#### Introduction

Education, playing a more and more important role in human society nowadays, enables students as well as society to make progress by obtaining technical ability, professional skills and spiritual strength. One of the most the important part of Meiji restoration in Japan is education. Meiji restoration promoted significantly social progress, helped Japan develop rapidly, became the only Asian country that kept democracy & independence in the modern times and built the foundation of being a powerful developed country for Japan. Nearly all the countries treat education as the foundation of development and their future competitiveness.

Academic performance is one of the outcomes of education that can be observed easily. It is affected by many factors such as different gender, school type, the conditions for learning, parental education level, family annual income, etc.

Propensity score is one of the methods that can estimate the effect of receiving treatment when it is not suitable to assign treatments to subjects randomly. Propensity score matching refers to the pairing of treatment and control units with similar values on the propensity score; and possibly other covariates (the characteristics of participants); and the discarding of all unmatched units.

The school-level dataset was acquired from government data website. It is used to test whether a certain intervention (lunch type and test preparation course respectively in this case) can really enhance students' academic performance in the total score of math, reading and writing. Conducting propensity score matching to eliminate bias from confounding variables (gender, parental education level, race/ethnicity), while investigating if standard lunch and test preparation course made progress in students' reading and mathematics performance.

Eliminating confounding variables can help us make more accurate conclusion if an intervention really brings higher academic achievement to students. With accurate conclusion, education department will be able to make better decision on whether implementing the intervention or not.

### **Description of dataset**

This dataset was obtained from Kaggle for a predictive analysis project. It contains 1000 rows and 9 columns. The columns are gender, race\_ethinicity, parental\_level\_of education, lunch, test\_preparation\_course, math\_score, reading\_score and writing\_score.

|       | math_score | reading_score | writing_score |
|-------|------------|---------------|---------------|
| count | 1000.00000 | 1000.000000   | 1000.000000   |
| mean  | 66.08900   | 69.169000     | 68.054000     |
| std   | 15.16308   | 14.600192     | 15.195657     |
| min   | 0.00000    | 17.000000     | 10.000000     |
| 25%   | 57.00000   | 59.000000     | 57.750000     |
| 50%   | 66.00000   | 70.000000     | 69.000000     |
| 75%   | 77.00000   | 79.000000     | 79.000000     |
| max   | 100.00000  | 100.000000    | 100.000000    |

Table 1 Description of Scores

## **Data Cleaning and Wrangling**

The steps of data cleaning and wrangling are as follows:

- 1. Applied *dropna()* function to remove rows containing missing values
- 2. Dropped rows with value beyond the 3 standard deviations of writing\_score column. Repeated the same process for reading\_score and math\_score columns respectively.

```
# Remove the score outliers from df
df = df[np.abs(df['math_score']-df['math_score'].mean()) <= (3*df['math_score'].std())]
df = df[np.abs(df['reading_score']-df['reading_score'].mean()) <= (3*df['reading_score'].std())]
df_cleaned = df[np.abs(df['writing_score']-df['writing_score'].mean()) <= (3*df['writing_score'].std())]
df_cleaned</pre>
```

Figure 1 Outliers removal

3. For those columns whose values are hierarchical, assigned increasing consecutive integers start from 0, to the values with level from low to high. Take parental education level for

- example, some high school, associate's degree, some college, bachelor, master correspond to the integers 0 to 5.
- 4. For those columns whose values are non-hierarchical, applied function *pd.get\_dummies* on the columns to quantify the values and deleted one column of the results to avoid dummy trap.

```
# quantify race_ethnicity
dummies1 = pd.get_dummies(df_cleaned.race_ethnicity)
dummies1
```

Figure 2 Non-hierarchical Column Quantifying

|   | group A | group B | group C | group D | group E |
|---|---------|---------|---------|---------|---------|
| 0 | 0       | 1       | 0       | 0       | 0       |
| 1 | 0       | 0       | 1       | 0       | 0       |
| 2 | 0       | 1       | 0       | 0       | 0       |
| 3 | 1       | 0       | 0       | 0       | 0       |
| 4 | 0       | 0       | 1       | 0       | 0       |
| 5 | 0       | 1       | 0       | 0       | 0       |
| 6 | 0       | 1       | 0       | 0       | 0       |

