Descriptive statistics of Life Cycle Savings R Database

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This file contains descriptive analysis - measures of central tendency as well as measures of dispersion - of the LifeCycleSavings R dataset. Furthermore, it will be looked into correlations between different variables. A particular focus will be on the two variables Aggregated Savings (sr) and Per-Capita Income (dpi), thus testing the hypothesis that aggregated savings increase with higher per-capita income.

Description of dataset and variables of interest

The LifeCycleSavings dataset is a data frame containing information on the savings ratio between 1960 and 1970 over 50 countries. It includes the following 5 variables (taken from R):

• **sr**: aggregate personal savings

• pop15: % of population under 15

• pop75: % of population over 75

 \bullet dpi: real per-capital disposable income

• ddpi: % growth rate of dpi.

Guide to R. code

The R code in this folder conducts a number of descriptive statistics, namely measures of central tendency and measures of dispersion. Furthermore, correlations between variables were analyzed as a first step to identify potential explanatory variables (per-capita GDP; per-capita GDP growth; demographic factors) for the aggregated personal savings.

Measures of central tendency: histograms, mean, median

Measures of dispersion: standard deviation, range, interquartile range, boxplots

Correlations: plots; significance tests

Descriptive Statistics

Measures of central tendency

First, we have a look at the key measures of central tendency starting with the means of the five variables:

```
for (i in 1:5) {
   LifeCycleSavings[, i] %>%
   mean() %>%
   paste(names(LifeCycleSavings)[i], ., "\n") %>%
   cat()
}
```

```
## sr 9.671
## pop15 35.0896
## pop75 2.293
## dpi 1106.7584
## ddpi 3.7576
```

As a next step, the medians are calculated:

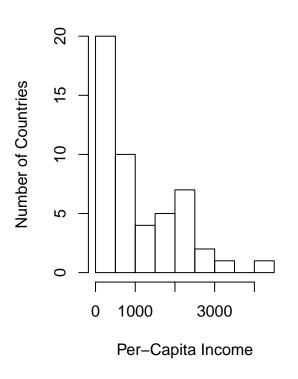
```
for (i in 1:5) {
   LifeCycleSavings[, i] %>%
        median() %>%
        paste(names(LifeCycleSavings)[i], ., "\n") %>%
        cat()
}

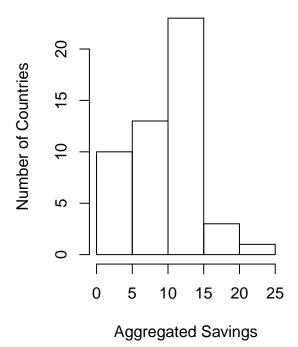
## sr 10.51
## pop15 32.575
## pop75 2.175
## dpi 695.665
## ddpi 3
```

After the calculating mean and median, we have a look at the histograms of 2 key variables - Per-Capita Income and Aggregated Savings - in order to get an idea of the general distribution of those two variables:

Per-Capita Income Distribution

Savings Distribution





Measures of dispersion

In a next step, we analyse the distribution for the variables in the *LifeCycleSavings* R Dataset. For that purpose, the standard deviation for all five variables is calculated.

```
## loop for standard deviation
for (i in 1:5) {
   LifeCycleSavings[, i] %>%
    sd() %>%
    paste(names(LifeCycleSavings)[i], ., "\n") %>%
    cat()
}
```

```
## sr 4.48040689205426
## pop15 9.15172716162454
## pop75 1.29077140359032
## dpi 990.868888965557
## ddpi 2.8698706221283
```

Furthermore, we look at the range and the interquartile range of the the key variables $aggregated\ savings$ and $per-capita\ income.$

```
## range for 2 key variables
range(LifeCycleSavings$sr)
```

```
## [1] 0.6 21.1
```

```
range(LifeCycleSavings$dpi)

## [1] 88.94 4001.89

## interquartile range for 2 key variables
IQR(LifeCycleSavings$sr)

## [1] 5.6475
```

```
IQR(LifeCycleSavings$dpi)
```

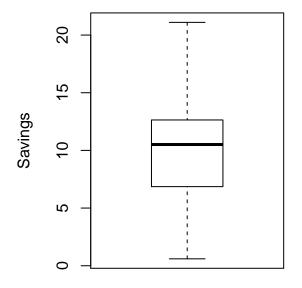
```
## [1] 1507.415
```

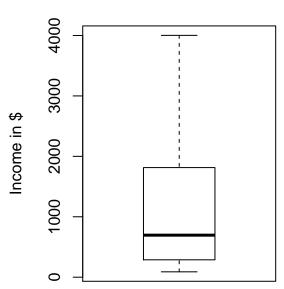
Eventually, we graphically plot the measures of central tendency and dispersion for our two key variables with two boxplots, which provides a graphical presentation of mean, range and interquartile range.

```
par(mfcol = c(1, 2))
boxplot(LifeCycleSavings$sr, main = "Aggregated Savings", ylab = "Savings")
boxplot(LifeCycleSavings$dpi, main = "Per-Capita Income", ylab = "Income in $")
```

