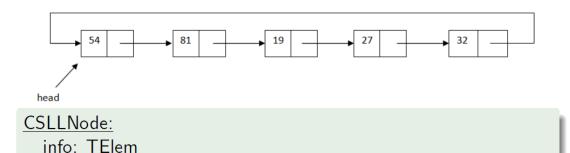
• For a SLL or a DLL the last node has as *next* the value *NIL*. In a *circular list* no node has *NIL* as next, since the last node contains the address of the first node in its next field.



CSLL:

head: ↑ CSLLNode

next: ↑ CSLLNode

```
subalgorithm insertFirst (csll, elem) is:
//pre: csll is a CSLL, elem is a TElem
//post: the element elem is inserted at the beginning of csll
newNode ← allocate()
[newNode].info ← elem
[newNode].next ← newNode
if csll.head = NIL then
    csll.head ← newNode
else
    lastNode ← csll.head
    while [lastNode].next ≠ csll.head execute
    lastNode ← [lastNode].next
    end-while
//continued on the next slide...
```

```
[newNode].next ← csll.head
  [lastNode].next ← newNode
  csll.head ← newNode
  end-if
end-subalgorithm
```

- Complexity: $\Theta(n)$
- Note: inserting a new element at the end of a circular list looks exactly the same, but we do not modify the value of csll.head (so the last instruction is not needed).

```
function deleteLast(csll) is:
//pre: csll is a CSLL
//post: the last element from csll is removed and the node
//containing it is returned
deletedNode ← NIL
if csll.head ≠ NIL then
if [csll.head].next = csll.head then
deletedNode ← csll.head
csll.head ← NIL
else
prevNode ← csll.head
while [[prevNode].next].next ≠ csll.head execute
prevNode ← [prevNode].next
end-while
//continued on the next slide...
```

• Complexity: $\Theta(n)$

 A memory-efficient solution is to have a XOR Linked List, which is a doubly linked list (we can traverse it in both directions), where every node retains one single link, which is the XOR of the previous and the next node.



XORNode:

info: TELem
link: ↑ XORNode

XORList:

head: ↑ XORNode tail: ↑ XORNode

```
subalgorithm printListForward(xorl) is:
//pre: xorl is a XORList
//post: true (the content of the list was printed)
prevNode ← NIL
currentNode ← xorl.head
while currentNode ≠ NIL execute
write [currentNode].info
nextNode ← prevNode XOR [currentNode].link
prevNode ← currentNode
currentNode ← nextNode
end-while
end-subalgorithm
```

• Complexity: $\Theta(n)$

• Complexity: $\Theta(1)$