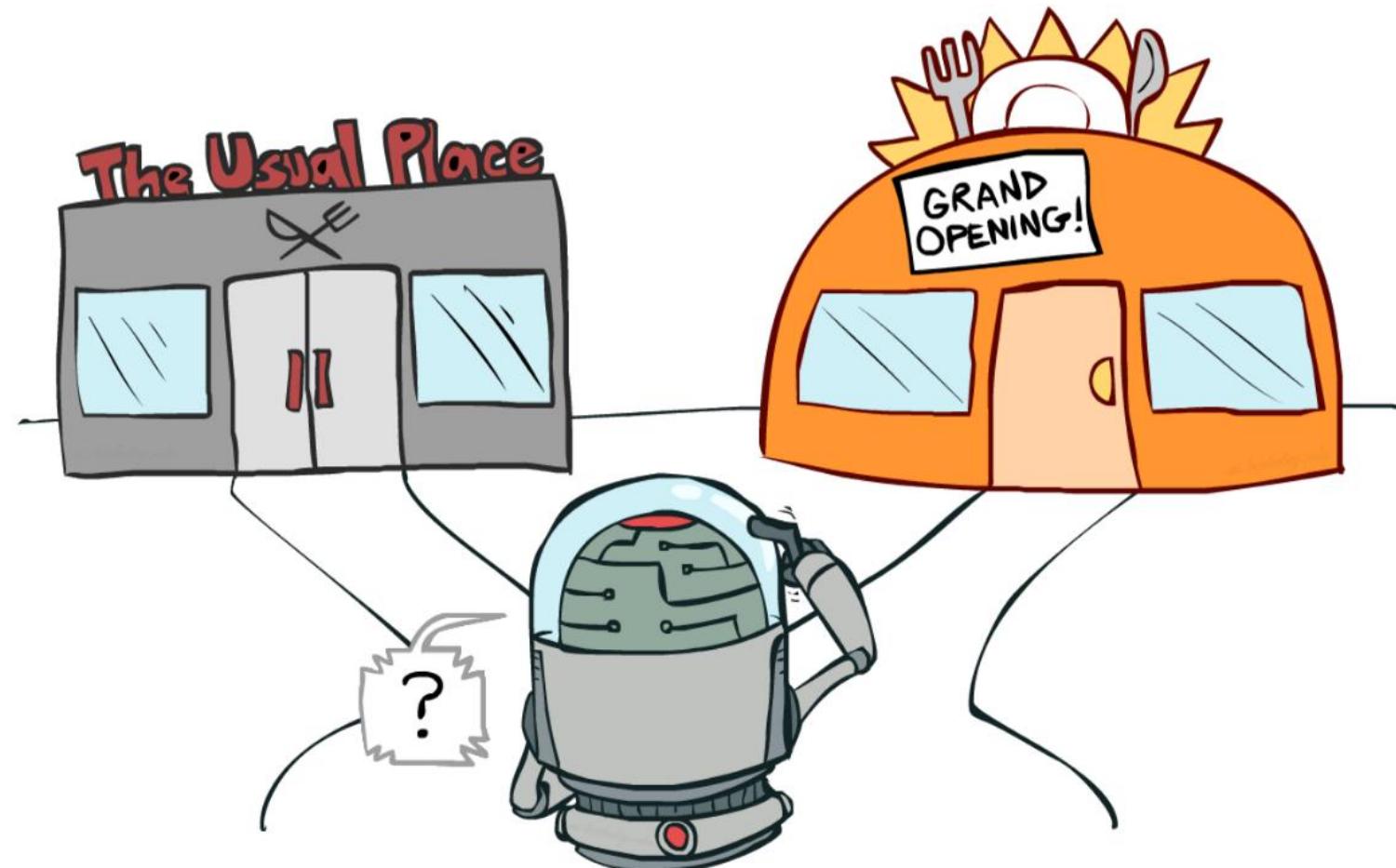
Model-free



Model-based



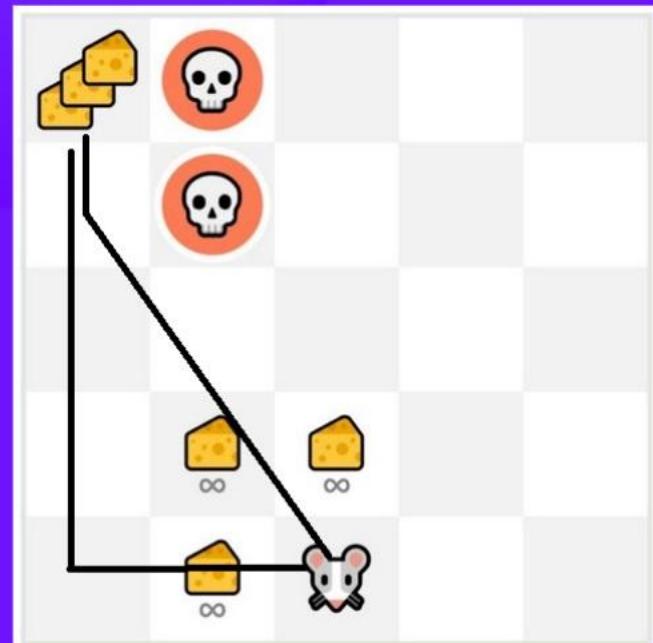
# EXPLORATION VS. EXPLOITATION DILEMMA



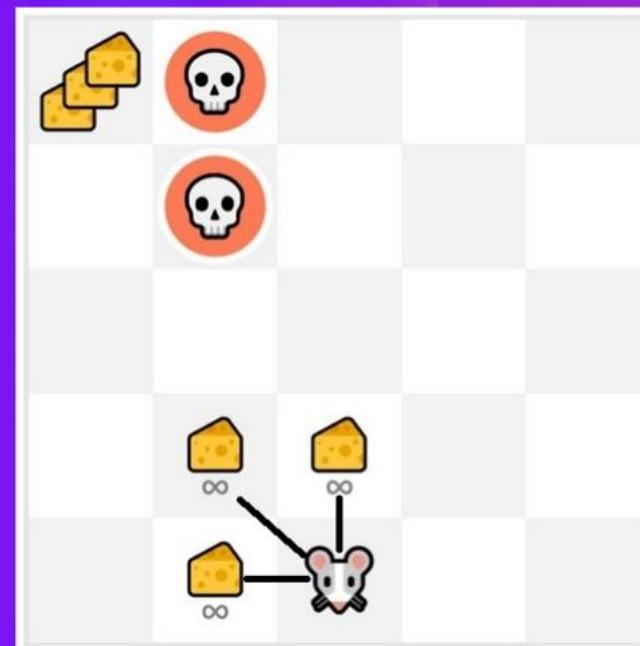
# Exploration/ Exploitation tradeoff

---

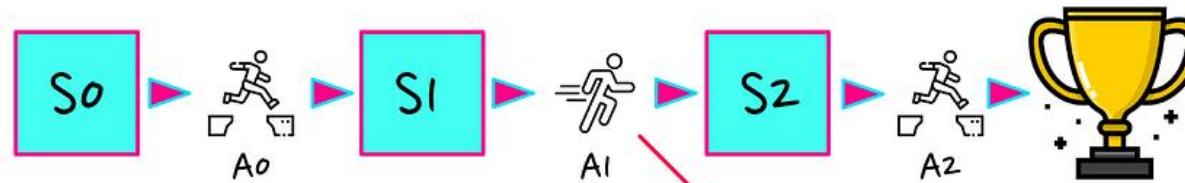
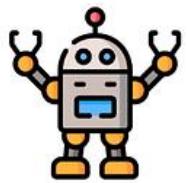
*Exploration:* trying **random actions** in order to find **more information about the environment.**



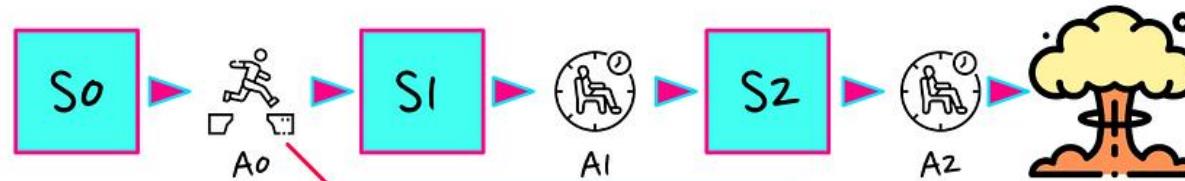
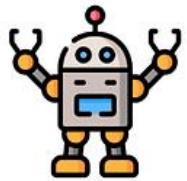
*Exploitation:* using known information to **maximize the reward.**



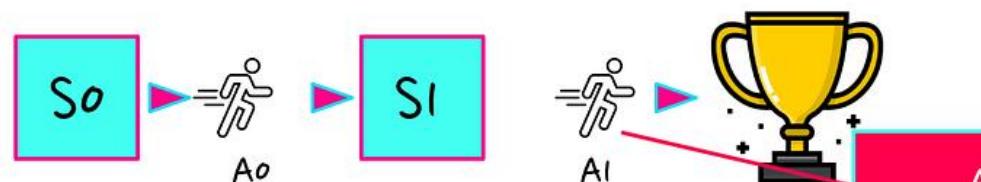
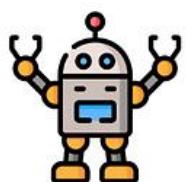
# CREDIT ASSIGNMENT PROBLEM



Behave more  
like this



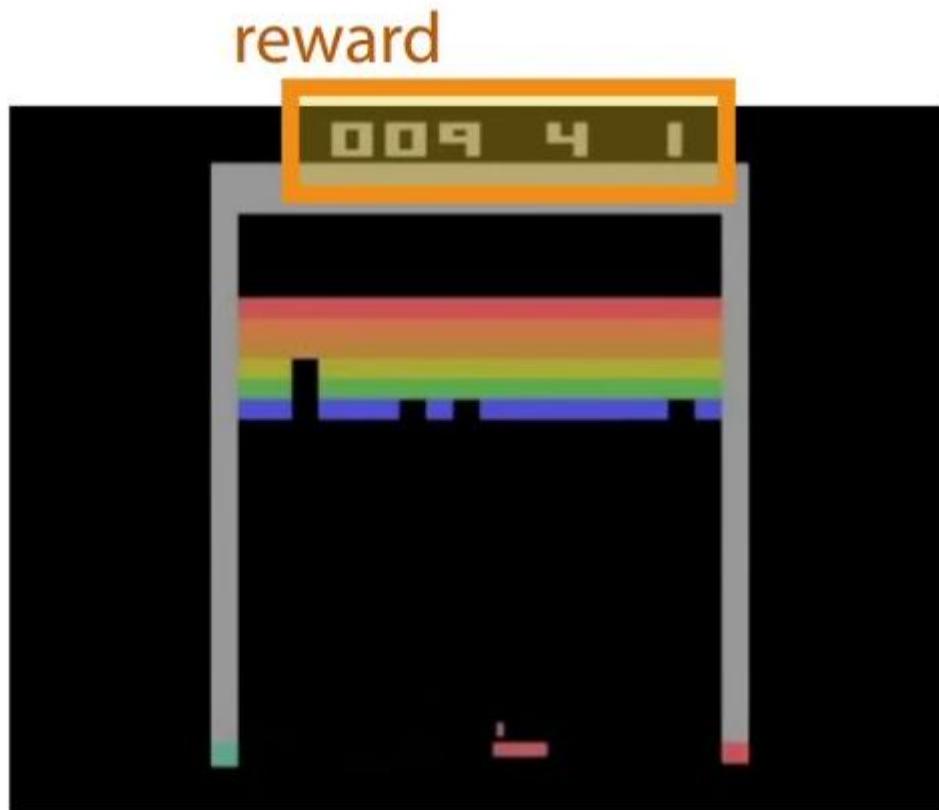
Behave less  
like this



Behave even more  
like this

And this one?

# REWARD ENGINEERING PROBLEM



**what is the reward?**

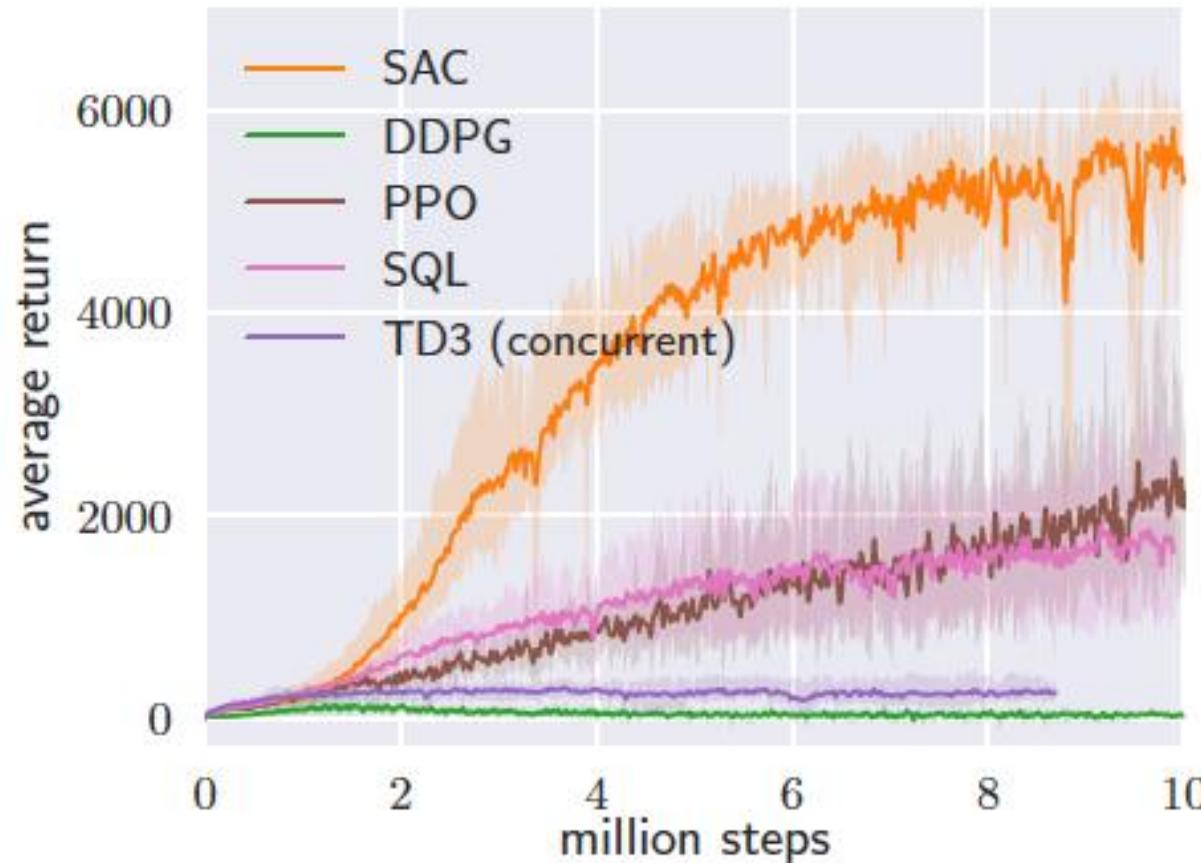
- ▶ Fly a helicopter → Reward: air time, inverse distance, ...
- ▶ Manage an investment portfolio → Reward: gains, gains minus risk, ...
- ▶ Control a power station → Reward: efficiency, ...
- ▶ Make a robot walk → Reward: distance, speed, ...
- ▶ Play video or board games → Reward: win, maximise score, ...

