

080

```

a = []
n = int(input("Enter an integer: "))
print("Enter the element of the list: ")
for i in range(n):
    x = int(input())
    a.append(x)
t = int(input("Enter an element: "))
for i in range(n):
    if a[i] == t:
        print("found at position", i+1)
        break
if t is not in a:
    print("no. not in list")
a = sorted(a)
for i in range(n):
    if a[i] == t:
        print("for sorted list found:", i+1)
        break.

```

Output : Enter an integer: 7
 enter the element on the list:
 1
 4
 3
 5
 7
 8
 9
 ✓
 found at element = 5
 position

enter an element = 7

081

Linear Search

Practical No. 1.

Aim: To search for a particular element using the linear search algorithms.

Step 1: Declare the empty list use the while condition statement to run an infinite loop that input value for the list use if condition statement.

Step 2: Take the element to be searched or an input use the for conditional statement to the list print the list and exit.

Step 3: If the element is not in list print it is not in list use the sort() method and repeat the for conditional statement from step 2.

Step 4: End the program.

Practical No. 2. Binary search.

Aim: To search an element of array using binary search algorithm.

```
a = [ ]
print ("enter 'n' to quit")
print ("enter the element of the array")
while (True):
    n = input()
    if (n.isspace() == 'n'):
        break
```

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else:

```
a.append (int(n))
a = sorted(a)
```

print ("The searched that is", a)
y = int(input("enter the element to be searched"))

ub = 0

lb = len(a)

n = (ub + lb) / 2

while (True)

If (y == a[int(n)])

print ("the number", a, "was found at position", int(n))

~~Break~~

else (y >= a[int(n)])

Break
 else (y <= a[int(n)])

ub = int(n) + 1

lb = (ub + lb) / 2

Step 1: Declare an empty list over the list, which are appended input value few the list, which are appended to the list, which are appended to the list and break using the 'break' statement.

Step 2: Take the element to be searched over input point the sorted list (sorted (l)) Define a variable also define x (list[0]) / 2

Step 3: Use the while condition statement to run an infinite loop over the if conditional statement to check whether element of present at 'n' and terminate the loop else if greater than element put (b = a+1, ex (ub + lb / 2)) else the element in present in the list print that the element is not present & break the loop.

Step 4: Terminate the program.

Break.

if y not in a:
 print ("the no was not found")

S80

output:

enter 'n' to quit

Enter the element of the array

21

23

53

12

26

76

n

The sorted list is [12, 21, 23, 26, 53, 76]

Enter the element to be searched : 21

The no. '21' was found at position 2.

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Practical No. 3. Bubble sort.

Aim: To sort a list in a range order using bubble sort algorithm.

Step 1: Define an empty list at the while conditional loop

Step 2: Print the unsorted list using the for conditional statement $i \in \text{range}[\text{list}]$ as iterable that from 0 to $\text{len}(\text{list}) - 1$.

Step 3: Use the if conditional statement to check greater than element the value if true.

Step 4: Terminate the program.

a = []
print ("enter the integer value for the list and
'n' to stop entering: ")
033

while (True):

x = input()

if (x.isspace() == "n"):

Break

else:

a.append(int(x))

print ("the unsorted list is", a)

for i in range (len(a) - 1):

for j in range (len(a) - 1 - i):

if (a[j] == a[j + 1]):

a[j] = a[j + 1] = a[j + 1], a[j]

print ("the sorted list is", a)

Output:

enter the integer value for list & type

5

12

82

123

100

91

69

The unsorted [5, 12, 22, 123, 100, 99, 69]

The sorted [5, 12, 69, 99, 100, 123]

Practical No. 4. Stack

035

```
class stack:
```

```
    def __init__(self):
```

```
        self.l = [0, 0, 0, 0, 0]
```

```
    self.tos = -1
```

```
    def push(self, data):
```

```
        n = len(self.l)
```

```
        if self.tos == n-1:
```

```
            print("The stack is full")
```

```
- else:
```

```
        self.tos += 1
```

```
        self.l[self.tos] = data
```

```
def pop(self):
```

```
    if self.tos < 0:
```

```
        print("The stack is empty")
```

```
    self.l[self.tos] = 0
```

```
    self.tos -= 1
```

```
x = stack()
```

Output:

```
x.push(10)
```

```
x.push(7)
```

```
x.push(44)
```

```
x.push(80)
```

```
x.push(89)
```

```
x.push(8)
```

The stack is full

Algorithm:

Step 1: Create a stack with instance variables item.

