```
Q.1,
<u>1</u>
<u>a)</u>
m = [1,2,3,4,5,6,7]
print(len(m))
<u>b).</u>
I = "xyz" + "pqr"
print(l)
<u>c).</u>
s = "make in India"
print(s[:5])
print(s[:9])
<u>2.</u>
from sympy import *
\mathsf{A} = \mathsf{Matrix}([[1,1,1],[0,1,1],[0,0,1]])
            print(A.eigenvals())
<u>a)</u>
<u>b)</u>
            print(A.det())
            print(A.eigenvects())
<u>c)</u>
```

```
<u>3.</u>
S = [3,4,5,6,7,8,9,10,11,12,13]
S.reverse()
print(S)
<u>Q2.</u>
<u>1.</u>
#Distionary
college = {"Dr. Ansari sir":"DS","Pramod Deore":"Math", "Nisha Sharma":"Electronics", "Sunil
Nikam":"C", "Sharad Bachhav":"Statistics"}
college
<u>2.</u>
from sympy import *
x,y,z = symbols('x,y,z')
A = Matrix([[1,2,-3],[-2,1,-2],[3,1,-2]])
b = Matrix([3,6,9])
linsolve((A,b),[x,y,z])
<u>3.</u>
for num in range(51,100):
    if num > 1:
         for i in range(2, num):
```

if (num % i) == 0:

```
break
```

print(num)

else:

<u>Q 3.</u>

<u>a.</u>

<u>1.</u>

import math

def simson3by8Rule(f,a,b,n):

$$h = 0.5$$
  
 $sm = f(a) + f(b)$   
 $print("X0 = %.4f"%sm)$ 

for i in range(1,n):

$$k = a + i*h$$
  
 $y = f(k)$   
if i%3 == 0:

else:

$$sm = sm + 3 * y$$
  
print("X%d = %.4f"%(i,y))

$$y = f(b)$$
  
print("X%d = %.4f"%(n,f(b)))

sm = sm + h \* (3/8)

print("Value of intergral is: %.5f"%sm)

```
f = lambda x : math.e^{**}x
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total subintaraval : "))
simson3by8Rule(f,a,b,n)
<u>2.</u>
def newtonRaphson(f,df,x,n):
        h = f(x) / df(x)
        for n in range(1,n+1):
                 h = f(x) / df(x)
                 x = x - h
        print("The value newton Raphson method: ","%.4f"%x)
f = lambda x : x**5+ 3*x +1
df = lambda x : 5*x**4+3
x0 = 0
newtonRaphson(f,df,x0,5)
<u>b.</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
        if f(a) * f(b) >=0:
```

```
print("False positionmethod false ")
                print("enterval cheak ")
        else:
                step = 1
                print("** false position method emplimention ** ")
                condition = True
                while condition:
                         c = a-(b-a)* f(a)/(f(a) - f(b))
                         print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                         if f(a) * f(c) <0:
                                 b = c
                         else:
                                 a = c
                         step = step + 1
                         condition = abs(f(c)) >e
                         print("\n required root is : %.8f"%c)
f = lambda x : x**3-4*x-9
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
e = float(input("Tolebrable error:"))
falsepositionmethod(a,b,e)
```

<u>2.</u>

from scipy.interpolate import interp1d

```
\label{eq:continuous} $X = [150,152,154,155] \ \# \ random \ x \ values $$ $Y = [12.247,12.329,12.410,12.490] \ \# \ random \ y \ values $$ $$ interpolate_x = 153 $$ $$ $y_interp = interp1d(X, Y) $$ print("Value of Y at x = {} is".format(interpolate_x), y_interp(interpolate_x)) $$
```

```
Q.1
1.
<u>a.</u>
(22 %2 )+ 9 - (3 +7) × 10 ÷ 2
<u>b.</u>
35 * 10 // 3 + 15 % 3
<u>C.</u>
2*5 - 2*5 + 4 // 7
<u>2.</u>
for i in range(25, 50):
      if i % 2 != 0:
            print(i)
<u>3.</u>
<u>a)</u>
from sympy import *
A = Matrix([[1, 0, 5, 4], [2, 1, 6, -1], [3, 4, 0, 2]])
A.row_del(1)
Α
```