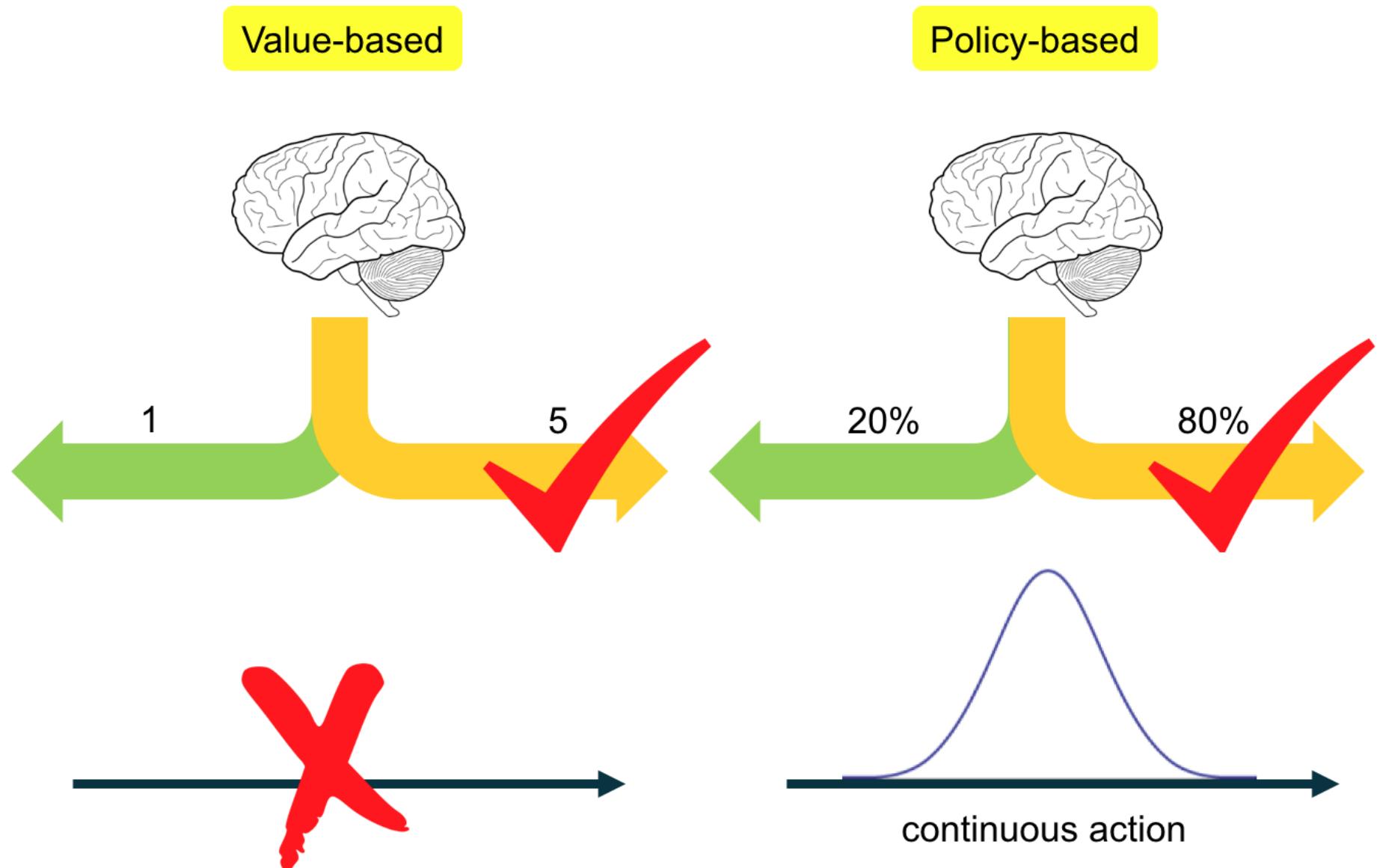
If the goal is to learn via interaction, these are all reinforcement learning problems  
(Irrespective of which solution you use)

# GENERALIZATION PROBLEM

	Singleton Environments	IID Generalisation Environments	OOD Generalisation Environments
Graphical Models	<p>MDP</p>	<p>CMDP</p>	<p>CMDP</p>
Train and Test Distribution	<p>Train = Test</p>	<p><math>p_{\text{train}}(c) = p_{\text{test}}(c)</math></p> <p>Train Distribution = Test Distribution</p>	<p><math>p_{\text{train}}(c) \neq p_{\text{test}}(c)</math></p> <p>Train Distribution <math>\neq</math> Test Distribution</p>
Example Benchmarks	<p>Atari</p> <p>MuJoCo</p>	<p>OpenAI Progeny</p> <p>Nethack Learning Environment</p> <p>MiniHack</p>	<p>Distracting Control Suite</p> <p>CausalWorld</p> <p>CARLA</p>

# SAMPLE EFFICIENCY PROBLEM

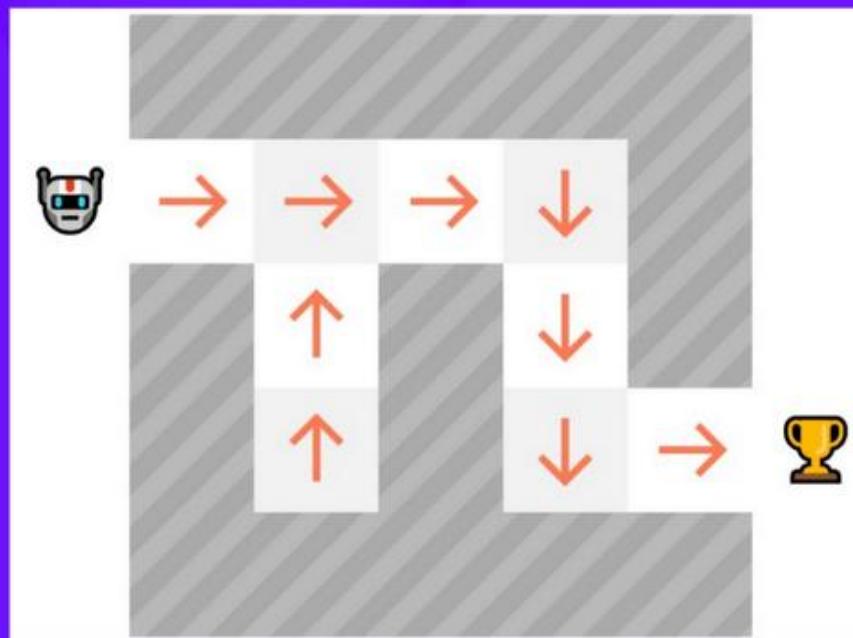




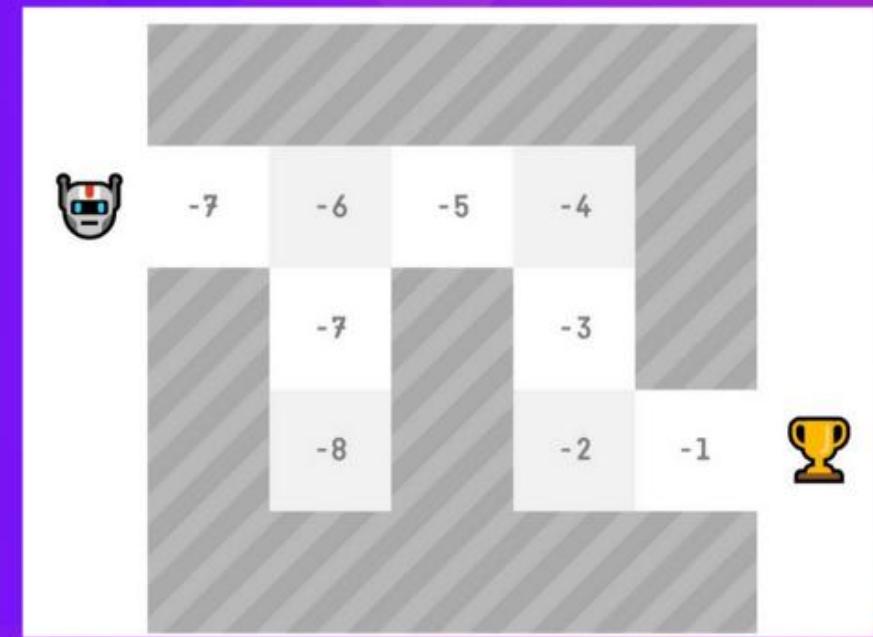
# Two approaches to find optimal policy $\pi^*$ :

---

**Policy-Based methods:** train the agent to learn which **action to take**, given a state.



**Value-Based methods:** train the agent to learn which state **is more valuable** and take the action that leads to it.

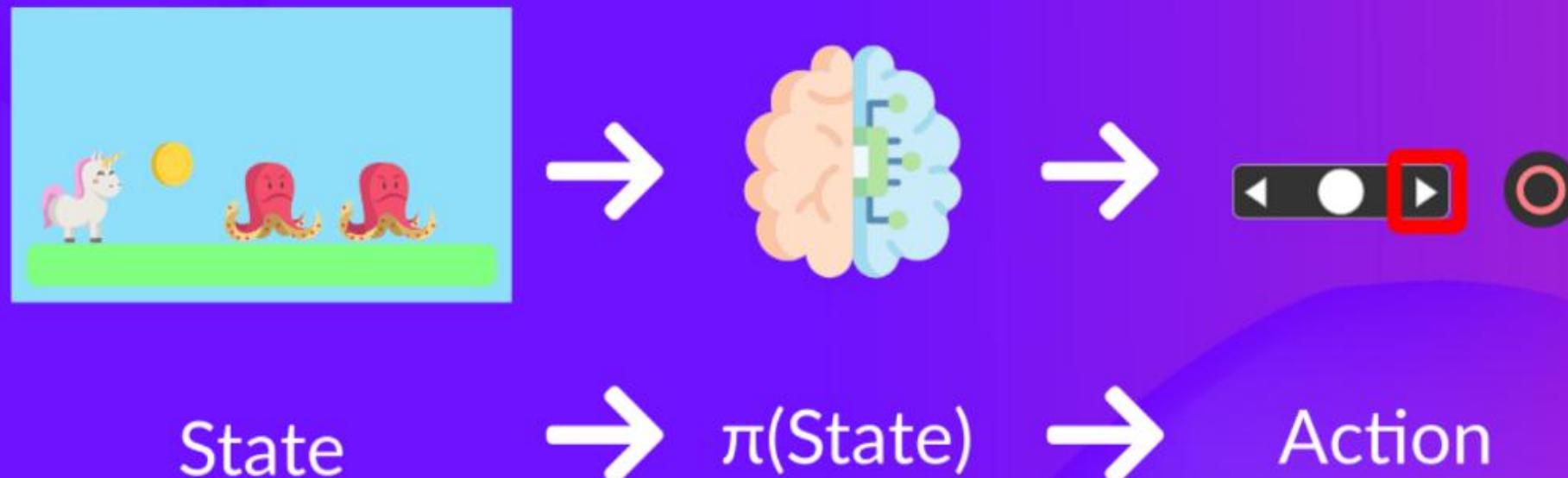


# Two approaches to find optimal policy $\pi^*$ :

---

## *Policy-Based methods:*

- Train directly the policy.
- Our policy is a Neural Network.
  - No value function.



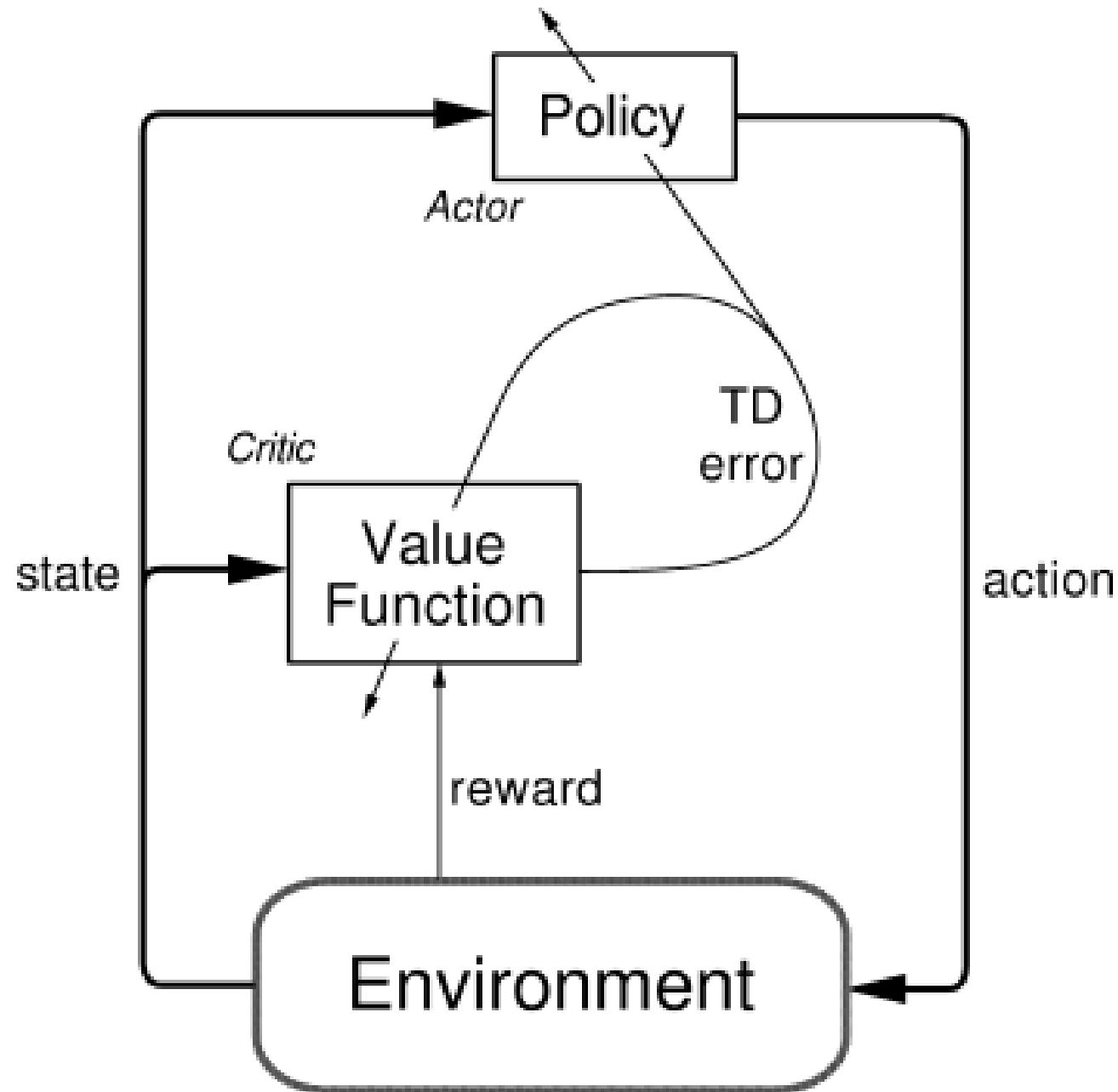
# Two approaches to find optimal policy $\pi^*$ :

