

# Introduction to Neural Networks

## From Brain to Business: How Machines Learn to Predict

### Neural Networks for Business Applications

November 24, 2025

#### Learning Objectives

- **Explain** how biological neurons inspire artificial neural networks
- **Calculate** the output of an artificial neuron given inputs and weights
- **Design** a simple multilayer network architecture
- **Trace** information flow through forward propagation
- **Describe** how networks learn by minimizing prediction errors
- **Evaluate** when neural networks are appropriate for business

# The Prediction Challenge: Can We Predict Markets?

## The Business Question

Can we predict if a stock price will rise or fall tomorrow?

- Traditional: Statistical analysis, expert intuition
- Challenge: Markets are **complex, non-linear**
- Many factors: price, volume, sentiment, volatility

## The Limitation

Rule-based systems cannot capture all interactions

## Why This Matters

- Better investment decisions
- Risk management
- Portfolio optimization
- Automated trading strategies

## What We Need

A system that learns patterns from data, not explicit rules

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Our journey begins with understanding how nature solved similar prediction problems

## System Requirements

1. Process multiple inputs simultaneously
2. Learn patterns from historical data
3. Handle **non-linear** relationships
4. Improve predictions over time
5. Generalize to new conditions

## Key Insight

We need a system that learns, not one we program

## Inspiration from Nature

The human brain solves complex pattern recognition every day

## Brain Capabilities

- Processes millions of inputs
- Learns from experience
- Handles ambiguity
- Generalizes to new situations

*Can we mimic this for business predictions?*

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Next: Understanding biological neurons as the foundation

## Part 1: Foundations

From biological neurons to artificial intelligence

*Let's begin with the inspiration from nature*

[1] – [2] – [3] – [4] – [5]

## Biological Neuron Structure

- **Dendrites:** Receive signals
- **Soma:** Integrates weighted signals
- **Axon:** Transmits output
- **Synapses:** Variable connection strengths

## Key Principle

Fire when weighted sum exceeds threshold

## Business AI Insights

1. Multiple inputs combined
2. Weighted connections (importance)
3. Non-linear activation (thresholds)
4. Layered processing (abstraction)

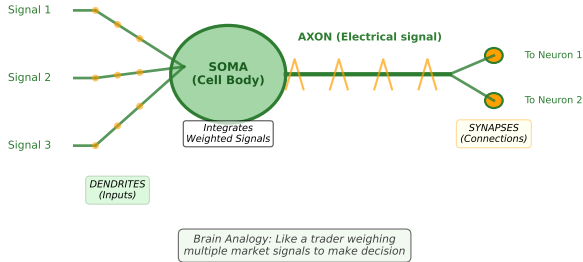
*Mathematical models can learn the same way!*

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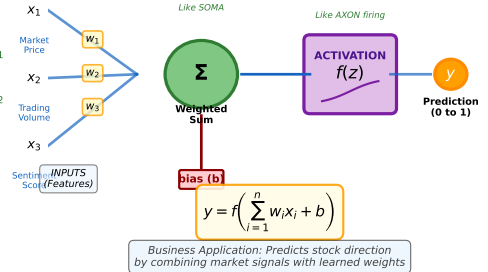
Next: See the visual comparison of biological vs artificial neurons

## From Biological Intelligence to Business AI

### Biological Neuron (How Your Brain Works)



### Artificial Neuron (Mathematical Model for Business AI)



Observe: Which biological components map directly to mathematical operations?

