

# PEC4: Predicción de dolencias cardiacas a partir de un electrocardiograma

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## Introducción

```
dataset <- read.csv("ECGCvdata.csv") # Cargamos nuestro conjunto de datos.
```

En esta última actividad evaluable, se realizará un análisis predictivo del tipo de dolencia cardíaca utilizando los datos de los pacientes recopilados en el conjunto de datos ECGCvdata.csv. Para analizar estas dolencias, se implementarán distintos algoritmos: **k-Nearest Neighbour**, **Naive Bayes**, **Artificial Neural Network**, **Support Vector Machine**, **Árbol de Decisión** y **Random Forest**.

Este informe se dividirá en tres partes. La primera parte mostrará un análisis descriptivo del conjunto de datos. Además, se tratarán los datos en busca de valores faltantes y se procederá a su eliminación. La segunda parte consistirá en dividir el conjunto de datos en datos de entrenamiento y prueba para luego entrenar los distintos algoritmos. Por último, se compararán los modelos y se concluirá cuál o cuáles son los mejores para predecir las dolencias cardíacas.

## Exploración y tratamiento de los datos

El conjunto de datos ECGCvdata.csv esta formado por 1200 observaciones y 56 variables.

En un primer contacto, mostramos las primeras y las últimas seis entradas. En este caso, se elimina la columna “**RECORD**” del conjunto de datos, ya que no aporta información útil para nuestros posteriores análisis. Por último, mostramos el resumen de las diez primeras entradas.

```
head(dataset) # Mostramos las primeras entradas del conjunto de datos.
```

	RECORD	hbpermin	Pseg	PQseg	QRSseg	QRseg	QTseg	RSseg
1	1	74.92567	0.07650794	0.10888889	0.08825397	0.04357143	0.1930159	0.04468254
2	2	68.50347	0.07248264	0.09618056	0.09392361	0.04626736	0.1934896	0.04765625
3	3	83.48860	0.07115385	0.08660969	0.03952991	0.01858974	0.1324786	0.02094017
4	4	68.50347	0.08281250	0.10815972	0.09036458	0.04522569	0.1888021	0.04513889
5	5	82.08000	0.07076023	0.10263158	0.10102339	0.04941520	0.1937135	0.05160819
6	6	66.96000	0.07025090	0.06191756	0.09094982	0.04596774	0.1912186	0.04498208

	STseg	Tseg	PTseg	ECGseg	QRtoQSdur	RStoQSdur	RRmean	PPmean
1	0.10476190	0.13047619	0.3019048	0.4261111	0.001371360	0.001406417	291.7941	291.7353
2	0.09956597	0.08914931	0.2896701	0.3666667	0.001368380	0.001409398	318.3871	318.3226
3	0.09294872	0.09444444	0.2190883	0.2932336	NaN	NaN	259.7632	259.5263
4	0.09843750	0.08828125	0.2969618	0.3731771	0.001390204	0.001387574	312.8387	312.8387
5	0.09269006	0.08596491	0.2963450	0.3750731	0.001358812	0.001418966	260.7838	260.8649
6	0.10026882	0.09713262	0.2531362	0.3302867	0.001403823	0.001373955	313.9333	313.9333

	PQdis	PonQdis	PRdis	PonRdis	PSdis	PonSdis	PTdis	PonTdis	PToffdis
1	39.15115	55.14889	54.82707	70.82739	70.91373	86.91274	108.64707	124.64708	137.91182
2	34.58844	46.48701	51.26239	63.16713	68.42260	80.32397	104.22584	116.12908	119.93566
3	31.26623	42.53782	38.13127	49.40603	45.86732	57.14121	79.23823	90.52672	94.76524
4	38.94167	54.77718	55.23159	71.07051	71.48675	87.32412	106.90324	122.74197	118.45169
5	37.00513	49.97480	54.78642	67.76063	73.38103	86.35245	106.75679	119.72978	122.18936
6	22.27948	37.63916	38.84048	54.20710	55.03741	70.40214	91.13335	106.50005	103.53346

	QRdis	QSdis	QTdis	QToffdis	RSdis	RTdis	RToffdis	STdis	SToffdis
1	15.721401	31.76473	69.50192	98.76570	16.129107	53.82771	83.09160	37.73834	67.00123
2	16.736067	33.83879	69.64818	85.35647	17.212920	52.97306	68.68296	35.81116	51.51818
3	6.896067	14.60644	48.01302	63.53184	7.751319	41.14278	56.66424	33.40805	48.92607
4	16.358555	32.54843	67.97091	79.51807	16.321751	51.68419	63.23273	35.42451	46.97045
5	17.821022	36.37839	69.75882	85.19019	18.630945	51.97661	67.40945	33.38282	48.81263
6	16.634063	32.76678	68.87019	81.26881	16.261555	52.30608	64.70632	36.10526	48.50267

	PonToffdis	PonPQang	PQRang	QRSang	RSTang	STToffang	RRTot	NNTot	SDRR
1	153.9118	1.245455	-5.127081	8.356354	-4.774444	0.8704898	35	34	17.13232

2	131.8387	2.151593	-6.003337	9.217430	-5.355692	1.3703198	32	31	10.61246
3	106.0529	NaN	NaN	NaN	NaN	2.9995653	39	38	84.51298
4	134.2903	NaN	-6.253180	10.293861	-6.035961	1.4626173	32	31	11.41617
5	135.1622	1.791385	-4.646931	7.254628	-4.489193	1.3823574	38	37	35.77115
6	118.9000	NaN	-7.104194	10.136861	-5.957746	1.4704725	31	30	39.66857
	IBIM	IBISD	SDSD	RMSSD	QRSarea	QRSperi	PQslope	QRslope	
1	291.7941	17.38996	27.158481	292.2966	18.45762	63.61524	-0.01436363	0.07526997	
2	318.3871	10.78789	9.665517	318.5639	23.04323	67.78777	-0.02120743	0.08377260	
3	259.7632	85.64743	111.816694	273.1654	10.75635	29.25383	-0.04254194	NaN	
4	312.8387	11.60487	11.193252	313.0469	23.84509	65.22874	-0.01780602	0.09159094	
5	260.7838	36.26456	60.245998	263.2257	20.94279	72.83035	-0.01665019	0.06454671	
6	313.9333	40.34672	13.811712	316.4297	23.78713	65.66240	-0.03402993	0.09022200	
	RSslope	STslope	NN50	pNN50	ECG_signal				
1	-0.07084590	0.01260642	2	5.882353	ARR				
2	-0.07745817	0.01617517	1	3.225806	ARR				
3	NaN	0.02713144	16	42.105263	ARR				
4	-0.08855894	0.01702174	2	6.451613	ARR				
5	-0.06224594	0.01619113	2	5.405405	ARR				
6	-0.08716756	0.01703774	3	10.000000	ARR				

`tail(dataset)` # Mostramos las últimas entradas del conjunto de datos.

	RECORD	hbpermin	Pseg	PQseg	QRSseg	QRseg	QTseg	RSseg	
1195	1195	72.19200	0.05125762	0.07212271	0.03229802	0.01648247	0.1164253	0.015815549	
1196	1196	91.39200	0.05135290	0.06250000	0.01915015	0.01005145	0.1180450	0.009098704	
1197	1197	61.44000	0.05735518	0.06154726	0.06126143	0.03134527	0.1340987	0.029916159	
1198	1198	93.32271	0.05892721	0.10913681	0.08093559	0.04030107	0.1681117	0.040634527	
1199	1199	63.74400	0.06149962	0.10127668	0.08179306	0.04115854	0.1459127	0.040634527	
1200	1200	70.65600	0.06307165	0.10542111	0.08303163	0.04153963	0.1714939	0.041491997	
	STseg	Tseg	PTseg	ECGseg	QRtoQSdur	RStoQSdur	RRmean		
1195	0.08412729	0.07993521	0.1885480	0.2367092	NaN	NaN	105.46237		
1196	0.09889482	0.08655678	0.1805450	0.2213700	NaN	NaN	84.11017		
1197	0.07283727	0.09098704	0.1956460	0.2788681	0.003986151	0.003826349	124.55696		
1198	0.08717607	0.08808117	0.2772485	0.3437024	0.003871321	0.003941179	81.98347		
1199	0.06411966	0.08117378	0.2471894	0.3308403	0.003940478	0.003872022	120.07317		
1200	0.08846227	0.08165015	0.2769150	0.3415587	0.003894670	0.003917830	107.96703		
	PPmean	PQdis	PonQdis	PRdis	PonRdis	PSdis	PonSdis	PTdis	
1195	105.46237	7.068159	8.723866	7.141192	8.798433	7.141192	8.798433	19.00870	
1196	84.11017	7.020798	9.316893	7.128290	9.426490	7.128290	9.426490	20.58185	
1197	124.55696	6.686759	11.824368	12.362308	17.528025	17.815321	22.970875	24.58235	
1198	81.98347	15.098145	18.816598	20.547847	24.279059	26.110730	29.832392	37.52916	
1199	120.07317	12.920299	17.082490	18.615402	22.787275	24.206564	28.372832	30.59757	
1200	107.95604	14.062848	18.460068	19.817331	24.225889	25.591232	29.993793	38.09897	
	PonTdis	PToffdis	QRdis	QSdis	QTdis	QToffdis	RSdis	RTdis	
1195	20.74258	22.64073	0.07528038	0.07528038	12.10469	15.73798	0.000000	12.02950	
1196	22.95773	22.86151	0.11017363	0.11017363	13.71429	15.98885	0.000000	13.60428	
1197	29.74702	35.16506	5.87890540	11.15207871	17.94971	28.52430	5.661904	12.26472	
1198	41.25626	42.89318	5.61812344	11.01699865	22.45347	27.81370	5.745388	17.01043	
1199	34.76842	39.87831	5.88881576	11.29288552	17.70731	26.98090	5.811831	12.02916	
1200	42.50555	42.27506	5.95207235	11.53861109	24.06394	28.23636	5.959027	18.31619	
	RToffdis	STdis	SToffdis	PonToffdis	PonPQang	PQRang	QRSang	RSTang	
1195	15.66274	12.029502	15.66274	24.37685	25.243733	NaN	NaN	NaN	
1196	15.87880	13.604285	15.87880	25.23743	21.328827	NaN	NaN	NaN	
1197	22.84051	6.826239	17.37778	40.32913	8.188221	-20.72186	29.90325	-21.94370	
1198	22.37344	11.451169	16.80291	46.61986	5.403345	-16.46365	28.39688	-18.20181	

```

1199 21.30210 6.443333 15.69440 44.04879 4.611690 -17.78978 30.43289 -22.12574
1200 22.49220 12.530919 16.69995 46.68133 4.751589 -17.65742 28.78335 -16.84394
      STToffang RRTot NNTot      SDRR      IBIM      IBISD      SDS      RMSSD      QRSarea
1195      NaN    94    163 10.117120 89.27607 14.462542 3.183632 105.94653 0.000000
1196      NaN   119    163 3.458676 79.36810 5.009289 2.188401 84.18125 0.000000
1197 7.121384    80    163 4.788559 98.46012 18.528265 3.254416 124.64898 8.243245
1198 5.037948   122    163 8.546406 78.07975 8.120195 3.141910 82.42773 7.623618
1199 7.221305    83    163 6.140192 99.20859 15.473730 5.647497 120.23006 8.614011
1200 4.070685    92    163 7.910836 94.27607 11.850967 5.129207 108.25646 8.494619
      QRSperi      PQslope      QRSlope      RSslope      STslope NN50      pNN50      ECG_signal
1195 0.1505608 -0.20409542      NaN      NaN 0.06997283      2 1.2269939      NSR
1196 0.2203473 -0.19547732      NaN      NaN 0.06419579      0 0.0000000      NSR
1197 22.6928876 -0.11169809 0.2559636 -0.2785314 0.11201242      0 0.0000000      NSR
1198 22.3805101 -0.04527077 0.2471451 -0.2593030 0.06431761      1 0.6134969      NSR
1199 22.9935326 -0.05262603 0.2639214 -0.2804169 0.11342241      9 5.5214724      NSR
1200 23.4497109 -0.05185913 0.2622807 -0.2511948 0.04802289      7 4.2944785      NSR

```

```

dataset <- dataset[,-1] # Eliminamos la columna "RECORD" ya que no aporta informacion útil a nuestros d
summary(dataset[,1:10]) # Mostramos el un resumen de las 10 primeras entradas.

```

hbpermin	Pseg	PQseg	QRSseg
Min. : 12.86	Min. : 0.02156	Min. : 0.04453	Min. : 0.00000
1st Qu.: 67.56	1st Qu.: 0.05394	1st Qu.: 0.06034	1st Qu.: 0.01510
Median : 79.87	Median : 0.06064	Median : 0.07518	Median : 0.04469
Mean : 81.89	Mean : 0.06090	Mean : 0.07810	Mean : 0.04824
3rd Qu.: 96.00	3rd Qu.: 0.06685	3rd Qu.: 0.09519	3rd Qu.: 0.08303
Max. : 160.50	Max. : 0.09532	Max. : 0.14558	Max. : 0.12016

QRseg	QTseg	RSseg	STseg
Min. : 0.000000	Min. : 0.09876	Min. : 0.000000	Min. : 0.05234
1st Qu.: 0.007804	1st Qu.: 0.11602	1st Qu.: 0.007143	1st Qu.: 0.08942
Median : 0.022676	Median : 0.13702	Median : 0.021965	Median : 0.09782
Mean : 0.024437	Mean : 0.14154	Mean : 0.023800	Mean : 0.09330
3rd Qu.: 0.041915	3rd Qu.: 0.16631	3rd Qu.: 0.041097	3rd Qu.: 0.10120
Max. : 0.065278	Max. : 0.21111	Max. : 0.058333	Max. : 0.13844

Tseg	PTseg
Min. : 0.03494	Min. : 0.1500
1st Qu.: 0.09005	1st Qu.: 0.1773
Median : 0.09921	Median : 0.2152
Mean : 0.10271	Mean : 0.2196
3rd Qu.: 0.11241	3rd Qu.: 0.2603
Max. : 0.19841	Max. : 0.3473

La siguiente tabla muestra el número de casos para cada tipo de dolencia:

ECG_signal	Frecuencia
AFF	300
ARR	300
CHF	300
NSR	300

Si analizamos la estructura de los datos, podemos observar que casi todas las variables son de tipo numérico, excepto la variable que muestra las clases, que es de tipo categórica. En algunas de estas variables, observamos valores faltantes que trataremos en el siguiente paso.

```
str(dataset) # Estructura de las variables.
```

```
'data.frame':  1200 obs. of  55 variables:
 $ hbpermin  : num  74.9 68.5 83.5 68.5 82.1 ...
 $ Pseg      : num  0.0765 0.0725 0.0712 0.0828 0.0708 ...
 $ PQseg     : num  0.1089 0.0962 0.0866 0.1082 0.1026 ...
 $ QRSseg    : num  0.0883 0.0939 0.0395 0.0904 0.101 ...
 $ QRseg     : num  0.0436 0.0463 0.0186 0.0452 0.0494 ...
 $ QTseg     : num  0.193 0.193 0.132 0.189 0.194 ...
 $ RSseg     : num  0.0447 0.0477 0.0209 0.0451 0.0516 ...
 $ STseg     : num  0.1048 0.0996 0.0929 0.0984 0.0927 ...
 $ Tseg      : num  0.1305 0.0891 0.0944 0.0883 0.086 ...
 $ PTseg     : num  0.302 0.29 0.219 0.297 0.296 ...
 $ ECGseg    : num  0.426 0.367 0.293 0.373 0.375 ...
 $ QRtoQSdur : num  0.00137 0.00137 NaN 0.00139 0.00136 ...
 $ RStoQSdur : num  0.00141 0.00141 NaN 0.00139 0.00142 ...
 $ RRmean    : num  292 318 260 313 261 ...
 $ PPmean    : num  292 318 260 313 261 ...
 $ PQdis     : num  39.2 34.6 31.3 38.9 37 ...
 $ PonQdis   : num  55.1 46.5 42.5 54.8 50 ...
 $ PRdis     : num  54.8 51.3 38.1 55.2 54.8 ...
 $ PonRdis   : num  70.8 63.2 49.4 71.1 67.8 ...
 $ PSdis     : num  70.9 68.4 45.9 71.5 73.4 ...
 $ PonSdis   : num  86.9 80.3 57.1 87.3 86.4 ...
 $ PTdis     : num  108.6 104.2 79.2 106.9 106.8 ...
 $ PonTdis   : num  124.6 116.1 90.5 122.7 119.7 ...
 $ PToffdis  : num  137.9 119.9 94.8 118.5 122.2 ...
 $ QRdis     : num  15.7 16.7 6.9 16.4 17.8 ...
 $ QSdis     : num  31.8 33.8 14.6 32.5 36.4 ...
 $ QTdis     : num  69.5 69.6 48 68 69.8 ...
 $ QToffdis  : num  98.8 85.4 63.5 79.5 85.2 ...
 $ RSdis     : num  16.13 17.21 7.75 16.32 18.63 ...
 $ RTdis     : num  53.8 53 41.1 51.7 52 ...
 $ RToffdis  : num  83.1 68.7 56.7 63.2 67.4 ...
 $ STdis     : num  37.7 35.8 33.4 35.4 33.4 ...
 $ SToffdis  : num  67 51.5 48.9 47 48.8 ...
 $ PonToffdis: num  154 132 106 134 135 ...
 $ PonPQang  : num  1.25 2.15 NaN NaN 1.79 ...
 $ PQRang    : num  -5.13 -6 NaN -6.25 -4.65 ...
 $ QRSang    : num  8.36 9.22 NaN 10.29 7.25 ...
 $ RSTang    : num  -4.77 -5.36 NaN -6.04 -4.49 ...
 $ STToffang : num  0.87 1.37 3 1.46 1.38 ...
 $ RRTot     : int  35 32 39 32 38 31 32 28 44 32 ...
 $ NNTot     : int  34 31 38 31 37 30 31 27 43 31 ...
 $ SDRR      : num  17.1 10.6 84.5 11.4 35.8 ...
 $ IBIM      : num  292 318 260 313 261 ...
 $ IBISD     : num  17.4 10.8 85.6 11.6 36.3 ...
 $ SDSD      : num  27.16 9.67 111.82 11.19 60.25 ...
 $ RMSSD     : num  292 319 273 313 263 ...
 $ QRSarea   : num  18.5 23 10.8 23.8 20.9 ...
 $ QRSperi   : num  63.6 67.8 29.3 65.2 72.8 ...
 $ PQslope   : num  -0.0144 -0.0212 -0.0425 -0.0178 -0.0167 ...
 $ QRSlope   : num  0.0753 0.0838 NaN 0.0916 0.0645 ...
 $ RSSlope   : num  -0.0708 -0.0775 NaN -0.0886 -0.0622 ...
```

```

$ STslope   : num  0.0126 0.0162 0.0271 0.017 0.0162 ...
$ NN50      : int   2  1 16  2  2  3  2  5  0  4 ...
$ pNN50     : num   5.88 3.23 42.11 6.45 5.41 ...
$ ECG_signal: chr   "ARR" "ARR" "ARR" "ARR" ...

```

Los valores faltantes se muestran en la siguiente tabla:

```

valores_nan <- table(is.na(dataset)) # Contamos y mostramos los valores "NaN"
valores_nan

```

```

FALSE TRUE
59636  6364

```

```

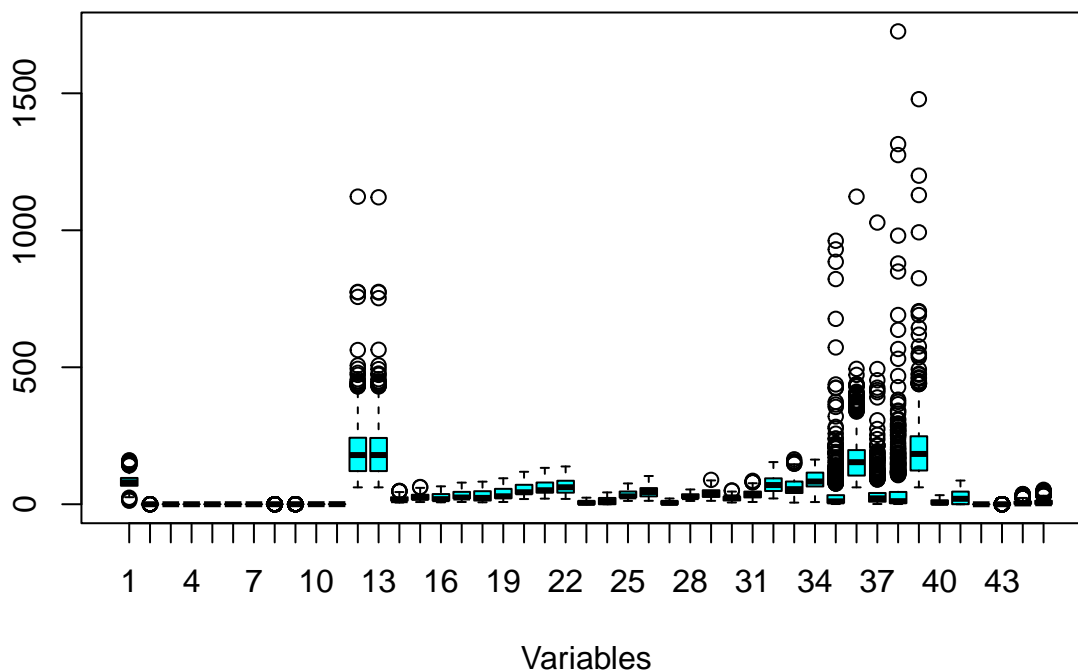
dataset_nan <- dataset[, colSums(is.na(dataset)) == 0]

```

Como indica el enunciado de la actividad, vamos a tratar los valores faltantes eliminando aquellas variables que presenten algún valor 'NaN'. Una vez eliminados los datos faltantes nuestro conjunto de datos muestra 1200 observaciones y 46 variables.

En la siguiente gráfica, observamos la distribución de las variables. Las variables no se distribuyen de forma uniforme y se observan valores atípicos.

## Distribución de las variables



## Normalización

Con este conjunto de datos, vamos a realizar los algoritmos, pero antes, como hemos observado anteriormente, algunas variables muestran números enteros y otras números decimales. Además, la escala de las variables es diferente. Por ello, se va a proceder a hacer una normalización de los datos. Para realizar esta normalización,

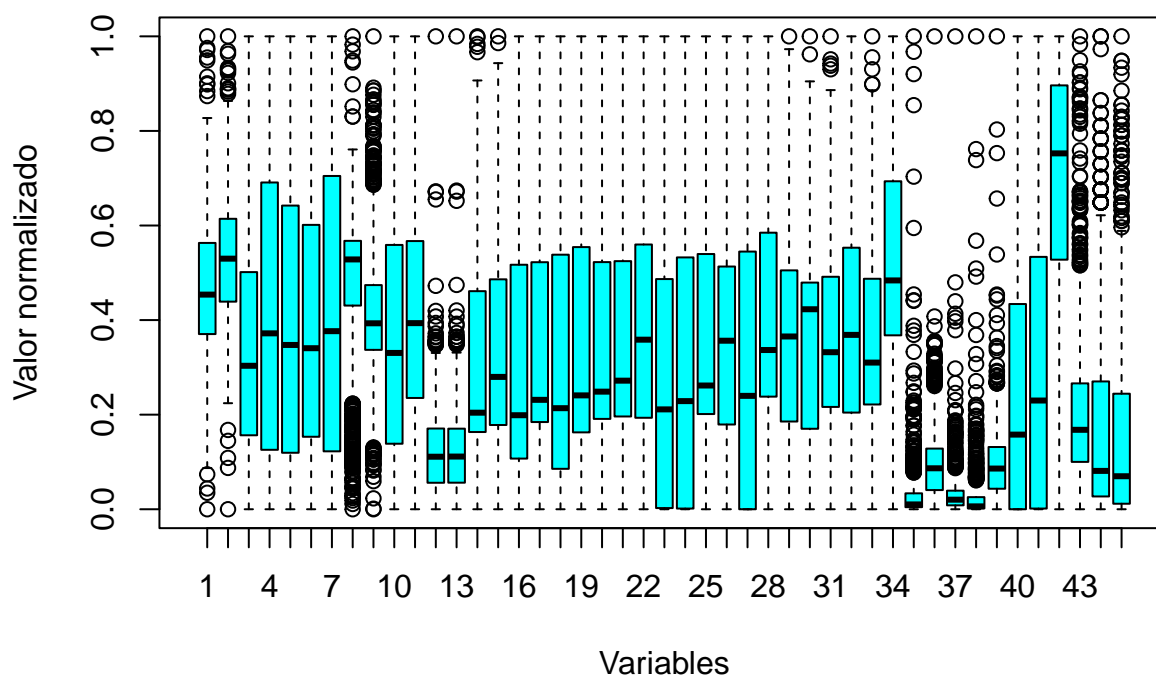
```
ECG_signal <- dataset_nan[,46] # Extraemos la columna de clases antes de normalizar los datos.
dataset_norm <- as.data.frame(lapply(dataset_nan[1:45], normalizar)) # Aplicamos la funcion 'lapply()'
data_norm <- data.frame(ECG_signal, dataset_norm) # Creamos el conjunto de datos normalizado.
```

Heatmap showing the correlation between 30 different metrics. The color scale ranges from -1 (dark red) to 1 (dark blue). The diagonal is dark blue (1.0). The heatmap shows a complex pattern of positive and negative correlations between the metrics.

Metrics (rows and columns):

- hupermin
- Pseg
- PQseg
- QRSseg
- QRseg
- RSseg
- STseg
- Tseg
- PTseg
- ECGseg
- RRmean
- PRmean
- PQdis
- PonQdis
- PRdis
- PonRdis
- PSdis
- PonSdis
- PTdis
- PonTdis
- PToffdis
- QRdis
- QSdis
- QTdis
- QToffdis
- RSdis
- RTdis
- RToffdis
- STdis
- SToffdis
- PonToffdis
- RRTot
- NNTot
- SDRR
- IBIM
- IBISD
- SDSD
- RMSSD
- QRSarea
- QRSperi
- PQslope
- STSlope
- NN50
- pNN50

## Distribución de las variables normalizadas



## Partición de los datos en entrenamiento/prueba

El conjunto de datos resultante de la exploración y manejo de los datos se dividirá en dos partes: una para el conjunto de entrenamiento y otra para el conjunto de prueba. Para el conjunto de entrenamiento, dividiremos los datos en un 67% de las observaciones totales, mientras que el conjunto de prueba contendrá el 33% de las observaciones restantes.

```
set.seed(seed)

# Extraemos los índices de una muestra aleatoria de la filas de los datos
indices <- sample(1:nrow(data_norm), size = nrow(data_norm), replace = FALSE)
# Tamaño del conjunto de entrenamiento
train_size <- round(train_part * nrow(data_norm))

# Dividimos los datos en entrenamiento/prueba.
train_data <- data_norm[indices[1:train_size], ]
test_data <- data_norm[indices[(train_size + 1):nrow(data_norm)], ] # Conjunto de prueba (33%).

# Extraemos las labels/etiquetas.
train_label <- train_data$ECG_signal
test_label <- test_data$ECG_signal
```



## Aplicación de Algoritmos

En esta sección, exploraremos distintos algoritmos para la clasificación de nuestros datos. Utilizaremos la misma división de los datos para cada algoritmo y seguiremos las directrices del libro de referencia (Lantz 2019) para implementar los modelos. Los algoritmos a explorar son:

1. k-Nearest Neighbour
2. Naive Bayes
3. Artificial Neural Network
4. Support Vector Machine
5. Árbol de Clasificación
6. Random Forest

La implementación de estos algoritmos la realizaremos íntegramente con R y RStudio.

### k-Nearest Neighbour (kNN)

Para implementar el algoritmo **k-Nearest Neighbors (kNN)**, utilizamos el paquete *class* (Venables and Ripley 2002) con la función `knn()` y exploraremos los valores de  $k = 1, 3, 5, 7, 11$ . Posteriormente, se presentarán las matrices de confusión para cada modelo utilizando el paquete *'caret'* (Kuhn and Max 2008).

```
set.seed(seed)

# Listas para almacenar los modelos y las matrices resultantes.
models <- list()
confusion_matrices <- list()

for (k in k_values) {
  model_name <- paste("model_knn_k", k, sep = "")
  # Entrenamiento del modelo con los datos establecidos para cada valor de 'k':
  model <- knn(train = train_data[,-1], test = test_data[,-1], cl = train_data$ECG_signal, k = k)
  # Almacenamos cada modelo resultante de cada valor de 'k':
  models[[model_name]] <- model

  # Calculamos la matriz de confusión y almacenamos:
  cm <- confusionMatrix(data = model, reference = as.factor(test_data$ECG_signal))
  confusion_matrices[[model_name]] <- cm
}

# Imprimimos las matrices de confusión:
print(confusion_matrices)
```

```
$model_knn_k1
Confusion Matrix and Statistics
```

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	102	0	2	0
ARR	0	80	0	0
CHF	9	0	104	0
NSR	0	0	0	99

Overall Statistics

```
Accuracy : 0.9722
 95% CI : (0.9508, 0.9861)
No Information Rate : 0.2803
```

P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9628

McNemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.9189	1.000	0.9811	1.00
Specificity	0.9930	1.000	0.9690	1.00
Pos Pred Value	0.9808	1.000	0.9204	1.00
Neg Pred Value	0.9692	1.000	0.9929	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.2576	0.202	0.2626	0.25
Detection Prevalence	0.2626	0.202	0.2854	0.25
Balanced Accuracy	0.9560	1.000	0.9750	1.00

\$model\_knn\_k3

Confusion Matrix and Statistics

		Reference			
Prediction		AFF	ARR	CHF	NSR
AFF	96	0	3	0	
ARR	0	80	0	0	
CHF	15	0	103	0	
NSR	0	0	0	99	

Overall Statistics

Accuracy : 0.9545  
95% CI : (0.9291, 0.9728)  
No Information Rate : 0.2803  
P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9391

McNemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8649	1.000	0.9717	1.00
Specificity	0.9895	1.000	0.9483	1.00
Pos Pred Value	0.9697	1.000	0.8729	1.00
Neg Pred Value	0.9495	1.000	0.9892	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.2424	0.202	0.2601	0.25
Detection Prevalence	0.2500	0.202	0.2980	0.25
Balanced Accuracy	0.9272	1.000	0.9600	1.00

