

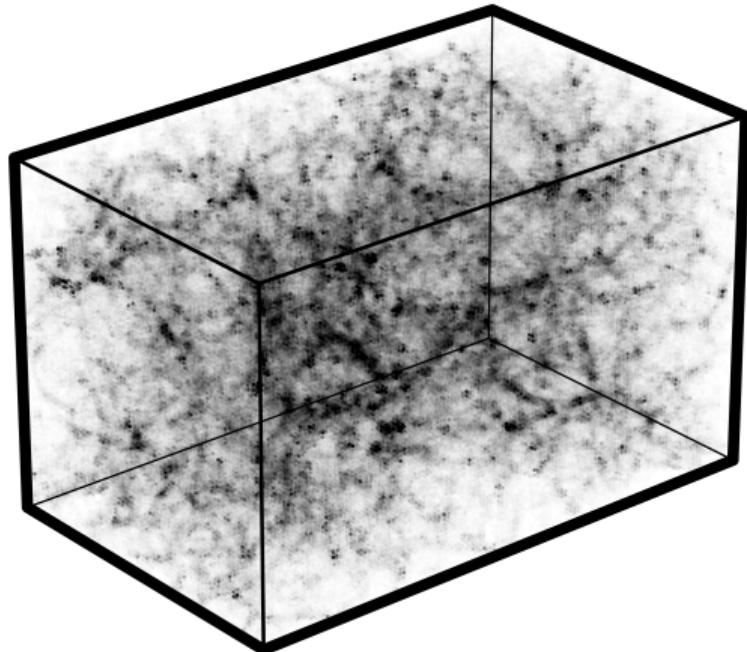
Probing the faint universe with line intensity mapping and CMB lensing

Delon Shen

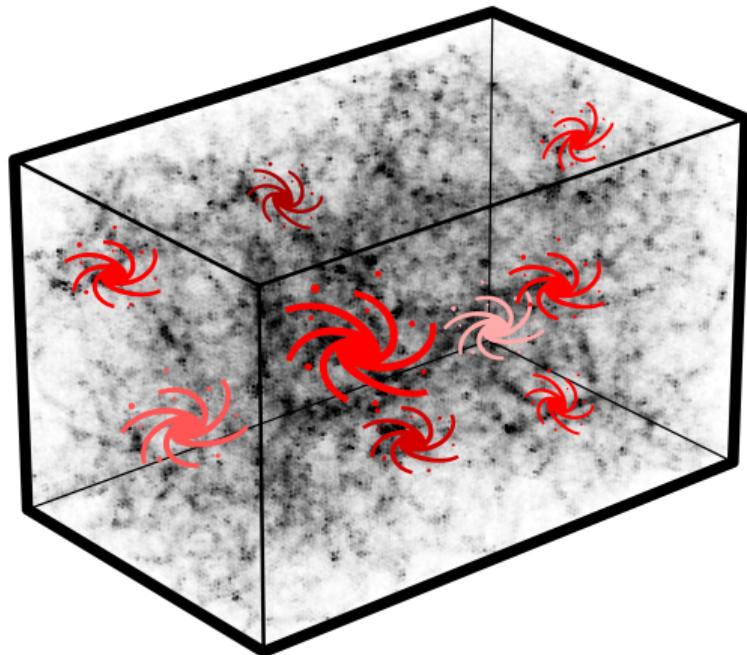
KIPAC Tea — August 12, 2025

[arxiv:2507.17752](https://arxiv.org/abs/2507.17752) with Nick Kokron and Manu Schaan

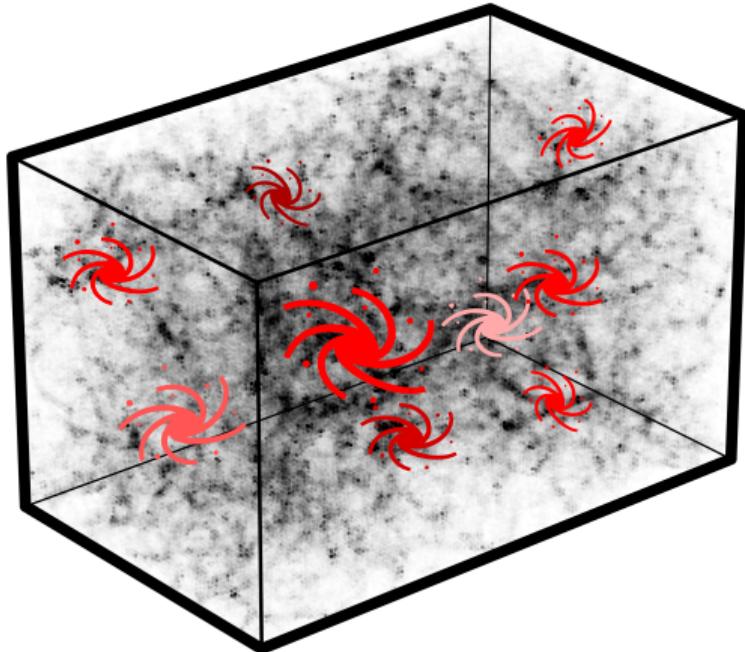
Dark Matter



Galaxies trace Dark Matter

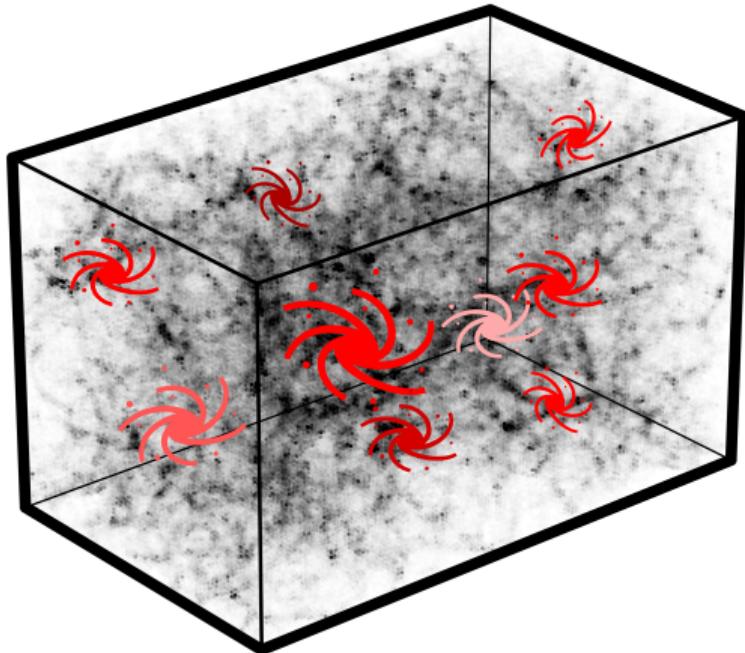


Galaxies trace Dark Matter



~~Faint Galaxies~~
(Hard to find but informative)

Galaxies trace Dark Matter



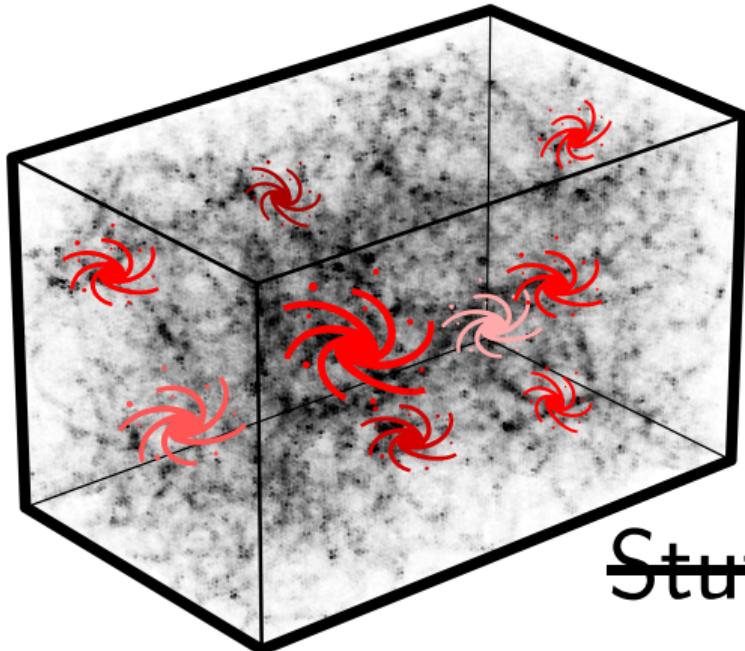
~~Faint Galaxies~~

(Hard to find but informative)

~~High-redshift~~

(Not many galaxies have formed yet)

Galaxies trace Dark Matter



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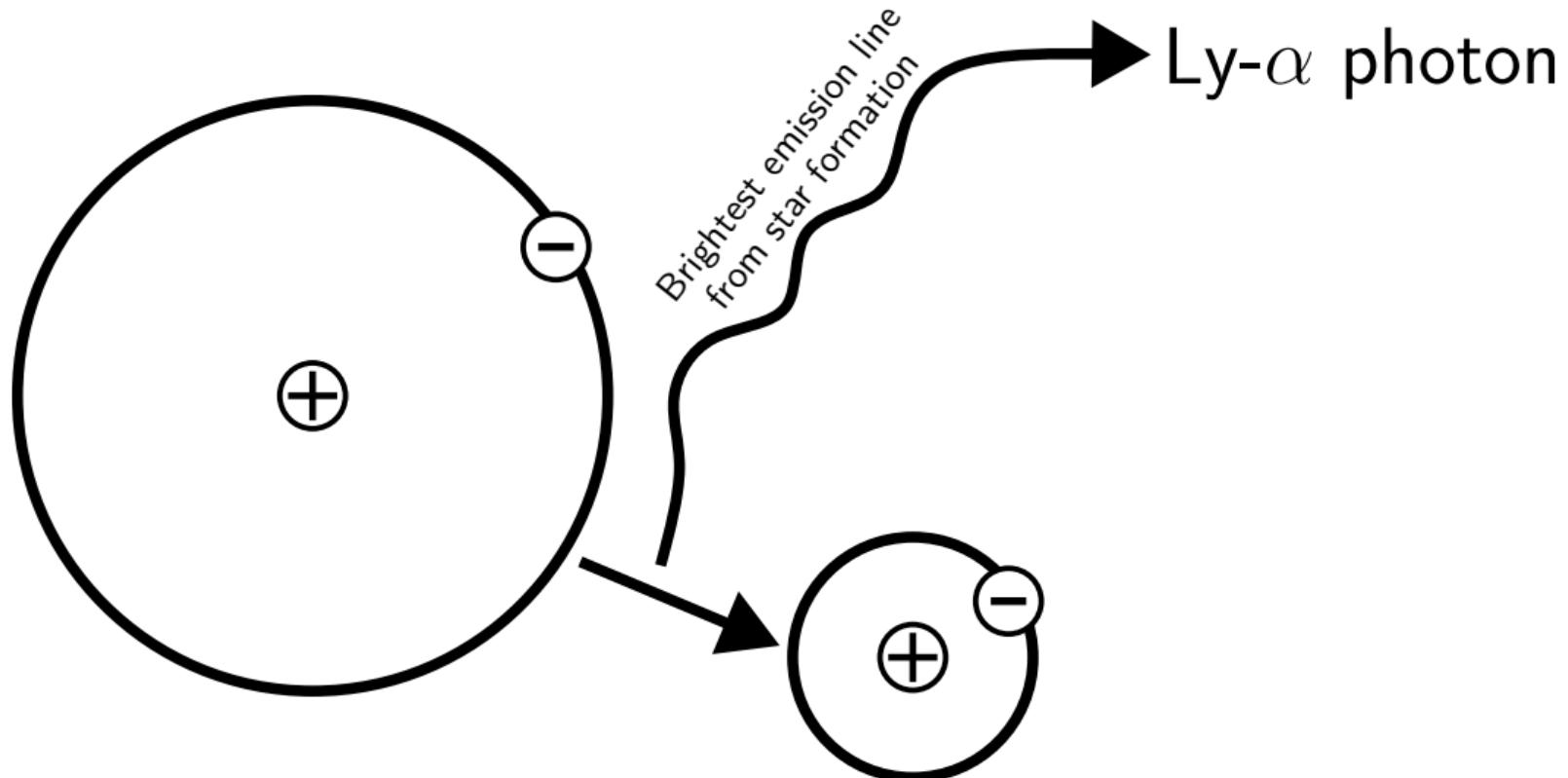
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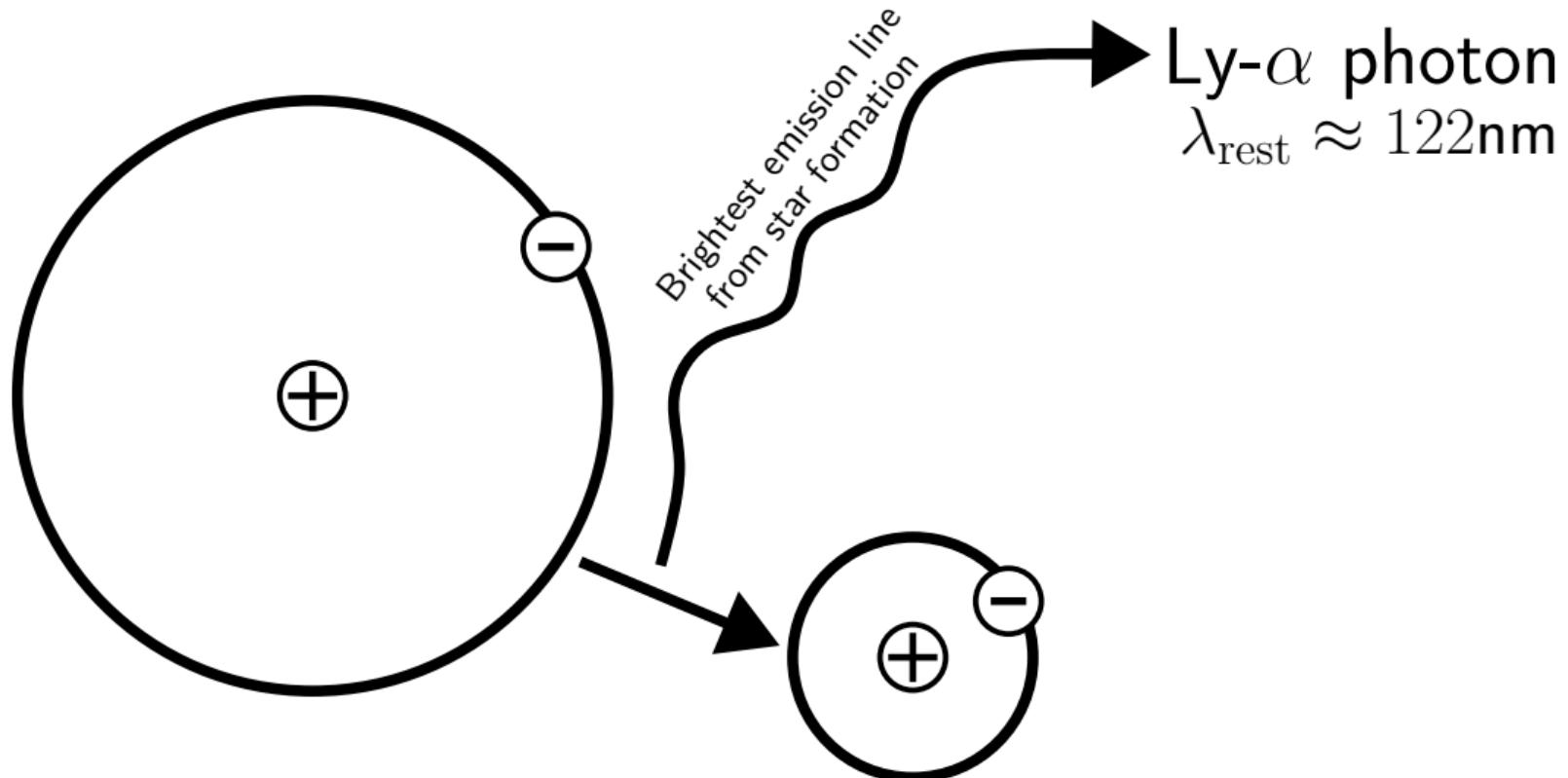
~~Stuff outside of galaxies~~

(Where most of the matter resides)

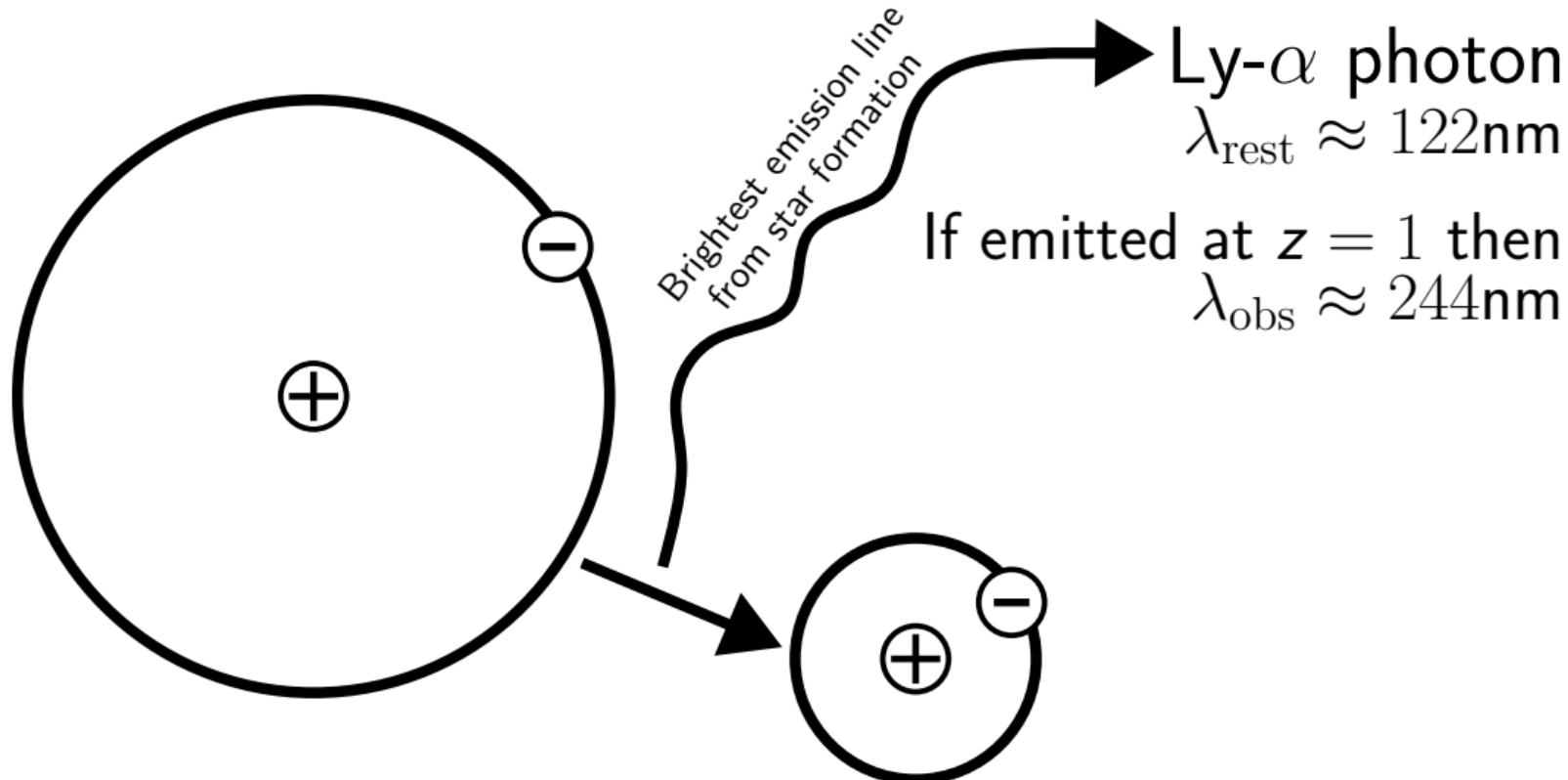
Another way to map the universe?