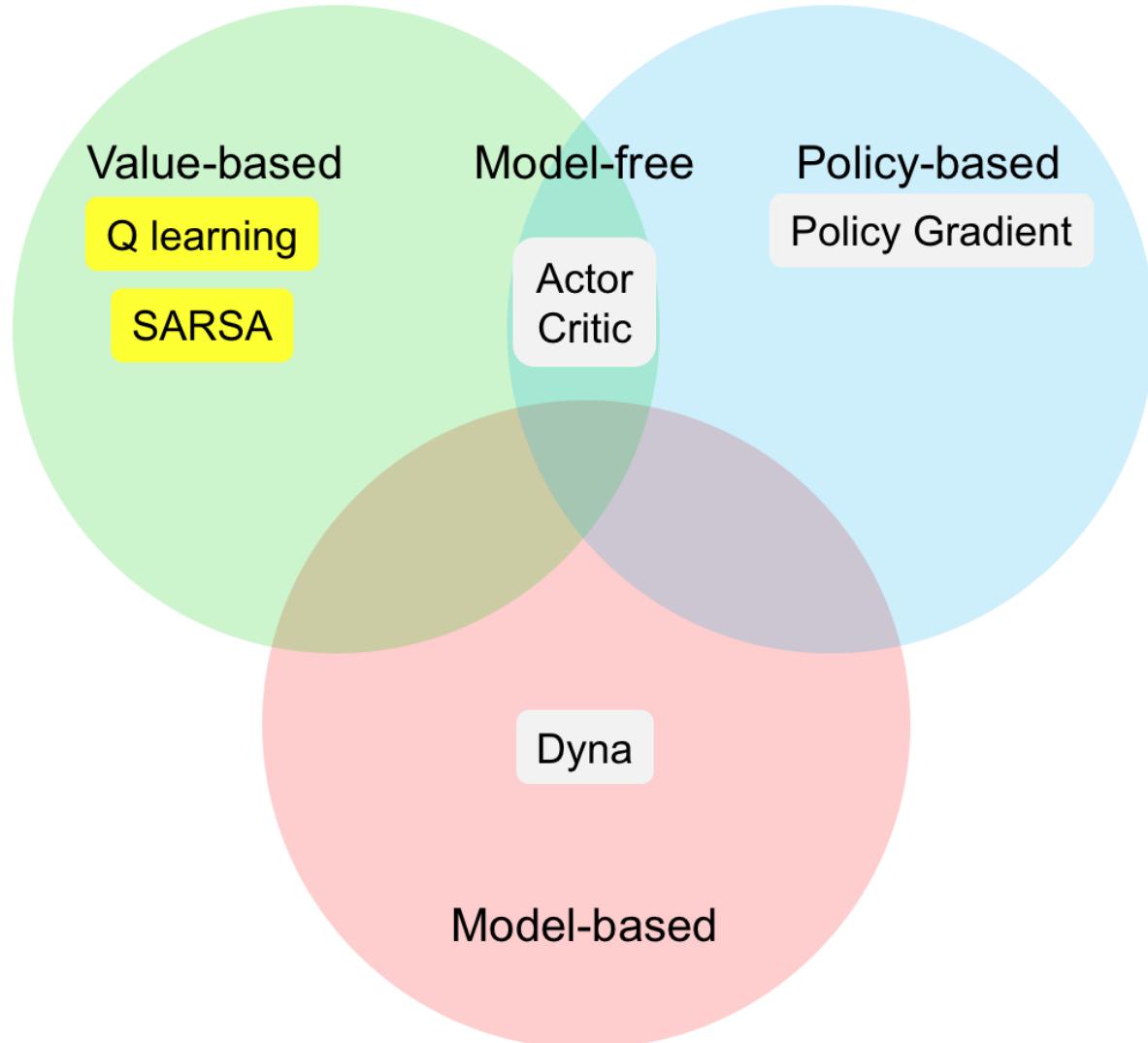
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## *Value-Based methods:*

- Don't train the policy.
- Our policy is a function defined by hand.
- Instead train a value-function that is a Neural Network.



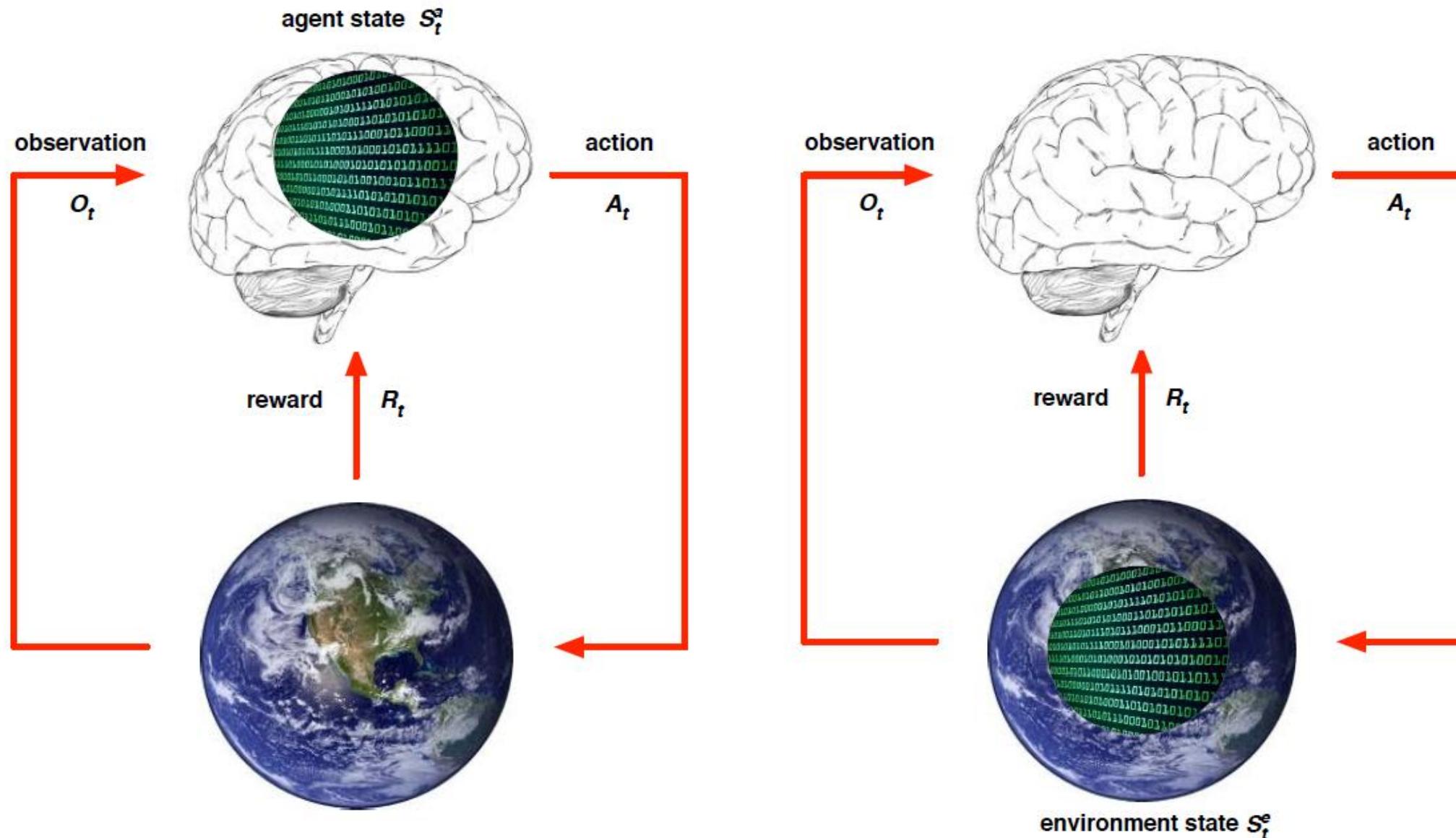




# WHAT WE HAVE LEARNED SO FAR?

- episodic vs continuing reinforcement learning
- offline vs online learning
- safe reinforcement learning
- on-policy vs off-policy vs offline reinforcement learning
- model-free vs model-base reinforcement learning
- exploration vs. exploitation dilemma
- credit assignment problem
- reward engineering problem
- generalization problem
- sample efficiency problem
- value-base vs policy-base vs actor-critic methods

**MP, MRP, MDP**

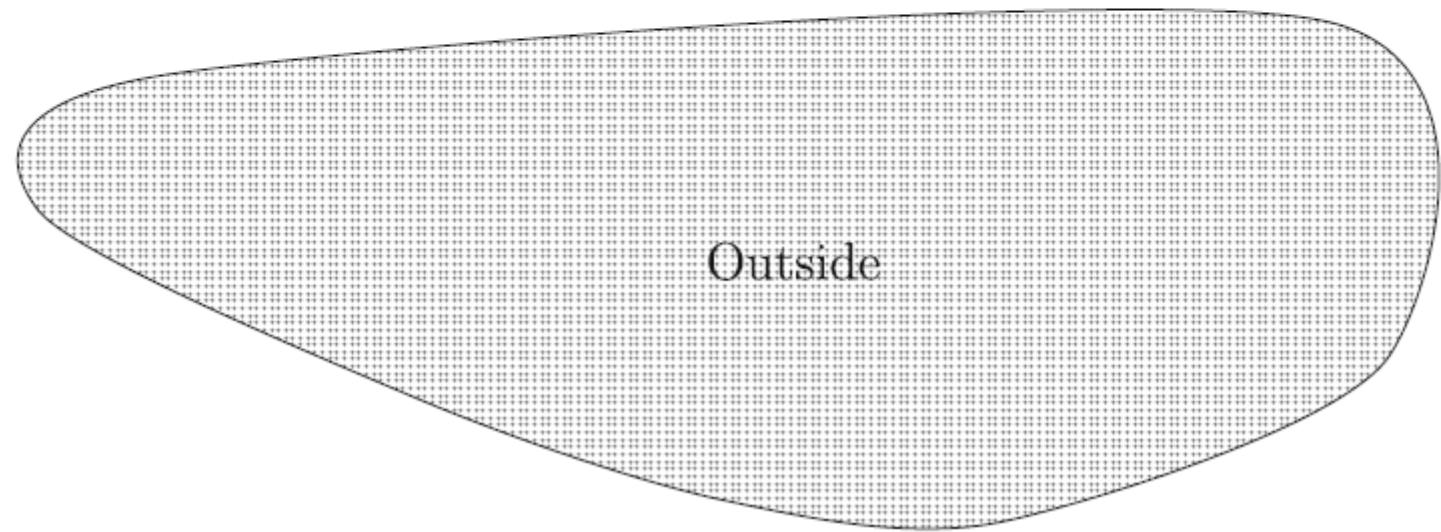
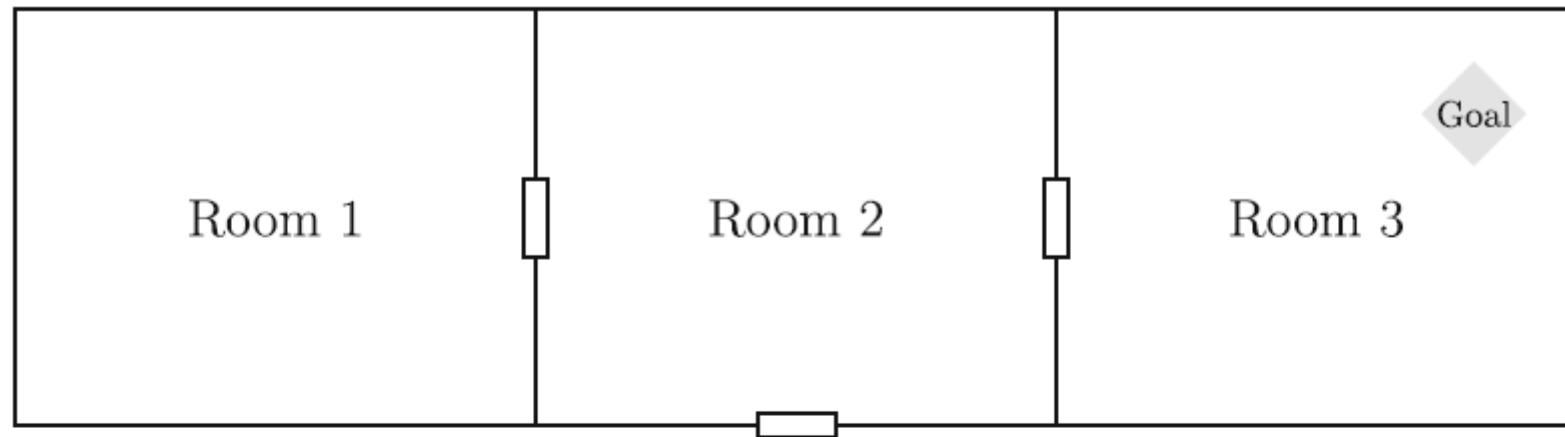


