

823. Binary Trees With Factors

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Given an array of unique integers, each integer is strictly greater than 1.

We make a binary tree using these integers and each number may be used for any number of times.

Each non-leaf node's value should be equal to the product of the values of it's children.

How many binary trees can we make? Return the answer **modulo** $10^9 + 7$.

Example 1:

Input: A = [2, 4]

Output: 3

Explanation: We can make these trees: [2], [4], [4, 2, 2]

Example 2:

Input: A = [2, 4, 5, 10]

Output: 7

Explanation: We can make these trees: [2], [4], [5], [10], [4, 2, 2], [10, 2, 5], [10, 5, 2].

Note:

1. $1 \leq A.length \leq 1000$.
2. $2 \leq A[i] \leq 10^9$.

Let $dp[i]$ be the number of trees with root i
we have the following functions:

```
dp[i] = sum(dp[j] * dp[j/i])  
res = sum(dp[i])
```

```
class Solution {  
public:  
    long mod = 1000000007;  
    int numFactoredBinaryTrees(vector<int>& A) {  
        unordered_map<int, long> dp;  
        sort(A.begin(), A.end());  
        for(int i=0; i<A.size(); ++i)  
        {  
            dp[A[i]] = 1;  
            for(int j=0; j<i; ++j)  
            {  
                if(A[i] % A[j] == 0 && dp.count(A[i]/A[j]))  
                {  
                    dp[A[i]] = (dp[A[i]] + dp[A[i]/A[j]] * dp[A[j]]) % mod;  
                }  
            }  
        }  
    }  
};
```

```
        }  
    }  
    int sum=0;  
    for(auto it:dp)  
    {  
        sum=(sum+it.second)%mod;  
    }  
    return sum;  
}  
};
```