## Step 1: Weighted Sum

$$z = \sum_{i=1}^n w_i x_i + b$$

- $x_i$ : Inputs (market data)
- $w_i$ : Weights (**learned**)
- $b$ : Bias (baseline)

## Step 2: Activation

$$y = \sigma(z) = \frac{1}{1 + e^{-z}}$$

- Adds non-linearity
- Output: probability (0 to 1)
- Mimics neuron firing

**Complete:**  $y = \sigma(\sum w_i x_i + b)$

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**Next:** See a concrete example with real market numbers

## Practice: Calculate a Neuron's Output

### Given Values

- Inputs:  $x_1 = 1.2$ ,  $x_2 = 0.8$
- Weights:  $w_1 = 0.3$ ,  $w_2 = 0.5$
- Bias:  $b = -0.2$

### Step 1: Weighted Sum

$$z = w_1x_1 + w_2x_2 + b$$

$$z = (0.3)(1.2) + (0.5)(0.8) + (-0.2)$$

$$z = 0.36 + 0.40 - 0.20 = \mathbf{0.56}$$

### Step 2: Apply Sigmoid

$$\sigma(z) = \frac{1}{1 + e^{-z}} = \frac{1}{1 + e^{-0.56}}$$

$$\sigma(0.56) = \frac{1}{1+0.571} = \frac{1}{1.571} = \mathbf{0.636}$$

### Interpretation

63.6% confidence: price will rise

**Your Turn:** What if  $w_1 = 0.6$ ?

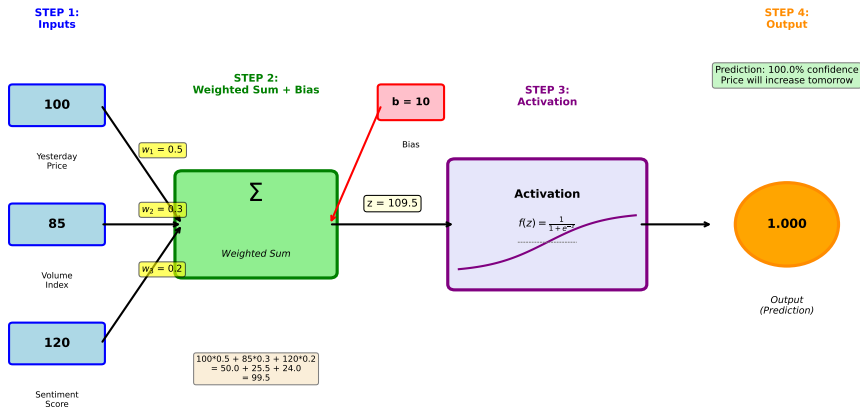
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Work through this calculation – it's the foundation of all neural network predictions



# Single Neuron Computation: Step-by-Step Example

## How a Neuron Computes: Step-by-Step



Observe: How would changing the weights affect the final output probability?

### Think – Pair – Share

*What other business processes might benefit from 'learning from data' instead of following explicit rules?*

#### 1. Think (1 min)

Reflect individually on the question

#### 2. Pair (2 min)

Discuss with a neighbor

#### 3. Share (2 min)

Share insights with class

## Part 2: Building Blocks

Activation functions and their role in learning

*Now that we understand neurons, let's explore what makes them powerful*

[1] – [2] – [3] – [4] – [5]

# Activation Functions: Why Non-Linearity Matters

## The Problem

Without activation functions:

- Networks = linear regression
- Cannot learn complex patterns

## Three Common Functions

- **Sigmoid:**  $(0,1)$  for probabilities
- **ReLU:** Fast, efficient
- **Tanh:** Zero-centered  $(-1,1)$

## Business Non-Linearity

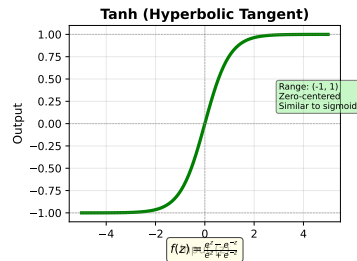
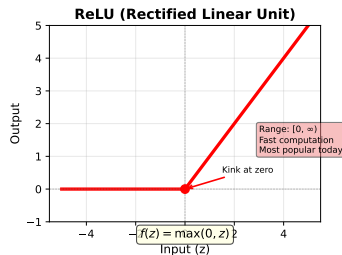
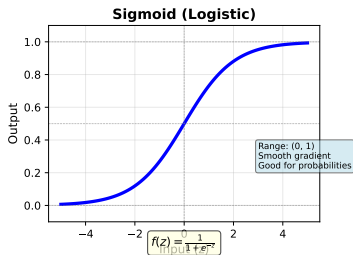
1. Diminishing returns
2. Threshold effects
3. Saturation points
4. Network effects

*Activation functions capture these patterns!*

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Next: Visual comparison of these three activation functions

## Activation Functions: Adding Non-Linearity



Observe: Where does each function's output change most rapidly? Why does this matter?

