

- o Array usage
- o Basic problems
- o Subarrays



* Why array indices start with 0?

Gives an array

Print all.

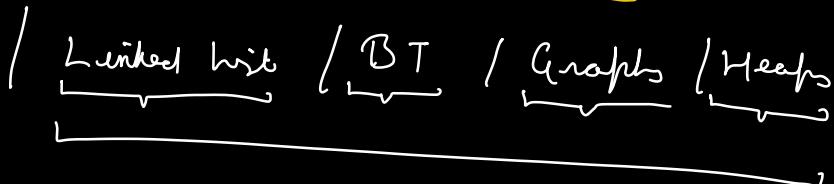
```
for (i=0; i < n ; i++) {
    Print(arr[i]);
```

}

TC : $O(n)$

$O(1)$ Random Access

Arrays



Q Given an array count no. of elements that have at least 1 element greater than themselves.

arr : { 3, -2, 6, 8, 4, 8, 5 } \Rightarrow 5
 ✓ ✓ ✓ ✗ ✓ ✗ ✓

App 1

- Sort the array
- Return everything except last element. ✗

-2, 3, 4, 5, 6, 8, 8, 5

TC : $O(N \log N)$

App 2

- Observe • The max no. is the only no. not satisfying this condition.

- All elements except the max should be counted.

max \rightarrow max of array. -

ans = 0;

for (i=0; i<N; i++) {

 if (arr[i] != max) {

 ans++;

 }

}

HW \Rightarrow Implement in a single loop.

Final Max Final Ans

\downarrow \downarrow
 $O(N) + O(N)$

$= O(N)$

Q Given an array. Count the no. of pairs $(a[i], a[j])$

Such that $a[i] + a[j] = K$ $i \neq j$
 [No built-in fn / library
 No extra space.]

arr : 3, -2, 1, 4, 3, 6, 8

$$K = 10$$

$$\rightarrow 1$$

Ques 3, 5, 2, 1, -3, 7, 8, 15, 6, 13

3, 7
 2, 8
 -3, 13] 3

Ques 2, 7, 3, 14, 6, 1, 0, 10, 14

14, 6] 2
 6, 14]

cnt = 0;
 for (i=0; i<N; i++) {

for (j=i+1; j<N; j++) {

if ($a[i] + a[j] == K \ \& \ i \neq j$)
 cnt++;



i	j	No. of iterations
0	[1, N-1]	N-1
1	[2, N-1]	N-2
2	[3, N-1]	N-3
<u>N-1</u>	<u> </u>	0

$$S = 0 + 1 + 2 + 3 + \dots + N-1$$

$$S_n = \frac{(N-1)N}{2} = \frac{N^2 - N}{2}$$

TC : $O(N^2)$

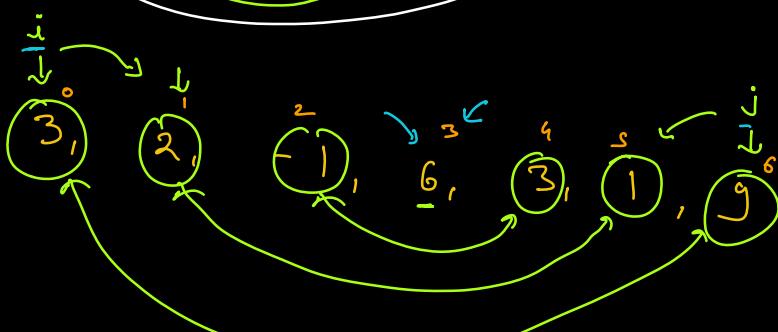
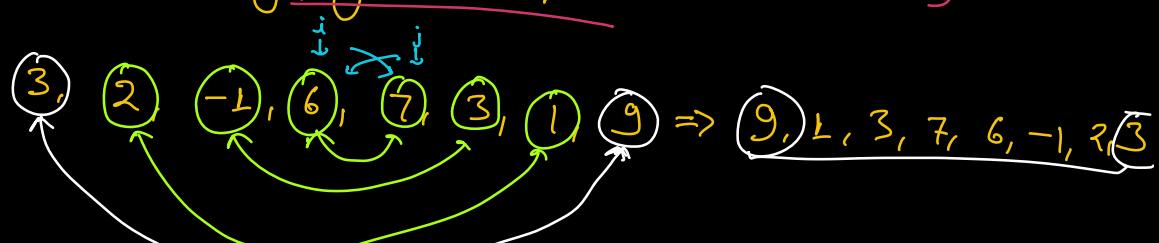
Expected TC : $O(N)$ ($O(N)$ extra space) \Rightarrow HashMap class,
or

