

Lecture 14-Image Blending

Yuyao Zhang PhD

zhangyy8@shanghaitech.edu.cn

SIST Building 2 302-F

Long history of fake images

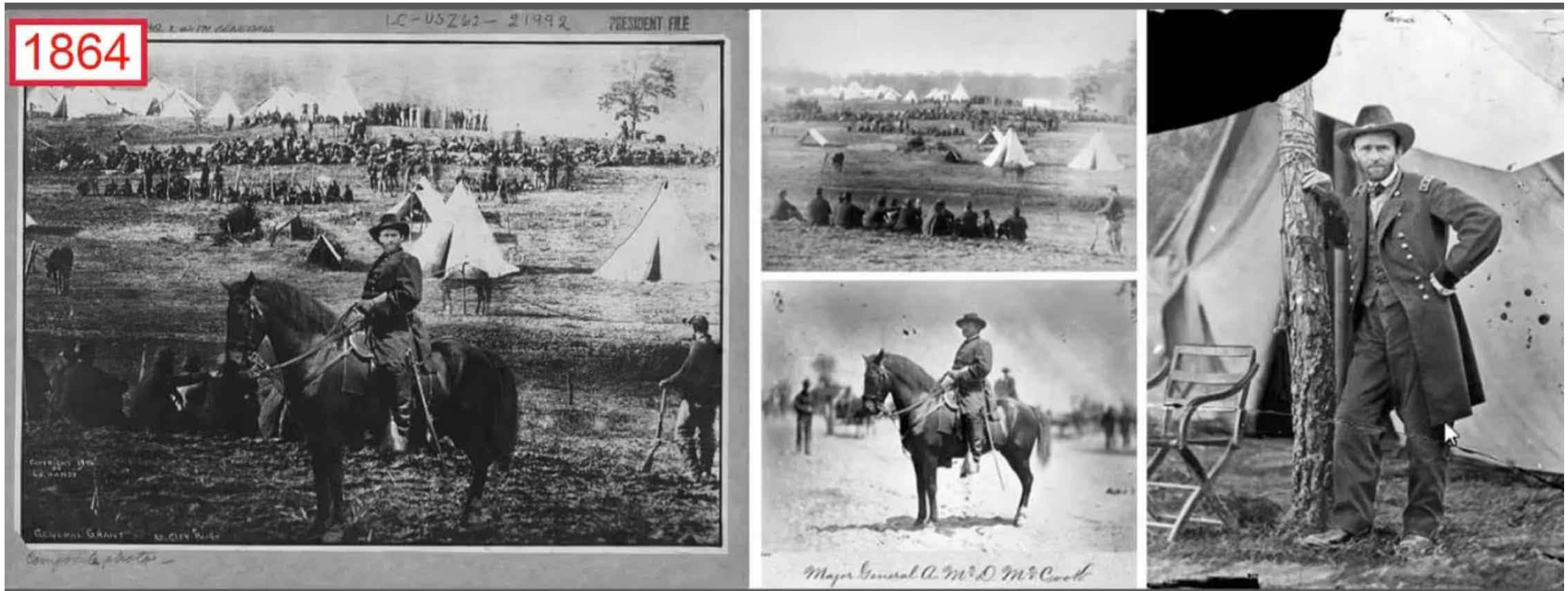


Long history of fake images