# The Limitation: Why One Neuron Is Not Enough

## What One Neuron Can Do

- Single straight decision boundary
- Separate linearly separable patterns
- Simple rules only

**Analogy:** One rule for decisions

## What One Neuron Cannot Do

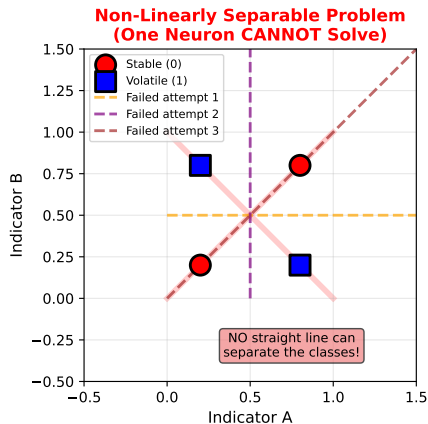
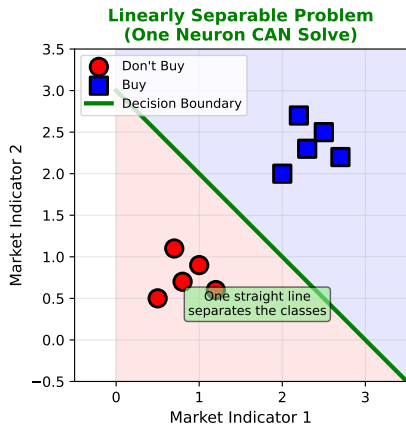
- Complex, curved boundaries
- XOR-like patterns
- Real-world market interactions

**Solution: Multiple Layers!**

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Next: See the XOR problem that proves one neuron's limitation

## Why One Neuron Is Not Enough



**Solution: Use Multiple Layers (Hidden Layers) to Create Non-Linear Decision Boundaries**

Observe: Why is it impossible to draw a single straight line separating orange from blue?

### Think – Pair – Share

*Can you think of a business metric that shows diminishing returns or threshold effects?*

#### 1. Think (1 min)

Reflect individually on the question

#### 2. Pair (2 min)

Discuss with a neighbor

#### 3. Share (2 min)

Share insights with class



## Part 3: Network Architecture

Building layers of intelligence

*With building blocks ready, let's construct full networks*

[1] – [2] – **[3]** – [4] – [5]

## Multi-Layer Architecture

- **Input:** Raw features (no computation)
- **Hidden:** Pattern detection
- **Output:** Final prediction

**Result:** Buy/Sell decision

## Hierarchical Learning

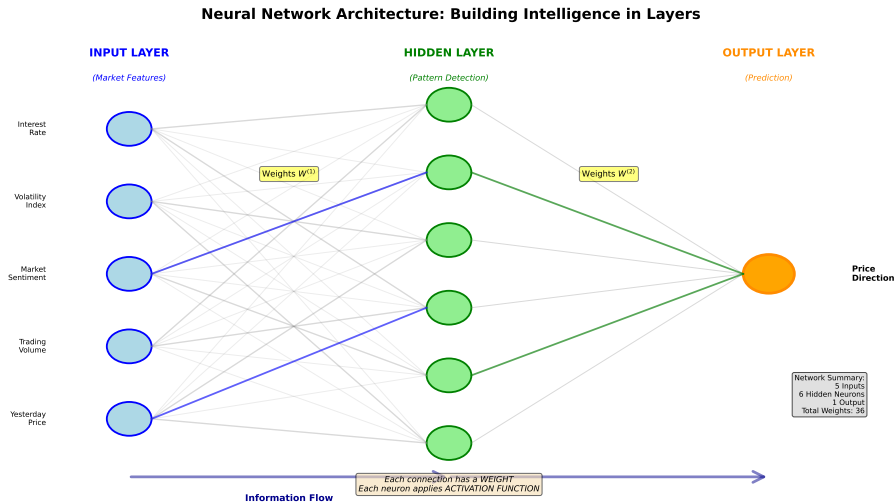
- **Layer 1:** Simple patterns
- **Layer 2:** Complex patterns
- **Layer 3:** Strategic decisions