\$model\_knn\_k5

Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	91	0	4	0
ARR	0	80	0	0
CHF	20	0	102	0
NSR	0	0	0	99

#### Overall Statistics

Accuracy : 0.9394  
 95% CI : (0.9112, 0.9608)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9189

McNemar's Test P-Value : NA

#### Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8198	1.000	0.9623	1.00
Specificity	0.9860	1.000	0.9310	1.00
Pos Pred Value	0.9579	1.000	0.8361	1.00
Neg Pred Value	0.9336	1.000	0.9854	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.2298	0.202	0.2576	0.25
Detection Prevalence	0.2399	0.202	0.3081	0.25
Balanced Accuracy	0.9029	1.000	0.9466	1.00

\$model\_knn\_k7

#### Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	92	0	4	0
ARR	0	80	0	0
CHF	19	0	102	0
NSR	0	0	0	99

#### Overall Statistics

Accuracy : 0.9419  
 95% CI : (0.9141, 0.9628)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9222

McNemar's Test P-Value : NA

#### Statistics by Class:

Class: AFF	Class: ARR	Class: CHF	Class: NSR
------------	------------	------------	------------

Sensitivity	0.8288	1.000	0.9623	1.00
Specificity	0.9860	1.000	0.9345	1.00
Pos Pred Value	0.9583	1.000	0.8430	1.00
Neg Pred Value	0.9367	1.000	0.9855	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.2323	0.202	0.2576	0.25
Detection Prevalence	0.2424	0.202	0.3056	0.25
Balanced Accuracy	0.9074	1.000	0.9484	1.00

\$model\_knn\_k11

Confusion Matrix and Statistics

		Reference			
Prediction	AFF	ARR	CHF	NSR	
AFF	92	0	10	0	
ARR	0	80	0	0	
CHF	19	0	96	0	
NSR	0	0	0	99	

Overall Statistics

Accuracy : 0.9268  
95% CI : (0.8965, 0.9504)  
No Information Rate : 0.2803  
P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9019

Mcnemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8288	1.000	0.9057	1.00
Specificity	0.9649	1.000	0.9345	1.00
Pos Pred Value	0.9020	1.000	0.8348	1.00
Neg Pred Value	0.9354	1.000	0.9644	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.2323	0.202	0.2424	0.25
Detection Prevalence	0.2576	0.202	0.2904	0.25
Balanced Accuracy	0.8969	1.000	0.9201	1.00

Table 2: Comparación de Modelos ('kNN')

	Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
1	kNN k = 1	0.972	0.963	0.028	0.919	1	0.981	1
2	kNN k = 3	0.955	0.939	0.045	0.865	1	0.972	1
4	kNN k = 7	0.942	0.922	0.058	0.829	1	0.962	1
3	kNN k = 5	0.939	0.919	0.061	0.820	1	0.962	1

	Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
5	kNN k = 11	0.927	0.902	0.073	0.829	1	0.906	1

De todos los valores de **k** (1, 3, 5, 7, 11), el modelo con el valor de kNN k = 1 tiene la mejor precisión y valor de kappa, con un 97.2% y 96.3%, respectivamente. Además, presenta el menor porcentaje de error con un 2.8%.

También observamos en la tabla los valores de sensibilidad de cada clase. El modelo con las mejores métricas tiene un valor de sensibilidad del 91.9% para la clase AFF, 100% para la clase ARR, 98.1% para la clase CHF y 100% para la última clase NSR.

## Naive Bayes

En este apartado, implementamos el algoritmo de **Naive Bayes** con el paquete *e1071* (Meyer et al. 2023) y visualizaremos las matrices de confusión con el paquete *'caret'*. Exploraremos la opción de activar (laplace = 1) o no activar (laplace = 0) **Laplace**.

```
set.seed(seed)

# Modelo Nain Bayes con el valor laplace = 0.
naive_model_1 <- naiveBayes(train_data, train_data$ECG_signal, laplace=0)
naive_test_pred_1 <- predict(naive_model_1, test_data)
confusion_matrix_naive_1 <- confusionMatrix(naive_test_pred_1, as.factor(test_label))
print(confusion_matrix_naive_1)
```

### Confusion Matrix and Statistics

		Reference			
Prediction		AFF	ARR	CHF	NSR
AFF	99	8	15	2	
ARR	1	72	0	0	
CHF	11	0	91	0	
NSR	0	0	0	97	

### Overall Statistics

```
Accuracy : 0.9066
95% CI : (0.8735, 0.9334)
No Information Rate : 0.2803
P-Value [Acc > NIR] : < 2.2e-16
```

```
Kappa : 0.8746
```

```
Mcnemar's Test P-Value : NA
```

### Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8919	0.9000	0.8585	0.9798
Specificity	0.9123	0.9968	0.9621	1.0000
Pos Pred Value	0.7984	0.9863	0.8922	1.0000
Neg Pred Value	0.9559	0.9752	0.9490	0.9933
Prevalence	0.2803	0.2020	0.2677	0.2500

Detection Rate	0.2500	0.1818	0.2298	0.2449
Detection Prevalence	0.3131	0.1843	0.2576	0.2449
Balanced Accuracy	0.9021	0.9484	0.9103	0.9899

```
# Modelo Nain Bayes con el valor laplace = 1.
naive_model_2 <- naiveBayes(train_data, train_data$ECG_signal, laplace=1)
naive_test_pred_2 <- predict(naive_model_2, test_data)
confusion_matrix_naive_2 <- confusionMatrix(naive_test_pred_2, as.factor(test_label))
print(confusion_matrix_naive_2)
```

Confusion Matrix and Statistics

		Reference			
Prediction		AFF	ARR	CHF	NSR
AFF	99	8	16	2	
ARR	1	72	0	0	
CHF	11	0	90	0	
NSR	0	0	0	97	

Overall Statistics

Accuracy : 0.904  
 95% CI : (0.8707, 0.9312)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.8712

Mcnemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8919	0.9000	0.8491	0.9798
Specificity	0.9088	0.9968	0.9621	1.0000
Pos Pred Value	0.7920	0.9863	0.8911	1.0000
Neg Pred Value	0.9557	0.9752	0.9458	0.9933
Prevalence	0.2803	0.2020	0.2677	0.2500
Detection Rate	0.2500	0.1818	0.2273	0.2449
Detection Prevalence	0.3157	0.1843	0.2551	0.2449
Balanced Accuracy	0.9003	0.9484	0.9056	0.9899

Table 3: Comparación de Modelos ('Nain Bayes')

Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
NB Laplace = 0	0.907	0.875	0.093	0.892	0.9	0.858	0.98
NB Laplace =1	0.904	0.871	0.096	0.892	0.9	0.849	0.98

Al comparar los modelos en la tabla anterior observamos que el modelo obtenido sin activar laplace tiene una mayor precisión , el valor kappa también es superior en el modelo sin laplace y el valor de error es superior en el modelo con laplace .

Los valores de sensibilidad para el modelo con mejor precisión son 89.2% para la clase AFF, 90% para la clase ARR, 85.8% para la clase CHF y 98% para la última clase NSR.

Si ambos modelos son muy similares seleccionaremos el modelo más sencillo.

## Artificial Neural Network

Implementamos el algoritmo **Artificial Neural Network** con el paquete *keras* (Allaire and Chollet 2023). Exploraremos dos tipos de modelos: uno con una única capa oculta con 15 nodos, a la que añadiremos un dropout del 20% para evitar el sobreajuste, y una capa de salida con 4 nodos coincidiendo con nuestras clases de estudio. El segundo modelo contendrá dos capas ocultas con 15 y 35 nodos, a las que se añadirá una capa de dropout del 20%, junto con la capa de salida. Ambos modelos se compilarán y entrenarán, mostrando las gráficas de pérdida y precisión. Por último, visualizaremos las matrices de confusión con el paquete *caret*.

Antes de implementar el modelo, realizaremos un ajuste en nuestros datos de entrenamiento y prueba. Convertiremos nuestras etiquetas a valores numéricos para poder ejecutar el modelo. En la siguiente tabla, observamos la equivalencia de la transformación de las clases de estudio:

Clases	Clases_ann
AFF	0
ARR	1
CHF	2
NSR	3

```
# Ajustamos los datos de entrenamiento y prueba para adaptarlos al algoritmo ann.
```

```
train_data_ann <- as.matrix(train_data[,-1])
```

```
test_data_ann <- as.matrix(test_data[,-1])
```

```
# Transformamos nuestras clases a valores numericos, del 0 al 3.
```

```
train_label_ann <- as.numeric(factor(train_label)) - 1
```

```
test_label_ann <- as.numeric(factor(test_label)) - 1
```

```
set.seed(seed)
```

```
# Modelo ann con una capa oculta.
```

```
modelo_ann_1 <- keras_model_sequential() %>%
```

```
  # Agregamos una capa densa al modelo con 15 nodos. Establecemos la activación 'relu' para introducir
```

```
  layer_dense(units = 15, activation = 'relu', input_shape = ncol(train_data_ann)) %>%
```

```
  # Capa de Dropout desactivando aleatoriamente el 20% de las neuronas para prevenir el sobreajuste.
```

```
  layer_dropout(rate = 0.2) %>%
```

```
  #Capa de salida, usamos la función de activación 'softmax'.
```

```
  layer_dense(units = 4, activation = 'softmax')
```

```
summary(modelo_ann_1)
```

```
Model: "sequential"
```

Layer (type)	Output Shape	Param #
dense_1 (Dense)	(None, 15)	690
dropout (Dropout)	(None, 15)	0
dense (Dense)	(None, 4)	64

```
Total params: 754 (2.95 KB)
```

```
Trainable params: 754 (2.95 KB)
```

Non-trainable params: 0 (0.00 Byte)

```
-----
set.seed(seed)

# Compilamos el modelo_ann_1:
modelo_ann_1 %>% compile(
  loss = 'sparse_categorical_crossentropy',
  optimizer = optimizer_adam(),
  metrics = c('accuracy')
)
# Entrenamos el modelo_ann_1 y almacenamos la información en la variable "history__ann_1":
history_ann_1 <- modelo_ann_1 %>% fit(
  x = train_data_ann,
  y = train_label_ann,
  epochs = 50, # Establecemos las épocas de interacciones del entrenamiento a 50.
  validation_split = 0.2, # 20% de los datos se usarán como datos de validación.
  verbose = 2 # Nivel de detalle durante el entrenamiento.
)
```

```
Epoch 1/50
21/21 - 1s - loss: 1.5131 - accuracy: 0.1991 - val_loss: 1.4749 - val_accuracy: 0.1739 - 585ms/epoch - 21s
Epoch 2/50
21/21 - 0s - loss: 1.4000 - accuracy: 0.2737 - val_loss: 1.4008 - val_accuracy: 0.2236 - 63ms/epoch - 3s
Epoch 3/50
21/21 - 0s - loss: 1.3304 - accuracy: 0.3250 - val_loss: 1.3267 - val_accuracy: 0.2733 - 50ms/epoch - 2s
Epoch 4/50
21/21 - 0s - loss: 1.2626 - accuracy: 0.3764 - val_loss: 1.2589 - val_accuracy: 0.3602 - 45ms/epoch - 2s
Epoch 5/50
21/21 - 0s - loss: 1.2062 - accuracy: 0.5008 - val_loss: 1.2013 - val_accuracy: 0.5652 - 48ms/epoch - 2s
Epoch 6/50
21/21 - 0s - loss: 1.1623 - accuracy: 0.5614 - val_loss: 1.1489 - val_accuracy: 0.5901 - 48ms/epoch - 2s
Epoch 7/50
21/21 - 0s - loss: 1.1122 - accuracy: 0.5739 - val_loss: 1.0853 - val_accuracy: 0.6087 - 52ms/epoch - 2s
Epoch 8/50
21/21 - 0s - loss: 1.0480 - accuracy: 0.6361 - val_loss: 1.0214 - val_accuracy: 0.6522 - 50ms/epoch - 2s
Epoch 9/50
21/21 - 0s - loss: 1.0096 - accuracy: 0.6454 - val_loss: 0.9715 - val_accuracy: 0.6584 - 49ms/epoch - 2s
Epoch 10/50
21/21 - 0s - loss: 0.9547 - accuracy: 0.6501 - val_loss: 0.9167 - val_accuracy: 0.7205 - 49ms/epoch - 2s
Epoch 11/50
21/21 - 0s - loss: 0.9089 - accuracy: 0.6843 - val_loss: 0.8715 - val_accuracy: 0.7453 - 53ms/epoch - 3s
Epoch 12/50
21/21 - 0s - loss: 0.8754 - accuracy: 0.6998 - val_loss: 0.8238 - val_accuracy: 0.8075 - 51ms/epoch - 2s
Epoch 13/50
21/21 - 0s - loss: 0.8179 - accuracy: 0.7154 - val_loss: 0.7908 - val_accuracy: 0.8075 - 50ms/epoch - 2s
Epoch 14/50
21/21 - 0s - loss: 0.8010 - accuracy: 0.7185 - val_loss: 0.7551 - val_accuracy: 0.8323 - 53ms/epoch - 3s
Epoch 15/50
21/21 - 0s - loss: 0.7795 - accuracy: 0.7418 - val_loss: 0.7259 - val_accuracy: 0.8385 - 48ms/epoch - 2s
Epoch 16/50
21/21 - 0s - loss: 0.7337 - accuracy: 0.7574 - val_loss: 0.6881 - val_accuracy: 0.8447 - 47ms/epoch - 2s
Epoch 17/50
21/21 - 0s - loss: 0.7034 - accuracy: 0.8009 - val_loss: 0.6590 - val_accuracy: 0.8696 - 49ms/epoch - 2s
Epoch 18/50
```



