

qRAM and Uncomputation

Consider encoding data in qubits. Assume the following array.

```
a = ▶Int64[0, 0, 1, 0, 0]
• a = [0, 0, 1, 0, 0]
```

It'll take 5 qubits to encode this.

```
• using Yao, YaoPlots
```

```
▶BitBasis.BitStr{5,Int64}[00100 (2)]
• ArrayReg(bit"00100") |> r->measure(r)
```

or

```
▶BitBasis.BitStr{5,Int64}[00100 (2)]
• zero_state(5) |> put(5, 3=>X) |> r->measure(r)
```

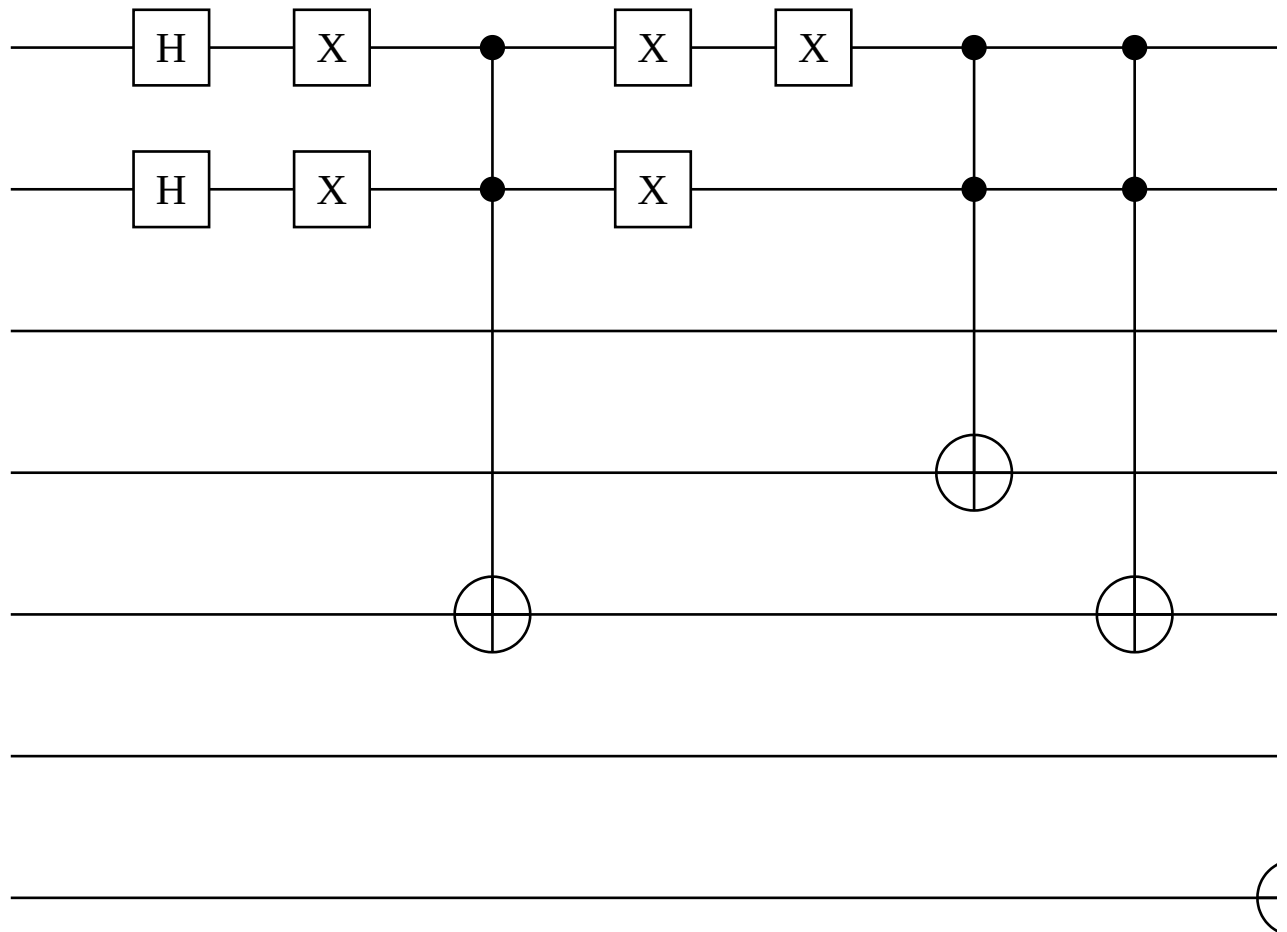
Either way, lets assume we've to encode 4 such arrays, in qubits.

```
b = ▶Int64[0, 1, 1, 0, 1]
• b = [0, 1, 1, 0, 1]
```

```
c = ▶Int64[1, 1, 0, 0, 0]
• c = [1, 1, 0, 0, 0]
```

```
d = ▶Int64[1, 0, 1, 1, 1]
• d = [1, 0, 1, 1, 1]
```

