

Activity 1.7

1 Using software on your computer (for example, text colour option in *Word*), find out what colours would be represented by the following RGB denary value combinations:

| | | | | | | | | |
|----------|-------|-----|----------|-------|-----|----------|-------|-----|
| a | Red | 53 | b | Red | 201 | c | Red | 12 |
| | Green | 55 | | Green | 122 | | Green | 111 |
| | Blue | 139 | | Blue | 204 | | Blue | 81 |

2 Convert each of the above denary numbers into hexadecimal.

1.1.4 Addition of binary numbers

This section will look at the addition of two 8-bit positive binary numbers.

Note the following key facts when carrying out **addition** of two binary digits:

| binary addition | carry | sum |
|-----------------|-------|-----|
| 0+0 | 0 | 0 |
| 0+1 | 0 | 1 |
| 1+0 | 0 | 1 |
| 1+1 | 1 | 0 |

This can then be extended to consider the addition of three binary digits:

| binary digit | carry | sum |
|--------------|-------|-----|
| 0+0+0 | 0 | 0 |
| 0+0+1 | 0 | 1 |
| 0+1+0 | 0 | 1 |
| 0+1+1 | 1 | 0 |
| 1+0+0 | 0 | 1 |
| 1+0+1 | 1 | 0 |
| 1+1+0 | 1 | 0 |
| 1+1+1 | 1 | 1 |

For comparison: if we add 7 and 9 in denary the result is: carry = 1 and sum = 6; if we add 7, 9 and 8 the result is: carry = 2 and sum = 4, and so on.

Advice

Here's a quick recap on the role of carry and sum. If we want to add the numbers 97 and 64 in decimal, we:

- add the numbers in the right hand column first
- if the sum is greater than 9 then we carry a value to the next column
- we continue moving left, adding any carry values to each column until we are finished.

For instance:

```

  9 7
+ 6 4
-----
 1 1 CARRY VALUES
 1 6 1 SUM VALUES

```

Adding in binary follows the same rules except that we carry whenever the sum is greater than 1.

1 DATA REPRESENTATION

? Example 1Add $00100111 + 01001010$ We will set this out showing **carry** and **sum** values:

$$\begin{array}{r}
 00100111 \\
 + 01001010 \\
 \hline
 111 \\
 \hline
 01110001
 \end{array}$$

← carry values
← sum values

Answer: **01110001**

column 1: $1 + 0 = 1$ no carry
 column 2: $1 + 1 = 0$ carry 1
 column 3: $1 + 0 + 1 = 0$ carry 1
 column 4: $0 + 1 + 1 = 0$ carry 1
 column 5: $0 + 0 + 1 = 1$ no carry
 column 6: $1 + 0 = 1$ no carry
 column 7: $0 + 1 = 1$ no carry
 column 8: $0 + 0 = 0$ no carry

? Example 2

- a Convert 126 and 62 into binary.
 b Add the two binary values in part a and check the result matches the addition of the two denary numbers

a $126 = 01111110$ and $62 = 00111110$

$$\begin{array}{r}
 01111110 \\
 + 00111110 \\
 \hline
 111111 \\
 \hline
 10111100
 \end{array}$$

← carry values
← sum values

Answer: **10111100**

column 1: $0 + 0 = 0$ no carry
 column 2: $1 + 1 = 0$ carry 1
 column 3: $1 + 1 + 1 = 1$ carry 1
 column 4: $1 + 1 + 1 = 1$ carry 1
 column 5: $1 + 1 + 1 = 1$ carry 1
 column 6: $1 + 1 + 1 = 1$ carry 1
 column 7: $1 + 0 + 1 = 0$ carry 1
 column 8: $0 + 0 + 1 = 1$ no carry

10111100 has the equivalent denary value of $128 + 32 + 16 + 8 + 4 = 188$ which is the same as $126 + 62$.

Activity 1.8

Carry out the following binary additions:

- | | |
|-------------------------|-------------------------|
| a $00011101 + 01100110$ | f $00111100 + 01111011$ |
| b $00100111 + 00111111$ | g $00111111 + 00111111$ |
| c $00101110 + 01001101$ | h $00110001 + 00111111$ |
| d $01110111 + 00111111$ | i $01111111 + 01111111$ |
| e $00111100 + 00110011$ | j $10100010 + 00111011$ |

Activity 1.9

Convert the following denary numbers into binary and then carry out the binary addition of the two numbers and check your answer against the equivalent denary sum:

- | | | | |
|--------------|---------------|--------------|--------------|
| a $98 + 15$ | d $51 + 171$ | g $19 + 139$ | j $211 + 35$ |
| b $29 + 88$ | e $82 + 69$ | h $203 + 30$ | |
| c $49 + 100$ | f $100 + 140$ | i $66 + 166$ | |