

Name :- Deven D. Tarab

Roll NO:- 44

Batch :- 72

Subject :- A.I

DOA

DOP

Remark

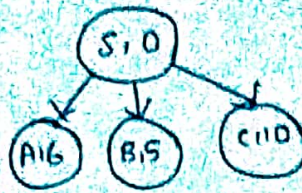
sign

Q.1)

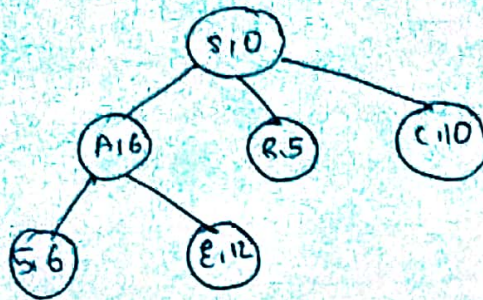
1.1]



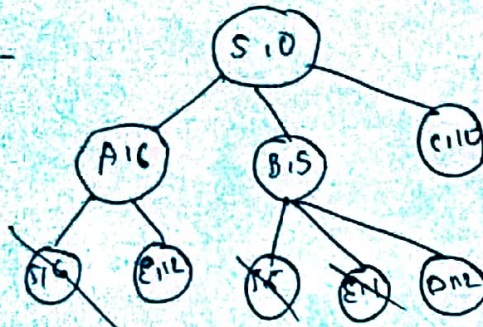
step 1:-



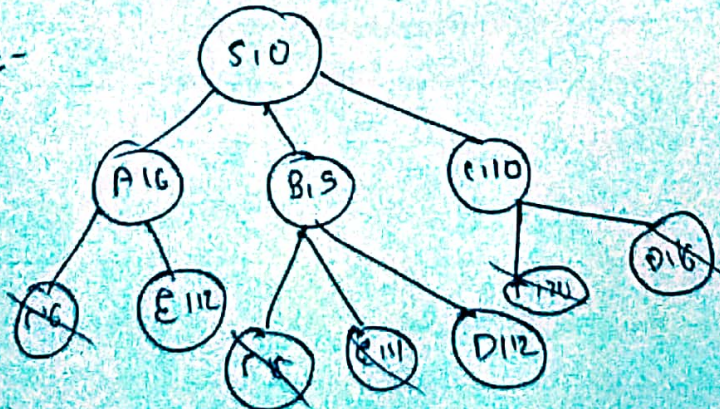
step 2:-