Each layer builds on previous abstractions

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Next: See the full network architecture with all connections

# Neural Network Architecture Diagram



**Observe: Count the connections. Why are there 36 weights total?**

# Forward Propagation: How Networks Make Predictions

## The Forward Pass

1. **Input:** Feed market features
2. **Hidden:**  $a = \sigma(Wx + b)$
3. **Output:**  $y = \sigma(Wa + b)$

All neurons compute in parallel!

## Example

Input: price=105.2, volume=0.75

Output:  $y = 0.742$

## Interpretation:

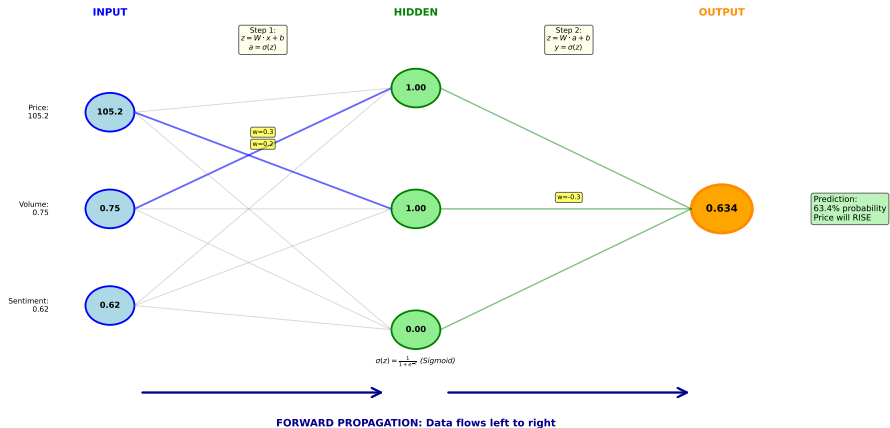
- 74.2% confidence price rises
- $y > 0.5$ : **BUY**
- $y < 0.5$ : **SELL**

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Next: See forward propagation with actual numbers and calculations

# Forward Propagation: Detailed Example

## Forward Propagation: Making a Prediction



Observe: How do the hidden layer values combine to produce the final 0.742 output?

### Think – Pair – Share

*For your industry, what would be the 'inputs' and 'outputs' of a useful neural network?*

#### 1. Think (1 min)

Reflect individually on the question

#### 2. Pair (2 min)

Discuss with a neighbor

#### 3. Share (2 min)

Share insights with class

## Part 4: Learning Process

How networks learn from mistakes

*We can make predictions – now let's learn how to improve them*

[1] – [2] – [3] – **[4]** – [5]

## Learning Steps

1. **Predict** with random weights
2. **Measure error:**

$$L = \frac{1}{n} \sum (y - \hat{y})^2$$

3. **Adjust weights:**

$$w_{new} = w_{old} - \eta \nabla L$$

4. **Repeat** until convergence

## Example

Predicted: 55% rise, Actual: fell

Error:  $(0 - 0.55)^2 = 0.30$

## Learning:

- Calculate gradient direction
- Move weights to reduce error

*Like a trader learning from mistakes*

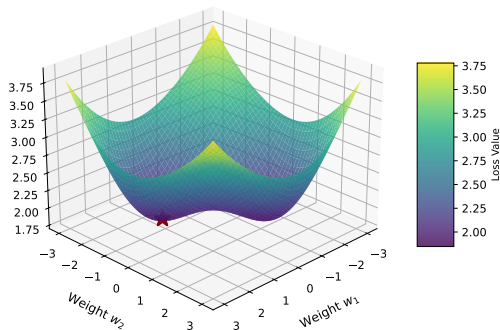
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Next: Visualize the loss landscape that we're trying to navigate

