

Data 102 Fall 2022

Lecture 1

Data, Inference, and Decisions:
what does that mean?

Your Instructors



Jacob Steinhardt



Ramesh Sridharan

This Course Has Two Big Ideas:

- Making Decisions Under Uncertainty
- Modeling in the Real World: Assumptions & Robustness

Big Ideas

- Making Decisions Under Uncertainty
- Modeling in the Real World: Assumptions & Robustness

Course Topics

- Repeated binary decision-making
- Causal Inference
- Bayesian & frequentist modeling
- Prediction: regression & nonparametrics
- Quantifying uncertainty (intervals and more)
- Interpretability
- Concentration inequalities
- Sequential decisions w/feedback
- Matching Markets
- Robustness
- Privacy

Logistics

- Everything you'll need to know will be on the course website or Ed

data102.org/fa22

Problem setup: what are we trying to do?

1. We observe data: x, y
2. We want to understand hidden (unknown) state of the world: θ

Data: x	Data: y	Unknown: θ
-	Heights in a sample	Average population height
-	Video from a car camera/sensor	What objects/people are near the car?
Patient medical records	Patient health outcomes	Prediction formula for health outcomes
Phone usage (survey)	Happiness (survey)	How much does phone usage <i>cause</i> happiness to increase/decrease?

Assumptions: Bayesian/Frequentist and (Non)parametric

- Bayesian vs Frequentist

- Frequentist: data (y) are random, unknowns (θ) are ***fixed***
- Bayesian: data (y) are random*, unknowns (θ) are ***random***
- Sounds simple, but has huge consequences!

- Parametric vs Nonparametric

- Parametric
 - Make assumptions about relationship between unknowns (θ) and data (y)
 - Use assumptions to find θ from y
- Nonparametric:
 - Don't bother with assumptions
 - Find any good function f so that $\theta = f(y)$
 - (there's another definition we'll talk about later in the semester too)

Binary Decision Making

- The simplest kind of decision: yes or no (0 or 1)
- Setup
 - Reality is 0 or 1
 - We observe noisy data, and use that to make a decision (our best guess for reality)
 - Our decision is 0 or 1
- Examples
 - COVID testing
 - Fraud detection
 - Predicting recidivism (will someone commit another crime?)
 - Detecting underground oil wells
 - Movie/TV recommendations

Binary Decision Making

- Examples

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		Decision	
		0	1
Reality	0	TN	FP
	1	FN	TP

<i>TN:</i>	<i>True</i>	<i>Negative</i>
<i>TP:</i>	<i>True</i>	<i>Positive</i>
<i>FN:</i>	<i>False</i>	<i>Negative</i>
<i>FP:</i>	<i>False</i>	<i>Positive</i>

True/False: was the decision correct or not?

Negative/Positive: was the decision 0 or 1?

Multiple Decisions

Single decision

		Decision	
		0	1
Reality	0	TN	FP
	1	FN	TP

Multiple decisions

		Decision	
		0	1
Reality	0	n_{00}	n_{01}
	1	n_{10}	n_{11}

Multiple Decisions

- We usually don't know "Reality"
- In real-world scenarios, we also need to make more than one decision
- Next: strategies and theory around how to make those decisions intelligently

“Row-wise” rates: *what if we knew reality?*

- TNR: $\frac{n_{00}}{n_{00} + n_{01}}$
specificity

- FPR: $\frac{n_{01}}{n_{00} + n_{01}}$

- TPR: $\frac{n_{11}}{n_{10} + n_{11}}$
sensitivity
recall

- FNR: $\frac{n_{10}}{n_{10} + n_{11}}$

		Decision	
		0	1
Reality	0	n_{00}	n_{01}
	1	n_{10}	n_{11}

A column-wise rate: what if we made a “1” decision?

		Decision		False <u>discovery</u> proportion (FDP):
		0	1	
Reality	0	n_{00}	n_{01}	$\frac{n_{01}}{n_{01} + n_{11}}$ $P(R = 0 \mid D = 1)$
	1	n_{10}	n_{11}	