Aggregated Savings

Per-Capita Income





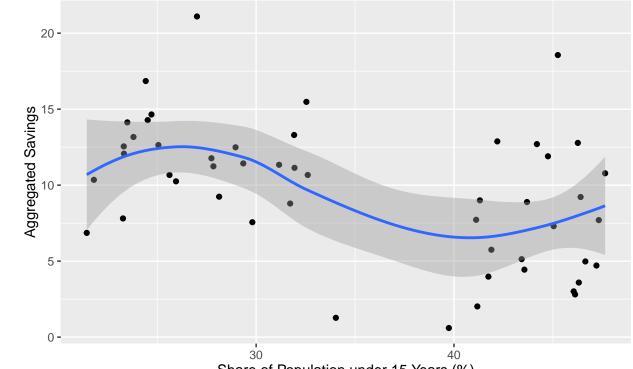
Joint distributions

In order to identify potential explanatory variables for the aggregated savings variable, we look into correlations between the demographic variables (pop15 and pop75) as well as different specifications of the income in the respective country (absolute (dpi) and relative (ddpi) measures of per-capita income).

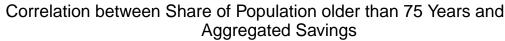
Demographic factors

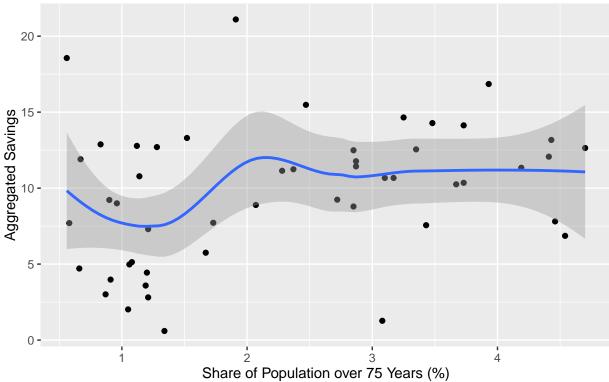
First we start with the two demographic variables: The share of population older than 75 years and younger than 15 years.

Correlation between Share of Population under 15 Years and Aggregated Savings



Share of Population under 15 Years (%)





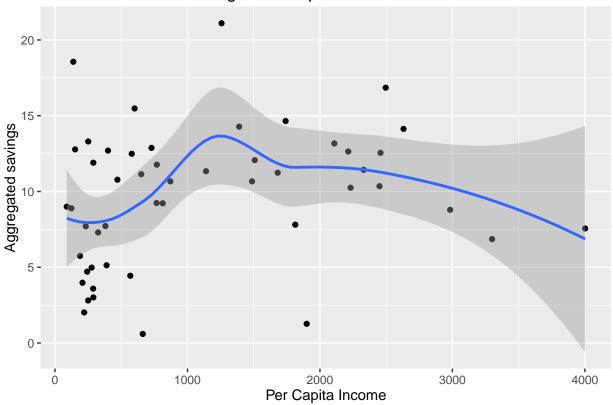
There seems to be a slightly negative correlation between pop15 and sr, confirming the common wisdom that the younger the population, the lower the overall savings. At the same time, pop75 and sr appear to be weakly positively correlated, indicating that aging populations tend to save more (this effect however seems to disappear for pop75>2%).

Income factors

In a next step, we attempt to better understand the relationship between savings and per-capita income by looking at the correlation of $aggregated\ savings$ and absolute per-capita income level dpi and relative per-capita income growth ddpi.

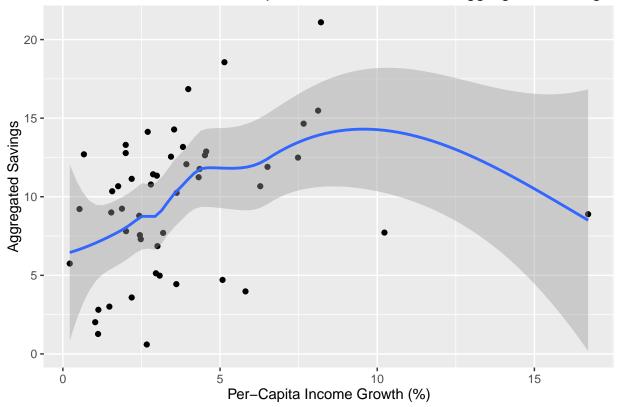
```
ggplot(LifeCycleSavings, aes(dpi, sr)) +
  geom_point() +
  geom_smooth() +
  ggtitle("Savings-Per Capita GDP Correlation") +
  xlab("Per Capita Income") +
  ylab("Aggregated savings")
```

Savings-Per Capita GDP Correlation



```
ggplot(LifeCycleSavings, aes(ddpi, sr)) +
  geom_point() +
  geom_smooth() +
  ggtitle("Correlation between Per-Capita Income Growth and Aggregated Savings") +
  xlab("Per-Capita Income Growth (%)") +
  ylab("Aggregated Savings")
```

Correlation between Per-Capita Income Growth and Aggregated Savings



While absolute per-capita income level (dpi) seems to be positively correlated with aggregated savings for small values of dpi (less than \$1250), this changes for larger values of per-capita income levels; this however seems to be largely driven by an outlier (the US). a similar finding provides the correlation plot between per-capita income growth (ddpi) and aggregate savings, although the correlation is more strongly positively correlated; again, this positive relationship disappears for very high growth rates of per-capita GDP (mainly caused by an outlier).