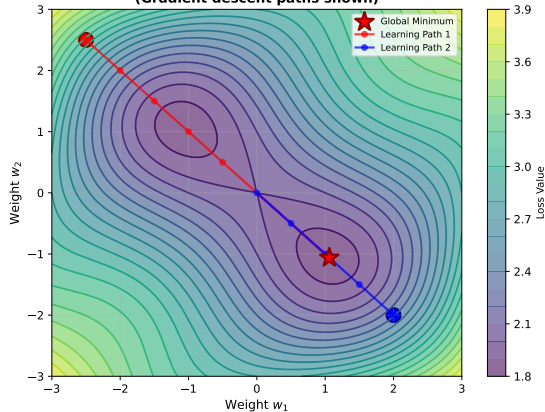


# Loss Landscape: The Error Surface

**Loss Landscape in 3D**  
(Error as a function of weights)



**Contour View: Loss Landscape**  
(Gradient descent paths shown)



Goal: Find the weights that minimize the loss  
(The red star shows the optimal solution)

Observe: What happens if we start from different random initial weights?

# Gradient Descent: Learning by Stepping Downhill

## Algorithm

1. Calculate gradient (slope)
2. Step opposite direction
3. Repeat until convergence

## Learning Rate Trade-offs

- **Too small:** Slow
- **Too large:** Unstable
- **Just right:** Steady

## Business Analogy

Like a trader learning:

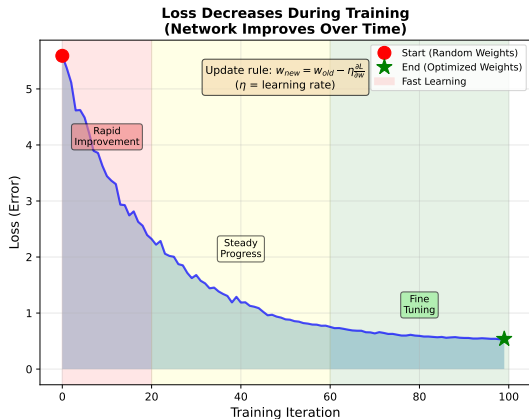
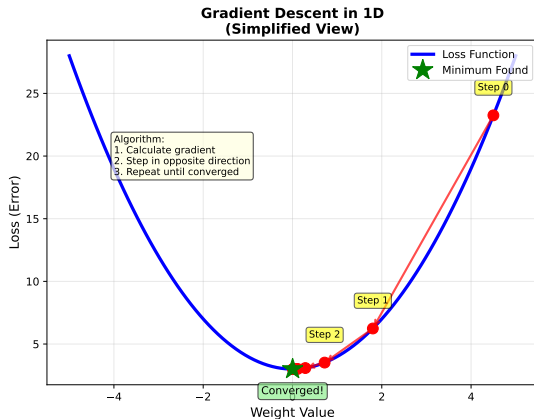
- Fast learning from obvious patterns
- Steady fine-tuning
- Convergence to optimal rules

Gradient shows fastest error reduction

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Next: See how loss decreases over training iterations

## Gradient Descent: Learning by Stepping Downhill



Observe: How does the step size (learning rate) affect how quickly we reach the minimum?

