给定一张 n 个点的无向带权图,节点的编号从 1 至 n,求从 S 到 T 的最短路径长度。

```
/*邻接矩阵的Dijkstra算法*/
#include (iostream)
using namespace std;
typedef int VertexType;
#define MAX_VERTEX_NUM 1700
#define INFINITY 2147483647
int num[MAX VERTEX NUM] = { 0 };
//typedef enum { DG, DN, UDG, UDN } GrapgKind;
typedef long long AdjMatrix[MAX VERTEX NUM] [MAX VERTEX NUM];
//邻接矩阵类型
typedef struct {
                                         //顶点表
   VertexType vexs[MAX_VERTEX_NUM];
   AdjMatrix arcs: //邻接矩阵
   int vexnum, arcnum; //图的顶点数和边/弧数
   int Graphkind;
MGraph;
typedef int ShortPathTable[MAX_VERTEX_NUM]; //最短路径长度
int LocateVertex(MGraph &G, VertexType v)
{
   int i:
   for (i = 1; i \le G. vexnum; i++)
      if (v == G. vexs[i])
          return i;
   return -1;
}
void CreateGraph(MGraph &G, int n, int m)
   int i, j, k;
   VertexType v1, v2;
   int w:
   G. vexnum = n;
   G. arcnum = m;
   for (i = 1; i \leq G. vexnum; i++)
      G. vexs[i] = i:
   for (i = 1; i \le G. vexnum; i++)
      for (j = 1; j \le G. vexnum; j++)
          G. arcs[i][j] = INFINITY;
   for (k = 0; k < G. arcnum; k++)
      cin \gg v1 \gg v2 \gg w;
      i = LocateVertex(G, v1);
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j = LocateVertex(G, v2);
       G. arcs[i][j] = w;
       G. arcs[j][i] = w;
   }
}
void ShortPath_DIJ(MGraph&G, int v0, ShortPathTable &D)
   //用Dijkstra算法求有向网v0到其余各顶点的最短路径P[v]及其带权长度
D[v]:
   //P[v][w]=true,则w是当前最短路径上的顶点
   //final[v]=true当且仅当v∈S,即已经求得v0到v的最短路径
   int final[MAX VERTEX NUM] = { 0 };
   int v;
   for (v = 1; v \le G. vexnum; v++)
       D[v] = G. arcs[v0][v];//初始化最短距离
   D[v0] = 0;
   final[v0] = 1;//初始化, v0顶点属于S;
   int min, w, i;
   for (i = 2; i \le G. vexnum; i++)
       min = INFINITY;
       for (w = 1; w \le G. vexnum; w++)
          if (!final[w] && D[w] < min)</pre>
             v = w:
             \min = D[w];
       final[v] = 1;
       //更新当前最短路径P[][]及最短距离D[];
       for (w = 1; w \le G. vexnum; w++)
          if (!final[w] \&\& min + G.arcs[v][w] < D[w])
             D[w] = min + G.arcs[v][w];
}
int main()
{
   MGraph G:
   ShortPathTable D;
   int n, m:
   int v0, v1;
   cin >> n >> m >> v0 >> v1;
   CreateGraph(G, n, m);
   ShortPath_DIJ(G, v0, D);
   cout \langle\langle D[v1] \rangle\langle\langle end1;
```

```
return 0;
}
/*邻接链表的Dijkstra算法*/
#include (iostream)
using namespace std;
typedef int VertexType;
#define MAX_VERTEX_NUM 20000
#define INFINITY 2147483647
typedef struct ArcNode
   int adjvex://弧指向的顶点的位置
   ArcNode *nextarc; //指向下一个与该顶点邻接的顶点
   long long info;//弧的相关信息
}ArcNode;//边表结点
typedef struct VNode
   VertexType data;//用于存储顶点
   ArcNode *firstarc;//指向第一个与该顶点邻接的顶点
} VNode, AdjList [MAX_VERTEX_NUM]; //表头节点,顺序表存储
typedef struct
{
   AdiList vertices://邻接表
   int vexnum, arcnum; //边数, 顶点数
   int kind://图的种类
} ALGraph;
typedef long long int ShortPathTable[MAX_VERTEX_NUM]; //最短路径长
度
int LocateVertex(ALGraph &G, VertexType& v)
{
   int i:
   for (i = 1; i \le G. vexnum; i++)
      if (G. vertices[i]. data == v)
         return i;
   return -1;
void CreateGraph AdjList(ALGraph &G, int n, int m)
   int i, j, k, w;
   VertexType v1, v2;
   ArcNode *p;
   G. vexnum = n:
   G. arcnum = m;
   for (i = 1; i \leq G. vexnum; i++)
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{
      G. vertices[i]. data = i;
      G. vertices[i]. firstarc = NULL;
   for (k = 1; k <= G. arcnum; k++)//无向图
      cin \gg v1 \gg v2 \gg w;
      i = LocateVertex(G, v1);
      j = LocateVertex(G, v2);
      /*j为入i为出创建邻接链表*/
      p = new ArcNode;
      p-adjvex = j;
      p->info = w;
      p->nextarc = G. vertices[i]. firstarc;
      G. vertices[i]. firstarc = p;
      /*i为入j为出创建邻接链表*/
      p = new ArcNode;
      p-adjvex = i;
      p-info = w;
      p->nextarc = G.vertices[j].firstarc;
      G. vertices[j].firstarc = p;
   }
}
void ShortPath_DIJ(ALGraph&G, int v0, ShortPathTable &D)
   //用Dijkstra算法求有向网v0到其余各顶点带权长度D[v];
   //final[v]=true当且仅当v∈S,即已经求得v0到v的最短路径
   int final[MAX VERTEX NUM] = { 0 };
   long long min;
   int v, i, w, j;
   for (int i = 1; i \le G. vexnum; i++)
      D[i] = INFINITY;
   ArcNode *p:
   p = G. vertices[v0]. firstarc;
   while (p)
      w = p-\rangle adjvex:
      D[w] = p \rightarrow info;
      p = p-nextarc;
   D[v0] = 0;
   final[v0] = 1;//初始化, v0顶点属于S;
   for (i = 1; i < G. vexnum; i++)
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min = INFINITY;
       for (j = 1; j \le G. vexnum; j++)
           if (!final[j] && D[j] < min)</pre>
           {
              v = j;
              min = D[j];
           }
       final[v] = 1;
       //更新当前最短距离D[];
       p = G. vertices[v]. firstarc;
       while (p)
       {
           w = p-\rangle adjvex;
           if (!final[w] && min + p->info < D[w])</pre>
              D[w] = min + p \rightarrow info;
           p = p-nextarc;
       }
}
int main()
{
   ALGraph G;
   ShortPathTable D:
   int n, m;
   int v0, v1;
   cin >> n >> m >> v0 >> v1;
   CreateGraph_AdjList(G, n, m);
   ShortPath DIJ(G, v0, D);
   cout \langle\langle D[v1] \rangle\langle\langle end1;
   return 0;
}
/*静态邻接表的Dijkstra算法*/
#include iostream>
using namespace std:
typedef int VertexType;
#define MAX_VERTEX_NUM 26000
#define INFINITY 2147483647
typedef long long ShortPathTable[MAX_VERTEX_NUM]; //最短路径长度
int first[MAX VERTEX NUM];
int u[MAX_VERTEX_NUM];//起始顶点表;
int v[MAX_VERTEX_NUM];//终止顶点表;
```

```
int w[MAX_VERTEX_NUM];//权值表;
int _next[MAX_VERTEX_NUM * 2];//邻接点表
void ShortPath_DIJ(int n, int m, int v0, ShortPathTable &D)
   //用Dijkstra算法求有向网v0到其余各顶点带权长度D[v];
   //final[v]=true当且仅当v∈S, 即已经求得v0到v的最短路径
   int final[MAX VERTEX NUM] = { 0 };
   long long min;
   int i, j, 1;
   for (int i = 1; i \le n; i++)
      D[i] = INFINITY;
      first[i] = -1;
   }
   j = 1;
   for (i = 1; i <= m; i++)
      /*构建无向网*/
      /*相当于输入2*m条边,即u->v;v->u 并同时
      将它们存储在静态链表为基础的邻接表中*/
      cin \gg u[i] \gg v[i] \gg w[i];
      _{next[j]} = first[u[i]];
      first[u[i]] = j;
      _{next[j + 1] = first[v[i]];}
      first[v[i]] = ++j;
      if (u[i] = v0)
         D[v[i]] = w[i];
      if (v[i] = v0)
         D[u[i]] = w[i];
      j++;
   }
   final[v0] = 1;
   D[v0] = 0;
   int k;
   for (k = 1; k \le n; k++)
      min = INFINITY;
      for (j = 1; j \le n; j++)
      {
         /*找到最离源点最近的一个点1*/
         if (final[j] = 0 \&\& min > D[j])