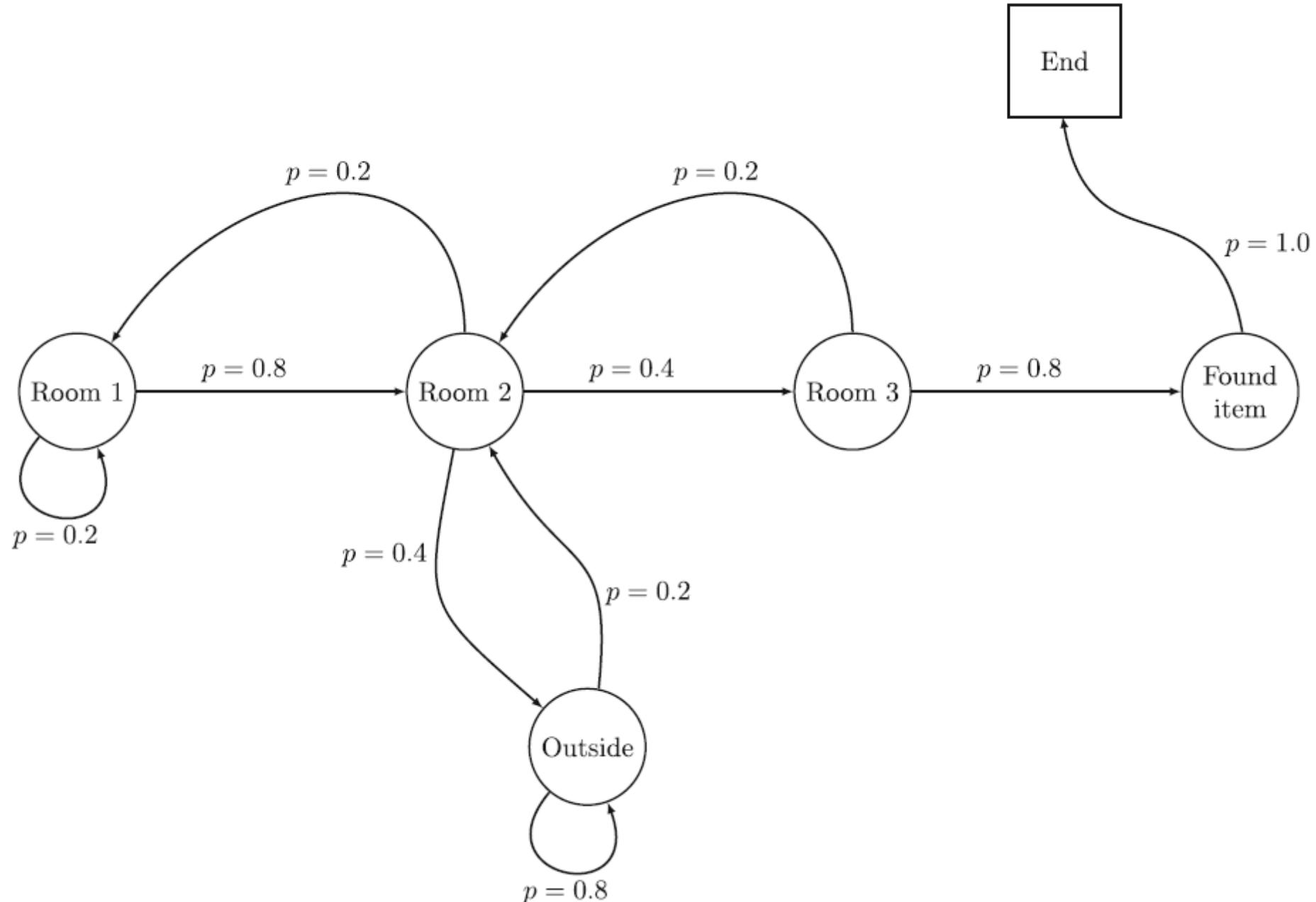
An **information state** (a.k.a. **Markov state**) contains all useful information from the history.

### Definition

A state  $S_t$  is **Markov** if and only if

$$\mathbb{P}[S_{t+1} \mid S_t] = \mathbb{P}[S_{t+1} \mid S_1, \dots, S_t]$$





A Markov chain can be defined as a tuple of  $(\mathcal{S}, \mathcal{P})$

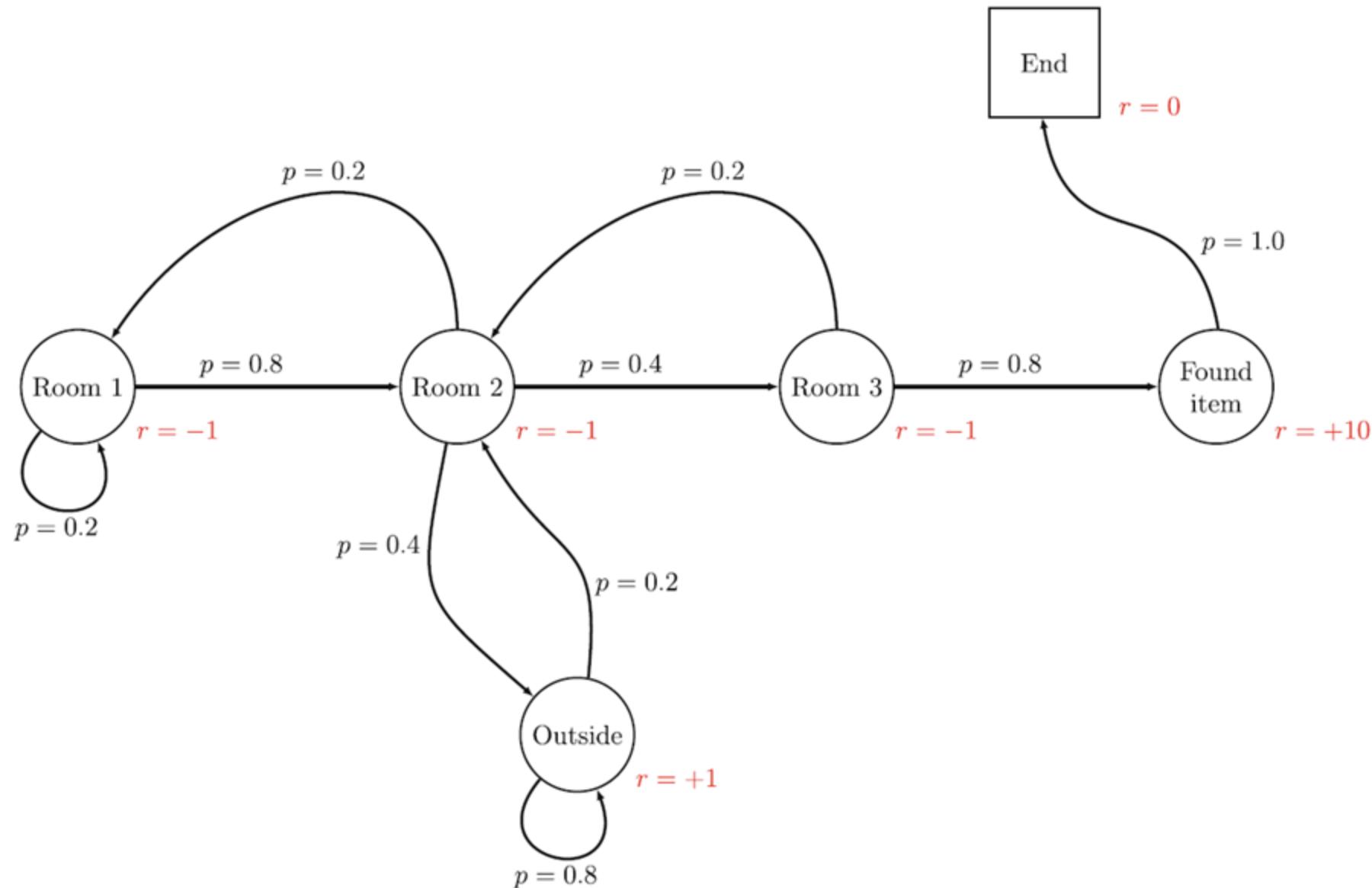
- $\mathcal{S}$  is a finite set of states called the state space.

$$\mathcal{P} = \begin{array}{c|ccccccc} & \text{Room 1} & \text{Room 2} & \text{Room 3} & \text{Outside} & \text{Found item} & \text{End} \\ \hline \text{Room 1} & 0.2 & 0.8 & 0 & 0 & 0 & 0 \\ \text{Room 2} & 0.2 & 0 & 0.4 & 0.4 & 0 & 0 \\ \text{Room 3} & 0 & 0.2 & 0 & 0 & 0.8 & 0 \\ \text{Outside} & 0 & 0.2 & 0 & 0.8 & 0 & 0 \\ \text{Found item} & 0 & 0 & 0 & 0 & 0 & 1.0 \\ \text{End} & 0 & 0 & 0 & 0 & 0 & 1.0 \end{array}$$

- Episode 1: (Room 1, Room 2, Room 3, Found item, End)
- Episode 2: (Room 3, Found item, End)
- Episode 3: (Room 2, Outside, Room 2, Room 3, Found item, End)
- Episode 4: (Outside, Outside, Outside, ...)

We can define the Markov reward process as a tuple  $(\mathcal{S}, \mathcal{P}, \mathcal{R})$

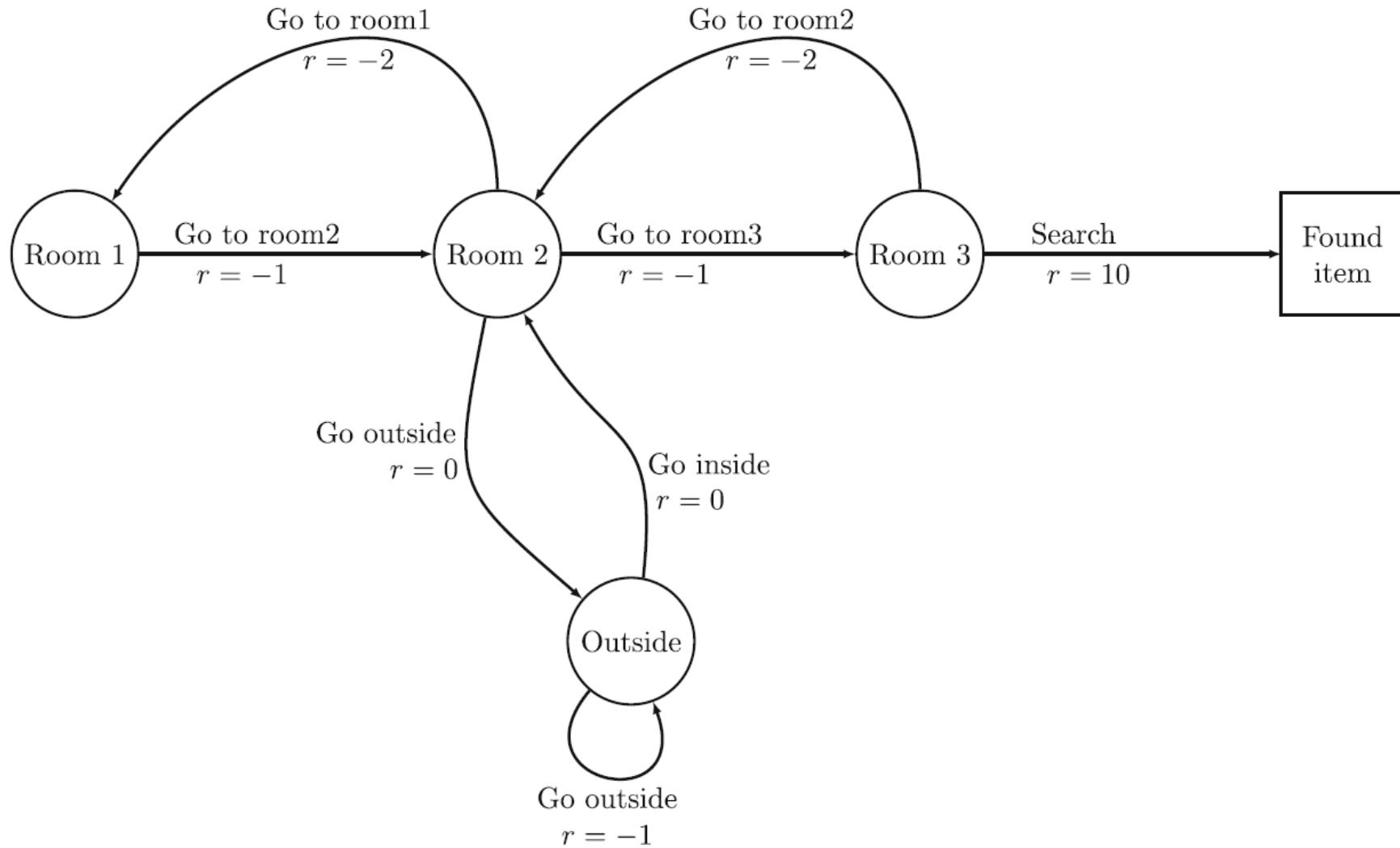
- $\mathcal{S}$  is a finite set of states called the state space.
- $\mathcal{P}$  is the dynamics function (or transition model) of the environment, where  $P(s'|s) = P[S_{t+1} = s' \mid S_t = s]$  specify the probability of environment transition into successor state  $s'$  when in current state  $s$ .
- $\mathcal{R}$  is a reward function of the environment.  $R(s) = \mathbb{E}[R_t \mid S_t = s]$  is the reward signal provided by the environment when the agent is in state  $s$ .



- Episode 1: (Room 1, Room 2, Room 3, Found item, End)  
**Total rewards** =  $-1 - 1 - 1 + 10 + 0 = 7.0$
- Episode 2: (Room 3, Found item, End)  
**Total rewards** =  $-1 + 10 = 9.0$
- Episode 3: (Room 2, Outside, Room 2, Room 3, Found item, End)  
**Total rewards** =  $-1 + 1 - 1 - 1 + 10 + 0 = 8.0$
- Episode 4: (Outside, Outside, Outside ...)  
**Total rewards** =  $1 + 1 + \dots = \infty$

We can define the MDP as a tuple  $(\mathcal{S}, \mathcal{A}, \mathcal{P}, \mathcal{R})$ :

- $\mathcal{S}$  is a finite set of states called the state space.
- $\mathcal{A}$  is a finite set of actions called the action space.
- $\mathcal{P}$  is the dynamics function (or transition model) of the environment, where  $P(s'|s, a) = P\left[S_{t+1} = s' \mid S_t = s, A_t = a\right]$  specify the probability of environment transition into successor state  $s'$  when in current state  $s$  and take action  $a$ .
- $\mathcal{R}$  is a reward function of the environment;  $R(s, a) = \mathbb{E}\left[R_t \mid S_t = s, A_t = a\right]$  is the reward signal provided by the environment when the agent is in state  $s$  and taking action  $a$ .