### Think – Pair – Share

*How is gradient descent similar to how businesses optimize through trial and error?*

**1. Think (1 min)**

Reflect individually on the question

**2. Pair (2 min)**

Discuss with a neighbor

**3. Share (2 min)**

Share insights with class

## Part 5: Application

Putting it all together with market prediction

*Theory complete – let's apply everything to a real case*

[1] – [2] – [3] – [4] – [5]

## Business Application

- **Goal:** Predict price direction
- **Data:** 60 days market data

## Input Features

1. Stock Price
2. Trading Volume
3. Market Sentiment
4. Volatility Index

## Target Variable

Binary: 1 = up, 0 = down

Network outputs:  $p(\text{rise})$

## Setup

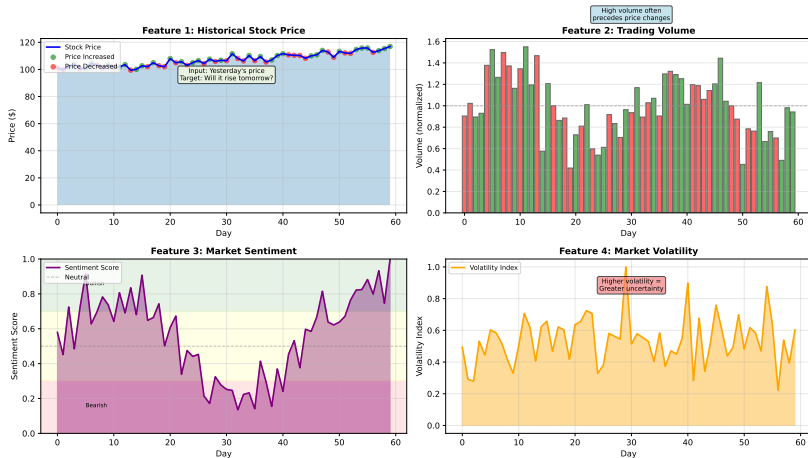
- Train: 45 days
- Test: 15 days
- Network: 4-6-1

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**Next:** See the actual market data used for training

# Market Data: Input Features for Neural Network

## Market Data: Input Features for Neural Network



Neural Network Input: All 4 features for each day | Output: Probability of price increase tomorrow

Observe: Which features seem most correlated with the price direction markers?

## The Experiment

- Before: Random weights (coin flip)
- After: Learned weights
- Test: 30 days unseen data

## Results

- **Before:** 50% accuracy
- **After:** 70% accuracy
- **Gain:** +20 points

## What Network Learned

- Volume + price + sentiment patterns
- Volatility indicates uncertainty
- Sentiment confirms trends

*Discovered from data alone!*

70% is good for markets (100% impossible)

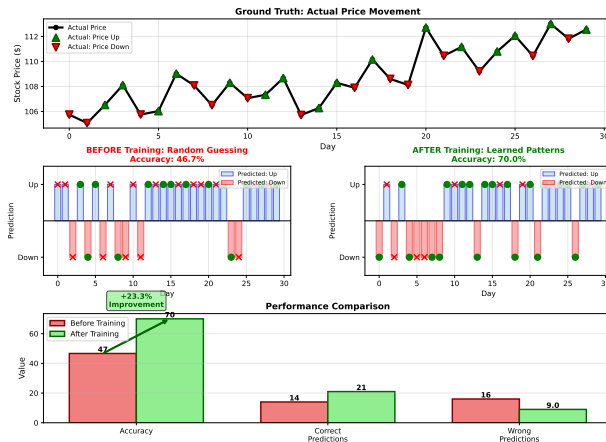
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Next: See detailed before/after comparison with prediction accuracy



# Prediction Results: Before vs After Training

Neural Network Performance: Before vs After Training



Training transforms random guessing into intelligent prediction by learning patterns from data

Observe: Where does the trained model still make errors? What might explain these?

### Think – Pair – Share

*What data would you need to predict customer behavior in your domain?*

#### 1. Think (1 min)

Reflect individually on the question

#### 2. Pair (2 min)

Discuss with a neighbor

#### 3. Share (2 min)

Share insights with class

## Summary: Three Key Insights

### 1. Neurons Compute Weighted Sums

Each artificial neuron multiplies inputs by learned weights, adds a bias, and applies a non-linear activation function. This simple operation, repeated across layers, enables complex pattern recognition.