<u>b)</u>

from sympy import \*

```
A = Matrix([[1, 0, 5, 4], [2, 1, 6, -1], [3, 4, 0, 2]])
A.col_del(1)
Α
<u>C.</u>
<u>Q2</u>
<u>1</u>
from sympy import *
A = Matrix([[1,3,3],[2,3,3],[4,2,1]])
print(A.eigenvals())
print(A.det())
print(A.eigenvects())
<u>2.</u>
<u>3.</u>
for num in range(1,200):
    if num > 1:
          for i in range(2, num):
                if (num % i) == 0:
                      break
                else:
                      print(num)
```

```
<u>Q.3</u>
```

<u>a)</u>

<u>1.</u>

import math

def sims on third Method (f,a,b,n):

$$h = (b-a)/2$$
  
 $sm = f(a) + f(b)$   
 $print('x0 = \%f'\%f(a))$ 

for i in range(1,n):

$$k = a + i*h$$

$$y = f(k)$$

if i%2 == 0:

$$sm = sm + 2 * y$$

else:

print('x%d = %f'%(i,y))

$$y = f(b)$$
  
print('x%d = %f'%(n,y))  
sm = sm \* h /3

print('value of integral is %.8f'%sm)

return

```
f = lambda x : math.sin(x)
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total no of subintraval : "))
simsonthirdMethod(f,a,b,n)
<u>2.</u>
from sympy import *
A = Matrix([[3,-2],[6,-4]])
print(A.is_diagonalizable())
P, D = A.diagonalize()
Ρ
D
<u>b.</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
        if f(a) * f(b) >= 0:
                 print("False positionmethod false ")
                 print("enterval cheak ")
        else:
                 step = 1
```

```
print("** false position method emplimention ** ")
                 condition = True
                 while condition:
                          c = a-(b-a)* f(a)/(f(a) - f(b))
                          print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                          if f(a) * f(c) <0:
                                   b = c
                          else:
                                  a = c
                          step = step + 1
                          condition = abs(f(c)) >e
                          print("\n required root is : %.8f"%c)
f = lambda x : x**3-2*x-5
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
e = float(input("Tolebrable error:"))
<u>2.</u>
def trap(f,a,b,n):
     h = (b-a)/2
     sm = f(a) + f(b)
     for i in range(1,n):
              k = a + i * h
              y = f(k)
```

```
sm = sm + 2*y
print('x %d = %f'%(i,y))

sm = sm * h/2
print('\n value of integral is %0.8f'%sm)
return

f = lambda x : 1/(1+x)
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter subintaral num : "))
```

```
<u>1.</u>
z1 = 3+2j
z2 = -4 + 1j
print(z1 + z2)
print(z1 - z2)
print(z1 * z2)
2.
3.
for i in range(1,11):
     print(i*i)
<u>Q.2</u>
1.
S = [1,2,3,4,5,6,7,8,9]
S.reverse()
S
2.
f = lambda x : x**2-3*x
for i in range(-1,4):
```