$O(N \log N)$ ($O(1)$ extra space) \Rightarrow Two Pointers class

Q

Gives an array. Reverse the array.

Without using any extra space. $\Rightarrow SC = O(1)$



Reverse (arr[N])

$i = 0; j = n-1;$

while ($i < j$) {

Swap(arr[i], arr[j]);

$i++; j--;$

int temp = a;
a = b;
b = temp;

$a, b = b, a$ // Python

$$\begin{cases} a = a + b; \\ b = \underline{a} - b; \\ a = a - b \end{cases} \Rightarrow \text{OVERFLOW}$$

$\text{if } a+b - b = a$
 $\text{if } a+b-a = b$

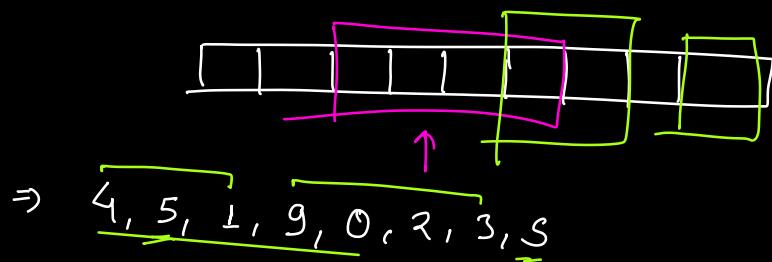
$$\begin{cases} a = a \wedge b \\ b = \underline{a} \wedge b \\ a = a \wedge b \end{cases} \text{if } a \wedge b \wedge b = a$$

$\text{if } a \wedge b \wedge a = b$

~~$O(N/2)$~~ ~~$Tc-1$~~ ~~$Tc-2$~~

~~$\frac{O(N)}{2}$~~

Subarray



$s \checkmark$

$4, 5, 1, 0 \times$

$9, 0, 2, 3 \checkmark$

$4, 5, 1 \checkmark$

- An array is a sub-array of itself.
- An empty array is a sub-array of all the arrays
- A single element is also a subarray.

Subarray \Rightarrow Non-empty subarrays (Most of the time)

Q

A : [4, 2, 10, 3, 12, -2, 15]

How many sub-arrays start from index 0.
 $s=0$

[4]

[4, 2]

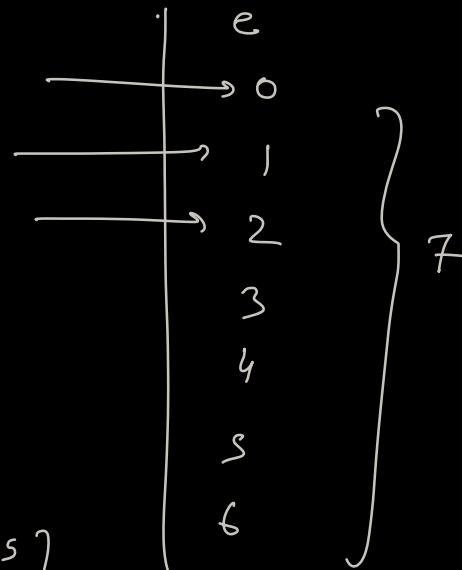
[4, 2, 10]

[4, 2, 10, 3]

[4, 2, 10, 3, 12]

[4, 2, 10, 3, 12, -2]

[4, 2, 10, 3, 12, -2, 15]



$s = 1$

[2] \rightarrow 1

[2, 10] \rightarrow 2

[2, 10, 3] \rightarrow 3

[2, 10, 3, 12] \rightarrow 4

[2, 10, 3, 12, -2] \rightarrow 5

[2, 10, 3, 12, -2, 15] \rightarrow 6

$\Rightarrow 6$

-

Total Non-Empty subarrays:

