
CODE STANDARD LIBRARY

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1 string

1.1 Manacher

```

1 | vector<int> d1(n);
2 | for (int i = 0, l = 0, r = -1; i < n; i++) {
3 |     int k = (i > r) ? 1 : min(d1[l + r - i], r - i);
4 |     while (0 ≤ i - k && i + k < n && s[i - k] == s[i + k]) {
5 |         k++;
6 |     }
7 |     d1[i] = k--;
8 |     if (i + k > r) {
9 |         l = i - k;
10 |        r = i + k;
11 |    }
12 | }

```

1.2 Minimum representation

```

1 | int k = 0, i = 0, j = 1;
2 | while (k < n && i < n && j < n) {
3 |     if (sec[(i + k) % n] == sec[(j + k) % n]) {
4 |         k++;
5 |     } else {
6 |         sec[(i + k) % n] > sec[(j + k) % n] ? i = i + k + 1 : j = j
          + k + 1;
7 |         if (i == j) i++;
8 |         k = 0;
9 |     }
10 | }
11 | i = min(i, j);

```

1.3 AC automation

```

1 | const int N = 156, L = 1e6 + 6;
2 | namespace AC {
3 |     const int SZ = N * 80;
4 |     int tot, tr[SZ][26];
5 |     int fail[SZ], idx[SZ], val[SZ];
6 |     int cnt[N]; // 记录第 i 个字符串的出现次数
7 |     void init() {
8 |         memset(fail, 0, sizeof(fail));
9 |         memset(tr, 0, sizeof(tr));
10 |        memset(val, 0, sizeof(val));
11 |        memset(cnt, 0, sizeof(cnt));
12 |        memset(idx, 0, sizeof(idx));
13 |        tot = 0;
14 |    }

```

```

15 void insert(char *s, int id) { // id 表示原始字符串的编号
16     int u = 0;
17     for (int i = 1; s[i]; i++) {
18         if (!tr[u][s[i] - 'a']) tr[u][s[i] - 'a'] = ++tot;
19         u = tr[u][s[i] - 'a'];
20     }
21     idx[u] = id;
22 }
23 queue<int> q;
24 void build() {
25     for (int i = 0; i < 26; i++)
26         if (tr[0][i]) q.push(tr[0][i]);
27     while (q.size()) {
28         int u = q.front();
29         q.pop();
30         for (int i = 0; i < 26; i++) {
31             if (tr[u][i])
32                 fail[tr[u][i]] = tr[fail[u]][i], q.push(tr[u][i]);
33             else
34                 tr[u][i] = tr[fail[u]][i];
35         }
36     }
37 }
38 int query(char *t) { // 返回最大的出现次数
39     int u = 0, res = 0;
40     for (int i = 1; t[i]; i++) {
41         u = tr[u][t[i] - 'a'];
42         for (int j = u; j; j = fail[j]) val[j]++;
43     }
44     for (int i = 0; i ≤ tot; i++)
45         if (idx[i]) res = max(res, val[i]), cnt[idx[i]] = val[i];
46     return res;
47 }
48 } // namespace AC

```

1.4 suffix automation

```

1 const int N = 2000010;
2 const int CHAR_SET_SIZE=26;
3 int c[N],dfn[N<<1];
4 struct SAM{
5     int ch[N<<1][CHAR_SET_SIZE],fa[N<<1],len[N<<1],siz[N<<1];
6     int tot,last;
7     int newnode(){
8         ++tot;
9         memset(ch[tot],0,sizeof ch[tot]);
10        fa[tot]=0;
11        return tot;

```

```

12     }
13     void init(){
14         tot=1;
15         last=1;
16         len[1]=0;
17         memset(ch[1],0,sizeof ch[1]);
18         memset(siz,0,sizeof siz);
19     }
20     void add(int x){
21         int pos = last,newpos=newnode();
22         last = newPos;
23         siz[newpos]=1;
24         len[newpos]=len[pos]+1;
25         while(pos&&!ch[pos][x]){ch[pos][x]=newpos;pos=fa[pos];}
26         if(!pos)fa[newpos]=1;
27         else{
28             int oldpos=ch[pos][x];
29             if(len[oldpos]==len[pos]+1)fa[newpos]=oldpos;
30             else{
31                 int anp=newnode();
32                 memcpy(ch[anp],ch[oldpos],sizeof ch[anp]);
33                 fa[anp]=fa[oldpos];
34                 len[anp]=len[pos]+1;
35                 fa[oldpos]=fa[newpos]=anp;
36                 while(pos&&ch[pos][x]==oldpos){
37                     ch[pos][x]=anp;
38                     pos=fa[pos];
39                 }
40             }
41         }
42     }
43     long long solve(){
44         long long ans=0;
45         memset(c,0,sizeof c);
46         for(int i=1;i≤tot;i++){c[len[i]]++;}
47         for(int i=1;i≤tot;i++)c[i]+=c[i-1];
48         for(int i=1;i≤tot;i++)dfn[c[len[i]]--]=i;
49         for(int i=tot;i≥1;--i){
50             int now = dfn[i];
51             siz[fa[now]]+=siz[now];
52             if(siz[now]>1)ans=max(ans,1ll*len[now]*siz[now]);
53         }
54         return ans;
55     }
56 }sam;