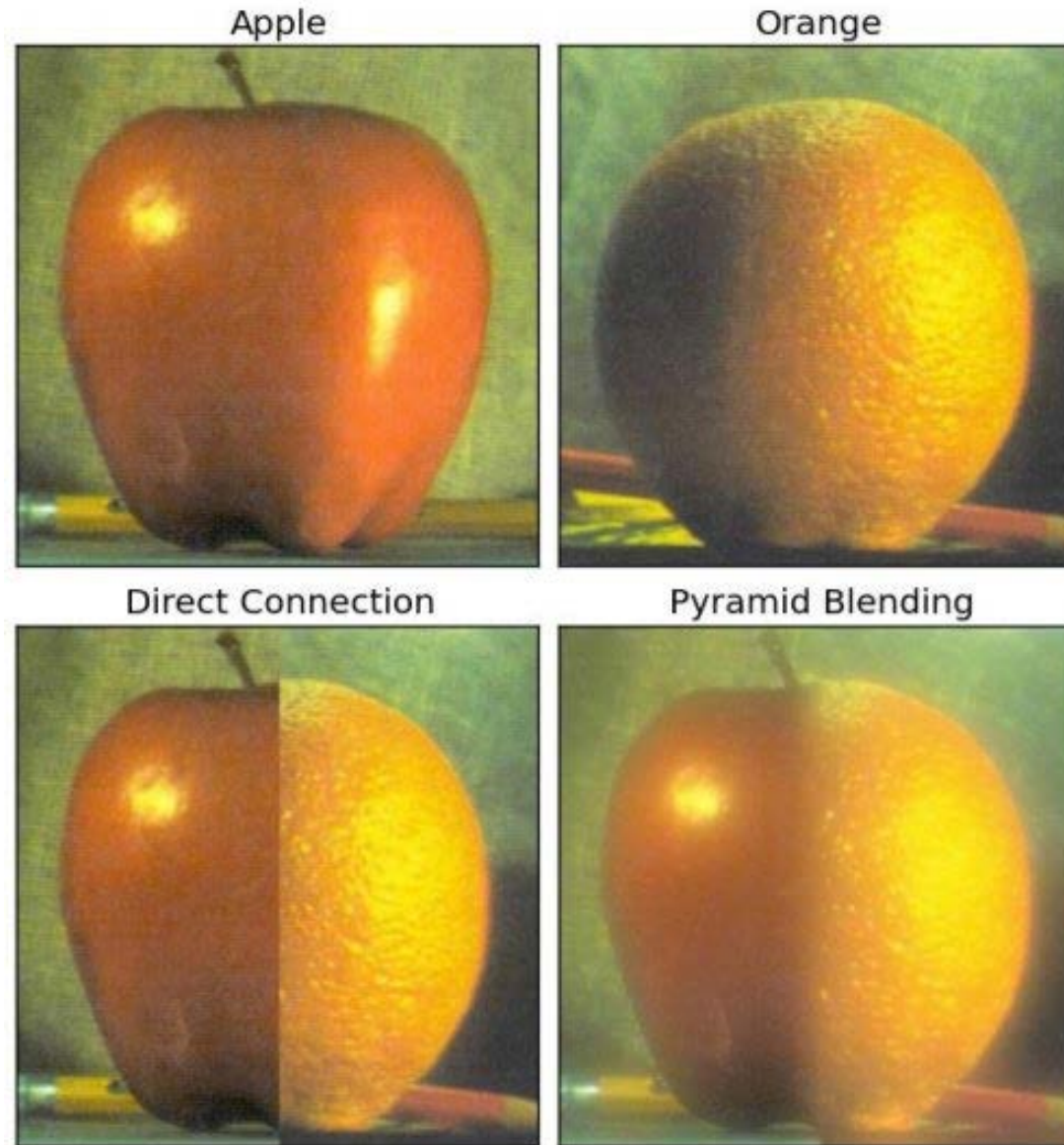
1950



Long history of fake images



Hard edge composition vs Pyramid Blending



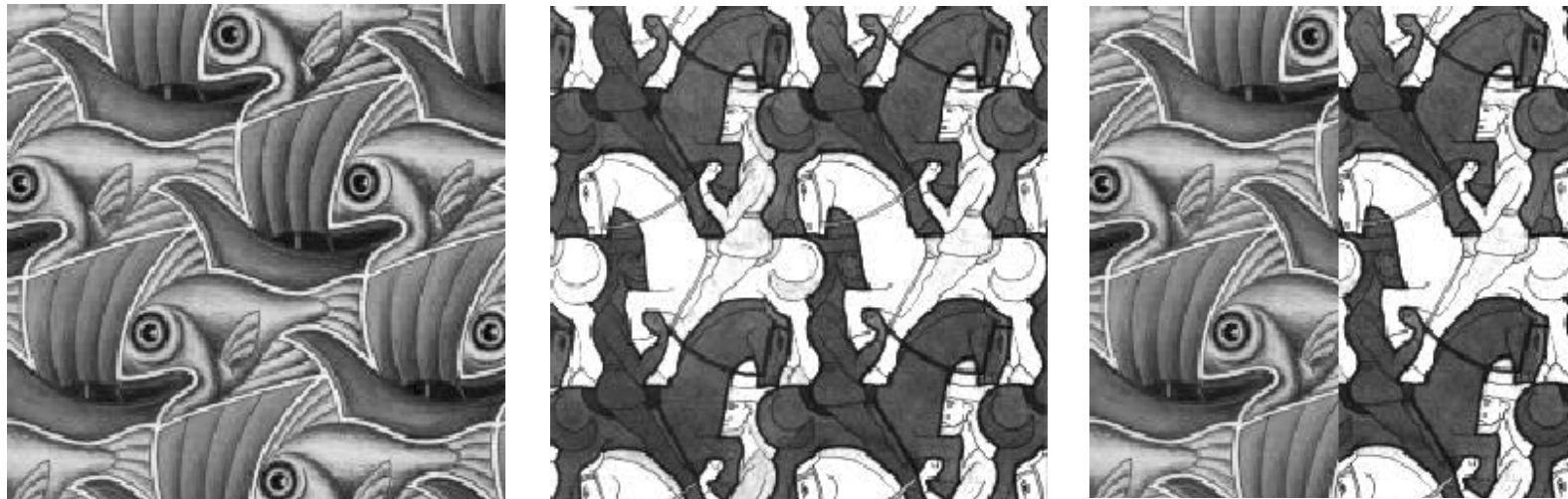
Hard compositing

- Hard compositing:

