Nome i- Theeray some Section: - CE. ROIL No.1- 23

Tutorial - 04

 $T(n) = 3T(n/2) + n^2$ dues1 -1a=3, b=2, f(n)=n2 nlogg = nlogg : nlog3 < f(n) : T(n) = O(n2) Ques 2 T(n)= 47(n/2)+222n2

a=4, b=2, fen)=n2 nl93 = nl94 = n2 nlogo = flm) : T(n)=0(m2logn)

Ques3 7(n)= 7(n/2)+ 27 -> a=1, b=2, f(n)= 20 nlas = nlai = n° =1 nlogo (f(n) 7(n)= 0 (en)

T(n) = 2 + + + (n/2) + n Ques4 .: a is a function master theorem is not possible

Quess T(n) - 16T(n/4)+n a=16, b=4, f(n)=n nl93: nl942 n2 nlogo yfin) T(n) = O(n2) Am

Ques 6	T(n)= 37(n/2) + nlogn
-	-10=2, b=2, finj= nlogn
	$n \log_0^2 = n \log_0^2 = n$
	nego = fin)
	$T(n) = O(f(n)) = O(n\log n)$
Ques 7	T(n) = 27(n/2) + n/logn
	-1 a = 2, b = 2, f(n) = mlogn
	$n \log_{3}^{2} = n \log_{2}^{2} = n$
	nl96 > f(n)
	$f(m) = \theta(m)$
Quest	T(n) = &T(n/4) + n0.51
	a=2, b=4, f(m)=n0.51
	$nlg_b^2 = nlg_4^2 - nl_2 = Jn$
	nlgo < fen)
	$f(n) = O(f(n)) = O(n^{ost}) \rightarrow An$
Ques 9	T(n)= 057(n/2) + 1/m
	aci, master theorem is not applicable
Questo	T(n) = 16 T(n/4) + n
	0=16, b=4, f(n)=n;
	nlgg = nlg 4 = n2
	$n^{\log 3} < f(n)$
Ough	$T(n) = O(n^2) - An$
queil	T(n) = 4+(n/2) + logn 0=4, b=2, f(n) = logn
	nlgs = nlg2 = n2
	T(n)= 0(n2)
	2

Ques 12 T(n) = start (n) T(n/2) + log n o is not constant master theorem is not applicable. Q.13) T(n) = 3+(n/2)+n 0=3, b=2, f(n)=n ne93 = 21.58 negis s fems T(n)= 0 (n158) T(n) = 3+(n/8)+Jn Ques 14 -10=3, b=3, +(n)= In m log3 = m +(n)=0(n) T(n) = 4+(n/2)+cn Qusc 15 -ra=u, b=2, flm)=en nl93= nl91 = n2 nl93 >+(n) T(n) = 10 (n2) T(n) = 3T(n/u) + nlogn Q. Ues 16 a=3, b=4, f(n)= nlogn neg3 = no.79 nlage flas Tim= Olnegn) T(n) = 3T(n/3)+n/2 Quesit 0-3, b=3, f(n)=m/2 nlgg = nlg3 = n nlgo > fin) T(n) = 0(n)

T(m)= 6+(n/3) + n2 logn Que 18 -10=6, b=3, fin)=no logn 2 lg 6 = 2 1.63 Time Olnologn Ques 19 T(n)= 47(n/2) + n/logn 0=4, b=2, f(n)= n/logn n 496 = n2 T(n) = 0(n2) T(m)= 64+(m/6)- n2 logn Queso fin) is not increasing function to moster's theorem is not applicable. Quesal T(n)= 77(n/3)+n2 0=7, b=3, f(n)=n2 nless= nl93 = n1.3 nlogo < flm) T(n)= 0(n2) dueses +(n)= +(m/2) + n(2-log n) master's theorem is not applicable .. regularity condition is isolated in case 3.