## => Kadane's algorithm

used to find "maximum sum of sub averay"

soporans

-2 3 -1 4

3 -1 4

4

Brute force: - O(N3)

Kadane's algo: - O(N)

$$000 = 3 - 20 4 7$$

$$1 1 1$$

$$1 1$$

$$1 \infty Sum = -\infty 3 4 11$$

$$1 Sum_{-} So_{-} for = 0 3 - 14 4 11$$

## Max Subarray 2

```
public static void main(String[] args) {
    Scanner scn = new Scanner(System.in);
    int n = scn.nextInt();
    int[] arr = new int[n];
    for (int i = 0; i < n; i++) {
        arr[i] = scn.nextInt();
    System.out.println(kadanesAlgo(arr, n));
public static int kadanesAlgo(int[] arr, int n) {
    int maxSum = Integer.MIN_VALUE;
    int sumsf = 0;
    for (int i = 0; i < n; i++) {
            sumsf = sumsf + arr[i]; // proceeding
      if ( sumsf > maxSum ) { // check for better answer
            maxSum = sumsf;
    return maxSum;
```

$$T_{o}C = O(N)$$

$$S.C = O(1)$$

$$corr = -9 \cdot 5 \cdot -1 \cdot -1 \cdot 0 \cdot 4$$

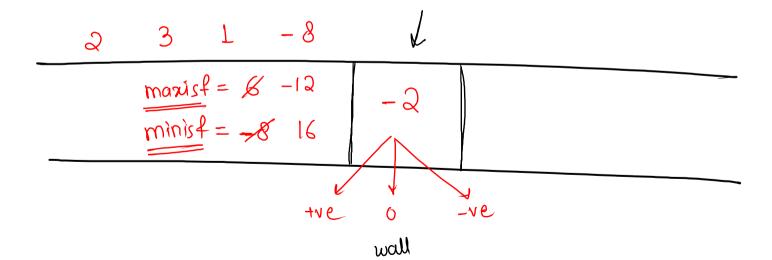
$$maxSum = -60 \cdot -9 \cdot 5 \cdot 7$$

$$sumsf = 8 \cdot -9 \cdot 5 \cdot 4$$

## Maximum Product Subarray 2 (Vagme)



$$n = 4$$
 $an = 2 3 - 2 4 - 1$ 
 $an = 2 3 * (-2) * 4 * (-1)$ 



if 
$$x > 0$$
, maxisf ling, minist ling  
if  $x < 0$ , maxisf = -10, minisf = 20

$$monisf = mon (cwu + monisf, cwu + minisf, cwu);$$
 $minisf = min (cwu + monisf, cwu + minisf, cwu);$ 

```
public static void main(String[] args) {
           Scanner scn = new Scanner(System.in);
           int n = scn.nextInt();
           int[] arr = new int[n];
           for (int i = 0; i < n; i++) {
               arr[i] = scn.nextInt();
           System.out.println(maxProductubarray(arr, n));
       public static int maxProductubarray(int[] arr, int n) {
           int maxisf = 1;
           int minisf = 1;
           int maxProduct = Integer.MIN VALUE;
         __for (int i = 0; i < n; i++) {
              int curr = arr[i];
              int temp = maxisf;
               maxisf = Math.max( curr, Math.max( curr * maxisf, curr * minisf ));
              minisf = Math.min( curr, Math.min( curr * temp, curr * minisf ));
               maxProduct = Math.max( maxProduct, maxisf );
           return maxProduct;
   3
                                                        3,3×1,3×1)
manist = X & X 6
minist = x 3 X -18
```

minist =  $\frac{1}{2}$   $\frac{3}{2}$   $\frac{1}{3}$   $\frac{1}{$