

## 6 More clock algorithms, processes versus threads (week 6)

### 6.1 vector clocks

let  $s, v$  be the vector clock with state/event  $s$ ,  $s.p$  the process on which  $s$  is an event/state.  
last week we looked at a vector clock algorithm that satisfied:

$$\forall s, t \quad s.v < t.v \Leftrightarrow s \rightarrow t$$

the vector clock algorithm VC2 preserves this property when  $s, t$  are in different processes.

$$\forall s.p \neq t.p \quad s \rightarrow t \Leftrightarrow s.t < t.v$$

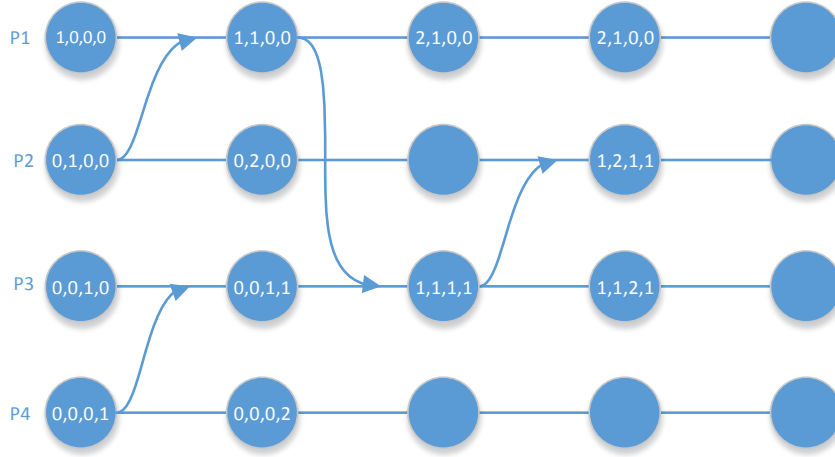
```
 $P_j ::$ 
var
  v: array[1..N] of integer
  initially  $(\forall i, i \neq j : v[i] = 0) \wedge (v[j] = 1);$ 
 $\nparallel$  initial(s)  $\Rightarrow (\forall i : i \neq s.p : s.v[i] = 0) \wedge (s.v[s.p] = 1)$ 

send event (s, send, t);
   $t.v[t.p] := t.v[t.p] + 1;$ 
   $\nparallel (\forall i : i \neq t.p \ t.v[i] = s.v[i]) \wedge (t.v[t.p] > s.v[t.p])$ 

receive event(s, receive(u), t);
  for  $i := 1$  to  $N$  do
     $t.v[i] := \max(s.v[i], u.v[i]);$ 

internal event(s, internal, t);
   $t.v := s.v;$ 
```

Figure 8: Vector clock algorithm VC2



## 6.2 comparison of vector clocks x,y

$$\begin{aligned}
 x < y & \quad (\forall k : 1 \leq k \leq \mathbb{N} : x[k] \leq y[k]) \wedge (\exists j : 1 \leq j \leq \mathbb{N} : x[j] < y[j]) \\
 x \leq y & \quad (x < y) \vee (x = y)
 \end{aligned}$$

## 6.3 clock synchronization algorithm

System model: we assume each machine has a timer that causes H interrupts per second.

- clock c add ticks(interrupts)
- at UTC time t(universal coordinated time)  
 $C_p(t)$  is clock on machine p at t
- perfect clock:  $C_p(t) = t \quad \forall p, t \Leftrightarrow C'_p(t) = \frac{dC_p(t)}{dt} = 1$  frequency of the perfect clock p at time t  
 $C'_p(t) - 1 \triangleq \text{skew}$  of P's clock, difference of the perfect clock  
 $C_p(t) - t \triangleq \text{offset}$
- Real timers do not interrupt # times per second, maximum drift rate y such that  $1 - p \leq \frac{dC_p(t)}{dt} \leq 1 + p$  at time  $\Delta t$  two clocks that are drifting apart can be at  $|C_2^{(\Delta t)} - C_1^{(\Delta t)}| = 2p\Delta t$
- if the difference  $\alpha$  should never exceed  $\delta$  then synchronization every  $\frac{\delta}{2p}$  seconds is needed.
- it is important to make sure that time always moves forward