### 2. Networks Learn from Errors

Training uses gradient descent to minimize prediction errors. The network adjusts weights in the direction that reduces loss – like a trader learning from past mistakes.

### 3. Patterns Emerge from Data

Neural networks discover relationships we never explicitly programmed. They find what matters in the data, enabling predictions for complex, non-linear business problems.

**These three principles underpin all deep learning – master them and you understand neural networks**

## Quick Check: Test Your Understanding

**Q1: What does the activation function do?**

- (a) Stores the input data
- (b) **Adds non-linearity to enable complex patterns**
- (c) Calculates the learning rate

**Q2: Why do we need multiple layers?**

- (a) To make training faster
- (b) To use more data
- (c) **To learn hierarchical, complex patterns**

**Q3: What does gradient descent minimize?**

- (a) The number of neurons
- (b) **The prediction error (loss function)**
- (c) The training time

**Check Your Answers**

### Answer Key

- Q1: (b) Non-linearity
- Q2: (c) Hierarchical patterns
- Q3: (b) Loss/error

### Scoring

- 3/3: Excellent grasp!
- 2/3: Review that topic
- 1/3: Revisit core concepts

If any answer surprised you, go back and review that section

## Use Neural Networks When

- Large dataset (thousands+ examples)
- Complex patterns
- Difficult to specify rules
- Pattern recognition tasks
- Black-box acceptable

## Applications

Churn, fraud, recommendations, images, NLP

## Do NOT Use When

- Small dataset
- Simple relationships
- Need interpretability
- Rules are known
- Real-time constraints

## Alternatives

Regression, decision trees, expert systems

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Choose the right tool - neural networks are powerful but not always appropriate

## Technical Limitations

- Data hungry
- Black box decisions
- Overfitting risk
- No guarantees
- Computational cost

## Ethical Concerns

- **Fairness:** Biased data leads to biased predictions
- **Transparency:** GDPR requires explanations
- **Accountability:** Who is responsible?
- **Impact:** Job displacement, market stability

*With great predictive power comes great responsibility!*

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Always consider ethical implications before deploying AI systems

### Output Layer Gradient

$$\frac{\partial L}{\partial w^{(2)}} = (\hat{y} - y) \cdot \sigma'(z) \cdot a$$

### Hidden Layer Gradient

$$\frac{\partial L}{\partial w^{(1)}} = \delta^{(2)} \cdot w^{(2)} \cdot \sigma'(z^{(1)}) \cdot x$$

### Loss Functions

#### MSE (Regression):

$$L = \frac{1}{n} \sum (y - \hat{y})^2$$

#### Cross-Entropy (Classification):

$$L = - \sum [y \log \hat{y} + (1 - y) \log(1 - \hat{y})]$$

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Backpropagation efficiently computes how each weight contributed to the error

## Practical Tips

- Start simple (baseline first)
- Feature engineering matters
- Avoid overfitting (validation, dropout)
- Tune hyperparameters
- Monitor training curves

## Books

Goodfellow (Deep Learning), Nielsen, Geron

## Courses

- Andrew Ng (Coursera)
- Fast.ai
- MIT 6.S191

## Tools

PyTorch, TensorFlow, scikit-learn

## Practice

Kaggle, Yahoo Finance, UCI Repository

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**Best way to learn: Build real projects with real data!**



### Design Challenge

You are a data scientist at a retail company.

**Problem:** Predict customer churn

**Data Available:**

- Demographics
- Purchase history
- Service interactions
- Website engagement

### Your Tasks

1. Design network architecture
2. Select input features
3. Choose activation functions
4. Select loss function
5. Define evaluation metrics
6. Identify ethical concerns
7. Plan stakeholder explanation

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Discuss in groups - there's no single right answer!