## · Analytische Lösung "thin film"

· Wellc mit y-Polarisation

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· Ze: Ersatzimpedanz für Übertragung der Welle durch

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$$\frac{1+\frac{2}{2}}{2} \cdot j \cdot tan(k,d)$$

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Reflexionsfalctor: 
$$\Gamma = \frac{2}{2}e^{-\frac{2}{2}}$$

· Reflexionsfalctor: 
$$\Gamma = \frac{Ze - \overline{\xi_1}}{Ze + \overline{\xi_1}}$$
 · Transmissionsfaktor:  $\underline{t} = \frac{2 \cdot \overline{\xi_e}}{\overline{\xi_e + \xi_1}}$ 

· Welle in Medium 1:

$$\Rightarrow \vec{H}_1 = \begin{bmatrix} \vec{E}_0 & e^{jk_1 \times} - \vec{E}_0 & e^{jk_2 \times} \end{bmatrix} \vec{e}_2$$

· Wells in Medium (nach "thin film"):

$$\rightarrow \quad \vec{E}_3 = \left[ \ \underline{1} \cdot \vec{E}_0 \cdot e^{-j \vec{k}_3 \times} \right] \vec{c}_{\gamma}$$

$$- > \vec{H}_3 = \left[ + \frac{\vec{\xi}_0}{\vec{\xi}_0} \cdot e^{-j\vec{k}_3 *} \right] \vec{\epsilon}_2$$

· Poyntinvector Medium 1:

$$\vec{S}_{1} = \frac{1}{2} \cdot \vec{E}_{1} \times \vec{H}_{1}^{*} = \frac{1}{2} \cdot \left[ \vec{E}_{0} \cdot e^{jk_{1} \times} + \vec{E}_{0} \cdot e^{jk_{1} \times} \right] \vec{e}_{1} \times \left[ \vec{E}_{0} \cdot e^{jk_{1} \times} - \vec{E}_{0} \cdot e^{jk_{1} \times} \right] \vec{e}_{2}$$

$$=\frac{1}{2}\left[\underbrace{E_{0}e^{jk_{1}x}}_{=2}+\underline{\Gamma_{0}E_{0}e^{jk_{1}x}}\right]\cdot\underbrace{\begin{bmatrix}\underline{E_{0}e^{jk_{1}x}}\\\underline{E_{1}e^{jk_{1}x}}\\\underline{E_{1}e^{jk_{1}x}}\\\underline{E_{1}e^{jk_{1}x}}\\\underline{E_{1}e^{jk_{1}x}}_{=2}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{0}E_{0}e^{jk_{1}x}}_{\underline{E_{1}e^{jk_{1}x}}}-\underbrace{E_{$$

$$= \frac{1}{2} \frac{|E_0|^2}{2!} - \frac{1}{2} |C|^2 \cdot \frac{|E_0|^2}{2!} + Rc\{r\} \cdot \frac{1}{2} \cdot \frac{|E_0|^2}{2!} \cdot (e^{j2k_1 \times} - e^{-jk_1 \times})$$

$$+ j |m\{r\} \cdot \frac{1}{2} \cdot \frac{|E_0|^2}{2!} \cdot (e^{j2k_1 \times} + e^{-j2k_1 \times})$$

$$\frac{2}{7} \cdot u \cdot k_{1} = \frac{1}{7} \cdot \frac{|E_{1}|^{2}}{2} + \frac{1}{7} \ln \left\{ \frac{1}{7} \cdot \frac{1}{7} \cdot$$

$$\frac{1}{2} + jRe \left\{r\right\} \cdot \frac{1}{2} \cdot \frac{|E_0|^2}{2} \cdot 2 \sin(2k_1 \times)$$

- 1 Intensität Mittlere übertragene Leistung über Zeit
- (2) "Blindleistung"

· Poyntinvector medium 3:

$$\Rightarrow \hat{J}_3 = \frac{1}{2} \cdot \hat{E}_3 \times \hat{H}_3^* = \frac{1}{2} \cdot \left[ \frac{1}{2} \cdot \hat{E}_3 \cdot e^{jk_3 \times} \right] \cdot \left[ \frac{1}{2} \cdot \frac{\hat{E}_3^*}{2} \cdot e^{jk_3 \times} \right] \cdot \left( \hat{e}_{\gamma} \times \hat{e}_{\epsilon} \right)$$

$$= \frac{1}{2} |\hat{H}|^2 \cdot \frac{|\hat{E}_3|^2}{2\epsilon} \cdot \hat{e}_{\chi}$$