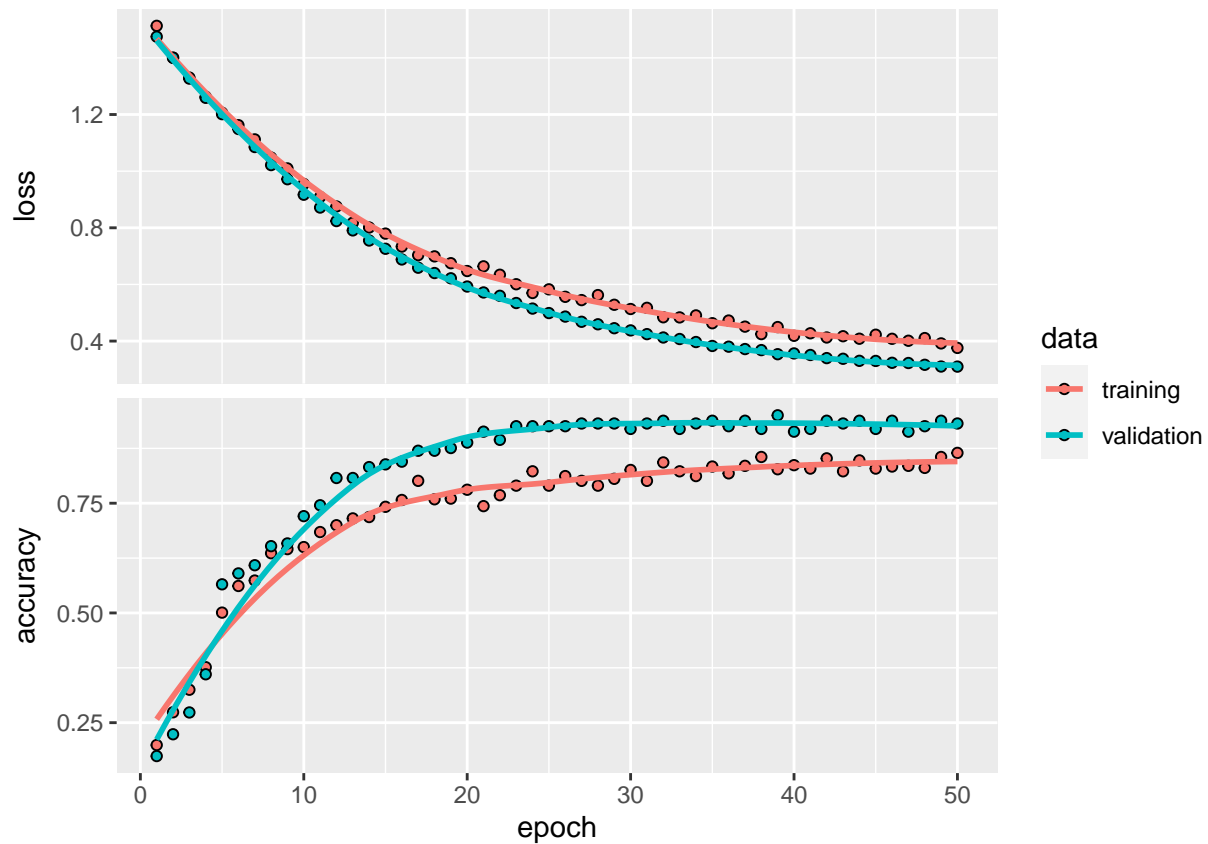
21/21 - 0s - loss: 0.6991 - accuracy: 0.7589 - val\_loss: 0.6402 - val\_accuracy: 0.8696 - 49ms/epoch - 2s  
 Epoch 19/50  
 21/21 - 0s - loss: 0.6750 - accuracy: 0.7605 - val\_loss: 0.6217 - val\_accuracy: 0.8758 - 50ms/epoch - 2s  
 Epoch 20/50  
 21/21 - 0s - loss: 0.6473 - accuracy: 0.7807 - val\_loss: 0.5926 - val\_accuracy: 0.8882 - 50ms/epoch - 2s  
 Epoch 21/50  
 21/21 - 0s - loss: 0.6639 - accuracy: 0.7434 - val\_loss: 0.5717 - val\_accuracy: 0.9130 - 52ms/epoch - 2s  
 Epoch 22/50  
 21/21 - 0s - loss: 0.6342 - accuracy: 0.7683 - val\_loss: 0.5598 - val\_accuracy: 0.8944 - 49ms/epoch - 2s  
 Epoch 23/50  
 21/21 - 0s - loss: 0.6007 - accuracy: 0.7900 - val\_loss: 0.5344 - val\_accuracy: 0.9255 - 50ms/epoch - 2s  
 Epoch 24/50  
 21/21 - 0s - loss: 0.5698 - accuracy: 0.8227 - val\_loss: 0.5147 - val\_accuracy: 0.9255 - 51ms/epoch - 2s  
 Epoch 25/50  
 21/21 - 0s - loss: 0.5827 - accuracy: 0.7900 - val\_loss: 0.4989 - val\_accuracy: 0.9255 - 48ms/epoch - 2s  
 Epoch 26/50  
 21/21 - 0s - loss: 0.5563 - accuracy: 0.8118 - val\_loss: 0.4865 - val\_accuracy: 0.9255 - 49ms/epoch - 2s  
 Epoch 27/50  
 21/21 - 0s - loss: 0.5446 - accuracy: 0.8009 - val\_loss: 0.4681 - val\_accuracy: 0.9317 - 49ms/epoch - 2s  
 Epoch 28/50  
 21/21 - 0s - loss: 0.5624 - accuracy: 0.7900 - val\_loss: 0.4593 - val\_accuracy: 0.9317 - 49ms/epoch - 2s  
 Epoch 29/50  
 21/21 - 0s - loss: 0.5282 - accuracy: 0.8056 - val\_loss: 0.4454 - val\_accuracy: 0.9317 - 48ms/epoch - 2s  
 Epoch 30/50  
 21/21 - 0s - loss: 0.5132 - accuracy: 0.8258 - val\_loss: 0.4377 - val\_accuracy: 0.9193 - 50ms/epoch - 2s  
 Epoch 31/50  
 21/21 - 0s - loss: 0.5174 - accuracy: 0.8009 - val\_loss: 0.4245 - val\_accuracy: 0.9317 - 48ms/epoch - 2s  
 Epoch 32/50  
 21/21 - 0s - loss: 0.4840 - accuracy: 0.8429 - val\_loss: 0.4127 - val\_accuracy: 0.9379 - 50ms/epoch - 2s  
 Epoch 33/50  
 21/21 - 0s - loss: 0.4836 - accuracy: 0.8227 - val\_loss: 0.4073 - val\_accuracy: 0.9193 - 48ms/epoch - 2s  
 Epoch 34/50  
 21/21 - 0s - loss: 0.4907 - accuracy: 0.8118 - val\_loss: 0.3966 - val\_accuracy: 0.9317 - 51ms/epoch - 2s  
 Epoch 35/50  
 21/21 - 0s - loss: 0.4630 - accuracy: 0.8336 - val\_loss: 0.3827 - val\_accuracy: 0.9379 - 58ms/epoch - 3s  
 Epoch 36/50  
 21/21 - 0s - loss: 0.4725 - accuracy: 0.8180 - val\_loss: 0.3803 - val\_accuracy: 0.9255 - 48ms/epoch - 2s  
 Epoch 37/50  
 21/21 - 0s - loss: 0.4510 - accuracy: 0.8351 - val\_loss: 0.3718 - val\_accuracy: 0.9379 - 48ms/epoch - 2s  
 Epoch 38/50  
 21/21 - 0s - loss: 0.4246 - accuracy: 0.8554 - val\_loss: 0.3681 - val\_accuracy: 0.9193 - 49ms/epoch - 2s  
 Epoch 39/50  
 21/21 - 0s - loss: 0.4494 - accuracy: 0.8274 - val\_loss: 0.3536 - val\_accuracy: 0.9503 - 49ms/epoch - 2s  
 Epoch 40/50  
 21/21 - 0s - loss: 0.4186 - accuracy: 0.8367 - val\_loss: 0.3565 - val\_accuracy: 0.9130 - 50ms/epoch - 2s  
 Epoch 41/50  
 21/21 - 0s - loss: 0.4276 - accuracy: 0.8289 - val\_loss: 0.3509 - val\_accuracy: 0.9193 - 48ms/epoch - 2s  
 Epoch 42/50  
 21/21 - 0s - loss: 0.4126 - accuracy: 0.8523 - val\_loss: 0.3399 - val\_accuracy: 0.9379 - 48ms/epoch - 2s  
 Epoch 43/50  
 21/21 - 0s - loss: 0.4171 - accuracy: 0.8227 - val\_loss: 0.3375 - val\_accuracy: 0.9317 - 48ms/epoch - 2s  
 Epoch 44/50  
 21/21 - 0s - loss: 0.4083 - accuracy: 0.8476 - val\_loss: 0.3303 - val\_accuracy: 0.9379 - 50ms/epoch - 2s  
 Epoch 45/50

```

21/21 - 0s - loss: 0.4225 - accuracy: 0.8289 - val_loss: 0.3299 - val_accuracy: 0.9193 - 49ms/epoch - 2
Epoch 46/50
21/21 - 0s - loss: 0.4080 - accuracy: 0.8336 - val_loss: 0.3233 - val_accuracy: 0.9379 - 46ms/epoch - 2
Epoch 47/50
21/21 - 0s - loss: 0.4011 - accuracy: 0.8351 - val_loss: 0.3225 - val_accuracy: 0.9130 - 51ms/epoch - 2
Epoch 48/50
21/21 - 0s - loss: 0.4106 - accuracy: 0.8305 - val_loss: 0.3163 - val_accuracy: 0.9255 - 49ms/epoch - 2
Epoch 49/50
21/21 - 0s - loss: 0.3918 - accuracy: 0.8554 - val_loss: 0.3102 - val_accuracy: 0.9379 - 51ms/epoch - 2
Epoch 50/50
21/21 - 0s - loss: 0.3759 - accuracy: 0.8647 - val_loss: 0.3098 - val_accuracy: 0.9317 - 49ms/epoch - 2

```

```
plot(history_ann_1) # Mostramos los gráficos de pérdida y precisión.
```



```

set.seed(seed)
predicciones_ann_1 <- predict(modelo_ann_1, test_data_ann)

```

```
13/13 - 0s - 64ms/epoch - 5ms/step
```

```

y_pred_ann_1 <- as.factor(max.col(predicciones_ann_1) - 1)
matriz_confusion_ann_1 <- confusionMatrix(y_pred_ann_1, as.factor(test_label_ann))
matriz_confusion_ann_1

```

Confusion Matrix and Statistics

```

      Reference
Prediction 0  1  2  3
      0 69  0 17  0

```

```

1 0 80 2 0
2 42 0 87 0
3 0 0 0 99

```

#### Overall Statistics

```

Accuracy : 0.846
95% CI : (0.8066, 0.8801)
No Information Rate : 0.2803
P-Value [Acc > NIR] : < 2.2e-16

```

Kappa : 0.794

Mcnemar's Test P-Value : NA

#### Statistics by Class:

	Class: 0	Class: 1	Class: 2	Class: 3
Sensitivity	0.6216	1.0000	0.8208	1.00
Specificity	0.9404	0.9937	0.8552	1.00
Pos Pred Value	0.8023	0.9756	0.6744	1.00
Neg Pred Value	0.8645	1.0000	0.9288	1.00
Prevalence	0.2803	0.2020	0.2677	0.25
Detection Rate	0.1742	0.2020	0.2197	0.25
Detection Prevalence	0.2172	0.2071	0.3258	0.25
Balanced Accuracy	0.7810	0.9968	0.8380	1.00

```

# Modelo ann con dos capas ocultas.
modelo_ann_2 <- keras_model_sequential() %>%
  layer_dense(units = 25, activation = 'relu', input_shape = ncol(train_data_ann)) %>%
  layer_dropout(rate = 0.2) %>%
  layer_dense(units = 15, activation = 'relu') %>%
  layer_dropout(rate = 0.2) %>%
  layer_dense(units = 4, activation = 'softmax')
summary(modelo_ann_2)

```

Model: "sequential\_1"

Layer (type)	Output Shape	Param #
dense_4 (Dense)	(None, 25)	1150
dropout_2 (Dropout)	(None, 25)	0
dense_3 (Dense)	(None, 15)	390
dropout_1 (Dropout)	(None, 15)	0
dense_2 (Dense)	(None, 4)	64

```

Total params: 1604 (6.27 KB)
Trainable params: 1604 (6.27 KB)
Non-trainable params: 0 (0.00 Byte)

```

```

set.seed(seed)

# Compilamos el modelo_ann_2:
modelo_ann_2 %>% keras::compile(

```

```

    loss = 'sparse_categorical_crossentropy',
    optimizer = optimizer_adam(),
    metrics = c('accuracy')
)
# Entrenamos el modelo_ann_2 y almacenamos la información en la variable "history__ann_2":
history_ann_2 <- modelo_ann_2 %>% fit(
  x = train_data_ann,
  y = train_label_ann,
  epochs = 50,
  validation_split = 0.2,
  verbose = 2
)

```

```

Epoch 1/50
21/21 - 1s - loss: 1.3605 - accuracy: 0.3064 - val_loss: 1.3194 - val_accuracy: 0.3106 - 684ms/epoch - 21s/epoch
Epoch 2/50
21/21 - 0s - loss: 1.2847 - accuracy: 0.4215 - val_loss: 1.2343 - val_accuracy: 0.5466 - 48ms/epoch - 21s/epoch
Epoch 3/50
21/21 - 0s - loss: 1.1973 - accuracy: 0.5319 - val_loss: 1.1406 - val_accuracy: 0.5901 - 50ms/epoch - 21s/epoch
Epoch 4/50
21/21 - 0s - loss: 1.1143 - accuracy: 0.5583 - val_loss: 1.0170 - val_accuracy: 0.7578 - 50ms/epoch - 21s/epoch
Epoch 5/50
21/21 - 0s - loss: 1.0077 - accuracy: 0.6221 - val_loss: 0.9099 - val_accuracy: 0.7764 - 55ms/epoch - 31s/epoch
Epoch 6/50
21/21 - 0s - loss: 0.9071 - accuracy: 0.6656 - val_loss: 0.8057 - val_accuracy: 0.8323 - 49ms/epoch - 21s/epoch
Epoch 7/50
21/21 - 0s - loss: 0.8179 - accuracy: 0.7030 - val_loss: 0.7213 - val_accuracy: 0.8820 - 51ms/epoch - 21s/epoch
Epoch 8/50
21/21 - 0s - loss: 0.7576 - accuracy: 0.7107 - val_loss: 0.6423 - val_accuracy: 0.8758 - 54ms/epoch - 31s/epoch
Epoch 9/50
21/21 - 0s - loss: 0.7018 - accuracy: 0.7045 - val_loss: 0.5799 - val_accuracy: 0.8882 - 48ms/epoch - 21s/epoch
Epoch 10/50
21/21 - 0s - loss: 0.6556 - accuracy: 0.7356 - val_loss: 0.5404 - val_accuracy: 0.8820 - 52ms/epoch - 21s/epoch
Epoch 11/50
21/21 - 0s - loss: 0.6111 - accuracy: 0.7232 - val_loss: 0.4874 - val_accuracy: 0.8944 - 50ms/epoch - 21s/epoch
Epoch 12/50
21/21 - 0s - loss: 0.5613 - accuracy: 0.7527 - val_loss: 0.4571 - val_accuracy: 0.8820 - 48ms/epoch - 21s/epoch
Epoch 13/50
21/21 - 0s - loss: 0.5311 - accuracy: 0.7574 - val_loss: 0.4317 - val_accuracy: 0.8944 - 53ms/epoch - 31s/epoch
Epoch 14/50
21/21 - 0s - loss: 0.5041 - accuracy: 0.7714 - val_loss: 0.4173 - val_accuracy: 0.8571 - 49ms/epoch - 21s/epoch
Epoch 15/50
21/21 - 0s - loss: 0.5175 - accuracy: 0.7605 - val_loss: 0.3990 - val_accuracy: 0.8882 - 50ms/epoch - 21s/epoch
Epoch 16/50
21/21 - 0s - loss: 0.4763 - accuracy: 0.7714 - val_loss: 0.3904 - val_accuracy: 0.9130 - 48ms/epoch - 21s/epoch
Epoch 17/50
21/21 - 0s - loss: 0.4593 - accuracy: 0.8056 - val_loss: 0.3751 - val_accuracy: 0.9006 - 52ms/epoch - 21s/epoch
Epoch 18/50
21/21 - 0s - loss: 0.4373 - accuracy: 0.8056 - val_loss: 0.3727 - val_accuracy: 0.9006 - 48ms/epoch - 21s/epoch
Epoch 19/50
21/21 - 0s - loss: 0.4531 - accuracy: 0.7823 - val_loss: 0.3716 - val_accuracy: 0.8509 - 50ms/epoch - 21s/epoch
Epoch 20/50
21/21 - 0s - loss: 0.4217 - accuracy: 0.7963 - val_loss: 0.3619 - val_accuracy: 0.8758 - 52ms/epoch - 21s/epoch
Epoch 21/50