To encode these 4 arrays, it'd take 20 qubits, judging by the above approach. But using QRAMS, we can use 7 qubits, to encode all the 4 arrays.



```

• let
•   f(x) = chain(7, [control(1:2, (k+2)=>X) for k in findall(isone, x)])
•   global QRAM = chain(7, repeat(H, 1:2), repeat(X, 1:2), f(a), repeat(X, 1:2),
put(1=>X), f(b), put(1=>X), put(2=>X), f(c), put(2=>X), f(d))
•   plot(QRAM)
• end

```

The first two qubits, are called the address qubits.

- When the address qubits give 00 or 0 in decimal, for the next 5 qubits, we get 00100.
- When the address qubits give 01 or 1 in decimal, for the next 5 qubits, we get 01101.
- When the address qubits give 10 or 2 in decimal, for the next 5 qubits, we get 11000.
- When the address qubits give 11 or 3 in decimal, for the next 5 qubits, we get 10111.

The input to the QRAM is 0000000.

output =

```

► BitBasis.BitStr{7,Int64}[1110111 (2), 1011010 (2), 1110111 (2), 1110111 (2), 0001101 (2), 0001101 (2), 0001101 (2)]

```

```

• output = zero_state(7) |> QRAM |> r->measure(r, nshots = 1024)

```

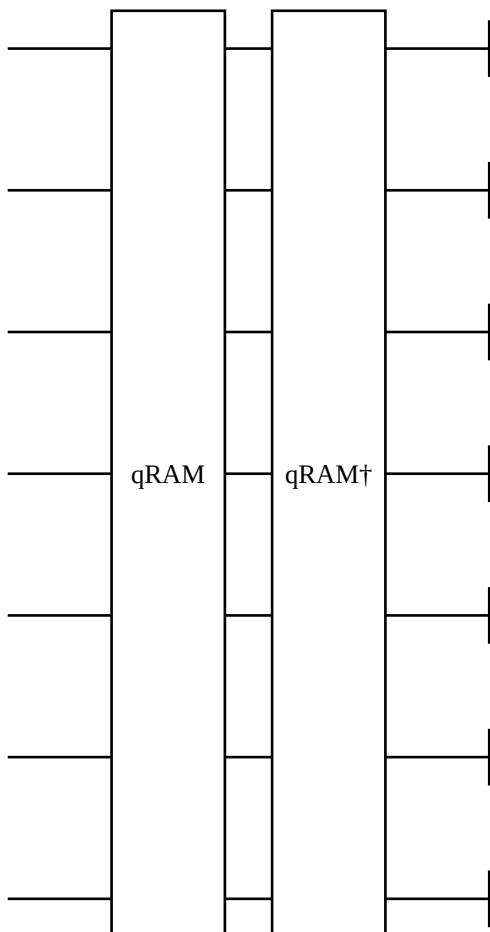
The below code records the frequency of measurements.

```
►String["1011000", "0000100", "0101101", "1110111"]  
  
• begin  
• using StatsBase: fit, Histogram  
• hist = fit(Histogram, Int.(output), 0:2^7)  
• o1 = hist.weights[findall(!iszero, hist.weights)]  
• o2 = reverse.(string.(0:(2^7-1), base=2, pad=7)[findall(!iszero, hist.weights)])  
• end
```

