

## Assignment Operation:

The assignment operation

( $\leftarrow$ ) provides a convenient way to express complex queries.

- Assignment must always be made to a temporary relation variable.

Example

Find the names of all customers who have a loan, an account, or both from bank.

$\text{temp1} \leftarrow \Pi_{\text{customer-name}} (\text{borrower})$

$\text{temp2} \leftarrow \Pi_{\text{customer-name}} (\text{depositor})$

$\text{result} = \text{temp1} \cup \text{temp2};$

- Result is always <sup>left</sup> right side of ( $\leftarrow$ ) symbol.

- Query is always <sup>right</sup> left side of ( $\leftarrow$ ) symbol



- in this exercise result of aggregation don't have a name.

option: 1 → can use `sum` aggregation to get Drive While option: 2 → For convenience, we want your work

is a part of aggregate operation on the

whole

see

g sum (price) as sum-balance (student).

name of sum (price)

Sum-balance

38.4

query:

Sales			
Company-id	Product-id	Price	
C101	22	2000	
C102	23	4000	
C103	25	5000	
C102	23	4000	
C103	25	5000	
C104	26	8000	
C104	27	10000	

Sales (group by (Company-id, Product-id))

Ans:

Company-id	Product-id	Sum(Price)
C101	22	2000
C102	23	8000
C103	25	10000
C104	26	8000
C104	27	10000

Select Company-id, sum (price) from Sales group by (Company-id)

Company-id	Sum (Price)
C101	2000
C102	8000
C103	10000
C104	18000

Group by Function:

The `group by` clause is optional function of the select statement. This is based on distinct names that exist for specified columns.

stud

sr.no	name
1	AA
2	AB
3	BC
4	AB
5	AA
6	BC
7	AA
8	BC

Q: 2

Q: Fill the Number of student having different group  
company-id, product-id, sum(money) (Sales)

Answer of Example-1 - Query-1:  
Aggregate function simply ignore null values.

### Principles of NULL Values:

group	count(group)
AA	3
AB	2
BC	3

Ans: Select group, count(group) from stud  
Group by group;

- ① Setting null value is appropriate when the return value is unknown. When a value would not be meaningful.
- ② Null value is not equivalent to zero.
- ③ Oracle has changed its rules regarding storing using null value for new version.
- ④ Null multiplied by 10 is null.

sr.no	name
101	null
102	-

Ans: The different group counts will be:  
Count is greater than 2.  
Ans: Select group, count(group) from stud  
Group by group having count(group)>2;

grade	count(grade)
AA	3
BC	3

Ans: Select \* from stud where name = '';  
Ans: Not determine what value.  
Ans: Select \* from stud where name is null;  
Ans: Both don't get selected.

## Modification of the Database:

- The content of the database may be modified using the following operations
  - Insertion
  - Deletion
  - Updating
- All these operations are expressed using the assignment operator.

### \* Insertion:

- Specify a tuple to be inserted.
- Write a query whose result is set of tuples.

$$\rightarrow \gamma \leftarrow \sigma \vee E$$

$\uparrow$        $\uparrow$        $\nearrow$   
tuple      Union      data need to insert.

↓  
insert information in student has John 120 from suraj.

$$\gamma \leftarrow \sigma \vee E$$

student  $\leftarrow$  student  $\cup \{ ('John', 120, 'suraj') \}$

$$\gamma \leftarrow \sigma \vee E$$

balance  $\leftarrow$  balance + 0.05 (account)

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$$\text{student} \leftarrow \text{student} - G_{\text{student\_name} = \text{suraj}} (\text{student})$$

### \* Deletion:

- can delete only whole tuple, cannot delete value of particular attribute.

$$\gamma \leftarrow \gamma - E$$

$\uparrow$   
table condition

$$\text{student} \leftarrow \text{student} - G_{\text{student\_name} = \text{suraj}} (\text{student})$$

### \* Updating:

- A mechanism to change a value in a tuple without changing all values in tuple.

$$\gamma \leftarrow \Pi_{\text{Field}_m} (E)$$

$$\gamma \leftarrow \sigma \vee E$$

student  $\leftarrow$  student  $\cup \{ ('John', 120, 'suraj') \}$

balance  $\leftarrow$  balance + 0.05 (account)

$$\gamma \leftarrow \sigma \vee E$$

balance  $\leftarrow$  balance - 100 (account)

Unit: 3

## Relational Database Design

### Design

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The goal of relational database design is to generate a set of relation schemas that allow us to store information without unnecessary redundancy and also allows us to retrieve information easily.

This is done by designing schemas in one of the desirable normal forms.

#### \* Features of Good Relational Designs:

- ① Larger Schemas: It should not be so large that it has repetition of information.
- When we combine two small schema it doesn't have inconsistency.
- Primary key concept is satisfied.

inst\_dept (id, name, dept\_name, salary)

② department (dept\_name, building, budget).

inst\_dept (id, name, salary, dept\_name, building, budget)

- In this examine table 1 a tuple join, but whenever we add instructor we need to add department name with building & budget info. Here this building & budget information is repeating.

- Suppose we creating new department in the University but we can not represent department with building budget. Unless a University the department has atleast one instructor. It means first hire instructor then start new department.

②

Smaller Schema: When we divide any large schema in small schemas the selection of primary key should be proper & when we apply joins to create the one table primary key should proper combined table we get exact answer.

#### \* Rules

- ① Design a relation schema in such a way that it is easy to explain its meaning.
- ② Design the database tables in such a way that there is no insertion, deletion or update anomalies.

③ Avoid null value in one attribute and null values should be avoided.