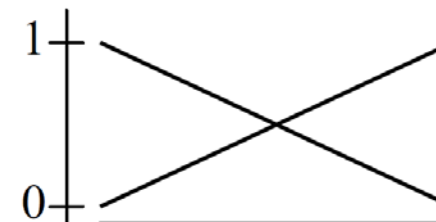
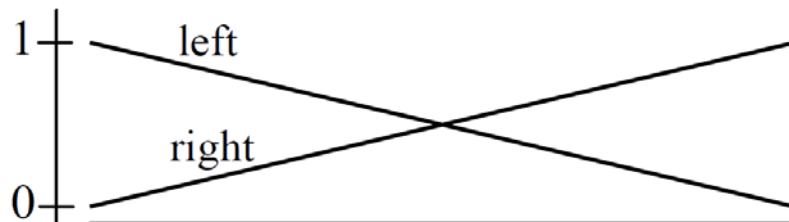
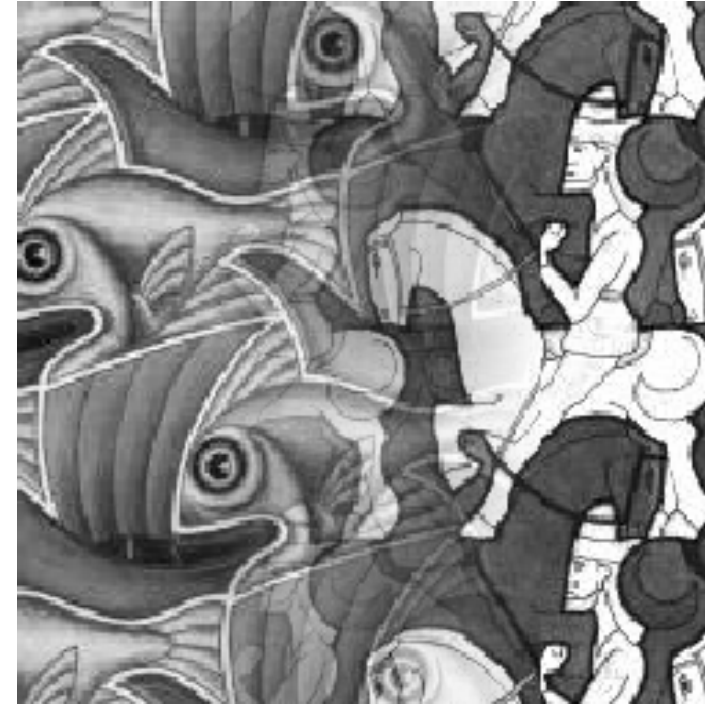
$$I(x, y) = M(x, y)S(x, y) + (1 - M(x, y))T(x, y)$$