- $\mathcal{S} = \{\text{Room 1}, \text{Room 2}, \text{Room 3}, \text{Outside}, \text{Found item}\}$
- $\mathcal{A} = \{\text{Go to room1}, \text{Go to room2}, \text{Go to room3}, \text{Go outside}, \text{Go inside}, \text{Search}\}$
- $\mathcal{R} = \{-1, -2, +1, 0, +10\}$

$$\mathcal{P} = \begin{array}{c|cccccc} & \text{Room 1} & \text{Room 2} & \text{Room 3} & \text{Outside} & \text{Found item} \\ \hline \text{Go to room1} & 1.0 & 0 & 0 & 0 & 0 \\ \text{Go to room2} & 0 & 1.0 & 0 & 0 & 0 \\ \text{Go to room3} & 0 & 0 & 1.0 & 0 & 0 \\ \text{Go outside} & 0 & 0 & 0 & 1.0 & 0 \\ \text{Go inside} & 0 & 1.0 & 0 & 0 & 0 \\ \text{Search} & 0 & 1.0 & 0 & 0 & 0 \end{array}$$

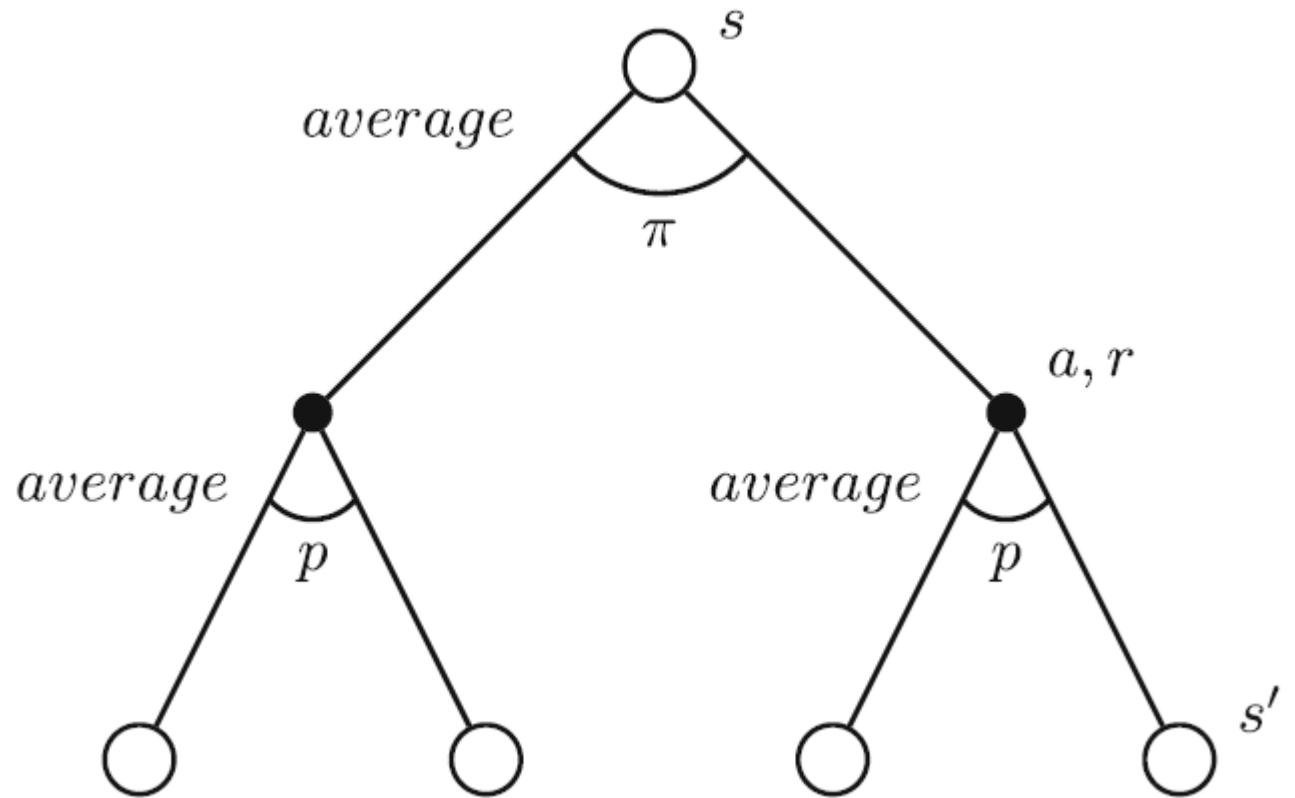
$$\mathcal{P} = \begin{array}{c|cccccc} & \text{Room 1} & \text{Room 2} & \text{Room 3} & \text{Outside} & \text{Found item} \\ \hline \text{Go to room1} & 0.6 & 0 & 0 & 0.4 & 0 \\ \text{Go to room2} & 0 & 1.0 & 0 & 0 & 0 \\ \text{Go to room3} & 0 & 0 & 0.2 & 0.8 & 0 \\ \text{Go outside} & 0 & 0 & 0 & 1.0 & 0 \\ \text{Go inside} & 0 & 1.0 & 0 & 0 & 0 \\ \text{Search} & 0 & 1.0 & 0 & 0.0 & 0 \end{array}$$

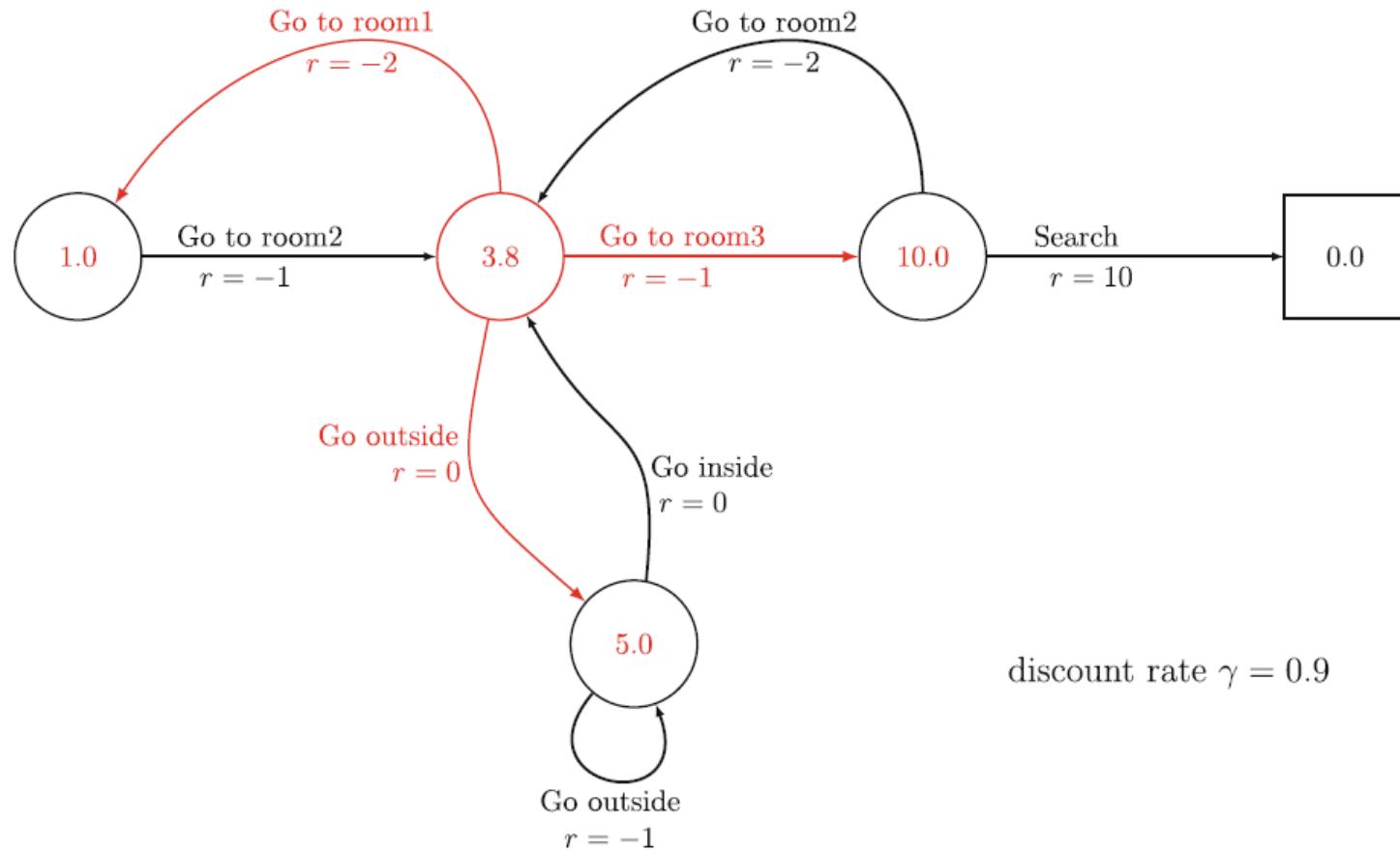
$$V_\pi(s) = \mathbb{E}_\pi \left[ G_t \mid S_t = s \right], \quad \text{for all } s \in \mathcal{S}$$

$$Q_\pi(s, a) = \mathbb{E}_\pi \left[ G_t \mid S_t = s, A_t = a \right], \quad \text{for all } s \in \mathcal{S}, a \in A$$

$$V_\pi(s) = \mathbb{E}_\pi[G_t \mid S_t = s]$$

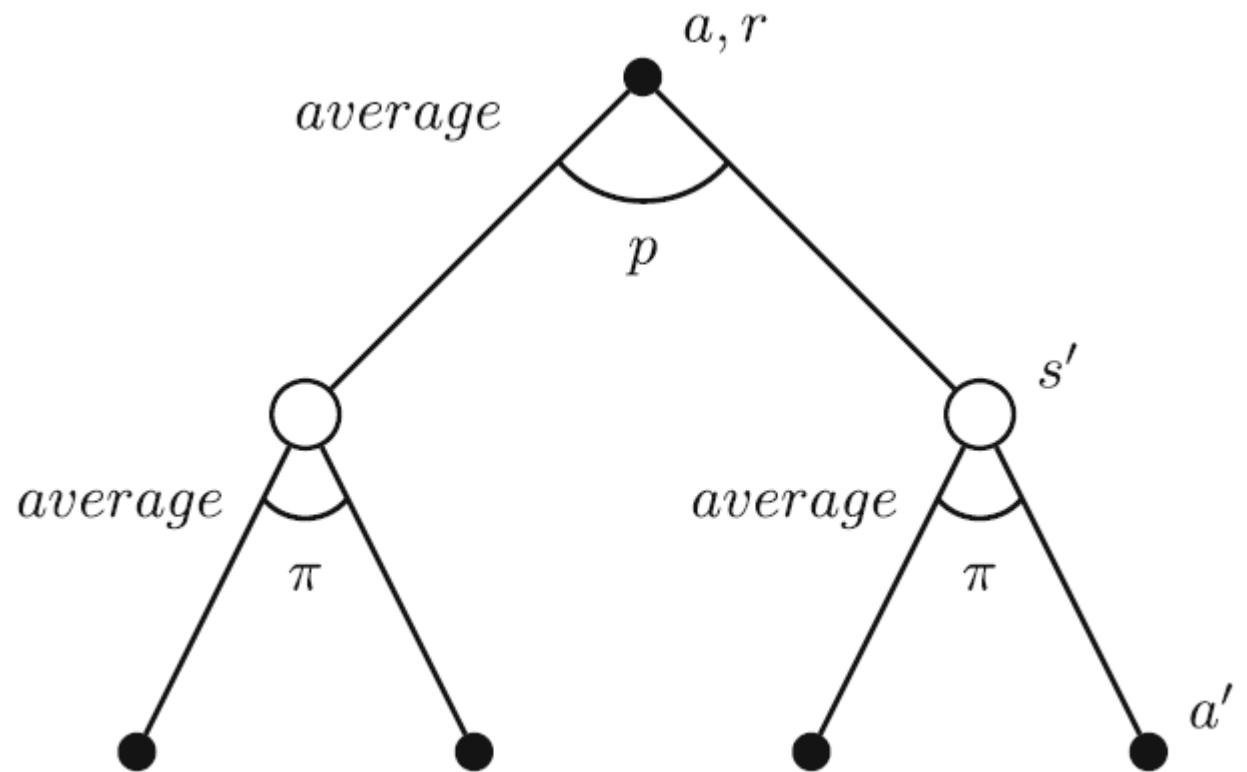
$$= \sum_{a \in A} \pi(a|s) \left[ R(s, a) + \gamma \sum_{s' \in \mathcal{S}} P(s'|s, a) V_\pi(s') \right], \quad \text{for all } s \in \mathcal{S}$$

