

CS100 – Fall 2015

Homework #2

Due: December 4th, 2015, 23:55

Problems

- 1) Write a Matlab/Octave function named **convertMillis** that converts milliseconds to hours, minutes and seconds and milliseconds. Your function will have the following header:

```
function [hours, minutes, seconds, millis] = convertMillis(millis)
```

The method returns an array of integers as [hours, minutes, seconds, millis]. Example runs for the function are as follows:

```
>>[h m s ms]=convertMillis(5500)
h = 0
m = 0
s = 5
ms = 500
```

```
>>[h m s ms]=convertMillis(550000)
h = 0
m = 9
s = 10
ms = 0
```

```
>>[h m s ms]=convertMillis(550320)
h = 0
m = 9
s = 10
ms = 320
```

```
>>[h m s ms]=convertMillis(12550320)
h = 3
m = 29
s = 10
ms = 320
```

- 2) A regular polygon is an n-sided polygon in which all sides are of the same length (s) and all angles have the same degree (i.e., the polygon is both equilateral and equiangular). The formula for computing the area of a regular polygon is

$$Area = \frac{n \times s^2}{4 \times \tan\left(\frac{\pi}{n}\right)}$$

Write a **function** named **calculateArea** with the following header that receives the number of sides and the length of a side of a regular polygon and returns its area by using the above formula.

```
function area = calculateArea(n,s)
```

Example runs for the function are as follows:

```
>> calculateArea(5,5)
ans = 43.012
```

```
>> calculateArea(12,5)
ans = 279.90
```

- 3) (Math: approximate the square root) There are several techniques for implementing the sqrt method in the Matlab/Octave library. One such technique is known as the Babylonian method. It approximates the square root of a number, **n**, by repeatedly performing a calculation using the following formula:

$$\text{nextGuess} = (\text{lastGuess} + n / \text{lastGuess}) / 2$$

When **nextGuess** and **lastGuess** are almost identical, **nextGuess** is the approximated square root. The initial guess can be any positive value (e.g., 1). This value will be the starting value for **lastGuess**. If the difference between **nextGuess** and **lastGuess** is less than a given epsilon (a small number), you can claim that **nextGuess** is the approximated square root of **n**. If not, **nextGuess** becomes **lastGuess** and the approximation process continues. Implement the following method that returns the square root of **n**.

```
function result= mysqrt(n,e)
```

Example runs for the function are as follows:

```
>> mysqrt(4,0.1)
ans = 2.0006
```

```
>> mysqrt(4,0.01)
ans = 2.0000
```

```
>> mysqrt(9,0.1)
ans = 3.0001
```

```
>> mysqrt(9,0.01)
ans = 3.0000
```

Note:

- When submitting, submit three files named `convertMillis.m`, `calculateArea.m` and `mysqrt.m`.
- No other methods accepted. You may resubmit as many times as you want until the deadline.
- Write your name, id and department name at the top line of each submitted file in a commented manner. Ex: % Özgür Yurtsever, S011919, Industrial Eng.
- WARNING: This homework is an individual assignment. Your programs are checked and compared against each other using automated tools. Any act of cheating will be punished. DO NOT GIVE/TAKE YOUR HOMEWORK TO/FROM OTHERS.