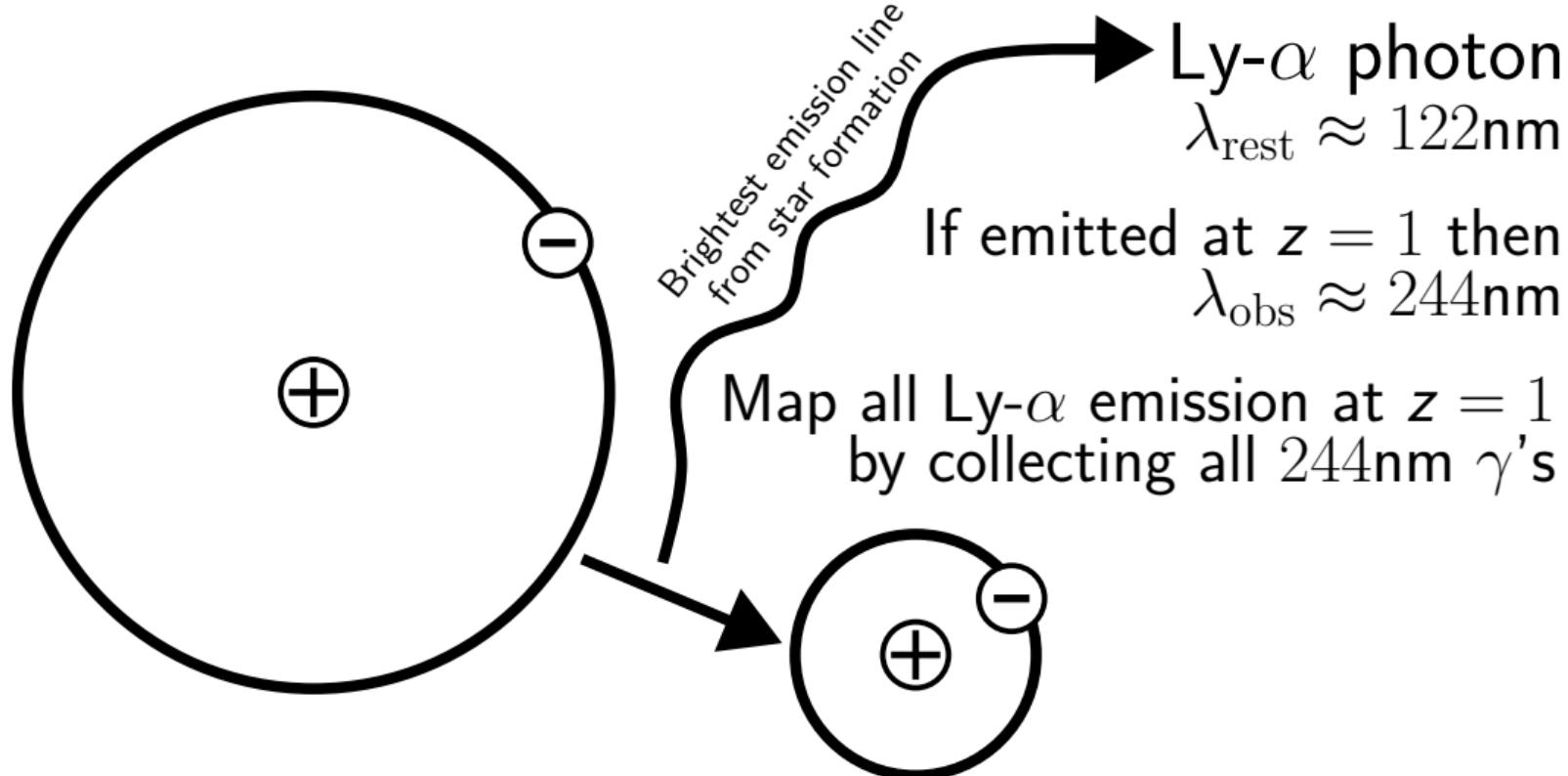
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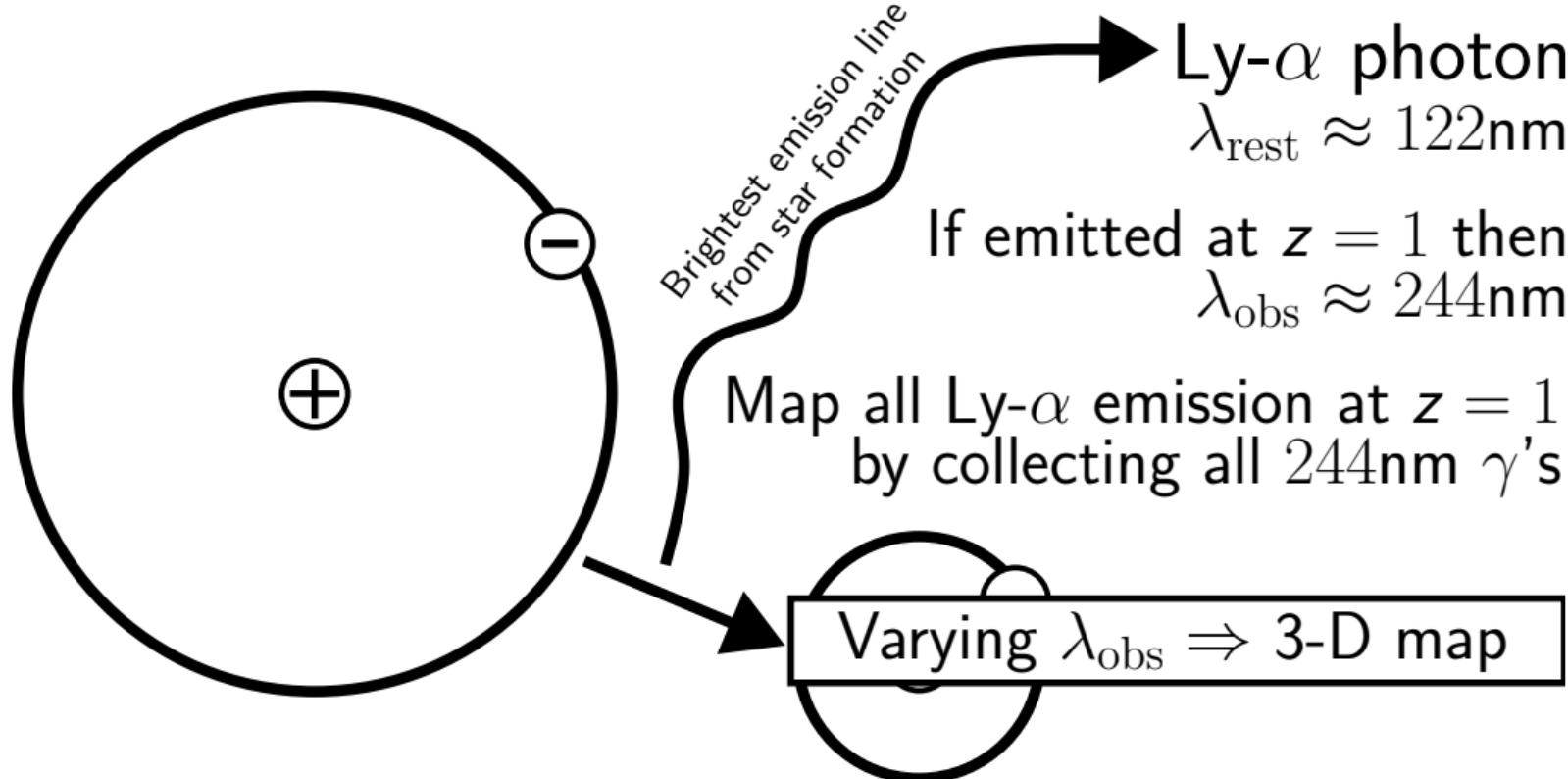
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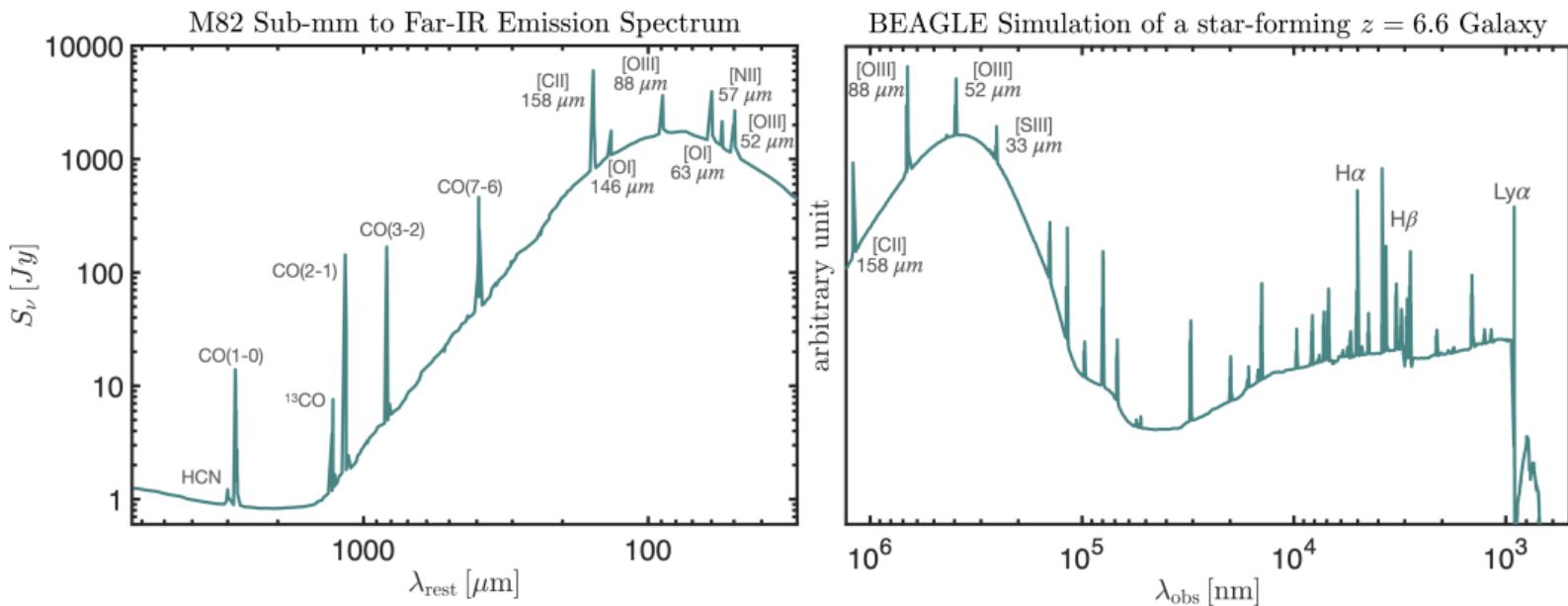
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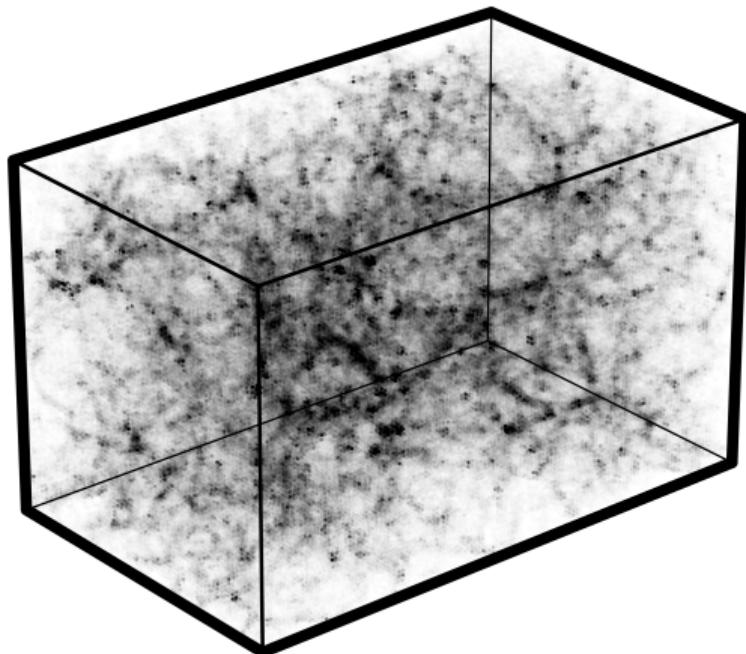
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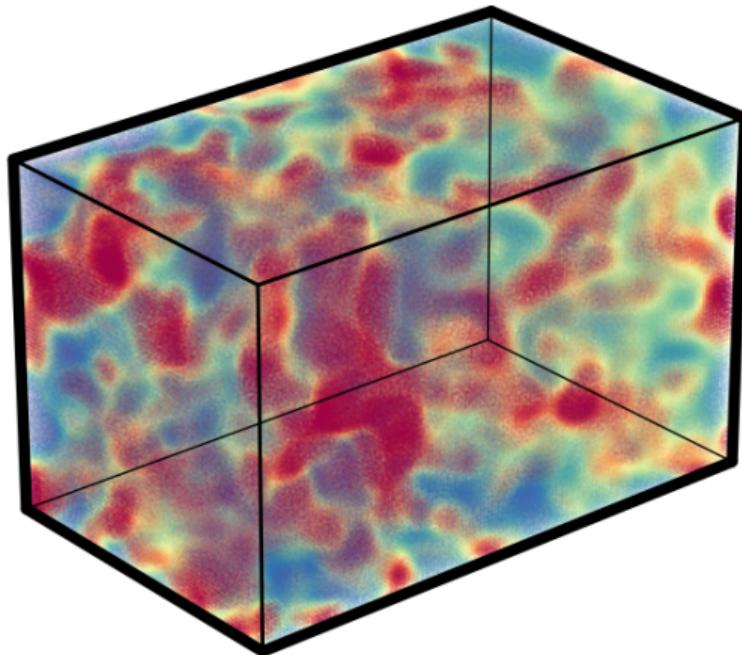
Many lines to choose from