```

1.5 PAM

```

1 class PA {
2     private:
3         static const int N = 100010;
4         struct Node {
5             int len;
6             int ptr[26], fail;
7             Node(int len = 0) : len(len), fail(0) { memset(ptr, 0,
8                 sizeof(ptr)); }
9         } nd[N];
10
11         int size, cnt; // size为字符串长度, cnt为节点个数
12         int cur; //当前指针停留的位置, 即最后插入字符所对应的节点
13         char s[N];
14
15         int getfail(int x) //沿着fail指针找到第一个回文后缀
16         {
17             while (s[size - nd[x].len - 1] != s[size]) {
18                 x = nd[x].fail;
19             }
20             return x;
21         }
22     public:
23         PA() : size(0), cnt(0), cur(0) {
24             nd[cnt] = Node(0);
25             nd[cnt].fail = 1;
26             nd[++cnt] = Node(-1);
27             nd[cnt].fail = 0;
28             s[0] = '$';
29         }
30
31         void extend(char c) {
32             s[++size] = c;
33             int now = getfail(cur); //找到插入的位置
34             if (!nd[now].ptr[c - 'a']) //若没有这个节点, 则新建并
35                 求出它的fail指针
36             {
37                 int tmp = ++cnt;
38                 nd[tmp] = Node(nd[now].len + 2);
39                 nd[tmp].fail = nd[getfail(nd[now].fail)].ptr[c - 'a'];
40                 nd[now].ptr[c - 'a'] = tmp;
41             }
42             cur = nd[now].ptr[c - 'a'];
43         }
44
45         int qlen() { return nd[cur].len; }
46 } A, B;

```

2 math

2.1 prime/phi/mu

```

1 void pj() {
2     int n = 10000000;
3     pr = 0;
4     mu[1] = 1;
5     for (int i = 2; i ≤ n; i++) {
6         if (v[i] == 0) {
7             v[i] = i;
8             prime[pr++] = i;
9             phi[i] = i - 1;
10            mu[i] = -1;
11        }
12        for (int j = 0; j < pr && n / i ≥ prime[j]; j++) {
13            v[i * prime[j]] = prime[j];
14            if (v[i] == prime[j])
15                mu[i * prime[j]] = 0;
16            else
17                mu[i * prime[j]] = -mu[i];
18            phi[i*prime[j]] = phi[i] * (i%prime[j]?prime[j]-1:prime
19                [j]);
20            if (v[i] ≤ prime[j]) break;
21        }
22    }

```

2.2 Congruence Equation

```

1 int ex_gcd(int a, int b, int& x, int& y) {
2     if (b == 0) {
3         x = 1;
4         y = 0;
5         return a;
6     }
7     int d = ex_gcd(b, a % b, x, y);
8     int temp = x;
9     x = y;
10    y = temp - a / b * y;
11    return d;
12 }
13 bool liEu(int a, int b, int c, int& x, int& y) {
14     int d = ex_gcd(a, b, x, y);
15     if (c % d ≠ 0) return 0;
16     int k = c / d;
17     x *= k;
18     y *= k;
19     return 1;

```


20 | }

2.3 CRT

```

1 | lt ai[maxn],bi[maxn];
2 |
3 | lt mul(lt a,lt b,lt mod)
4 | {
5 |     lt res=0;
6 |     while(b>0)
7 |     {
8 |         if(b&1) res=(res+a)%mod;
9 |         a=(a+a)%mod;
10 |        b>>=1;
11 |    }
12 |    return res;
13 | }
14 |
15 | lt exgcd(lt a,lt b,lt &x,lt &y)
16 | {
17 |     if(b==0){x=1;y=0;return a;}
18 |     lt gcd=exgcd(b,a%b,x,y);
19 |     lt tp=x;
20 |     x=y; y=tp-a/b*y;
21 |     return gcd;
22 | }
23 |
24 | lt excrt()
25 | {
26 |     lt x,y,k;
27 |     lt M=bi[1],ans=ai[1];//第一个方程的解特判
28 |     for(int i=2;i<=n;i++)
29 |     {
30 |         lt a=M,b=bi[i],c=(ai[i]-ans%b+b)%b;//ax≡c(mod b)
31 |         lt gcd=exgcd(a,b,x,y),bg=b/gcd;
32 |         if(c%gcd!=0) return -1; //判断是否无解，然而这题其实不用
33 |
34 |         x=mul(x,c/gcd,bg);
35 |         ans+=x*M;//更新前k个方程组的答案
36 |         M*=bg;//M为前k个m的lcm
37 |         ans=(ans%M+M)%M;
38 |     }
39 |     return (ans%M+M)%M;
40 | }

```

2.4 dyhshai

```

1 | ll T, n, pri[maxn], cur, mu[maxn], sum_mu[maxn];

