Assignment 7 (sols.)

$$I \stackrel{\text{del} L r \partial I}{=} : V \omega (B_1 - B_2)$$

$$B_1 = \frac{\mu \cdot I}{2\pi r}, B_2 = \frac{\mu \cdot I}{2\pi r}, B_2 = \frac{\mu \cdot I}{2\pi r}, C_{r+1}$$

$$C_1 = \frac{\mu \cdot I}{2\pi r}, B_2 = \frac{\mu \cdot I}{2\pi r}$$

$$B_1 = \frac{\text{MoI}}{2\pi r}, B_2 = \frac{\text{MoI}}{2\pi (r+1)}$$

P = 15 cm = 0.15m; l = 10 cm = 0.1m.

Methodo:
$$\phi = \int \vec{B} \cdot d\vec{a} = \int \frac{M_0 \hat{I}}{2\pi x} w dx$$
 Note.

Direction of E will be in a direction to drive current such that flux decreases. Since flow is downward a decreases, widness current is clockwise.

The current in the loop at a time t is I(l) = \frac{\xi(t)}{R}

where R is a non negligible versitance in the Corp.

This current creats a fill and of its own
and therefore a flux linked with it. Since \xi is

changing with time, so does this fluxs. This

creats an additional induced end \xi' which we

have ignored. We need to therefore find R so

that, \xi \xi \xi \xi \text{ we can safely ignore \$x'.}

The follo created by the current, B' \tau \frac{\mathred{\xi}{\xi} \xi \text{L}

where L is some leight \tau 10 cm.

=: 4'~ B'. avea of loop. = MURX BOTH X 0.08 X DOT 20 X 107 WAX X 0.08 X I (+)

- 4' ~ 00 0.16 × 10 × I(+)

A typical time scale in the problem would be, $7' \sim \frac{l}{\sqrt{5}} = \frac{0.1}{5} \text{ See}$ $9' \sim 9' = \frac{0.16 \times 10^{-5} \times 5 \times 10^{-5} \times 10^{-5} \times 10^{-5}}{0.1} \times 10^{-5} \times$

= 8 x 10 5 E(t)

... R ~ (8 × 10⁻⁵ \(\frac{\x}{\xi'}\) \\
1. : \quad \text{Sumply for R 77 10⁻⁵ \(\sigma\) \text{we will have } \(\xi\) \(\xi\)! Let the conducting rod sweep an area in time t. Area swept by an element on of vod, a distance u from aurent carrying vive, is given es vtdx = da. vertical length. at a distance a from current · · · · Shda = Stoll vt.dx = MoI vt. dr (vel) -: |\E|= dd = |\frac{\text{VI}}{2n} \ln (\text{Yel})

X => denotes magnetic full direction ·B=-BZ point uj into the page. V: Vâ. The rod moves is to the right in the in livertion due to some enternal force. let at a time, t, the cross bor of mass m is at a distance or as shown. Then it saferns closed loop and during its motion, over of loop increases into time. With the megnetic field acting downwards, many flux increases with time. the, $\phi : BA = Bbx$:. & = -dq = -d (1/2n) =-Bbdr =-11bv. This induced enf will cause current in the loop in the counterdockwise direction so That it opposes the increase in flow by Sivy rise to a majnetic field to oppose the enternal magnetic tiel 3.

Now, widured current, I = [2] ? Repor

Majnetic force enquienced by bar,

$$\vec{F}_{B} = \vec{I} \vec{J} \times \vec{B} = \vec{I} \vec{b} \cdot \vec{y} \times (-\vec{B} \cdot \vec{b} \cdot \vec{z})$$

$$= -\vec{I} \vec{b} \vec{B} \cdot (\vec{y} \times \vec{z}) = -\vec{I} \vec{b} \vec{B} \cdot \hat{x}$$

$$= -\vec{B} \vec{b} \cdot \hat{x}$$

$$\Rightarrow \text{opposite to } \vec{v}.$$

For the boar to keep moving at a constant speed, on enternal from needs to be present so that,

Fert = - Frs = BBV &.

Suppose at too, speed of void = vo & the external expert stops pushing. Then,

Fr = - BTbv = ma=mdv

my - Bb H = - fdt, T= mr mp H = - fdt, T= mr My V(t) = Vo ett.

i speed decreases enponentially in the absence of external force doing work.

Somor detiration $\mathcal{H} = \int_{0}^{\infty} V(t) dt = \int_{0}^{\infty} v_{0} e^{-t/2} dt = v_{0} z.$ $= \underbrace{m \, \ell \, v_{0}}_{2^{2} \, b^{2}} v_{0}.$

(b)
$$\xi := -\frac{dd}{dt} := -\frac{d}{dt}(BH) = -\frac{d}{dt}(BH)$$

$$= -A dB := -\frac{d}{dt}(BH) = -\frac{d}{dt}(BH)$$

$$= -\frac{d}{dt}(BH) = -\frac{d}{dt}(BH) = -\frac{d}{dt}(BH)$$

$$= -\frac{d}{dt}(BH) = -\frac{d}{d$$

(c)
$$I = \frac{1}{R} = \frac{Rab}{R}$$
.

- foreday's law gives magnitude of tangential component of Em, Ex. 2hr = d (Monct hr). Eo. 2xx = ponc xx => 'Go = Honcr Outside solenoid, &= (Monet) TIL where p. redius of solenni. This happens because, field is you outside. : Eo. vir = d (Monct 170) to you = poncyp 2) Eo: Monce