Dhruvi Hiteshkumar Suthar 21162101005 CBA, Class: 7A, Batch: 71 Machine Learning

Practical - 4 - Implement linear regression for given dataset and find model which has highest r2 score and minimum MSE

Instructions:

Understand the problem statement properly

Clean dataset assigned to you

List of important attributes with proper justification

Read sample linear regression code

Answer following questions in a pdf file:

- 1. List down all the important attributes in the dataset
- 2. Write down the models you have compared.
- 3. Write down the model which has highest r2 score and minimum MSE

Linear Regression is statistical method used to model the relationship between a dependent variable(target) and one or more independent variables(features or predictors). The goal is to find the best fitting straight line that predicts the dependent variable based on the independent variables.

For example: W = B0 + B1 X H

here B0 is intercept (the value of W when H is 0), B1 is slope (how much W changes for a unit change in H)

R2 score measures how well the regression model fits the data. It ranges from 0 to 1:

- 0: the model does not explain any of the variability in the target variable.
- 1: the model perfectly explains all the variability in the target value.

Mean Squared Error (MSE) measures the average squared difference between the actual values and the predicted values. The lower the MSE, the better the model.

```
import pandas as pd
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.metrics import mean_squared_error, r2_score
```

```
df=pd.read_csv("autos_csv.csv")
df.head(10)
```

Show hidden output

import numpy as np

We will first replace all the NaN values with True

```
df.replace('?',np.nan,inplace=True)
```

Now as for the columns with float values we can find the mean and replace them with True values.

```
mean_normalized_losses=df['normalized-losses'].astype(float).mean()
df['normalized-losses'].fillna(mean_normalized_losses,inplace=True)
df['normalized-losses']=df['normalized-losses'].astype(float)
```

```
mean_bore=df['bore'].astype(float).mean()
df['bore'].fillna(mean_bore,inplace=True)
df['bore']=df['bore'].astype(float)
```

```
mean_stroke=df['stroke'].astype(float).mean()
df['stroke'].fillna(mean_stroke,inplace=True)
df['stroke']=df['stroke'].astype(float)
```

```
mean_price=df['price'].astype(float).mean()
df['price'].fillna(mean_price,inplace=True)
df['price']=df['price'].astype(float)
```

Any other True values left like in columns with string values that row is deleted.

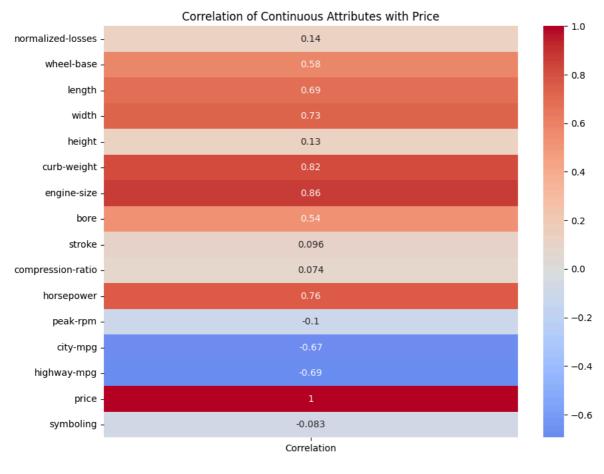
```
df.dropna(inplace=True)
df.head(10)
```

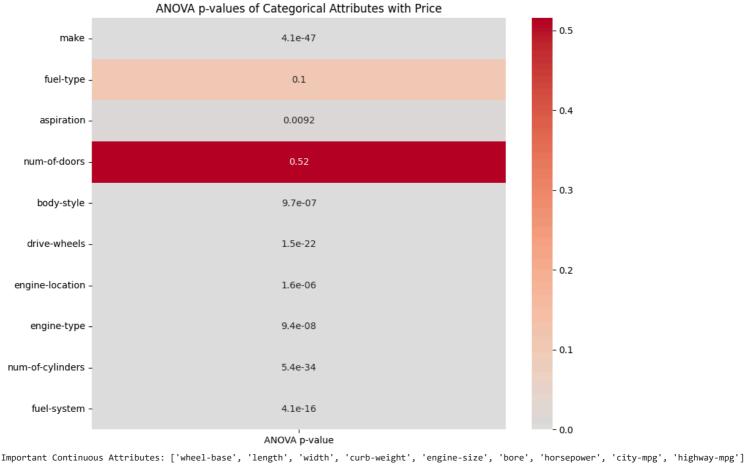
Show hidden output

Now we will find the important attributes using ANOVA and Correlation.

