Prediction of Used Car Price

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Introduction

In the following project I would like to predict selling price of used cars. For that I will be using this data set I found on Kaggle of selling price of USed cars in India.

I would also like to check which are the factors impacting the selling price of used car.

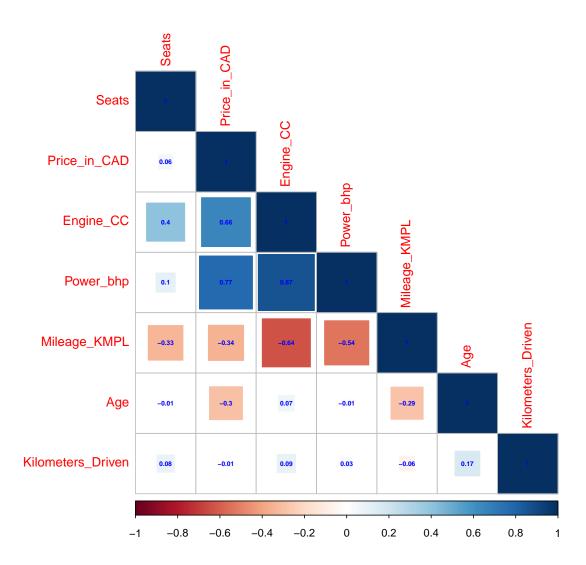
Data Set

| ## | | Brand | Model | Locatio | n Age k | Kilometer | s_Driven | Fuel_Type | Transmission |
|----|---|----------|------------|---------|---------|-----------|-----------|-----------|--------------|
| ## | 1 | Maruti | Wagon | Mumba | i 10 | | 72000 | CNG | Manual |
| ## | 2 | Hyundai | Creta 1.6 | Pun | e 5 | | 41000 | Diesel | Manual |
| ## | 3 | Honda | Jazz | Chenna | i 9 | | 46000 | Petrol | Manual |
| ## | | Owner_Ty | pe Mileage | _KMPL E | ngine_C | CC Power_ | bhp Seats | Price_in_ | _CAD |
| ## | 1 | Fir | st | 26.60 | 99 | 98 58 | .16 5 | 5 2 | 2917 |
| ## | 2 | Fir | st | 19.67 | 158 | 32 126 | .20 5 | 5 20 | 0833 |
| ## | 3 | Fir | st | 18.20 | 119 | 99 88 | .70 5 | 5 | 7500 |

The data set consists of 13 Variables

[1] 5872 13

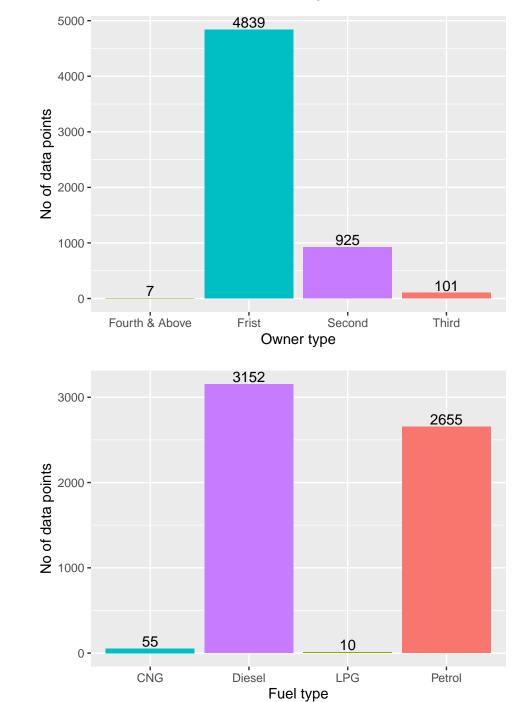
I would like to start the analysis by checking the correlation between different variables and impact of numerical variables on the selling price.



Correlation plot shows high correlation between Engine Cubic Capacity and Break Horse Power which makes sense because higher horse power cars will have higher power as well.

