

findClosestCentroids.m

```
M = size(X, 1);
for i = 1:M
    distance = zeros(K, 1);

    for j = 1:K
        temp = X(i, :) - centroids(j, :);
        distance(j) = temp * temp';
    end

    [x ix] = min(distance);
    idx(i) = ix;
end
```

computeCentroids.m

```
for i = 1:K
    data = X(idx == i, :);

    % if data contains only one row
    if size(data, 1) == 1
        centroids(i, :) = data;
    else
        centroids(i, :) = mean(data);
    end
end
```

kMeansInitCentroids.m

```
% Initialize the centroids to be random examples
% Randomly reorder the indices of examples
randidx = randperm(size(X, 1));
% Take the first K examples as centroids
centroids = X(randidx(1:K), :);
```

pca.m

%

```
CorrX = X'*X;  
[U,S,V] = svd(CorrX/m);
```

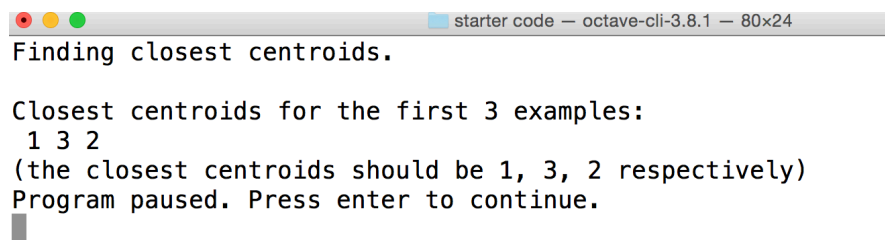
projectData.m

```
Z = X * U(:, 1:K);
```

recoverData.m

```
X_rec = Z * U(:, 1:K)';
```

ScreenShoot:



The screenshot shows a terminal window titled "starter code — octave-cli-3.8.1 — 80x24". The text inside the window is as follows:

```
Finding closest centroids.  
  
Closest centroids for the first 3 examples:  
1 3 2  
(the closest centroids should be 1, 3, 2 respectively)  
Program paused. Press enter to continue.  
█
```

Finding closest centroids.

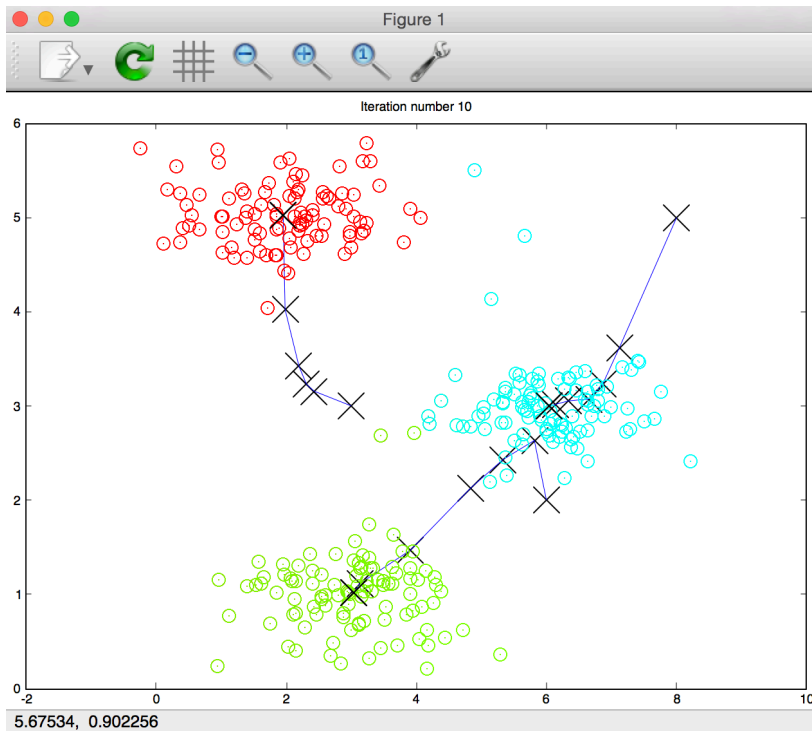
```
Closest centroids for the first 3 examples:  
1 3 2  
(the closest centroids should be 1, 3, 2 respectively)  
Program paused. Press enter to continue.
```

Computing centroids means.

```
Centroids computed after initial finding of closest centroids:  
2.428301 3.157924  
5.813503 2.633656  
7.119387 3.616684
```

```
(the centroids should be  
[ 2.428301 3.157924 ]  
[ 5.813503 2.633656 ]  
[ 7.119387 3.616684 ]
```

```
Program paused. Press enter to continue.  
█
```



Visualizing example dataset for PCA.

Program paused. Press enter to continue.

Running PCA on example dataset.

Top eigenvector:

$U(:,1) = -0.707107 \ -0.707107$

(you should expect to see $-0.707107 \ -0.707107$)

Program paused. Press enter to continue.

Dimension reduction on example dataset.

Projection of the first example: 1.481274

(this value should be about 1.481274)

Visualizing example dataset for PCA.

Program paused. Press enter to continue.

Running PCA on example dataset.

Top eigenvector:

$U(:,1) = -0.707107 \ -0.707107$

(you should expect to see $-0.707107 \ -0.707107$)

Program paused. Press enter to continue.