#### \* Anomalies in DBMS:

There are three types of anomalies that occur when the database is not normalized. These are insertion, update and deletion anomalies.

insertion anomaly: If we insert a new tuple in a relation which does not satisfy the primary key then it will violate the primary key constraint.

update anomaly: If we update a tuple in a relation which does not satisfy the primary key then it will violate the primary key constraint.

deletion anomaly: If we delete a tuple from a relation which does not satisfy the primary key then it will violate the primary key constraint.

### employee

eid	name	address	department
101	rick	delhi	CE
101	rick	delhi	IT
123	maggie	agru	MECH
166	john	surat	EC
166	john	surat	CIVIL

Update Anomaly : in the above table we have two rows for employee RECK as he belongs to two departments of the company if we want to update the address of RECK then we have to update the same in two rows, otherwise data will become inconsistent.

- if we not update data (address) in both row then same person have two different address which is incorrect.

insert anomaly: suppose new employee John the company, who is under training and

currently not assigned to any department then we would not be able to insert the data into the table if emp-department field doesn't allow nulls.

② Delete anomaly: suppose, if at a point of time, company closes the department MECH then deleting the rows that are having department as MECH would also delete the information of employee Maggie since she is assigned only to this department.  
 ⇒ To overcome these anomalies we need to normalize the data.

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classmate

### \* Functional Dependencies (FD):

- Relational Database Design Should be in some manner that it will guarantee us well as those anomalies don't occur in it. & if it is there then we can apply normalization on it which means decomposition of database.

- The single most important concept in relational database design theory is that of a functional dependency.

- A FD is a relationship between or among attributes such that the values of one attribute depend on or determined by the values of other attributes.

- A FD is a type of constraint that is generalization of the notion of key.

- Consider a relational schema R & let U ⊆ R, b ⊆ R, the FD

$$C \rightarrow D$$

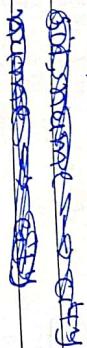
is determined by b.

⇒ D depends on a.

- An FD cannot be inferred automatically from a given relation definition & but must be defined explicitly by someone who knows the semantics of the attributes of R.

Student

sid	name	city
1	John	Surat
2	Rey	Vasco
3	Maggie	Surat

 $\Rightarrow$ F1: $sid \rightarrow name$  $\Rightarrow$   $sid \rightarrow name$  because whenever $sid = 1$  then

Name = John only.

 $sid = 2$  then Rey only $sid = 3$  then Maggie only.Functional Dependencies: If R is $A \rightarrow B$ 

- Where A and B are sets of attribute of R

- A is called left hand side (LHS) &amp; B is right hand side (RHS).

- The meaning of FD is that for every value of A, there is unique value of B.

- We say FD holds for R if, for any instance of R, whenever two tuples

sid $sid \rightarrow \{name, dob\}$  $sid \rightarrow \{phone-number\} - X$ In truth (i.e. assuming student have multiple phone number). So  $sid \rightarrow \{phone-number\}$  does not hold. $sid \rightarrow name$  $sid \rightarrow dob$ sid

A	B	C	D
a1	b1	c1	d1
a1	b2	c2	d2
a2	b2	c2	d3
a3	b3	c3	d3

Name FD $B \rightarrow C$  $C \rightarrow B$  $A \rightarrow B$  (tuple 1 & 2 violate) $B \rightarrow A$  (tuple 2 & 3 violate) $C \rightarrow B$  (tuple 3 & 4 violate). $S.A,B,C \rightarrow C$  $S,A,B,C \rightarrow D$  $S,C,D,C \rightarrow B$ 

Agree in Name for all attributes of A they also agree in Name for all attributes of B.

Student (sid, name, dob, phone-number).

Closure of FD: if  $F$  is a set of FDs, if  $F^+$  is the closure of  $F$ , denoted us  $F^+$ , is the closure of all functional dependencies logically implied by  $F$ .

- Armstrong's Axioms are a set of rules, when applied repeatedly, generates a closure of functional dependencies.

[7] Reflexive Rule: if  $A$  is set of attr. &  $a \in A$  then

$$\boxed{A \rightarrow B}$$

[2] Augmentation Rule: if  $A \rightarrow B$  holds then

$$\boxed{CA \rightarrow CB}$$

[3] Transitivity Rule: if  $A \rightarrow B$  &  $B \rightarrow C$  then

$$\boxed{A \rightarrow C}$$

④ ~~General~~ Some Transitive Rule

[8] Union: if  $A \rightarrow B$  &  $A \rightarrow C$  then

$$\boxed{A \rightarrow BC}$$

[9] Decomposition: if  $A \rightarrow BC$

$$\boxed{A \rightarrow B}$$

[6] Pseudo Transitivity: if  $A \rightarrow B$  holds &  $CD \rightarrow D$  then

$$\boxed{AC \rightarrow D}$$

$$R(A,B,C,D,F) \\ A \rightarrow BC \\ C \rightarrow E \\ B \rightarrow D \\ E \rightarrow A$$

$$A \rightarrow BC$$

$$\begin{array}{l} \text{Ans: } A \rightarrow BC \\ \downarrow \\ \cancel{B \rightarrow D} \quad \cancel{B \rightarrow E} \\ A \rightarrow B, A \rightarrow C \quad (\text{decomposition}) \\ \downarrow \\ A \rightarrow D \quad (\text{transitivity}) \\ \downarrow \\ AC \rightarrow E \quad (\cancel{C \rightarrow E} \quad (\text{pseudo transitivity})) \\ \downarrow \\ A \rightarrow CD \quad (\cancel{A \rightarrow D}) \\ \downarrow \\ A \rightarrow CE \quad (\cancel{C \rightarrow E} \quad (\text{union})) \\ \downarrow \\ A \rightarrow E \quad (\text{transitivity}) \end{array}$$

$$\begin{array}{l} \text{Ans: } A \rightarrow BC \\ \downarrow \\ A \rightarrow A \quad (\text{reflexivity}) \\ \downarrow \\ A \rightarrow ABCDE \quad (\text{union}) \\ \downarrow \\ E \rightarrow ABCDE \quad (\text{transitivity}) \end{array}$$

$C\delta \rightarrow ABCDE$

↓

$B \rightarrow D$

↓

$BC \rightarrow CD$  (transitivity)

↓

$BC \rightarrow ABCDE$  (transitivity)  
etc...