```

```

2  bool vis[maxn];
3  map<ll, ll> mp_mu;
4  ll S_mu(ll x) {
5      if (x < maxn) return sum_mu[x];
6      if (mp_mu[x]) return mp_mu[x];
7      ll ret = 1ll;
8      for (ll i = 2, j; i ≤ x; i = j + 1) {
9          j = x / (x / i);
10         ret -= S_mu(x / i) * (j - i + 1);
11     }
12     return mp_mu[x] = ret;
13 }
14 ll S_phi(ll x) {
15     ll ret = 0ll;
16     for (ll i = 1, j; i ≤ x; i = j + 1) {
17         j = x / (x / i);
18         ret += (S_mu(j) - S_mu(i - 1)) * (x / i) * (x / i);
19     }
20     return ((ret - 1) >> 1) + 1;
21 }
22 int main() {
23     scanf("%lld", &T);
24     mu[1] = 1;
25     for (int i = 2; i < maxn; i++) {
26         if (!vis[i]) {
27             pri[++cur] = i;
28             mu[i] = -1;
29         }
30         for (int j = 1; j ≤ cur && i * pri[j] < maxn; j++) {
31             vis[i * pri[j]] = true;
32             if (i % pri[j])
33                 mu[i * pri[j]] = -mu[i];
34             else {
35                 mu[i * pri[j]] = 0;
36                 break;
37             }
38         }
39     }
40     for (int i = 1; i < maxn; i++) sum_mu[i] = sum_mu[i - 1] + mu[i];
41     while (T--) {
42         scanf("%lld", &n);
43         printf("%lld %lld\n", S_phi(n), S_mu(n));
44     }
45     return 0;
46 }

```

2.5 FFT

```

1  const int N = 4000005;
2  const double PI = acos ( -1. );
3  int r[N];
4  struct Complex {
5      double r, i;
6      Complex ( double _r = 0.0, double _i = 0.0 ) : r ( _r ), i ( _i
7          ) {};
8      inline void real ( const double &x ) {
9          r = x;
10     }
11     inline double real() {
12         return r;
13     }
14     inline Complex operator+ ( const Complex x ) const {
15         return Complex ( r + x.r, i + x.i );
16     }
17     inline Complex operator- ( const Complex x ) const {
18         return Complex ( r - x.r, i - x.i );
19     }
20     inline Complex operator* ( const Complex x ) const {
21         return Complex ( r * x.r - i * x.i, x.r * i + r * x.i );
22     }
23     inline void operator/= ( const double x ) {
24         r /= x;
25     }
26 };
27 Complex a[N], b[N];
28 void change ( Complex y[], int len ) {
29     for ( int i = 0; i < len; i++ ) {
30         if ( i < r[i] ) {
31             swap ( y[i], y[r[i]] );
32         }
33     }
34 }
35 void fft ( Complex y[], int len, int on ) {
36     change ( y, len );
37     for ( int m = 1; m < len; m <= 1 ) {
38         Complex wn ( cos ( PI / m ), sin ( on * PI / m ) );
39         for ( int r = m << 1, j = 0; j < len; j += r ) {
40             Complex w ( 1.0, 0 );
41             for ( int k = 0; k < m; k++, w = w * wn ) {
42                 Complex u = y[j + k];
43                 Complex t = w * y[j + k + m];
44                 y[j + k] = u + t;
45                 y[j + k + m] = u - t;

```

```

46     }
47 }
48 if ( on == -1 )
49     for ( int i = 0; i < len; i++ ) {
50         y[i] /= len;
51     }
52 }
53 int main() {
54     int n, m;
55     while ( ~scanf ( "%d %d", &n, &m ) ) {
56         int l = 0, len = 1;
57         while ( len ≤ n+m ) {
58             len <<= 1;
59             l++;
60         }
61         for ( int i = 0; i < len; i++ ) {
62             r[i] = ( r[i >> 1] >> 1 ) | ( ( i & 1 ) << ( l - 1 ) );
63         }
64         int tmp;
65         for ( int i = 0; i ≤ n; i++ ) {
66             scanf ( "%d", &tmp );
67             a[i] = Complex ( tmp * 1.0, 0 );
68         }
69         for ( int i = n + 1; i < len; i++ ) {
70             a[i] = Complex ( 0, 0 );
71         }
72         for ( int i = 0; i ≤ m; i++ ) {
73             scanf ( "%d", &tmp );
74             b[i] = Complex ( tmp * 1.0, 0 );
75         }
76         for ( int i = m + 1; i < len; i++ ) {
77             b[i] = Complex ( 0, 0 );
78         }
79         fft ( a, len, 1 );
80         fft ( b, len, 1 );
81         for ( int i = 0; i < len; i++ ) {
82             a[i] = a[i] * b[i];
83         }
84         fft ( a, len, -1 );
85         for ( int i = 0; i ≤ n + m; i++ ) {
86             printf ( "%lld%c", ( long long ) ( a[i].r + 0.5 ), i ==
                        n + m ? '\n' : ' ' );
87         }
88     }
89 }