```

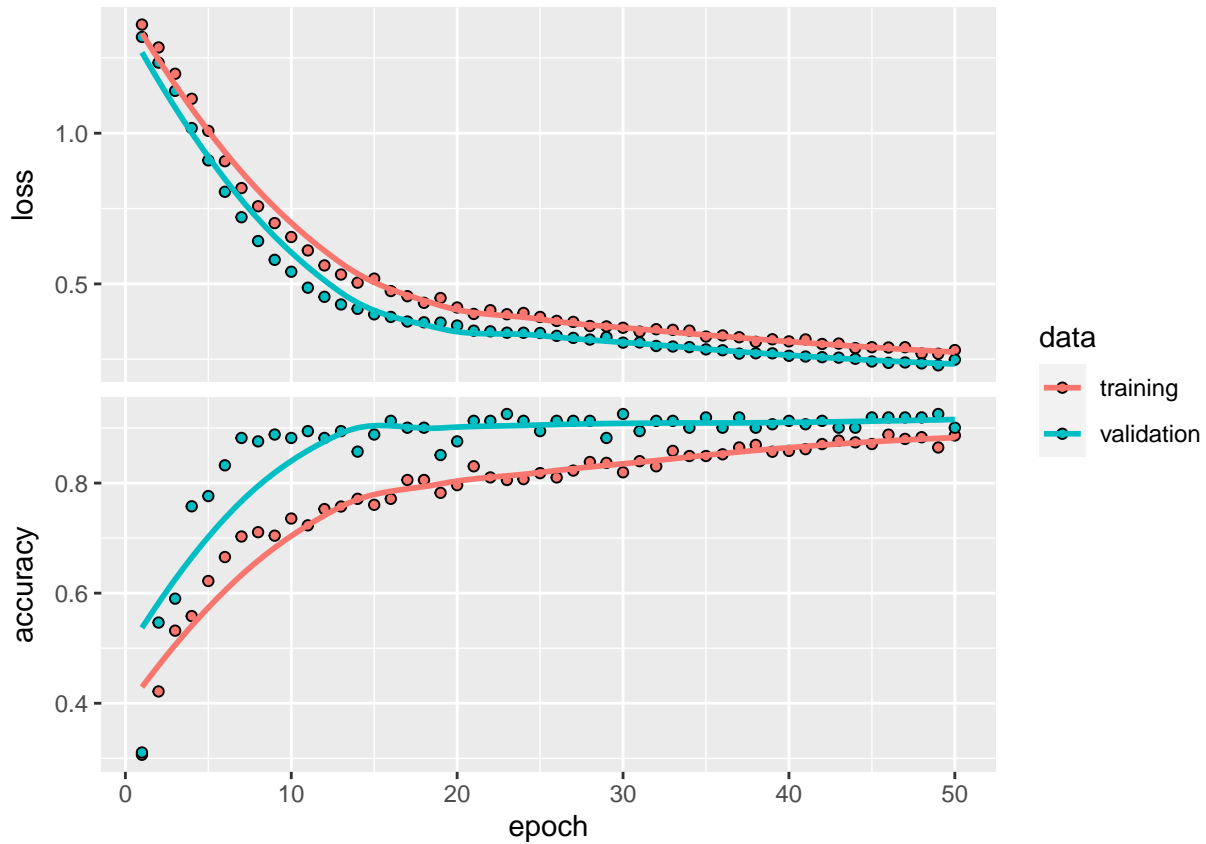
21/21 - 0s - loss: 0.4003 - accuracy: 0.8305 - val\_loss: 0.3447 - val\_accuracy: 0.9130 - 51ms/epoch - 2s  
 Epoch 22/50  
 21/21 - 0s - loss: 0.4127 - accuracy: 0.8103 - val\_loss: 0.3427 - val\_accuracy: 0.9130 - 49ms/epoch - 2s  
 Epoch 23/50  
 21/21 - 0s - loss: 0.3993 - accuracy: 0.8056 - val\_loss: 0.3381 - val\_accuracy: 0.9255 - 49ms/epoch - 2s  
 Epoch 24/50  
 21/21 - 0s - loss: 0.4036 - accuracy: 0.8072 - val\_loss: 0.3379 - val\_accuracy: 0.9130 - 49ms/epoch - 2s  
 Epoch 25/50  
 21/21 - 0s - loss: 0.3903 - accuracy: 0.8180 - val\_loss: 0.3372 - val\_accuracy: 0.8944 - 50ms/epoch - 2s  
 Epoch 26/50  
 21/21 - 0s - loss: 0.3772 - accuracy: 0.8103 - val\_loss: 0.3276 - val\_accuracy: 0.9130 - 53ms/epoch - 3s  
 Epoch 27/50  
 21/21 - 0s - loss: 0.3740 - accuracy: 0.8227 - val\_loss: 0.3209 - val\_accuracy: 0.9130 - 49ms/epoch - 2s  
 Epoch 28/50  
 21/21 - 0s - loss: 0.3602 - accuracy: 0.8383 - val\_loss: 0.3154 - val\_accuracy: 0.9130 - 51ms/epoch - 2s  
 Epoch 29/50  
 21/21 - 0s - loss: 0.3589 - accuracy: 0.8367 - val\_loss: 0.3234 - val\_accuracy: 0.8820 - 50ms/epoch - 2s  
 Epoch 30/50  
 21/21 - 0s - loss: 0.3545 - accuracy: 0.8196 - val\_loss: 0.3051 - val\_accuracy: 0.9255 - 50ms/epoch - 2s  
 Epoch 31/50  
 21/21 - 0s - loss: 0.3416 - accuracy: 0.8398 - val\_loss: 0.3057 - val\_accuracy: 0.8944 - 103ms/epoch - 5s  
 Epoch 32/50  
 21/21 - 0s - loss: 0.3496 - accuracy: 0.8305 - val\_loss: 0.2939 - val\_accuracy: 0.9130 - 53ms/epoch - 3s  
 Epoch 33/50  
 21/21 - 0s - loss: 0.3476 - accuracy: 0.8585 - val\_loss: 0.2922 - val\_accuracy: 0.9130 - 51ms/epoch - 2s  
 Epoch 34/50  
 21/21 - 0s - loss: 0.3450 - accuracy: 0.8491 - val\_loss: 0.2902 - val\_accuracy: 0.9006 - 49ms/epoch - 2s  
 Epoch 35/50  
 21/21 - 0s - loss: 0.3252 - accuracy: 0.8491 - val\_loss: 0.2827 - val\_accuracy: 0.9193 - 51ms/epoch - 2s  
 Epoch 36/50  
 21/21 - 0s - loss: 0.3289 - accuracy: 0.8523 - val\_loss: 0.2798 - val\_accuracy: 0.9006 - 50ms/epoch - 2s  
 Epoch 37/50  
 21/21 - 0s - loss: 0.3231 - accuracy: 0.8647 - val\_loss: 0.2685 - val\_accuracy: 0.9193 - 49ms/epoch - 2s  
 Epoch 38/50  
 21/21 - 0s - loss: 0.3077 - accuracy: 0.8694 - val\_loss: 0.2697 - val\_accuracy: 0.9006 - 53ms/epoch - 3s  
 Epoch 39/50  
 21/21 - 0s - loss: 0.3163 - accuracy: 0.8569 - val\_loss: 0.2696 - val\_accuracy: 0.9068 - 52ms/epoch - 2s  
 Epoch 40/50  
 21/21 - 0s - loss: 0.3094 - accuracy: 0.8585 - val\_loss: 0.2615 - val\_accuracy: 0.9130 - 53ms/epoch - 3s  
 Epoch 41/50  
 21/21 - 0s - loss: 0.3157 - accuracy: 0.8616 - val\_loss: 0.2590 - val\_accuracy: 0.9068 - 51ms/epoch - 2s  
 Epoch 42/50  
 21/21 - 0s - loss: 0.3006 - accuracy: 0.8709 - val\_loss: 0.2569 - val\_accuracy: 0.9130 - 51ms/epoch - 2s  
 Epoch 43/50  
 21/21 - 0s - loss: 0.3021 - accuracy: 0.8771 - val\_loss: 0.2553 - val\_accuracy: 0.9006 - 48ms/epoch - 2s  
 Epoch 44/50  
 21/21 - 0s - loss: 0.2870 - accuracy: 0.8740 - val\_loss: 0.2516 - val\_accuracy: 0.9006 - 49ms/epoch - 2s  
 Epoch 45/50  
 21/21 - 0s - loss: 0.2899 - accuracy: 0.8709 - val\_loss: 0.2425 - val\_accuracy: 0.9193 - 51ms/epoch - 2s  
 Epoch 46/50  
 21/21 - 0s - loss: 0.2890 - accuracy: 0.8880 - val\_loss: 0.2381 - val\_accuracy: 0.9193 - 50ms/epoch - 2s  
 Epoch 47/50  
 21/21 - 0s - loss: 0.2899 - accuracy: 0.8802 - val\_loss: 0.2394 - val\_accuracy: 0.9193 - 54ms/epoch - 3s  
 Epoch 48/50

```

21/21 - 0s - loss: 0.2691 - accuracy: 0.8834 - val_loss: 0.2363 - val_accuracy: 0.9193 - 49ms/epoch - 2
Epoch 49/50
21/21 - 0s - loss: 0.2681 - accuracy: 0.8647 - val_loss: 0.2298 - val_accuracy: 0.9255 - 50ms/epoch - 2
Epoch 50/50
21/21 - 0s - loss: 0.2804 - accuracy: 0.8865 - val_loss: 0.2487 - val_accuracy: 0.9006 - 52ms/epoch - 2

```

```
plot(history_ann_2)
```



```

set.seed(seed)
predicciones_ann_2 <- predict(modelo_ann_2, test_data_ann)

```

```
13/13 - 0s - 47ms/epoch - 4ms/step
```

```

y_pred_ann_2 <- as.factor(max.col(predicciones_ann_2) - 1)
matriz_confusion_ann_2 <- confusionMatrix(y_pred_ann_2, as.factor(test_label_ann))
matriz_confusion_ann_2

```

Confusion Matrix and Statistics

	Reference			
Prediction	0	1	2	3
0	63	0	14	0
1	0	80	0	0
2	48	0	92	0
3	0	0	0	99

Overall Statistics

Accuracy : 0.8434  
 95% CI : (0.8038, 0.8778)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.7906

McNemar's Test P-Value : NA

Statistics by Class:

	Class: 0	Class: 1	Class: 2	Class: 3
Sensitivity	0.5676	1.000	0.8679	1.00
Specificity	0.9509	1.000	0.8345	1.00
Pos Pred Value	0.8182	1.000	0.6571	1.00
Neg Pred Value	0.8495	1.000	0.9453	1.00
Prevalence	0.2803	0.202	0.2677	0.25
Detection Rate	0.1591	0.202	0.2323	0.25
Detection Prevalence	0.1944	0.202	0.3535	0.25
Balanced Accuracy	0.7592	1.000	0.8512	1.00

Table 5: Comparación de Modelos ('ANN')

Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
ANN One layer	0.846	0.794	0.154	0.622	1	0.821	1
ANN Two layers	0.843	0.791	0.157	0.568	1	0.868	1

Al comparar los modelos observamos que el modelo obtenido aplicando solo una capa oculta tiene una mayor precisión, el valor kappa también es superior en el modelo con una capa oculta y el valor de error es superior en el modelo con dos capas.

Los valores de sensibilidad para el modelo con mejor precisión son 62.2% para la clase AFF, 100% para la clase ARR, 82.1% para la clase CHF y 100% para la última clase NSR.

Si nuestros modelos son muy similares, seguiremos el principio de parsimonia y elegiremos el modelo mas sencillo.

## Support Vector Machine

Para implementar el algoritmo **upport Vector Machine (SVM)** con kernel lineal y RBF usamos la funcion `ksvm` del paquete `'kernel'` (Karatzoglou, Smola, and Hornik 2023). Para el kernel lineal usamos la opción `"vanilladot"` y `"rbfdot"` para RBF. Luego mostramos las matrices de confusión de cada modelo con la función `confusionMatrix()` del paquete `'caret'`.

```
set.seed(seed)

# Convertimos las clases a tipo factor para poder implementar el algoritmo SVM.
train_data$ECG_signal <- as.factor(train_data$ECG_signal)
test_data$ECG_signal <- as.factor(test_data$ECG_signal)

# Modelo SVM con kernel lineal.
svm_linear_model <- kernlab::ksvm(ECG_signal ~ ., data = train_data, kernel = "vanilladot")
```

Setting default kernel parameters

```
svm_linear_model
```

Support Vector Machine object of class "ksvm"

SV type: C-svc (classification)

parameter : cost C = 1

Linear (vanilla) kernel function.

Number of Support Vectors : 110

Objective Function Value : -0.6662 -50.3855 -0.2015 -0.8317 -0.0483 -0.1472

Training error : 0.014925

```
predictions_linear <- predict(svm_linear_model, newdata = test_data)
```

```
# Modelo SVM con kernel rbf>
```

```
svm_rbf_model <- kernlab::ksvm(ECG_signal ~ ., data = train_data, kernel = "rbfdot")
```

```
svm_rbf_model
```

Support Vector Machine object of class "ksvm"

SV type: C-svc (classification)

parameter : cost C = 1

Gaussian Radial Basis kernel function.

Hyperparameter : sigma = 0.0259397406256988

Number of Support Vectors : 269

Objective Function Value : -20.1491 -113.2324 -8.1272 -19.8548 -5.2133 -6.7519

Training error : 0.021144

```
predictions_rbf <- predict(svm_rbf_model, newdata = test_data)
```

```
#Matrices de confusión para los modelos.
```

```
linear_model <- caret::confusionMatrix(predictions_linear, test_data$ECG_signal)
```

```
rbf_model <- caret::confusionMatrix(predictions_rbf, test_data$ECG_signal)
```

```
# Mostramos los datos.
```

```
linear_model
```

Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	96	0	1	1
ARR	0	80	0	0
CHF	15	0	105	0
NSR	0	0	0	98

Overall Statistics

Accuracy : 0.9571

95% CI : (0.9322, 0.9748)



No Information Rate : 0.2803  
P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9425

McNemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8649	1.000	0.9906	0.9899
Specificity	0.9930	1.000	0.9483	1.0000
Pos Pred Value	0.9796	1.000	0.8750	1.0000
Neg Pred Value	0.9497	1.000	0.9964	0.9966
Prevalence	0.2803	0.202	0.2677	0.2500
Detection Rate	0.2424	0.202	0.2652	0.2475
Detection Prevalence	0.2475	0.202	0.3030	0.2475
Balanced Accuracy	0.9289	1.000	0.9694	0.9949

rbf\_model

Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	96	0	4	0
ARR	0	80	0	1
CHF	15	0	102	0
NSR	0	0	0	98

Overall Statistics

Accuracy : 0.9495  
95% CI : (0.9231, 0.9689)  
No Information Rate : 0.2803  
P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9324

McNemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.8649	1.0000	0.9623	0.9899
Specificity	0.9860	0.9968	0.9483	1.0000
Pos Pred Value	0.9600	0.9877	0.8718	1.0000
Neg Pred Value	0.9493	1.0000	0.9857	0.9966
Prevalence	0.2803	0.2020	0.2677	0.2500
Detection Rate	0.2424	0.2020	0.2576	0.2475
Detection Prevalence	0.2525	0.2045	0.2955	0.2475
Balanced Accuracy	0.9254	0.9984	0.9553	0.9949

Table 6: Comparación de Modelos ('SVM')

Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
SVM Lineal	0.957	0.943	0.043	0.865	1	0.991	0.99
SVM gaussiano	0.949	0.932	0.051	0.865	1	0.962	0.99

Al comparar los modelos de la tabla anterior observamos que el modelo obtenido con SVM lineal tiene una mayor precisión, el valor kappa también es superior en el modelo lineal y el valor de error es superior en el modelo radial.