$$= \begin{cases} S(x, y) & M(x, y) = 1 \\ T(x, y) & M(x, y) = 0 \end{cases}$$

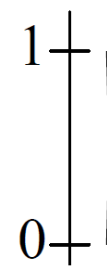
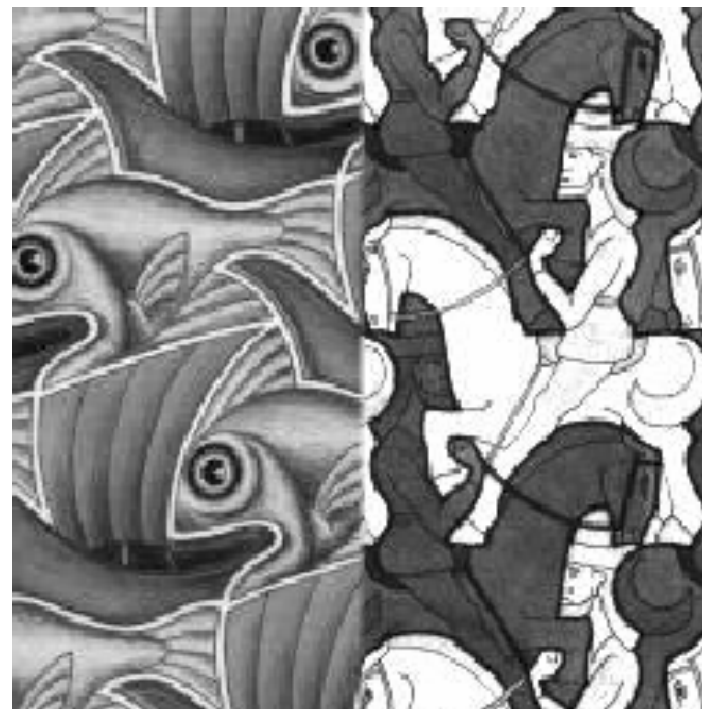
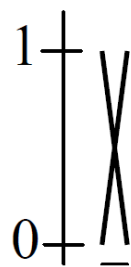
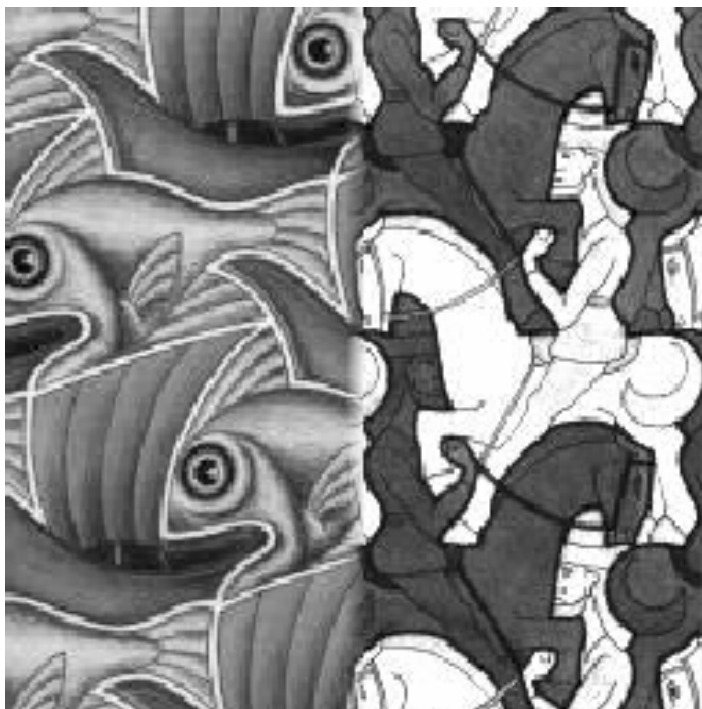
- Generally bad: seam/matte line is visible



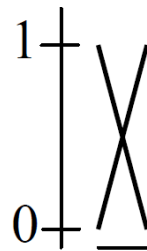
Weighted transition region:



Weighted transition region:



Good window size



Pyramid Blending

➤ Better idea: Multi-resolution blending with a Laplacian pyramid.

- Idea: wide transition regions for low-frequency component, narrow transition regions for high-frequency component (edges).
- Gaussian pyramid:

G = 5x5 Gaussian filter

I_0 = original image (full resolution)

$$\bullet \quad I_i = (G * I_{i-1}) \downarrow 2 \quad \leftarrow \text{Down-sample twice}$$

↑
convolution

- Get a series of smaller and blurry images.

What does blurring take away?



What does blurring take away?



What does blurring take away?