\* Closure of attribute set:

- Given  $R$  a set of FD's,  $F$  that holds in  $R$ , a set of attributes  $\geq$  in  $R$ , the closure of  $\geq$  wrt  $F$  ( $F^+$ ) is the set of attributes.

- Use to find candidate key, superkey in relation

$R(ABCDE)$

$A \rightarrow BC$

$C \delta \rightarrow E$

$E \rightarrow C$

$B \delta \rightarrow EH$

$ABH \rightarrow BD$

$BD \rightarrow DC$

$X$

$CD \rightarrow BC$

$X$

$BC \rightarrow E$

$X$

$E \rightarrow A$

$X$

$BD \rightarrow A$

$X$

$AB \delta \rightarrow AB$

$X$

$BD^+ = BD$

$X$

$AB^+ = ABCDE$

$X$

$A^+ = AB$

$X$

$B^+ = BCE$

$X$

$E^+ = EAB$

$X$

$AB^+ \Rightarrow AB$

$X$

$BD^+ = BD$

$X$

$AB^+ = ABCDE$

$X$

$ACD^+ = ACDBE$

$X$

$ACD^+ = ACDBE$

$X$

$BCD^+ = BCD$

$X$

$BCD^+ = BCD$

$X$

$R(ABCDEF)$

$A \rightarrow BC$

$CD \rightarrow E$

$B \rightarrow D$

$E \rightarrow A$

$AB \delta \rightarrow BD$

$X$

$CD^+ = CDE$

$X$

$BCD^+ = BCD$

$X$

$ACD^+ = ACDBE$



Functional Dependency:  $y$  is subset of  $x$

Trivial Attribute:

$x \rightarrow y$  exists and  $y \subseteq x$

$\text{Ex: } ABC \rightarrow BC$        $\left\{ \begin{array}{l} BC \subseteq ABC \\ y \subseteq x \end{array} \right.$

$BC$  is subset of  $ABC$

$\text{Ex: } R(A,B,C)$   
 $A \rightarrow B$        $A^+ = ABC \rightarrow \text{key}$   
 $B \rightarrow C$

Non-trivial FD:  $y$  is not subset of  $x$ .

$x \rightarrow y$  exists and  $y \not\subseteq x$

$\text{Ex: } R(A,B,C,D,E)$

$\text{Ex: } A \oplus B \rightarrow C$   
 $ABC \rightarrow BD$   
 $D \rightarrow B$        $B^+ \rightarrow BC$   
 $B \rightarrow C$        $C^+ \rightarrow C$   
 $E \rightarrow B$        $D^+ \rightarrow ABC$   
 $E^+ \rightarrow EBC$

Completely Non-trivial FD:

$\text{R.H.S. } A \oplus B \oplus E$   
 $A \oplus E \rightarrow ABCDE \rightarrow \text{key}$

$x \rightarrow y$  and  $x$  intersects  $y = \emptyset$

$A \oplus E$  is prime attributes.  
 $B, C, D$  is non-prime attributes

$\text{Ex: } A \rightarrow D$

## \* Canonical Cover / irreducible set of FD:

- An attribute of FD is said to be extraneous if we can remove it without changing the closure of the set of FD.

- For make irreducible set of FD we need to

1. Redundant FD
2. Redundant left-hand Attribute
3. Redundant right-hand Attribute.

$$A \rightarrow D$$

$$\begin{array}{c} BC \rightarrow A \\ BC \rightarrow D \\ \hline \end{array}$$

$$\begin{array}{c} B^+ \\ \hline \end{array} \quad \begin{array}{c} C^+ \\ \hline \end{array}$$

$$\begin{array}{c} B^+ \\ \hline \end{array} \quad \begin{array}{c} C^+ \\ \hline \end{array}$$

$$\begin{array}{c} B \\ CBAD \\ \hline \end{array} \quad \begin{array}{c} B \\ CAD \\ \hline \end{array}$$

~~Step 1~~ R(ABCDE)

$$A \rightarrow D$$

$$BC \rightarrow AD$$

$$C \rightarrow B$$

$$E \rightarrow A$$

$$E \rightarrow D$$

$$C \rightarrow A$$

$$C \rightarrow D$$

~~Step 1~~

Make Simple Attribute in R.H.S.

~~Step 2~~ There is no FD which have more than one attribute in L.H.S.

Whatever we have any redundant FD in step 1

$$A \rightarrow D$$

$$BC \rightarrow A$$

$$BC \rightarrow D$$

$$C \rightarrow B$$

$$E \rightarrow A$$

$$E \rightarrow D$$

- ✓ 1.  $A \rightarrow D$       ① - Elim  $A^+$  for remove 1 FD.
- ✓ 2.  $C \rightarrow B$        $A^+ = A$  they cannot find D. So we can not remove this FD.
- ✗ 3.  $C \rightarrow D$       Can not remove this FD.
- ✓ 4.  $C \rightarrow B$       ② -  $C^+ \rightarrow CAD$  ✗
- ✓ 5.  $E \rightarrow A$       ③ -  $C^+ \rightarrow CAD$  ✗
- ✓ 6.  $E \rightarrow D$       ④ -  $C^+ \rightarrow CAD$  ✗  $\leftarrow$  Pick only A get from  $E^+$  only one part
- ✓ 7.  $E^+ \rightarrow CAD$  ✗
- ✓ 8.  $E^+ \rightarrow CAD$  ✗

Step 2

See whether any extraneous attribute on L.H.S.