<u>Q.1</u>

```
y = f(i)
     print(y)
3.
sm = 0
for i in range(50,100):
     sm = sm + i
print(sm/50)
<u>Q.3</u>
1
import math
def simsonthirdMethod(f,a,b,n):
        h = (b-a)/2
        sm = f(a) + f(b)
        print('x0 = \%f'\%f(a))
        for i in range(1,n):
                 k = a + i*h
                y = f(k)
                 if i%2 == 0:
                         sm = sm + 2 * y
                 else:
                         sm = sm + 4 * y
                 print('x\%d = \%f'\%(i,y))
```

```
y = f(b)
        print('x\%d = \%f'\%(n,y))
        sm = sm * h/3
        print('value of integral is %.8f'%sm)
        return
f = lambda x : (1+x**3)**(1/2)
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total no of subintraval : "))
simsonthirdMethod(f,a,b,n)
2.
from scipy.interpolate import interp1d
X = [3,5,7,9]
Y = [5,7,27,64]
interpolate_x = 5.5
y_interp = interp1d(X, Y)
print("Value of Y at x = {} is".format(interpolate_x),
       y_interp(interpolate_x))
```

```
b)
1.
def falsepositionmethod(a,b,e):
        if f(a) * f(b) >= 0:
                 print("False positionmethod false ")
                 print("enterval cheak ")
        else:
                 step = 1
                 print("** false position method emplimention ** ")
                 condition = True
                 while condition:
                         c = a-(b-a)* f(a)/(f(a) - f(b))
                         print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' \% (step, c, f(c)))
                         if f(a) * f(c) <0:
                                  b = c
                         else:
                                  a = c
                         step = step + 1
                         condition = abs(f(c)) > e
                         print("\n required root is : %.8f"%c)
f = lambda x : x**3-4*x-9
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
e = float(input("Tolebrable error:"))
```

```
falsepositionmethod(a,b,e)
2.
import numpy as np
import sys
n = int(input('Enter number of data points: '))
x = np.zeros((n))
y = np.zeros((n,n))
print('Enter data for x and y: ')
for i in range(n):
     x[i] = float(input('x['+str(i)+']='))
     y[i][0] = float(input( 'y['+str(i)+']='))
for i in range(1,n):
     for j in range(n-1,i-2,-1):
          y[j][i] = y[j][i-1] - y[j-1][i-1]
print('\nBACKWARD DIFFERENCE TABLE\n');
for i in range(0,n):
     print('%0.2f' %(x[i]), end=")
     for j in range(0, i+1):
          print('\t%0.2f' %(y[i][j]), end='')
  print()
```

# <u>Q.1</u> <u>1.</u> a =4 b = 6 c = 8 d = 12 print(a+b) print(a-b) print(a\*b) print(a/b) <u>2.</u> print(3+(9-2)/7\*2\*\*2) <u>3.</u>

string = "Helow"

string1 = "Word!"

string2 ="Good"

string3 ="Moring"

```
print(string + string1)
print(string + string2)
print(string + string3)
<u>Q.2</u>
<u>1.</u>
from sympy import *
A = Matrix([[1,2],[4,8]])
B = Matrix([[4,7],[7,9]])
print(A+B)
print(B+A)
print("Both matrix is same")
print("A + B = B + A")
print(A-B)
<u>2.</u>
f = lambda x : x + 5
for i in range(-5,6):
     y = f(i)
     print(y)
```

```
<u>3.</u>
```

from sympy import \*
A = Matrix([[4,2,2],[2,4,2],[2,2,4]])
print(A.eigenvals())
print(A.eigenvects())

### <u>Q.3</u>

<u>A)</u>

<u>1.</u>

import math

def simsonthirdMethod(f,a,b,n):

$$h = (b-a)/2$$
  
 $sm = f(a) + f(b)$   
 $print('x0 = \%f'\%f(a))$ 

for i in range(1,n):

else:

$$k = a + i*h$$
  
 $y = f(k)$   
if  $i\%2 == 0$ :  
 $sm = sm + 2 * y$ 

$$sm = sm + 4 * y$$

```
print('x\%d = \%f'\%(i,y))
      y = f(b)
       print('x\%d = \%f'\%(n,y))
      sm = sm * h/3
       print('value of integral is %.8f'%sm)
       return
f = lambda x : (1/(1+x**2))
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total no of subintraval : "))
simsonthirdMethod(f,a,b,n)
<u>2.</u>
def newtonRaphson(f,df,x,n):
      h = f(x) / df(x)
      for n in range(1,n+1):
             h = f(x) / df(x)
             x = x - h
```

```
print("The value newton Raphson method : ","%.4f"%x)
```

```
f = lambda x : x**3 - 8*x - 4
df = lambda x : 2*x+5
x0 = 0.5
newtonRaphson(f,df,x0,5)
<u>B)</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
      if f(a) * f(b) >= 0:
             print("False positionmethod false ")
             print("enterval cheak ")
       else:
             step = 1
             print("** false position method emplimention ** ")
             condition = True
             while condition:
                    c = a-(b-a)* f(a)/(f(a) - f(b))
                    print('Iteration-%d, c = \%0.4f and f(c) = \%0.4f' % (step, c, f(c)))
                    if f(a) * f(c) <0:
                           b = c
```

```
else:
                          a = c
                    step = step + 1
                    condition = abs(f(c)) > e
                    print("\n required root is : %.3f"%c)
f = lambda x : x^**3 - 2 * x - 4
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
     float(input("Tolebrable error : "))
falsepositionmethod(a,b,e)
<u>2.</u>
# Reading number of unknowns
n = int(input('Enter number of data points: '))
# Making numpy array of n & n x n size and initializing
# to zero for storing x and y value along with differences of y
x = np.zeros((n))
y = np.zeros((n,n))
```

```
# Reading data points
print('Enter data for x and y: ')
for i in range(n):
     x[i] = float(input('x['+str(i)+']='))
     y[i][0] = float(input( 'y['+str(i)+']='))
# Generating forward difference table
for i in range(1,n):
     for j in range(0,n-i):
           y[j][i] = y[j+1][i-1] - y[j][i-1]
print('\nFORWARD DIFFERENCE TABLE\n');
for i in range(0,n):
     print('%0.2f' %(x[i]), end=")
     for j in range(0, n-i):
           print('\t\t%0.2f' %(y[i][j]), end=")
  print()
```

```
<u>Q.1</u>
<u>1.</u>
for i in range(1,12):
      print(i)
<u>2.</u>
      print(math.sin(75))
a)
b)
      print(math.sin(75))
c)
      print(math.e)
      print(math.cos(56))
d)
<u>3.</u>
r = 5
print("area:",3.14*r*r)
print("circularense : ",2*3.14*r)
print("dimeter : ",2*r)
<u>Q.2</u>
<u>1.</u>
```

```
from sympy import *
A = Matrix([[10,20],[30.,40]])
B = Matrix([[40,50],[50.,60]])
C = Matrix([[70,80],[80.,90]])
print((A+B)+C)
print(A+(B+C))
print("Both matrix same ")
print("(A+B)+C = A+(B+C)")
<u>2.</u>
from sympy import *
A = Matrix([[3,-2],[6,-4]])
print(A.eigenvals())
print(A.eigenvects())
<u>3.</u>
for num in range(1000,2000):
    if num > 1:
         for i in range(2, num):
              if (num % i) == 0:
                    break
         else:
```

```
print(num)
```

<u>Q.3</u>

<u>A)</u>

<u>1.</u>

import math

def simsonthirdMethod(f,a,b,n):

$$h = (b-a)/2$$
  
 $sm = f(a) + f(b)$ 

print('x0 = %f'%f(a))

for i in range(1,n):

$$k = a + i*h$$

$$y = f(k)$$

$$sm = sm + 2 * y$$

else:

$$sm = sm + 4 * y$$

$$print('x\%d = \%f'\%(i,y))$$

$$y = f(b)$$

$$print('x\%d = \%f'\%(n,y))$$

```
sm = sm * h/3
      print('value of integral is %.8f'%sm)
      return
f = lambda x : math.e**x
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total no of subintraval : "))
simsonthirdMethod(f,a,b,n)
<u>2.</u>
def newtonRaphson(f,df,x,n):
      h = f(x) / df(x)
      for n in range(1,n+1):
             h = f(x) / df(x)
             x = x - h
      print("The value newton Raphson method : ","%.4f"%x)
f = lambda x : 3*x-math.cos(x)-1
df = lambda x : 3 + math.sin(x)
```

```
x0 = 0.5
newtonRaphson(f,df,x0,5)
B)
<u>1.</u>
def falsepositionmethod(a,b,e):
      if f(a) * f(b) >= 0:
             print("False positionmethod false ")
             print("enterval cheak ")
      else:
             step = 1
             print("** false position method emplimention ** ")
             condition = True
             while condition:
                    c = a-(b-a)* f(a)/(f(a) - f(b))
                    print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                    if f(a) * f(c) <0:
                           b = c
                    else:
                           a = c
                    step = step + 1
                    condition = abs(f(c)) > e
```

### print("\n required root is : %.8f"%c)

```
f = lambda x : x**3 - 4*x - 9
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
e = float(input("Tolebrable error : "))
falsepositionmethod(a,b,e)
<u>2.</u>
from scipy.interpolate import interp1d
X = [2,2.5,3]
Y = [0.593, 0.816, 1.078]
interpolate_x = 2.5
y_interp = interp1d(X, Y)
print("Value of Y at x = {} is".format(interpolate_x),
       y_interp(interpolate_x))
```

```
<u>Q.1</u>
<u>1.</u>
def findAbsolute(N):
      if (N < 0):
             N = (-1) * N;
      print(N);
if _name_ == '_main_':
      N = -12;
      findAbsolute(N);
<u>2.</u>
List1 = [5,10,15,20,25,30]
List2 = [7,14,21,28,35,42]
a)
        print(List1 + List2)
        print(7*List1)
b)
        print(11*List1)
c)
<u>3.</u>
r = 5
print("area: ",3.14*r*r)
print("circularense : ",2*3.14*r)
```

```
<u>Q.2</u>
<u>1.</u>
marks = (70,80,55,78,65)
sm =0
```

```
for i in range(len(marks)):
     sm = sm + marks[i]
```

#### <u>2.</u>

from sympy import \*

x = [1,-5,0]

print(sm/5)

y = [2,3,-1]

print(5\*x)

print(x+y)

print(x-3\*y)

#### <u>3.</u>

# Python program to inverse

# a matrix using numpy

# Import required package

import numpy as np

```
# Taking a 4 * 4 matrix
```

$$A = np.array([[6, 1, 1, 3],$$

# Calculating the inverse of the matrix

print(np.linalg.inv(A))

<u>Q.3</u>

<u>a)</u>

<u>1.</u>

import math

def sims on third Method (f,a,b,n):

$$h = (b-a)/2$$

$$sm = f(a) + f(b)$$

$$print('x0 = \%f'\%f(a))$$

```
for i in range(1,n):
                 k = a + i*h
                 y = f(k)
                 if i%2 == 0:
                         sm = sm + 2 * y
                 else:
                         sm = sm + 4 * y
                 print('x\%d = \%f'\%(i,y))
        y = f(b)
        print('x\%d = \%f'\%(n,y))
        sm = sm * h /3
        print('value of integral is %.8f'%sm)
        return
f = lambda x : math.sin(x)
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter Total no of subintraval : "))
simsonthirdMethod(f,a,b,n)
<u>2.</u>
def newtonRaphson(f,df,x,n):
        h = f(x) / df(x)
```

```
for n in range(1,n+1):
              h = f(x) / df(x)
              x = x - h
       print("The value newton Raphson method : ","%.4f"%x)
f = lambda x : x**2+5*x+1
df = lambda x : 5*x**4+5*x+1
x0 = -1
newtonRaphson(f,df,x0,5)
b).
def falsepositionmethod(a,b,e):
      if f(a) * f(b) >= 0:
              print("False positionmethod false ")
              print("enterval cheak ")
       else:
              step = 1
              print("** false position method emplimention ** ")
              condition = True
              while condition:
                     c = a-(b-a)* f(a)/(f(a) - f(b))
                     print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
```

```
if f(a) * f(c) <0:
                            b = c
                     else:
                            a = c
                    _{step} = step + 1
                     condition = abs(f(c)) >e
                     print("\n required root is : %.8f"%c)
f = lambda x : x**2 - 2*x - 1
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
e = float(input("Tolebrable error : "))
falsepositionmethod(a,b,e)
<u>2).</u>
def trap(f,a,b,n):
     h = (b-a)/2
     sm = f(a) + f(b)
     for n in range(1,n):
            k = a + i * h
```

```
y = f(k)
            sm = sm + 2*y
            print('x \%d = \%f'\%(i,y))
     sm = sm * h/2
     print('\n value of integral is %0.8f'%sm)
     return
f = lambda x : 1/(1+x)
a = float(input("Enter lower limit : "))
b = float(input("Enter upper limit : "))
n = int(input("Enter subintaral num : "))
trap(f,a,b,n)
```

