```
1 import numpy as np
 2 import matplotlib.pyplot as plt
 3
 4
  class TwoLayerNet(object):
 5
       A two-layer fully-connected neural network. The net has an input
 6
   dimension of
 7
       N, a hidden layer dimension of H, and performs classification over C
   classes.
 8
       We train the network with a softmax loss function and L2 regularization
 9
       weight matrices. The network uses a ReLU nonlinearity after the first
   fully
10
       connected layer.
11
12
       In other words, the network has the following architecture:
13
       input - fully connected layer - ReLU - fully connected layer - MSE Loss
14
15
       ReLU function:
16
       (i) x = x \text{ if } x >= 0 (ii) x = 0 \text{ if } x < 0
17
18
19
       The outputs of the second fully-connected layer are the scores for each
   class.
       0.00
20
21
       def __init__(self, input_size, hidden_size, output_size, std=1e-4):
22
23
24
           Initialize the model. Weights are initialized to small random values
   and
25
           biases are initialized to zero. Weights and biases are stored in the
26
           variable self.params, which is a dictionary with the following keys:
27
28
           W1: First layer weights; has shape (H, D)
29
           b1: First layer biases; has shape (H,)
30
           W2: Second layer weights; has shape (C, H)
31
           b2: Second layer biases; has shape (C,)
32
33
           Inputs:
34
           - input_size: The dimension D of the input data.
35
           - hidden_size: The number of neurons H in the hidden layer.
           - output_size: The number of classes C.
36
37
38
           self.params = {}
           self.params['W1'] = std * np.random.randn(hidden_size, input_size)
39
           self.params['b1'] = np.zeros(hidden_size)
40
           self.params['W2'] = std * np.random.randn(output_size, hidden_size)
41
           self.params['b2'] = np.zeros(output_size)
42
43
44
       def loss(self, X, y=None, reg=0.0):
45
46
           Compute the loss and gradients for a two layer fully connected neural
47
           network.
48
49
           Inputs:
50
           - X: Input data of shape (N, D). Each X[i] is a training sample.
51
           - y: Vector of training labels. y[i] is the label for X[i], and each
   y[i] is
52
             an integer in the range 0 \le y[i] < C. This parameter is optional;
   if it
```

localhost:4649/?mode=python 1/7

```
53
             is not passed then we only return scores, and if it is passed then
   we
 54
              instead return the loss and gradients.
 55
           - reg: Regularization strength.
56
 57
           Returns:
 58
           If y is None, return a matrix scores of shape (N, C) where scores[i,
    c] is
 59
           the score for class c on input X[i].
 60
 61
           If y is not None, instead return a tuple of:

    loss: Loss (data loss and regularization loss) for this batch of

 62
    training
63
             samples.
 64

    grads: Dictionary mapping parameter names to gradients of those

    parameters
 65
             with respect to the loss function; has the same keys as
    self.params.
66
           # Unpack variables from the params dictionary
 67
68
           W1, b1 = self.params['W1'], self.params['b1']
69
           W2, b2 = self.params['W2'], self.params['b2']
 70
           N, D = X.shape
 71
 72
           # Compute the forward pass
 73
           scores = None
 74
 75
 76
           # START YOUR CODE HERE
 77
 78
           #
               Calculate the output scores of the neural network. The result
 79
           #
               should be (N, C). As stated in the description for this class,
               there should not be a ReLU layer after the second fully-connected
           #
80
 81
           #
               laver.
           #
82
               The code is partially given
               The output of the second fully connected layer is the output
83
    scores.
84
           #
               Do not use a for loop in your implementation.
               Please use 'h1' as input of hidden layers, and 'a2' as output of
85
 86
               hidden layers after ReLU activation function.
                [Input X] --W1,b1--> [h1] -ReLU-> [a2] --W2,b2--> [scores]
 87
           #
           #
               You may simply use np.maximun for implementing ReLU.
88
89
           #
               Note that there is only one ReLU layer.
90
               Note that plase do not change the variable names (h1, h2, a2)
91
           92
93
           h1 = np.dot(X,W1.T) + b1
94
           a2 = np.zeros(h1.shape)
95
           a2 = np.maximum(a2, h1) # activation with input of h1
96
           h2 = np.dot(a2,W2.T) + b2
97
           scores = h2
98
99
100
           # END YOUR CODE HERE
101
102
103
104
           # If the targets are not given then jump out, we're done
105
           if y is None:
106
                return scores
```

