

CHM202:

Energetics and dynamics of chemical reactions

Slides for online lectures

Must be followed along with recommended textbook by Atkins (8th or later edition) or any other reference book

$$dU = TdS - PdV + \sum_i \mu_i dn_i$$

$$dG = -SdT + VdP + \sum_i \mu_i dn_i$$

$$G = G^0 + nRT \ln(P/P_0)$$

$$G = G^0 + nRT \ln(f/P_0)$$

$$f = \varphi \times P$$

$$\ln \varphi = \int_0^P \frac{Z - 1}{P} dP$$

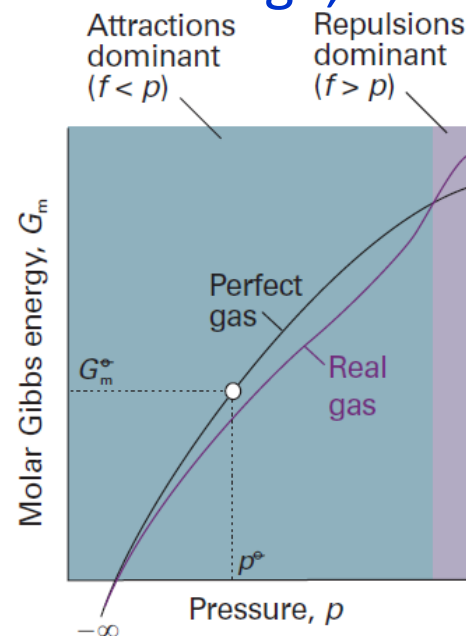
Reversible change

Reversible change

Reversible change, constant temp, **ideal gas**

***f*: fugacity**

Reversible change, constant temp, **ALL gases**



Atkins' Physical Chemistry,
8th Ed, page 111

$$\mu_A = \mu_A^0 + RT \ln \left(P_A / P^0 \right)$$

$$\mu_A = \mu_A^* + RT \ln \left(P_A / P_A^* \right)$$

$$P_A \approx x_A \times P_A^*$$

$$\mu_A \approx \mu_A^* + RT \ln x_A$$

$$y_A \approx \frac{x_A \times P_A^*}{P_B^* + (P_A^* - P_B^*) \times x_A}$$

$$P_B \approx x_B \times K_B \quad \begin{array}{l} \text{Henry's Law} \\ \text{("Ideal" dilute solution)} \\ \text{Solute in low concentration} \end{array}$$

$$\mu_B \approx \mu_B^* + RT \ln x_B$$

Reversible change, constant
Temp, ideal vapour

Exact! (no approximation yet
other than vapour behaves ideally)

Raoult's Law (Ideal solution)
Solvent in almost pure form

Vapour
A + B

$$y_A + y_B = 1$$

$$P_A \text{ \& } P_B$$

Liquid

A + B

$$x_A + x_B = 1$$

Atkins' Physical Chemistry,
8th Ed, page 145

