

Tutorial-1

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Q.1)

→

space complexity of Binary search algorithm:

① Iterative - $O(1)$

② Recursive - $O(\log n)$ due to recursive call stack is used.

Q.2)

→

space complexity for Bubble sort:

① space complexity is $O(1)$ if array not sorted.

② space complexity is $O(n)$ if array is already-sorted.

Q.3)

1]

frequency count

1) for ($i=1$ to n) do → n

2) for ($j=1$ to i) do → $n(n+1)/2$

3) for ($k=1$ to j) do → $n(n+1)(n+2)/6$
 $x = x + 1$

$$f(n) = n + \frac{n(n+1)}{2} + \frac{n(n+1)(n+2)}{6}$$

2]

$i=1$

while ($i \leq n$) do

{

$x = x + 1;$

$i = i + 1;$

}

— $f(n)$

— n

— n

— n

$$f(n) = 3n + 1$$

$$f(n) = 3n + 1$$

Q.6) calculate Time and space complexity:-

A] Algo Transpose (a, n)

```
{
  for i=1 to n-1 do      —→ n-1
    for j=i+1 to n do    —→ n-1 x (n-1)
      {
        t = a[i,j] ; a[i,j] = a[j,i] ; a[j,i] = t;
      }
}
```

Time complexity = $O(n^2)$

space complexity =

additional space is $O(1)$,

Auxiliary space used $O(n^2)$ i.e. for space used for matrix.

B] Algo Mult (a, b, c, n)

```
{
  for i=1 to n do      —→ n
    for j=1 to n do    —→ n x n
      {
        c[i,j] = 0;
        for k=1 to n do —→ n x n x n
          c[i,j] = c[i,j] + a[i,k] * b[k,j];
        }
      }
}
```

$f(n) = n^3 + n^2 + n$

Time complexity = $O(n^3)$

space complexity = $O(1)$ [additional]

= $O(n^3)$ [Auxiliary space]