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Name - Dhee nog
                                                   Drove
                       Section - CST
                      Roll No. - 23
                    Subject - DAA
                      Tutosital -2
Ques 1 > What is the time Complexity of below Gde
          and how?
             Void fun (Intn)
               int j=1, i=0;
                   while (irn)
                      j++;
And > Time Complexity - O(In) or O(sqotn)
    foon j=1 1=1
         g=2 i=1+2
          j=3 i=1+2+3
                   i = 1+2+3+ ... &n
          j=n
                      \frac{\chi(\chi+1)}{2} = \frac{\chi^2+1}{2} < \chi
                     x 9 < n (ignore Gretant)
            X= In on X = Sq8+(n)
```

Over 2 > Write securrence relation for the Though Diecorsive function that points fibonocci series. Solve the sieuwoience sielation to get time Complexity of the perogeram. What will be the Space Complexity of this perogeram and wing ? Fib(n) = Fib(n-1) + Fib(n-2) ANS Code footible):- int fir (intr) - 0(1) return 1: return fib(n-1) + fib(n-2); - T(n-1) + T(n-2) T(n) = T(n-1) + T(n-2)+1 Recursive tree => fib(n-1) fib(n-2) —> 2 fib(n-2) fib(n-3) fib(n-4) —> 4 Fib (n-3) gn 1+2+4+8+ a=1,8=2 foor a>1, a ( giterms\_1)  $= 7 \cdot \left( \frac{2^{n+1}-1}{2^{n-1}} \right) = 2^{n+1}-1$ Eneglact Gristani) Vime Complexity -> O(an) Scanned By Scanlt

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Space Complexity => Space Complexity 18 depend
                                                 54
                  the maximum depth of the siecusistre
                         tree.
      So, Space Complexity 18 O(n)
Over 3 > Write programs which have Complexito
                  n (sogn), n3, log (sogn)
And => (i) O(nlogn)
                for(i=1; 1x=n', i= 1*2)
                     For(j=1; j(=n; j++)
                        E Sum = Sum +1;
                   3
         (ii) O(n3)
               (++i, mxi; 0=i) read
                    Food (3=0; Jam; 1+1)
                         Foor ( K=0; K. (m; K++)
                       ([[][x]d+[x][] = a[][x]+b[x][];
                   3
```

(iii) O(log(logn)) D harreft foor (1=8; ixh; 1=1\*i) ( ++; Over 4 => Some the following siecusarence relation T(n) ~ T(n) + T(n) + cn2 丁一里)之下(型) Ans => TIM) = 27 (m) + (ma Using moster's method, T[m]= QT(n) + F(n) We have, a21, b71, 6= logba a = 2, b = a Now C = 20983 = 1 Now Compare nc & fln) we su F(n) = na As Flonzac 50, T(n) = O(F(m)) T(n) = 0(n2)

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Dheerey
Ques 5 => What 18 the time Complexity of following
          Functions fund?
        int fun (int n)
               (++1; n=1; 1=1 mi) not
                    Foon ( Int ] = 1; jen; j+=1)
                      11 Some O(1) task
            3
  And => for i=1, j=1,2,3,4--n (for ntimes)
            1=8, j=1,3,5 ... (for m/a times)
            1-3, j=1,4,7 ... ( for n/3 times)
        T(n) = h+ n + n + ....
              n [ 1+ 1/3 + --+ 1/n]
              T(n) = nlogn
```

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Ques 6 > What should be the time Complexity of
            foor (Inti=2; it=n; 1= pow(1,K))
                    110(1)
        Where K is a Constant
And > for first iteration, i= 2
         " g^{nd} " i = (a^{x})^{x} - g^{x}
         For nth iteration, i = gkd
          Where, grid <=n
              Apply log both lib,
                    log gro = log n
                      1 ki = logn
            alguin Amy log both Side,
                     logk) = log log(n)
                      I look = loo log (x)
                    3 - log (logn)
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Dheere 87 > Write a Diecorrence orelation when quick Sort Repeatedly divides the array in two parts of 99.1 & 11. Derive the time Complexity In this Case. Show the grecusion tree While deriving time Complexity and find the disserence in heights of both the extreme barts. What do you understand by this analysis; tre => : 4(m) - T(n-1) + 0(1) n-in level for menging T(n) = [T(n-1)+ T(n-2)+ .... T(1) + O(1)] xx [T(n) = 0(n2) Lowest height = 2 height height = n diss = n.2 n71 The Wiren algorithm produces linear guesula.

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Dheered 3 state of growth.

> (b) 1 × loglogn × Tlogn × logn × log an × 2 logn ×n × 2n × 4n × nlogn × n2 × log (n1) ×n1 × 2 (2n)

(c) 962 Jogs(n) < logs(n) < 5n < nlogsn < nlogsn < nlogsn < logln1) < 8n2 < 7n3 < n1 < 82n