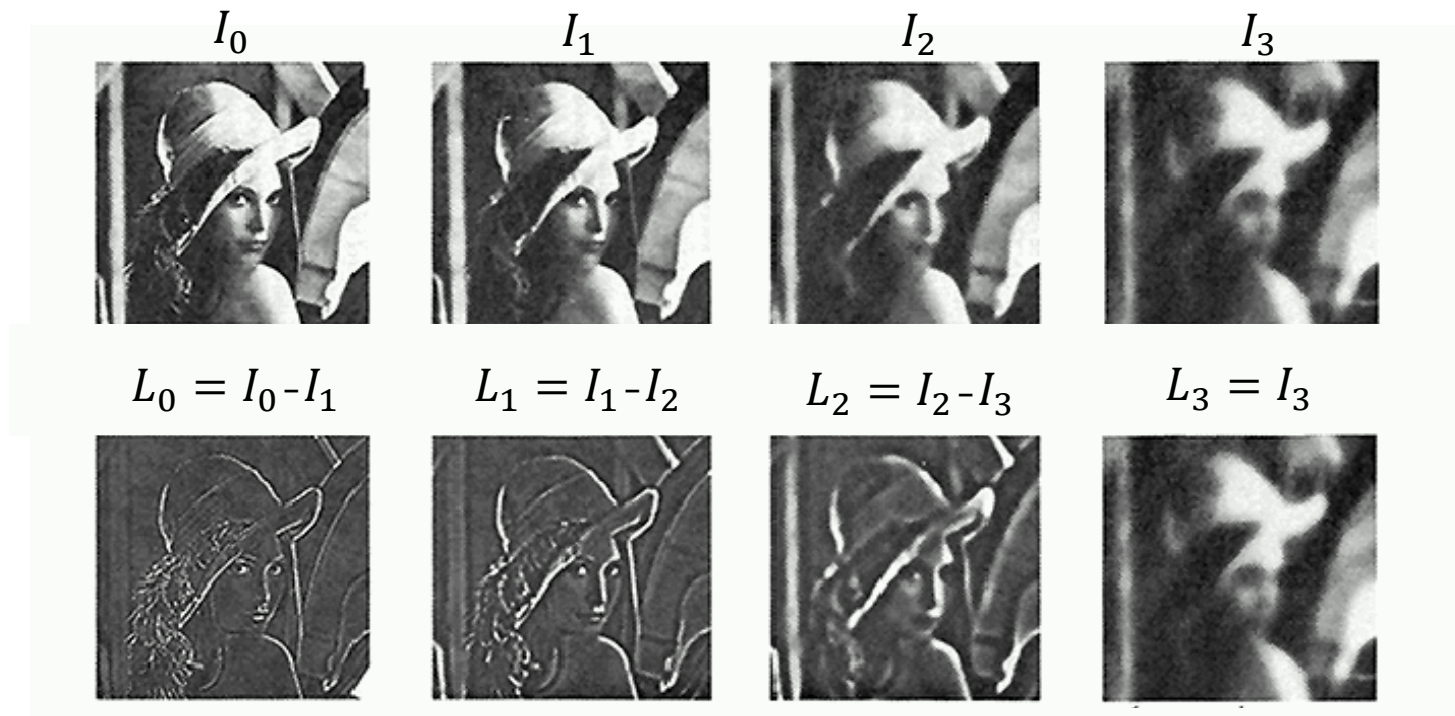


Pyramid Blending

- Difference of Gaussian at each scale:

$$\text{High-pass image at scale } i \longrightarrow L_i = I_i - \boxed{(G * I_i) \downarrow 2} \longleftarrow \text{Blurred version of level } i$$