Principle of the network time protocol(NTP)

A estimates<sup>3</sup> offset to B as  $\theta = T_1 - \frac{(T_1 - T_2) + (T_4 - T_3)}{2} - \frac{(T_2 - T_1) + (T_3 - T_4)}{2}$  (assumes communication time request both ways) and delay  $\delta = \frac{(T_4 - T_1) - (T_3 - T_2)}{2}$

<sup>3</sup>see in Tannenbaum

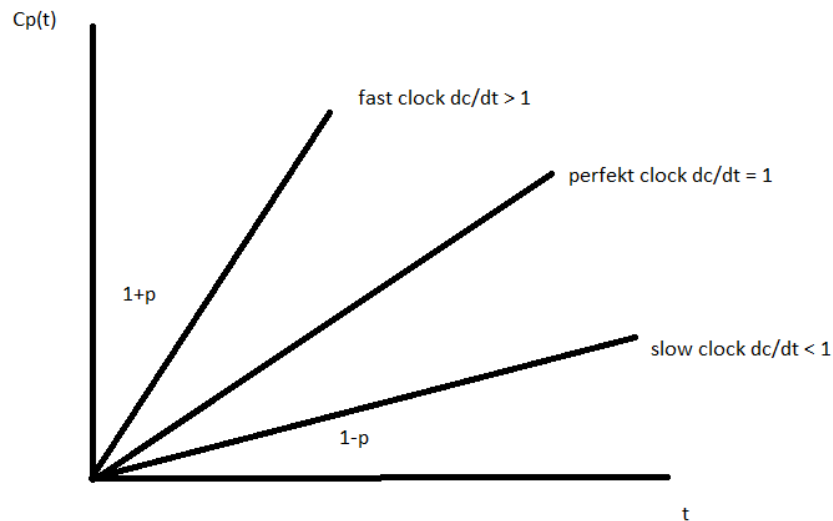


Figure 9: Speed of fast, perfect and slow clocks

- A probes B and B probes A
- NTP stores 8 pairs  $(\theta, \delta)$  per pair using  $\min \delta$  for smallest delay
- Either A or B can be more stable, less stable clocks adjusts
- reference clock has stratum 1
- lower stratum level is better, will be used

## 7 Processes and Threads

### process

- execution of a program
- processor creates virtual processor for each program and stores it in a "process table"
- each virtual process has its own independent address space
- transparent sharing of resources(processor, memory)-separation
- process switch is expensive(save CPU context, registers, pointers, modify memory management unit(MMU),translation lookaside buffer(TLB))
- perhaps even swap to disk

### threads

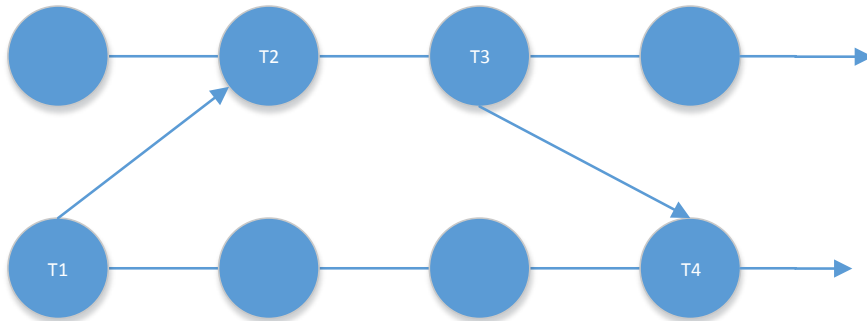


Figure 10: Time stamps used by NTP

- several threads sharing CPU
- thread context has little memory information
- threads avoid blocking application
- thread switch is fast
- user level threads allows parallel computation
- I/O or other blocking system calls block all threads

→ lightweight processes aim at combining the advantages of both.