Step 2: Define the init() method with the self and initialise the initial value and then initialise to an empty list.

Step 3: Define method push and pop under the class stack.

Step 4: Use if statement to give the condition that if length of given list is greater than the range of list than print stack is full.

Theory: A stack is linear data structure that can be represented in a real world form by physical stack or pile. The elements in the form of stack are the position. Thus it works in the LIFO principle (last in first out). It has 3 basic operations namely push, pop, peek.

step 5: Else state to point a statement
as input the element into the
stack and initialise the value.

step 6: Push method used to insert the
element but pop method used to
delete the element from the stack.

step 7: If in pop method, value is less than
1, then return is empty, or else
delete the element from stack at
top most position.

step 8: Assign the element value, in push
method and print the given value.

step 9: Attack the input and output of above
Algorithm.

~~Step 10:~~ First condition checks whether the no. of
elements are zero while the second
case whether top is assigned any
value. If top is not assigned any
value, then print that the stack
is empty.

code.

```
print("Quick sort")
def partition(arr, low, high):
    i = low - 1
```

```
    pivot = arr[high]
    for j in range(low, high):
        if arr[j] <= pivot:
```

```
            i = i + 1
```

```
        arr[i], arr[j] = arr[j], arr[i]
```

```
    arr[i+1], arr[high] = arr[high], arr[i+1]
```

```
return i+1
```

```
def quicksort(arr, low, high):
```

```
    if low < high:
        pi = partition(arr, low, high)
```

```
        quicksort(arr, low, pi-1)
```

```
        quicksort(arr, pi+1, high)
```

```
a1 = input("Enter elements in the list").split()
```

```
alist = [ ]
```

```
print("Elements in the list are: ", alist)
```

```
n = len(alist)
```

```
quicksort(alist, 0, n-1)
```

```
print("Elements after quicksort is", alist)
```

Practical No. 5.

Aim : Implement Quick sort to sort the given list.

Theory : The quicksort is a recursive algorithm then based on the divide-and-conquer technique.

Algorithm:

Step 1 : Divide some part into a value, which is called pivot value first value element serve as our pivot element.

value since we know that pivot will manually end up at last in that in

step 2 : The partition process will happen next it will find the split point and all the

same time move other items to the appropriate side of the list either in than or greater than our pivot value.

Step 03 : Partitioning begins by locating two position marked lets call them right mark at the

eliminate and right off beginning

remaining items in the list. The goal of partition process is to move items in the list.

Step 4: We begin by increasing leftmark until we locate a value that is greater than the pu. We then decrement rightmark until we find value that is less than the pu.

Step 5: At the point where right mark becomes less than leftmark we stop.

Step 6: The pu can be exchanged with the content of swap point and pu is now in place.

Step 7: Display & stick the coding & output of above algorithm.

Output:
Quicksort:

038

20	21	22	30	41	43
21	20	22	30	43	41

20 21 22 30 41 43

Practical no. 6.

code :

```

class Queue:
    global q
    global r
    def __init__(self):
        self.h = 0
        self.t = 0
        self.l = [0, 0, 0, 0, 0, 0]
    def add(self, data):
        n = len(self.l)
        if self.h < n - 1:
            self.l[self.h] = data
            self.h = self.h + 1
    else:
        print("Queue is full")
    def remove(self):
        n = len(self.l)
        if self.t < n:
            print(self.l[self.t])
            self.t = self.t + 1
        else:
            print("Queue is empty")

```

q = Queue()

Implementation of a Queue using python list.

Theory : Queue is a linear data structure which has 2 references front & rear implementing a queue using python.

queue() : Creates a new empty Queue.

enqueue(): Insert an element at the rear of the queue and similar to that of insertion of linked using tail.

Dequeue(): Returns the element which was at the front, the front is moved to the successive element. A dequeue operation cannot remove element if the queue is empty.

Algorithm:

Step 1: Define a class queue and assign global variables then define `in()` method with self argument.

Step 2: Define a empty list and define `enqueue()` method with self argument assign

the length of empty list.

Step 03: Use the `if` statement that length is equal to size then queue is full

else use insert the element in empty list.