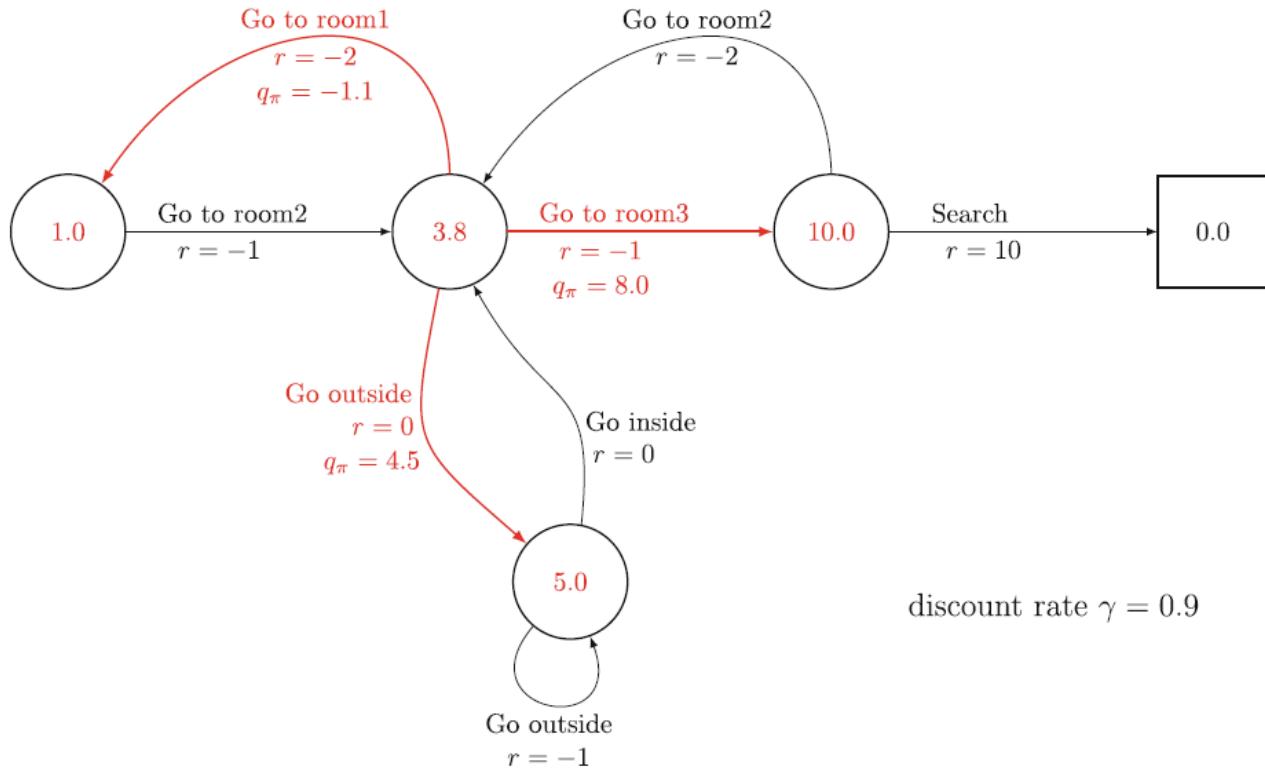




$$\begin{aligned}
 V_{\pi}(Room\ 2) &= 0.33 * (-2 + 0.9 * 1.0) + 0.33 * (-1 + 0.9 * 10.0) \\
 &\quad + 0.33 * (0 + 0.9 * 5.0) \\
 &= 0.33 * -1.1 + 0.33 * 8 + 0.33 * 4.5 \\
 &= 3.76
 \end{aligned}$$

$$\begin{aligned}
 Q_\pi(s, a) &= \mathbb{E}_\pi \left[ G_t \mid S_t = s, A_t = a \right] \\
 &= R(s, a) + \gamma \sum_{s' \in \mathcal{S}} P(s'|s, a) \sum_{a' \in A} \pi(a'|s') Q_\pi(s', a'), \quad \text{for all } s \in \mathcal{S}, a \in A
 \end{aligned}$$





$$Q_{\pi}(\text{Room 2}, \text{ Go to room1}) = -2 + 0.9 * 1.0 \\ = -1.1$$

$$Q_{\pi}(\text{Room 2}, \text{ Go to room3}) = -1 + 0.9 * 10.0 \\ = 8.0$$

$$Q_{\pi}(\text{Room 2}, \text{ Go outside}) = 0 + 0.9 * 5.0 \\ = 4.5$$

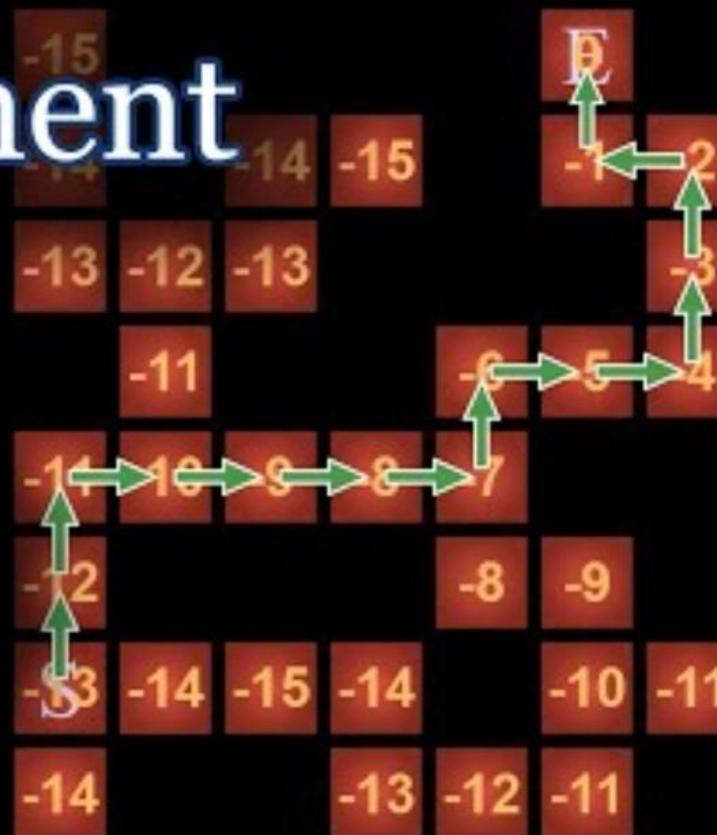
→

$$V_{\pi}(\text{Room 2}) = 0.33 * -1.1 + 0.33 * 8 + 0.33 * 4.5 \\ = 3.76$$

WATCH THE FOLLOWING VIDEO

# Reinforcement Learning

By the Book



[https://www.youtube.com/watch?v=NFo9v\\_yKQXA](https://www.youtube.com/watch?v=NFo9v_yKQXA)

**How to solve  
full RL problem?**

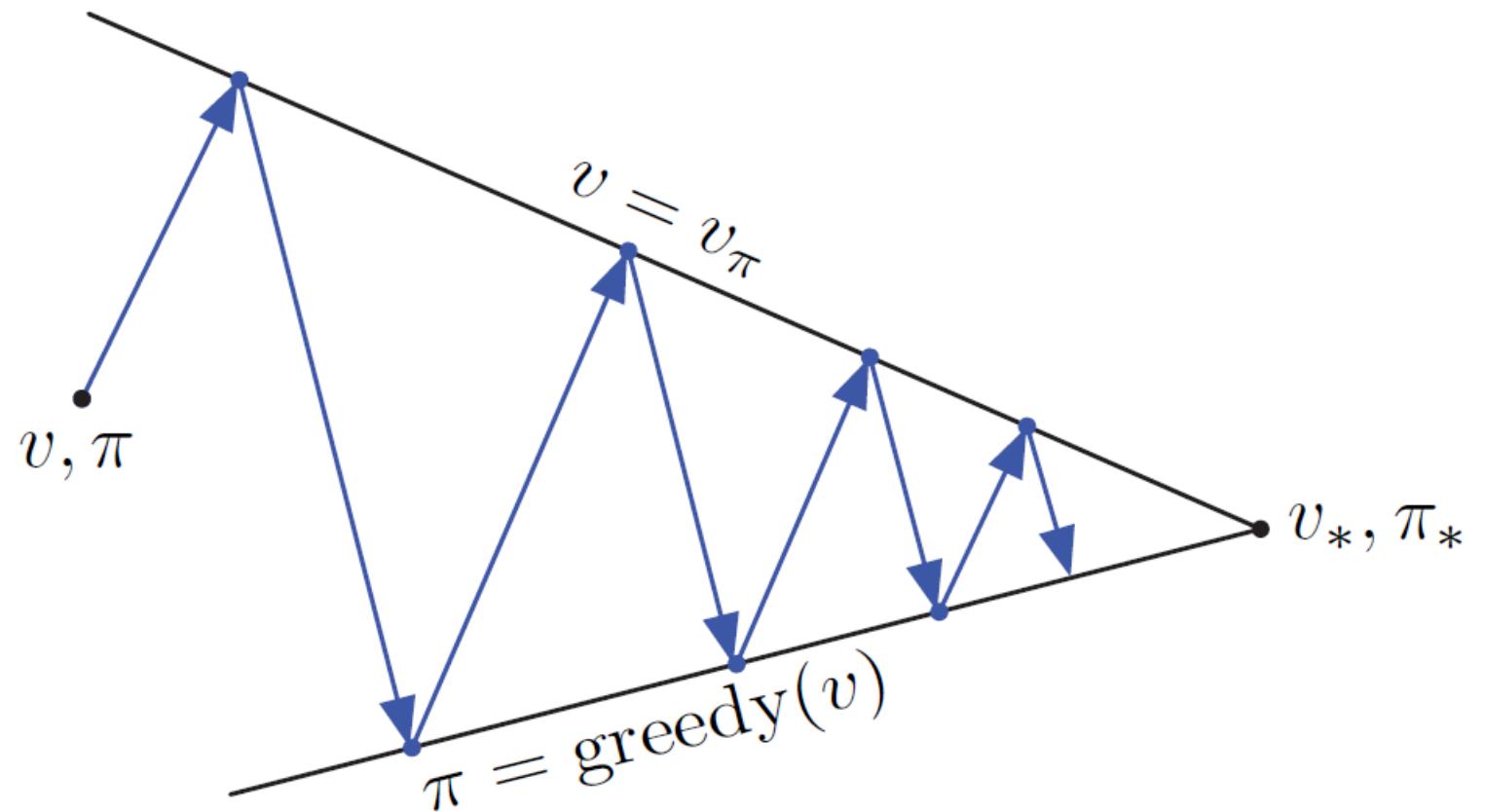
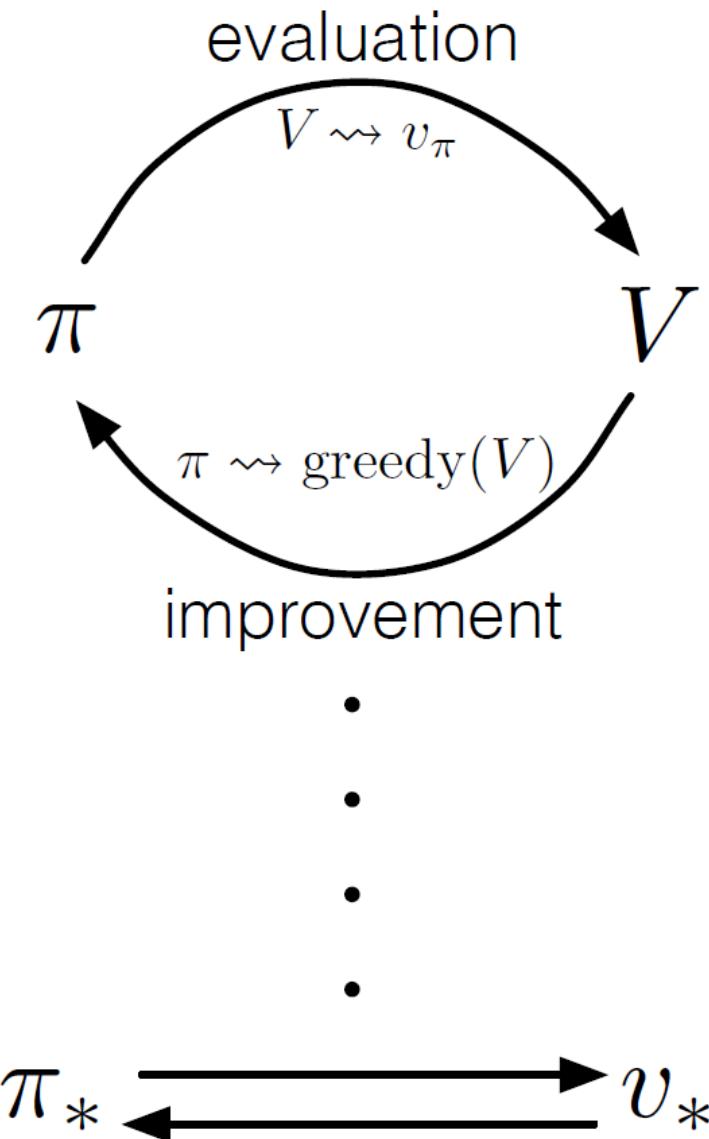
# **When we have:**

$$P(s', r|s, a) = \mathbb{P}[S_{t+1} = s', R_{t+1} = r | S_t = s, A_t = a]$$

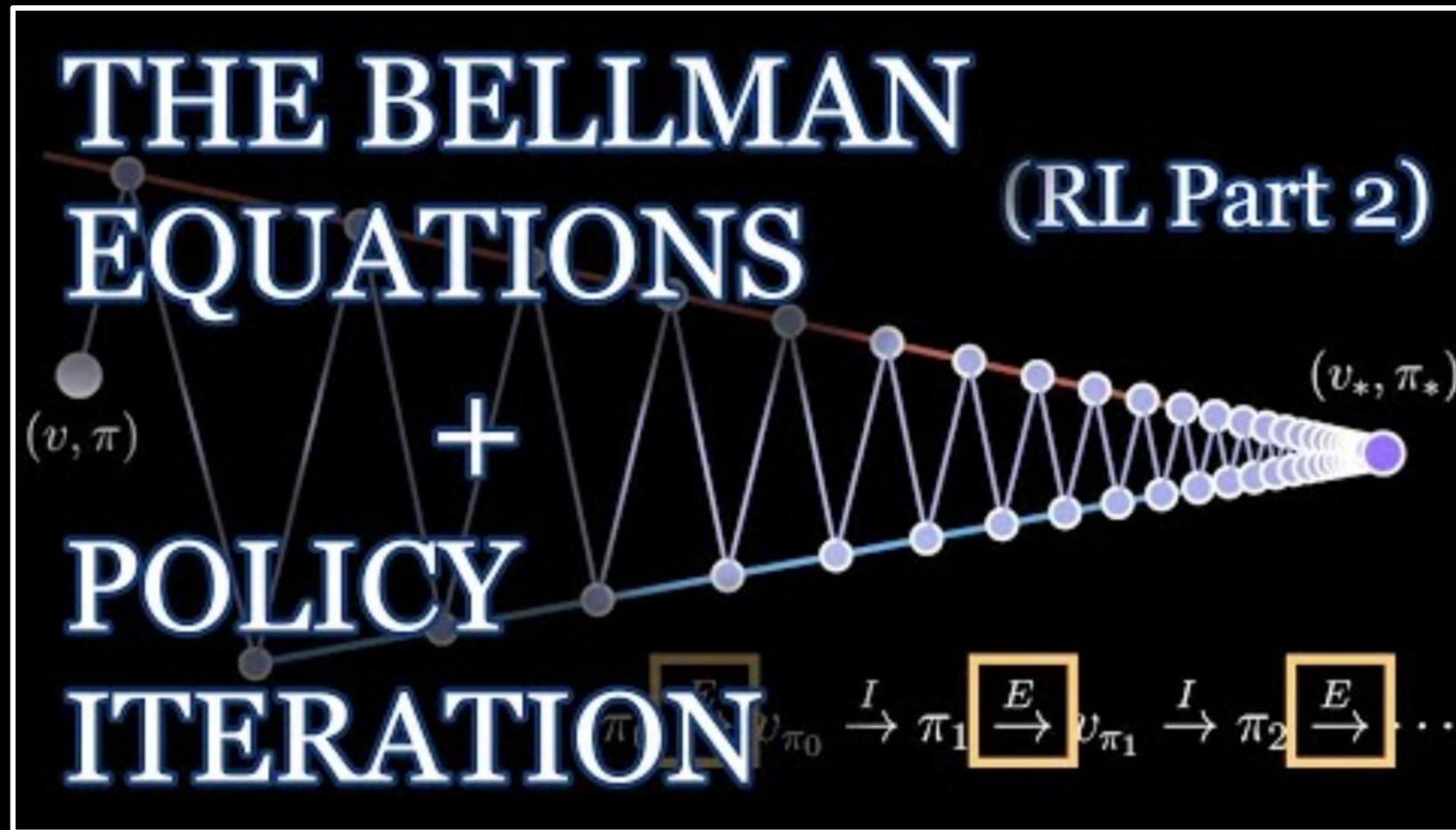
# OPTIMAL VALUE AND POLICY

$$Q_*(s, a) = \max_{\pi} Q_{\pi}(s, a), \quad \text{for all } s \in \mathcal{S}, a \in \mathcal{A}$$

$$\pi_*(a|s) = \begin{cases} 1, & \text{if } a = \arg \max_{a \in A} Q_*(s, a) \\ 0, & \text{otherwise} \end{cases}$$