## <u>slip 18</u>

```
Q.1)
<u>1.</u>
num = (16,3,5,48,2,44,5,6,78,12,5,6,24)
min(num)
<u>2.</u>
from math import sqrt
print("Input lengths of shorter triangle sides:")
a = 12
b = 5
c = sqrt(a*2 + b*2)
print("The length of the hypotenuse is:",c)
<u>3.</u>
num = 125312.3142
print(int(num))
<u>Q.2</u>
<u>1.</u>
from sympy import *
```

```
A = Matrix([[2,4],[4,3]])
B = Matrix([[4,3],[5,3]])
print(A + B)
print(A.T)
print(A**-1)
<u>2.</u>
n = 20
sm = 0
while n > 0:
  sm = sm + n
  n = n-1
print(sm)
<u>3.</u>
from sympy import *
A = Matrix([[3,-2],[6,-4]])
P,D =A.diagonalize()
Р
D
```

```
<u>a)</u>
```

<u>1.</u>

import math

def simsonthirdMethod(f,a,b,n):

$$h = (b-a)/2$$

$$sm = f(a) + f(b)$$

$$print('x0 = \%f'\%f(a))$$

for i in range(1,n):

$$k = a + i*h$$

$$y = f(k)$$

$$sm = sm + 2 * y$$

else:

$$sm = sm + 4 * y$$

$$print('x\%d = \%f'\%(i,y))$$

$$y = f(b)$$

$$print('x\%d = \%f'\%(n,y))$$

$$sm = sm * h/3$$

print('value of integral is %.8f'%sm)

return

```
f = lambda x : 1/x
simsonthirdMethod(f,1,3,8)
<u>2.</u>
from scipy.interpolate import interp1d
X = [1,2,3,4]
Y = [11,9,27,64]
interpolate_x = 2.9
y_interp = interp1d(X, Y)
print("Value of Y at x = {} is".format(interpolate_x),
        y_interp(interpolate_x))
<u>b)</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
       if f(a) * f(b) >= 0:
              print("False positionmethod false ")
              print("enterval cheak ")
```

```
step = 1
             print("** false position method emplimention ** ")
             condition = True
             while condition:
                    c = a-(b-a)* f(a)/(f(a) - f(b))
                    print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                    if f(a) * f(c) <0:
                           b = c
                    else:
                           a = c
                    step = step + 1
                    condition = abs(f(c)) > e
                    print("\n required root is : %.8f"%c)
f = lambda x : x**3 - 5*x -9
falsepositionmethod(2,3,0.00001)
<u>2.</u>
import math
def trap(f,a,b,n):
     h = (b-a)/2
     sm = f(a) + f(b)
```

else:

```
for i in range(1,n):
k = a + i*h
y = f(k)
sm = sm + 2*y
print('x %d = %f'%(i,y))
sm = sm * h/2
print('\n value of integral is %0.8f'%sm)
return
f = lambda x : math.cos(x)
trap(f,0,1,5)
```

