

# Analyzing Algorithmic Patterns Based on Real Coding Interview Questions

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## I. GENERAL PATTERNS FOR ANALYSIS

### A. Palindrome

Palindromes are extremely useful for searching algorithms, as Palindromes are meant to be the same in both directions, one can easily discover if the input is an actual palindrome. This is helpful for searching because one can search and find the odd character out, or the unique piece of data in some text. This style of algorithm is also space efficient, they normally have a space analysis of  $O(n/2)$  as the algorithm works over two elements of the input at a time. The basic approach of a Palindrome algorithm is to work inwards with both pointers starting at either end of the input and constantly moving towards one another and comparing if the elements are the same.

The following description is a general algorithm for solving the palindrome problem which is a common problem in Java and other languages. This approach can be used to solve numerous other problems by altering the inside of the loop. Pseudocode:

**Data:** Given input of characters, S

**Result:** Boolean

```

1 initialization;
2 leftIndex ← S[0];
3 rightIndex ← S.length-1;
4 while leftIndex < rightIndex do
5   compare leftIndex with rightIndex;
6   if leftIndex != rightIndex then
7     return false;
8   end
9   leftIndex++;
10  rightIndex;
11 end
12 return true;
```

**Algorithm 1:** The Palindrome Algorithm

### B. Merge Sort

Merge Sort is a very powerful algorithm. It is more efficient than most styles of insertion, with a time analysis of  $O(n * \log_n)$ , whereas insertion is  $O(n^2)$ . The idea of merge sort is to divide an array or some input in half and then sort each half before joining it back together. They do not have to be the same size which is useful.

Merge Sort uses the idea of divide and conquer, this means the list to be sorted should be divided up into equal parts first,

then these new smaller parts should be sorted individually first before recreating the full list. Pseudocode:

**Data:** List of unsorted data

**Result:** Sorted List

```

1 if length of A is 1 then
2   return 1
3 else
4   Split A into two halves , L and R. Repeat until
   size of part =1
5   Sort each part individually
6   Merge with another subdivided section into B,
   the sorted list
7   Return B, the sorted structure
8 end
```

**Algorithm 2:** The Merge Sort Algorithm through Recursion

### C. Graphs

Graphs are common in our lives. News media use them to help us visualize certain statistics. Though these are not the graphs that are studied by Computer Scientists. Graphs studied by Computer Scientists and Mathematicians are usually based on the tree structure, and the relationships among data elements. A tree is just one of the special types of graphs that can be studied, where the parent-child relationship is used to organise data. In this section I have focused on the Tree Abstract Data Type, Breadth-First Traversal, Depth-First Traversal and Graphs in general.

1) *Trees*: Trees are one of the most powerful styles of data structures for processing data, this is because they allow rapid searching and fast insertion/deletion of a node. Trees are made up of Nodes, these are just basic Objects which hold some data and have a key. This key allows one to determine where this Node should be in the tree. The important distinction here with these Nodes in comparison to other Nodes used in various data structures, is that these Nodes contain references to children instead of just the next Link. Each Node has exactly one parent, but can many children. There is a special style of Trees known as a Binary Tree. This is a Tree which has between 0 and 2 children. The first Node in a tree is the Root, and it is possible to traverse to any Node in the Tree from this Root Node. With Trees the main function one must take care of is how to traverse them. There are three basic styles of traversal: inorder, preorder and postorder. Inorder visits every

Node in ascending order based on their key values. Preorder is where the root is visited first, followed by its left subtree and then its right subtree. Finally, postorder is where the left subtree is followed by the right subtree and then the root. The following is an example of how one might search for a particular Node in a Tree. Pseudocode:

```

Data: Given a key to search for
Result: The desired Node, or null
1 initialization;
2  $Node_{current} \leftarrow \text{root}$ ;
3 while  $current.data$  is not key do
4   if  $current$  is null then
5     return null;
6   end
7   if  $current.data > key$  then
8     move left on the tree;
9   else
10    move right on the tree;
11  end
12 end
13 return  $current$ ;

```

**Algorithm 3:** Finding a specific Node in a tree based on the key

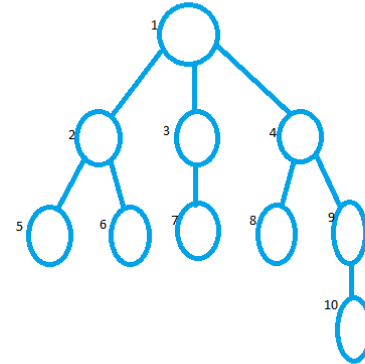


Fig. 1. Breadth-First Traversal

```

Data: Tree
Result: Print out in PreOrder
1 if  $localRoot \neq null$  then
2   Print( $localRoot$  data)
3   preOrder( $localRoot$  leftChild)
4   preOrder( $localRoot$  rightChild);
5 end

```

**Algorithm 4:** Basic Tree Traversal using PreOrder Traversal

2) *Breadth-First Traversal*: This is a special way to visit the nodes in a tree, the ordering in this traversal pattern is to visit the root node, then move onto the children of the root node, printing each child in turn. It then will repeat this for each child of these nodes. The following image shows the nodes in numerical order of visitation when using Breadth-First Traversal.

3) *Depth-First Traversal*: This is a second way of visiting nodes in a tree. This pattern involves starting at the root node, then going to the left most child, then repeating this movement until the traversal reaches a leaf node (a node which has no children), then it will move back up one node and try to visit the next child node of this current node. It repeats this until the traversal finds no unvisited node. The following image shows the nodes in numerical order of visitation when using Depth-First Traversal.

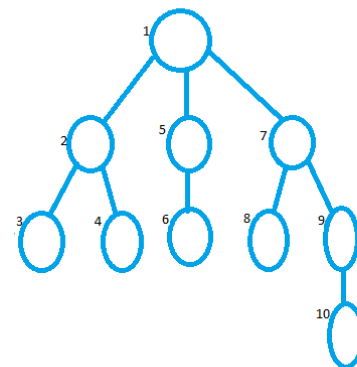


Fig. 2. Depth-First Traversal