

TWO WAY ANOVA CLASSIFICATION

The "**two-way ANOVA classification**" refers to the fact that the data is classified based on two categorical independent variables, allowing for the analysis of both main effects and interaction effects on the dependent variable.

```
[10]: import statsmodels.api as sm
      from statsmodels.formula.api import ols
```

```
[11]: model = ols('salary ~ C(gender) + C(ssc_b) + C(gender):C(ssc_b)', data=df).fit()
```

```
[12]: anova_table = sm.stats.anova_lm(model, typ=2)
```

```
[13]: print(anova_table)
```

	sum_sq	df	F	PR(>F)
C(gender)	9.640996e+10	1.0	4.303801	0.039240
C(ssc_b)	7.570114e+09	1.0	0.337935	0.561644
C(gender):C(ssc_b)	2.950021e+09	1.0	0.131691	0.717049
Residual	4.726636e+12	211.0	NaN	NaN

C(gender):

Sum of Squares (sum_sq): 9.640996e+10

Degrees of Freedom (df): 1.0

F-statistic (F): 4.303801

p-value (Pr(>F)): 0.039240

Interpretation:

The **p-value of 0.039240** is less than the commonly used significance level of 0.05.

This indicates that the '**gender**' variable has a statistically significant effect on the response variable '**salary**'.

The null hypothesis that 'gender' has no effect on 'salary' can be rejected, and the **alternative hypothesis that 'gender' does have an effect on 'salary' is supported by the data.**

The **F-statistic of 4.303801** represents the **ratio of the variance between the 'gender' groups to the variance within the 'gender' groups**. A larger F-statistic suggests a greater difference between the group means, which is the case here.

The **degrees of freedom (df)** of 1.0 for the 'gender' variable indicates that there are two levels or categories of the 'gender' variable in the analysis (e.g., male and female).

The **sum of squares (sum_sq)** of 9.640996×10^{10} represents the amount of variation in the 'salary' variable that is explained by the 'gender' variable.

In summary, the ANOVA output shows that **the 'gender' Independent variable has a statistically significant effect on the 'salary' Dependent variable**, as indicated by the p-value of 0.039240, which is less than the commonly used significance level of 0.05.

C(ssc_b):

Sum of Squares (sum_sq): 7.570114×10^9

Degrees of Freedom (df): 1.0

F-statistic (F): 0.337935

p-value (Pr(>F)): 0.561644

Interpretation:

The p-value of 0.561644 is greater than the commonly used significance level of 0.05.

This indicates that **the 'ssc_b' (secondary school board) variable does not have a statistically significant effect on the response variable 'salary'**.

The null hypothesis that 'ssc_b' has no statistically significant effect on 'salary' cannot be rejected based on the provided data and analysis.

The **F-statistic of 0.337935** represents the ratio of the variance between the 'ssc_b' groups to the variance within the 'ssc_b' groups. **A smaller F-statistic suggests that the difference between the group means is not large enough to be considered statistically significant.**

The degrees of freedom (df) of 1.0 for the 'ssc_b' variable indicates that there are two levels or categories of the 'ssc_b' variable in the analysis (e.g., central board and others).

The sum of squares (sum_sq) of 7.570114e+09 represents the amount of variation in the 'salary' variable that is explained by the 'ssc_b' variable, which is relatively small compared to the total variation.

In summary, the ANOVA output shows that the **'ssc_b' variable does not have a statistically significant effect on the 'salary' variable**, as indicated by the p-value of 0.561644, which is greater than the commonly used significance level of 0.05.

C(gender):C(ssc_b):

Sum of Squares (sum_sq): 2.950021e+09

Degrees of Freedom (df): 1.0

F-statistic (F): 0.131691

p-value (Pr(>F)): 0.717049

Interpretation:

The p-value of 0.717049 is greater than the commonly used significance level of 0.05.

This suggests that the interaction effect between **'gender' and 'ssc_b'** is **not statistically significant.**

The **null hypothesis that the interaction effect is zero** cannot be rejected based on the provided data and analysis.

The **F-statistic of 0.131691** indicates a small ratio of the variance between the interaction effect to the variance within the interaction effect groups.

In summary, the ANOVA output suggests that the interaction effect between **'gender' and 'ssc_b' does not have a statistically significant impact on the response variable based on the p-value of 0.717049**, which is greater than the commonly used significance level of 0.05.