## **SLIP 19**

```
<u>Q.1</u>
<u>1.</u>
for i in range(2,11):
     for j in range(1,11):
            print(i*j)
<u>2.</u>
x=int(input(" enter a number "))
if x == 0:
     print("zero")
elif x % 2 == 0:
     print(" is even ")
else:
     print(" is odd ")
<u>3.</u>
num ={"swapni":29 , "chetan": 4,"dnyneswar": 24,"rush":13,"gaurav":19}
print(num)
```

<u>Q.2.</u>

```
<u>1.</u>
from sympy import *
import numpy as np
A = Matrix([[1,2,2],[2,1,2],[2,2,1]])
print(A.T)
print(np.linalg.inv(A))
<u>2.</u>
from sympy import *
A = Matrix([[5,2,5,4],[10,3,4,6],[2,0,-1,11]])
print(A.rank())
print(A.rref())
<u>3.</u>
import pprint
import scipy
import scipy.linalg
                        # SciPy Linear Algebra Library
A = scipy.array([[7, 3, -1, 2], [3, 8, 1, -4], [-1, 1, 4, -1], [2, -4, -1, 6]])
P, L, U = scipy.linalg.lu(A)
print("L:")
pprint.pprint(L)
```

```
print("U:")
pprint.pprint(U)
<u>Q.3</u>
<u>A)</u>
<u>1.</u>
import math
def simsonthirdMethod(f,a,b,n):
       h = (b-a)/2
       sm = f(a) + f(b)
       print('x0 = \%f'\%f(a))
       for i in range(1,n):
              k = a + i*h
              y = f(k)
              if i%2 == 0:
                     sm = sm + 2 * y
              else:
                     sm = sm + 4 * y
```

print('x%d = %f'%(i,y))

```
y = f(b)
      print('x\%d = \%f'\%(n,y))
      sm = sm * h/3
      print('value of integral is %.8f'%sm)
      return
f = lambda x : 1/(1+x**2)
simsonthirdMethod(f,0,1,6)
<u>2.</u>
def falsepositionmethod(a,b,e):
      if f(a) * f(b) >= 0:
             print("False positionmethod false ")
             print("enterval cheak ")
      else:
             step = 1
             print("** false position method emplimention ** ")
             condition = True
             while condition:
                    c = a-(b-a)* f(a)/(f(a) - f(b))
                    print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                    if f(a) * f(c) <0:
```

```
sm = sm * h/2
print('\n value of integral is %0.8f'%sm)
return
f = lambda x : x**2
trap(f,0,1,5)
```

## **SLIP 20**

```
<u>Q.1</u>
<u>1.</u>
n = int(input("Enter number : "))
for i in range(1,n):
      print(i**(1/2))
<u>2.</u>
sm =0
for i in range(1,21):
      sm = sm + (i*i)
print(sm)
<u>3.</u>
<u>Q.3</u>
<u>1.</u>
tuple =("I am Indain ")
print(tuple)
```

<u>2.</u>

```
<u>3.</u>
```

from sympy import \* A = Matrix([[3,-2],[6,-4]])print(A.is\_diagonalizable()) P,D = A.diagonalize() Р D <u>Q.3</u> <u>1.</u> import math def simson3by8Rule(f,a,b,n): h = 0.5sm = f(a) + f(b)print("X0 = %.4f"%sm) for i in range(1,n): k = a + i\*hy = f(k)if i%3 == 0: sm = sm + 2 \*yelse:

```
sm = sm + 3 * y
             print("X\%d = \%.4f"\%(i,y))
      y = f(b)
      print("X\%d = \%.4f"\%(n,f(b)))
      sm = sm + h * (3/8)
      print("Value of intergral is : %.5f"%sm)
f = lambda x : math.cos(x)
simson3by8Rule(f,1,3,6)
<u>2.</u>
from scipy.interpolate import interp1d
X = [11,2,3,6]
Y = [2,6,12,42]
interpolate_x = 5
y_interp = interp1d(X, Y)
print("Value of Y at x = {} is".format(interpolate_x),
        y_interp(interpolate_x))
<u>b).</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
```

```
if f(a) * f(b) >= 0:
             print("False positionmethod false ")
             print("enterval cheak ")
       else:
             step = 1
             print("** false position method emplimention ** ")
             condition = True
             while condition:
                    c = a-(b-a)* f(a)/(f(a) - f(b))
                    print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step, c, f(c)))
                    if f(a) * f(c) <0:
                           b = c
                    else:
                           a = c
                    step = step + 1
                    condition = abs(f(c)) > e
                    print("\n required root is : %.8f"%c)
f = lambda x : x^{**}3 - 5^*x - 9
falsepositionmethod(2,3,0.00001)
<u>2.</u>
```