Los valores de sensibilidad para el modelo con mejor precisión son 86.5% para la clase AFF, 100% para la clase ARR, 99.1% para la clase CHF y 99% para la última clase NSR.

Si ambos modelos son muy similares, optaremos por el modelo más sencillo.

## Árbol de Clasificación

En el siguiente apartado, implementaremos el algoritmo de **Árbol de clasificación** con el paquete *C50* (Kuhn and Quinlan 2023) y la función `C5.0()`. En este caso, exploraremos la implementación de dos modelos: uno sin activar la opción de boosting y otro modelo activando el boosting usando un valor de *trials* igual a 10. También incluiremos las figuras que muestren de forma visual el árbol de clasificación. Por último, se mostrará una tabla resumen de las matrices de confusión de cada modelo.

```
set.seed(seed)
# Modelo sin boosting.
model_tree_1 <- C5.0(train_data[, -1], train_data$ECG_signal, trials = 1)
summary(model_tree_1)
```

Call:

```
C5.0.default(x = train_data[, -1], y = train_data$ECG_signal, trials = 1)
```

```
C5.0 [Release 2.07 GPL Edition]      Sun Jan 28 10:26:35 2024
```

```
-----
Class specified by attribute `outcome'
```

```
Read 804 cases (46 attributes) from undefined.data
```

```
Decision tree:
```

```
RTdis <= 0.1667871: NSR (201)
RTdis > 0.1667871:
...NNTot <= 0.3677419: ARR (221/1)
  NNTot > 0.3677419:
    ...NNTot > 0.483871: AFF (136)
      NNTot <= 0.483871:
        ...NNTot <= 0.4451613:
          ...IBISD > 0.0210566: AFF (18)
            : IBISD <= 0.0210566:
              : ...SDSD > 0.007752874: CHF (3)
                : SDSD <= 0.007752874:
```

```

:      :...STdis <= 0.4298038: AFF (4)
:      STdis > 0.4298038: CHF (3)
NNTot > 0.4451613:
:...RRmean > 0.1718247: AFF (6)
  RRmean <= 0.1718247:
    :...NN50 > 0.3783784:
      :...SDRR <= 0.02383286: CHF (8)
      :   SDRR > 0.02383286: AFF (18/1)
      NN50 <= 0.3783784:
        :...NNTot <= 0.4645161: CHF (143/2)
        NNTot > 0.4645161:
          :...PPmean <= 0.1315211: CHF (33/1)
          PPmean > 0.1315211:
            :...SToffdis <= 0.4203458: AFF (6/1)
            SToffdis > 0.4203458: CHF (4)

```

Evaluation on training data (804 cases):

Decision Tree				
-----				
Size	Errors			
14	6( 0.7%)	<<		
(a)	(b)	(c)	(d)	<-classified as
-----	-----	-----	-----	
186		3		(a): class AFF
	220			(b): class ARR
2	1	191		(c): class CHF
			201	(d): class NSR

Attribute usage:

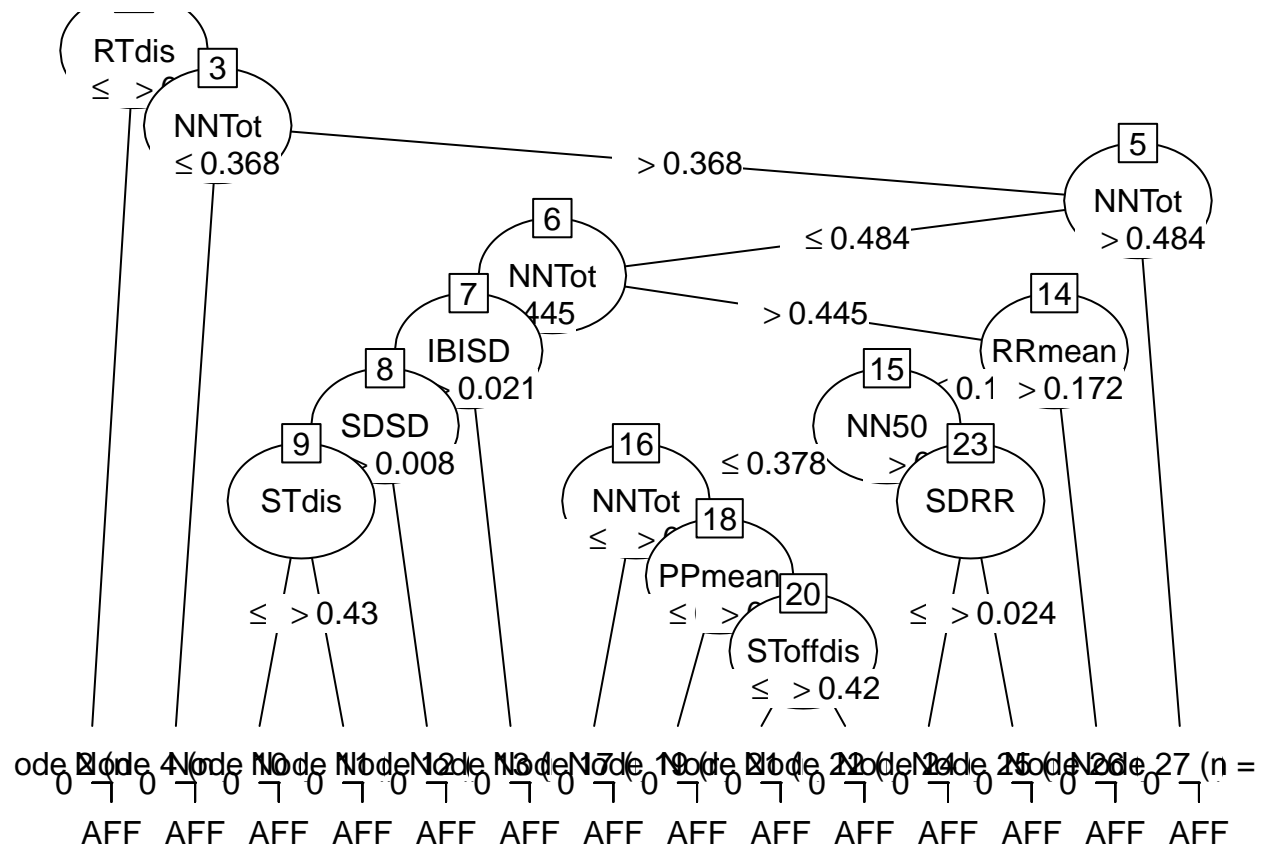
```

100.00% RTdis
 75.00% NNTot
 27.11% RRmean
 26.37% NN50
  5.35% PPmean
  3.48% IBISD
  3.23% SDRR
  1.24% SToffdis
  1.24% SDSD
  0.87% STdis

```

Time: 0.0 secs

```
plot(model_tree_1)
```



```
set.seed(seed)
pred_tree_1 <- predict(model_tree_1, test_data)
matriz_confusion_tree_1 <- confusionMatrix(pred_tree_1, test_data$ECG_signal)
matriz_confusion_tree_1
```

#### Confusion Matrix and Statistics

		Reference			
Prediction		AFF	ARR	CHF	NSR
AFF	103	1	7	1	
ARR	1	79	2	0	
CHF	7	0	97	0	
NSR	0	0	0	98	

#### Overall Statistics

Accuracy : 0.952  
 95% CI : (0.9261, 0.9709)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9357

Mcnemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.9279	0.9875	0.9151	0.9899
Specificity	0.9684	0.9905	0.9759	1.0000
Pos Pred Value	0.9196	0.9634	0.9327	1.0000
Neg Pred Value	0.9718	0.9968	0.9692	0.9966
Prevalence	0.2803	0.2020	0.2677	0.2500
Detection Rate	0.2601	0.1995	0.2449	0.2475
Detection Prevalence	0.2828	0.2071	0.2626	0.2475
Balanced Accuracy	0.9482	0.9890	0.9455	0.9949

```
set.seed(seed)
# Modelo aplicando boosting (trials = 10).
model_tree_2 <- C5.0(train_data[, -1], train_data$ECG_signal, trials = 10)
summary(model_tree_2)
```

Call:

```
C5.0.default(x = train_data[, -1], y = train_data$ECG_signal, trials = 10)
```

C5.0 [Release 2.07 GPL Edition]      Sun Jan 28 10:26:36 2024

-----

Class specified by attribute `outcome`

Read 804 cases (46 attributes) from undefined.data

----- Trial 0: -----

Decision tree:

```
RTdis <= 0.1667871: NSR (201)
RTdis > 0.1667871:
...NNTot <= 0.3677419: ARR (221/1)
  NNTot > 0.3677419:
    ...NNTot > 0.483871: AFF (136)
      NNTot <= 0.483871:
        ...NNTot <= 0.4451613:
          ...IBISD > 0.0210566: AFF (18)
          : IBISD <= 0.0210566:
            ...SDSD > 0.007752874: CHF (3)
            : SDSD <= 0.007752874:
              ...STdis <= 0.4298038: AFF (4)
              : STdis > 0.4298038: CHF (3)
            NNTot > 0.4451613:
              ...RRmean > 0.1718247: AFF (6)
                RRmean <= 0.1718247:
                  ...NN50 > 0.3783784:
                    ...SDRR <= 0.02383286: CHF (8)
                    : SDRR > 0.02383286: AFF (18/1)
                  NN50 <= 0.3783784:
                    ...NNTot <= 0.4645161: CHF (143/2)
                      NNTot > 0.4645161:
                        ...PPmean <= 0.1315211: CHF (33/1)
```

```

PPmean > 0.1315211:
:...SToffdis <= 0.4203458: AFF (6/1)
    SToffdis > 0.4203458: CHF (4)

```

----- Trial 1: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (151.1)
RTdis > 0.1667871:
:...IBIM > 0.1452918: ARR (151.9)
    IBIM <= 0.1452918:
:...STdis > 0.5162575: ARR (15/2.3)
    STdis <= 0.5162575:
:...NNTot > 0.483871: AFF (101.5)
    NNTot <= 0.483871:
:...PTdis <= 0.1910204:
        :...QTseg <= 0.03476528: CHF (8.3)
        :   QTseg > 0.03476528: AFF (72.5/3)
        PTdis > 0.1910204:
            :...IBISD <= 0.03364929: CHF (232.1/9.8)
            IBISD > 0.03364929: AFF (71.6/12)

```

----- Trial 2: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (114.7)
RTdis > 0.1667871:
:...IBIM > 0.1452918: ARR (115.2)
    IBIM <= 0.1452918:
:...RTdis > 0.5952742: ARR (14.5/0.6)
    RTdis <= 0.5952742:
:...NNTot > 0.483871: AFF (83)
    NNTot <= 0.483871:
:...PonTdis > 0.5545884: AFF (36.3)
    PonTdis <= 0.5545884:
:...STdis > 0.5656004: AFF (13.6/1.7)
    STdis <= 0.5656004:
:...PTdis <= 0.1910134: AFF (26.4)
    PTdis > 0.1910134:
        :...RRmean > 0.1619879: AFF (36.9/6.5)
        RRmean <= 0.1619879:
            :...Tseg > 0.7919723: AFF (34.6/8.2)
            Tseg <= 0.7919723:
                :...STslope <= 0.4247093: CHF (316.9/38.1)
                STslope > 0.4247093: AFF (11.9)

```

----- Trial 3: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (88.1)
RTdis > 0.1667871:

```

```

:...NNTot <= 0.3677419:
:   ...SDRR <= 0.002095731: CHF (19.8)
:   SDRR > 0.002095731: ARR (114)
NNTot > 0.3677419:
:   ...SDSD <= 0.001280905: CHF (68.5/2.2)
:   SDSD > 0.001280905:
:   ...Tseg > 0.79299: CHF (25.5/0.4)
:   Tseg <= 0.79299:
:   ...QToffdis <= 0.1960591: CHF (24.5/0.9)
:   QToffdis > 0.1960591:
:   ...NN50 > 0.4594595: AFF (126.2/2.6)
:   NN50 <= 0.4594595:
:   ...SDSD <= 0.004591499:
:   ...PonTdis <= 0.2028075: CHF (5/0.4)
:   PonTdis > 0.2028075: AFF (136.7/6.6)
:   SDSD > 0.004591499:
:   ...Pseg > 0.6403654: CHF (57.8)
:   Pseg <= 0.6403654:
:   ...RRTot > 0.3607595: CHF (34.5/0.9)
:   RRTot <= 0.3607595:
:   ...QToffdis <= 0.5868583: AFF (89.3/10.1)
:   QToffdis > 0.5868583: CHF (14.2)

```

----- Trial 4: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (66.8)
RTdis > 0.1667871:
:...NNTot <= 0.3677419:
:   ...Pseg <= 0.0873682: CHF (15.4/0.3)
:   Pseg > 0.0873682: ARR (86)
NNTot > 0.3677419:
:   ...NNTot > 0.483871: AFF (76.6)
:   NNTot <= 0.483871:
:   ...NNTot <= 0.4451613:
:   ...SToffdis > 0.5884368: CHF (3.9)
:   SToffdis <= 0.5884368:
:   ...NNTot <= 0.3741935: CHF (4.2)
:   NNTot > 0.3741935: AFF (83.3/4.5)
:   NNTot > 0.4451613:
:   ...PTdis <= 0.1910134: AFF (18.9)
:   PTdis > 0.1910134:
:   ...STseg > 0.6004385: AFF (35.8/1.7)
:   STseg <= 0.6004385:
:   ...NNTot <= 0.4645161:
:   ...IBISD <= 0.03453309: CHF (205.2)
:   IBISD > 0.03453309:
:   ...Pseg <= 0.5760706: AFF (36.8/6.9)
:   Pseg > 0.5760706: CHF (42.5)
:   NNTot > 0.4645161:
:   ...QRseg > 0.5539283: CHF (24.4)
:   QRseg <= 0.5539283:
:   ...PonToffdis <= 0.2519847: CHF (22.2)

```

```

PonToffdis > 0.2519847:
:...QTseg <= 0.1178388: CHF (13.9)
    QTseg > 0.1178388: AFF (68.2/11.6)