0. e

Step 04: Define `dequeue()` with self argument use `if` statement that front is equal to length of list then display else use give that is at 0. e

Step 05: Now all the `dequeue()` function & give the element that has to be added in the empty list by using `enqueue()`

Output :

```
>>> Q.add(30)
Q.add(40)
Q.add(50)
Q.add(60)
Q.add(70)
Q.add(80)
Q.add(90)
```

040

Queue is full
Q.remove()
30
Q.remove()
60
Q.remove()
50
Q.remove()
40
Q.remove()
30

Practical no. 7

041

```

# code:
def evaluate(s):
    k = s.split()
    n = len(k)
    stack = []
    for i in range(n):
        if k[i].isdigit():
            stack.append(int(k[i]))
        elif k[i] == '+':
            a = stack.pop()
            b = stack.pop()
            stack.append(int(b) + int(a))
        elif k[i] == '-':
            a = stack.pop()
            b = stack.pop()
            stack.append(int(b) - int(a))
        elif k[i] == '*':
            a = stack.pop()
            b = stack.pop()
            stack.append(int(b) * int(a))
        elif k[i] == '/':
            a = stack.pop()
            b = stack.pop()
            stack.append(int(b) / int(a))

```

Program on evaluation of given string by using stack in python environment i.e postfix.

Show: The postfix expression is free of any parentheses. Further we take care of priorities of the operators in the program.

Algo:

Step 1: Define evaluate as function then create a empty stack in python.

Step 2: Convert the string to a list by using the string method 'split'.

Step 3: Calculate the length of string & print it.

Step 4: Use for loop to assign the range of string then give condition using if statement.

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else:
a = stack.pop()
b = stack.pop()
stack.append(str(int(b) / int(a)))

step 5: perform arithmetic operation on
push the result back on the 'm'

step 6: print the result of the string after
the evaluation of postfix.

a = evaluate(s)
print("The evaluated value is : ", a)

output:

~~The evaluated value is : 62~~
13/02/2020

042

class node :

global data

global data

def __init__(self, item):

self.data = item

self.next = None

class linkedlist:

global s

def __init__(self):

self.s = None

def add(self, item):

newnode = Node(item)

if self.s == None:

self.s = newnode

else:

head = self.s

while head.next != None

head = head.next

head.next = newnode

def addB(self, item):

newnode = Node(item)

if self.s == None:

Practical no. 8.

043

~~Implementing of adding the single linked list by nodes from last position.~~

~~theory : A linked list is a linear data structure which is storing the element in a node in a linear fashion but no means any continuous information~~

algo:

step 1: Traversing of a linked list mean position and the node in the linked list in order to perform some operation.

step 2: The entire linked list mean can be accessed as the first node of the linked list.

step 3: Thus the entire linked list can be traversed using node which is referred by the pointer of linked list.

self.s = newnode
else:
 newnode.next = self.s

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step 04: Now that we know that we can traverse the entire linked list using the head pointer to refer the first node of list only.

step 05: We should not use the head pointer to traverse the entire linked list because the head pointer is our reference to head node.

Output:
start.add(80)
start.add(60)
start.add(70)
start.add(40)

step 06: Temporary node as a copy of the node we are currently traversing.

~~Now the current is reference to the first node if we want to access 2nd node of the list we need to refer it a node of 1st node.~~

start.display()

>>> 40
>>> 50
>>> 60
>>> 70
>>> 80

```
def sort (arr, L, M, R)
```

$n_1 = m_1 - L + 1$

$n_2 = M - m$

$L = [0:j] * (n_1)$

$R = [j:R] * (n_2)$

for i in range ($0, n_1$)

$L[i] = arr[i+1]$

for j in range ($0, n_2$)

$R[i] = arr[m+i+j]$

Practical No. 9

Aim: Implementation of merge sort by using python.

Flowchart: Merge sort is a divide and conquer algorithm. It divides input array into two halves and then merge() function is used for two values.

Algorithm:

Step 1: The list is divided into left and right in push recursive call until two adjacent are obtain.

Step 2:

Now begin the sorting process then we if iteration finishing the two halves value in each than iteration otherwise the whole value & list & values change alongside.

Step 3: Do the value is smaller than the value at $j^{(i)}$ is sorting to the arr [$0:i$] increasing if first $R[j]$ is sorting

Step 4: This way the value being assigned through $[i+1]$ are all sorted.

$\text{arr}[k] = l[i]$ 046
 $i = i+1$

$k = k+1$

while $i < n_2$

step 6: free the merging slot have been completed.