↳ If only FD having only one attribute L.H.S then there is not any extraneous attribute.

↳ We make FD at a time.

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introducing set is:

$A \rightarrow \emptyset$
$C \rightarrow A$
$C \rightarrow B$
$B \rightarrow A$

Ans  
Step: 2  $R(ABC)$

$A \rightarrow B$
$B \rightarrow C$
$A \rightarrow C$
$AB \rightarrow A$

Ans  
Step: 1 single attribute in R.H.S when is nullify

Step: 2 remove extra att. on L.H.S

$A \rightarrow B$
$A \rightarrow C$
$X A \rightarrow B$
$AB \rightarrow C$

$AB \rightarrow A$
$A^t$
$B^t$
$AB^t$

$ABC$

$BC$

Since B is extra so  
 $A \rightarrow C$  when is correct so we get

$A \rightarrow B$	$\textcircled{1}$ $A^t \rightarrow AC$	$\times$
$B \rightarrow C$	$\textcircled{2}$ $A^t \rightarrow ABC$	$\checkmark$
$A \rightarrow C$	$\textcircled{3}$ $A^t \rightarrow BC$	$\checkmark$

$A \rightarrow B$
$B \rightarrow C$

Step 1  
R(ABCDE)  
A → BC  
CD → E  
B → D  
E → A

A → B  
A → C  
C → E  
B → D  
~~E → A~~

Step 1 single decompose 2 in R.H.S  
A → B  
A → C  
C → E  
B → D  
~~E → A~~

Step 1  
R(ABCD)

A → B  
AB → C  
D → AC  
D → E

Step 1 single attribute on R.H.S  
A → B

AB → C  
D → A  
D → C  
D → E

Step 2 choose ~~extra~~ simultaneous attribute L.H.S

A B → C

A<sup>t</sup>      B<sup>t</sup>

A,B      B

C      D

try to achieve this  
attribute with single.

Step 3 seton. on L.H.S  
C → E

A<sup>t</sup>      D<sup>t</sup>

B,D

A → C

We can not remove any attribute.

Step 3  
① A → B      → A<sup>t</sup> → AC      ✗  
② A → C      → B<sup>t</sup> → ABCD  
③ A → D      → C<sup>t</sup> → CD  
④ B → D      → B<sup>t</sup> → B  
⑤ C → A      → E<sup>t</sup> → E

Step 3  
① A → B      → A<sup>t</sup> → AC      ✗  
② A → C      → D<sup>t</sup> → ABCE      ✗  
③ D → A      → D<sup>t</sup> → ABCDE      ✗  
④ D → C      → D<sup>t</sup> → ABC  
⑤ D → E      → D<sup>t</sup> → DEBC      ✗

∴  
A → B  
A → C  
D → A  
D → E

~~step 2~~  
R(ABCD)

A → BC

D → AB

~~step 1~~  
A → B  
A → C  
D → A  
D → B

~~step 2~~  
there is non nullable attribute 1-H.S.  
1-H.S.

~~step 3~~  
① A → B      A<sup>†</sup> → AC X  
② A → C      A<sup>†</sup> → A+B X  
③ D → A      A<sup>†</sup> → AD B  
④ D → B      A<sup>†</sup> → A+BC  
⑤ D → C      A<sup>†</sup> → ABC

$\begin{cases} A \rightarrow B \\ A \rightarrow C \\ D \rightarrow A \end{cases}$

~~step 2~~  
AC → D  
CB  
we can't find A → C or C<sup>†</sup> so  
non nullable attr.

~~step 3~~

A → B      A<sup>†</sup> → A X  
C → B      C<sup>†</sup> → C X  
D → A      A<sup>†</sup> → ABC X  
D → B      A<sup>†</sup> → ABCD  
D → C      A<sup>†</sup> → ABC X  
A<sup>†</sup>C → D      A<sup>†</sup> → ABCD X

~~step 4~~  
 $\begin{cases} A \rightarrow B \\ C \rightarrow B \\ D \rightarrow A \\ D \rightarrow B \\ D \rightarrow C \\ A^{\dagger}C \rightarrow D \end{cases}$

~~step 5~~

$\begin{cases} A \rightarrow B \\ C \rightarrow B \\ D \rightarrow A \\ D \rightarrow B \\ D \rightarrow C \\ A^{\dagger}C \rightarrow D \end{cases}$

~~step 1~~  
A → B  
C → B  
D → A  
D → B  
D → C  
A<sup>†</sup>C → D

## \* Decomposition:

S12

$R(ABC)$

$AB \rightarrow C$

$C \rightarrow D$

$A \rightarrow B$

Ans Step 1: already all R-H-S in simple.

Step 2:

$A-B \rightarrow C$

$\frac{A+B}{B}$

Given A-fms B so B is extn.

$(A \rightarrow C)$

group:

$A \rightarrow C$   
 $B \rightarrow AB$  ✗  
 $C \rightarrow CB$  ✗  
 $A \rightarrow B$  ✓  
 $A+B \rightarrow ACB$  ✓

$\boxed{A \rightarrow C}$   
 $c \rightarrow B$

$R_1(Sid, name)$

$R_2(name, city)$

Sid	name
1	Joe
2	Alice
3	Alice

Sid	name	city
1	Joe	Susut
2	Alice	Burdoli
3	Alice	Susut

$R_1 \times R_2$

Sid	name	city
1	Joe	Susut
2	Alice	Burdoli
3	Alice	Susut

Sid	name	city
1	Joe	Susut
2	Alice	Burdoli
3	Alice	Susut

→ This is NOT original R so this doesn't known as lossy Decomposition.