```

2.6 NTT

```

1  const int N = 4000005;
2  const double PI = acos ( -1. );
3  const int mod=998244353, G = 3, Gi = 332748118;//gmin=3;
4  long long quickpow(long long a,long long n){
5      if(a==0)return 0;
6      long long ans=1;
7      while(n){
8          if(n&1)ans=ans*a%mod;
9          n>>=1;
10         a=a*a%mod;
11     }
12     return ans;
13 }
14 int r[N];
15 long long a[N],b[N];
16 long long inv;
17 void exgcd(long long a,long long b,long long &x,long long &y){
18     if(b){
19         exgcd(b,a%b,y,x);
20         y-=x*(a/b);
21     }else{
22         x=1;
23         y=0;
24         return ;
25     }
26 }
27 long long gao(long long a){
28     long long x,y;
29     exgcd(a,mod,x,y);
30     if(x<0)x+=mod;
31     return x;
32 }
33 inline void change ( long long y[], int len ) {
34     for ( int i = 0; i < len; i++ ) {
35         if ( i < r[i] ) {
36             swap ( y[i], y[r[i]] );
37         }
38     }
39 }
40 void fft ( long long y[], int len, int on ) {
41     change ( y, len );
42     for ( int m = 1; m < len; m <= 1 ) {
43         long long wn =quickpow(on==1?G:Gi,(mod-1)/(m<<1));
44         for ( int r = m << 1, j = 0; j < len; j += r ) {
45             long long w=1;
46             for ( int k = 0; k < m; k++, w = w * wn%mod ) {
47                 long long u = y[j + k];
48                 long long t = w * y[j + k + m]%mod;

```

```

49         y[j + k] =(u + t)%mod;
50         y[j + k + m] = (u - t+mod)%mod;
51     }
52 }
53 }
54 if ( on == -1 )
55     for ( int i = 0; i < len; i++ ) {
56         y[i]=y[i]*inv%mod;
57     }
58 }
59 int main() {
60     int n, m;
61     while ( ~scanf ( "%d %d", &n, &m ) ) {
62         int l = 0, len = 1;
63         while ( len ≤ n+m ) {
64             len <<= 1;
65             l++;
66         }
67         inv=gao(len);
68         for ( int i = 0; i < len; i++ ) {
69             r[i] = ( r[i >> 1] >> 1 ) | ( ( i & 1 ) << ( l - 1 ) );
70         }
71         for ( int i = 0; i ≤ n; i++ ) {
72             scanf ( "%lld", &a[i] );
73         }
74         for ( int i = n + 1; i < len; i++ ) {
75             a[i] =0;
76         }
77         for ( int i = 0; i ≤ m; i++ ) {
78             scanf ( "%lld", &b[i] );
79         }
80         for ( int i = m + 1; i < len; i++ ) {
81             b[i] = 0;
82         }
83         fft ( a, len, 1 );
84         fft ( b, len, 1 );
85         for ( int i = 0; i < len; i++ ) {
86             a[i] = a[i] * b[i]%mod;
87         }
88         fft ( a, len, -1 );
89         for ( int i = 0; i ≤ n + m; i++ ) {
90             printf ( "%lld%c", a[i], i == n + m ? '\n' : ' ' );
91         }
92     }
93 }

```

2.7 FWT

```

1 long long inv;
2 long long a1[150000], b1[150000];
3 long long a2[150000], b2[150000];
4 long long a3[150000], b3[150000];
5 void FWT1 ( long long n ) {
6     for ( int d = 1; d < n; d <= 1 )
7         for ( int m = d << 1, i = 0; i < n; i += m )
8             for ( int j = 0; j < d; j++ ) {
9                 long long x1 = a1[i + j], y1 = a1[i + j + d];
10                long long x2 = a2[i + j], y2 = a2[i + j + d];
11                long long x3 = a3[i + j], y3 = a3[i + j + d];
12                a1[i + j + d] = ( x1 + y1 ) % mod ;
13                a2[i + j]      = ( x2 + y2 ) % mod ;
14                a3[i + j]      = ( x3 + y3 ) % mod ;
15                a3[i + j + d] = ( x3 - y3 + mod ) % mod ;
16                //xor:a[i+j]=x+y,a[i+j+d]=(x-y+mod)%mod;
17                //and:a[i+j]=x+y;
18                //or:a[i+j+d]=x+y;
19            }
20 }
21 void FWT2 ( long long n ) {
22     for ( int d = 1; d < n; d <= 1 )
23         for ( int m = d << 1, i = 0; i < n; i += m )
24             for ( int j = 0; j < d; j++ ) {
25                 long long x1 = b1[i + j], y1 = b1[i + j + d];
26                 long long x2 = b2[i + j], y2 = b2[i + j + d];
27                 long long x3 = b3[i + j], y3 = b3[i + j + d];
28                 b1[i + j + d] = ( x1 + y1 ) % mod ;
29                 b2[i + j]      = ( x2 + y2 ) % mod ;
30                 b3[i + j]      = ( x3 + y3 ) % mod ;
31                 b3[i + j + d] = ( x3 - y3 + mod ) % mod ;
32                 //xor:a[i+j]=x+y,a[i+j+d]=(x-y+mod)%mod;
33                 //and:a[i+j]=x+y;
34                 //or:a[i+j+d]=x+y;
35             }
36 }
37 void UFWT ( long long n ) {
38     for ( long long d = 1; d < n; d <= 1 )
39         for ( long long m = d << 1, i = 0; i < n; i += m )
40             for ( long long j = 0; j < d; j++ ) {
41                 long long x1 = a1[i + j], y1 = a1[i + j + d];
42                 long long x2 = a2[i + j], y2 = a2[i + j + d];
43                 long long x3 = a3[i + j], y3 = a3[i + j + d];
44                 a1[i + j + d] = ( y1 - x1 + mod ) % mod ;
45                 a2[i + j]      = ( x2 - y2 + mod ) % mod ;
46                 a3[i + j]      = ( x3 + y3 ) * inv % mod ;
47                 a3[i + j + d] = ( x3 - y3 + mod ) * inv % mod ;
48                 //xor:a[i+j]=(x+y)/2,a[i+j+d]=(x-y)/2;
49                 //and:a[i+j]=x-y;

