Instructions. This quiz is open book and open note—you may freely use your notes, lecture notes, or textbook while working on it. You may not consult any living resources such as other students or web forums. The quiz must be submitted by the beginning of class on Thursday, September 9th, 2021. If you do not attend class in person, you may email your scanned or typeset solution to the professor using the subject line [COSC 211] Quiz 01. Affirmation. I attest that that work presented here is mine and mine alone. I have not consulted any disallowed resources while taking this quiz.

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= situation at start Question 1. Suppose you are given two Stack instances with states $S_1 = (x_0, x_1, \dots, x_{n-1})$ and $S_2 = \varepsilon$ (empty), respectively. Suppose that i is an index satisfying $0 \le i \le n$. In the space below, describe how you can use the two Stacks to simulate the List operation $\mathrm{add}(i,y)$. That is, you should describe a sequence of Stack operations applied to S_1 and S_2 such that after executing these operations, the state of S_1 is the same as if you had applied

Hint: What is the effect of performing the the following three operations: (1) S_2 .push $(S_1$.pop()), (2) S_1 .push(y), (3) $S_1.\text{push}(S_2.\text{pop}())$?

Solution (S1. pop()) => do this (n-i) times $\begin{cases} S_{1} = (n_{0}, n_{1}, n_{2}, \dots, n_{i-1}) \\ S_{2} = (n_{n-1}, n_{n-2}, \dots, n_{i}) \end{cases}$ [step2] S_1 , bush $(y) \Rightarrow \begin{cases} S_1 = (\chi_0, \chi_1, \chi_2, ..., \chi_{i-1}, y) \end{cases}$ only $S_2 = (\chi_{n-1}, \chi_{n-2}, ..., \chi_{i}) \end{cases}$ only time step3 S1. push (S2. pop()) =) do this (n-i) times $S_1 = (\chi_0, \chi_1, \chi_2, \dots, \chi_{i-1}, \chi, \chi_i, \dots, \chi_{n-2}, \chi_{n-2})$ $S_2 = E$ $S_1 = (\chi_0, \chi_1, \chi_2, \dots, \chi_{i-1}, \chi, \chi_i, \dots, \chi_{n-2}, \chi_{n-2})$ $S_2 = E$ $S_2 = E$ $S_1 = (\chi_0, \chi_1, \chi_2, \dots, \chi_{i-1}, \chi_i, \chi_i, \dots, \chi_{n-2}, \chi_{n-2})$ $S_2 = E$ $S_2 = E$ $S_2 = E$ $S_3 = S_4$ $S_4 = S_4$ $S_5 = S_4$ $S_7 = S_4$

is implemented !!