$R_1(Sid, name)$

$R_2(Sid, city)$

## Classification of FO's:

- classification of dependencies

Classification	FQ	MVF	JQ	IQ	TQ	INF	ENF
(1) Projective FQ's	✓						
(2) Transitive FQ's		✓					
(3) Full FQ's			✓				
INF				✓		✓	
ENF					✓		✓

First Normal Form (1NF):

- Attribute of table cannot hold multiple values.
  - It should hold Atomic Value.

Subject	Score	Subject
Astron	15	Biology
Alex	14	Maths
Stewart	17	Maths

- |   |        |    |         |
|---|--------|----|---------|
| 1 | Adam   | 15 | Biology |
| 2 | Adam   | 15 | Maths   |
| 3 | Alex   | 14 | Maths   |
| 4 | Stuart | 17 | Maths   |
|   |        |    | Science |

[2] Second Normal Form (2NF):

- If it is already in 1NF  
it must be free from partial FD.

student	age	student	subject
AJUM	15	AJUM	Biology
ALIX	14	ALIX	Maths
SARAH	17	SARAH	Maths
STUART		STUART	Maths

~~S.E.I.~~ R.S. (1430) EFG(t)

2

七

13

261

10

四

16

1

1

10

1

S.T.'1

~~R (MISCELLANEOUS)~~

$A \rightarrow BC$

$ABE \rightarrow CDEHT$

$C \rightarrow CSD$

$D \rightarrow CR$

$E \rightarrow F$

Now this PD in which we  
decompose it to SMT.

Final composite key.  $AET^t$

Step 1 Find Complement  
 $\bar{AB}^t = \bar{A} \bar{B} \text{ AND } \bar{EF}^t = \bar{E} \bar{F}$

$$\boxed{\begin{array}{l} R_1 = \overline{ABCEG} \\ R_2 = \overline{EF} \\ R_3 = \overline{AEH} \end{array}} \text{ and } P$$

Step:3 BNF Find Transitive relation.

$$\begin{aligned}
 R_1 &= A B C \\
 R_2 &= D G R \\
 R_3 &= C G D \\
 R_4 &= E F \\
 R_5 &= A E I + 
 \end{aligned}$$

Ans: Stop, two conjugate key AB

$$\begin{array}{c} \text{R}_1 = AC \\ \text{R}_2 = A\bar{B}\bar{D}\bar{E} \end{array} \quad \left\{ \text{ABDE} \right.$$

Step 3: Remove 'transitive dependency'.

$$R = \frac{A}{C}$$

A.C & C.D.E.F $A \rightarrow F.C.$  $C \rightarrow D$  $B \rightarrow E$ 

$\text{Step 3: } A.B \Rightarrow C.D.E$

$$\begin{cases} A \rightarrow C \\ C \rightarrow D \end{cases}$$

$$R(A.B.C.D.E)$$

Ans:  
Final Candidate Key =  $A.B$

Step 4:

$$A^t = A.C$$

 $A^t$ 

$$B^t = B$$

 $A^t$ 

$$\begin{cases} A^t \rightarrow C \\ A^t \rightarrow D \end{cases}$$

 $\text{ANF}$ 

$$\begin{cases} R_1 = A \rightarrow C \\ R_2 = A \rightarrow D \end{cases}$$

 $R_1$  $R_2$ Step 5:

$$f \rightarrow C$$

 $f$ 

$$f \rightarrow D$$

 $f$ 

$$P.R \rightarrow E$$

 $P.R$ 

Step 5:  $T.P$

$$\begin{cases} R_1 = A \rightarrow C \\ R_2 = A \rightarrow D \\ R_3 = P.R \rightarrow E \end{cases}$$

 $R_1$  $R_2$  $R_3$  $T.P$ 

Step 6:

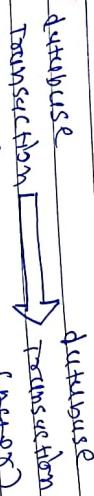
$$\begin{cases} R_1 = A \rightarrow C \\ R_2 = B \rightarrow E \\ R_3 = B \rightarrow E \end{cases}$$

 $R_1$  $R_2$  $R_3$  $T.P$  $R_1$  $R_2$  $R_3$  $T.P$



## Transaction Management

"A transaction is a program unit whose execution may change in contents of a database."



(consistent state).

"Transaction is used to represent a logical unit of database processing that must be completed in its entirety to ensure correctness".

Ex: Transfer ~~to~~ <sup>from</sup> Account A to Account B.

$$A = 1000, B = 2000$$

Senario:  
before transaction

$A = 1000$	$T_1$
$B = 2000$	$T_2$

- ① read (A)
- ②  $A := A - 100$  ;
- ③ write (A)
- ④ read (B)
- ⑤  $B := B + 100$  ;
- ⑥ write (B)

Commit

$$\begin{array}{l} \text{scenario: } \\ A + B = 3000 \end{array}$$

$$\begin{array}{l} \text{before transaction} \\ A = 1000 \\ B = 2000 \end{array}$$

$1000 + 2000 = 3000$

$$\begin{array}{l} \text{after transaction} \\ T_1 \quad T_2 \\ \text{read (A)} \\ A := A - 100 \\ \text{read (B)} \\ B := B + 100 \\ \text{print "A+B": } \\ A + B = 3000 \end{array}$$

$800 + 2000 = 3000$

Both are not same

### ACID Properties of Transaction:

\* (1) Atomicity: Ensures that a transaction will either complete or individual unit of the transaction, or database, or database has been changed in a consistent manner. (All or None)

- See Example 1.

(2) Consistency: Correctness or ensures that if the database was in a consistent state before the start of a transaction, then on termination, the database will also be in a consistent state.

