

Let MWEM(**A**): repeat until happy ...

1. Use the exp mech to pick a **q** in **Q** “maximizing”

$$\text{score}(\mathbf{A}, \mathbf{q}) = | \mathbf{q}(\mathbf{A}) - \mathbf{q}(\mathbf{D}) |.$$

2. Use the Laplace mech to measure $\mathbf{q}(\mathbf{A}) + \text{noise}$.
3. Update guess about distribution **D**, using MW.

Multiplicative Weights update rule:

1. let $\text{error} = (q(A) - q(D)) / n$; *// too high, low?*
2. for each d in D :
 - if $q(d) = 1$, scale weight of d by $\exp(\text{error})$,
 - if $q(d) = 0$, scale weight of d by $\exp(-\text{error})$.

“Theorem”: each step decreases $KL(A \parallel D)$ by ϵ error ϵ .





“Theorem”: each step decreases $KL(A \parallel D)$ by 1 error 1.