localhost:4649/?mode=python 2/7

```
11/10/2020
                                             neural_net.py
107
108
             # Compute the loss
109
             loss = None
110
111
             # scores is num examples by num classes (N, C)
             def softmax_loss(x, y):
112
113
                 loss, dx = 0.0
114
                 # START YOUR CODE HERE (BONUS QUESTION)
115
116
                 #
                      Calculate the cross entropy loss after softmax output layer.
117
118
                 #
                     The format are provided in the notebook.
119
                     This function should return loss and dx, same as MSE loss
     function.
120
121
122
                 pass
123
124
125
                 # END YOUR CODE HERE
                 #
126
127
                 return loss, dx
128
129
             def MSE_loss(x, y):
130
                 loss, dx = 0.0
131
132
133
                 # START YOUR CODE HERE
                 #
134
                     This function should return loss and dx (gradients ready for
135
     back prop).
136
                     The loss is MSE loss between network ouput and one hot vector
     of class
137
                 #
                      labels is required for backpropogation.
138
                 #
139
                 # Hint: Check the type and shape of x and y.
140
                          e.g. print('DEBUG:x.shape, y.shape', x.shape, y.shape)
141
142
                 # x is our y_pred, and y is the y_target
143
144
                 num_samples = x.shape[0]
145
                 num_attrs = x.shape[1]
146
                 y_target = np.zeros((num_samples, num_attrs))
147
                 for i in range(num_samples):
                   y_{target[i][y[i]] = 1
148
                 diff = x - y_target
149
150
                 dx = diff / num_samples
                 loss = 0.5 * np.sum(np.square(diff)) / num_samples
151
152
153
154
                 # END YOUR CODE HERE
```

localhost:4649/?mode=python 3/7

```
155
156
            return loss, dx
157
158
         # data loss, dscore = softmax loss(scores, y)
         # The above line is for bonus question. If you have implemented
159
   softmax_loss, de-comment this line instead of MSE error.
160
         data_loss, dscore = MSE_loss(scores, y) # "comment" this line if you
161
   use softmax loss
162
         # ========
         # START YOUR CODE HERE
163
164
         # =========== #
            Calculate the regularization loss. Multiply the regularization
165
            loss by 0.5 (in addition to the factor reg).
166
167
         reg_loss = 0.5 * reg * (np.sum(W1*W1) + np.sum(W2*W2))
168
169
         170
171
         # END YOUR CODE HERE
172
         loss = data_loss + reg_loss
173
174
175
         grads = \{\}
176
177
         178
         # START YOUR CODE HERE
179
         # Backpropogation: (You do not need to change this!)
180
181
            Backward pass is implemented. From the dscore error, we calculate
182
            the gradient and store as grads['W1'], etc.
183
         grads['W2'] = a2.T.dot(dscore).T + reg * W2
184
185
         grads['b2'] = np.ones(N).dot(dscore)
186
187
         da_h = np.zeros(h1.shape)
         da_h[h1>0] = 1
188
         dh = (dscore_dot(W2) * da_h)
189
190
191
         grads['W1'] = np.dot(dh.T,X) + reg * W1
192
         grads['b1'] = np.ones(N).dot(dh)
         193
         # END YOUR CODE HERE
194
195
196
197
         return loss, grads
198
199
      def train(self, X, y, X_val, y_val,
            learning_rate=1e-3, learning_rate_decay=0.95,
200
            reg=1e-5, num_iters=100,
201
202
            batch_size=200, verbose=False):
203
204
         Train this neural network using stochastic gradient descent.
205
206
         Inputs:
         - X: A numpy array of shape (N, D) giving training data.
207
         - y: A numpy array f shape (N,) giving training labels; y[i] = c
208
209
          X[i] has label c, where 0 \ll c \ll C.
         - X_val: A numpy array of shape (N_val, D) giving validation data.
210
```

