

Database Management System (DBMS)

Lecture-20

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Updating

To update value of a particular row into a relation, we write the following type of query:-

$$r \leftarrow \Pi_{F_1, F_2, \dots, F_n}(r)$$

where each F_i is either the i^{th} attribute of r , if the i^{th} attribute is not updated, or, if the attribute is to be updated, F_i is an expression, involving only constants and the attributes of r , that gives the new value for the attribute.

If we want to select some tuples from r and to update only them, we can use the following expression; here, P denotes the selection condition that chooses which tuples to update:

$$r \leftarrow \Pi_{F_1, F_2, \dots, F_n}(\sigma_P(r)) \cup (r - \sigma_P(r))$$

Relational Algebra

Example: Suppose that interest payments are being made, and that all balances are to be increased by 5 percent.

Solution: $account \leftarrow \Pi_{account-number, branch-name, balance * 1.05}(account)$

Example: Suppose that accounts with balances over \$10,000 receive 6 percent interest, whereas all others receive 5 percent.

Solution: $account \leftarrow \Pi_{account-number, branch-name, balance * 1.06}(\sigma_{balance > 10000}(account)) \cup \Pi_{account-number, branch-name, balance * 1.05}(\sigma_{balance \leq 10000}(account))$

Views

Any relation that is not part of the logical model, but is made visible to a user as a virtual relation, is called a view.

We define a view by using the create view statement. To define a view, we must give the view a name, and must state the query that computes the view. The form of the create view statement is

`create view v as < query expression >` where `< query expression >` is any legal relational-algebra query expression. The view name is represented by `v`.

Relational Algebra

Example: Consider the view consisting of branches and their customers. We wish this view to be called all-customer. We define this view as follows:

create view all-customer as $\Pi_{branch-name, customer-name}$
 $(\text{depositor} \bowtie \text{account}) \cup \Pi_{branch-name, customer-name}$
 $(\text{borrower} \bowtie \text{loan})$

Once we have defined a view, we can use the view name to refer to the virtual relation that the view generates. Using the view all-customer, we can find all customers of the Perryridge branch by writing

$\Pi_{customer-name}(\sigma_{branch-name="Perryridge"}(all-customer))$

Tuple Relational Calculus

A query in the tuple relational calculus is expressed as

$$t \text{ --- } P(t)$$

that is, it is the set of all tuples t such that predicate P is true for t .

We use $t[A]$ to denote the value of tuple t on attribute A , and we use $t \in r$ to denote that tuple t is in relation r .

Example Queries

- Find the branch-name, loan-number, and amount for loans of over \$1200.

Solution: $\{ t \mid t \in loan \wedge t[amount] > 1200 \}$

- Find the loan number for each loan of an amount greater than \$1200.

Solution: $\{ t \mid \exists s \in loan(t[loan - number] = s[loan - number] \wedge s[amount] > 1200) \}$

- Find the names of all customers who have a loan from the Perryridge branch.

Solution: $\{ t \mid \exists s \in borrower(t[customer - name] = s[customer - name] \wedge \exists u \in loan(u[loan - number] = s[loan - number] \wedge u[branch - name] = "Perryridge")) \}$

Tuple Relational Calculus

- Find all customers who have a loan, an account, or both at the bank.

Solution:

$$\{ t \mid \exists s \in \text{borrower}(t[\text{customer} - \text{name}] = s[\text{customer} - \text{name}]) \vee \exists u \in \text{depositor}(t[\text{customer} - \text{name}] = u[\text{customer} - \text{name}]) \}$$

- Find those customers who have both an account and a loan at the bank.

Solution:

$$\{ t \mid \exists s \in \text{borrower}(t[\text{customer} - \text{name}] = s[\text{customer} - \text{name}]) \wedge \exists u \in \text{depositor}(t[\text{customer} - \text{name}] = u[\text{customer} - \text{name}]) \}$$

- Find all customers who have an account at the bank but do not have a loan from the bank.

Solution:

$$\{ t \mid \exists u \in \text{depositor}(t[\text{customer} - \text{name}] = u[\text{customer} - \text{name}]) \wedge \neg \exists s \in \text{borrower}(t[\text{customer} - \text{name}] = s[\text{customer} - \text{name}]) \}$$

Tuple Relational Calculus

- Find all customers who have an account at all branches located in Brooklyn.

Solution:

$$\{ t \mid \forall u \in \text{branch}(u[\text{branch} - \text{city}] = \text{"Brooklyn"} \Rightarrow \exists s \in \text{depositor}(t[\text{customer} - \text{name}] = s[\text{customer} - \text{name}] \wedge \exists w \in \text{account}(w[\text{account} - \text{number}] = s[\text{account} - \text{number}] \wedge w[\text{branch} - \text{name}] = u[\text{branch} - \text{name}])))) \}$$

Note:

- The formula $P \Rightarrow Q$ means “P implies Q”; that is, “if P is true, then Q must be true.”
- Note that $P \Rightarrow Q$ is logically equivalent to $P \vee Q$.