Count of SA starting from index 0 $\Rightarrow N$

Count of SA starting from index 1 $\Rightarrow N-1$

Count of SA starting from index 2 $\Rightarrow N-2$

⋮
⋮

Count of SA starting from index $N-1 \Rightarrow 1$



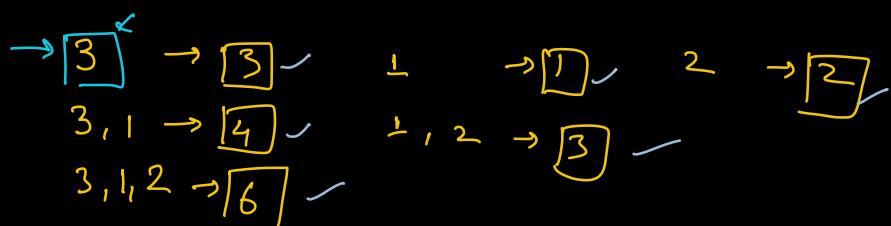
$$\underbrace{1 + 2 + 3 + \dots + (N-2) + (N-1) + N}_{\frac{N \times (N+1)}{2}}$$

Break till 10:35 p

\hookrightarrow Interview Bit \rightarrow Practice
 \hookrightarrow Homework

Q Given an array. Print the sum of all the subarrays.

$$A : \begin{matrix} 3 \\ \uparrow \\ 3, 1, 2 \end{matrix}$$



$$\Rightarrow \begin{matrix} 3 \\ \underline{=}, \underline{4}, \underline{6}, \underline{1}, \underline{3}, \underline{2} \end{matrix}$$

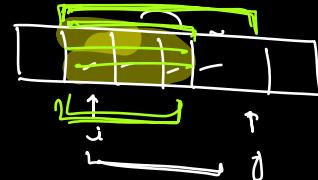
$\text{for } (i=0; i < N; i++) \{$

Brute Force
 \Downarrow
 How to iterate
 on all the
Subarrays.

$\text{for } (j=i; j < N; j++) \{$

// $i \rightarrow$ start of subarray
 // $j \rightarrow$ end of subarray

Sum = 0;



TC: $O(N^3)$

$\left[\begin{array}{l} \text{for } (k=i; k \leq j; k++) \{ \\ \quad \text{sum} = \text{sum} + a[n[k], \end{array} \right]$

Print (sum),

$\frac{N(N+1)}{2}$ times

}

Can we do better than $O(N^2)$? \times

Can we do this in $O(N^2)$? ✓

Hw : 30 min

Q Given $s \& e$. Reverse the subarray from s to e .

3, 2, -1, 4, 6, 8, 9, 2
0 1 2 3 4 5 6 7

S = 2

$$e = \underline{5}$$

3, 2, 8, 6, 4, -1, 9, 2

$i = 0$

$$j = n - 1$$

s
 e

Q How many sub-arrays of length 3

K	No of sub arrays
1	N
2	$N-1$
3	$N-2$
4	$N-3$
K	$N - (K-1) \Rightarrow N - K + 1$

C++ → vector
 Java → ArrayList
 C# → List
 Python → list
 JS → Array
 Ruby → Array

Dynamic Array

insert()
size()
get(i)

int a[10] → 10 Elements.

ArrayList<Integers> list = new ArrayList<Int>();

list.add(10);

for (i=0; i < l.size(); i++) {

}

Time Complexity of random index access → $O(1)$

Insert → $O(1)$ [Amortized] ✓ Future classes

- Write code on →
 - Copy paste to Scalor Ide
 - Analyze mistakes
 - Make sure of not repeating them.
- | | |
|----------------------------|---|
| Google doc | / |
| Note Pad | / |
| <u>WordPad</u> | ✓ |
| Eduino without any feature | / |
- Production Ready Code

Logic Building

- ① Understand the problem
Check out parts
- ② 30 - 40 mins [Hunt] → Brute force
→ Try to optimize ↗
- ③ Understand the sol.
→ Analyse the obs / fact / point
that you had missed .