localhost:4649/?mode=python 4/7

```
- y_val: A numpy array of shape (N_val,) giving validation labels.
211
            learning_rate: Scalar giving learning rate for optimization.
212
213
            - learning_rate_decay: Scalar giving factor used to decay the
    learning rate
214
              after each epoch.
            - reg: Scalar giving regularization strength.
215
216
            num_iters: Number of steps to take when optimizing.
217
            batch_size: Number of training examples to use per step.
218
            - verbose: boolean; if true print progress during optimization.
            \mathbf{H}\mathbf{H}\mathbf{H}
219
220
            num_train = X.shape[0]
221
            iterations_per_epoch = max(num_train / batch_size, 1)
222
223
            # Use SGD to optimize the parameters in self.model
224
            loss history = []
225
            train_acc_history = []
226
            val_acc_history = []
227
228
            for it in np.arange(num_iters):
229
                X batch = None
230
                y_batch = None
231
232
                    Create a minibatch (X_batch, y_batch) by sampling batch_size
233
                     samples randomly.
234
235
                b_index = np.random.choice(num_train, batch_size)
236
                X_{batch} = X[b_{index}]
                y_batch = y[b_index]
237
238
239
                # Compute loss and gradients using the current minibatch
240
                loss, grads = self.loss(X_batch, y=y_batch, reg=reg)
241
                loss_history.append(loss)
242
243
                #
244
                # START YOUR CODE HERE
245
                #
246
                     Perform a gradient descent step using the minibatch to update
                #
                     all parameters (i.e., W1, W2, b1, and b2).
247
                #
248
                #
                    The gradient has been calculated as grads['W1'], grads['W2'],
249
                #
                    grads['b1'], grads['b2']
250
                #
                     For example,
                #
                    W1(new) = W1(old) - learning_rate * grads['W1']
251
252
                     (this is not the exact code you use!)
253
254
255
                self.params['W1'] = self.params['W1'] - learning_rate *
    grads['W1']
                self.params['b1'] = self.params['b1'] - learning_rate *
256
    grads['b1']
257
                self.params['W2'] = self.params['W2'] - learning_rate *
    grads['W2']
                self.params['b2'] = self.params['b2'] - learning_rate *
258
    grads['b2']
259
                #
260
261
                # END YOUR CODE HERE
```

localhost:4649/?mode=python 5/7

```
262
263
264
                if verbose and it % 100 == 0:
                     print('iteration {} / {}: loss {}'.format(it, num_iters,
265
    loss))
266
267
                # Every epoch, check train and val accuracy and decay learning
    rate.
268
                if it % iterations per epoch == 0:
269
                    # Check accuracy
                    train_acc = (self.predict(X_batch) == y_batch).mean()
270
271
                    val_acc = (self.predict(X_val) == y_val).mean()
272
                     train_acc_history.append(train_acc)
                    val_acc_history.append(val_acc)
273
274
275
                    # Decay learning rate
276
                     learning_rate *= learning_rate_decay
277
278
            return {
279
               'loss_history': loss_history,
280
              'train_acc_history': train_acc_history,
281
               'val_acc_history': val_acc_history,
282
283
284
        def predict(self, X):
285
286
            Use the trained weights of this two-layer network to predict labels
    for
287
            data points. For each data point we predict scores for each of the C
            classes, and assign each data point to the class with the highest
288
    score.
289
290
            Inputs:
291

    X: A numpy array of shape (N, D) giving N D-dimensional data points

    to
292
              classify.
293
294
            Returns:
295
              y_pred: A numpy array of shape (N,) giving predicted labels for
    each of
296
              the elements of X. For all i, y_pred[i] = c means that X[i] is
    predicted
297
              to have class c, where 0 <= c < C.
298
299
            y_pred = None
300
301
            # =========
302
            # START YOUR CODE HERE
303
                Predict the class given the input data.
304
305
306
            scores = self.loss(X)
307
            y_pred = np.argmax(scores,axis=1)
308
309
310
            # END YOUR CODE HERE
311
312
313
            return y_pred
```

localhost:4649/?mode=python 6/7

314 315 316

localhost:4649/?mode=python 7/7