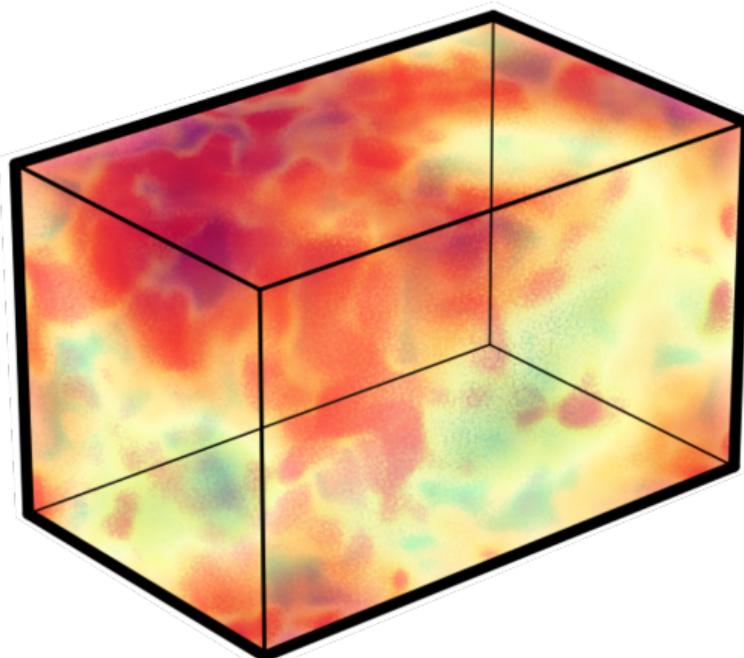
Dark Matter



Line Intensity Map traces Dark Matter



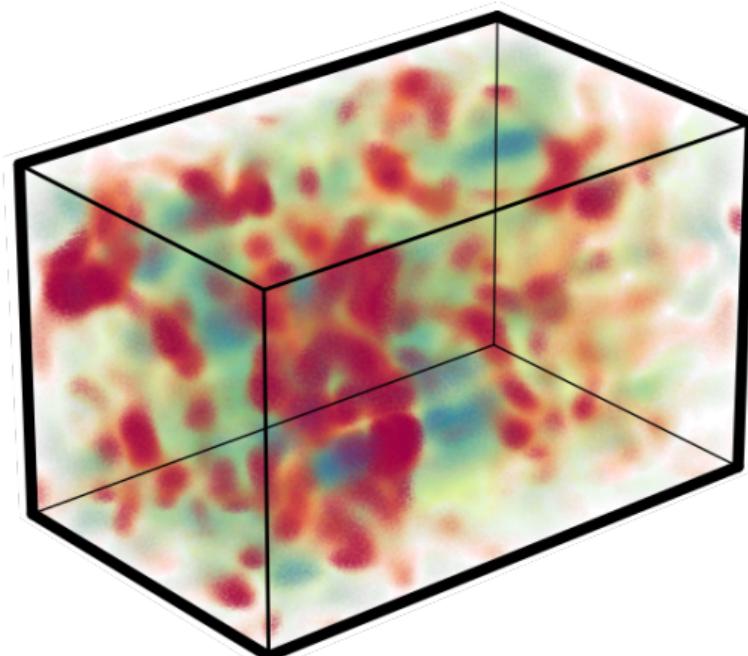
Line Intensity Map traces Dark Matter



**Contaminated by
Galactic foregrounds**

Spectrally smooth and bright
free-free and synchrotron emission

Line Intensity Map traces Dark Matter



**Contaminated by
Galactic foregrounds**

Spectrally smooth and bright
free-free and synchrotron emission



**(High-pass) filter out
smoothly varying modes**

Removes Galactic foregrounds and
some cosmological line emission

Line Intensity Map traces Dark Matter

Contaminated by
Galactic foregrounds

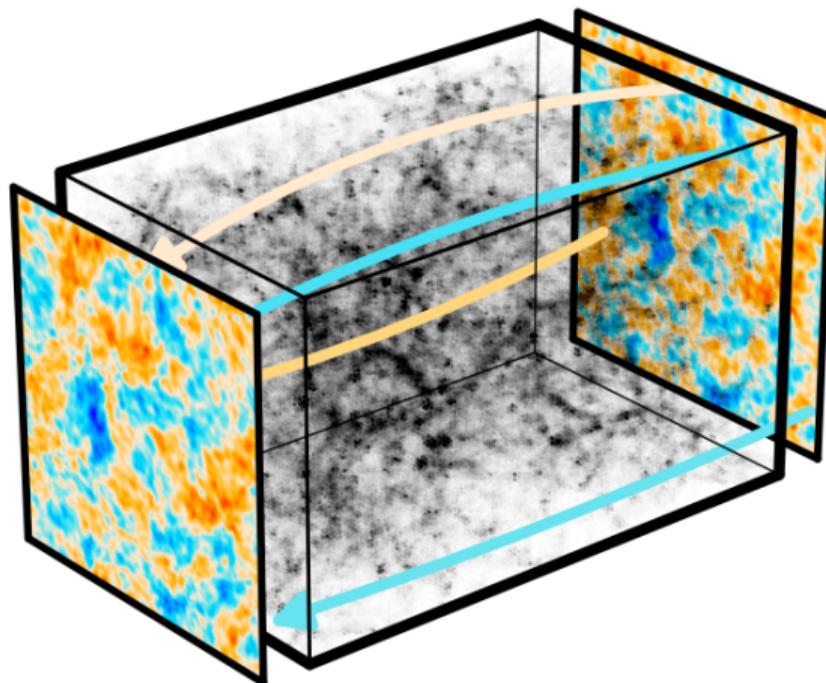
Currently in **path-finder** era of LIM experiments

Detection of cosmological line emission
likely must come from **cross-correlation**

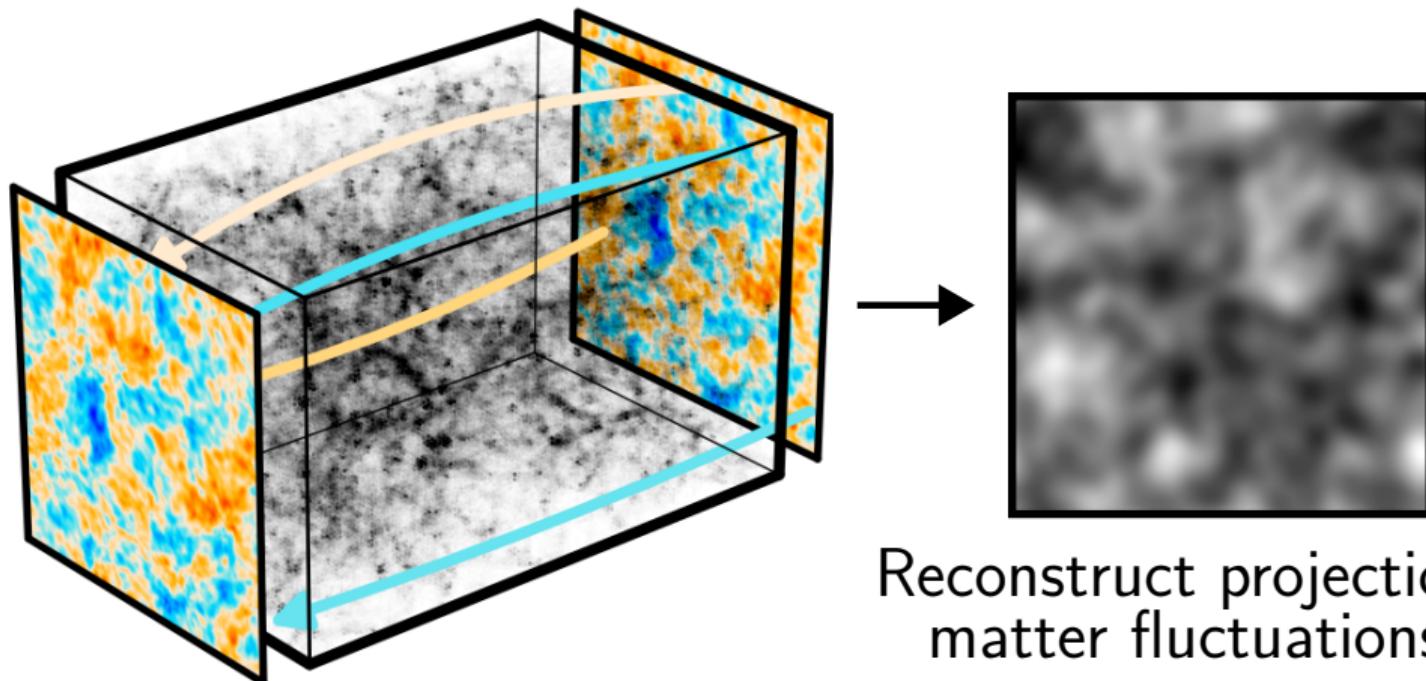
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CMB photons lensed by Dark Matter

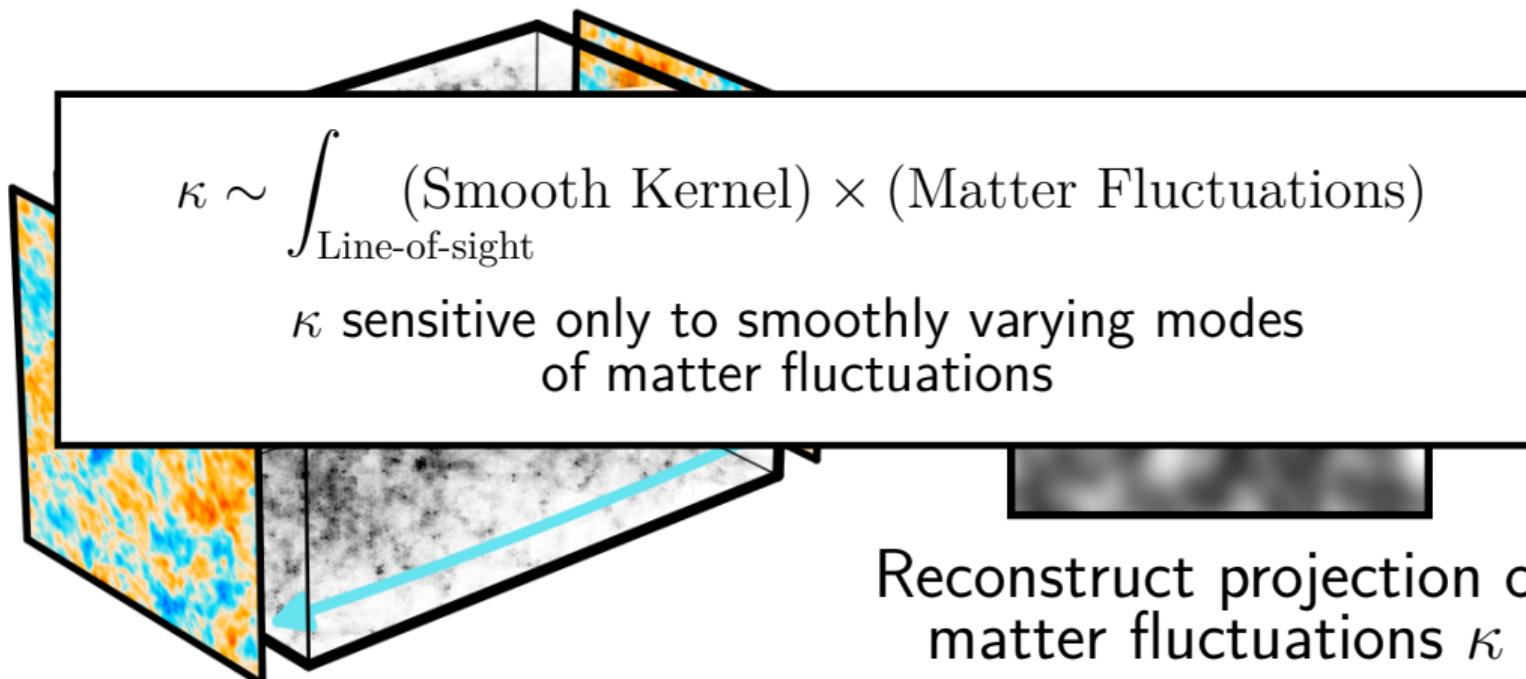


CMB photons lensed by Dark Matter



Reconstruct projection of
matter fluctuations κ

CMB photons lensed by Dark Matter



LIM removes smoothly varying modes

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CMB lensing ... only smoothly varying modes

LIM removes smoothly varying modes
CMB lensing ... only smoothly varying modes

Symmetries of the universe make this
lack of overlap potentially problematic

Symmetries of background universe

Isotropic and Homogeneous

$$\rho_m(\mathbf{x}) = \bar{\rho}_m$$

Symmetries of background universe

Isotropic and Homogeneous

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$$\tilde{\rho}_m(\mathbf{k})\tilde{\rho}_m(\mathbf{k}') = 0 \text{ unless } \mathbf{k} = \mathbf{k}'$$

Symmetries of fluctuating universe

Statistically Isotropic and Homogeneous

$$\rho_m(\mathbf{x}) = \bar{\rho}_m(1 + \delta_m(\mathbf{x})) \text{ (statistical field)}$$

Symmetries of fluctuating universe

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Short-wavelength
and Long-wavelength
matter fluctuations
are uncorrelated

Line Intesity Mapping

Loses *long-wavelength* fluctuations
because of Galactic foregrounds

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Loses *long-wavelength* fluctuations
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CMB lensing

Loses *short-wavelength* fluctuations
because of the projection kernel

Line Intensity Maps

Loses long

Claim by previous works:

Direct correlation of
LIM with CMB lensing
is hopeless

fluctuations
of the projection kernel

Line Intensity Map

Loses long

Claim by previous works:

Direct correlation of

LIM with

Any projected field

is hopeless

fluctuations
of the projection kernel

Line Intensity Map

Loses long range correlations:

Claim by ~~US~~ Direct correlation of LIM with Any projected field is ~~noisy~~ both fine and promising

Short and long wavelength **matter fluctuations** are uncorrelated

Short and long wavelength **matter fluctuations** are uncorrelated

Remove long-wavelength fluctuations from LIM



Remove long-wavelength matter fluctuations?

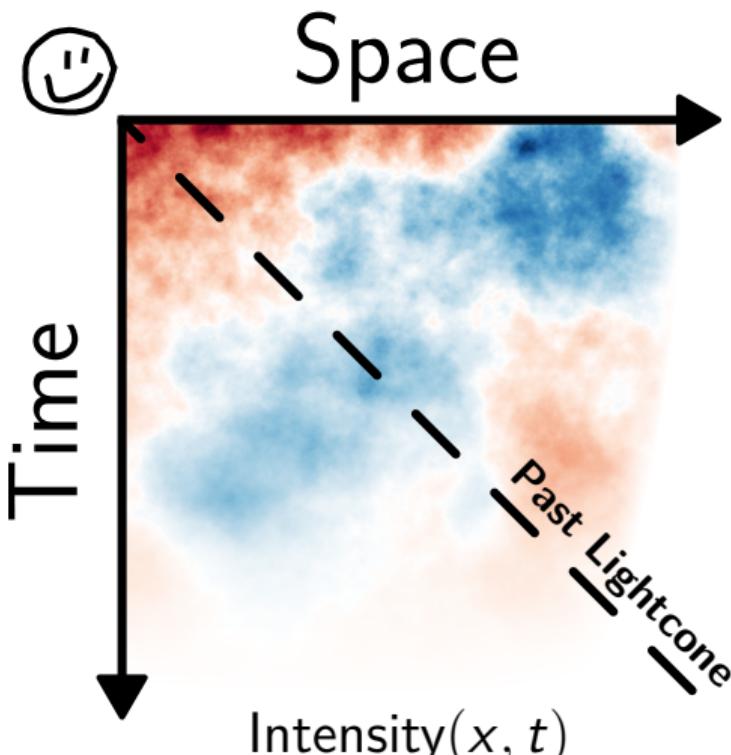
Short and long wavelength **matter fluctuations** are uncorrelated

Remove long-wavelength fluctuations from LIM

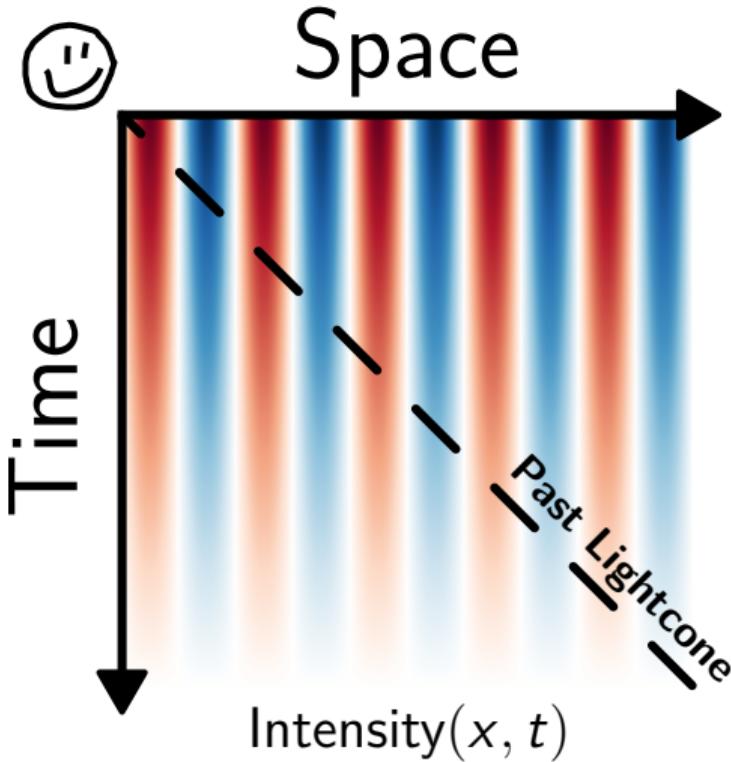


Remove long-wavelength matter fluctuations?

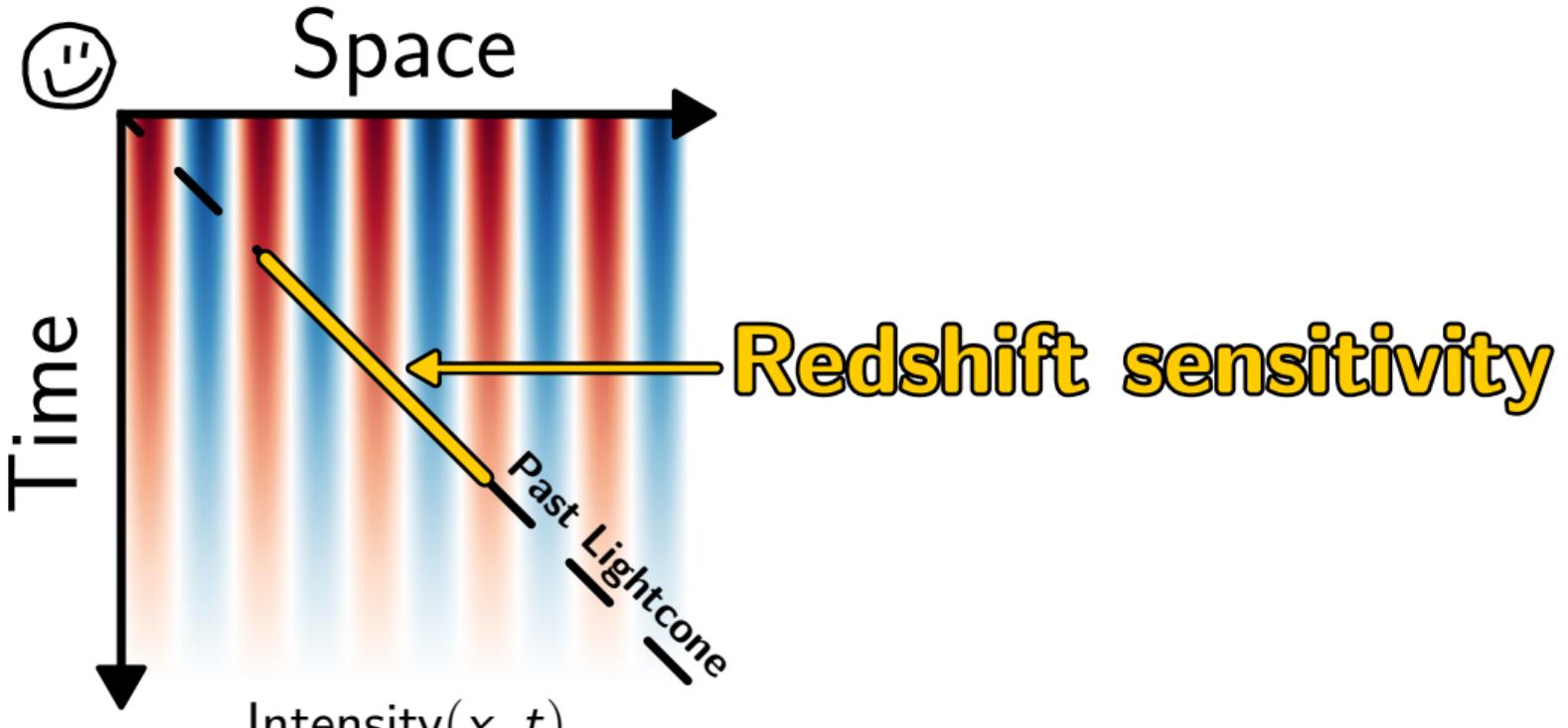
No, observations restricted to past lightcone