WATCH THE FOLLOWING VIDEO



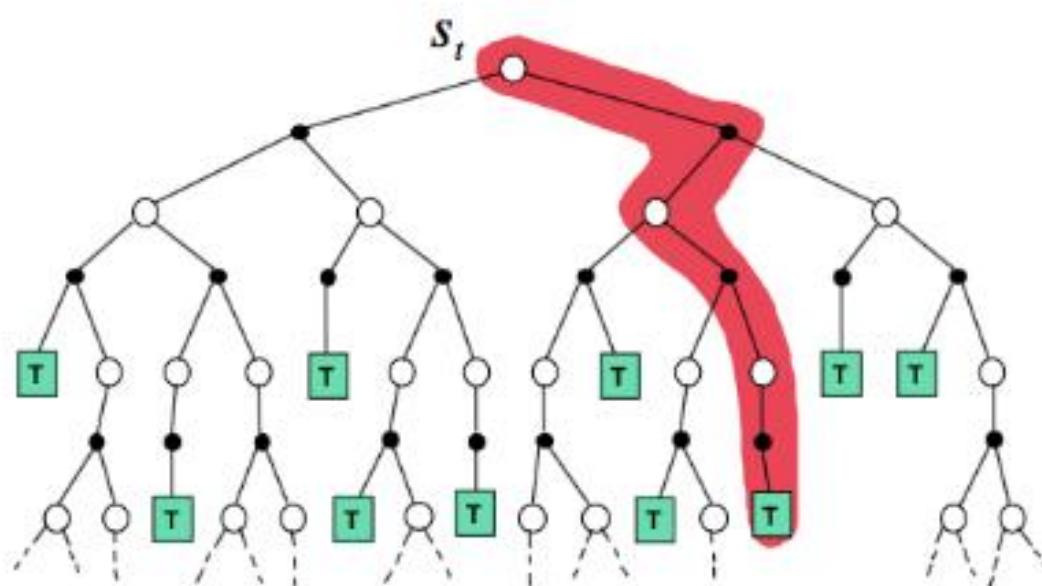
<https://www.youtube.com/watch?v=j6pvGEchWU>

# **When we don't have:**

$$\cancel{P(s', r | s, a) = \mathbb{P}[S_{t+1} = s', R_{t+1} = r | S_t = s, A_t = a]}$$

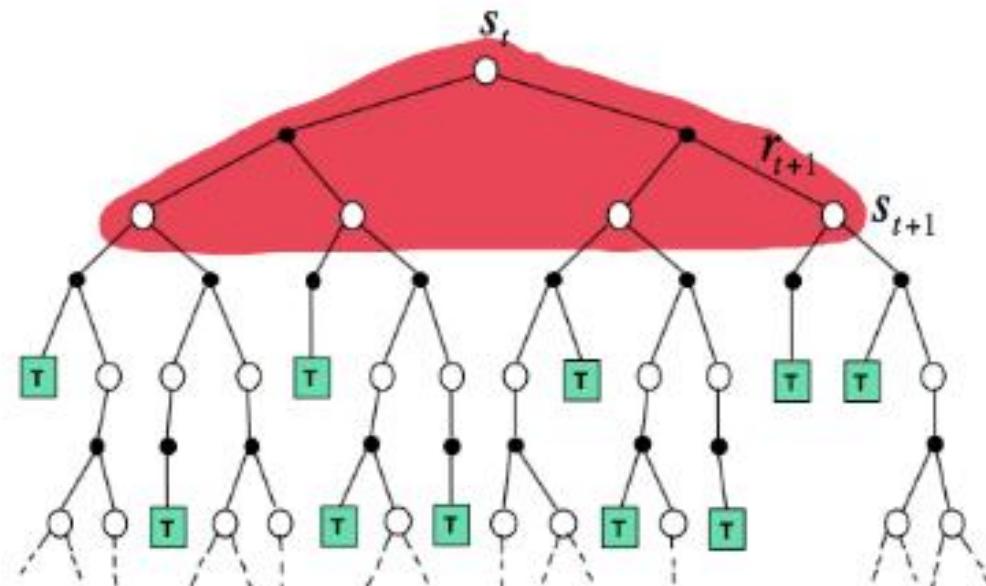
## Monte-Carlo

$$V(S_t) \leftarrow V(S_t) + \alpha (G_t - V(S_t))$$



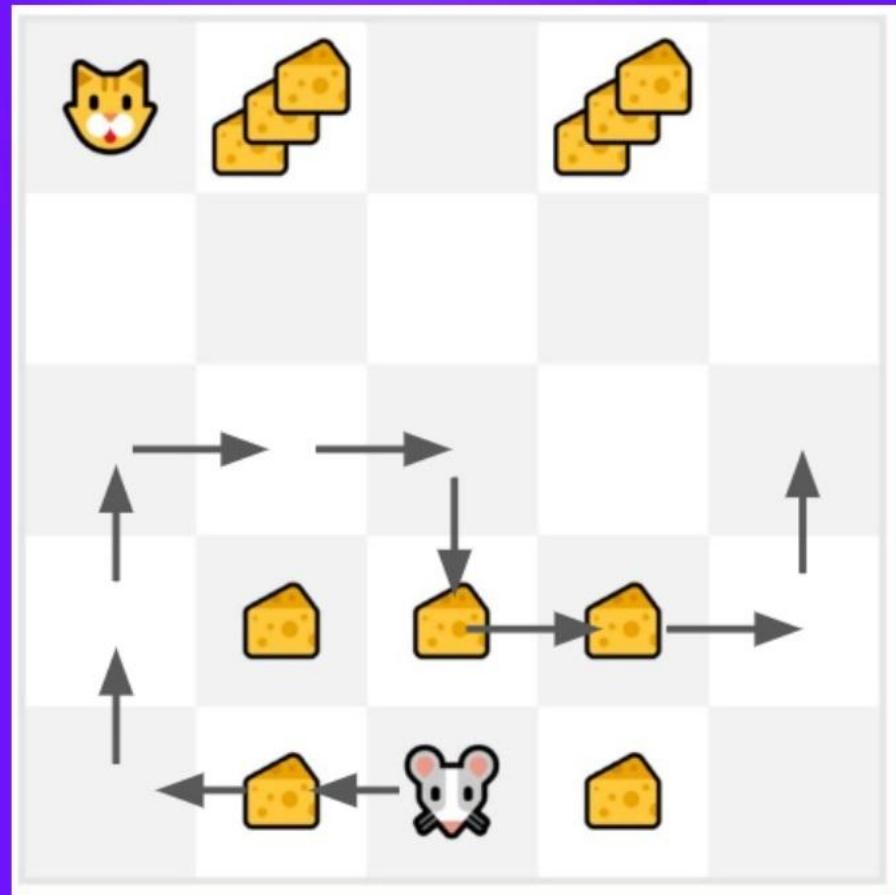
## Dynamic Programming

$$V(S_t) \leftarrow \mathbb{E}_{\pi} [R_{t+1} + \gamma V(S_{t+1})]$$



# Monte Carlo Approach:

---



- Calculate the return  $G_t$ .

$$G_t = R_{t+1} + R_{t+2} + R_{t+3} \dots$$

$$G_t = 1 + 0 + 0 + 0 + 0 + 0 + 1 + 1 + 0 + 0$$

$$G_t = 3$$

- We can now update  $V(S_0)$ .

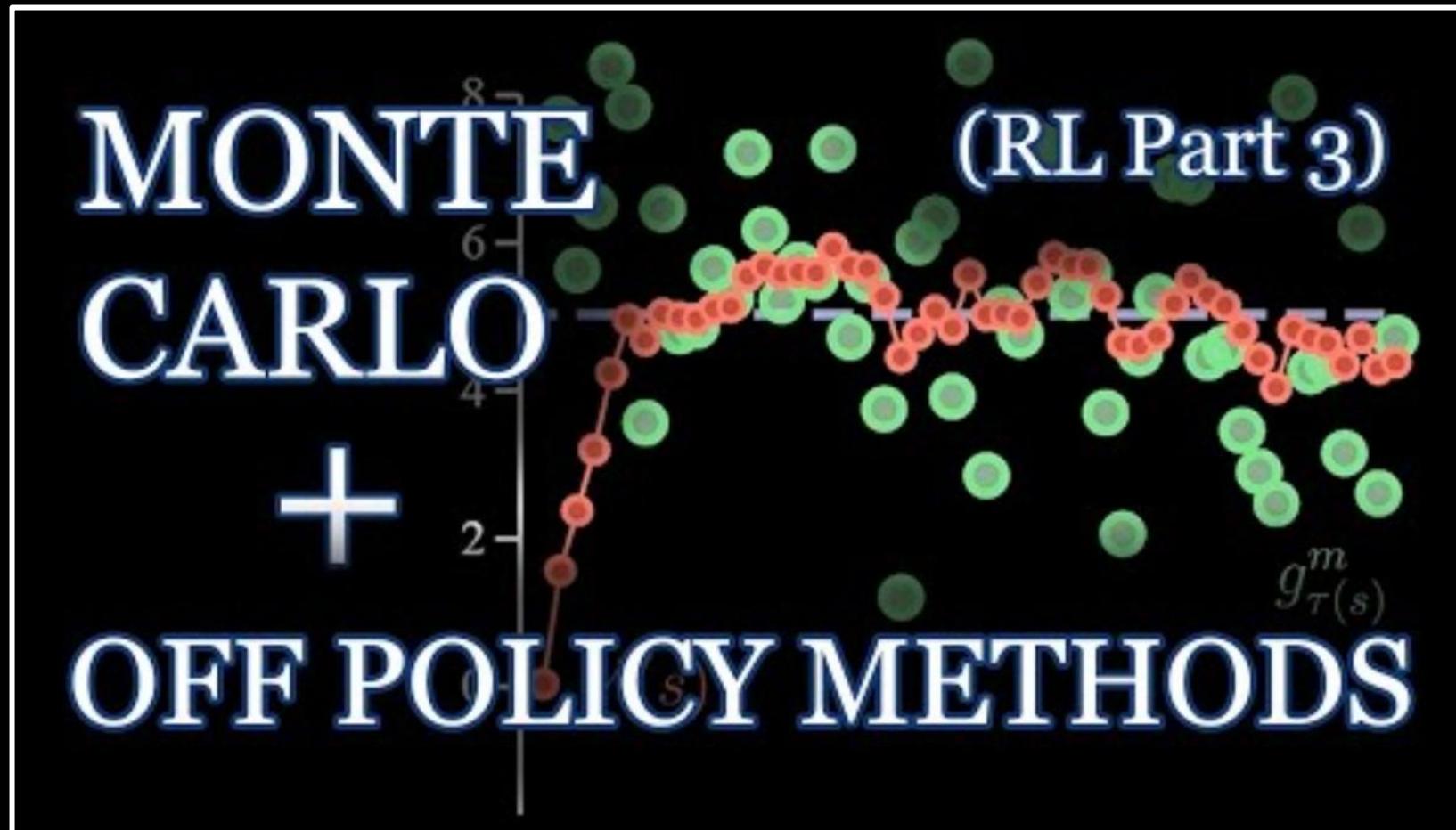
$$V(S_t) \leftarrow V(S_t) + \alpha[G_t - V(S_t)]$$