Dimension reduction on example dataset.

Projection of the first example: 1.481274

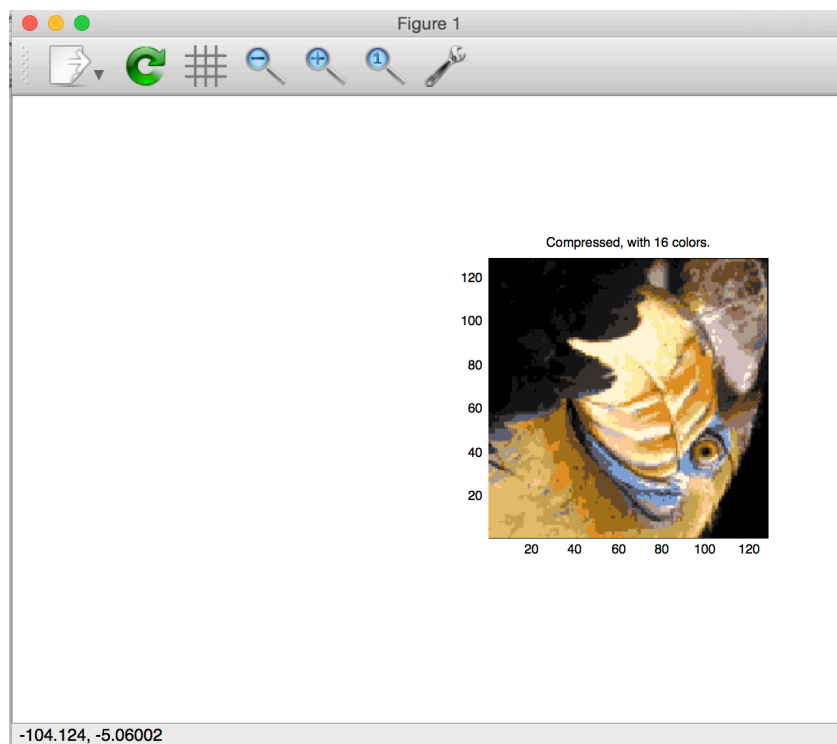
(this value should be about 1.481274)

Approximation of the first example: $-1.047419 \ -1.047419$

(this value should be about $-1.047419 \ -1.047419$)

Program paused. Press enter to continue.

■



Visualizing example dataset for PCA.

Program paused. Press enter to continue.

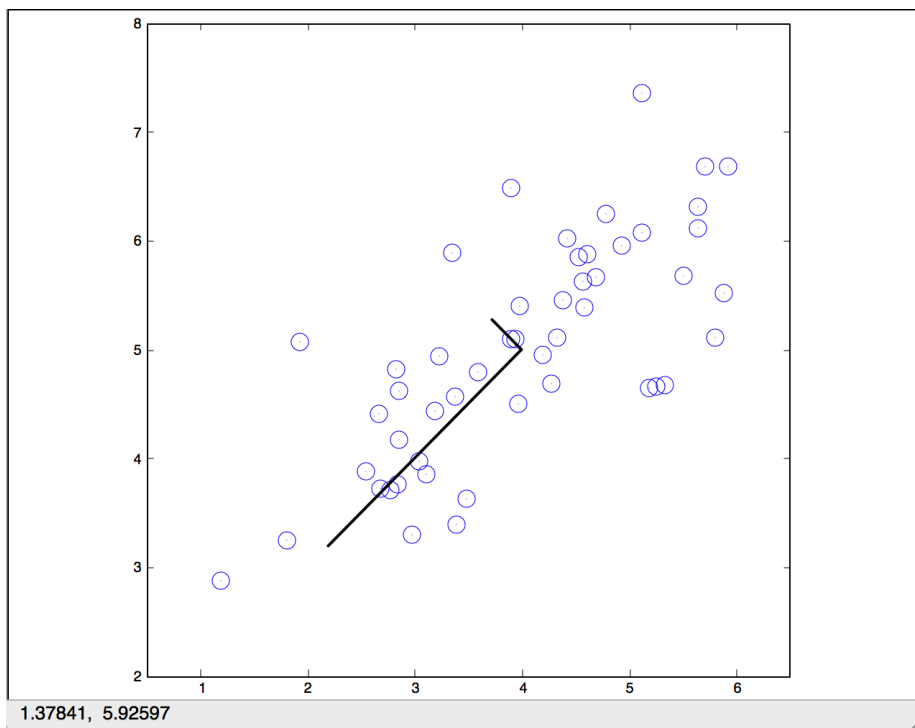
Running PCA on example dataset.

Top eigenvector:

$U(:,1) = -0.707107 \ -0.707107$

(you should expect to see $-0.707107 \ -0.707107$)

Program paused. Press enter to continue.





Original faces



Recovered faces



Program paused. Press enter to continue.

Loading face dataset.

Program paused. Press enter to continue.

Running PCA on face dataset.
(this might take a minute or two ...)

Program paused. Press enter to continue.

Dimension reduction for face dataset.

The projected data Z has a size of: 5000 100

Program paused. Press enter to continue.

Visualizing the projected (reduced dimension) faces.

Program paused. Press enter to continue.