Anil Poonai

Github link for files and code: <https://github.com/DevonARP/DeepLearning_A2>

For question 1 I wrote out all my notes and work before writing them here, I’ll add my work/notes at the end of each part for this question

Problem 1: Part A

L(w­1,w2) = .5(aw1­2 + bw12)

∇ L(w­1,w2) = aw1 + bw1

∇2 L(w­1,w2) = a + b

I’m making a = 1 and b = 2 to keep the double derivate positive and keep the graph concave up so it has a minimum value.

∇2 L(w­1,w2) = a + b = 1 + 2 = 3

Now, we go back to the first derivative

∇ L(w­1,w2) = aw1 + bw1  = w1 + 2w2

I can use w1 = -2 and w2 = 1, this gives the minimum value of 0.

References:

<https://study.com/learn/lesson/how-to-find-the-maximum-value-of-a-function.html#:~:text=We%20will%20set%20the%20first,will%20be%20a%20minimum%20value>

<https://www.ocf.berkeley.edu/~reinholz/ed/07fa_m155/lectures/second_derivative.pdf>

A math equations written on a graph paper

Description automatically generated

Problem 1: Part B

Pi is a dropout layer, I’ll be using N for the dropout rate

Have to drab the derivative of L with respect to the corresponding weight

Wi­(t+1) = wi(t) – N(∂L/∂wi) This is being rearranged to follow the dropout rate argument formula

W1 = w1(t) – Naw1(t) = w1(t)(1-Na) = p1w1(t)

W2 = w2(t) – Nbw2(t) = w2(t)(2-Nb) = p2w2(t)

P1 = 1 – Na

P2 = 1 – Nb

References:

<https://towardsdatascience.com/simplified-math-behind-dropout-in-deep-learning-6d50f3f47275#:~:text=In%20Keras%2C%20the%20dropout%20rate,can%20adversely%20affect%20the%20training>.

A close-up of a math problem

Description automatically generated

Problem 1: Part C

It converges when the gradient of the cost function becomes 0.

In this case both |p1| and |p1| need to be less than 1

We can rearrange that to be |1 – Na | and |1 – Nb | need to both be less than 1

Then we can make it | Na | and | Nb| both need to be less than 2

And we can end off with | N | needs to be less than both 2/a and 2/b.

References:

<https://www.cs.umd.edu/~djacobs/CMSC426/GradientDescent.pdf>

<https://www.cs.ubc.ca/~schmidtm/Courses/540-W18/L4.pdf>

A close-up of a math problem

Description automatically generated

Problem 1: Part D

When either a/b or b/a is very large, in the first case w2 will take significantly longer to converge as it will need more updates because N would be very small. Same can be said in the second case just with w1.

A close-up of a piece of paper

Description automatically generated

Problem 2: Part A

I would use the Sobel filter, which uses two kernels, one for the horizontal edges and one for the vertical edges.

Horizontal edges

|  |  |  |
| --- | --- | --- |
| -1 | 0 | 1 |
| -2 | 0 | 2 |
| 1 | 0 | 1 |

Vertical edges

|  |  |  |
| --- | --- | --- |
| -1 | -2 | -1 |
| 0 | 0 | 0 |
| 1 | 2 | 1 |

This works by looking for string changes in the image. The higher the sum of the numbers after the convolution, the more likely there is an edge there and the positive or negative sign indicates the direction of the edge. The output form both filters are then combined to see all the edges detected.

References: <https://www.projectrhea.org/rhea/index.php/An_Implementation_of_Sobel_Edge_Detection>

<https://automaticaddison.com/how-the-sobel-operator-works/>

<https://www.cs.auckland.ac.nz/compsci373s1c/PatricesLectures/Edge%20detection-Sobel_2up.pdf>

Problem 2: Part B

I’m going to use a Box Blur Kernel because I end up mentioning the Gaussian Blur Kernel in Part D.

|  |  |  |
| --- | --- | --- |
| 1 | 1 | 1 |
| 1 | 1 | 1 |
| 1 | 1 | 1 |

This works by giving each pixel the same weight and adding them all up then dividing by 9 in this case at the end, this makes it so that the output is a relative value to the other output points after the kernel as it adds up all of the points in a region and averages it out for every region.