At end of the loop one of the value may not have because unanswered completely never slot in the list.

step 6: free the merging slot have been completed.

$\text{arr}[k] = R[i]$
 $j^+ = 1$
 $k = k+1$

def mergesort (arr, L, R)
 if $L < R$

$m = \text{int}((L + (R - 1)) / 2)$

mergesort (arr, L, m)

mergesort (arr, m+1, R)
 out (arr, L, m, R)

arr = [12, 23, 34, 56, 78, 45, 86, 98, 42]
 print (arr)

$n = \text{len}(\text{arr})$

merge sort (arr, 0, n-1)
 print (arr)

Output:

[12, 23, 34, 56, 78, 45, 86, 98, 42]
 [12, 23, 34, 56, 42, 45, 86, 78, 98]

Practical No. 10.

set¹ = set()
set² = set()

```
for i in range (8, 15)
    set1.add(i)
print ("set1: set1)
print ("set2: set2)
```

print ("\n")

set³ = set¹ / set²
print ("union of set¹ and set²: set³", set³)

print ("\n")

if set³ > set⁴:
 print ("set³ is superset of set⁴")

elif set³ < set⁴:

print ("set³ is subset of set⁴")

else:

print ("set³ is same set⁴.)

Algorithm:
Aim: Implementation of set using python 3.4.3

Step 1: Define two empty set at 1 and now user state provide then range of above 2 sets.

Step 2: Now add() method is used for addition of two element according to given range the print it sets for addition.

Step 3: find the union and intersection of above 2 set by using 1 method print the set by given & intersection of 3.

Step 4: Use if statement to find out the subset and superset of set 3 and 4 display the set.

Step 5: Display that current in set 3 we do using mathematical operation.

if set 4 < set 3

print ("set 4 is subset of set 3") 048

print ("\n")

set 5 = set 3 - set 4

print ("element in set 3 and not in set 4
set 5 , set 4")

print ("\n")

if set 4 is disjoint (set 5):

print ("set 4 and set 5 are completely
exclusive")

set class ()

print ("After applying exclusive. \n")
print ("set 4 , set 5")

Output:

set 1: {8, 9, 10, 11, 12, 13, 14}

set 2: {1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11}

union of set 1 and set 2: set 3

{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11}

intersection of set 1 and set 2

{8, 9, 10, 11} set 3 is super set

after applying class set 5 = set 1

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step: Use class () to remove and delete
the set and print the element present in
the set.
then
clearing the
set.

Practical No. 11

Program based on ~~boran~~ binary search tree by implementation, Inorder, Preorder, & Postorder traversal.

Theory: Binary tree is a tree which supports maximum of 2 children for any node within the tree. Thus any particular node can either have 0 or 1 or 2 children. There is another identity of binary tree if it is ordered such that one child is identified as left child and other as right child.

Inorder: Traverse the left subtree. The left subtree information might have left and right subtree.

Preorder: Visit the root node. Traverse the left subtree & right subtree.

Postorder: Traverse the left subtree, the left subtree in return might have left & right subtree.

class node

```
def __init__(self, value):
    self.left = None
    self.val = value
    self.right = None
```

class BST :

```
def __init__(self):
    self.root = None
```

```
def add(self, value)
```

```
p = node(self)
```

```
if self.root == None
```

```
self.root = p
```

print("root is added successfully")

P. value")

else :

h = self.root

if p.val < h.val

if h.left == None

h.left = p

print(p.val, "node is added successfully")

break

else :

h = h.left

else : if h.right == None

- Use while loop for checking the node is less than or greater than the main node & break the loop if it is not satisfying.
- Use of statement with that else statement defining that node is greater than main node than pull into the right side.

- Again define a class BST that a binary search tree with left & right self argument assign to the root is None.
- Define add() for adding the node, define a variable 'p' that p-node (value).

- Use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that

- ~~use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that~~
- ~~use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that~~

- Again define a class Node and init () which has 2 arguments initialization the value in this method.

Algorithm:

- Define the class Node and init () which has 2 arguments initialization the value in this method.

- Again define a class BST that a binary search tree with left & right self argument assign to the root is None.

- Define add() for adding the node, define a variable 'p' that p-node (value).

- Use if statement for adding the node, define a variable 'p' that p-node (value).