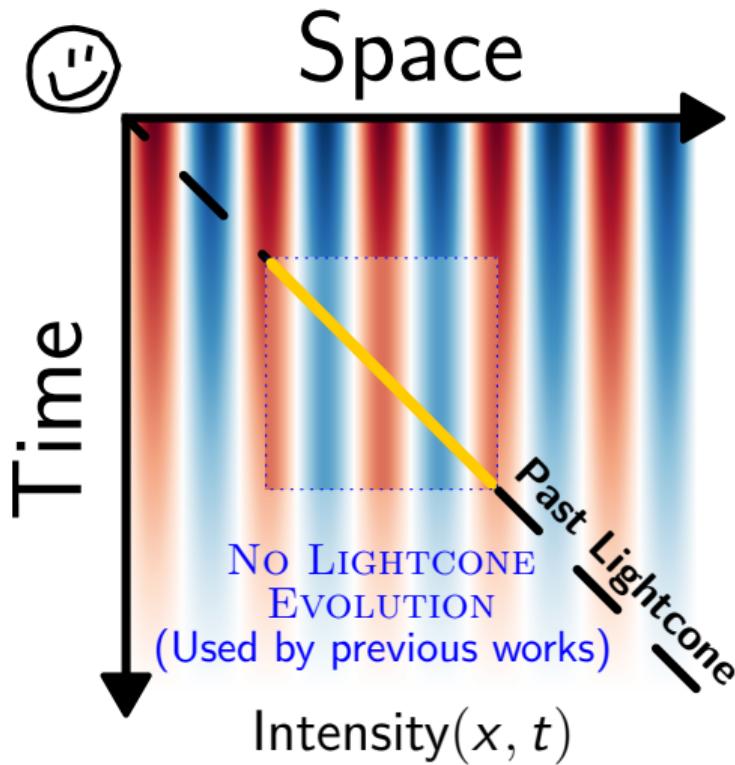
\sim Line-emission \times Matter Fluctuations



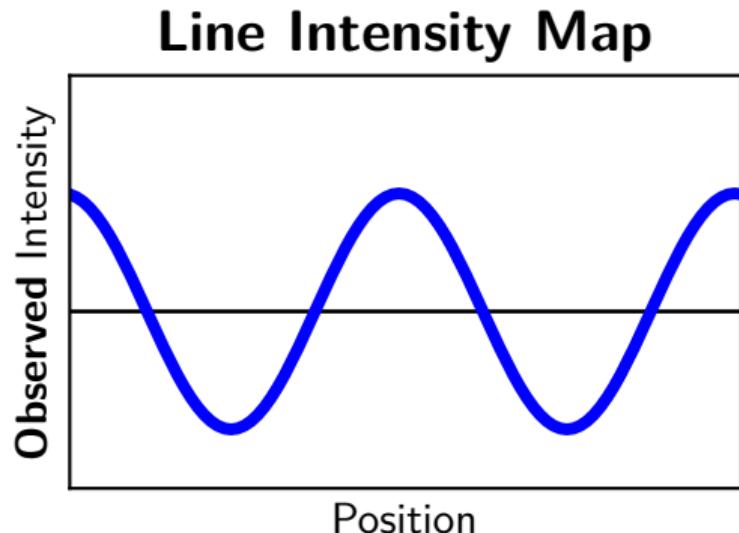
\sim Line-emission \times Matter Fluctuations
 $\sim t \times \sin(x)$



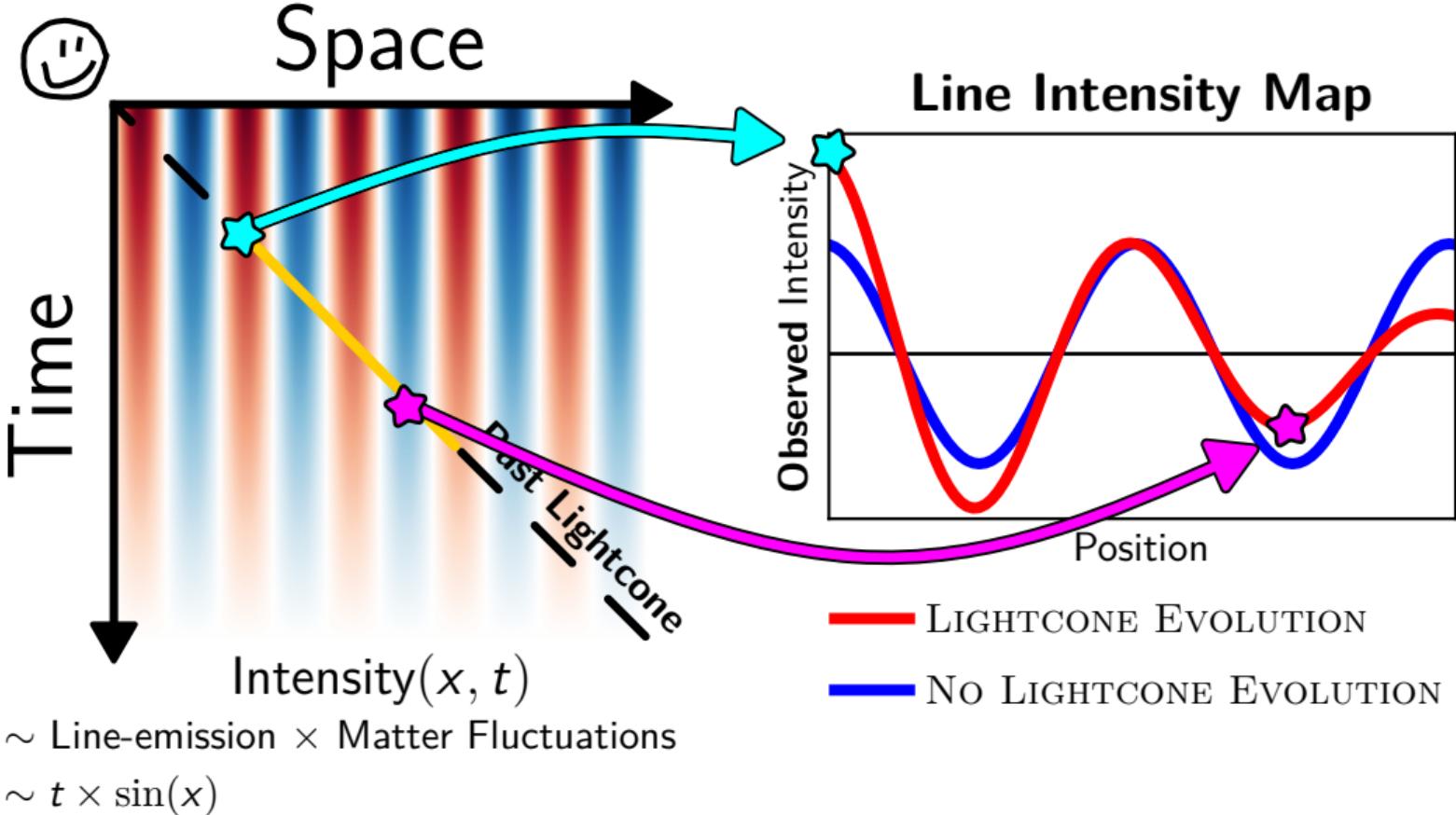
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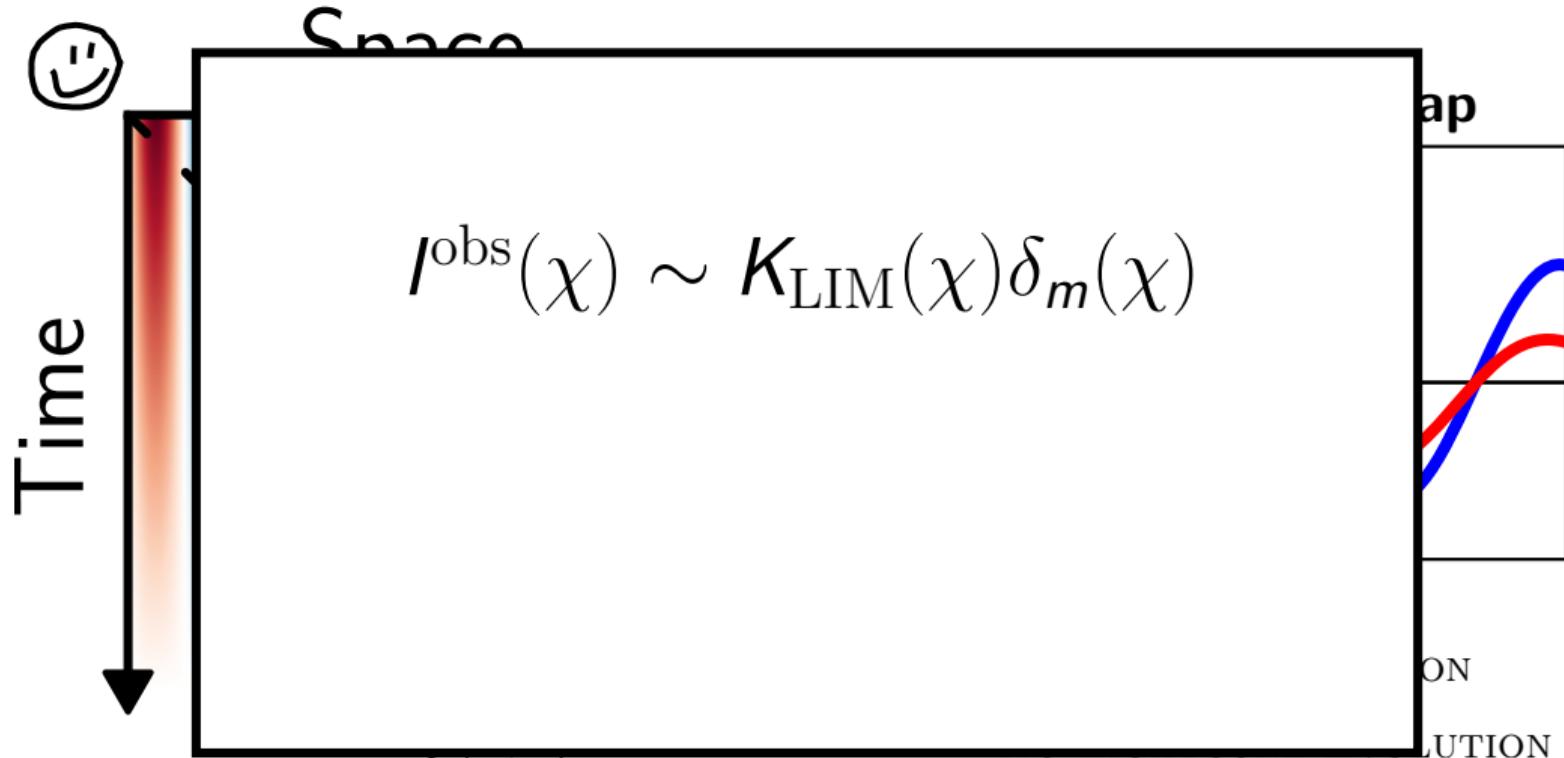


\sim Line-emission \times Matter Fluctuations
 $\sim t \times \sin(x) \xrightarrow{\text{No LIGHTCONE EVOL.}} \bar{t} \sin(x)$



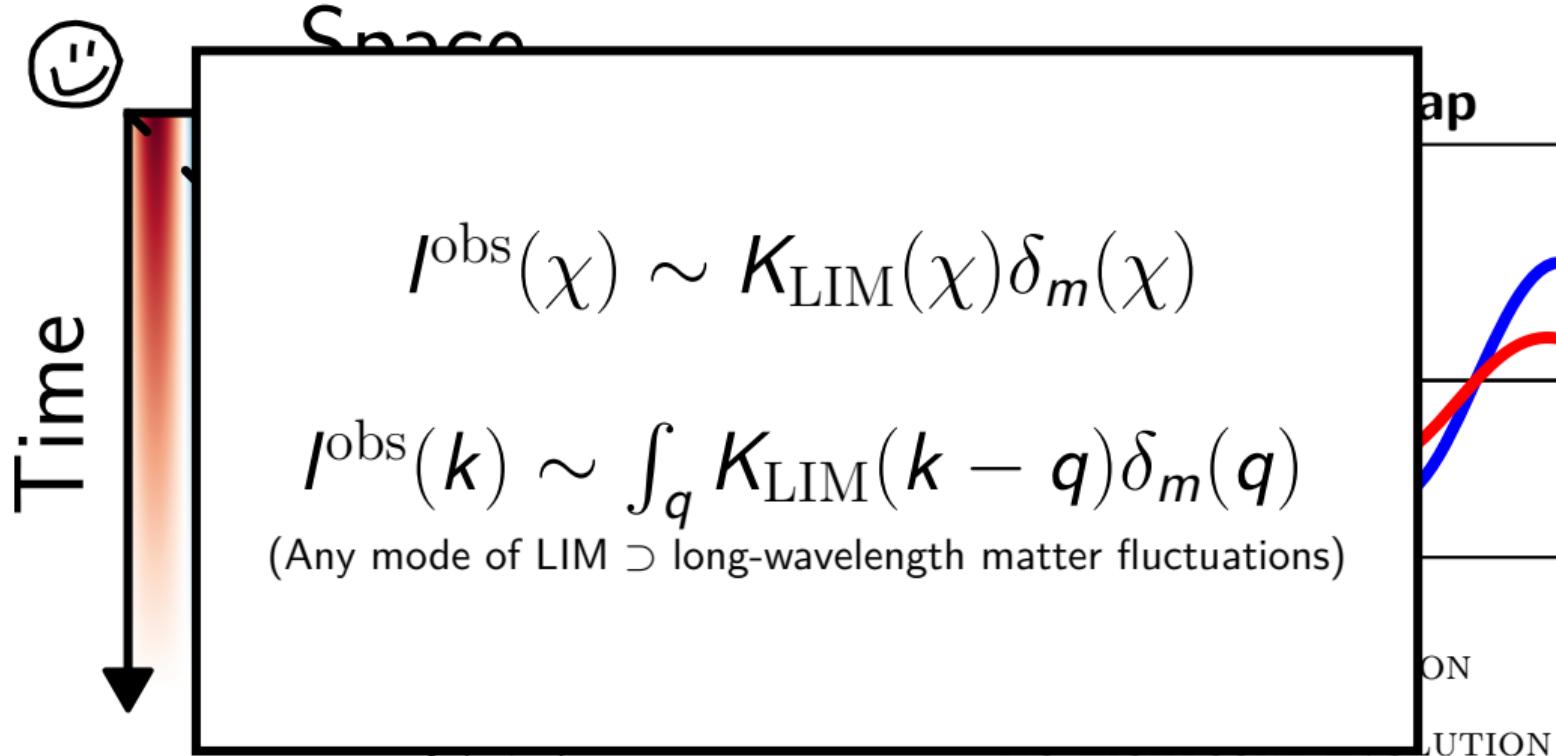
— No LIGHTCONE EVOLUTION





\sim Line-emission \times Matter Fluctuations

$\sim t \times \sin(x)$



\sim Line-emission \times Matter Fluctuations

$\sim t \times \sin(x)$



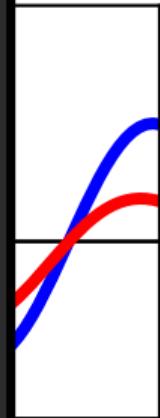
Time



Space

ap

Long-wavelength modes
lost to bright foregrounds
may not be problematic!
(Any mode of LIM \supset long-wavelength matter fluctuations)