References:

<https://medium.com/hackernoon/cv-for-busy-developers-convolutions-5c984f216e8c#:~:text=The%20convolution%20of%20a%20Gaussian,the%20kernel%20values%20is%2016>.

Problem 2: Part C

I’m combining some concepts from regular sharpening and edge detection for this.

|  |  |  |
| --- | --- | --- |
| 0 | -1 | 0 |
| 0 | 2 | 0 |
| 0 | -1 | 0 |

We’re focusing on the horizontal sharpening by grabbing the middle row of the region, this focuses on the center primarily and the middle row right after, with no focus on anything else as those values on the filter are zero.

References:

https://medium.com/@boelsmaxence/introduction-to-image-processing-filters-179607f9824a

<https://en.wikipedia.org/wiki/Kernel_(image_processing)>

Problem 2: Part D

I’m going to use a Gaussian Blur Kernel, this can also be used to blue an image.

|  |  |  |
| --- | --- | --- |
| 1 | 2 | 1 |
| 2 | 4 | 2 |
| 1 | 2 | 1 |

This works by giving the pixel near the center of the kernel more weight than the ones on the edges, this helps mute noise as the box blur would treat all the points with the same weight.

References:

<https://medium.com/hackernoon/cv-for-busy-developers-convolutions-5c984f216e8c#:~:text=The%20convolution%20of%20a%20Gaussian,the%20kernel%20values%20is%2016>.

Problem 3: Part A

Jaccard similarity is supposed to find how similar 2 sets of data are, so it has to range between 0, no correlation at all, and 1, they are the exact same set. It can’t be out of that range since the extremes would be either 0 and 1 for no relation and 100% relation, any number between 0 and 1 would represent a partial match with the higher the value being the higher match percentage. This can also be described as the IOU being the division of the overlap of the predicted and ground truth, so it can only be between the ranges 0 and 1.

IOU = |AB| / |AB| #A is the predicted and B is the ground truth

B counts for all true positives, false negatives, and false positives while A counts for true positives

Problem 3: Part B

IOU isn’t differentiable inherently as it ranges from 0 to 1, which means it can’t differentiate between distances from how similar sets are as you would need all real numbers available. It also isn’t differentiable in the case mentioned because the parameters have no influence on it’s gradient, so in the case of the top left to bottom right corners, the gradients are just going to be 0. Also, using the equation mentioned above indicates that the gradients would just be 0 everywhere as well, the parameters don’t play a role in IOU calculation, it also is because the IOU metric itself isn’t continuous natively.

Problem 4:

Code and answers will be below in an attached pdf to this document

Problem 5: Part A

Code and answers will be below in an attached pdf to this document

Problem 5: Part B

Code will be below in an attached pdf to this document

The backbone model is slightly better after training as it has a lower loss and loss classifier but when looking at the example image it actually picks up 1 less person than the finetuning model but it is more confident in it’s predictions.

Problem 5: Part C

Code will be below in an attached pdf to this document

There are 5 people in the photograph, 4 are in the center and easy to spot but there’s a fifth on the right side a bit in the back, the finetuning model picked up on that and with low confidence but the backbone model only recognized 4 people, being the 4 Beatles members in the middle of the photograph. The finetuning model also picked up some errors, it had bounding boxes around multiple Beatles members as possible objects but gave it a really low confidence score. So the finetuning model performed better here as it caught the 4 members with high confidence, a person in the back with fairly low confidence and had 4 other bounding boxes with multiple people in them but gave those boxes a really low confidence score, I would calculate those as False Positives. The backbone model performed worst not only because it missed a person entirely but because the confidence it had about the 4 Beatles members in the center of the image was low, it gave George Harrison a confidence score of less than .5 but the rest as above .9.