```

```

50         //or:a[i+j+d]=y-x;
51     }
52 }
53 void solve ( long long n ) {
54     FWT1 ( n );
55     FWT2 ( n );
56     for ( long long i = 0; i < n; i++ ) {
57         a1[i] = a1[i] * b1[i] % mod;
58         a2[i] = a2[i] * b2[i] % mod;
59         a3[i] = a3[i] * b3[i] % mod;
60     }
61     UFWT ( n );
62 }
63 int main() {
64     long long n;
65     while ( ~scanf ( "%lld", &n ) ) {
66         long long res = 1 << n;
67         for ( long long i = 0; i < res; i++ ) {
68             scanf ( "%lld", &a1[i] );
69             a3[i] = a2[i] = a1[i];
70         }
71         for ( long long i = 0; i < res; i++ ) {
72             scanf ( "%lld", &b1[i] );
73             b3[i] = b2[i] = b1[i];
74         }
75         inv = mod - ( mod >> 1 );
76         solve ( res );
77         for ( long long i = 0; i < res; i++ ) {
78             printf ( "%lld%c", a1[i], i == res - 1 ? '\n' : ' ' );
79         }
80         for ( long long i = 0; i < res; i++ ) {
81             printf ( "%lld%c", a2[i], i == res - 1 ? '\n' : ' ' );
82         }
83         for ( long long i = 0; i < res; i++ ) {
84             printf ( "%lld%c", a3[i], i == res - 1 ? '\n' : ' ' );
85         }
86     }
87     return 0;
88 }

```

2.8 liner basis

```

1 struct basis {
2     static const int MAXL=62;
3     long long a[MAXL+1];
4     basis() {
5         reset();
6     }

```



```

7   void reset() {
8       memset(a,0,sizeof a);
9   }
10  void insert(long long x) {
11      for(int i=MAXL; i>=0; --i) {
12          if(!(x>>i)&1)continue;
13
14          if(a[i])x^=a[i];
15          else {
16              for(int j=0; j<i; j++)if((x>>j)&1)x^=a[j];
17              for(int j=i+1; j<=MAXL; j++)if((a[j]>>i)&1)a[j]^=x;
18              a[i]=x;
19              return ;
20          }
21      }
22  }
23  long long qmax() {
24      long long ans=0;
25      for(int i=0; i<=MAXL; i++)ans^=a[i];
26      return ans;
27  }
28 };
29 inline void insert(long long x) {
30     for (int i = 55; i + 1; i--) {
31         if (!(x >> i)) // x的第i位是0
32             continue;
33         if (!p[i]) {
34             p[i] = x;
35             break;
36         }
37         x ^= p[i];
38     }
39 }

```

2.9 high precision

```

1  #define MAXN 9999
2  // MAXN 是一位中最大的数字
3  #define MAXSIZE 10024
4  // MAXSIZE 是位数
5  #define DLEN 4
6  // DLEN 记录压几位
7  struct Big {
8      int a[MAXSIZE], len;
9      bool flag; //标记符号 '-'
10     Big() {
11         len = 1;
12         memset(a, 0, sizeof a);
13         flag = 0;

```

```

14     }
15     Big(const int);
16     Big(const char*);
17     Big(const Big&);
18     Big& operator=(const Big&); //注意这里operator有&, 因为赋值有
    修改……
19     //由于OI中要求效率
20     //此处不使用泛型函数
21     //故不重载
22     // istream& operator>>(istream&, BigNum&); //重载输入运算符
23     // ostream& operator<<(ostream&, BigNum&); //重载输出运算符
24     Big operator+(const Big&) const;
25     Big operator-(const Big&) const;
26     Big operator*(const Big&)const;
27     Big operator/(const int&) const;
28     // TODO: Big / Big;
29     Big operator^(const int&) const;
30     // TODO: Big ^ Big;
31
32     // TODO: Big 位运算;
33
34     int operator%(const int&) const;
35     // TODO: Big ^ Big;
36     bool operator<(const Big&) const;
37     bool operator<(const int& t) const;
38     inline void print();
39 };
40 // README:: 不要随随便便把参数都变成引用, 那样没办法传值
41 Big::Big(const int b) {
42     int c, d = b;
43     len = 0;
44     // memset(a,0,sizeof a);
45     CLR(a);
46     while (d > MAXN) {
47         c = d - (d / (MAXN + 1) * (MAXN + 1));
48         d = d / (MAXN + 1);
49         a[len++] = c;
50     }
51     a[len++] = d;
52 }
53 Big::Big(const char* s) {
54     int t, k, index, l;
55     CLR(a);
56     l = strlen(s);
57     len = l / DLEN;
58     if (l % DLEN) ++len;
59     index = 0;
60     for (int i = l - 1; i ≥ 0; i -= DLEN) {