- Use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that

- ~~use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that~~
- ~~use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that~~

- Again define a class BST that a binary search tree with left & right self argument assign to the root is None.

- Define add() for adding the node, define a variable 'p' that p-node (value).

- Use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that

- ~~use if statement for checking the condition that node is more than root also statement to if node is less than main root node then put on argument that~~

- Again define a class Node and init () which has 2 arguments initialization the value in this method.

- Use while loop for checking the node is less than or greater than the main node & break the loop if it is not satisfying.

- Use of statement with that else statement defining that node is greater than main node than pull into the right side.

If the right node
print (val, "Node is already successfully
to the right node")

break

else:
 h = right

else if
 Inorder (root):

 if root = None:
 return

else:

 Inorder (root, left)
 print (root, val)

 Inorder (root, right)

else if

 Inorder (root):
 if root = None:
 return

 Inorder (root, left)

 print (root, val)

 parent (root, left)

else if
 Inorder (root):
 if root = None:
 return

 Inorder (root, val)

 print (root, val)

 parent (root, val)

 print (root, val)

10. After this
 After this
 left child tree ? right tree repeat
 to binary search tree.

11. Define Inorder, Preorder, Postorder
 and their arguments & use it with
 return from all statement

Inorder use else statement for left node
condition for right node then swap

for preorder you have to give condition
for else that root left & the right
node.

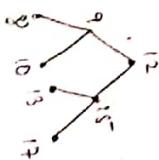
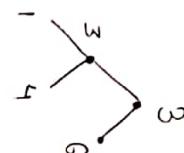
for postorder in else part assign left and
right root, so display input and output.

Output:

* Binary tree.
postorder: None.

point ("Postorder", Postorder (t.root))
 3
 2
 1
 4
 5
 6
 7
 8
 9
 10
 11
 12
 13
 14
 15
 052

t.add(1)
 root is added
 t.add(2)
 node is added to left side
 t.add(4)
 node is added to right side.
 t.add(5)
 node is added to right side
 t.add(3)
 node is added to right side.
 point ("Inorder", "Inorder (t.root)")
 Inorder:

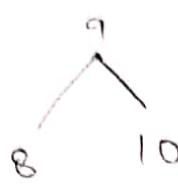


2. 3 6 5 9 15 12 4

Inorder: None.
 Preorder: "Preorder (t.root)"
 Preorder:
 1
 2
 3
 4
 5

Q25

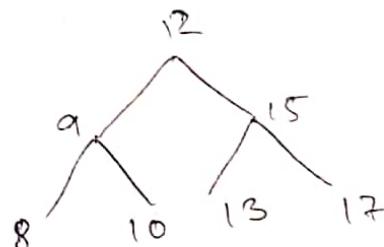
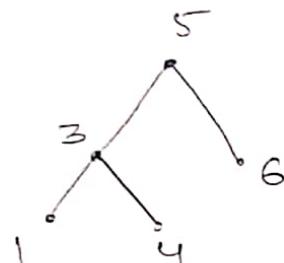
2.



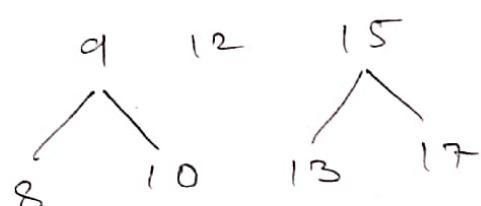
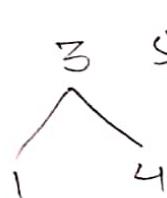
3. 1 4 3 6 5 8 10 9 13 17 15 7

Inorder (LVR)

1.



2.

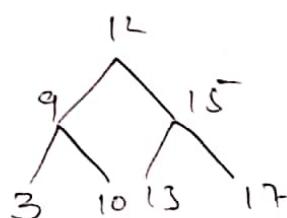
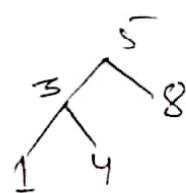


3.

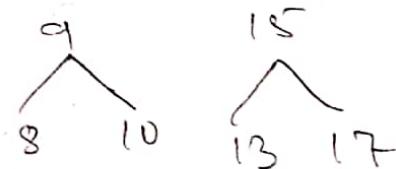
1 3 4 5 6 7 8 9 10 12 13 15 17

Preorder (VLR)

1.



2.



3. 7 5 3 1 4 6 12 9 8 10 15 13 17