def trap(f,a,b,n):

## **Slip 17**

```
<u>Q.1</u>
<u>1.</u>
wonderful = "wonderful"
def fun():
  bad = "bad"
  print("Python is "+wonderful)
  print("Python is "+bad)
fun()
2.
from sympy import *
A = Matrix([[3,-2],[6,-4]])
print(A.is_diagonalizable())
P,D = A.diagonalize()
Р
D
3.
import math
for a in range (1, 51):
  for b in range (1, 51):
```

```
c = a*2 + b*2
if math.sqrt(c) <= 50:
print("a = %d, b = %d, c = %.4f"%(a,b,math.sqrt(c)))
```

```
<u>Q.2</u>
<u>1.</u>
Import numpy as np
A = np.array([[2,3],[1,-4]])
B = np.array([[1,-2],[-1,3]])
a = np.linalg.inv(A)
b = np.linalg.inv(B)
ab = np.linalg.inv(A*B)
print(ab == b*a)
<u>2.</u>
from sympy import *
x,y,z=symbols('x,y,z')
A=Matrix([[1,-2,3],[2,1,1],[-3,2,-2]])
```

B=Matrix([7,4,10])

```
linsolve((A,B), [x,y,z])
3.
Import numpy as np
A = np.array([[1,3,3],[2,2,3],[4,2,1]])
A.trace()
A.transpose()
<u>Q.3</u>
<u>a)</u>
<u>1.</u>
import numpy as np
# Reading number of unknowns
n = int(input('Enter number of data points: '))
x = np.zeros((n))
y = np.zeros((n))
print('Enter data for x and y: ')
for i in range(n):
     x[i] = float(input('x['+str(i)+']='))
```

```
y[i] = float(input( 'y['+str(i)+']='))
xp = float(input('Enter interpolation point: '))
yp = 0
for i in range(n):
     p = 1
     for j in range(n):
           if i != j:
                 p = p * (xp - x[j])/(x[i] - x[j])
     yp = yp + p * y[i]
print('Interpolated value at %.3f is %.3f.' % (xp, yp))
<u>2.</u>
def newtonRaphson(f,df,x,n):
      h = f(x) / df(x)
      for n in range(1,n+1):
            h = f(x) / df(x)
            x = x - h
            print("x : ",(n,x))
      print("The value newton Raphson method : ","%.4f"%x)
```

```
f = lambda x : x^{**}5 + 5^*x + 6
df = lambda x : 5*x**4 - 5
x0 = 1
newtonRaphson(f,df,2,5)
<u>b)</u>
<u>1.</u>
def falsepositionmethod(a,b,e):
     if f(a) * f(b) >= 0:
            print("False positionmethod false ")
            print("enterval cheak ")
      else:
            step = 1
            print("** false position method emplimention ** ")
            condition = True
            while condition:
                  c = a-(b-a)* f(a)/(f(a) - f(b))
                  print('Iteration-%d, c = \%0.6f and f(c) = \%0.6f' % (step,
c, f(c)))
```

```
print('x %d = %f'%(i,y))
```

```
sm = sm * h/2
print('\n value of integral is %0.8f'%sm)
return
```

f = lambda x : x\*\*2trap(f,0,1,10)