\uparrow
 Gaussian pyramid image at scale i

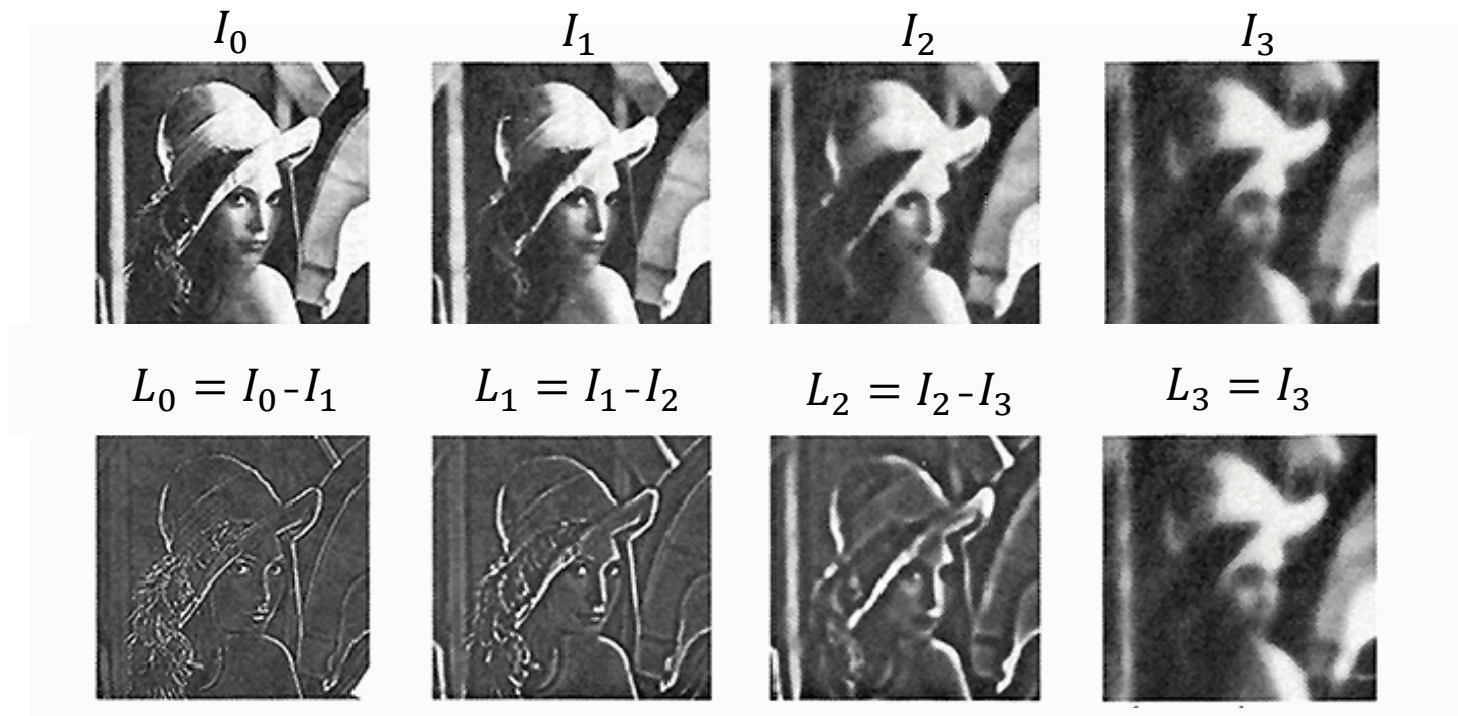


$\{L_i\}$ = the set of L_i form. A Laplacian pyramid $L_1, L_2, L_3 \dots, L_n$

Pyramid Blending

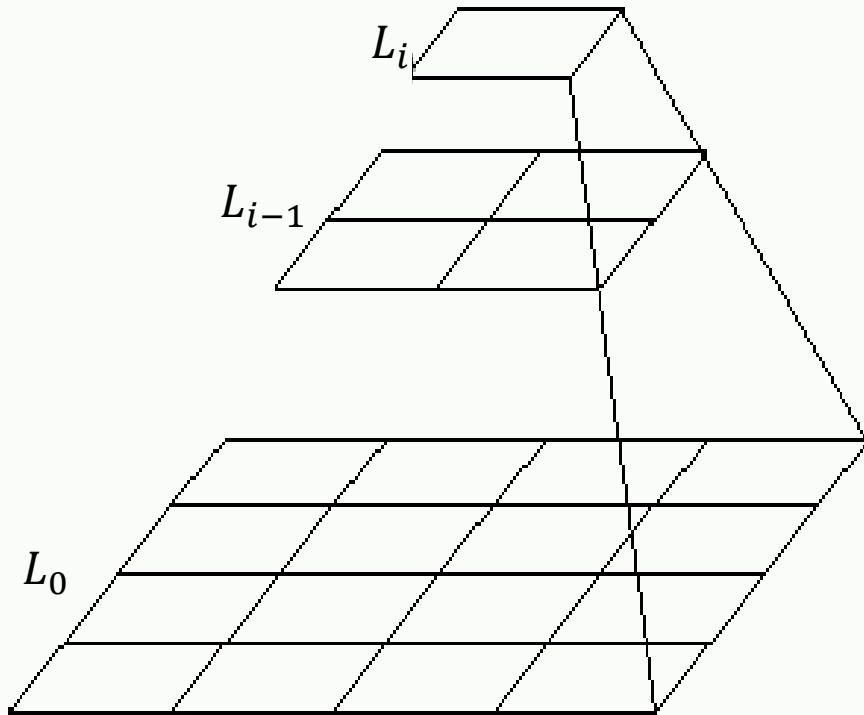
- We can recover the original as:

$$I = \sum_{i=0}^N (L_i) \uparrow$$

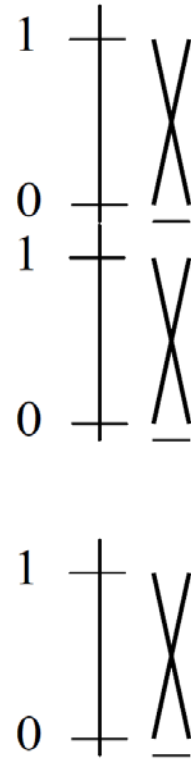


$\{L_i\}$ = the set of L_i form. A Laplacian pyramid $L_1, L_2, L_3 \cdots, L_n$

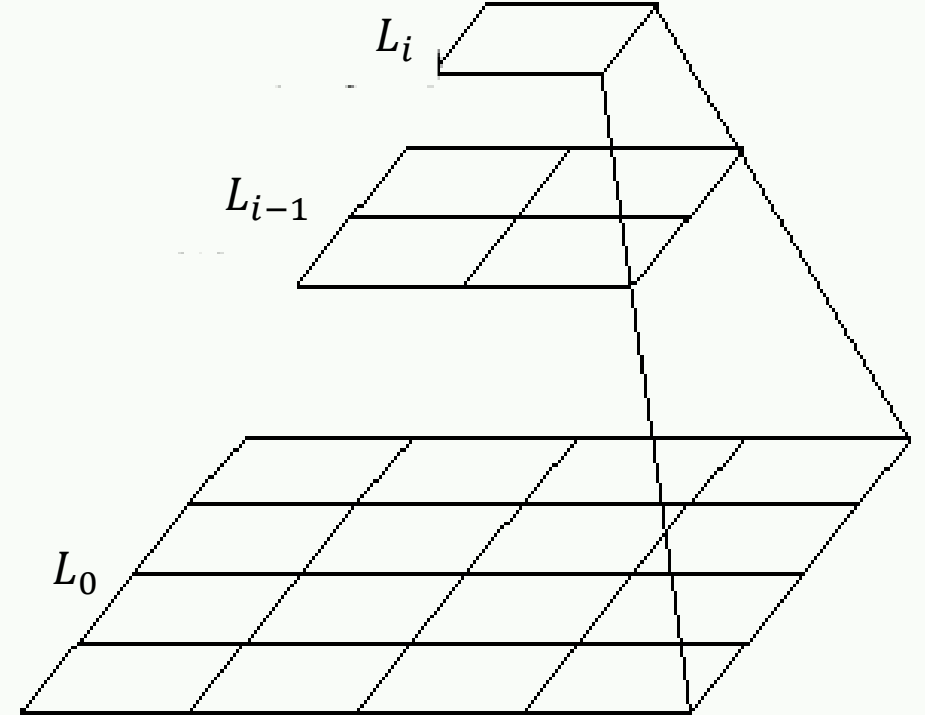
Pyramid Blending



Left pyramid

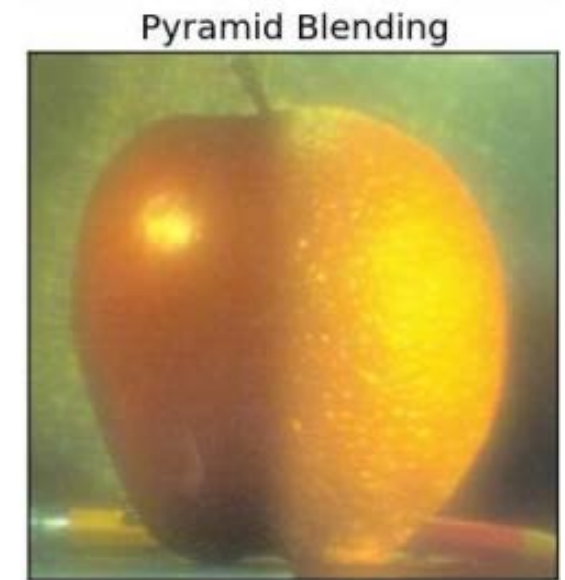
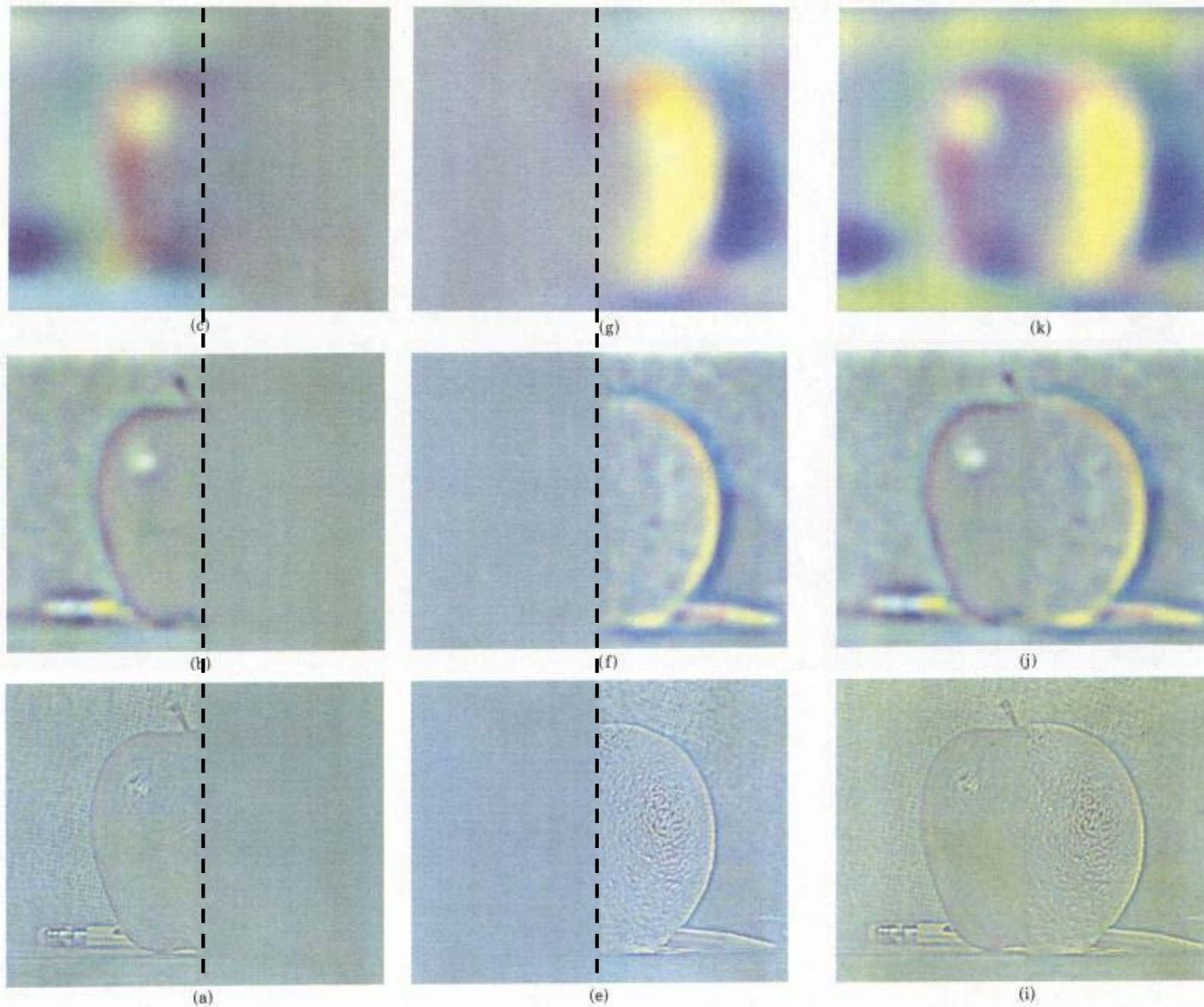