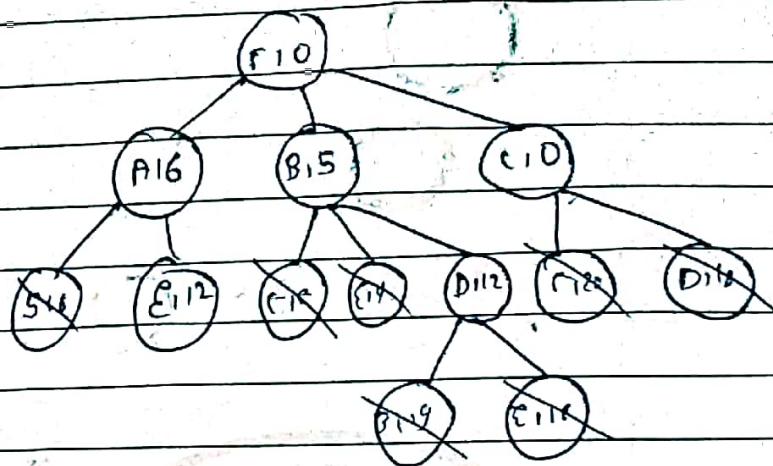
step 3:-



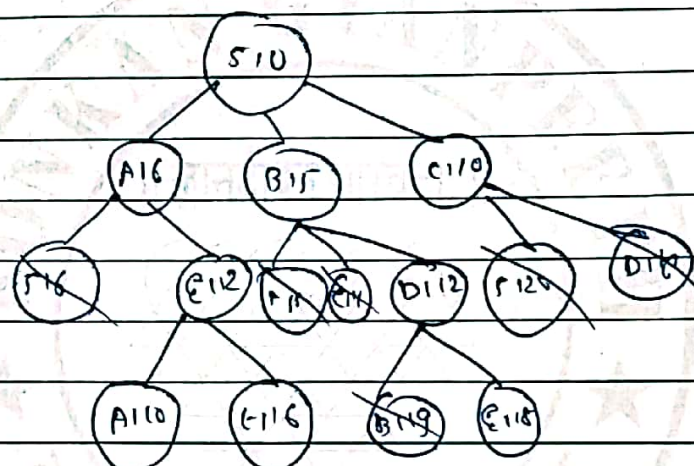
step 4:-



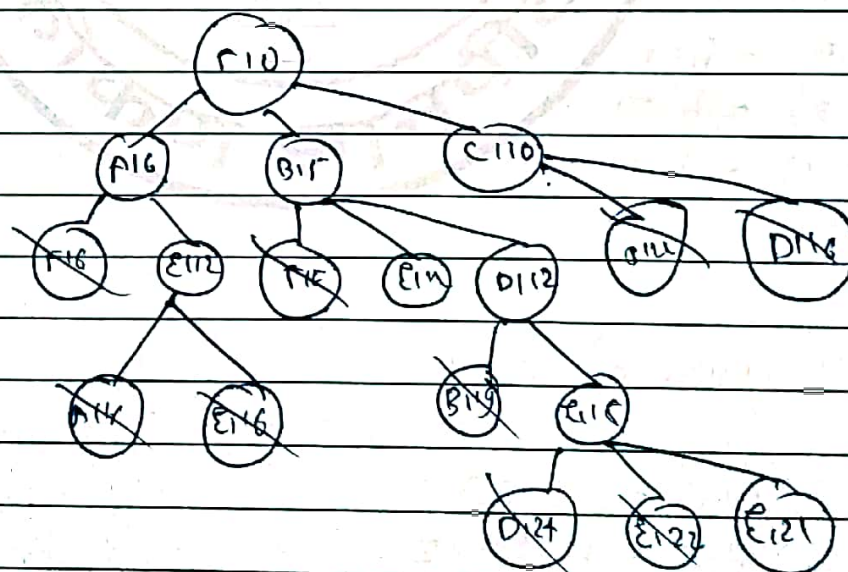
step 5 :-



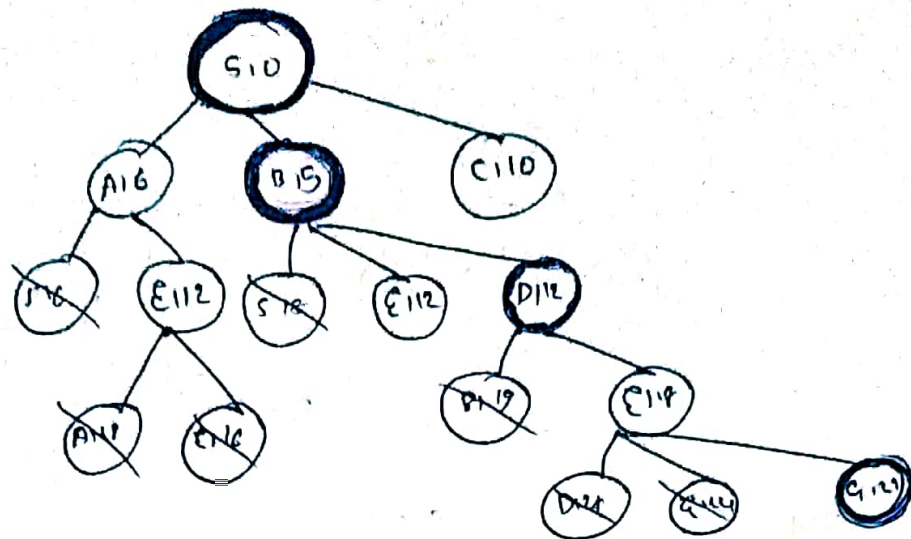
step 6 :-



step 7 :-



Step 1:-



Q14) initialization:- compute source for .S and put it in the openlist.