```

```

61         t = 0;
62         k = i - DLEN + 1;
63         if (k < 0) k = 0;
64         g(j, k, i) t = t * 10 + s[j] - '0';
65         a[index++] = t;
66     }
67 }
68 Big::Big(const Big& T) : len(T.len) {
69     CLR(a);
70     f(i, 0, len) a[i] = T.a[i];
71     // TODO:重载此处?
72 }
73 Big& Big::operator=(const Big& T) {
74     CLR(a);
75     len = T.len;
76     f(i, 0, len) a[i] = T.a[i];
77     return *this;
78 }
79 Big Big::operator+(const Big& T) const {
80     Big t(*this);
81     int big = len;
82     if (T.len > len) big = T.len;
83     f(i, 0, big) {
84         t.a[i] += T.a[i];
85         if (t.a[i] > MAXN) {
86             ++t.a[i + 1];
87             t.a[i] -= MAXN + 1;
88         }
89     }
90     if (t.a[big])
91         t.len = big + 1;
92     else
93         t.len = big;
94     return t;
95 }
96 Big Big::operator-(const Big& T) const {
97     int big;
98     bool ctf;
99     Big t1, t2;
100     if (*this < T) {
101         t1 = T;
102         t2 = *this;
103         ctf = 1;
104     } else {
105         t1 = *this;
106         t2 = T;
107         ctf = 0;
108     }
109     big = t1.len;

```

```

110     int j = 0;
111     f(i, 0, big) {
112         if (t1.a[i] < t2.a[i]) {
113             j = i + 1;
114             while (t1.a[j] == 0) ++j;
115             --t1.a[j--];
116             // WTF?
117             while (j > i) t1.a[j--] += MAXN;
118             t1.a[i] += MAXN + 1 - t2.a[i];
119         } else
120             t1.a[i] -= t2.a[i];
121     }
122     t1.len = big;
123     while (t1.len > 1 && t1.a[t1.len - 1] == 0) {
124         --t1.len;
125         --big;
126     }
127     if (ctf) t1.a[big - 1] = -t1.a[big - 1];
128     return t1;
129 }
130 Big Big::operator*(const Big& T) const {
131     Big res;
132     int up;
133     int te, tee;
134     f(i, 0, len) {
135         up = 0;
136         f(j, 0, T.len) {
137             te = a[i] * T.a[j] + res.a[i + j] + up;
138             if (te > MAXN) {
139                 tee = te - te / (MAXN + 1) * (MAXN + 1);
140                 up = te / (MAXN + 1);
141                 res.a[i + j] = tee;
142             } else {
143                 up = 0;
144                 res.a[i + j] = te;
145             }
146         }
147         if (up) res.a[i + T.len] = up;
148     }
149     res.len = len + T.len;
150     while (res.len > 1 && res.a[res.len - 1] == 0) --res.len;
151     return res;
152 }
153 Big Big::operator/(const int& b) const {
154     Big res;
155     int down = 0;
156     gd(i, len - 1, 0) {
157         res.a[i] = (a[i] + down * (MAXN + 1) / b);
158         down = a[i] + down * (MAXN + 1) - res.a[i] * b;

```

```

159     }
160     res.len = len;
161     while (res.len > 1 && res.a[res.len - 1] == 0) --res.len;
162     return res;
163 }
164 int Big::operator%(const int& b) const {
165     int d = 0;
166     gd(i, len - 1, 0) d = (d * (MAXN + 1) % b + a[i]) % b;
167     return d;
168 }
169 Big Big::operator^(const int& n) const {
170     Big t(n), res(1);
171     // TODO:: 快速幂这样写好丑= =//DONE:)
172     int y = n;
173     while (y) {
174         if (y & 1) res = res * t;
175         t = t * t;
176         y >>= 1;
177     }
178     return res;
179 }
180 bool Big::operator<(const Big& T) const {
181     int ln;
182     if (len < T.len) return 233;
183     if (len == T.len) {
184         ln = len - 1;
185         while (ln ≥ 0 && a[ln] == T.a[ln]) --ln;
186         if (ln ≥ 0 && a[ln] < T.a[ln]) return 233;
187         return 0;
188     }
189     return 0;
190 }
191 inline bool Big::operator<(const int& t) const {
192     Big tee(t);
193     return *this < tee;
194 }
195 inline void Big::print() {
196     printf("%d", a[len - 1]);
197     gd(i, len - 2, 0) { printf("%04d", a[i]); }
198 }
199
200 inline void print(Big s) {
201     // s不要是引用，要不然你怎么print(a * b);
202     int len = s.len;
203     printf("%d", s.a[len - 1]);
204     gd(i, len - 2, 0) { printf("%04d", s.a[i]); }
205 }
206 char s[100024];

```

2.10 Fibonacci

```
1 | pair<int, int> fib(int n) {  
2 |     if (n == 0) return {0, 1};  
3 |     auto p = fib(n >> 1);  
4 |     int c = p.first * (2 * p.second - p.first);  
5 |     int d = p.first * p.first + p.second * p.second;  
6 |     if (n & 1)  
7 |         return {d, c + d};  
8 |     else  
9 |         return {c, d};  
10| }
```