- See Example 1.

(3) Isolation: indicates that the actions performed by a transaction will be isolated or hidden from outside the transaction until it terminates.

$A = 1000$	$T_1$	$T_2$
$B = 2000$	read (A)	read (A)

$A := A - 100$	$T_1$	$T_2$
$A = 900$	write (A)	read (A)

$B := B + 100$	$T_1$	$T_2$
$B = 1000$	read (B)	write (B)

$900 + 1000 = 2000$

$900 + 1000 = 2000$

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~~At~~ Concessions Execution of Instructions

$A = 1000$	$T_1$	$T_2$
$1000$	$R(A)$	
$850$	$A = A - 50$	

$$P(A) = \frac{1000}{11000} = 0.0909$$

Benefits:

- ① it helps in reducing writing time.
- ② it is used throughout our response.

→ But every good option will have some  
    several drawbacks.

Procedure: It represents the order in which instructions of a transaction are executed.

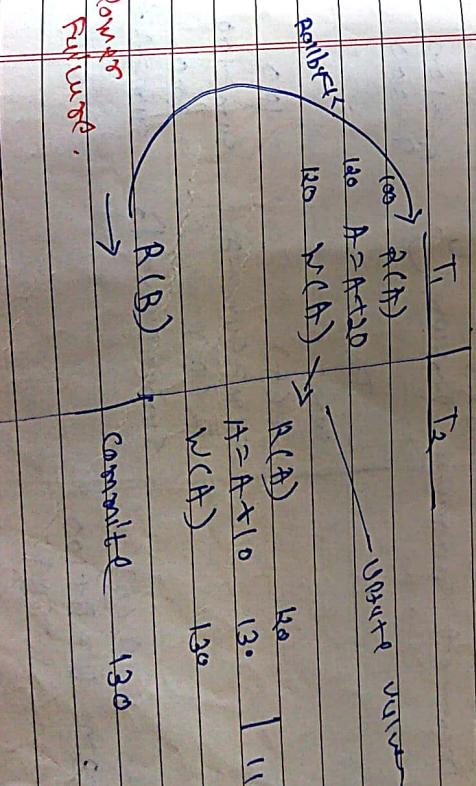
T<sub>1</sub> → T<sub>2</sub> → T<sub>3</sub>  $\hookrightarrow$  Separation

~~the~~ problem with consumers. Education:

[S]I [J] last update problem [Now conflict]

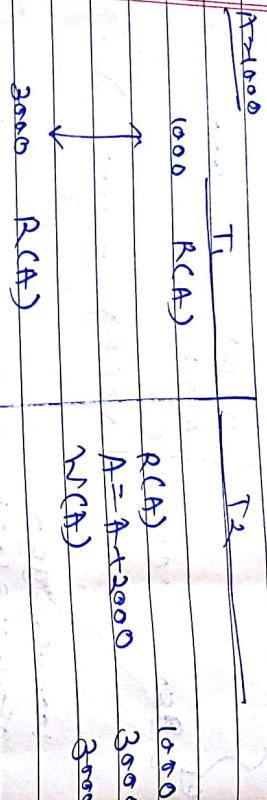
the same 2 items have their elevation  
measured in a way that makes  
the issue of them in the form  
increases.

(3) Unconventional Monetary/Temporary Update  
about our [or] central).



$$A = \begin{pmatrix} 0 & 0 \\ 0 & 0 \end{pmatrix}$$

[3] Inconsistent Analysis / Unreputable read  
Ex: conflict).



(4) Inconsistent Analysis / Unreputable read  
Ex: conflict).

(5) Non-reputable read  
Non-reputable result A & the same w.

- ① RA : T<sub>1</sub> & T<sub>2</sub> same time result.
- ② RA : non conflict (dirty read).
- ③ WR : non conflict (dirty write).

All problems in real world form.

Concurrency Control: It is the process of managing simultaneous execution of transaction in a shared database to ensure the consistency of transaction.

Purpose of Concurrency Control:

- ① to protect isolation.
- ② to preserve database consistency.
- ③ to resolve conflict & wr conflict.

↳ Many consistency mechanism implementation.

200 R(B)  
B=300 B = B+100  
W(B)

- ① Lock-based protocol:  
lock acquire → to access data item OR  
lock acquire → to share contention  
release lock → transaction

All data items must be accessed classmate  
in mutually exclusive manner.

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### Types of lock

Shared lock

Exclusive lock

(↳ lock →  
↳ Both R & W)

- Not Update
- Only Read.

### Classification of lock modes.

	T <sub>1</sub>	T <sub>2</sub>
T <sub>1</sub>	S X	X
T <sub>2</sub>	X	X

C<sub>4</sub>

LOCK(X,A)

R(A)

A := A - 50

W(A)

Unlock(A)

LOCK-S (B)

Shared lock

R(B)

Unlock(B)

Growing Phase  
(Exclusive)

Shrinking Phase.

New locks on  
items can be  
acquired

Existing locks, but  
release

No new lock can  
be acquired

Period:

→ Locking Wait: -

Commit

Locks are  
acquired

Note Any member of transaction holds  
Shared lock.

But Exclusive lock only one forum.

### Classification of locks:

Increasing

Decreasing

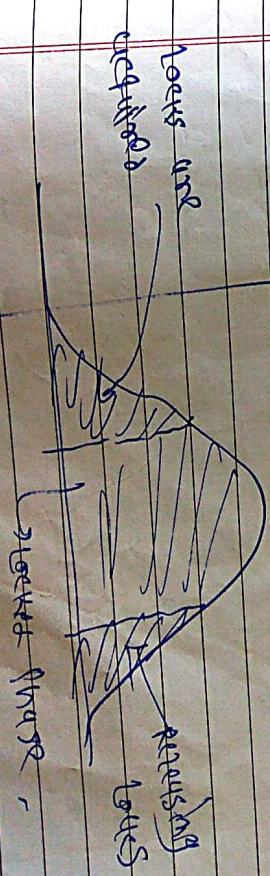
- R lock - Works long

- W lock - Never lock.