F-score S:- $f(S) = f(S) = 17$



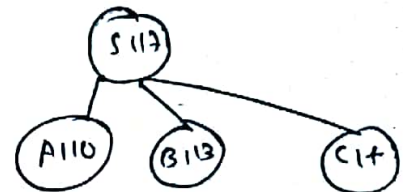
Step 1:-

F-score of successors

$$f(A) = h(A) = 10$$

$$f(B) = h(B) = 13$$

$$f(C) = h(C) = 4$$

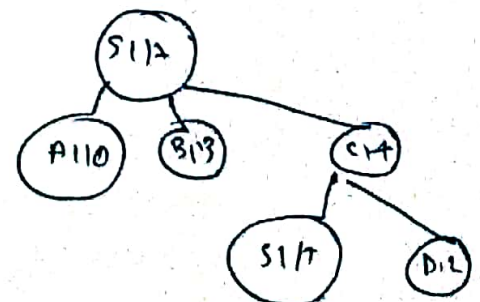


Step 2:-

F-score of successors

$$f(S) = h(S) = 7$$

$$f(Q) = h(Q) = 2$$



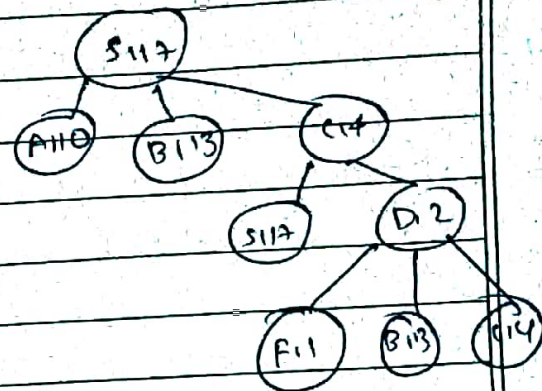
step 3:-

f-score of successor

$$f(A) = h(A) = 4$$

$$f(B) = h(B) = 13$$

$$f(F) = h(F) = 1$$



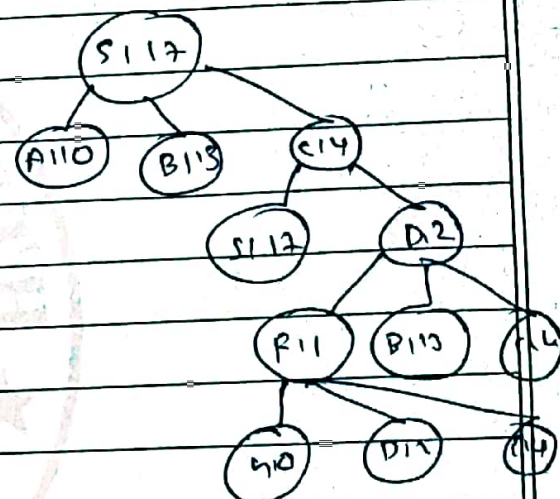
step 4:-

f-score of successor

$$f(D) = h(D) = 2$$

$$f(E) = h(E) = 2$$

$$f(H) = h(H) = 0$$



step 5:-

solution is:-

$S \rightarrow C \rightarrow D \rightarrow F \rightarrow H$ with

$$\text{solution :- } 10 + 6 + 6 + 3 = 25$$

(Q.2)

a) The lowest path cost $g(n)$ can be the cost to reach the goal configuration in least steps.

In our case, we can reach the final configuration in at least 4 moves :- UP, UP, LEFT, LEFT, since all these are equally costly, we compute $g(n)$ as

$$g(n) = 1 + 1 + 1 + 1$$

$$g(n) = 4$$

consider the following 8 puzzle instances:-

8	7	6
2	1	5
-	3	4

solution can be represented as

$\{ \{8, 2, 1, 6\}, \{2, 1, 1, 5\}, \{8, 3, 4, 3\} \} \rightarrow \{ \{8, 7, 1, 6\}, \{2, 1, 1, 5\}, \{3, 1, 4\} \} \rightarrow$
 $\{ \{8, 2, 1, 6\}, \{2, 1, 1, 5\}, \{3, 4, 1, 3\} \} \rightarrow \{ \{8, 7, 1, 6\}, \{2, 1, 1, 5\}, \{3, 4, 1, 5\} \} \rightarrow$
 $\{ \{8, 7, 1, 3\}, \{2, 1, 1, 5\}, \{3, 4, 1, 5\} \} \rightarrow \{ \{8, 7, 1, 3\}, \{2, 1, 1, 6\}, \{3, 4, 1, 5\} \} \rightarrow$
 $\{ \{8, 7, 1, 3\}, \{2, 1, 1, 6\}, \{3, 4, 1, 5\} \}$

