

## LAB - 6

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\* AIM: write a program to implement Encryption and Decryption using Hill cipher for  $2 \times 2$  and  $3 \times 3$  matrices

\* source code :

```
#include <bits/stdc++.h>
```

```
using namespace std;
```

```
int mod(int a)
```

```
{
```

```
    int modN = a % 26;
```

```
    if (modN < 0)
```

```
        modN += 26;
```

```
    return modN;
```

```
}
```

```
int gcd (int a, int b)
```

```
{
```

```
    if (b == 0)
```

```
        return a;
```

```
    return gcd(b, a % b);
```

```
}
```

String removeSpaces (String str)

{

str.erase(remove(str.begin(), str.end(),  
' '), str.end());

transform(str.begin(), str.end(),  
str.begin(), ::tolower);

return str;

}

int multiplicativeInverse (int a, int b)

{

int q, r, t, t1 = 0, t2 = 1, r1 = b, r2 = ~~0~~<sup>a</sup>;  
while (r2 > 0)

{

q = r1 / r2;

r = r1 - q \* r2;

r1 = r2;

r2 = r;

t = t1 - q \* t2;

t1 = t2;

t2 = t;

}

if (r1 == 1)

{

if (t1 < 0)

t1 += b;

return t1;

}

return -1;

}



②  
  
int \*\* getCofactor (int \*\* mat ; int p, int q, int n)  
{

int \*\* ans = new int \* [n-1];

int i=0, j=0;

ans[0] = new int [n-1];

for (int row=0; row<n; row++)

{

for (int col=0; col<n; col++)

{

if (row != p && col != q)

{

ans[i][j] = mat[row][col];

j++;

if (j == n-1) {

j=0;

i++;

if (i == n-1) ans[i] = new int[n-1];

}

}

}

}

return ans;

}

```
int det determinantOfMatrix (int** mat, int n)  
{
```

```
    int det = 0;
```

```
    if (n == 1) // base case
```

```
        return mat[0][0];
```

```
    int sign = 1;
```

```
    for (int i = 0 ; i < n ; i++)
```

```
{
```

```
        det += sign * mat[0][i] *
```

```
        determinantOfMatrix (
```

```
        getcofactor(mat, 0, i, n), n-1);
```

```
        sign = -sign;
```

```
    }
```

```
    return det;
```

```
}
```

```
int** transposeOfMatrix (int** mat, int n, int m)  
{
```

```
    int** T = new int*[n];
```

```
    for (int i = 0 ; i < n ; i++)
```

```
{
```

```
        T[i] = new int[m];
```

```
        for (int j = 0 ; j < m ; j++)
```

```
            T[i][j] = mat[j][i];
```

```
    }
```

```
    return T;
```

```
}
```



```

int ** adjointOfMatrix (int ** mat, int n)
{

```

```

    int ** adj = new int * [n];

```

```

    for (int i=0 ; i<n ; i++)
    {

```

```

        {

```

```

            adj[i] = new int [n];

```

```

            for (int j=0 ; j<n ; j++)
            {

```

```

                {

```

```

                    int d = determinantOfMatrix (
                        getcofactor (mat, i, j, n), n-1);

```

```

                    adj[i][j] = pow(-1, i+j+2) * d;
                }
            }
        }
    }
    adj = transposeOfMatrix (adj, n, n);
    return adj;
}

```

```

int ** inverseMatrix (int ** mat, int n)
{

```

```

{

```

```

    int ** inverse = adjointOfMatrix (mat, n);

```

```

    int det = mod (determinantOfMatrix (mat, n));

```

```

    det = multiplicativeInverse (det, 26);

```

```

    for (int i=0 ; i<n ; i++)
    {

```

```

        for (int j=0 ; j<n ; j++)
        {

```

```

            inverse[i][j] = mod (inverse[i][j] * det);
        }
    }
    return inverse;
}