print("Important Continuous Attributes:", important_continuous)
print("Important Categorical Attributes:", important_categorical)

```
import seaborn as sns
import matplotlib.pyplot as plt
continuous=[]
categorical=[]
for i in df.columns:
  if df[i].dtype=="object":
    categorical.append(i)
  else:
    continuous.append(i)
print("Continuous Attributes : ", continuous)
print("Categorical Attributes : ", categorical)
Continuous Attributes : ['normalized-losses', 'wheel-base', 'length', 'width', 'height', 'curb-weight', 'engine-size', 'bore', 'stroke', 'compres Categorical Attributes : ['make', 'fuel-type', 'aspiration', 'num-of-doors', 'body-style', 'drive-wheels', 'engine-location', 'engine-type', 'num
from scipy.stats import f_oneway
important continuous = []
important_categorical = []
correlation_dict = {}
for i, attribute in enumerate(continuous):
    correlation = df[attribute].corr(df['price'])
    correlation_dict[attribute] = correlation
    if abs(correlation) > 0.5 and attribute!='price':
        important_continuous.append(attribute)
correlation_df = pd.DataFrame.from_dict(correlation_dict, orient='index', columns=['Correlation'])
plt.figure(figsize=(10, 8))
sns.heatmap(correlation_df, annot=True, cmap='coolwarm', center=0)
plt.title('Correlation of Continuous Attributes with Price')
plt.show()
anova_dict = {}
for i, attribute in enumerate(categorical):
    cat_grp = []
    for cat in df[attribute].unique():
        cat_grp.append(df[df[attribute] == cat]["price"])
    f_statistic, p_value = f_oneway(*cat_grp)
    anova_dict[attribute] = p_value
    if p_value < 0.05:
        important_categorical.append(attribute)
print("")
anova_df = pd.DataFrame.from_dict(anova_dict, orient='index', columns=['ANOVA p-value'])
plt.figure(figsize=(10, 8))
sns.heatmap(anova_df, annot=True, cmap='coolwarm', center=0)
plt.title('ANOVA p-values of Categorical Attributes with Price')
plt.show()
```





Now as we have filtered out important attributes, we will only consider them for training and testing, this can help in reducing overfiiting, will make data more interpretable as there will be less and most relevant features.

Now we will first filter the data.

```
df_filtered = df[important_continuous + important_categorical + ['price']]
```

Now we will encode the categorical values.

Simple Linear Regression

Now we will split the data in training and testing sets.

```
x = df_encoded[['engine-size']]
y = df_encoded['price']
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.3, random_state=42)
print("x train shape:",x_train.shape)
print("y train shape:",y_test.shape)
print("x test shape:",x_test.shape)
print("y test shape:",y_test.shape)

> x train shape: (140, 1)
    y train shape: (140,)
    x test shape: (61, 1)
    y test shape: (61, 1)
```

First we will train the data.

```
model=LinearRegression()
model.fit(x_train,y_train)
print("Intercept:", model.intercept_)
print("Slope/Coefficient:", model.coef_)
Intercept: -5846.593293886866
```

Slope/Coefficient: [148.27657052]

Now we will predict the prices.

```
y_pred=model.predict(x_test)
pd.DataFrame({"Actual": y_test, "Predicted": y_pred})
```

_ _ •	Actual	Predicted	
97	7999.0	8536.234047	th
15	30760.0	25143.209946	
31	6855.0	7794.851194	
162	9258.0	8684.510617	
132	11850.0	12094.871740	
144	9233.0	10167.276323	
100	9549.0	11946.595169	
177	11248.0	12243.148310	
98	8249.0	8536.234047	
174	10698.0	10463.829464	
61 rov	vs × 2 colu	mns	

Now to evaluate the model we will calculate R2 Score and MSE.

plt.title('Actual vs Predicted Prices')

plt.legend()
plt.show()