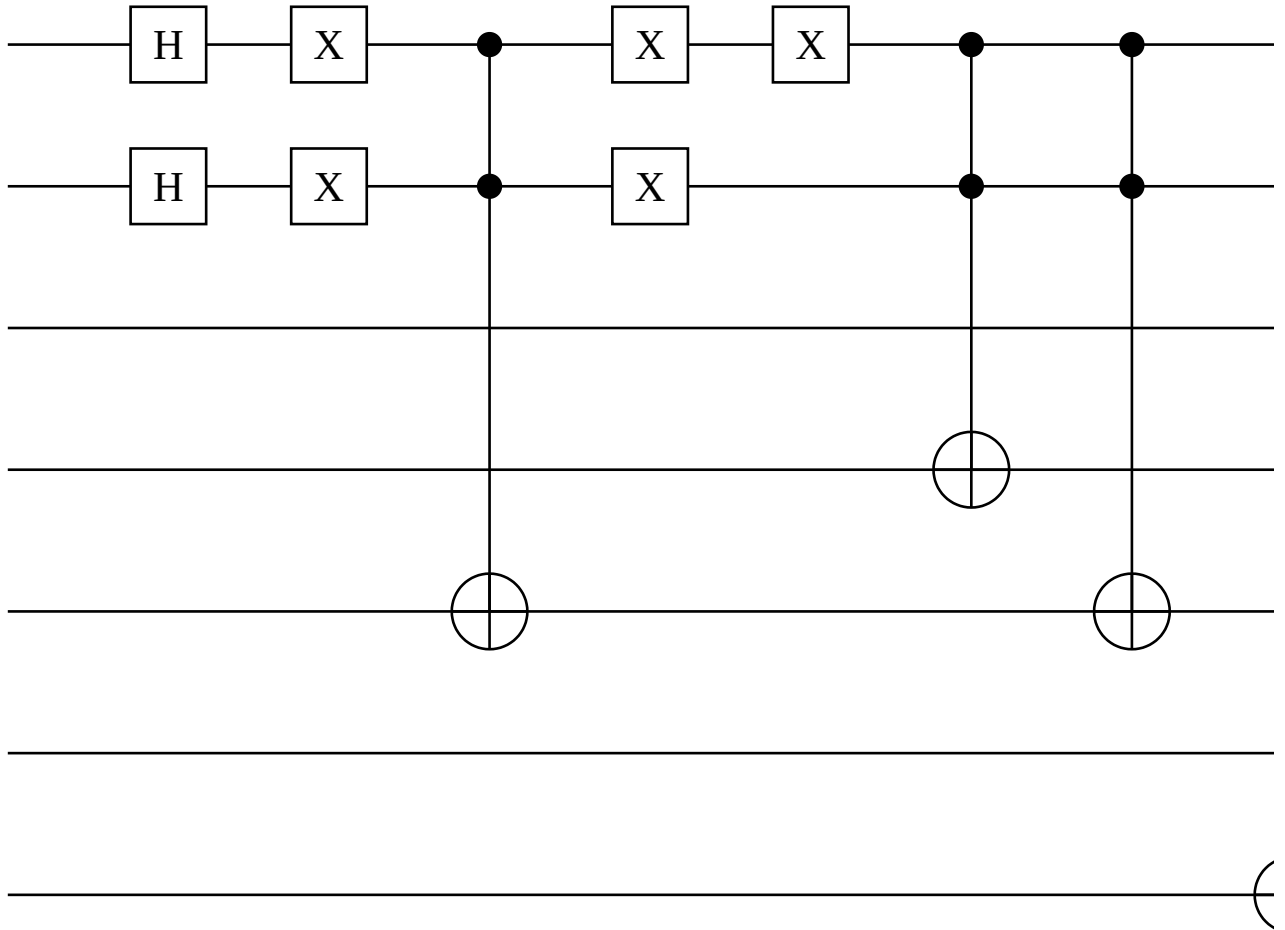
- When address qubits were 10, we got 11000, with the frequency 251.
- When address qubits were 00, we got 00100, with the frequency 240.
- When address qubits were 01, we got 01101, with the frequency 236.
- When address qubits were 11, we got 10111, with the frequency 297.

We use Uncomputation to reverse the everything we do in a circuit to reverse it to its former state. It's often used with qRAMs.

An example would be



```
• plot(chain(7, put(1:7 => label(QRAM,"qRAM")), put(1:7 =>
label(Daggered(QRAM),"qRAM+"))))
```



```
• begin
•   uncomputation = chain(7, put(1:7 => QRAM), put(1:7 => QRAM'))
•   plot(uncomputation)
• end
```

```
► BitBasis.BitStr{7,Int64}[0000000 (2), 0000000 (2), 0000000 (2), 0000000 (2), 0000000 (2), 0000000 (2), 0000000 (2)]
```

```
• zero_state(7) |> uncomputation |> r->measure(r, nshots=1024)
```

As you can see, we first apply the QRAM circuit, and then its dagger, which undoes the effect.