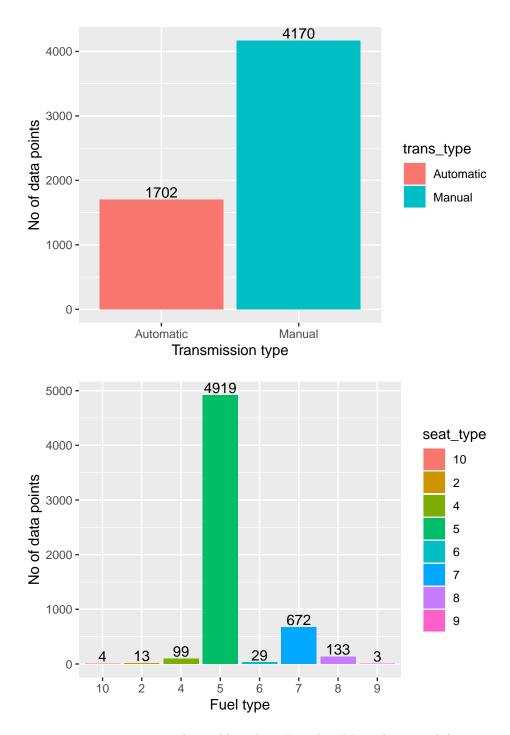
Will keep a track of the same as such high correlation might cause multicollnearity issues going forward.

Next I would like to see the distribution of values in the categorical variables.



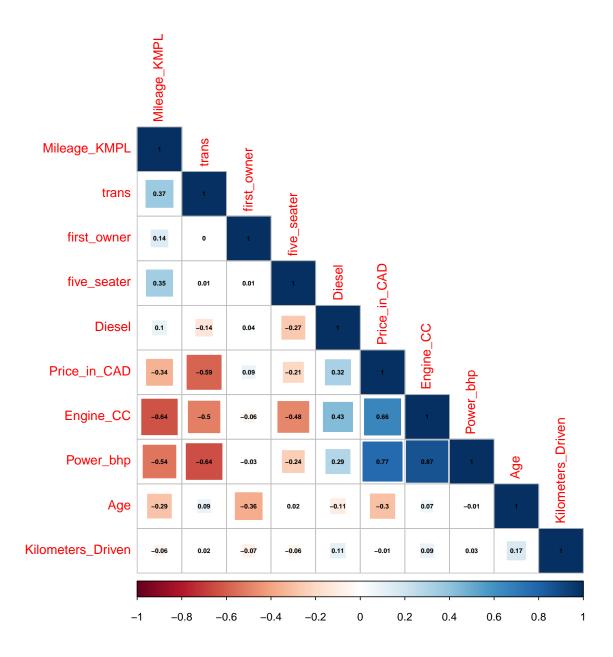
There looks to be high number of First hand car owners compared to others therefore I would like add a single encoded variable so that I can have total of First hand owners as one group and others in another group.

From the above bar plot I would like to make a column to accommodate Fuel Type as Diesel or Others.



Converting Transmission into categorical variables where Encoding Manual as 1 and Automatic as 0. Majority of the cars are 5 seater therefore we can bifurcate the data in 5 seater and others.

Plotting correlation matrix again with all the numerical and categorical variables



We can observe negative correlation transission and Price and this this relationship would be interesting to observe in the Regression model.

