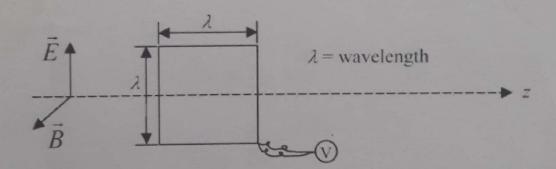
Tutorial-5 (PHY201) Due on Wednsday

- 1. When a plane wave traverses a medium the displacement of particles is given by $y(x,t) = 0.01\sin(4\pi t 0.02\pi x)$ where y is in meters and t is in seconds. Calculate: (i) Amplitude, wavelength, velocity and frequency, (ii) the phase difference between two positions of the same particles at a time interval of 0.25s, (iii) the phase difference between two particles 50m apart at same instant.
- 2. Assuming that all the energy from a 1000W street lamp is radiated uniformly, calculate the values of electric and magnetic fields of radiation at a distance 2m from the lamp. Explain if one can measure this Electric and Magnetic field in laboratory?
- 3. A pulse travelling along a stretched string is described by the following equation:

$$y(x,t) = \frac{b^3}{(2x - ut)^2 + b^2}$$

- (a) Sketch the graph of y against Lat t=0
- (b) What are the speed of the pulse and its direction of travel?
- (c) The transverse velocity of a given point is of the string is defined by, $v_y = \partial y/\partial t$. Calculate it as a function of x at t=0, and show by means of a sketch what this tells us about the motion of pulse during a short time Δt .
- 4. The B field of a certain electromagnetic wave is given by, $B(x, y, z, t) = B_0 \sin(\omega t kz)\hat{x}$



- (a) Use Maxwell's equation to calculate the corresponding E field for this wave. A square sinle-turn loop of wire, with sides of length equal to λ is used to pick up signal from the wave by detecting the voltage V appearing between two ends. This will be of form $V = V_0 \sin(\omega t + \phi)$
- (b) The loop is placed as shown. With two sides parallel to E and the other two sides parallel to z. What is the value of V_0 in this situation?
- (c) What is the maximum possible value of V₀, and how should the loop be oriented to obtain it?

Tutorial - 5 (Solutions) Velocity 2= 10 ; 2= 4x => T=0.5 sec 25 = 0.025 =) A=100m (iii) Since $\lambda = 100 \text{m} \Rightarrow \text{plane diff} = X$ [Q-2] Given Power = 103 W Payeling vector at 2 m S = 103 W/m2 - Magnitude of E-field $S = \frac{1}{2} \subset \mathcal{E}_{o} \to \mathbb{E}^{2} = \int \frac{2S}{C \in \mathcal{E}_{o}}$ E = (2×103/16x) 1/2 V/m - IF measured in las, the value of E will be much len because of broad spectrum of light [Q-3] Puts shape " Synnetin" $y(x,0) = \frac{b^3}{4x^2 + b^2}$

(b) Compare
$$y(x,t) = \frac{b^3}{(2x-ut)^2+b^2} = \int (x-vt)$$

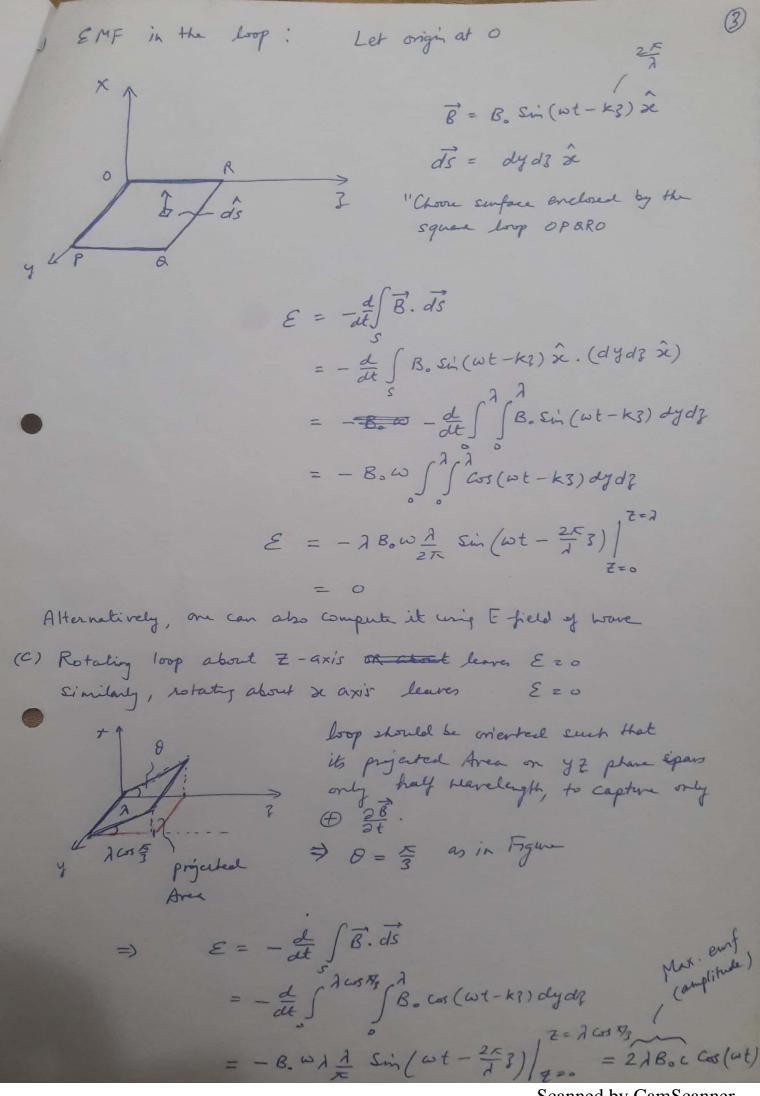
$$= \frac{b^3/4}{(x-\frac{u}{2}t)^2+b^3/4}$$

$$=) \text{ purps a speed } \frac{u}{2}; \text{ travelling in } \oplus x \text{ direction}$$
(c)
$$v_y(t=0) = \frac{2y}{24}\Big|_{t=0}$$

$$= \frac{2(2x-ut)^2+b^3/2}{\left[(2x-ut)^2+b^3/2\right]_{t=0}}$$

$$v_y(t=0) = \frac{4b^3 \times u}{(b^3+4x^2)^2}$$

$$y(x, at)$$



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maximum Emf E = & ZABOC Cos(wt) Eo = 2 1 Bo C Note: One can arrive at the same result using only E field of the wave