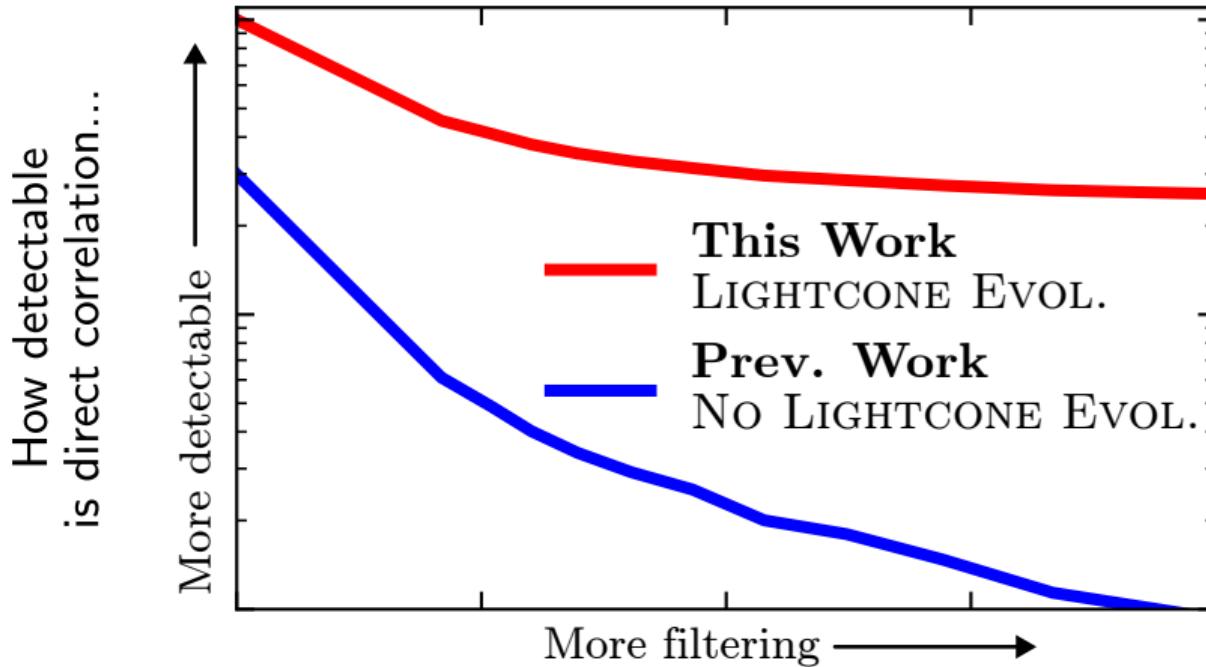
ON

LUTION

\sim Line-emission \times Matter Fluctuations

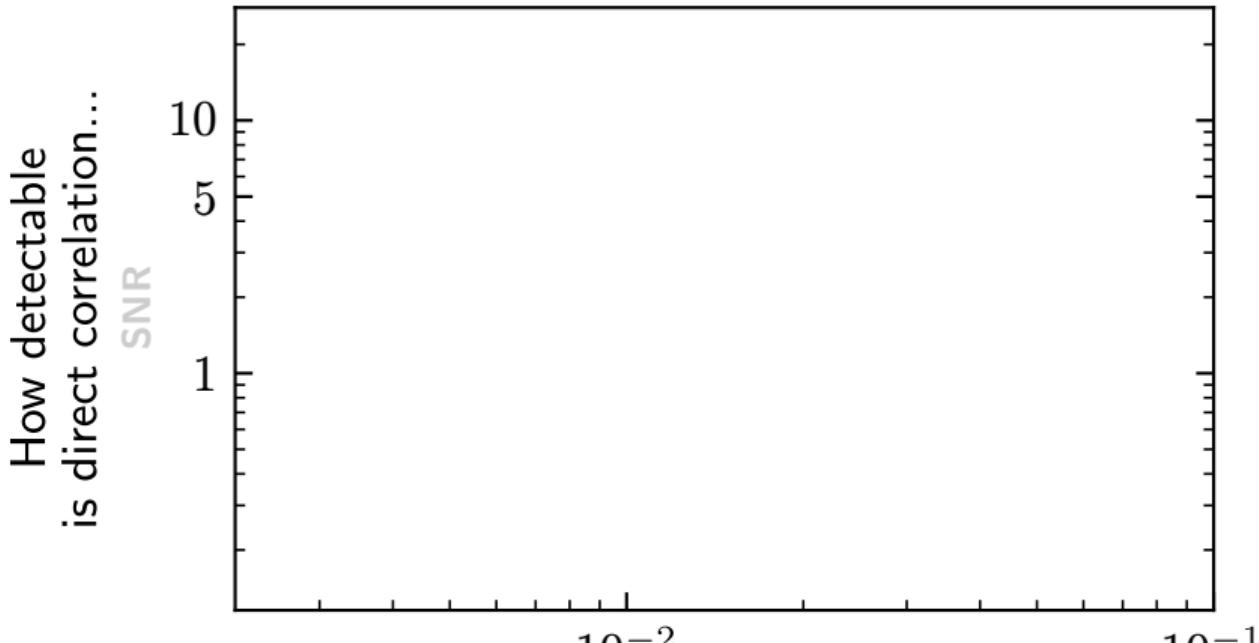
$\sim t \times \sin(x)$

Detectability in Toy Model



...as you filter out more long-wavelength modes?

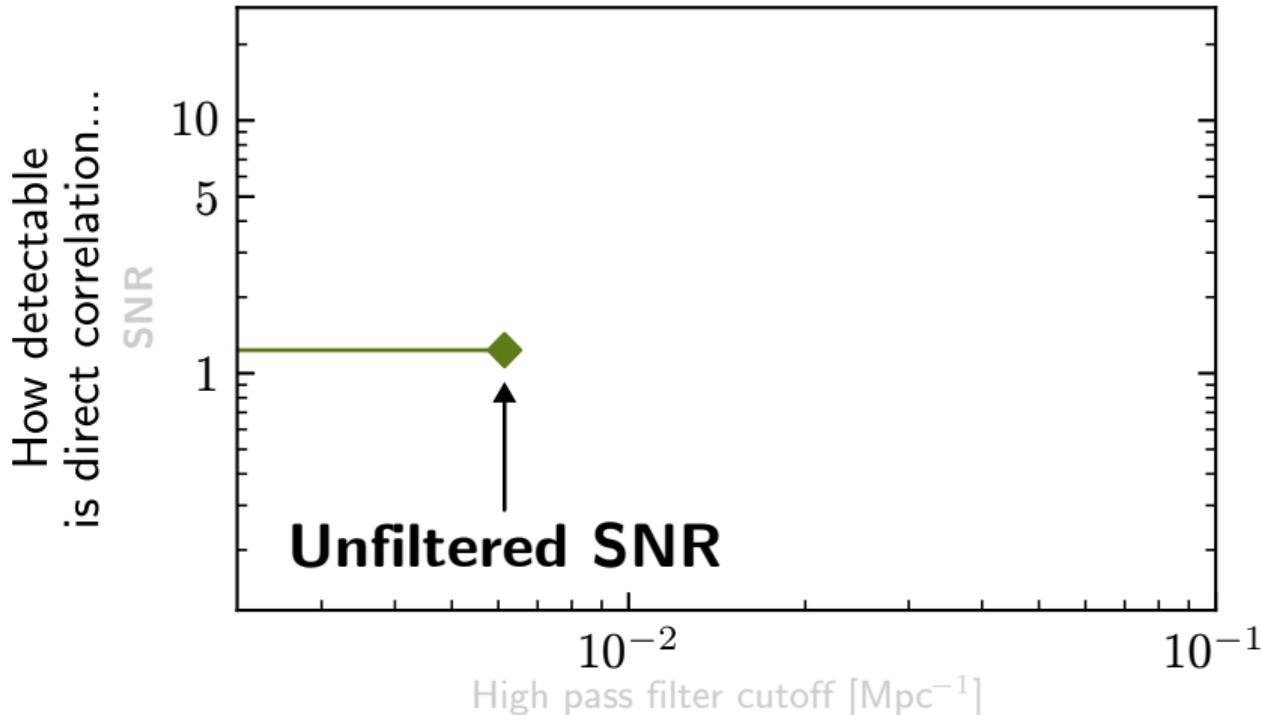
Detectability of $\langle \text{LIM} \times \text{CMB} \text{ Lensing} \rangle$



High pass filter cutoff [Mpc^{-1}]

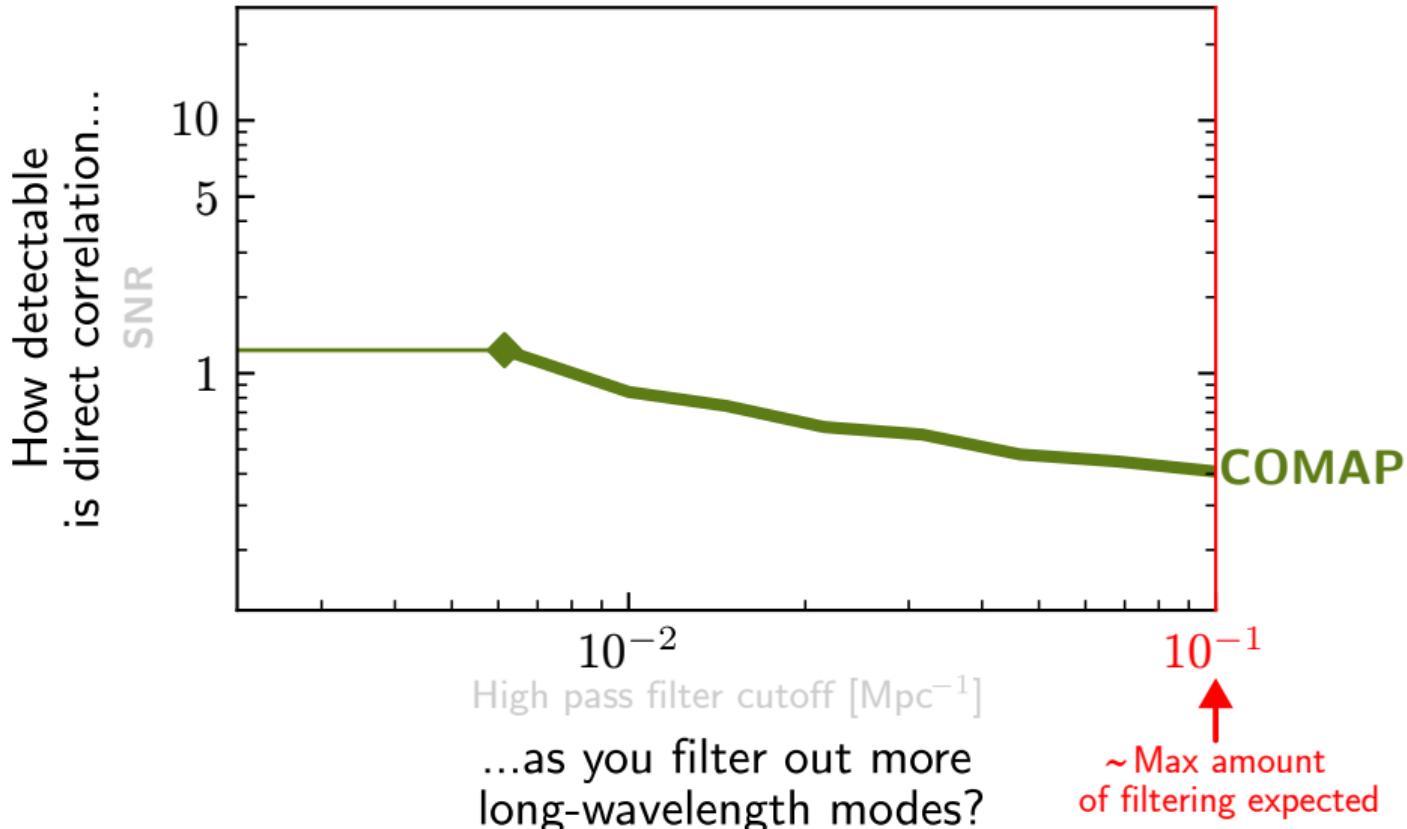
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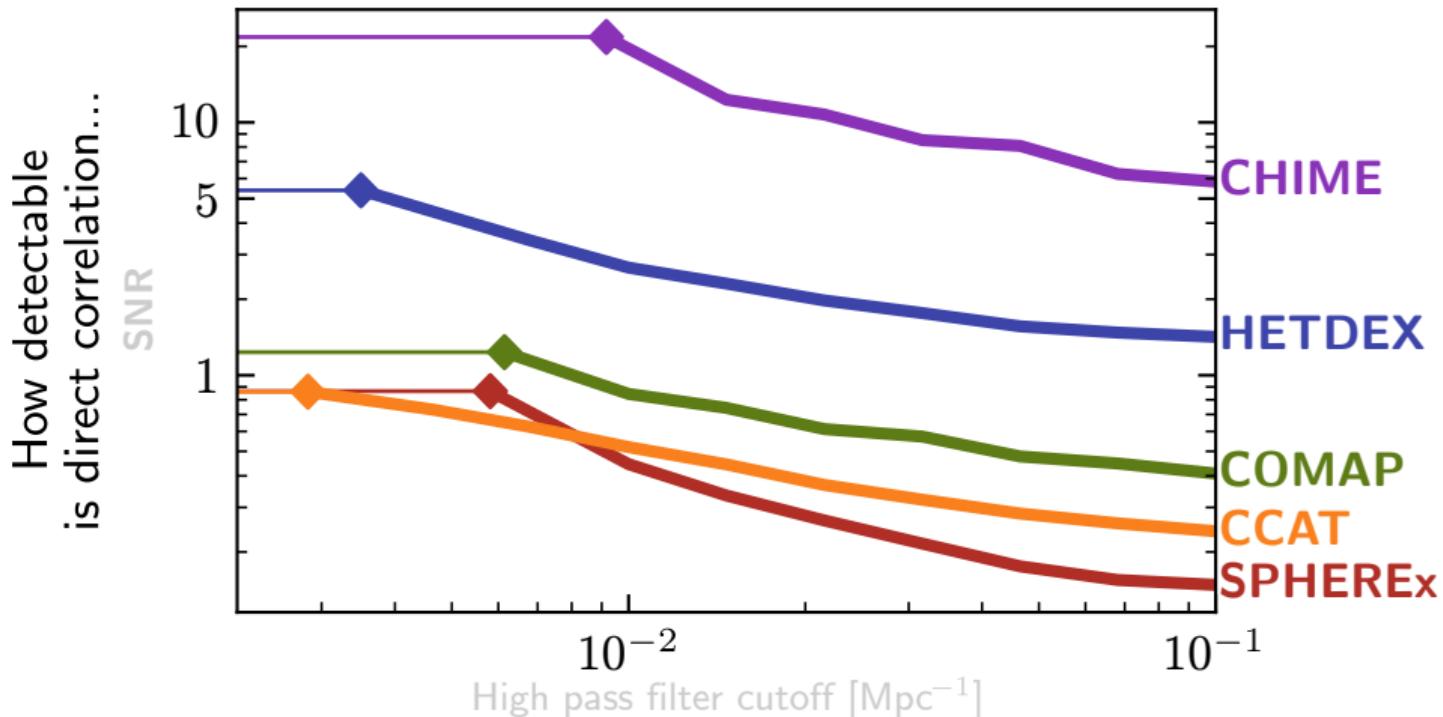


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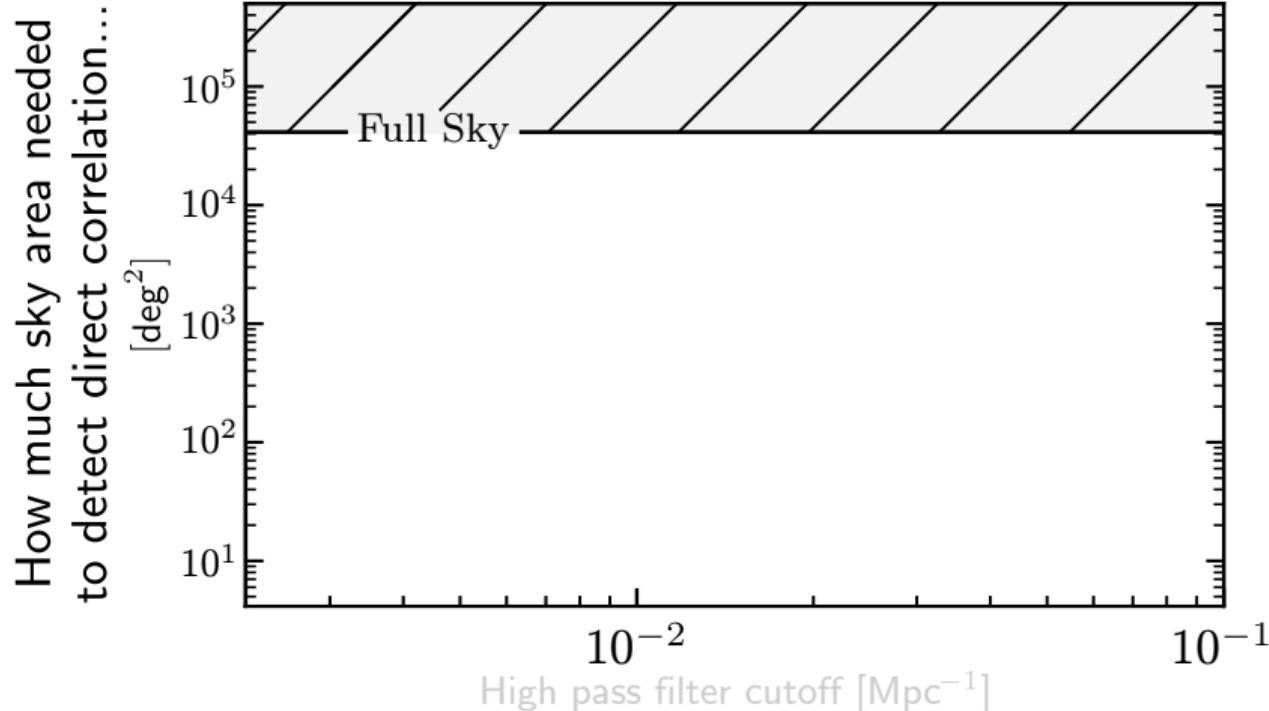
Next steps for
pathfinder experiments:
More sky area

E
EX
AP
REx

High pass filter cutoff [Mpc^{-1}]

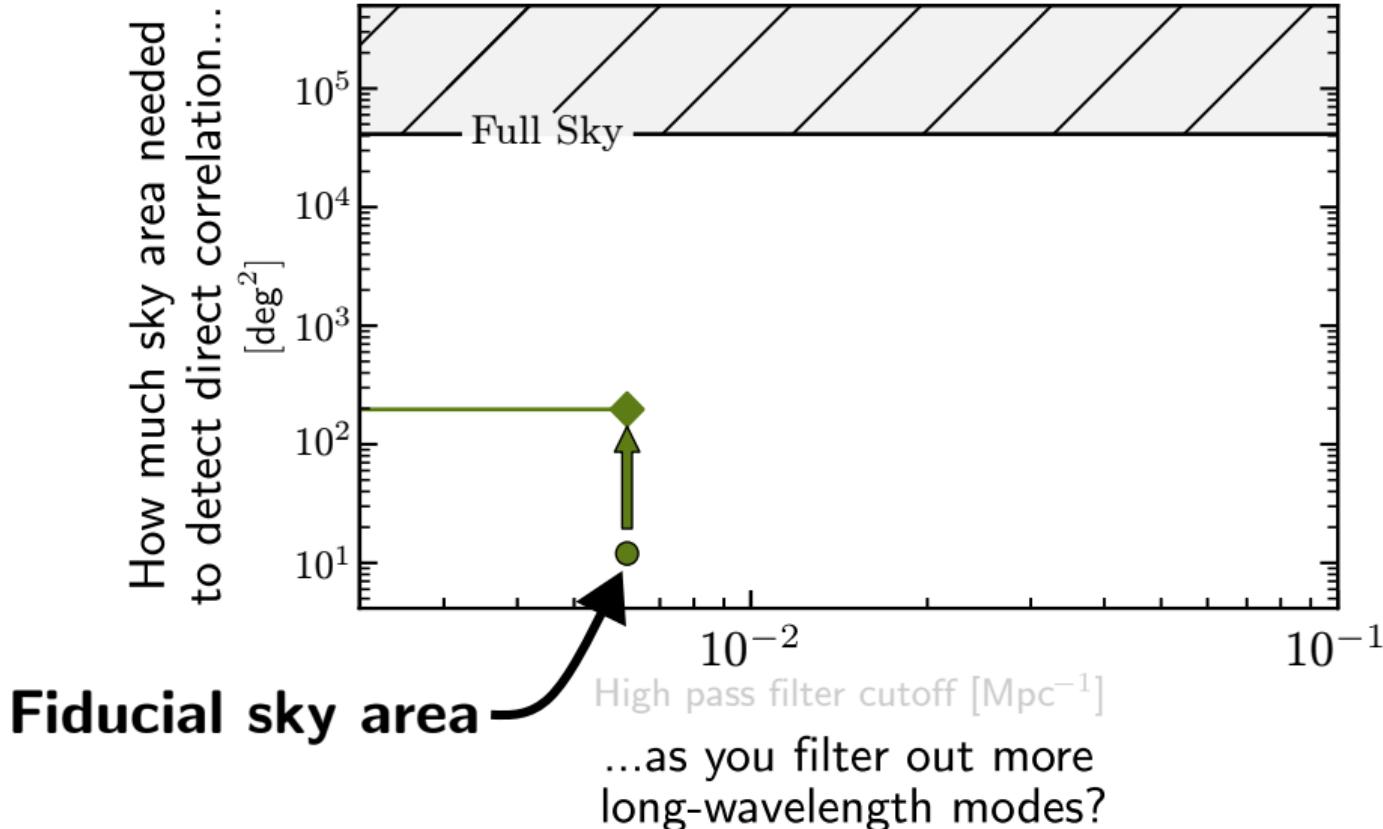
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Sky area to detect $\langle \text{LIM} \times \text{CMB Lensing} \rangle$