```

----- Trial 5: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (50.6)
RTdis > 0.1667871:
:...NNTot <= 0.3677419:
    :...SDRR <= 0.002095731: CHF (11.4)
    :   SDRR > 0.002095731: ARR (79)
    NNTot > 0.3677419:
    :...NNTot > 0.483871: AFF (58.1)
    NNTot <= 0.483871:
    :...PTdis > 0.5577416: AFF (18.6)
    PTdis <= 0.5577416:
    :...SDSD > 0.02954469:
        :...NN50 <= 0.3513514: CHF (23.9)
        :   NN50 > 0.3513514: AFF (62)
        SDSD <= 0.02954469:
        :...PTdis <= 0.1910204: AFF (45.2/16.6)
        PTdis > 0.1910204:
        :...PPmean > 0.1623282: AFF (27.9/11.5)
        PPmean <= 0.1623282:
        :...SDRR <= 0.02482285: CHF (346.5/17.1)
        SDRR > 0.02482285:
        :...PonRdis <= 0.3855436: CHF (68.7/10.9)
        PonRdis > 0.3855436: AFF (12.1/0.3)

```

----- Trial 6: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (38.9)
RTdis > 0.1667871:
:...NNTot <= 0.3677419: ARR (69.5/8.8)
    NNTot > 0.3677419:
    :...NNTot > 0.483871: AFF (44.7)
    NNTot <= 0.483871:
    :...STseg > 0.7408792: AFF (18.1)
    STseg <= 0.7408792:
    :...NN50 > 0.3783784:
        :...SDRR <= 0.03530982: CHF (40.6/4.5)
        :   SDRR > 0.03530982: AFF (68.3)
        NN50 <= 0.3783784:
        :...STslope > 0.4247093: AFF (18.1)
        STslope <= 0.4247093:
        :...PonTdis > 0.5528697: AFF (15/0.2)
        PonTdis <= 0.5528697:
        :...STslope <= 0.2456336: CHF (403.2/30.9)
        STslope > 0.2456336:
        :...QTdis <= 0.2026339: AFF (21.6/0.6)

```



QTdis > 0.2026339: CHF (66.2/9.1)

----- Trial 7: -----

Decision tree:

```
RTdis <= 0.1667871: NSR (29.9)
RTdis > 0.1667871:
:...IBIM > 0.1452918: ARR (38)
  IBIM <= 0.1452918:
:...NNTot <= 0.3741935: CHF (28.9/8.6)
  NNTot > 0.3741935:
:...RRTot <= 0.221519: AFF (69.3)
  RRTot > 0.221519:
:...SDSD <= 0.001218809: CHF (145.6/1.7)
  SDSD > 0.001218809:
:...QRdis > 0.5042374: CHF (69.1/4.9)
  QRdis <= 0.5042374:
:...PQdis > 0.589033: CHF (26.6/1.6)
  PQdis <= 0.589033:
:...PQslope > 0.8777664: AFF (83.8/3.4)
  PQslope <= 0.8777664:
:...Tseg <= 0.3603433: CHF (43.1/0.9)
  Tseg > 0.3603433:
:...NNTot <= 0.4451613: AFF (54.4/1.7)
  NNTot > 0.4451613:
:...NNTot > 0.4645161:
  :...STseg <= 0.4583217: CHF (13.5/1.7)
  :   STseg > 0.4583217: AFF (84.7/7.4)
  NNTot <= 0.4645161:
  :...NN50 > 0.5675676: AFF (10.3)
  NN50 <= 0.5675676:
  :...STslope <= 0.2575125: CHF (98.2/3.3)
  STslope > 0.2575125: AFF (8.8/0.4)
```

----- Trial 8: -----

Decision tree:

```
SToffdis <= 0.1922232: NSR (22.1/0.1)
SToffdis > 0.1922232:
:...NNTot <= 0.3677419:
  :...SDSD <= 0.001366355: CHF (14)
  :   SDSD > 0.001366355: ARR (93.5)
  NNTot > 0.3677419:
:...NNTot > 0.483871: AFF (86.8/0.8)
  NNTot <= 0.483871:
  :...RRmean > 0.1718247: AFF (46.6)
  RRmean <= 0.1718247:
  :...SDSD <= 0.001303661: CHF (115.1)
  SDSD > 0.001303661:
  :...PTdis > 0.5577416: AFF (18.8)
  PTdis <= 0.5577416:
  :...SDSD <= 0.001511497: AFF (24.6)
```

```

SDSD > 0.001511497:
...QRdis > 0.4762217: CHF (67.5)
QRdis <= 0.4762217:
...pNN50 > 0.3835723: AFF (69.7/7.8)
pNN50 <= 0.3835723:
...QRdis > 0.4587311: AFF (16.6)
QRdis <= 0.4587311:
...NNTot <= 0.4451613: AFF (49/12.4)
NNTot > 0.4451613:
...PTdis <= 0.1910134: AFF (14.2)
PTdis > 0.1910134: CHF (165.5/13.2)

```

----- Trial 9: -----

Decision tree:

```

RTdis <= 0.1667871: NSR (93.2)
RTdis > 0.1667871:
...NNTot <= 0.3677419:
...SDSD <= 0.001366355: CHF (10.7)
: SDSD > 0.001366355: ARR (71.1)
NNTot > 0.3677419:
...NNTot > 0.483871: AFF (76.4)
NNTot <= 0.483871:
...PonRdis <= 0.1391179: AFF (50.5/1.1)
PonRdis > 0.1391179:
...IBISD <= 0.02059357:
...IBIM <= 0.1222248: CHF (268.9/25.2)
: IBIM > 0.1222248: AFF (12.7)
IBISD > 0.02059357:
...PonQdis <= 0.1980509: CHF (43.7/1)
PonQdis > 0.1980509:
...Pseg > 0.6370179: CHF (35.2/5.8)
Pseg <= 0.6370179:
...RToffdis <= 0.2252389: CHF (5.8)
RToffdis > 0.2252389:
...Pseg <= 0.3462449: CHF (9.9/1)
Pseg > 0.3462449: AFF (125.7/8.1)

```

Evaluation on training data (804 cases):

Trial	Decision Tree	
-----	Size	Errors
0	14	6( 0.7%)
1	8	36( 4.5%)
2	11	40( 5.0%)
3	13	55( 6.8%)
4	16	14( 1.7%)
5	12	27( 3.4%)
6	11	18( 2.2%)
7	15	59( 7.3%)

```

      8      14  17( 2.1%)
      9      12  21( 2.6%)
boost          0( 0.0%)  <<

```

```

      (a)  (b)  (c)  (d)  <-classified as
-----
      189              (a): class AFF
              220      (b): class ARR
              194      (c): class CHF
              201      (d): class NSR

```

#### Attribute usage:

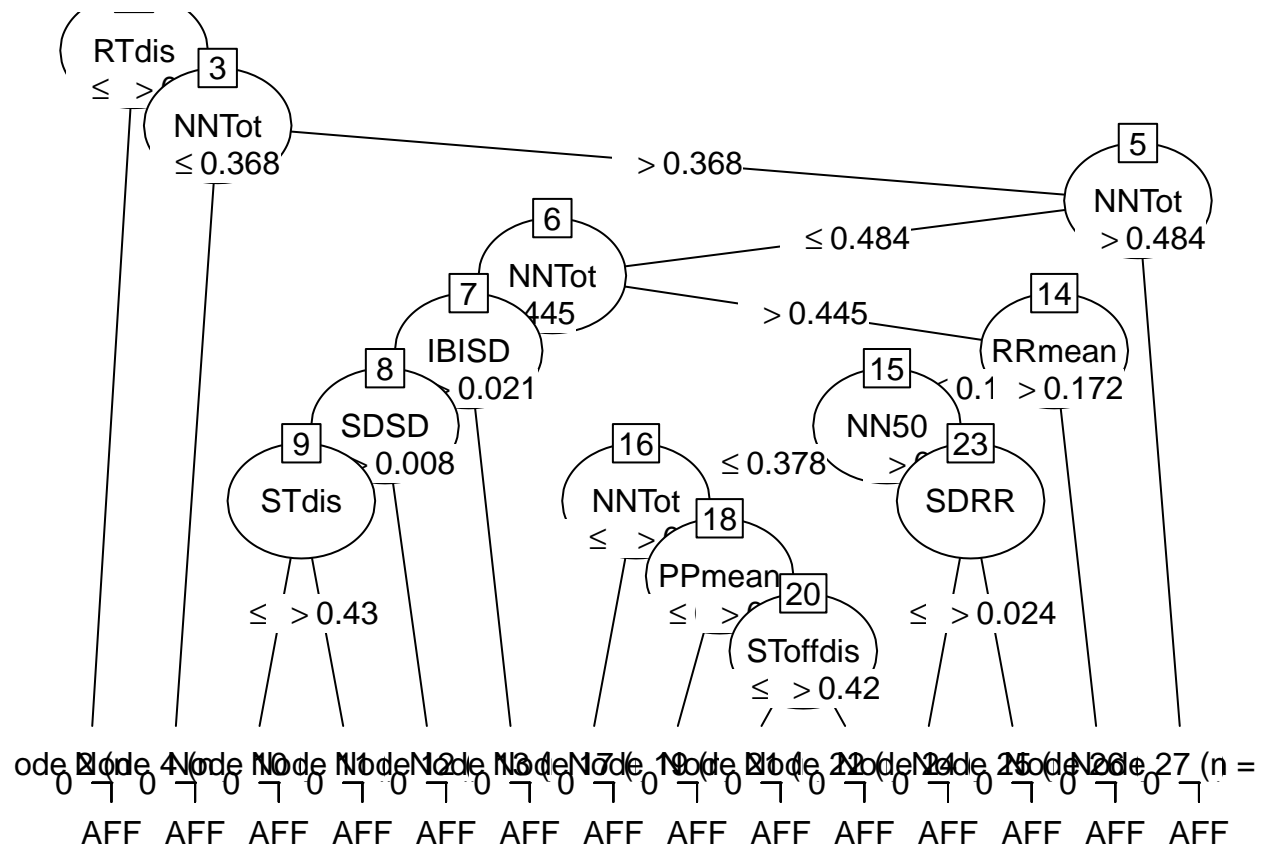
```

100.00% RTdis
100.00% SToffdis
 75.87% NNTot
 75.00% IBIM
 75.00% SDSD
 52.11% SDRR
 49.88% STdis
 49.50% Pseg
 47.39% RRTot
 46.89% Tseg
 46.89% NN50
 37.94% QToffdis
 36.82% STseg
 35.70% PonTdis
 34.08% QRdis
 30.85% PTdis
 30.72% RRmean
 30.60% PonRdis
 30.60% IBISD
 30.47% STslope
 29.85% PQdis
 27.86% PQslope
 24.25% PPmean
 15.92% pNN50
 11.82% PonQdis
   6.97% RToffdis
   6.34% QRseg
   5.60% QTseg
   4.85% PonToffdis
   4.73% QTdis

```

Time: 0.2 secs

```
plot(model_tree_2)
```



```
set.seed(seed)
pred_tree_2 <- predict(model_tree_2, test_data)
matriz_confusion_tree_2 <- confusionMatrix(pred_tree_2, test_data$ECG_signal)
matriz_confusion_tree_2
```

#### Confusion Matrix and Statistics

		Reference			
Prediction		AFF	ARR	CHF	NSR
AFF	104	1	2	1	
ARR	1	79	2	0	
CHF	6	0	102	0	
NSR	0	0	0	98	

#### Overall Statistics

Accuracy : 0.9672  
 95% CI : (0.9445, 0.9824)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.956

Mcnemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.9369	0.9875	0.9623	0.9899
Specificity	0.9860	0.9905	0.9793	1.0000
Pos Pred Value	0.9630	0.9634	0.9444	1.0000
Neg Pred Value	0.9757	0.9968	0.9861	0.9966
Prevalence	0.2803	0.2020	0.2677	0.2500
Detection Rate	0.2626	0.1995	0.2576	0.2475
Detection Prevalence	0.2727	0.2071	0.2727	0.2475
Balanced Accuracy	0.9615	0.9890	0.9708	0.9949

Table 7: Comparación de Modelos ('Árbol de clasificación')

	Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
2	Tree with boosting	0.967	0.956	0.033	0.937	0.988	0.962	0.99
1	Tree without boosting	0.952	0.936	0.048	0.928	0.988	0.915	0.99

Si comparamos ambos modelos observamos que el modelo obtenido activando boosting tiene una mayor precisión, el valor kappa es superior en el modelo con boosting y el valor de error es superior en el modelo con boosting.

Los valores de sensibilidad para el modelo con mejor precisión son 93.7% para la clase AFF, 98.8% para la clase ARR, 96.2% para la clase CHF y 99% para la última clase NSR.

Si las características de los modelos de árbol de clasificación son similares, optaremos por elegir la opción más sencilla.

## Random Forest

En este último apartado implementaremos el último algoritmo de la práctica evaluable. Se trata del algoritmo **Random Forest**. Para implementar los dos últimos modelos, usaremos la función `randomForest` del paquete *randomForest* (Liaw and Wiener 2002). Se presentará de forma gráfica la evolución del error de nuestras clases a medida que se construyen los árboles. Además, se presentará una tabla con las métricas de ambos modelos derivadas de las matrices de confusión.

```
set.seed(seed)

modelo_rforest_1 <- randomForest(ECG_signal ~ ., data = train_data, ntree = 100)
modelo_rforest_1
```