```

```

}

```

```

}

```

```
string multiply_Text_X_Key (string text, int** key, int n)  
{
```

```
    string resultText;  
    int i = 0;  
    while (i < text.size())  
    {
```

```
        int t[n];  
        for (int j = 0; j < n; j++, i++)  
            t[j] = text[i] - 'a';  
        for (int j = 0; j < n; j++)  
        {
```

```
            int ans = 0;  
            for (int k = 0; k < n; k++)  
                ans += t[k] * key[k][j];  
            resultText += mod(ans) + 'a';  
        }  
    }
```

```
    return resultText;  
}
```

```
string encrypt (string plainText, int** key, int n)  
{
```

```
    while (plainText.size() % n != 0)  
        plainText += "z";
```

```
    string cipherText = multiply_Text_X_Key  
        (plainText, key, n);
```

```
    return cipherText;  
}
```



```

    string decrypt ( string cipherText, int** key,
    {
        int** key_inverse = inverseMatrix (key, n);
        string PlainText = multiply_Text_X_Key
        ( cipherText, key_inverse, n );
        return PlainText;
    }

```

```

int main ( )
{

```

```

    int n;

```

```

    cout << " Enter key matrix size : ";
    cin >> n;

```

```

    int** key = new int * [n];

```

```

    cout << " Enter key matrix such that
    the gcd (determinant of key % 26, 26)
    should be 1 : \n" ;

```

```

    for (int i=0; i<n; i++)
    {

```

```

        for

```

```

            key[i] = new int [n];

```

```

            for (int j=0; j<n; j++)

```

```

                cin >> key[i][j];
            }

```

```

        }

```

```

        int detOfKey = mod (determinantOfMatrix
        (key, n));

```

```

        if (gcd (detOfKey, 26) != 1) {

```

```

            cout << "key matrix determinant

```

```

            gcd (determinant, 26) should be 1";

```

```

            return 1;
        }
    }

```



```

string PlainText;
cout << "Enter PlainText : ";
cin >> ws; // remove buffer
getline (cin, PlainText);
PlainText = removeSpaces( PlainText);
string encryptText = encrypt (
    PlainText, key, n);
string decryptText = decrypt (
    encryptText, key, n);
transform (encryptText.begin(),
            encryptText.end(),
            encryptText.begin(),
            ::toupper);
cout << "Encrypt Text : " << encryptText;
cout << "Decrypt Text : " << decryptText;
return 0;

```

3

→ Test case - 1 :

Input: key size  $n=3$

key matrix key = 
$$\begin{bmatrix} 17 & 17 & 5 \\ 21 & 18 & 21 \\ 2 & 2 & 19 \end{bmatrix}$$

Plain Text = Hello This is Hill cipher  
Encryption And Decryption.



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Output :

Encrypt Text : RFQZJILNZICRFZSMYAVDR AH  
UTR XQZ BJNNA SJY XYR NPC PCM

Decrypt Text : hellothisis hill cipher encryption and  
decryption

→ Test case - 2 :

Input-1 : Key size = 5

$$\text{Key matrix} = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 \\ 10 & 20 & 30 & 40 & 50 \\ 31 & 32 & 33 & 34 & 35 \\ 6 & 7 & 8 & 9 & 10 \\ 90 & 91 & 92 & 93 & 94 \end{bmatrix}$$

Input-2 : Key size = 2

$$\text{Key matrix} = \begin{bmatrix} 31 & 42 \\ 24 & 56 \end{bmatrix}$$

Output : For input-1 and input-2 same  
output :

Key matrix determinant gcd (determinant  
26) should be 1  
because we can't find MI of  
det. and 26.

→ Test case - 3 :

key size = 4

key matrix =

9	7	11	13
4	7	5	6
2	21	14	9
3	23	21	8

Plain Text : Hello Shubham Shingala yoy &  
Hi cipher code is ready.

Encrypt Text : EPOQMZITVUMVLSUKYNMVZLJK  
URIOXADFURJYJHXTWIKJZNQD

Decrypt Text : hello shubham shingala yoy & hi cipher  
code is ready zzz