Table 2 Quantified race\_ethnicity

5. Merged the newly created columns in step 4 to the dataframe and then deleted the original non-hierarchical columns.

# **Exploratory Data Analysis**

In the first part of the project, I used standard lunch and reduced lunch to classify the dataset into 2 groups, control and test respectively. Besides, I set total score of the 3 subjects as the dependent variable to study the relation between lunch types and students' academic performance. In this case, the other variables were considered covariates, and propensity score matching was applied to minimize the influence from the covariates such as gender, parental education level. The purpose of this project is to eliminate the selecting bias in contrast test.

```
# create test and control groups by lunch type
test = df_cleaned[df_quant.lunch == "free/reduced"]
control = df_cleaned[df_quant.lunch == "standard"]
test['lunch'] = 1
control['lunch'] = 0
```

Figure 3 Test and Control Groups Classification

Before doing inferential statistics to figure out what the outcome tells us, data wrangling and propensity score matching of the test and control groups are needed. For data wrangling, I followed the steps: (1) Apply *df.dropna()* to remove the missing values in the dataframe df. (2) Remove the rows in df which contain value beyond the range of 3 standard deviation of ether one of the 3 score columns. (3) For the columns whose values can be ranked by number directly, assign consecutive integer to each type of value based on the level from low to high. (4) For those columns that cannot be quantify directly, use one hot encoding and delete one column to avoid dummy variable trap afterwards. (5) Import Matcher and classify test and control group by lunch type free/reduced and standard respectively. (6) Set the 3 types of score as dependent variables, lunch types as independent variables and others as covariates. (7) Conduct PSM using *Pymatch* module and we can obtain the pairs of matched test and control groups for inferential statistics.

```
# Matcher
m = Matcher(test, control, yvar="lunch", exclude=['math_score','reading_score','writing_score'])

Formula:
lunch ~ gender+race_ethnicity+parental_level_of_education+test_preparation_course
n majority: 643
n minority: 350

# for reproducibility
np.random.seed(20170925)
m.fit_scores(balance=True, nmodels=350)

Fitting Models on Balanced Samples: 350\350
Average Accuracy: 53.52%
```

Figure 4 Propensity Score Matching

#### Proportional Difference (test-control) for gender Before and After Matching Chi-Square Test for Independence p-value before | after: 0.56472 | 0.939601

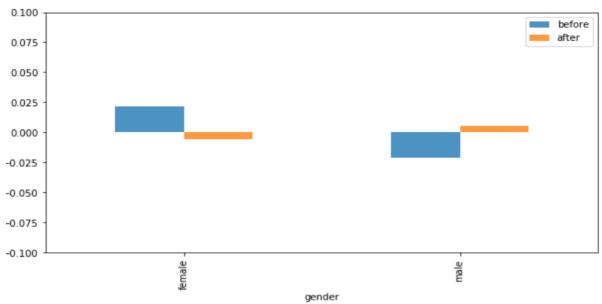


Figure 5 Proportion Difference for Gender

Proportional Difference (test-control) for race\_ethnicity Before and After Matching Chi-Square Test for Independence p-value before | after: 0.568335 | 0.976944

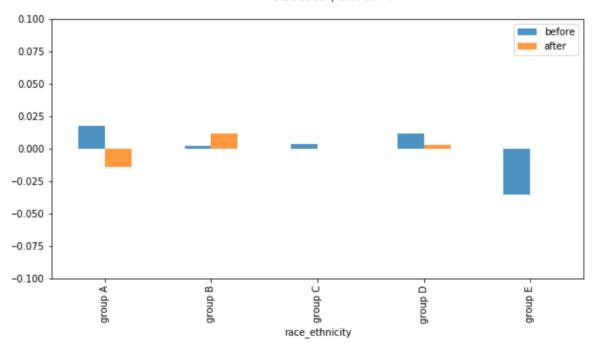
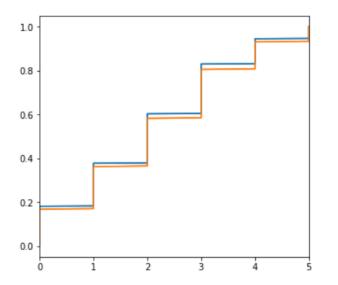


