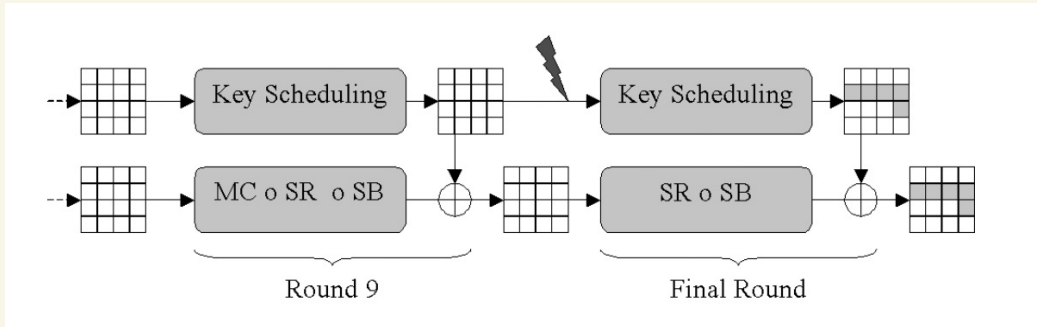


## **2.4/ 2.5 :: Bit fault attack - Description**

-> Fault occurs on one bytes of K9, right before key scheduling to get K10



-> We want the Fault to occur on last 4 bytes of K9

-> If “C” is the correct cipher text without any faults then the equation of C comes out as:

- if  $i = 0$ :

$$C_i = \text{SubByte}(M_{\text{ShiftRow}^{-1}(i)}^9) \oplus \text{SubByte}(K_{(i+1 \bmod 4)+12}^9) \oplus K_i^9 \oplus 0x36$$

- if  $i \in \{1, 2, 3\}$ :

$$C_i = \text{SubByte}(M_{\text{ShiftRow}^{-1}(i)}^9) \oplus \text{SubByte}(K_{(i+1 \bmod 4)+12}^9) \oplus K_i^9$$

-> If “D” is the correct cipher text without any faults then the equation of D comes out as:

- if  $k = 0$ :

$$D_k = \text{SubByte}(M_{\text{ShiftRow}^{-1}(k)}^9) \oplus \text{SubByte}(K_j^9 \oplus e_j) \oplus K_k^9 \oplus 0x36$$

- if  $k \in \{1, 2, 3\}$ :

$$D_k = \text{SubByte}(M_{\text{ShiftRow}^{-1}(k)}^9) \oplus \text{SubByte}(K_j^9 \oplus e_j) \oplus K_k^9$$

Where,  $k$  in  $\text{shiftrow}^{-1}(k)$  is the position of non zero bytes of C XOR D.

Talking XOR of the above equations::

$$C_k \oplus D_k = \text{SubByte}(K_j^9) \oplus \text{SubByte}(K_j^9 \oplus e_j)$$

-> Finding K9 (round key value at 9th round) that satisfies the above equation will get us the round key RK9.

-> Applying reverse key scheduling will give us original key as output.