Regression model 1

```
##
## Call:
## lm(formula = Price_in_CAD ~ ., data = train)
##
## Residuals:
              1Q Median
##
      Min
                             3Q
                                   Max
##
  -76740
           -5003
                   -985
                          3397 205705
##
## Coefficients:
##
                       Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                      1.137e+04
                                 1.965e+03
                                              5.787 7.70e-09 ***
## Age
                     -1.529e+03
                                 6.776e+01 -22.567
                                                    < 2e-16 ***
## Kilometers_Driven -4.339e-02
                                 5.882e-03
                                             -7.377 1.94e-13 ***
## Mileage_KMPL
                     -2.665e+02
                                 6.258e+01
                                             -4.259 2.10e-05 ***
## Engine_CC
                     -2.050e+00
                                 8.320e-01
                                             -2.465
                                                      0.0138 *
## Power bhp
                      2.407e+02
                                 7.683e+00
                                             31.323
                                                     < 2e-16 ***
                                 4.752e+02
## first_owner
                      2.278e+02
                                              0.479
                                                      0.6316
## Diesel
                      4.830e+03
                                 4.619e+02
                                             10.457
                                                     < 2e-16 ***
## trans
                                 4.965e+02
                                             -9.548
                                                     < 2e-16 ***
                     -4.741e+03
## five_seater
                     -1.473e+03
                                 5.722e+02
                                             -2.575
                                                      0.0101 *
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 10940 on 4252 degrees of freedom
## Multiple R-squared: 0.6994, Adjusted R-squared: 0.6988
## F-statistic: 1099 on 9 and 4252 DF, p-value: < 2.2e-16
VIF values.
##
                 Age Kilometers_Driven
                                             Mileage_KMPL
                                                                   Engine_CC
##
            1.640284
                              1.547594
                                                 2.670157
                                                                    9.511531
##
           Power_bhp
                           first_owner
                                                   Diesel
                                                                       trans
##
            6.623844
                              1.156510
                                                 1.885733
                                                                    1.863804
##
         five seater
##
            1.633872
```

Running our first regression model gives us some useful insights about the variables.

Negative coefficient of Engine CC variable is opposite to the relation we observed in the correlation matrix.

High Vif values of Engine_CC and Power_bhp further assures that this is caused due to multicollinearity.

Threfore we can drop Engine_CC variable from our model.

Variable first owner also has a high p value which suggests that it isnt a significant variable in the prediction. More over its p value suggests thats it is not a significant variable therefore we can drop it from our model.

Regression model 2

```
##
## Call:
## lm(formula = Price_in_CAD ~ Age + Kilometers_Driven + Mileage_KMPL +
##
      Power_bhp + Diesel + trans, data = train)
##
## Residuals:
     Min
             10 Median
                           3Q
                                 Max
## -76567 -5049 -1027
                         3379 205031
##
## Coefficients:
##
                      Estimate Std. Error t value Pr(>|t|)
                     8.357e+03 1.466e+03
                                            5.702 1.27e-08 ***
## (Intercept)
## Age
                    -1.560e+03 6.427e+01 -24.277 < 2e-16 ***
## Kilometers_Driven -4.433e-02 5.819e-03 -7.618 3.16e-14 ***
## Mileage_KMPL
                    -2.304e+02 5.117e+01 -4.503 6.88e-06 ***
                     2.260e+02 4.643e+00 48.674 < 2e-16 ***
## Power bhp
## Diesel
                     4.508e+03 3.955e+02 11.396 < 2e-16 ***
## trans
                    -4.649e+03 4.825e+02 -9.636 < 2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 10950 on 4255 degrees of freedom
## Multiple R-squared: 0.6988, Adjusted R-squared: 0.6983
## F-statistic: 1645 on 6 and 4255 DF, p-value: < 2.2e-16
VIF values
##
                Age Kilometers_Driven
                                           Mileage_KMPL
                                                                Power_bhp
##
           1.473456
                             1.512469
                                               1.782854
                                                                 2.415512
##
             Diesel
                                trans
##
           1.380709
                             1.757353
```

The second regression model seems to be working well but I would like drop Kilometers driven variable and try again since its has very low coefficient.