         {
             1 = j;
            min = D[j];
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}
       final[1] = 1;
       int p;
       for (i = first[1]; i != -1; i = _next[i])
          /*在静态邻接表中遍历更新D[]*/
          p = (i + 1) / 2;
          if (i % 2 == 0 && !final[u[p]])
              if (D[1] + w[p] < D[u[p]])
                 D[u[p]] = D[1] + w[p];
          else if (!final[v[p]] && i % 2 == 1)
              if (D[1] + w[p] < D[v[p]])
                 D[v[p]] = D[1] + w[p];
          }
       }
   }
}
int main()
{
   ShortPathTable D;
   int n, m;
   int v0, v1;
   cin \gg n \gg m \gg v0 \gg v1;
   ShortPath_DIJ(n, m, v0, D);
   cout \ll D[v1] \ll end1;
   return 0;
}
/*完整Dijkstra算法*/
#include<iostream>
using namespace std;
typedef int VertexType;
#define MAX_VERTEX_NUM 20
#define INFINITY 65535
int num[MAX_VERTEX_NUM] = { 0 };
//typedef enum { DG, DN, UDG, UDN } GrapgKind;
typedef int AdjMatrix[MAX VERTEX NUM][MAX VERTEX NUM];
//邻接矩阵类型
typedef struct {
```

```
VertexType vexs[MAX_VERTEX_NUM];
                                        //顶点表
   AdjMatrix arcs;
                      //邻接矩阵
   int vexnum, arcnum; //图的顶点数和边/弧数
   int Graphkind:
MGraph:
typedef int PathMatrix[MAX_VERTEX_NUM][MAX_VERTEX_NUM]; //最短路径数
typedef int ShortPathTable[MAX_VERTEX_NUM]; //最短路径长度
int LocateVertex(MGraph &G, VertexType v)
{
   int i:
   for (i = 1; i \le G. vexnum; i++)
      if (v = G. vexs[i])
          return i;
   return -1;
}
void CreateGraph (MGraph &G)
   int i, j, k;
   VertexType v1, v2;
   int w:
   int n, m;
   cin \gg n \gg m:
   G. vexnum = n;
   G. \operatorname{arcnum} = m:
   for (i = 1; i \le G. vexnum; i++)
      G. vexs[i] = i;
   for (i = 1; i \le G. vexnum; i++)
      for (j = 1; j \le G. vexnum; j++)
          G. arcs[i][i] = INFINITY:
   for (k = 0; k < G. arcnum; k++)
      cin \gg v1 \gg v2 \gg w;
      i = LocateVertex(G, v1);
      j = LocateVertex(G, v2);
      G.arcs[i][j] = w;
   }
}
void ShortPath DIJ (MGraph&G, int v0, PathMatrix &P, ShortPathTable
&D)
{
   //用Dijkstra算法求有向网v0到其余各顶点的最短路径P[v]及其带权长度
D[v]:
   //P[v][w]=true,则w是当前最短路径上的顶点
```

```
//final[v]=true当且仅当v∈S,即已经求得v0到v的最短路径
   int final[MAX_VERTEX_NUM] = { 0 };
   int v;
   for (v = 1; v \le G. vexnum; v++)
      D[v] = G. arcs[v0][v];//初始化最短距离
       for (int w = 1; w \le G. vexnum; w++)
       {
          P[v][w] = 0; //路径为空
          if (D[v] < INFINITY)</pre>
             P[v][v0] = 1;
             P[v][v] = 1;
          }
      }
   }
   D[v0] = 0;
   final[v0] = 1;//初始化,v0顶点属于S;
   int min, w, i;
   for (i = 2; i \leq G. vexnum; i++)
       min = INFINITY;
       for (w = 1; w \le G. vexnum; w++)
          if (!final[w] && D[w] < min)</pre>
          {
             v = w;
             \min = D[w];
       final[v] = 1;
       //更新当前最短路径P[][]及最短距离D[];
       for (w = 1; w \le G. vexnum; w++)
       {
          if (!final[w] \&\& min + G.arcs[v][w] < D[w])
             D[w] = min + G.arcs[v][w];
              for (int i = 1; i \le G. vexnum; i++)
                 if (P[v][i] == 1)
                    P[w][i] = P[v][i];
             P[w][w] = 1;
          }
      }
   }
}
```