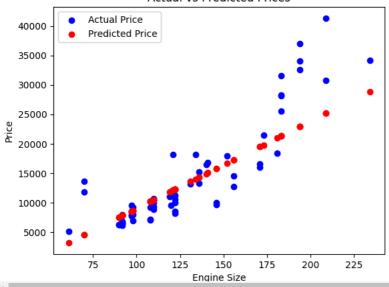
```
print("Simple Linear regression model:")
print('R2: ', r2_score(y_test, y_pred))
print('MSE: ', mean_squared_error(y_test, y_pred))

Simple Linear regression model:
    R2: 0.7173106311223689
    MSE: 22590620.56443966

plt.scatter(x_test, y_test, color='blue', label='Actual Price')
plt.scatter(x_test, y_pred, color='red', label='Predicted Price')
plt.xlabel('Engine Size')
plt.ylabel('Price')
```



Actual vs Predicted Prices



Multiple Linear Regression

```
x = df_encoded[important_continuous]
y = df_encoded['price']
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.3, random_state=42)
print("x train shape:",x_train.shape)
print("y train shape:",y_train.shape)
print("x test shape:",x_test.shape)
print("y test shape:",y_test.shape)
→ x train shape: (140, 9)
     y train shape: (140,)
x test shape: (61, 9)
     y test shape: (61,)
model=LinearRegression()
model.fit(x_train,y_train)
print("Intercept:", model.intercept_)
print("Slope/Coefficient:", model.coef_)
     Intercept: -36937.664080081224
     Slope/Coefficient: [ 1.43459820e+02 -3.23165901e+01 6.51084708e+02 1.17695746e+00
       1.02505237e+02 -2.78632295e+03 -1.43538542e+01 -7.71865712e+01
      -1.60006079e+02]
y_pred=model.predict(x_test)
pd.DataFrame({"Actual": y_test, "Predicted": y_pred})
₹
                                     \blacksquare
            Actual
                       Predicted
       97
             7999.0
                      6918.338032
       15
            30760.0
                    23131.316321
      31
             6855.0
                      6316.550177
      162
             9258.0
                      8416.678376
            11850.0
                    12533.952551
      132
      144
            9233.0 10761.899108
      100
             9549.0
                    10668.617694
      177
            11248.0
                    13026.046103
```

print("Multiple Linear regression model:")
print('R2: ', r2_score(y_test, y_pred))
print('MSE: ', mean_squared_error(y_test, y_pred))

Multiple Linear regression model:
R2: 0.6559407241729635
MSE: 27494888.055903472

8249.0

61 rows × 2 columns

174 10698.0 11814.486680

98

7222.351560

Polynomial Linear Regression (using pipeline)

```
from sklearn.pipeline import Pipeline
from sklearn.preprocessing import StandardScaler, PolynomialFeatures
pipe_inp = [('scale', StandardScaler()),
            ('polynomial', PolynomialFeatures(degree=2)),
            ('model', LinearRegression())]
pipe = Pipeline(pipe_inp)
pipe
\overline{\mathbf{x}}
    Show hidden output
x = df_encoded[important_continuous]
y = df_encoded['price']
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size=0.3, random_state=42)
print("x train shape:",x_train.shape)
print("y train shape:",y_train.shape)
print("x test shape:",x_test.shape)
print("y test shape:",y_test.shape)
⇒ Show hidden output
pipe.fit(x_train,y_train)
Show hidden output
y_pred = pipe.predict(x_test)
pd.DataFrame({"Actual": y_test, "Predicted": y_pred})
            Actual
                      Predicted
                                    \blacksquare
      97
            7999.0 8524.755787
           30760.0 17896.363817
      15
      31
            6855.0
                    5505.858806
            9258.0
                    7234.016819
      162
      132
           11850.0 15673.802439
            9233.0 11174.850655
      144
      100
            9549.0 9783.038071
           11248.0 11734.996062
      177
      98
            8249.0 7440.118060
      174 10698.0 10640.588117
     61 rows × 2 columns
print("Polynomial Linear regression model:")
print('R2: ', r2_score(y_test, y_pred))
print('MSE: ', mean_squared_error(y_test, y_pred))
Polynomial Linear regression model:
```

Polynomial Linear regression model
R2: 0.3327446268763994
MSE: 53322532.126575634

Simple Linear Regression has the highest R2 score and lowest MSE, indicating it explains the most variance and gas the least error among the