Regression model 3

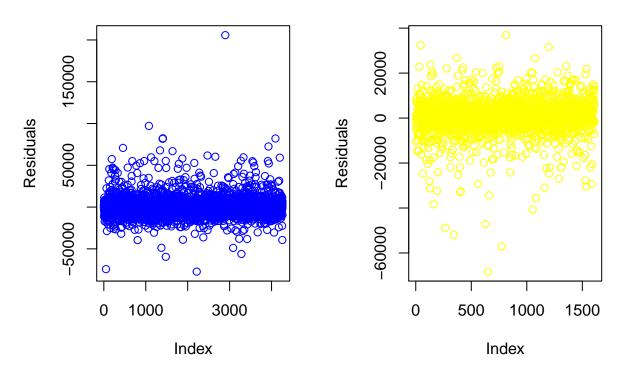
```
##
## Call:
## lm(formula = Price_in_CAD ~ Age + Mileage_KMPL + Power_bhp +
##
      Diesel + trans, data = train)
##
## Residuals:
##
     Min
              1Q Median
                            3Q
                                  Max
## -77230 -5076
                   -904
                          3373 205720
##
## Coefficients:
##
                 Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                 6819.679
                            1461.478
                                       4.666 3.16e-06 ***
## Age
                -1789.344
                              57.169 -31.299 < 2e-16 ***
## Mileage_KMPL
                -175.762
                              51.007
                                      -3.446 0.000575 ***
## Power_bhp
                  229.145
                               4.656
                                      49.216
                                              < 2e-16 ***
                                              < 2e-16 ***
## Diesel
                 3406.441
                             370.628
                                       9.191
## trans
                -5025.354
                             483.120 -10.402 < 2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 11020 on 4256 degrees of freedom
## Multiple R-squared: 0.6947, Adjusted R-squared: 0.6943
## F-statistic: 1936 on 5 and 4256 DF, p-value: < 2.2e-16
##
            Age Mileage_KMPL
                                Power_bhp
                                                Diesel
                                                               trans
##
       1.150604
                    1.747796
                                 2.396506
                                              1.196289
                                                            1.738914
```

Regression model 3 seems doing a good job on train data but I would like plot the residuals plot and check to confirm the same.

It explains almost 70% variability in the data.

Residual plot on traning data

Residuals plot on test set



The residual plot suggests that there isnt any pattern in the residuals and the residuals are spread around zero therefore there arent many improvement we can make on the model.

Final equation

The final equation of price is given as

$$y = 5830.232 - 1748.434 * x_1 - 151.227 * x_2 + 232.998 * x_3 + 3207.500 * x_4 - 5053.908 * x_5$$

$$x_1 = \text{Age } x_2 = \text{Mileage_KMPL } x_3 = \text{Power_bhp } x_4 = \text{Diesel } x_5 = \text{trans}$$

Conclusions

From our analysis we can conclude the following

- Age, Diesel and transmission type seems to be having maximum impact on the resale value of the car.
- Manual transmission type hinders the resale value of car while Automatic transmission increases the resale value.
- Diesel cars also help the resale value as compared to petrol cars.