(2) ↳ Evolution of locking protocol:  
Two phase locking protocol:  
Requires both locks and unlock being  
done in two phase.

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Acquiring  
locks

Releasing  
locks

- transaction blocks / insertion starts off & time wait in one phase. If 4 auto items then it update lock & all 4 items are same. Cause also same.

\* SQL Protocols enhance serializability but can may reduce concurrency due to the following reasons -

① Holding lock unnecessary

- acquire all locks until be released
- reverse UI
- lock after transaction commit
- exclusive lock transaction can't be used or
- shared or exclusive lock
- update transaction
- not reuse lock
- only if exclusive transaction commit.

⇒ Avoid cascading  
deadlock.

⇒ Deadlock free

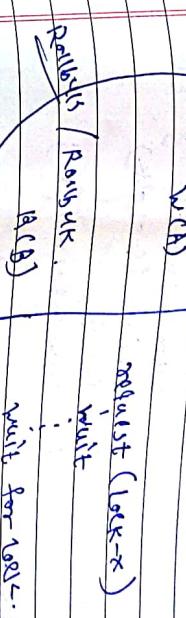
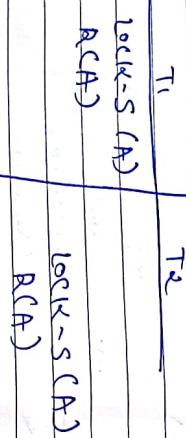
- ② Locking too early.
- ③ Pending to other transaction.

hole in  
Cascading  
Pending

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## Solution of Transaction Problem

### (1) Lost Update Problem



[4]

T<sub>1</sub> T<sub>2</sub>  
sum = 0  
acquire (S lock)  
A (A)  
sum = sum + 1  
release (S - lock)  
A (B)  
sum = sum + B;  
release (X - lock)  
A (B)

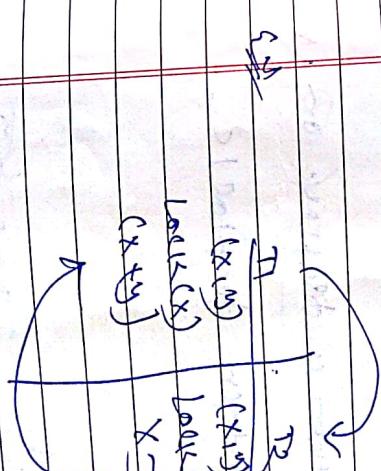
wait

T<sub>1</sub> T<sub>2</sub>  
lock (X)  
R (A)  
N (A)  
lock (X)  
R (B)  
N (B)

T<sub>1</sub> T<sub>2</sub>  
lock (X) (A)  
wait

lock (X) (B)

wait



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Deadlock: A system is in a deadlock state when every transaction in the set is waiting for another transaction in the set.

(Wait-for-wait) Deadlock detection:  $T_i$  wait for resources held by  $T_j$

transaction	duration	lockmode
$T_1$	RP.	Shared
$T_2$	P	Exclusive
$T_3$	P	Exclusive
$T_4$	P	Exclusive



→ How to find whether a deadlock or not

Let cycle exist than deadlock.

Wait-for-graph:  $T_i \leftarrow \text{wait-for}(T_j)$



Time-out based scheme.



Wait-for-graph:  $T_i \leftarrow \text{wait-for}(T_j)$



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait-for-graph:



Wait

## 5.6 Recovery and Atomivity

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### Deadlock Recovery:

## ① Selection of Victim



- Recovery: operations use technique to ensure job consistency using transaction atomicity and durability despite failure.

① Length of transaction  
↳ Hause der Brüder

② Lenses taken from used

- ① Action taken during normal transaction processing to ensure enough exists to recover further  
② Action taken after failing

~~Time of storage:~~ ~~does not survive~~

- ① **Volatile storage**: ~~short term memory~~ (Working System) (Sustaining System)

② **Nominalistic storage**: disk, tape,

③ **Stable storage**: ~~medium term storage~~ (Archiving)

K

- our ~~other~~ ~~earlier~~ ~~work~~  
nowhere comes an instance ~~nowhere~~ ~~nowhere~~ ~~nowhere~~

② Rollback : ① Full rollback  
② Partial rollback

- ② Partial bolt break  
(use paint, crack) [unclear]

Log-based Recovery

- ① Log burst recovery  
② Shadow copy. (Pending)

(3) Suspension: take care while steering  
as steering does not affect

- victim does not go

~~for 64~~

- Log is kept on stable storage. The log is sequential
  - Log records.
  - When transaction starts it writes  $\langle Ti, start \rangle$  log record
  - When transaction starts it writes  $\langle Ti, commit \rangle$  log record
  - When transaction fails it writes  $\langle Ti, roll-back \rangle$  log record
  - Two approach using logs
    - ① Precess database modification
    - ② Postprocess database modification.



### Schedule 3

V

### Schedule 1

V

T<sub>1</sub>

T<sub>2</sub>

T<sub>1</sub>

~~Ex3~~ Example of a Schedule, that is not conflict serializable.

