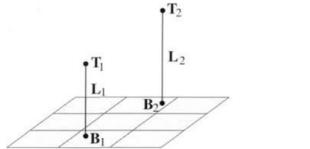
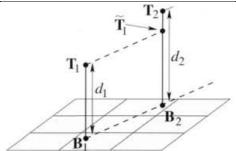
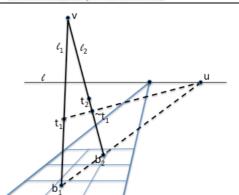
(a) Example in 3D Euclidian geometry: The vertical line segments $\mathbf{L_1} = \langle \mathbf{B_1}, \mathbf{T_1} \rangle$ and $\mathbf{L_2} = \langle \mathbf{B_2}, \mathbf{T_2} \rangle$ have length $\mathbf{d_1}$ and $\mathbf{d_2}$ respectively. The base points $\mathbf{B_1}$, $\mathbf{B_2}$ are on the ground plane. We wish to compute the scene length ratio $\mathbf{d_1}$: $\mathbf{d_2}$ from the imaged configuration



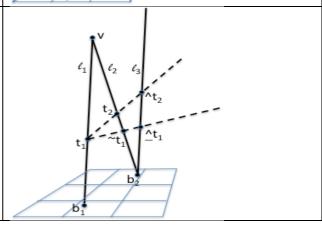
(b) Idea (in 3D Euclidian geometry): In the scene the length of the line segment L_1 may be transferred to L_2 by constructing a line parallel to the ground plane to generate the point ${}^{\sim}T_1$.



(c) in projective image geometry: ℓ is the ground plane vanishing line, and v the vertical vanishing point. A corresponding parallel line construction in the image requires first determining the vanishing point u from the images b_i of B_i , and then determining \tilde{t}_1 (the image of t_1) by the intersection of ℓ_2 and the line $< t_1, u>$.



(d) using rectified, parallel lines: The line ℓ_3 is parallel to ℓ_1 in the image. The points $\mathbf{\hat{t}_1}$ and $\mathbf{\hat{t}_2}$ are constructed by intersecting ℓ_3 with the lines $<\mathbf{t_1}$, $\mathbf{\hat{t}_1}>$ and $<\mathbf{t_1}$, $\mathbf{t_2}>$ respectively. The distance ratio $d(\mathbf{b_2}, \mathbf{\hat{t}_1})$: $d(\mathbf{b_2}, \mathbf{\hat{t}_2})$ is the computed estimate of $d_1:d_2$.



Use this Test data			
null null	0	0	at lower left ground grid
b1	222	43	
b2	389	168	
t1	232	311	
~t1	344	340	
t2	331	391	
v	247	713	
u'	590	451	
u	767	451	