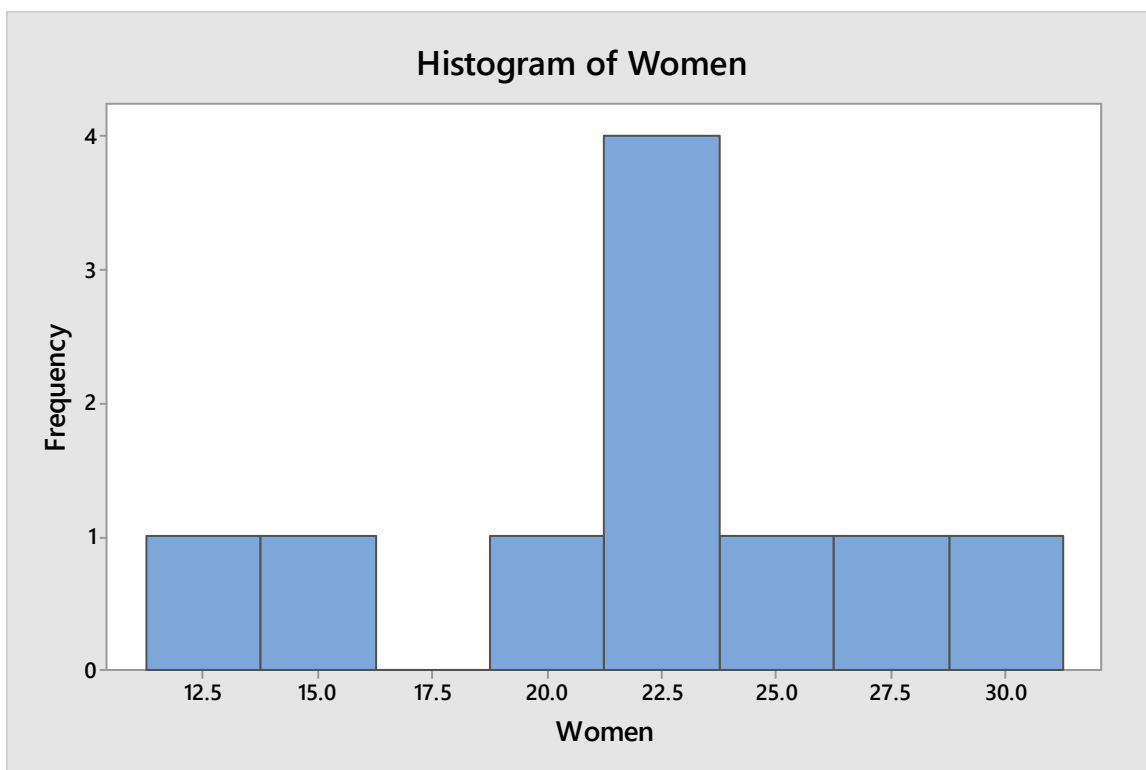
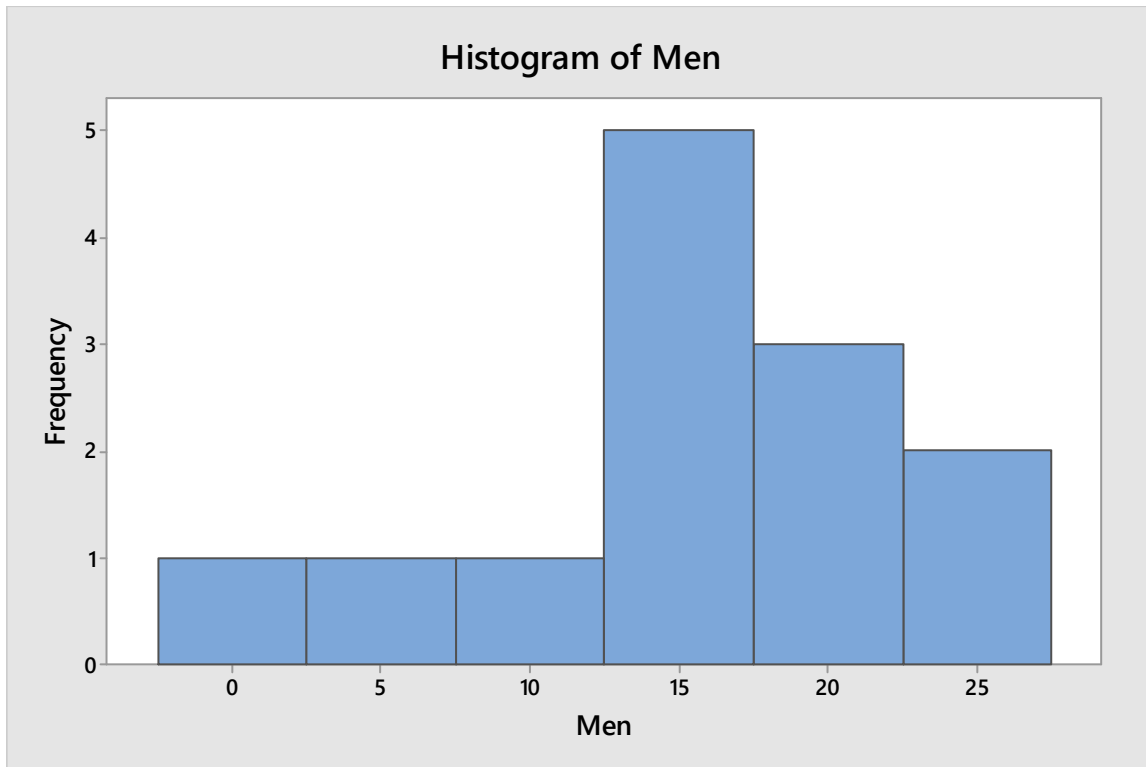