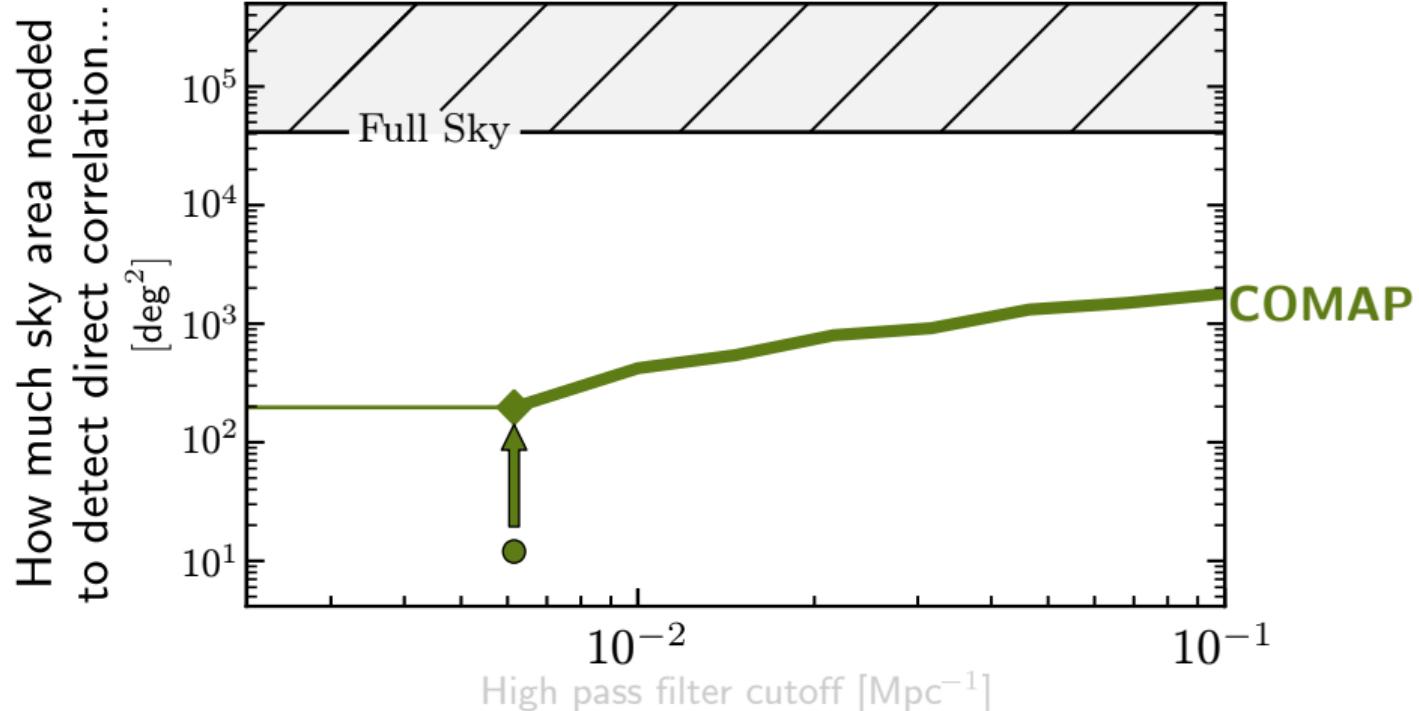


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Sky area to detect $\langle \text{LIM} \times \text{CMB Lensing} \rangle$

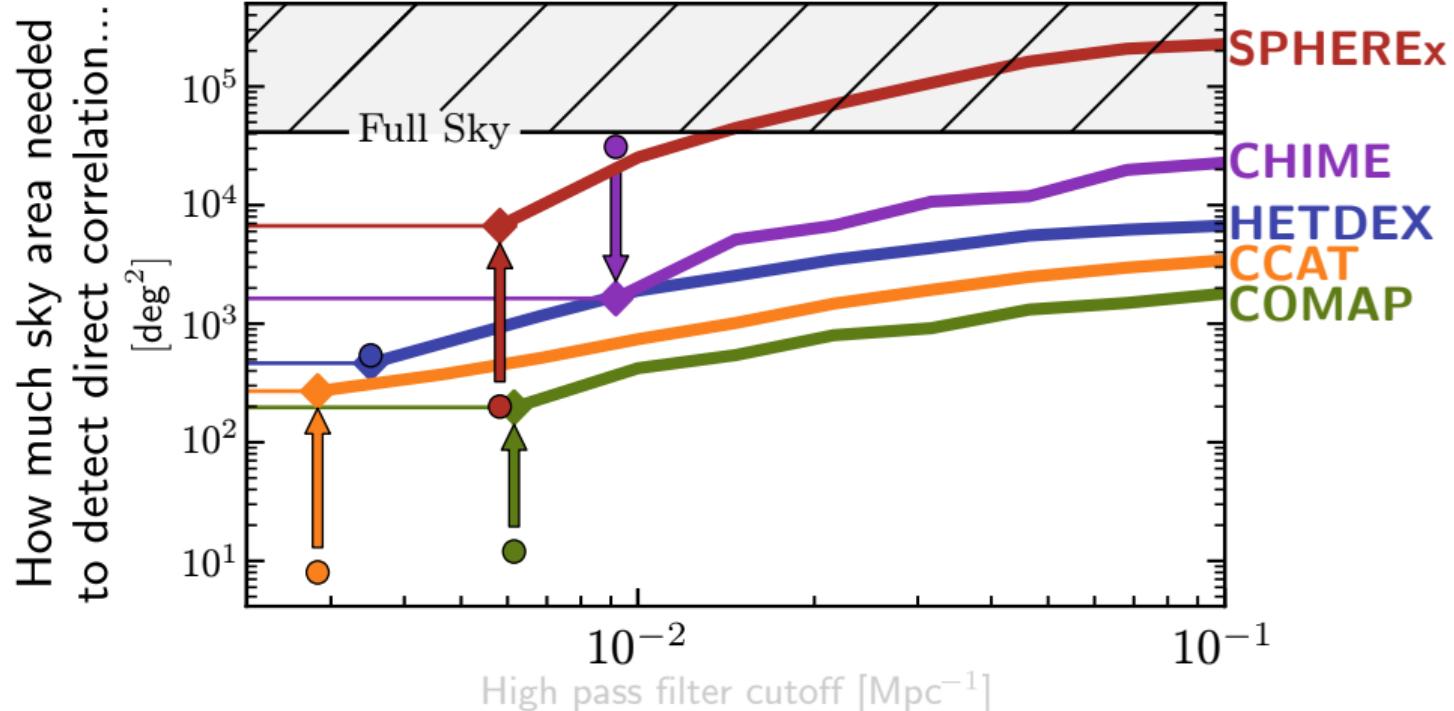


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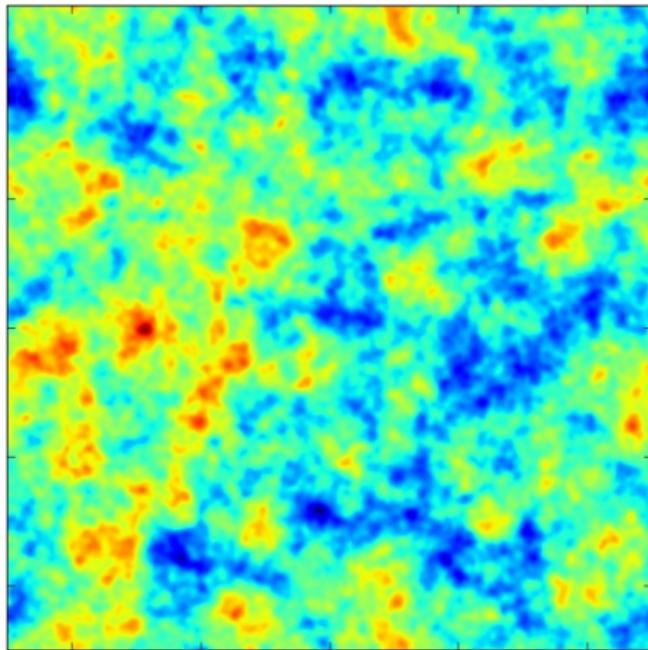
Conclusion

1. Evolution along the lightcone enables LIM to be directly correlated with CMB lensing despite bright foregrounds.
 - ◊ We predict this direct correlation will be precisely measured by future LIM experiments like wider-sky versions of COMAP, CCAT, and HETDEX.
 - ◊ We also infer, based on conservative calculations for CHIME, that future 21cm experiments will also be able to precisely measure this direct correlation.
2. More generally, bright foregrounds do not kill
$$\langle \text{LIM} \times [\text{your favorite projected field}] \rangle,$$
reviving a lot of LIM science previously assumed hopeless.

Extra

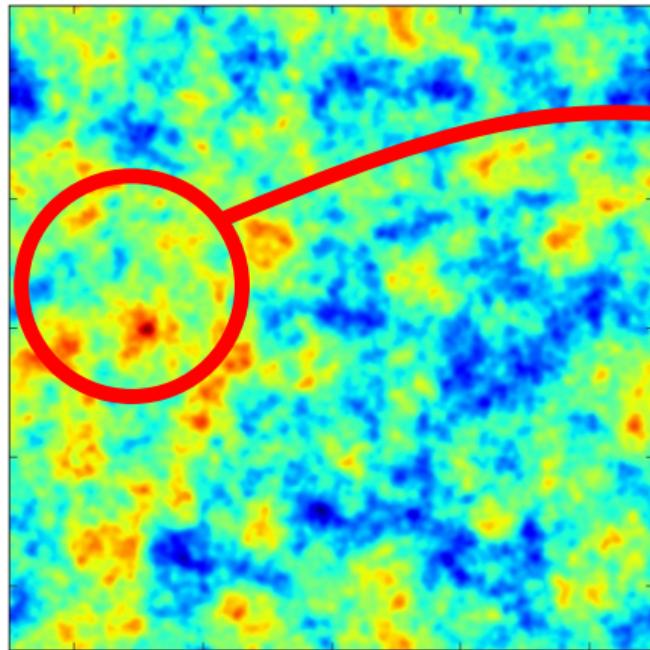
We can estimate lensing potential since
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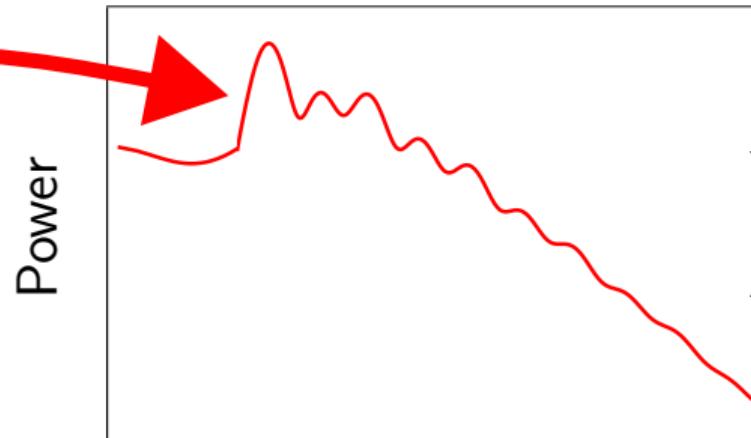


Unlensed CMB: **Statistically Homogeneous**

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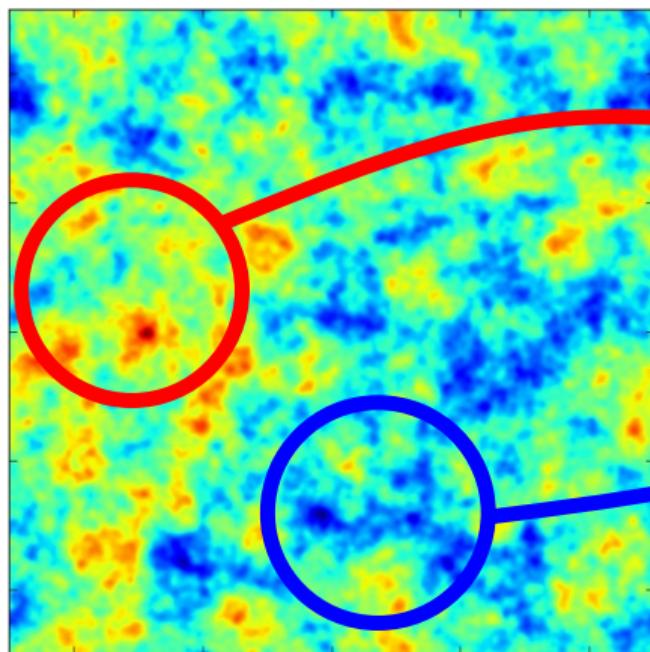


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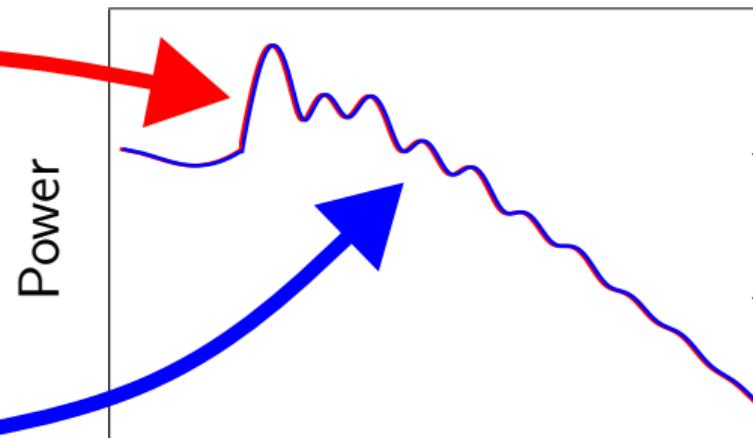


Angular Scale

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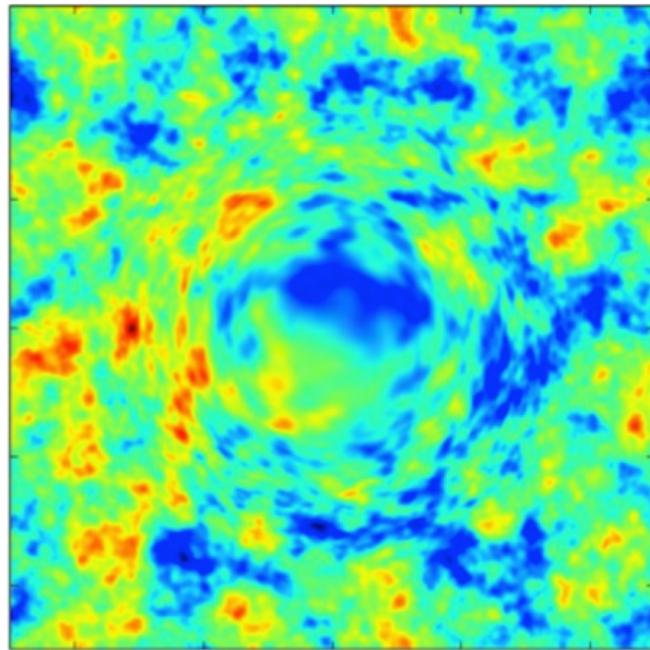


Unlensed CMB: **Statistically Homogeneous**



Lensed CMB: Power Spectrum Anisotropic

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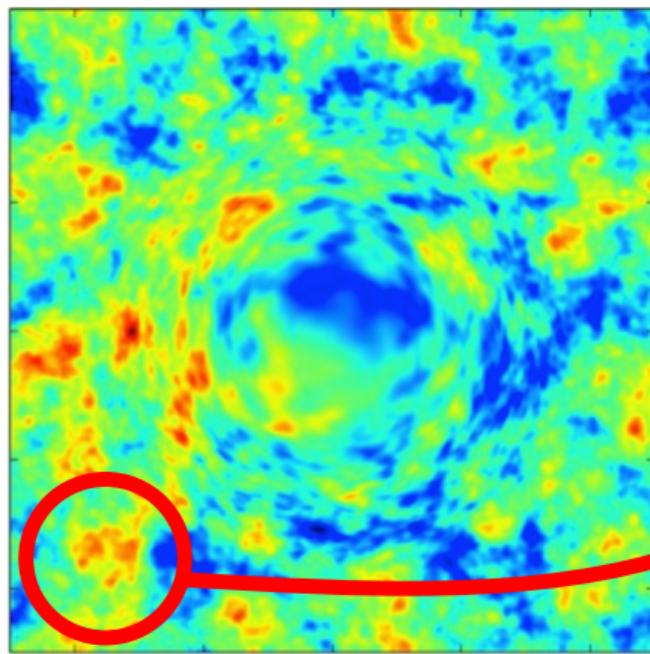
Power