Since all the moves are equally costly the cost would be

$$g(n) = 6$$

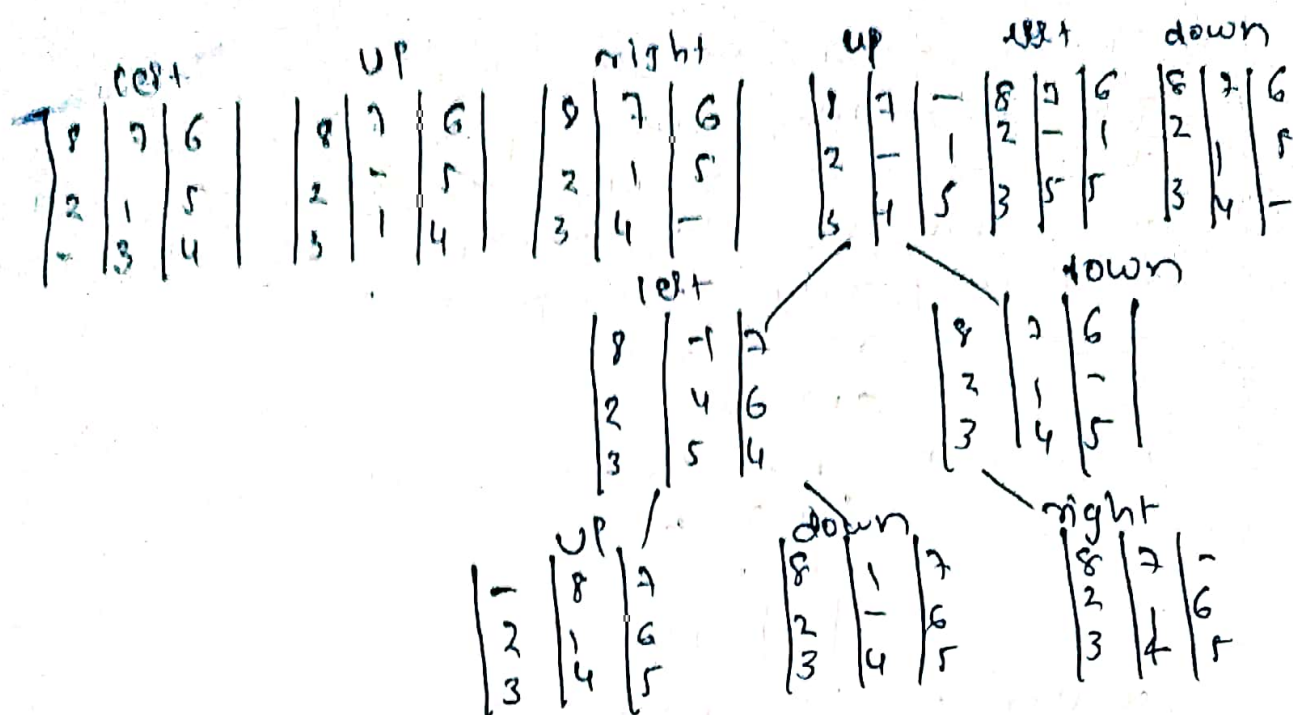
c)

8	7	6
2	1	5
3	4	-

Initial config.

8	2	6
2	1	5
3	-	4

8	7	6
2	1	-
4	4	5



→ For $i=1$, $n=initial$ state
 $h_1(initial) = \text{misplaced tiles count except space}$
 $h_1(initial) = 4$

$n = \text{goal state}$

$h_1(goal) = 0$

For $i=2$, $n=initial$ state

$h_2(initial) = \text{directly spread tiles count except space}$

$h_2(initial) = 4$

for $n = \text{goal state}$

$h_2(goal) = 8$

For $i=3$, $n=initial$ state

$h_3(initial) = \text{sum of manhattan distance from correct position of all tiles except space}$

$h_3(initial) = 0 + 0 + 0 + 0 + 1 + 1 + 2 + 2$
 $= 4$

for $n = \text{goal state}$

$h_3(goal) = 0$