Two monomials are called similar when they have the same literal part. For example:

```
4x^4y and \frac{1}{5}x^4y Other examples of similar monomials are: 5x^2yh \text{ and } \frac{6}{7}x^2yh x^2 \text{ and } 3x^2 We have to remark that the order in which the variables appear is not relevant.
```

The first rule we have to remember is that we can only add similar monomials. In this case, the

```
3x^5y + 2x^5y = (3+2)x^5y = 5x^5y

4x^3 + 6x^3 = (4+6)x^3 = 10x^3

3xyh + 11xyh = (3+11)xyh = 14xyh

Subtraction of monomials
```

## As we have seen in the case of the sums, we can

only reduce similar monomials. In this case, the independent term remains equal, and the coefficients must be reduced.  $3x^5y - 2x^5y = (3-2)x^5y = 1x^5y = x^5y \\ 4x^3 - 6x^3 = (4-6)x^3 = -2x^3$ 

```
4x^3 - 6x^3 = (4 - 6)x^3 = -2x^3

3xyh - 11xyh = (3 - 11)xyh = -8xyh

Product of monomials
```

## The independent terms of the product is the

of the product is the product of the coefficients. If we multiply the monomials  $3x^2y$ ,  $\frac{3}{4}zy$  The product of the coefficients is

product of independent terms, and the coefficient

```
The product of the coefficients is 3\cdot\frac{3}{4}=\frac{9}{4} And that of the independent terms are (x^2y)\cdot(zy)=x^2yzy=x^2y^2z So, the final result is \frac{9}{4}x^2y^2z In the same way, if we multiply \frac{3}{4}x^6z,\frac{16}{7}z^2y The product of the coefficients is \frac{3}{4}\cdot\frac{16}{7}=\frac{12}{7} And that of the independent terms are (x^6z)\cdot(z^2y)=x^6zz^2y=x^6z^3y So, the final result is \frac{12}{7}x^6z^3y
```

## quotient between the independent term of the numerator and the independent term of the

coefficient of the denominator.

denominator.

The coefficient of the division is the quotient between the coefficient of the numerator and the

The independent term of the division is the

 $\begin{aligned} \frac{3x^2y}{2xy} &= \frac{3}{2} \cdot \frac{x^2y}{xy} = \frac{3}{2}x\\ \frac{3x^2y}{2x^4y} &= \frac{3}{2} \cdot \frac{x^2y}{x^4y} = \frac{3}{2} \frac{1}{x^2}\\ \frac{3x^2}{2xz} &= \frac{3}{2} \cdot \frac{x^2}{xz} = \frac{3}{2} \frac{x}{z} \end{aligned}$