# Informatics II Exercise 2

Spring Semester 2022 Week 3 Recursion

## Task 1. Short Questions

Solve all of the following subtasks without executing any given code.

(a) Consider the C function below. How many recursive calls will be executed for rec\_fun1(3)?

```
int rec_fun1(int n) {
    if (n == 13) {
        return 12;
    }
    else {
        return 11 * rec_fun1(n + 2);
    }
}
```

Answer:

(b) Consider the following function in C

What will be the return value of the call rec\_fun2(3, 0)?

```
int rec_fun2(int x, int y) {
    if (x <= 0) {
        y = y + 5;
        return y;
    }
    else {
        int t1 = rec_fun2(x - 1, y + 2);
        int t2 = rec_fun2(x - 2, y + 3);
        return t1 + t2;
}</pre>
```

Answer:

(c) Consider the following two C functions:

What will be the output on the console for the call rec\_fun3a(5)?

```
void rec_fun3a(int n) {
      if (n == 0) {
          return;
      printf("%d", n);
      rec_fun3b(n - 2);
      printf("%d", n);
8 }
 void rec_fun3b(int n) {
      if (n == 0) {
          return;
13
      printf("%d", n);
14
      rec_fun3a(n + 1);
      printf("%d", n);
16
17 }
```

Answer:

(d) Consider the following function in C:

Formally describe the set of input values x and y for which an infinite recursion will occur (i.e. for which the base case is never reached).

int	rec_fun4(int x, int y) {
2	if (x > y) {
3	return x * y;
4	}
5	else {
	<pre>return rec_fun4(x - 1, y);</pre>
	}
}	

Answer:

(e) Is the following statement true or false?

«A recursive function always has to have exactly one base case.»

Answer: $\square$ True $\square$ False
--

## Task 2. Second Smallest Element

Write a program in C which recursively finds the value of the second smallest element in an arbitrary array A[0..n-1] of n > 1 mutually distinct, strictly positive integers.

A code skeleton with the code for reading in an array from the user is provided as task2\_skeleton.c.

### Task 3. Blinking Light

Consider a LED which is emitting different blinking patterns. In each second, the LED can either exhibit exactly two short blinks (which will be denoted as -- in the following examples) or exactly one long blink (denoted as -). Hence a blinking pattern will consist of a certain number n of blinks (each either short or long). For example, a blinking pattern consisting of n=3 blinks (regardless whether short or long) can have one of the following 3 configurations:

A blinking pattern consisting of n = 4 blinks can be constructed in 5 different ways:

$$(----), (-----), (-----), (-----)$$

Write a program in C which calculates the number of different blinking patterns which consist of exactly n blinks.

A code skeleton with the code for reading in an integer value is provided as task3\_skeleton.c.

#### Task 4. Fractal Circles

Devise a pseudo code algorithm which will produce in a Cartesian coordinate system a picture according to the following rules:

Initially, a circle with radius  $r_0$  is drawn with its centre at the position  $(x_0, y_0) = (0, 0)$ . At each point of intersection of a circle with the x-axis, another circle is drawn which has half the radius of the circle intersecting the x-axis. No circle with a radius smaller than  $r_{min} = 10$  should be drawn. See Figure 1 for an example produced for  $r_0 = 256$ .

Assume that a subroutine  $draw\_circle(pos\_x, pos\_y, radius)$  does already exist and will draw a circle around a centre position at coordinate  $(pos\_x, pos\_y)$  with the radius given as an argument.

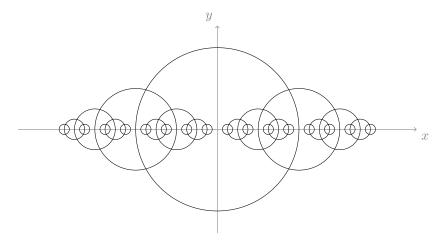


Figure 1: Figure produced according to the given rules for  $r_0 = 256$ .