3 math

3.1 matrix tree

```

1  const int MOD = 31011;
2  int n, m;
3  int bel[110];
4  struct edge {
5      int u, v;
6      ll w;
7      bool operator<(const edge &tmp) const { return w < tmp.w; }
8  } e[1010], tr[110];
9  int fa[110], use[110], is[110];
10 inline int get(int x) {
11     while (x ≠ fa[x]) x = fa[x] = fa[fa[x]];
12     return x;
13 }
14 inline void uni(int x, int y) { fa[get(x)] = get(y); }
15 int a[110][110];
16 int tot, val[110], cnt;
17 void addTreeEdge(int v) {
18     for (int i = 1; i ≤ cnt; i++) {
19         if (tr[i].w ≠ v) {
20             uni(tr[i].u, tr[i].v);
21         }
22     }
23 }
24 void add(int u, int v) { --a[u][v], --a[v][u], ++a[u][u], ++a[v][v]; }
25 int getblock() {
26     int blo = 0;
27     for (int i = 1; i ≤ n; i++) {
28         if (!bel[get(i)]) {
29             bel[get(i)] = ++blo;
30         }
31         bel[i] = bel[get(i)];
32     }
33     return blo;
34 }
35 int Gauss(int n) {
36     int ans = 1;
37     for (int i = 1; i ≤ n; i++)
38         for (int j = 1; j ≤ n; j++)
39             if (a[i][j] < 0) a[i][j] += MOD;
40     for (int i = 1; i ≤ n; ++i) {
41         for (int k = i + 1; k ≤ n; ++k) {
42             while (a[k][i]) {
43                 int d = a[i][i] / a[k][i];
44                 for (int j = i; j ≤ n; ++j)

```

```

45         a[i][j] = (a[i][j] - 1LL * d * a[k][j] % MOD +
46             MOD) % MOD;
47         std::swap(a[i], a[k]), ans = -ans;
48     }
49     ans = 1LL * ans * a[i][i] % MOD, ans = (ans + MOD) % MOD;
50 }
51 return ans;
52 }
53 void rebuild(int v) {
54     memset(a, 0, sizeof(a));
55     for (int i = 1; i ≤ m; ++i)
56         if (e[i].w == v) add(bel[e[i].u], bel[e[i].v]);
57 }
58 int main() {
59     // freopen("in.txt", "r", stdin);
60     // freopen("out.txt", "w", stdout);
61     scanf("%d%d", &n, &m);
62     for (int i = 1; i ≤ m; i++) {
63         scanf("%d%d%lld", &e[i].u, &e[i].v, &e[i].w);
64     }
65     sort(e + 1, e + m + 1);
66     int g = n;
67     cnt = 0, tot = 0;
68     for (int i = 1; i ≤ n; i++) fa[i] = i;
69     for (int i = 1, fx, fy; i ≤ m && g > 1; i++) {
70         fx = get(e[i].u), fy = get(e[i].v);
71         if (fx ≠ fy) {
72             fa[fx] = fy;
73             tr[++cnt] = e[i];
74             if (e[i].w ≠ val[tot]) val[++tot] = e[i].w;
75             --g;
76         }
77     }
78     if (g > 1) {
79         puts("0");
80         return 0;
81     }
82     ll ans = 1;
83     for (int i = 1; i ≤ tot; i++) {
84         for (int j = 1; j ≤ n; j++) fa[j] = j, bel[j] = 0;
85         addTreeEdge(val[i]);
86         int blo = getblock();
87         rebuild(val[i]);
88         ans = 1LL * ans * Gauss(blo - 1) % MOD;
89     }
90     printf("%lld\n", ans);
91     return 0;

```


92 | }

3.2 isap

```

1
2 class ISAP {
3     private:
4         static const int N = 10010;//endpoint_num
5         static const int M = 240010;//edge_num
6         static const int INF = 0x3f3f3f3f;
7         int tot,n,m,s,t;
8         int carc[N],gap[N];//curarc and gap
9         int pre[N];
10        int Head[N],nxt[M],ver[M],flow[M];//base
11        int d[N];//depth
12        bool visited[N];
13    public:
14        void init(int _n,int _m,int _s,int _t) {
15            tot=1;
16            n=_n,m=_m,s=_s,t=_t;
17            fill(Head,Head+n+1,0);
18        }
19
20        void addedge(int u,int v,int w) {
21            ver[++tot]=v;
22            flow[tot]=w;
23            nxt[tot]=Head[u];
24            Head[u]=tot;
25
26            ver[++tot]=u;
27            flow[tot]=0;
28            nxt[tot]=Head[v];
29            Head[v]=tot;
30        }
31        bool bfs() { // calculate the depth
32            fill(visited,visited+n+1,0);
33            queue<int>q;
34            visited[t]=1;
35            d[t]=0;
36            q.push(t);
37            while(q.size()) {
38                int u = q.front();
39                q.pop();
40                for(int i = Head[u]; i; i=nxt[i]) {
41                    int v = ver[i];
42                    if(i&1&&!visited[v]) {
43                        visited[v]=true;
44                        d[v]=d[u]+1;
45                        q.push(v);