Code Appendix

```
library(regclass)
library(readr)
library(dplyr)
library(ggplot2)
library(caTools)
df<-read.csv("usedcar_clean.csv")</pre>
head(df,3)
dim(df)
df_numerical<-df %>% select(-c(Brand, Model, Location, Fuel_Type, Transmission, Owner_Type))
library(corrplot)
corrplot(cor(df_numerical), method="square",type = "lower", order="hclust", addCoef.col = "blue",number
owners_num<-c(nrow(df[df$0wner_Type=="First",]),</pre>
     nrow(df[df$0wner_Type=="Second",]),
     nrow(df[df$0wner_Type=="Third",]),
     nrow(df[df$0wner_Type=="Fourth & Above",]))
owners_type <- c("Frist", "Second", "Third", "Fourth & Above")</pre>
owners <- cbind(owners_type,owners_num)</pre>
fuel_num<-c(nrow(df[df$Fuel_Type=="CNG",]),</pre>
     nrow(df[df$Fuel_Type=="Diesel",]),
     nrow(df[df$Fuel_Type=="LPG",]),
     nrow(df[df$Fuel_Type=="Petrol",]))
fuel_type <- levels(as.factor(df$Fuel_Type))</pre>
fuel <- cbind(fuel_type,as.numeric(fuel_num))</pre>
trans_num<-c(nrow(df[df$Transmission=="Automatic",]),</pre>
     nrow(df[df$Transmission=="Manual",]))
trans_type <- levels(as.factor(df$Transmission))</pre>
transmission <- cbind(trans_type,as.numeric(trans_num))</pre>
seat_num<-c(nrow(df[df$Seats==2,]),</pre>
     nrow(df[df$Seats==4,]),
     nrow(df[df$Seats==5,]),
     nrow(df[df$Seats==6,]),
     nrow(df[df$Seats==7,]),
     nrow(df[df$Seats==8,]),
     nrow(df[df$Seats==9,]),
     nrow(df[df$Seats==10,]))
seat_type <- levels(as.factor(df$Seats))</pre>
seats <- cbind(as.character(seat_type),as.numeric(seat_num))</pre>
```

```
par(mfrow=c(2,2))
color = c("#cabcd2","#dfabc1","#c123ea","#c453ea")
ggplot(as.data.frame(owners), aes(x = as.factor(owners_type), y = as.numeric(owners_num),fill =color ))
  geom_col()+
  xlab("Owner type")+
  ylab("No of data points")+
  guides(fill = FALSE)+
  geom_text(aes(label = owners_num), vjust = -0.2)
color = c("#cfb5d2","#dgcde1","#baeeea","#4adeea")
ggplot(as.data.frame(fuel), aes(x = as.factor(fuel_type), y = as.numeric(fuel_num),fill =color )) +
  geom_col()+
  xlab("Fuel type")+
  ylab("No of data points")+
  guides(fill = FALSE)+
  geom_text(aes(label = fuel_num), vjust = -0.2)
color = c("#1fb5d2","#dccde1")
ggplot(as.data.frame(transmission), aes(x = as.factor(trans_type), y = as.numeric(trans_num),fill =tran
  geom_col()+
  xlab("Transmission type")+
  ylab("No of data points")+
  geom_text(aes(label = trans_num), vjust = -0.2)
color = c("#cfb556","#dg3de1","#b13eea","#4de13a")
ggplot(as.data.frame(seats), aes(x = as.factor(seat_type), y = as.numeric(seat_num),fill = seat_type))
  geom_col()+
  xlab("Fuel type")+
  ylab("No of data points")+
    geom_text(aes(label = seat_num), vjust = -0.2)
    # Encoding categorical variables
df$first_owner <- NA</pre>
for (a in 1:nrow(df)){
  if (df$0wner_Type[a] == "First"){
    df$first_owner[a] <- 1</pre>
  }else{
    df$first_owner[a] <-0</pre>
}
df$Diesel <- NA
for (a in 1:nrow(df)){
  if (df$Fuel_Type[a] == "Diesel"){
    df$Diesel[a] <- 1
  }else{
    df$Diesel[a] <-0</pre>
```

```
}
}
df$trans <- NA
for (a in 1:nrow(df)){
  if (df$Transmission[a] == "Manual"){
    df$trans[a] <- 1
  }else{
    df$trans[a] <-0
  }
}
df$five_seater <- NA</pre>
for (a in 1:nrow(df)){
  if (df$Seats[a] == 5){
    df$five_seater[a] <- 1</pre>
  }else{
    df$five_seater[a] <-0</pre>
  }
}
# Corelation plot of cleaned data
df_cleaned <-df %>% select(-c(Brand, Model, Location, Fuel_Type, Transmission, Owner_Type, Seats))
corrplot(cor(df_cleaned), method="square",type = "lower", order="hclust", addCoef.col = "black",number.
# Regression 1
split <- sample.split(df_cleaned$Price_in_CAD, SplitRatio = 0.7)</pre>
train <- subset(df_cleaned, split == TRUE)</pre>
test <- subset(df_cleaned, split == FALSE)</pre>
reg1 <- lm(formula = Price_in_CAD ~ . , data = train )</pre>
summary(reg1)
VIF(reg1)
# Regression model 2
reg2 <- lm(formula = Price_in_CAD ~ Age + Kilometers_Driven + Mileage_KMPL + Power_bhp + Diesel + trans
summary(reg2)
VIF(reg2)
# Regression model 3
reg3 <- lm(formula = Price_in_CAD ~ Age + Mileage_KMPL + Power_bhp + Diesel + trans, data = train )
summary(reg3)
VIF(reg3)
# residuals plot of prediction on test value and train values of p
```

```
par(mfrow=c(1,2))
plot(reg3$residuals,ylab="Residuals",col = "blue",main= "Residual plot on traning data")
pred <- predict(reg3, newdata = test)

plot((pred-test$Price_in_CAD),main = "Residuals plot on test set",col = "yellow",ylab="Residuals")</pre>
```

Data downloaded from the following link

https://www.kaggle.com/gothamv/used carprices