1. (a)
$$\vec{7} \times \vec{F} = \begin{vmatrix} \vec{7} & \vec{9} & \vec{2} \\ \frac{\partial}{\partial n} & \frac{\partial}{\partial y} & \frac{\partial}{\partial z} \end{vmatrix}$$

$$= \lambda \left(\frac{\partial}{\partial x}(-2x) - \frac{\partial}{\partial z}(-x+y)\right) - \lambda \left(\frac{\partial}{\partial x}(-x+y) - \frac{\partial}{\partial z}(x+y)\right) + \lambda \left(\frac{\partial}{\partial x}(-x+y) - \frac{\partial}{\partial z}(x+y)\right)$$

$$\vec{r} \cdot \vec{F} = \frac{2}{2}(-1-1) = -2\hat{z} \cdot \vec{r} \cdot \vec{r$$

= 1-11-2 20.

Not on É fil.

₹. G = 0 (Show!)

Note Possible É field. à can be written rown as gradient of some potential ϕ .

Note T. G. 20 does not imply that the G. 20. Bince G is a possible Étille, : T.G= P/60.20. i.e. possible as we have seen formo inside a conductor.

As examples, you can book at the vector fills (c) and (d) in Porcell Ch2. Fig 2.30. In both cases, $\vec{Y} \times \vec{F} = 0$ & $\vec{V} \cdot \vec{F} = 0$.

Choosing
$$\phi(0)=0$$
 & choosing an arbitrary perturbation of $(0,0,0) \rightarrow (0,0,0) \rightarrow (0,0,0$

Assuming continuous derivatives, i'e it 2 P(di, xi, -) are continuous for all Ni. $\frac{\partial}{\partial x_i} \frac{\partial}{\partial x_j} P = \frac{\partial}{\partial x_j} \frac{\partial}{\partial x_i} P.$ $\frac{3}{3}A_{z} = \frac{3}{3}A_{z}$ & so on. · 0~ (AxD). F.: for the closed surface s, consider 6 A. ds 20. \$. ts along G = - A. dés along Cz. The path breaks closed sonface S with opensmore S' with a small slit & S(VXA).do':0. (Stokes'). Since the slit can be made abitrarily small, the conclusion holds for the closed sompaus, : ((VXA).da =0. Take F= \(\frac{1}{2} \times \times \). Then, by divergence theorem, (F.da = 8(F) dv =) S(ZXE) dā = & Z. (ZXE) dv = 0.

Since this is true for any arbitrary volume, D. (TXA) 20.

3.
$$\phi = \phi, e^{-kz}$$
 loskx.

(a)
$$\sqrt{2}q = \frac{3}{3}\frac{4}{3} + \frac{3}{3}\frac{4}{2} = 0$$
 (Show!)

(b)
$$\vec{E} = -\vec{\nabla} \phi = \phi_0 e^{-k\tau} k \left(\sinh x \vec{x} + \cosh x \vec{z} \right)$$
(Show!)

(c)
$$(\xi, d\vec{a} = \frac{\sigma A}{6})$$
 $\xi = \frac{\sigma}{26}$, $\xi = \frac{\sigma}{26}$. $\xi = \frac{\sigma}{26}$. $\xi = \frac{\sigma}{26}$.

At 220, 5 = 260 po losex.

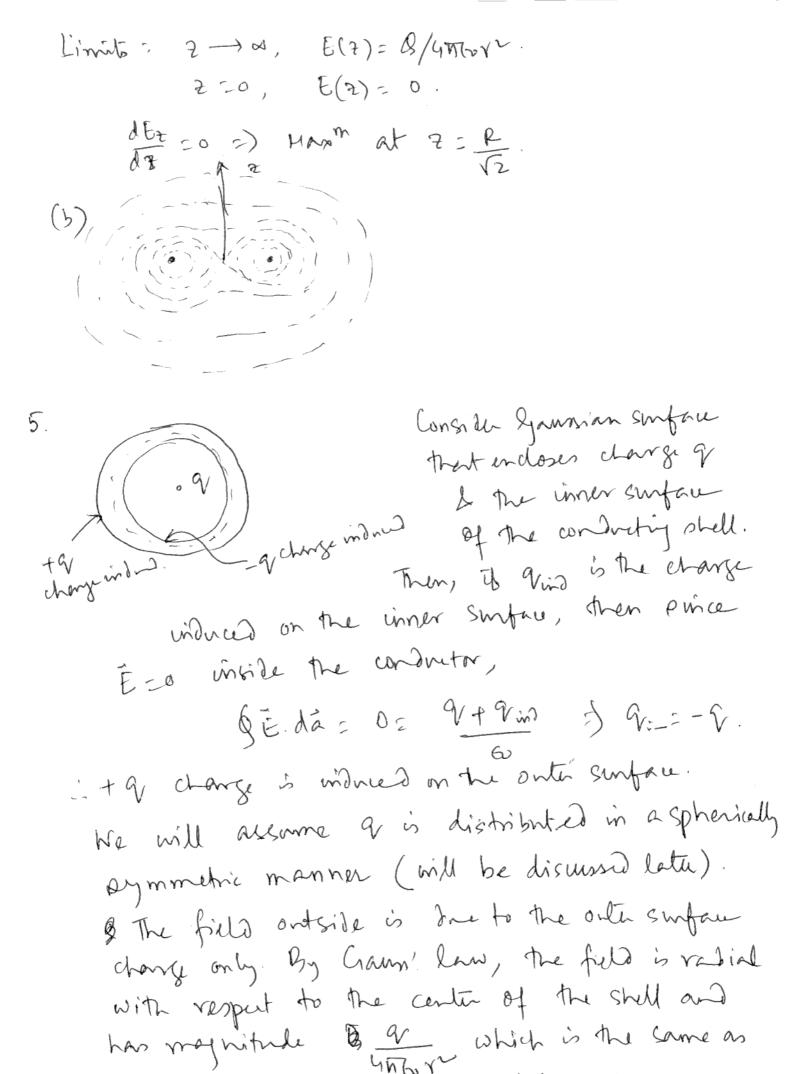
4. (a)

At the pt P, majoritude of field due to change d q is day day

Harizontal component of the field will cancel with the horizontal component of field the to change do at the diametrically opposite point. The vertical components all up.

: Total field at Pis,

= 44 (22 pr) 3/2 (: Y = J272 Pr).



due to a change of located at the centre of the shell.

6. (Votale)

Force on V, & vc is zero, since É = 0 inside conductor.

The viduced charges follow from the argument in the previous problem.

The change induced on the onto surface of A is (9,000) distributed in a spherically symmetric manner. The field due to A: (96+ 20)

god will distants the distribution of change but not the amount of change on surface of A. If god is placed four enough, then,

force on $q_d = q_d \cdot (\frac{q_{y+q_c}}{y\pi r_b})$

: Fa = 9, (9,000) ?.

Force on A: FA: -Fd.