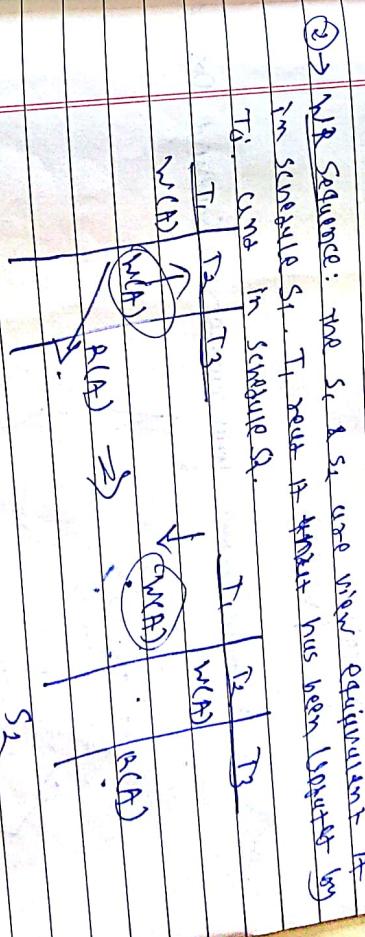
$T_1$	$T_2$
$R(x)$	$W(x)$

$T_1$	$T_2$
$R(x)$	$R(x)$

- we use Update to cancel instruction, i.e. the above schedule to obtain either the Serial Schedule  $\langle T_1, T_2 \rangle$  or the Serial Schedule  $\langle T_2, T_1 \rangle$ .



- Precedence Graph: a directed graph where the vertices are the transactions and edges are from  $T_i$  to  $T_j$  if the two transaction conflict. Used for conflict serializability.



② → NR Sequence: the  $S_1$  &  $S_2$  are view equivalent if in sequence  $S_1, T_1$  reads  $A$  before it has been written by  $T_2$ .

$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$R(A)$

$T_1$	$T_2$	$T_3$
$R(A)$	$R(A)$	$R(A)$

$S_1: T_1$  reads value of  $A$  from  $T_2$

$S_2$

View Serializable: Let  $S$  and  $S'$  be two schedules with the same set of transaction.  $S$  and  $S'$  are view equivalent if the following three conditions are met, for each item  $x$ :

- ① → If the schedule  $S$ , transaction  $T_1$  reads the initial value of  $x$ . (Initial value must be same).
- ② → If the schedule  $S'$  writes the initial value of  $x$ .
- ③ → If  $S$  and  $S'$  are view equivalent.

- ✓  $S_1: T_3$  reads value of  $A$  from  $T_2$
- $S_2: T_2$  reads value of  $A$  from  $T_1$  (Value written by  $S_1$  is  $A$ )

③ → Final Write operation should be same:

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>	T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R <sub>1</sub> (A)			R <sub>1</sub> (B)	( <del>R<sub>2</sub>(B)</del> )	W <sub>3</sub> (B)
W <sub>1</sub> (A)	R <sub>2</sub> (A)		R <sub>2</sub> (B)		W <sub>3</sub> (B)

S<sub>1</sub>

S<sub>2</sub>

S<sub>1</sub> : A is finally updated by T<sub>3</sub>  
S<sub>2</sub> : A is finally updated by T<sub>1</sub>

S<sub>1</sub> ≠ S<sub>2</sub>

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R <sub>1</sub> (B)	R <sub>2</sub> (B)	

⇒ R<sub>1</sub>(B), R<sub>2</sub>(A), R<sub>1</sub>(A), R<sub>3</sub>(A)

R<sub>1</sub>(A) R<sub>2</sub>(B) W<sub>1</sub>(B), W<sub>2</sub>(B), W<sub>3</sub>(B)

R<sub>3</sub>(A)

W<sub>1</sub>(B)

W<sub>2</sub>(B)

W<sub>3</sub>(B)

Solution with 3 transactions, total number of Serializable Possible = 3! = 6



Check 1: Final Value on T<sub>3</sub>.

$\langle T_1, T_2, T_3 \rangle$

$\langle T_2, T_1, T_3 \rangle$

Check 2: initial read + which transaction update

T<sub>2</sub>

(so requiring schedule  $\langle T_2, T_1, T_3 \rangle$ )

Check 3: write-read sequence (WR)

(one need to check here)

⇒ Hence given equivalent serial Schedule is T<sub>2</sub>→T<sub>1</sub>→T<sub>3</sub>

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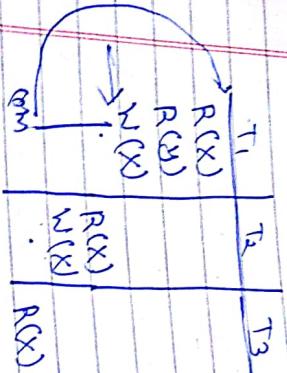
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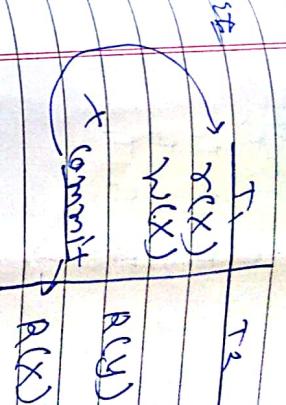
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cascading.

~~Observations~~ Schedule Rollback:



Cascading schedule is also reconvertible schedule.



- It takes  $T_1$  till then it rollback. But  $T_2$  is dependent on  $T_1$  so if also rollback and  $T_2$  also depends on  $T_2$  so  $T_2$  is also rollback. So call  $T_1$ ,  $T_2$  and  $T_3$  rollback. So here single transaction failure leads to ~~two~~ a series of transaction rollback is called Cascading Rollback.
- It leads significant unavailability losses.
- It is desirable to restrict the schedules to those where cascading rollback - cannot occur, such schedules are called cascading Schedule.
- Fortunately, a cascading Schedule is one where for each pair of transaction  $T_i$  and  $T_j$  such that  $T_j$  does not fully depend previously written by  $T_i$  the completion operation of  $T_i$  appears before the start operation of  $T_j$ .