Lensed CMB: ~~Statistically Homogeneous~~

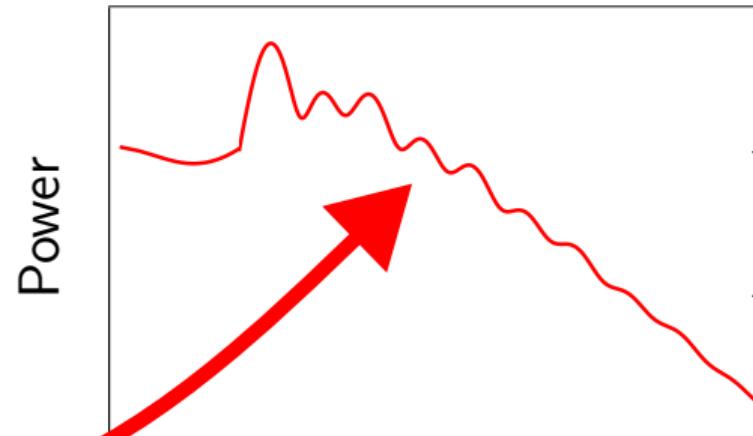


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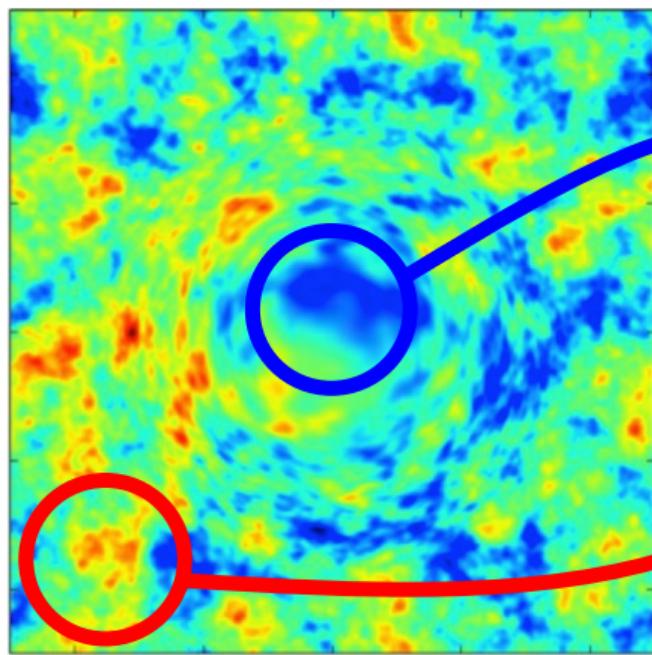


Lensed CMB: ~~Statistically Homogeneous~~

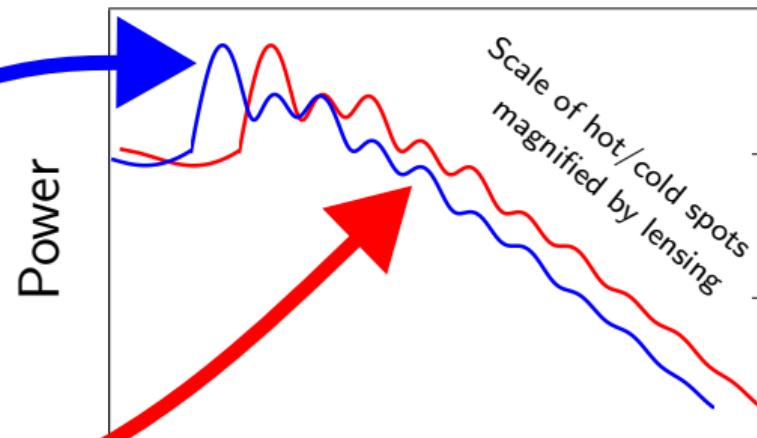


Angular Scale

We can estimate lensing potential since
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Lensed CMB: ~~Statistically Homogeneous~~



Angular Scale

For a statistically **homogeneous** field like the unlensed CMB different Fourier modes are statistically independent:

$$\langle T_{\ell}^{\text{unlensed}} T_{L-\ell}^{\text{unlensed}} \rangle = 0$$

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Lensing of the CMB breaks this symmetry by inducing correlations in our lensed CMB:

$$\langle T_\ell T_{\mathbf{L}-\ell} \rangle \sim \kappa_{\mathbf{L}}$$

$$(\kappa \equiv -\nabla^2(\text{Lensing Potential})/2)$$

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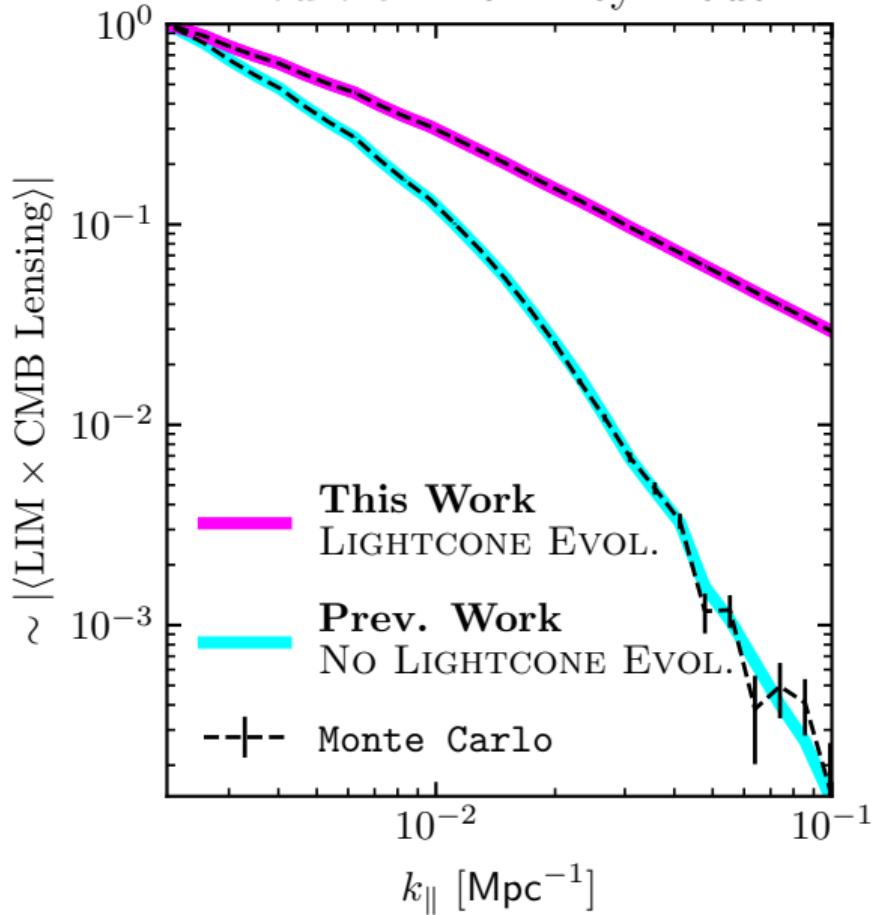
$$(\kappa \equiv -\nabla^2(\text{Lensing Potential})/2)$$

So correlations that we do see in our map give us information about the lensing allowing us to build an **quadratic estimator** (QE) of κ out of these correlations.

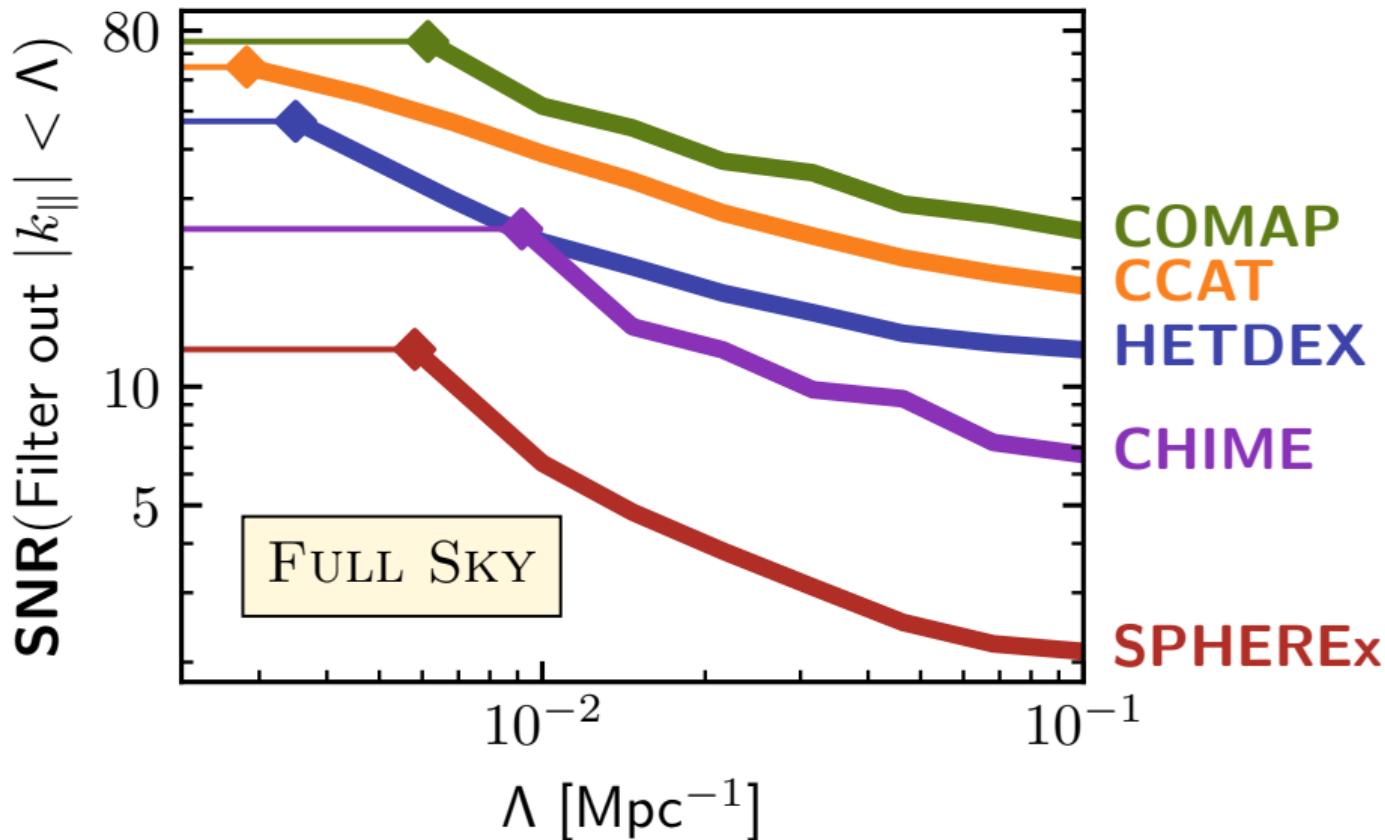
$$\hat{\kappa}_L \sim \int_{\ell} T_{\ell} T_{L-\ell}$$

Experiment	CHIME	HETDEX	COMAP	CCAT	SPHEREx
Line	HI(21cm)	Ly- α	CO(1→0)	[CII]	Ly- α
ν_{rest}	1420.406 MHz	2456.43 THz	115.27 GHz	1900.5 GHz	2456.43 THz
ν_{obs}	617-710 MHz	545-857 THz	26-34 GHz	210-420 GHz	270-400 THz
z_{obs}	1.0 - 1.3	1.9 - 3.5	2.4 - 3.4	3.5 - 8.1	5.2 - 8
\mathcal{R}	1700	800	800	100	41
$\Omega_{\text{field}} \text{ [deg}^2\text{]}$	31000	540	12	8	200
$\sqrt{\Omega_{\text{pixel}}}$	40'	3''	$4.5'/\sqrt{8 \ln 2}$	$30''/\sqrt{8 \ln 2}$	6''