```

```

46         //printf("!! !! !! !d[%d]=%d   d[%d]=%d\n",u,d[
           u],v,d[v]);
47     }
48 }
49 }
50 return visited[s];
51 }
52 int aug() {
53     int u=t, df=INF;
54     while(u≠s) { // calculate the flow
55         df=min(df,flow[pre[u]]);
56         u=ver[pre[u] ^ 1];
57     }
58     u=t;
59     while(u≠s) {
60         flow[pre[u]]-=df;
61         flow[pre[u] ^ 1]+=df;
62         u=ver[pre[u] ^ 1];
63     }
64     return df;
65 }
66 int maxflow();
67 } flow;
68 int ISAP :: maxflow() {
69     int ans=0;
70     fill(gap,gap+n+1,0);
71     for(int i=1; i≤n; i++) carc[i]=Head[i]; //copy the head for
       ignore the useless edge
72     bfs();
73     for(int i=1; i≤n; i++) gap[d[i]]++; //Using array gap to store
       how many endpoint's depth is k. When we found some gap is 0
       or d[source]>n mean there are no another augmenting path.
74     int u = s;
75     while(d[s]≤n) {
76         if(u==t) {
77             ans+=aug();
78             u=s;
79         }
80         bool advanced=false;
81         for(int i=carc[u]; i; i=nxt[i]) {
82             if(flow[i] && d[u]==d[ver[i]]+1) {
83                 advanced=true;
84                 pre[ver[i]]=i;
85                 carc[u]=i; //carc
86                 u=ver[i];
87                 break;
88             }
89         }
90         if(!advanced) {

```

```

91         int mindep=n-1;
92         for(int i=Head[u]; i; i=nxt[i]) {
93             if(flow[i]) {
94                 mindep=min(mindep,d[ver[i]]);
95             }
96         }
97         //if(d[s]>n)puts("d[s]>n cause exit");
98         if(--gap[d[u]]==0)break;
99         gap[d[u]=mindep+1]++;
100
101         carc[u]=Head[u];
102         if(u!=s)u=ver[pre[u] ^ 1];
103     }
104     // if(d[s]>n)puts("d[s]>n cause exit");
105 }
106 return ans;
107 }

```

3.3 dinic

```

1 class dinic {
2     private:
3         static const int N = 10010;//TODO :endpoint_num
4         static const int M = 200010;//edge_num
5         static const int INF = 0x3f3f3f3f;
6         int tot,n,m,s,t;
7         int carc[N];//curarc and gap
8         int Head[N],nxt[M],ver[M],flow[M];//base
9         int d[N];//depth
10    public:
11        void init(int _n,int _m,int _s,int _t) {
12            tot=1;
13            n=_n,m=_m,s=_s,t=_t;
14            fill(Head,Head+n+1,0);
15        }
16        void addedge(int u,int v,int w) {
17            ver[++tot]=v;
18            flow[tot]=w;
19            nxt[tot]=Head[u];
20            Head[u]=tot;
21
22            ver[++tot]=u;
23            flow[tot]=0;
24            nxt[tot]=Head[v];
25            Head[v]=tot;
26        }
27        bool bfs() {
28            fill(d,d+n+1,0);
29            queue<int>q;

```

```

30         d[s]=1;
31         q.push(s);
32         while(q.size()) {
33             int u = q.front();
34             q.pop();
35             for(int i = Head[u]; i; i=nxt[i]) {
36                 int v = ver[i];
37                 if(d[v]==0&&flow[i]) {
38                     d[v]=d[u]+1;
39                     q.push(v);
40                 }
41             }
42         }
43         return d[t]!=0;
44     }
45     int dfs(int u,int minn);
46     int maxflow() {
47         int ans=0;
48         while(bfs()) {
49             copy(Head+1,Head+n+1,carc+1);
50             ans+=dfs(s,INF);
51         }
52         return ans;
53     }
54 } flow;
55 int dinic::dfs(int u,int minn) {
56     if(u==t)return minn;
57     int ret=0;
58     for(int i = carc[u]; minn&&i; i=nxt[i]) {
59         carc[u]=i;
60         int v = ver[i];
61         if(flow[i]&&d[v]==d[u]+1) {
62             int final=dfs(v,min(flow[i],minn));
63             if(final>0) {
64                 flow[i]-=final;
65                 flow[i ^ 1]+=final;
66                 minn-=final;
67                 ret+=final;
68             } else d[v]=-1;
69         }
70     }
71     return ret;
72 }

```

4 others

4.1 cppHeader

```
1 #include <algorithm>
2 #include <bitset>
3 #include <cassert>
4 #include <cmath>
5 #include <cstdio>
6 #include <cstdlib>
7 #include <cstring>
8 #include <ctime>
9 #include <iostream>
10 #include <map>
11 #include <queue>
12 #include <random>
13 #include <set>
14 #include <stack>
15 #include <string>
16 #include <unordered_map>
17 #include <unordered_set>
18 #include <vector>
19 using namespace std;
20 typedef long long ll;
21 const double PI = acos(-1.);
22 mt19937 myrand(time(0));
```