## Minitab Project Report

a) Draw histograms and summary statistics for men and women.



## Descriptive Statistics: Men, Women

Variable	N	N*	Mean	SE Mean	StDev	Minimum	Q1	Median	Q3	Maximum
Men	13	0	14.95	1.90	6.84	1.00	10.65	15.00	19.50	25.00
Women	10	0	22.29	1.68	5.32	12.00	19.75	22.50	26.50	30.00

For men:  
Sample size n1=13  
Mean=14.95  
Standard deviation=6.84

For Women:  
Sample size n2=10  
Mean=22.29  
Standard deviation=5.32

b) Based on these observations perform a two sample t-test and hypothesis testing.  
(do tests for both equal and unequal variances)

### For unequal variance:

Assume  $H_0: \mu_1 = \mu_2$   
 $H_1: \mu_1 \neq \mu_2$   
 $\alpha = 0.01$

### Two-Sample T-Test and CI: Men, Women

#### Two-sample T for Men vs Women

	N	Mean	StDev	SE Mean
Men	13	14.95	6.84	1.9
Women	10	22.29	5.32	1.7

Difference =  $\mu$  (Men) -  $\mu$  (Women)  
Estimate for difference: -7.34  
99% CI for difference: (-14.56, -0.13)  
T-Test of difference = 0 (vs  $\neq$ ): T-Value = -2.90 P-Value = 0.009 DF = 20

P value= 0.009 < 0.01  
So we can reject null hypothesis  
This is because P value is less than our pre-determined level of significance of  $\alpha = 0.01$ .

### For equal variance:

Assume  $H_0: \mu_1 = \mu_2$   
 $H_1: \mu_1 \neq \mu_2$   
 $\alpha = 0.01$

### Two-Sample T-Test and CI: Men, Women

#### Two-sample T for Men vs Women

	N	Mean	StDev	SE Mean
Men	13	14.95	6.84	1.9
Women	10	22.29	5.32	1.7

Difference =  $\mu$  (Men) -  $\mu$  (Women)  
Estimate for difference: -7.34  
99% CI for difference: (-14.77, 0.08)

T-Test of difference = 0 (vs #): T-Value = -2.80 P-Value = 0.011 DF = 21  
Both use Pooled StDev = 6.2356

P-value=0.011>0.01

So we can't reject null hypothesis.

This is because P value is greater than our pre-determined level of significance of  $\alpha=0.01$