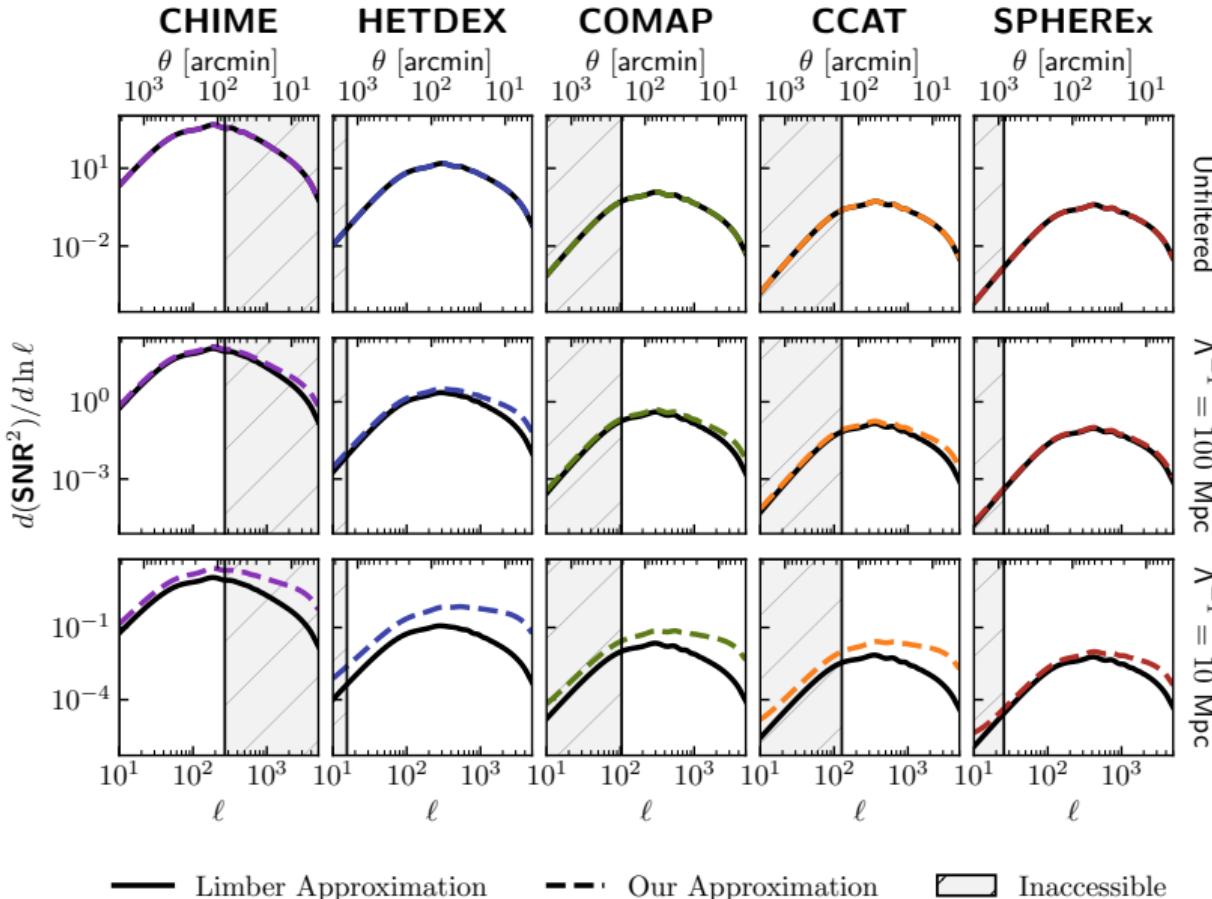
Intuition from Toy Model



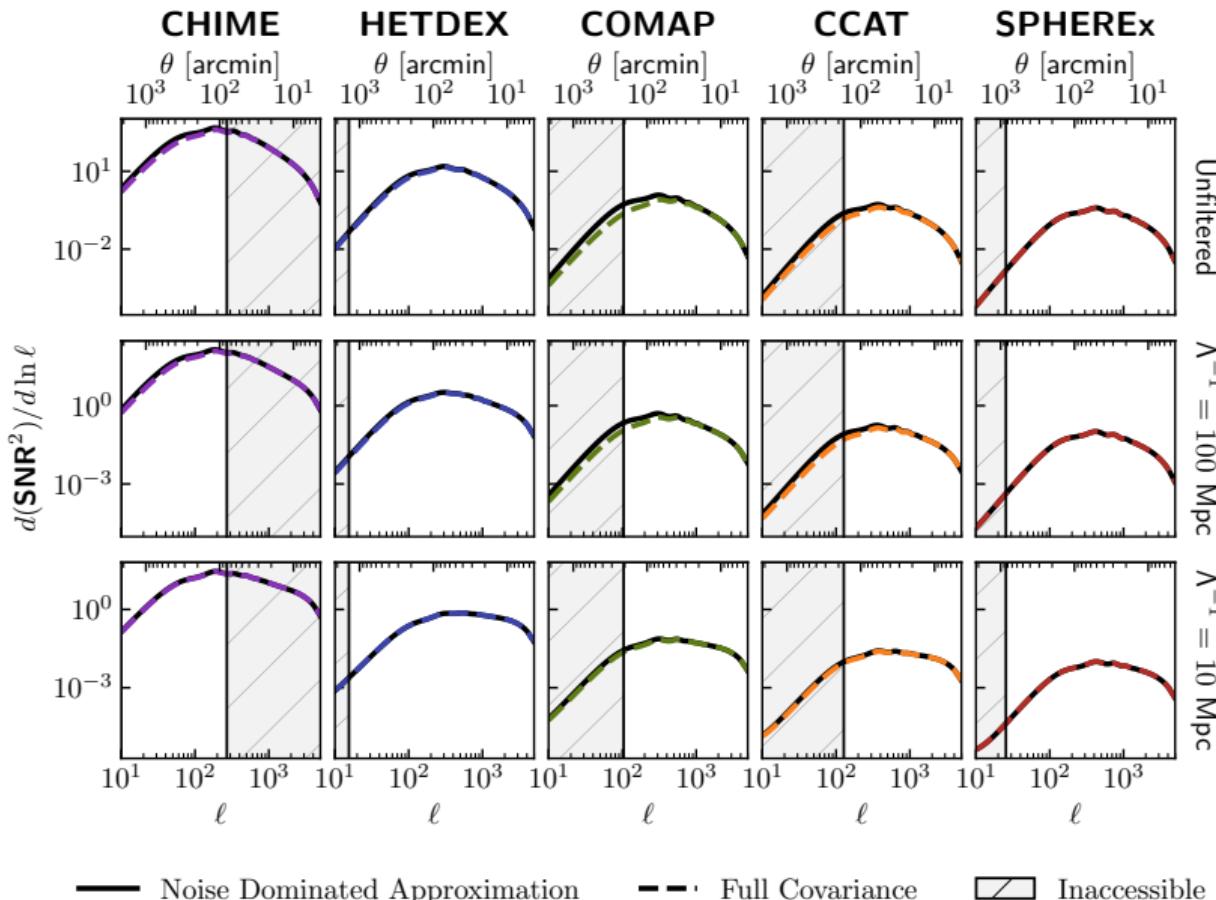
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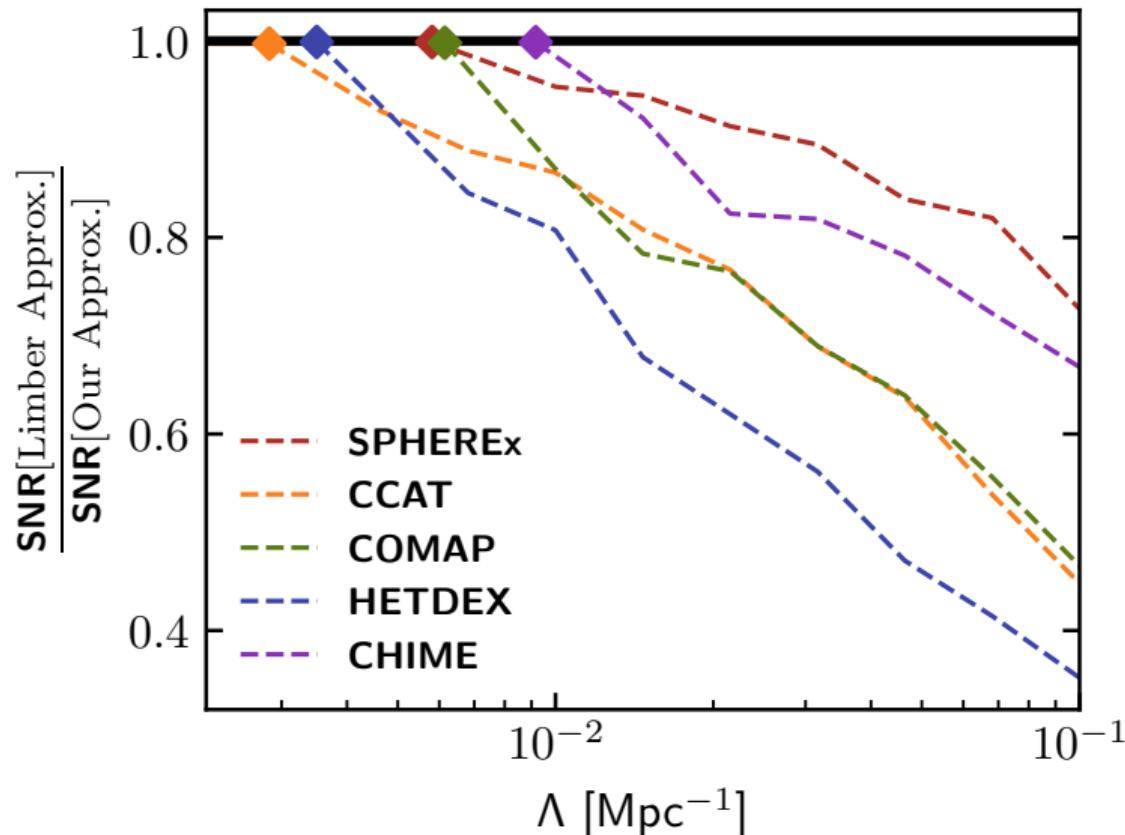
Limber vs. Our Approximation Effect on Angular Distribution of SNR



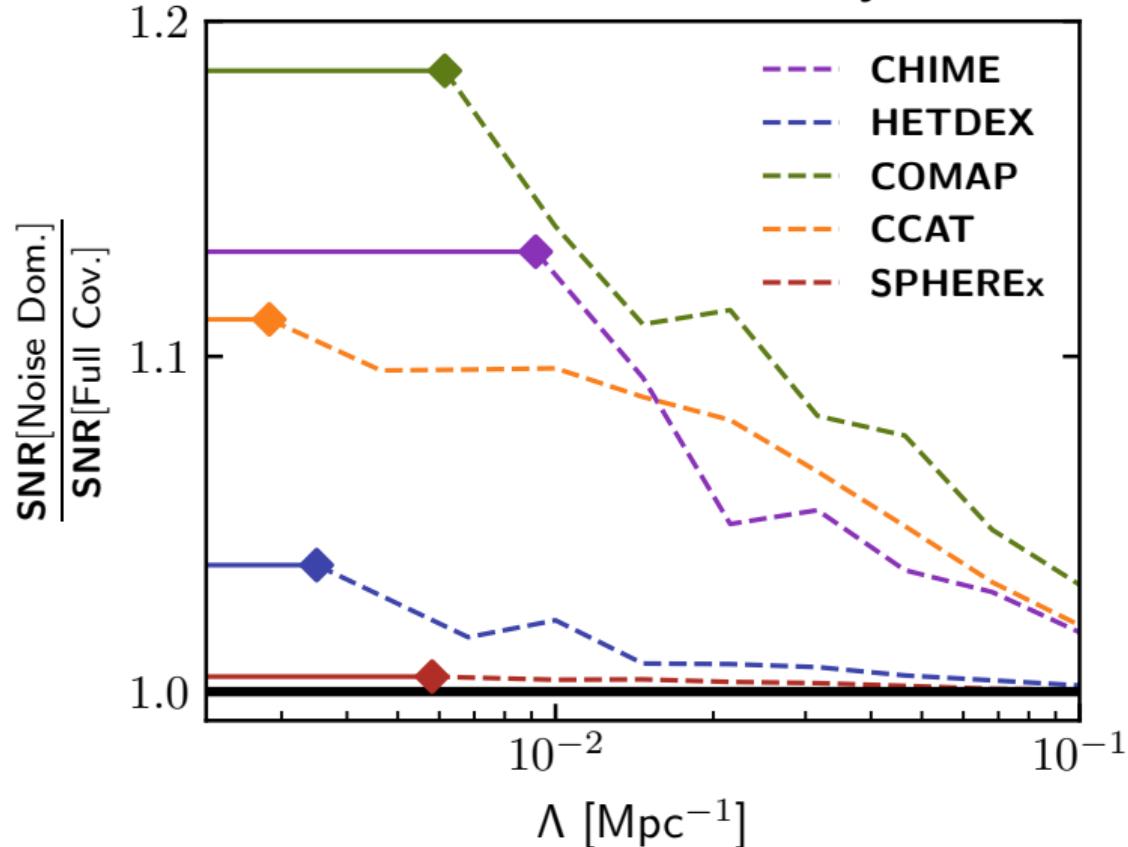
Noise Dominated vs. Full Covariance Effect on Angular Distribution of SNR



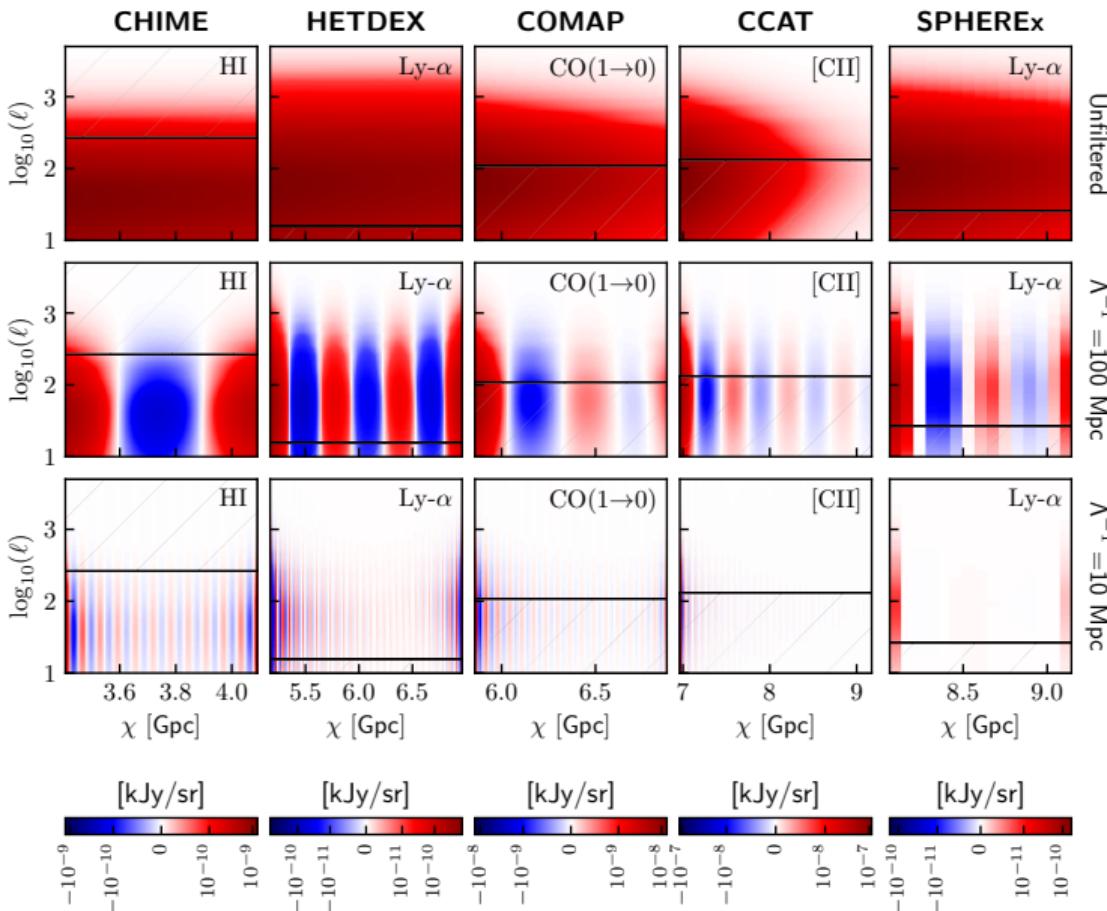
Limber vs. Our Approximation Effect on Detectability



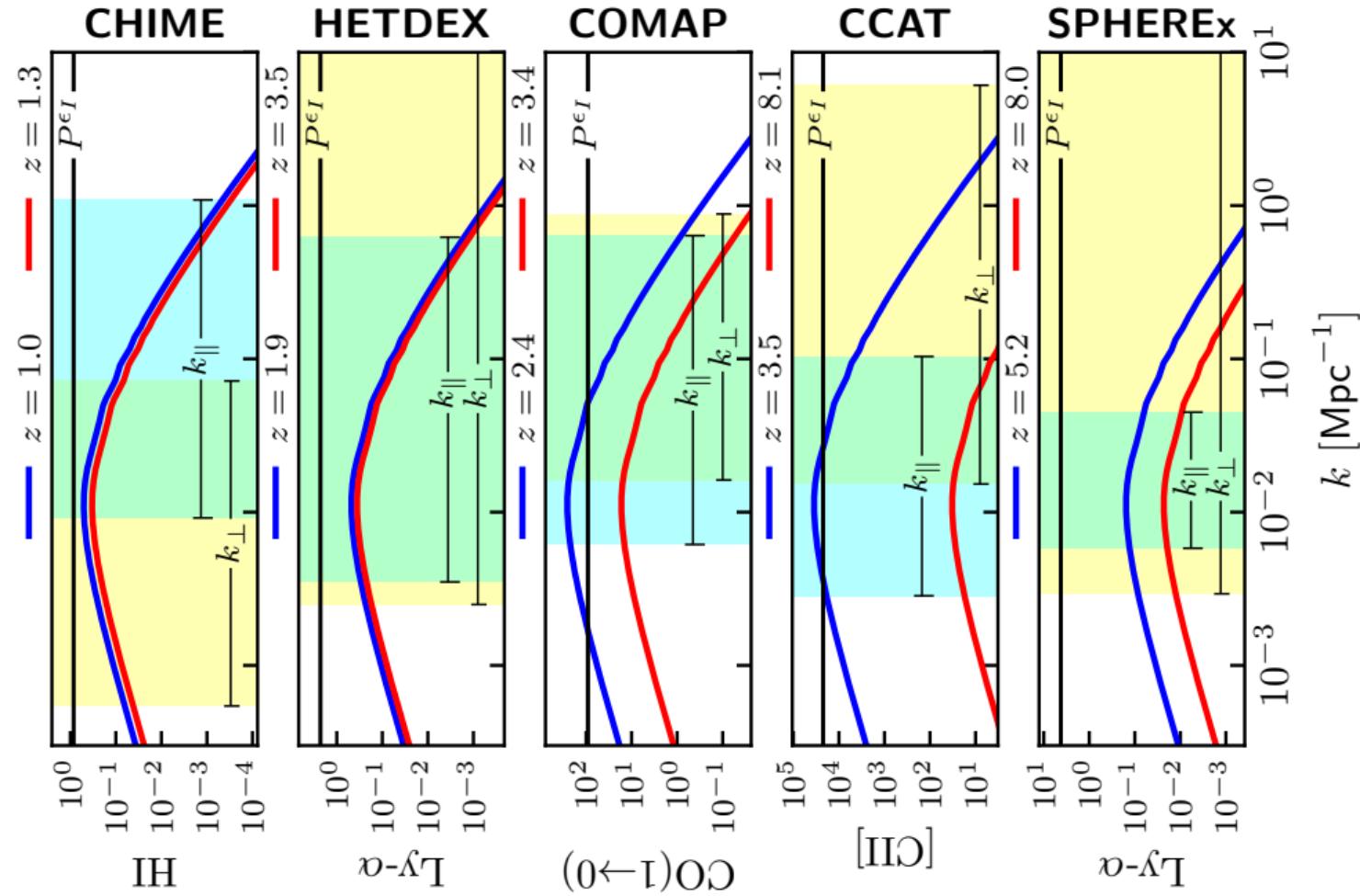
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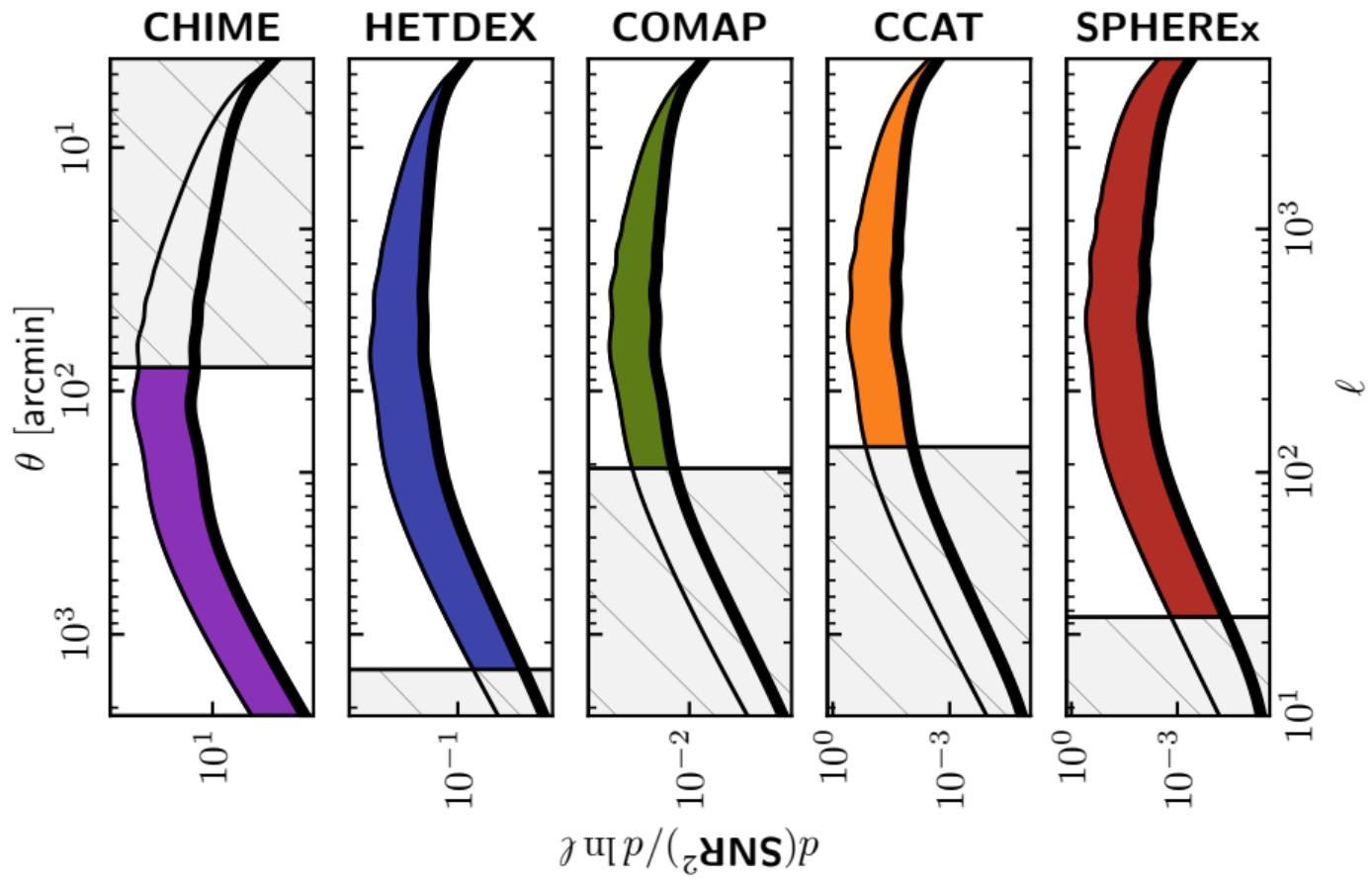
⟨Foreground Filtered LIM × CMB Lensing⟩



Spectral Line Emission Models



Angular distribution of SNR



— Unfiltered — $\Lambda^{-1} = 10 \text{ Mpc}$