

Bonus Questions (7.1) F

Initially a procedure to find the Euclidean distance between a point and origin.

```
procedure Edist(A)  
    return  $\sqrt{A_1^2 + A_2^2}$  // the two points inside A  
End procedure.
```

Now using a simple bucketsort to do the job. (Simple pseudocode copied from slide)

Procedure Bucketsort(A)

let $B[0 \dots n-1]$ be a new array

$n = A.length$.

FOR $I = 0$ to $n-1$

$B[I] \leftarrow 0$

END FOR

FOR $I = 1$ to N

Temp = Edist(A[I])

$B[n \times \text{Temp}] = \text{Temp}$

END FOR

FOR $i = 0$ to $n-1$

Sort list $B[I]$ using insertion sort

END FOR

concatenate the lists from $B[0] \dots B[n-1]$.

End Procedure.

The pseudocode for computation of Euclidian distance in 2 points is.

```
Procedure Dist(A, B)
  return  $\sqrt{(A_1 - B_1)^2 + (A_2 - B_2)^2}$ 
END Procedure.
```

Problem 7.2

(*) We can use a simple Radix sort to do the job. We know ~~each~~ countsort takes ~~to~~ $O(n)$ to compare integers so to find the num of digits is $\log_n n^3$

(*) To do this firstly we need to go through

```
c) Radixsort(A)
  A  $\leftarrow$  Converttobasen(A)
  FOR  $I = 1$  TO 3
    Countsort(A, I)
  END FOR
END PROCEDURE.
```

First just go through the entire list ~~conv~~ and convert each number to base n . Then use radix sort on them and we know there will be ^{max 3 digits} ~~as~~ ~~passes~~ as

$\log_n n^3 = 3$. ~~so~~ There complexity is ~~$O(3n)$~~ $= O(n)$ //.