$$\text{New } V(S_0) = V(S_0) + lr * [G_t - V(S_0)]$$

$$\text{New } V(S_0) = 0 + 0.1 * [3 - 0]$$

$$\text{New } V(S_0) = 0.3$$

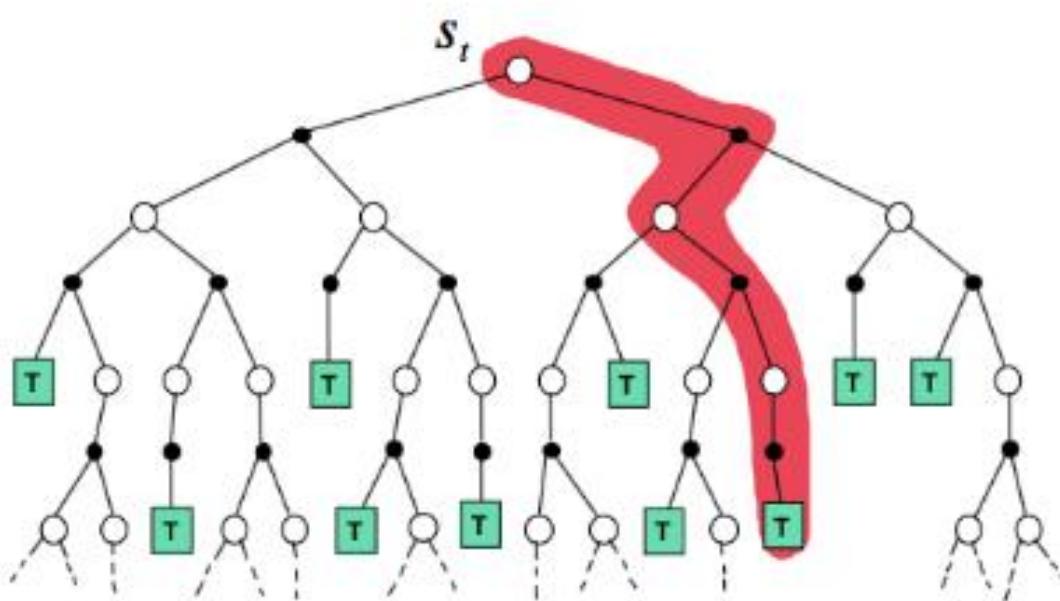
WATCH THE FOLLOWING VIDEO



<https://www.youtube.com/watch?v=bpUszPiWM7o>

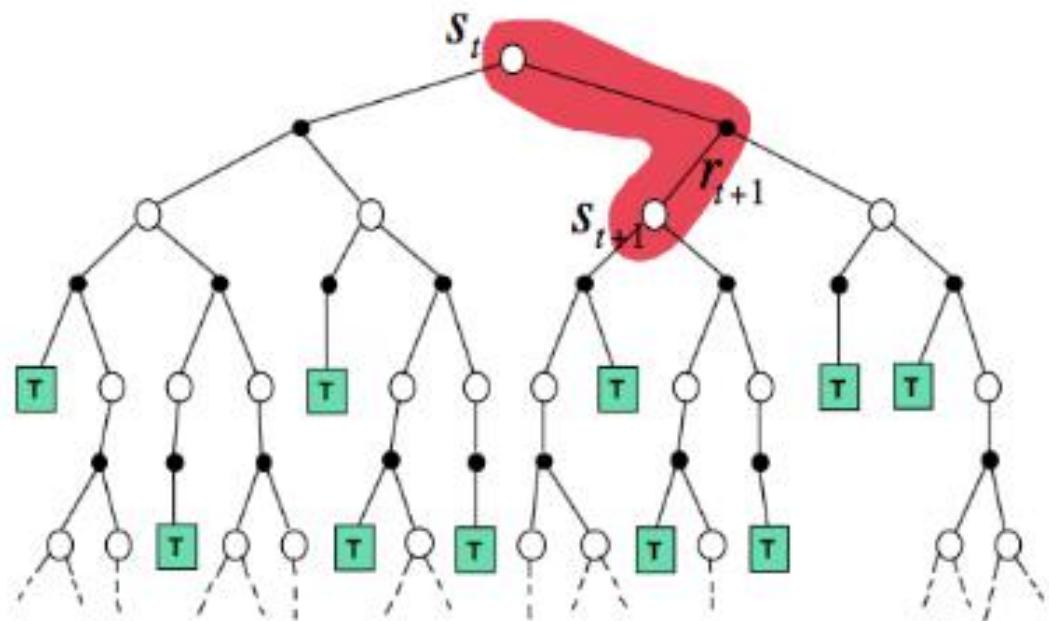
## Monte-Carlo

$$V(S_t) \leftarrow V(S_t) + \alpha (G_t - V(S_t))$$



## Temporal-Difference

$$V(S_t) \leftarrow V(S_t) + \alpha (R_{t+1} + \gamma V(S_{t+1}) - V(S_t))$$



[https://cs.stanford.edu/people/karpathy/reinforcejs/gridworld\\_td.html](https://cs.stanford.edu/people/karpathy/reinforcejs/gridworld_td.html)

# TD Learning Approach:

---

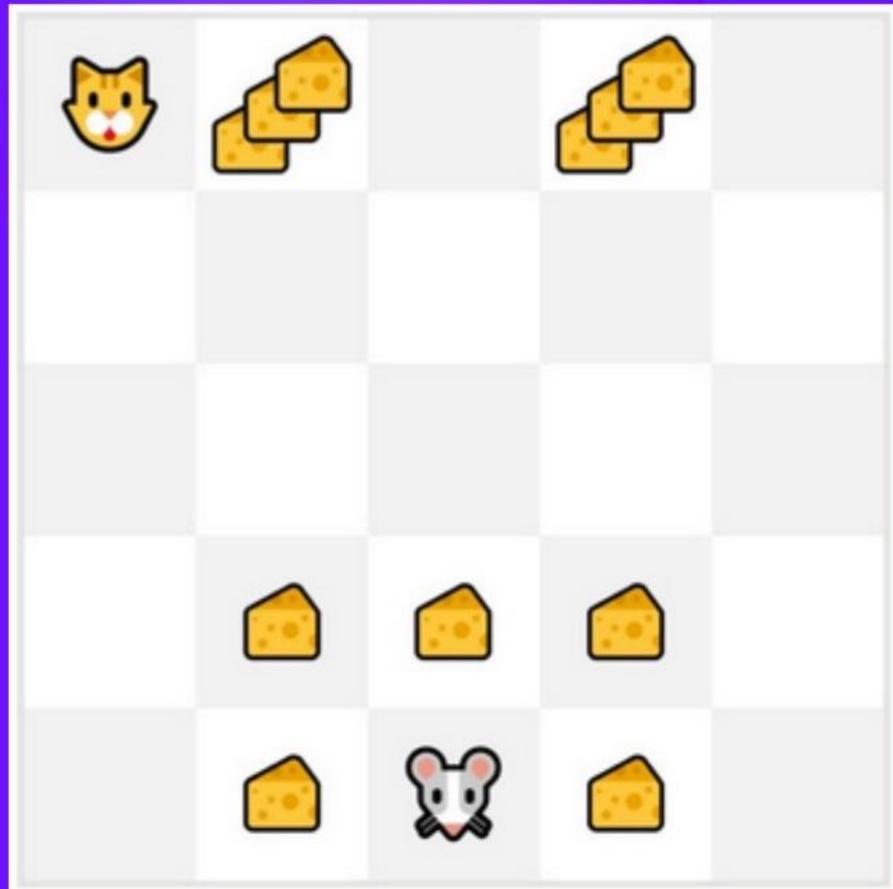
*Temporal Difference Learning*: learning at each time step.

$$V(S_t) \leftarrow V(S_t) + \alpha [R_{t+1} + \gamma V(S_{t+1}) - V(S_t)]$$

New value of state t      Former estimation of value of state t      Learning Rate      Reward      Discounted value of next state  
TD Target

# TD Approach:

---



At the end of one step (State, Action, Reward, Next State):

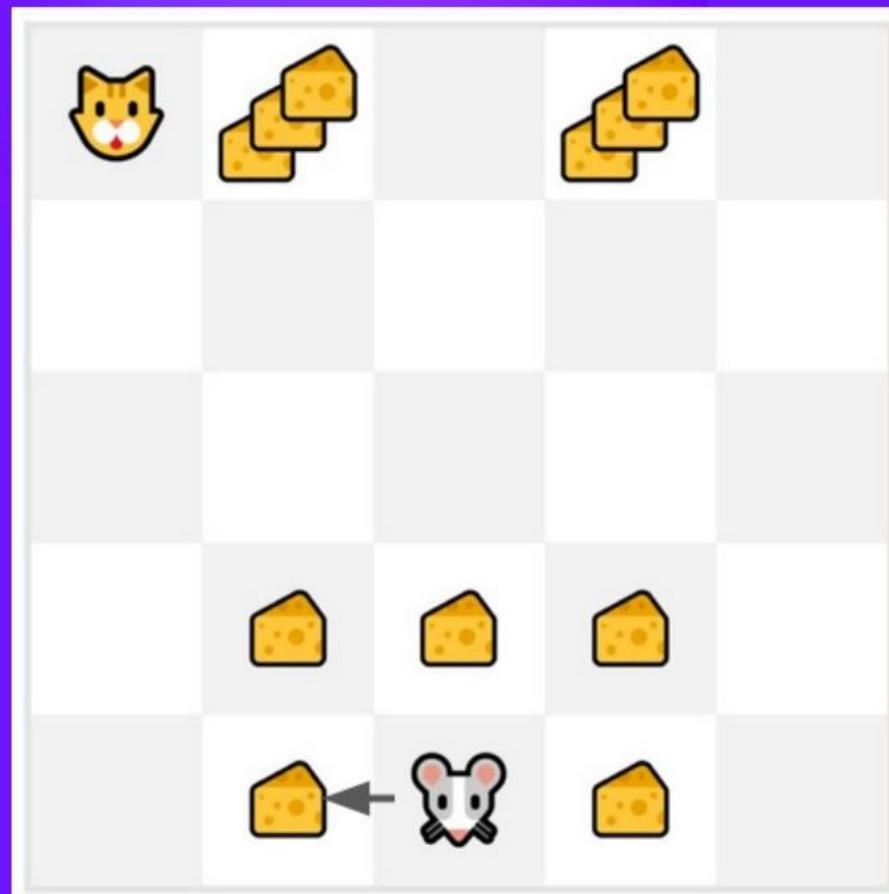
- We have  $R_{t+1}$  and  $S_{t+1}$
  - We update  $V(S_t)$ :
    - We estimate  $G_t$  by adding  $R_{t+1}$  and the discounted value of next state.
- TD target :  $R_{t+1} + \gamma V(S_{t+1})$**

$$V(S_t) \leftarrow V(S_t) + \alpha[R_{t+1} + \gamma V(S_{t+1}) - V(S_t)]$$

Now we **continue to interact with this environment** with our updated value function. By running more and more steps, **the agent will learn to play better and better.**

# TD Approach:

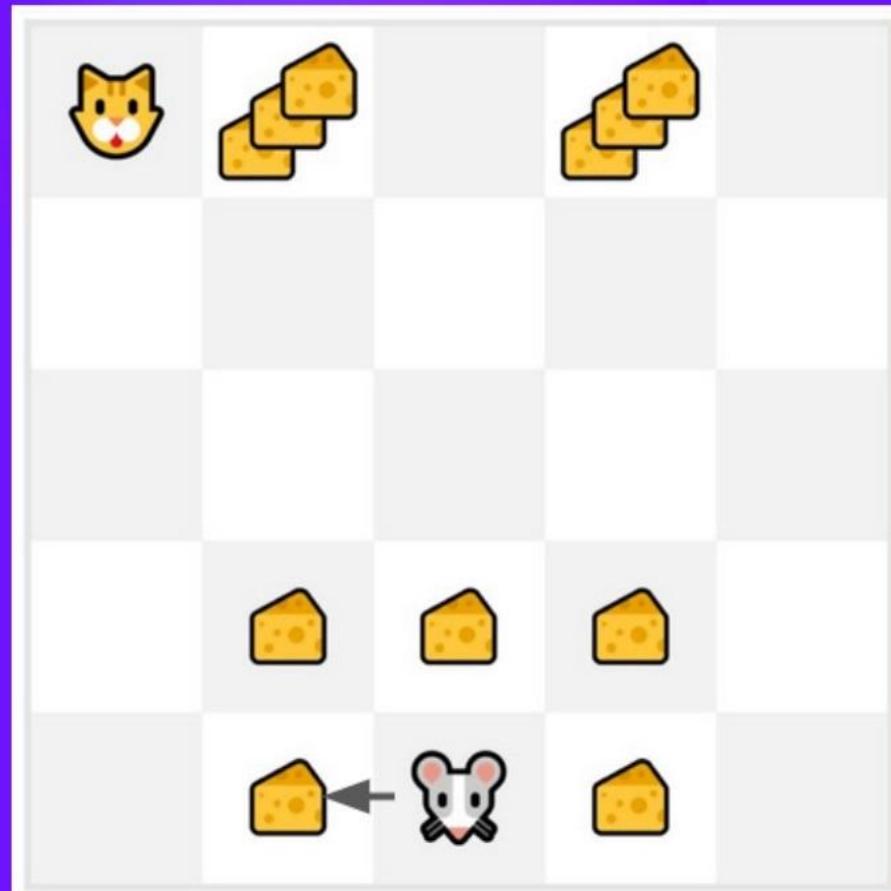
---



- We just started to train our Value function so it returns 0 value for each state.
- Learning rate ( $\text{lr}$ ) is 0.1 and our discount rate is 1 (no discount)
- Our mouse, **explore the environment** and take a random action: going left.
- It gets a +1 reward (cheese).

# TD Approach:

---



- We can now update  $V(S_0)$ :

$$V(S_t) \leftarrow V(S_t) + \alpha[R_{t+1} + \gamma V(S_{t+1}) - V(S_t)]$$

$$\text{New } V(S_0) = 0 + 0.1 * [1 + 1 * 0 - 0]$$

$$\text{The new } V(S_0) = 0.1$$

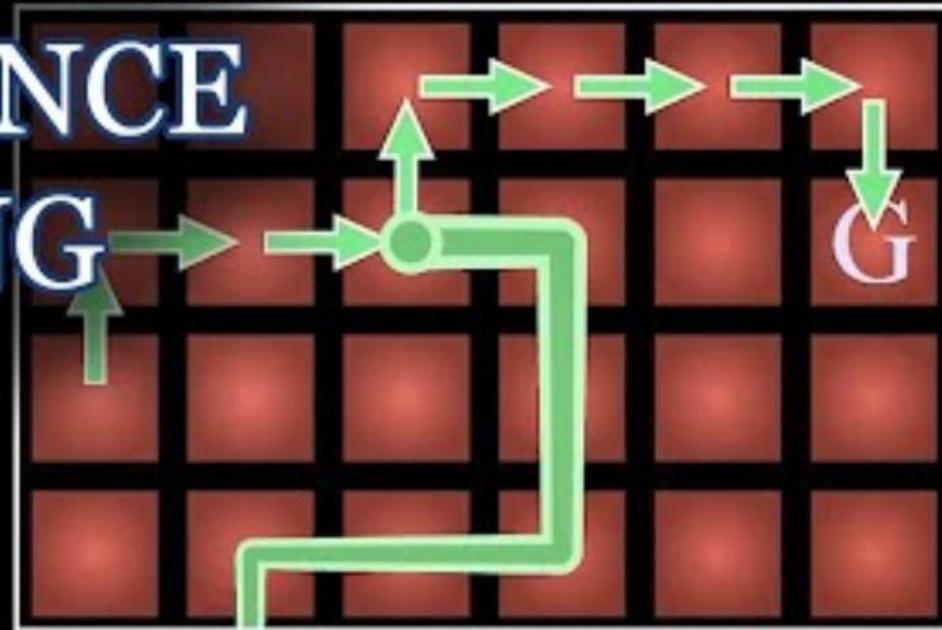
So we just updated our **value function** for State 0.

Now we continue to interact with this environment with our updated value function.

WATCH THE FOLLOWING VIDEO

## TEMPORAL DIFFERENCE LEARNING

(RL Part 4)



<https://www.youtube.com/watch?v=AjG3ykOxmY>