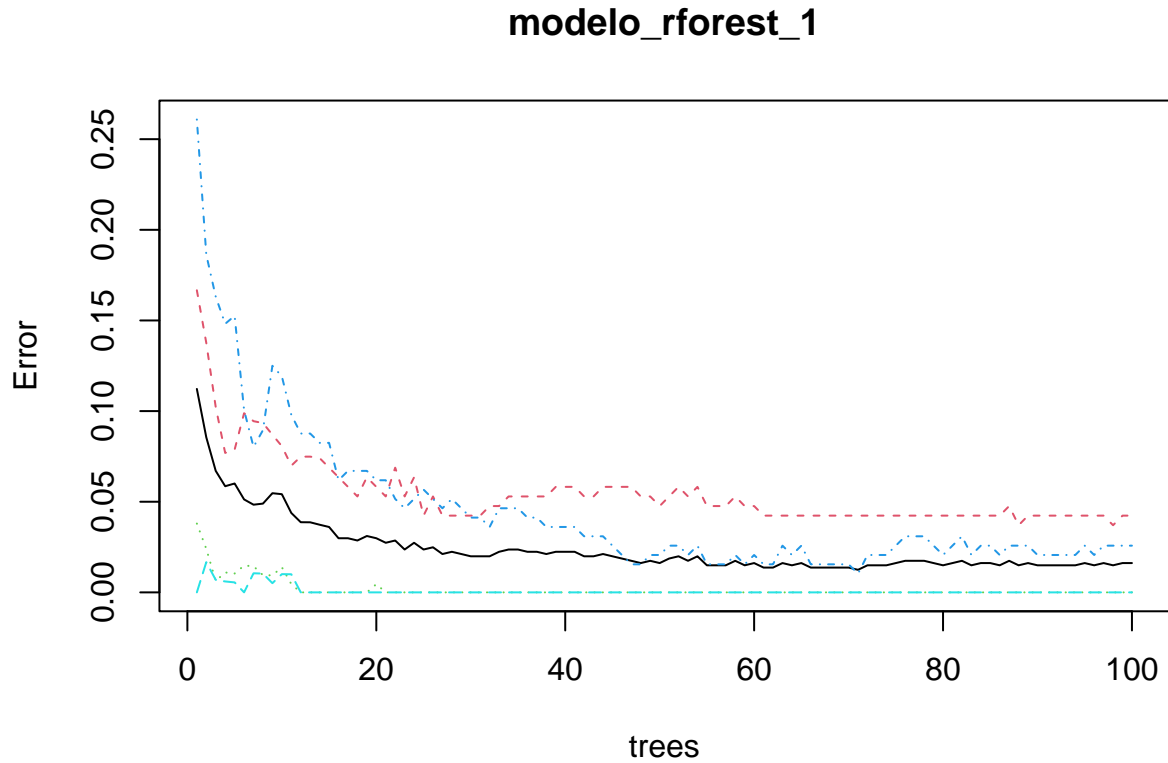
Call:

```
randomForest(formula = ECG_signal ~ ., data = train_data, ntree = 100)
      Type of random forest: classification
      Number of trees: 100
No. of variables tried at each split: 6
```

```
      OOB estimate of  error rate: 1.62%
Confusion matrix:
      AFF ARR CHF NSR class.error
AFF 181   0   8   0  0.04232804
ARR   0 220   0   0  0.00000000
```

```
CHF 4 1 189 0 0.02577320
NSR 0 0 0 201 0.00000000
```

```
plot(modelo_rforest_1)
```



```
set.seed(seed)
pred_rforest_1 <- predict(modelo_rforest_1, newdata = test_data)
matriz_confusion_rforest_1 <- confusionMatrix(pred_rforest_1 , test_data$ECG_signal)
matriz_confusion_rforest_1
```

Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	106	0	1	0
ARR	0	80	1	0
CHF	5	0	104	0
NSR	0	0	0	99

Overall Statistics

```
Accuracy : 0.9823
 95% CI : (0.9639, 0.9929)
No Information Rate : 0.2803
P-Value [Acc > NIR] : < 2.2e-16
```

```
Kappa : 0.9763
```

McNemar's Test P-Value : NA

Statistics by Class:

	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.9550	1.0000	0.9811	1.00
Specificity	0.9965	0.9968	0.9828	1.00
Pos Pred Value	0.9907	0.9877	0.9541	1.00
Neg Pred Value	0.9827	1.0000	0.9930	1.00
Prevalence	0.2803	0.2020	0.2677	0.25
Detection Rate	0.2677	0.2020	0.2626	0.25
Detection Prevalence	0.2702	0.2045	0.2753	0.25
Balanced Accuracy	0.9757	0.9984	0.9819	1.00

```
set.seed(seed)
```

```
modelo_rforest_2 <- randomForest(ECG_signal ~ ., data = train_data, ntree = 200)
modelo_rforest_2
```

Call:

```
randomForest(formula = ECG_signal ~ ., data = train_data, ntree = 200)
```

Type of random forest: classification

Number of trees: 200

No. of variables tried at each split: 6

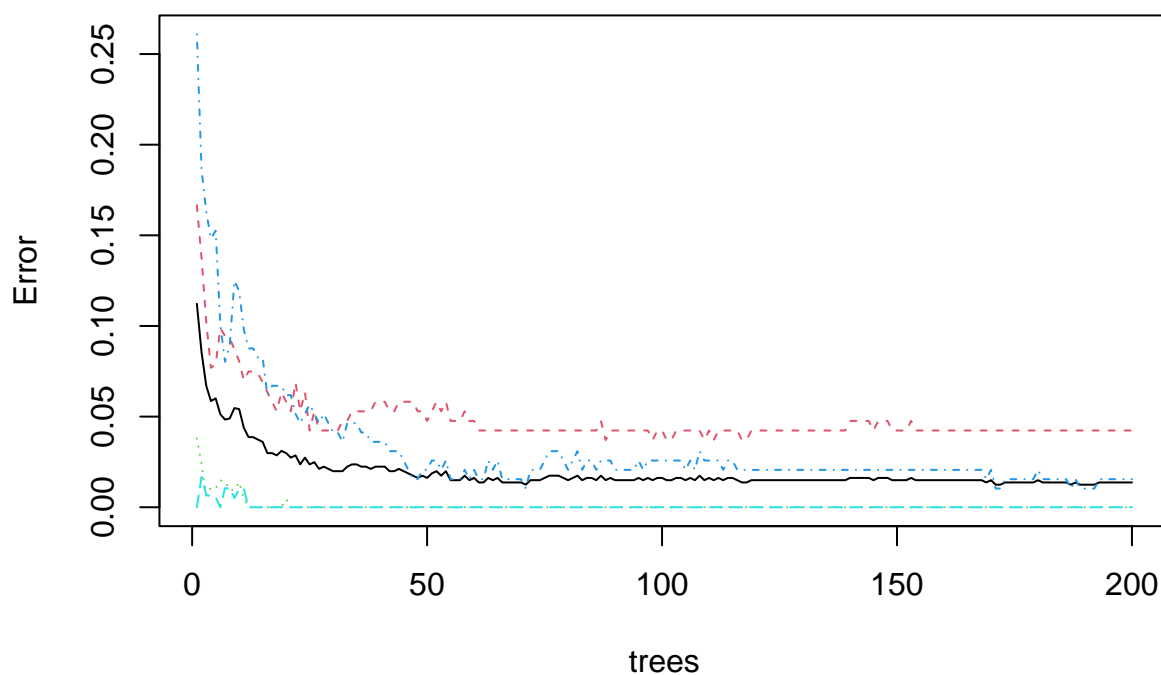
OOB estimate of error rate: 1.37%

Confusion matrix:

	AFF	ARR	CHF	NSR	class.error
AFF	181	0	8	0	0.04232804
ARR	0	220	0	0	0.00000000
CHF	2	1	191	0	0.01546392
NSR	0	0	0	201	0.00000000

```
plot(modelo_rforest_2)
```

## modelo\_rforest\_2



```
set.seed(seed)
pred_rforest_2 <- predict(modelo_rforest_2, newdata = test_data)
matriz_confusion_rforest_2 <- confusionMatrix(pred_rforest_2 , test_data$ECG_signal)
matriz_confusion_rforest_2
```

### Confusion Matrix and Statistics

	Reference			
Prediction	AFF	ARR	CHF	NSR
AFF	105	0	1	0
ARR	0	80	1	0
CHF	6	0	104	0
NSR	0	0	0	99

### Overall Statistics

Accuracy : 0.9798  
 95% CI : (0.9606, 0.9912)  
 No Information Rate : 0.2803  
 P-Value [Acc > NIR] : < 2.2e-16

Kappa : 0.9729

Mcnemar's Test P-Value : NA

Statistics by Class:



	Class: AFF	Class: ARR	Class: CHF	Class: NSR
Sensitivity	0.9459	1.0000	0.9811	1.00
Specificity	0.9965	0.9968	0.9793	1.00
Pos Pred Value	0.9906	0.9877	0.9455	1.00
Neg Pred Value	0.9793	1.0000	0.9930	1.00
Prevalence	0.2803	0.2020	0.2677	0.25
Detection Rate	0.2652	0.2020	0.2626	0.25
Detection Prevalence	0.2677	0.2045	0.2778	0.25
Balanced Accuracy	0.9712	0.9984	0.9802	1.00

Table 8: Comparación de Modelos ('Ramdon Forest')

Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
rForest n=100	0.982	0.976	0.018	0.955	1	0.981	1
rForest n=200	0.980	0.973	0.020	0.946	1	0.981	1

Comparando los dos ultimos modelos observamos que el modelo obtenido con un número de árboles igual a 100 tiene una mayor precisión , el valor kappa también es superior en el modelo con un número de árboles igual a 100 y el valor de error es superior en el modelo con un número de árboles igual a 100 .

Los valores de sensibilidad para el modelo con mejor precisión son 95.5% para la clase AFF, 100% para la clase ARR, 98.1% para la clase CHF y 100% para la última clase NSR.

Como en los modelos anteriores, si obtenemos métricas muy similares, volveremos a elegir el más sencillo.

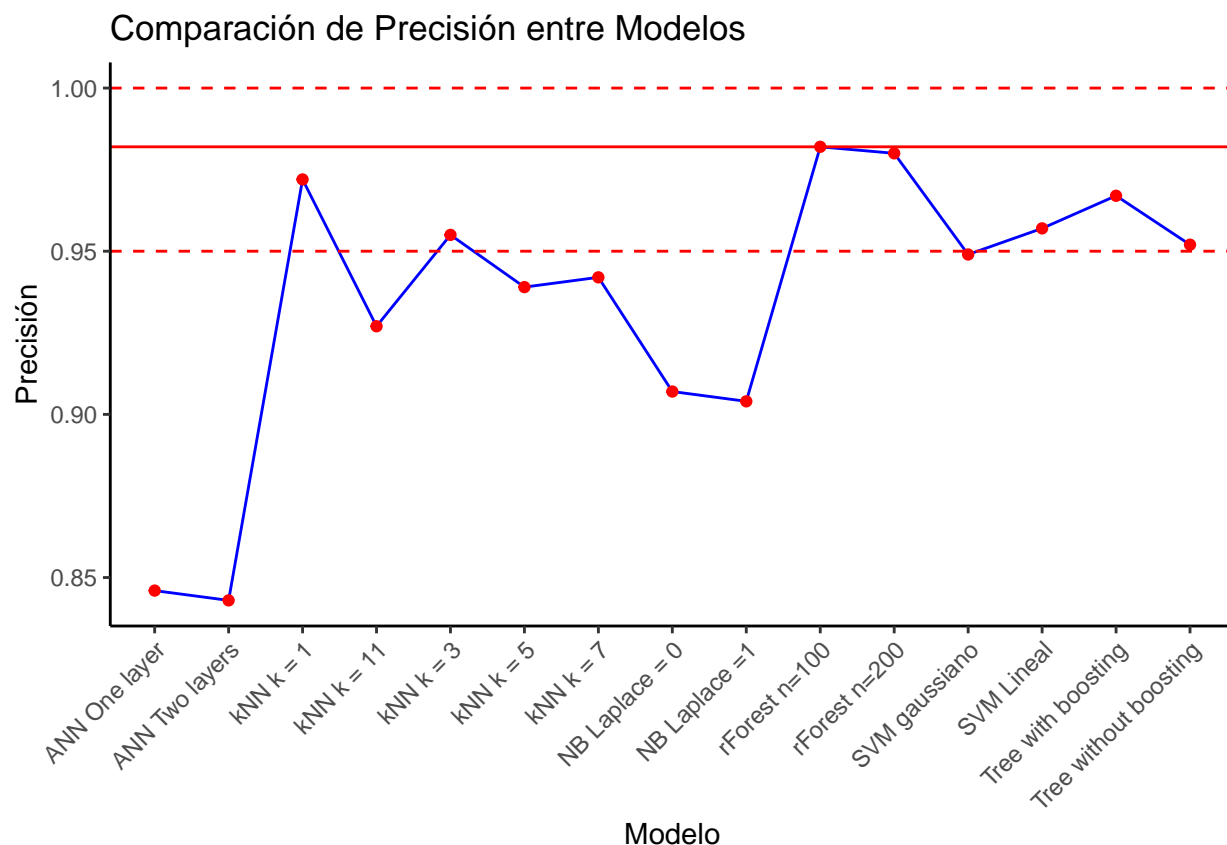
## Discusión y Conclusión

En la siguiente tabla se presentan todos los modelos implementados en esta actividad, tenemos 15 modelos. Se incluyen las métricas de precisión (Accuracy), el valor Kappa, el ratio de error (Error\_rate) y la sensibilidad de cada clase de estudio. Cada modelo se ha ordenado por su valor de precisión de mayor a menor.

Table 9: Modelos

	Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
15	rForest n=100	0.982	0.976	0.018	0.955	1.000	0.981	1.00
25	rForest n=200	0.980	0.973	0.020	0.946	1.000	0.981	1.00
1	kNN k = 1	0.972	0.963	0.028	0.919	1.000	0.981	1.00
24	Tree with boosting	0.967	0.956	0.033	0.937	0.988	0.962	0.99
13	SVM Lineal	0.957	0.943	0.043	0.865	1.000	0.991	0.99
2	kNN k = 3	0.955	0.939	0.045	0.865	1.000	0.972	1.00
14	Tree without boosting	0.952	0.936	0.048	0.928	0.988	0.915	0.99
23	SVM gaussiano	0.949	0.932	0.051	0.865	1.000	0.962	0.99
4	kNN k = 7	0.942	0.922	0.058	0.829	1.000	0.962	1.00
3	kNN k = 5	0.939	0.919	0.061	0.820	1.000	0.962	1.00
5	kNN k = 11	0.927	0.902	0.073	0.829	1.000	0.906	1.00
11	NB Laplace = 0	0.907	0.875	0.093	0.892	0.900	0.858	0.98
21	NB Laplace =1	0.904	0.871	0.096	0.892	0.900	0.849	0.98

	Modelo	Accuracy	Kappa	Error_rate	Sensitivity_AFF	Sensitivity_ARR	Sensitivity_CHF	Sensitivity_NSR
12	ANN One layer	0.846	0.794	0.154	0.622	1.000	0.821	1.00
22	ANN Two layers	0.843	0.791	0.157	0.568	1.000	0.868	1.00



Para la clasificación de dolencias cardiacas hemos explorado distintos tipos de algoritmos. En la tabla anterior, podemos comparar las métricas de cada uno. Los mejores tres modelos se corresponden, de más preciso a menos, con rForest n=100, rForest n=200 y kNN k = 1. La precisión de los modelos varía desde 98.2% hasta 84.3%, lo que nos da una diferencia de un 13.9% entre el primero y el último. Sin embargo, entre el primer modelo y el segundo tenemos una diferencia del 0.2% y una diferencia con el tercero del 1%.

El modelo rForest n=100 tiene las mejores métricas en cuanto a precisión (98.2%), valor Kappa (97.6%), y ratio de error 1.8%. Los valores de sensibilidad para el modelo rForest n=100 con la mejor precisión (98.2%) son 95.5% para la clase AFF, 100% para la clase ARR, 98.1% para la clase CHF, y 100% para la última clase NSR.

A la hora de elegir un modelo, tenemos que tener en cuenta las métricas. Aun así, si nuestros modelos muestran valores muy similares, podemos establecer un valor de corte (cutoff). En nuestro caso, vamos a seleccionar los modelos que tengan una precisión del 95% o más:

Table 10: Modelos Seleccionados

x
rForest n=100
rForest n=200
kNN k = 1

x
Tree with boosting
SVM Lineal
kNN k = 3
Tree without boosting

De los modelos seleccionados, los dos primeros destacan por sus métricas. Como resultado final de esta práctica evaluable, elegimos estos modelos, rForest n=100 y rForest n=200, como los mejores para clasificar las dolencias cardiacas. Si los modelos coinciden en que son del mismo tipo de algoritmo, nos quedaremos únicamente con el más sencillo. De forma adicional, podríamos incluir el tercer tipo de modelo (kNN k = 1).

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