Figure 6 Proportional Difference for Race

ECDF for parental\_level\_of\_education before Matching KS p-value: 0.829

Grouped Perm p-value: 1.0 Std. Median Difference: 0.0 Std. Mean Difference: 0.06021823141395048 ECDF for parental\_level\_of\_education after Matching KS p-value: 0.942 Grouped Perm p-value: 1.0

Std. Median Difference: 0.0 Std. Mean Difference: 0.03138679154903019



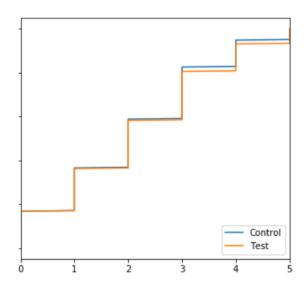


Figure 7 Assessment of Propensity Score Matching

ECDF for test\_preparation\_course before Matching KS p-value: 0.501

Grouped Perm p-value: 1.0 Std. Median Difference: 0.0 Std. Mean Difference: 0.04426314171803033 ECDF for test\_preparation\_course after Matching KS p-value: 0.776

Grouped Perm p-value: 1.0 Std. Median Difference: 0.0 Std. Mean Difference: 0.023690214845385683

1.0

1.0 0.8 0.6 0.4 0.2 Control Test 0.0 0.2 0.4 0.6 0.4 0.0 0.8 1.0 0.0 0.2 0.6 0.8

Figure 8 Assessment of Propensity Score Matching

In inferential statistic part, there are two methods to estimate the outcome.

Obtained the mean total score, standard deviation of the group with standard lunch and the group with reduced lunch respectively. Miu<sub>1</sub>, miu<sub>2</sub>, sigma<sub>1</sub> and sigma<sub>2</sub>. Besides, obtained miu<sub>1</sub>-miu<sub>2</sub> and standard deviation of mean difference sigma<sub>1-2</sub>.

- 1. Assumed significance level at alpha = 5%, null hypothesis  $miu_1$ - $miu_2$  = 0 and alternative hypothesis:  $miu_1 miu_2 > 0$ . Since( $miu_1$ - $miu_2$ ) = 18.15, which is out of 95% CI, I rejected null hypothesis in favor of alternative hypothesis that  $miu_1 > miu_2$ .
- 2. Imported *ttest\_ind* from *scipy.stats* and conducted t test based on miu<sub>1</sub>, miu<sub>2</sub>, sigma<sub>1</sub> and sigma<sub>2</sub>. The small result also shows that I should reject null hypothesis in favor of alternative hypothesis.

```
from scipy.stats import ttest_ind
# Method 2 t test
lunch = np.random.normal(miu1,sigma1,1000)
no_lunch = np.random.normal(miu2,sigma2,1000)
t_test = ttest_ind(lunch,no_lunch)
t_test
# p value < alpha. We can reject Ho in favor of Ha</pre>
```

Figure 5 Method 2 of Inferential Statistics

After hypothesis test, calculated correlation by importing *linregress* form *scipy.stats* and we can see the correlation r-value between lunch type and total score is -0.216, which means when lunch value is 1(test group: free/reduced lunch), students get lower score, and when lunch type is 0, students get higher score. we want to compare the difference between means of total score of these two groups. The means and standards deviation can both be obtained from our total\_score columns. Thus, hypothesis test on difference of means can be an effective way and t test is chosen in our case. The steps are as follows: (1)From *scipy.stats* import *ttest\_ind*. (2) Calculate means and standard deviations of test and control groups. (3) Set lunch by assigning miu<sub>1</sub>, sigma<sub>1</sub> and size 1000 to *np.random.normal* respectively. Set no\_lunch by filling in *np.random.normal* with miu<sub>2</sub>, sigma<sub>2</sub>, 1000. (4) Conduct t test and obtain p-value. (5) Compare p-value with significant level 5%.

In the second part of the project, I classified test and control groups by test\_preparation\_course (complete:1, none:0) and repeated the whole process mentioned above. In this case, we can see the p-value is significantly smaller than significance level 5%, which implies we should reject null hypothesis in favor of alternative hypothesis that the test group(test preparation course completed)

has higher mean total score. The r-value is 0.30, meaning that taking the course can affect the total score positively.

In a word, the results of the project show that standard lunch and test preparation course can help students perform better in academic field.