blend



Right pyramid

Pyramid Blending



Season Blending



Season Blending



Target image



Target image with editing region



Source image

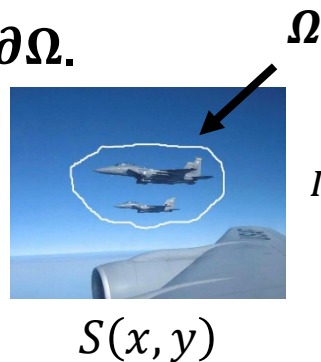


Result of pyramid blending



Poisson image editing

- A even better idea: to reduce the color mismatch between source and target, create composite in gradient domain.
- We want the gradient of the composite inside Ω to look as close as possible to the source image gradient. The composite must match target image on the boundary $\partial\Omega$.



$$\min_{I(x,y) \in \Omega} \|\nabla I(x,y) - \nabla S(x,y)\|^2 dx dy$$

$$s.t. I(x,y) = T(x,y) \text{ on } \partial\Omega$$



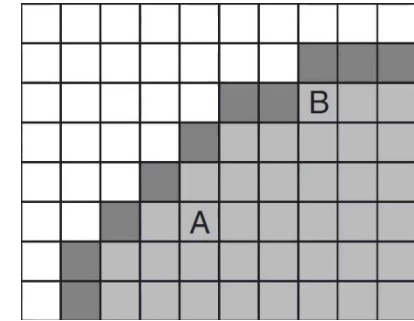
- We want the gradient of the composite inside Ω to look as close as possible to the source image gradient. The composite must match target image on the boundary $\partial\Omega$.

Poisson image editing

➤ Solution for this Pb:

$$\nabla^2 I(x, y) = \nabla^2 S(x, y) \text{ in } \Omega$$

$$I(x, y) = T(x, y) \text{ on } \partial\Omega$$



- Poisson equation
- Discretizing and solving the problem:
- 1) For a pixel A inside Ω ,

$$\nabla^2 I(x, y) = \nabla^2 S(x, y)$$

	1	
1	-4	1
	1	

$$\begin{array}{c} \uparrow \\ I(x+1, y) + I(x, y+1) + \\ I(x-1, y) + I(x, y-1) - \\ 4 * I(x, y) \end{array}$$

$$\begin{array}{c} \uparrow \\ S(x+1, y) + S(x, y+1) + \\ S(x-1, y) + S(x, y-1) - \\ 4 * S(x, y) \end{array}$$

Poisson image editing

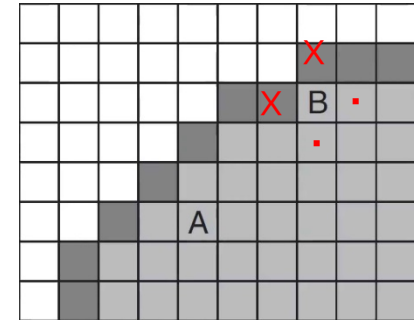
- For a pixel B not inside Ω (whose neighbor is Ω).

$$\nabla^2 I(x, y) = \nabla^2 S(x, y)$$

$$\begin{array}{c} \uparrow \\ I(x+1, y) + I(x, y+1) + \text{(xx)} \\ T(x-1, y) + T(x, y-1) - \text{(..)} \\ 4 * I(x, y) \end{array}$$

$$\begin{array}{c} \uparrow \\ S(x+1, y) + S(x, y+1) + \\ S(x-1, y) + S(x, y-1) - \\ 4 * S(x, y) \end{array}$$

- Big linear system



Source image



Target image



Poisson image editing result



Take home message

- Pyramid image blending is able to merge two images with similar background, however is not robust for color mismatch.
- Poisson image edit is more powerful on image blending Pbs with variations on background color.